# ${ }^{14} \mathrm{C}$ DATED CHRONOLOGY OF THE THICKEST AND BEST RESOLVED LOESS/PALEOSOL RECORD OF THE LGM FROM SE HUNGARY BASED ON COMPARING PRECISION AND ACCURACY OF AGE-DEPTH MODELS 

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#### Abstract

The Madaras profile found at the northernmost fringe of Bácska loess plateau is one of the thickest and best-developed last glacial loess sequences of Central Europe. The $10-\mathrm{m}$ profile corresponds to a period between 29 and 12 b 2 k . To unravel feedback to small-scale centennial climatic fluctuations at our site, recorded in the Greenland ice and North Atlantic marine cores, construction of a reliable chronology is needed. Reliability is expressed in terms of best achievable chronological precision. Accuracy however is based on choosing the model best describing the sedimentological features of our profile. Five different age-depth models had constructed and compared relying on $15{ }^{14} \mathrm{C}$ dates using various statistical, probabilistic approaches to choose the model with the highest achievable precision. Accuracy was also evaluated using accumulation rates against stratigraphy. Models constructed using the computer program Bacon performed best in terms of achieving the best possible stratigraphic accuracy. Seven meters of the profile represents the period of the LGM. The average sedimentation time was $16.8 \mathrm{yr} / \mathrm{cm}$ with the highest confined to the period of the LGM. Calculated average sedimentation rates were 4 times higher than previously reported. The peak accumulation periods are dated to the nadir of the LGM.


KEYWORDS: accumulation rates, accuracy, age-depth models, ${ }^{14} \mathrm{C}$ AMS dates, loess/paleosol sequence, SE Hungary.

## INTRODUCTION

Understanding the outcome and manifestation of various climatic forces in the past at a regional level is a key issue in modern Quaternary research. Loess represents one of the most comprehensive semi-continuous paleoenvironmental records in the terrestrial zone (An et al. 1990; Pécsi 1990; Pye 1995; Lu and An 1998; Kemp 2001; Porter 2001, 2007). It is also one of the most extensive types of Quaternary deposits, covering approximately $10 \%$ of the land surface (Pécsi 1990; Pye 1995).

The Madaras brickyard profile found in the northernmost fringe of the Bácska loess plateau is one of the thickest and best developed last glacial loess sequences in Hungary and Central Europe and spans the coldest period of the last glacial: The Last Glacial Maximum (LGM) (Sümegi 2005; Hupuczi and Sümegi 2010; Bokhorst et al. 2011; Sümegi et al. 2012) According to previously available ${ }^{14} \mathrm{C}$ chronological data, the 10 -m-thick profile of Madaras developed between ca. 29 and 12 kyr cal BP (Sümegi et al. 2012). Following Woillard and Mook (1982) and Vandenberghe (1985), this correspond to the time of the Middle and Late Pleniglacial on the European continent and MIS 2-1 (Lisiecki and Raymo 2005).

This period has been characterized by numerous millennial-scale climatic fluctuations in the Northern Atlantic (Martinson et al. 1987; Kreveld et al. 2000; Andersen et al. 2006; Rasmussen et al. 2006; Svensson et al. 2006). Understanding how these were translated to the terrestrial realm and tackling potential leads and lags in regional responses to these climatic forcing requires the construction of reliable, independent time scales fostering

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Figure 1 Location, lithostratigraphy of the studied loess/paleosol sequence of Madaras brickyard with sampling points for ${ }^{14} \mathrm{C}$ AMS dating marked.
comparison of marine and terrestrial records at high resolution. A comparison of our proxy results with other extra-regional records at the centennial scale requires the construction of reliable chronologies. As shown by Blaauw et al. (2018), age-depth model choice, dating density and quality significantly affect the precision and accuracy of our chronologies. One date per millennium provides us millennial-scale precision. Precision can be improved by increasing dating densities on the one hand (Blaauw et al. 2018). However, there are cases when lack of sufficient funding hampers the inclusion of further dates in our analysis. In these cases, a comparison of the results of age-depth models can help us assess chronological precision (Blaauw et al. 2018). According to the findings of Blaauw et al. (2018), classical agedepth models significantly underestimate uncertainty and are not improved in precision after a threshold in dating density is reached. On the other hand, Bayesian age-depth models relying on chronological ordering, as well as the fact that uncertainty is not constant between dated levels, reflecting our lack of knowledge for these depths, are more robust in providing realistic precision estimates (Blaauw et al. 2018). Although according to some, all age-depth models are wrong, but improving (Telford et al. 2004; Trachsel and Telford 2017) one should cook with what is available. Thus, assessing precision and accuracy of our models to make the best possible choice is inevitable in building chronologies. According to Blaauw et al. (2018), a minimum of 2 dates per millennium is needed for achieving millennial-scale precision using Bayesian age-depth models. But what happens if this is not feasible?

In this paper we present the first independent time scale for the referred important paleoclimatic and paleoenvironmental record of Madaras. This time scale is based on $15{ }^{14} \mathrm{C}$ AMS dates, which span the entire 10 m profile with relatively even distribution (Figure 1). We aim to test the chronological precision of the age-depth models built, as well as their accuracy. The former can be done through statistics (via assessing uncertainty), while the latter is an arbitrary

Table 1 Samples by type and depth as well as conventional ${ }^{14} \mathrm{C}$ ages.

| Sample | Depth $(\mathrm{cm})$ | Lab code | Material | BP | $+/-1 \sigma$ |
| :--- | :---: | :--- | :--- | ---: | ---: |
| 1 | $16-20$ | D-AMS 4172 | Granaria frumentum | 10,986 | 57 |
| 2 | $100-104$ | D-AMS 4173 | Granaria frumentum | 13,561 | 41 |
| 3 | $148-152$ | DeA-1467 | Trichia hispida | 14,498 | 81 |
| 4 | $248-252$ | DeA-11907 | Trichia hispida | 16,133 | 63 |
| 5 | $300-304$ | DeA-11906 | Trichia hispida | 16,628 | 63 |
| 6 | $400-404$ | D-AMS 4174 | Columella columella | 17,150 | 50 |
| 7 | $448-452$ | DeA-11905 | Trichia hispida | 17,368 | 63 |
| 8 | $500-504$ | DeA-11903 | Vallonia tenuilabris | 17,858 | 64 |
| 9 | $548-552$ | DeA-11904 | Trichia hispida | 17,870 | 71 |
| 10 | $600-604$ | DeA-11901 | Euconulus fulvus | 18,942 | 71 |
| 11 | $700-704$ | DeA-11860 | Chondrula tridens | 20,193 | 93 |
| 12 | $896-900$ | DeA-11895 | Chondrula tridens | 21,381 | 82 |
| 13 | $900-908$ | Deb-3104* | Pinus charcoal | 21,937 | 252 |
| 14 | $920-924$ | DeA-11861 | Granaria frumentum | 22,062 | 106 |
| 15 | $996-1000$ | D-AMS 004636 | Granaria frumentum | 34,654 | 264 |

*Conventional GPC C-14 dating at Debrecen GPC Lab.
choice based on how well the model describes the observed sedimentological features of our profile (Blaauw et al. 2018). Finally, an attempt is made to see if the chosen model is "accurate" for our needs even if inclusion of further dates to improve precision is not possible due to certain reasons.

## Location and Stratigraphy of the Loess/Paleosol Sequence of Madaras

The Madaras brickyard profile is located at $46^{\circ} 02^{\prime} 14.39^{\prime \prime} \mathrm{N}$ and $19^{\circ} 17^{\prime} 15.01^{\prime \prime} \mathrm{E}$, at an elevation of 131.8 m asl (Figure 1). Based on sedimentological parameters, eight sedimentary layers were distinguished within the 10 m profile exposed (Sümegi 2005; Sümegi et al. 2012) (Figure 1). The bedrock of the profile is wind-blown sand overlain by a thin layer of yellowish-brown sandy loess (MAD L1L3). On top of the loess an intensively brunified paleosol layer ( $9.8-8.7 \mathrm{~m}$ ) of pale brown hue (MAD L1S2) developed, embedding charcoal fragments of Scots pine identified via anthracological examinations and dated to the transition phase of the Middle and Late Pleniglacial (Table 1). This paleosol is capped by a weakly brunified horizon between the depths of $8.7-8.0 \mathrm{~m}$. These deposits are overlain by yellowish brown moderately sorted coarse sandy silts (aeolian loess) up to the depth of 5.5 m (MAD L1L2) corresponding to the terminal part of the Middle Pleniglacial. On top of this loess a weak brunified soil of light pale brown color developed embedding carbonate nodules and smaller rhizoliths (MAD L1S1). This incipient soil is overlain by light yellow sandy loess of Late Pleniglacial age up to the depth of 1.5 m (MAD L1L1). From the depth of 1.5 m a weakly brunified zone was identified grading into the topmost modern soil. The topmost 0.6 m of the studied profile corresponds to the horizon of the modern soil (MAD-SO).

## MATERIAL AND METHODS

## ${ }^{14} \mathrm{C}$ Dating

One charcoal and 14 gastropod shell samples from the northern part of the loess wall were submitted for radiocarbon dating. AMS ${ }^{14} \mathrm{C}$ dating measurements were performed in the AMS laboratory of Seattle, WA, USA (lab code D-AMS) and Institute for Nuclear

Research of the Hungarian Academy of Sciences at Debrecen (lab code DeA-) (Table 1). The charcoal sample was measured by the Debrecen GPC Laboratory using conventional counting technique (Hertelendi et al 1989). Certain herbivorous gastropods are known to yield reliable ages for dating deposits of the past 40 ka with minimal estimates of shell age offsets on the scale of perhaps a couple of decades (Újvári et al 2014). This enables the construction of age models with resolution on the sub-centennial scale. (Sümegi and Hertelendi 1998; Pigati et al. 2004, 2010, 2013; Xu et al. 2011; Újvári et al. 2014). Based on Hungarian studies by Sümegi and Hertelendi (1998) and Újvári et al. (2014), sampled taxa were chosen accordingly (Table 1). Preparation of the samples and measurement followed the methods of Hertelendi et al. (1989 1992) and Molnár et al. (2013). Shells were ultrasonically washed and dried at room temperature. Surficial contaminations and carbonate coatings were removed by pretreatment with weak acid etching $(2 \% \mathrm{HCl})$ before $\mathrm{CO}_{2}$ production and graphitization. Conventional radiocarbon ages were converted to calendar ages using the software OxCal 4.2 (Bronk Ramsey 2009) and the most recent IntCal13 calibration curve (Reimer et al. 2013). Calibrated ages are reported as probability density ranges at the 2 -sigma confidence level ( $95.4 \%$ ).

## Age-Depth Modeling

Taking into consideration the special pedogenetic processes and compaction during the deposition of loessy layers (Pécsi 1990), the true sedimentation rate must have varied, and thus temporal resolution must have been different from cm to cm in our study profile (Pye 1995). To count with these varying sediment accumulation rates several types of age-depth models have been applied for our dataset.

The first is the popular classical model of linear interpolation (Blaauw 2010), which assumes that accumulation rates were constant between neighboring dated depths and changed, potentially abruptly, exactly at the dated depths (Bennett 1994; Blaauw and Heegaard 2012). This model assumes a constant uncertainty between dated points, which contradicts of our lack of knowledge; i.e. higher uncertainty for these intervals. Then a classical polynomial model was also applied. All input data were from conventional ${ }^{14} \mathrm{C}$ ages. Both the linear and polynomial models were built using the software Clam yielding us ages at every cm with $95 \%$ confidence intervals (CI). Sedimentation times (year/cm) with $95 \%$ CI was also calculated.

Bayesian modeling was performed using gamma and Poisson distributions as prior information on accumulation rates. Bacon (Blaauw and Christen 2011) models the accumulation rates (AR) of many equally spaced depth sections based on an autoregressive process with gamma innovations. Inverse accumulation rates (sedimentation times expressed as year $/ \mathrm{cm}$ ) were estimated from 42 to 48 million Markov Chain Monte Carlo (MCMC) iterations, and these rates form the age-depth model. AR was first constraint by default prior information: acc. shape $=1.5$ and acc. mean $=20$ for the beta distribution, a memory mean $=0.7$ and memory strength $=4$ for beta distribution describing the autocorrelation of inverse AR. All input data were provided as ${ }^{14} \mathrm{C}$ yr BP and the model used the northern hemisphere IntCal13 calibration curve (Reimer et al. 2013) to convert conventional radiocarbon ages to calendar ages expressed as cal BP. Age modeling was run to achieve a $5-\mathrm{cm}$ final resolution initially. In a second attempt to test the sensitivity of the model's boundary conditions were added based on the observed major lithostratigraphic boundaries at the level of the modern soil $(1.5 \mathrm{~m})$, the weak middle paleosol $(4.5-5.5 \mathrm{~m})$ and the lowermost pedocomplex ( $8-9 \mathrm{~m}$ ).

In addition, the parameters were set as acc. shape $=2,1.2$ and acc. mean $=10,20$ for the gamma distribution and mem. mean $=0.4$ and mem. strength $=10,5$, respectively. Model results with default prior information and new parameters as well as the adding of boundary conditions were compared. The fit of posterior gamma and beta distributions as well as the $95 \%$ CI ranges, plus inverse AR with $95 \%$ CI ranges were considered for comparing models. Finally, age-depth modeling was run using the set parameters. All data and figures are presented in calendar ages expressed as cal BP.

OxCal's P_sequence (Bronk Ramsey 2009) was tried with the granularity set to the size of the most dominant grain in the sequence (silt) ( $\mathrm{k}=0.3$ ). Furthermore, to test the sensitivity, granularity ( k ) was also set to consider variable rates of sedimentation. In case of the latter, two sub-models were run: one without boundaries and one where stratigraphic boundaries have been introduced at $1.5,4.5,5.5$, and 9.8 m , respectively. Ages were calculated for $1-\mathrm{cm}$ intervals along with $95 \%$ CI to assess model uncertainty. Point estimates are based on the mean values.

The obtained ages of the different models (linear, polynomial, OxCal, Bacon) were evaluated for integrity and congruence as well as statistically significant differences using the nonparametric methods of pairwise Mann-Whitney $U$ test for equality of medians and the Kolmogorov-Smirnov test for equality of distributions (Sokal and Rohlf 1995). In addition, mean $95 \%$ confidence ranges and maximum and minimum confidence values have also been calculated and compared to assess similarities and differences in uncertainty of ages (precision) for different parts of the profile. The fit of priors and posteriors in our Bayesian models was also a key to selecting the model with best chronological precision. These approaches however enabled us to test the chronological precision of the models alone (Blaauw et al. 2018). Accuracy was chosen according to the fit of the accumulation rates with our profile's stratigraphic characteristics (Blaauw et al. 2018).

## Sedimentation Rates

Sedimentation rates ( $\mathrm{mm} / \mathrm{yr}$ ) are generally calculated using the equation

$$
\begin{equation*}
\mathrm{AR}=\mathrm{d}_{2-} \mathrm{d}_{1} / \mathrm{a}_{2-} \mathrm{a}_{1} \times 1000 \tag{1}
\end{equation*}
$$

where $d_{1-2}$ are consecutive depths at $1-\mathrm{cm}$ intervals and $a_{1-2}$ are mean model ages. $95 \%$ confidence ranges are also calculated using the same equation but $\mathrm{a}_{1-2}$ here represents lower and upper $95 \%$ CI. This approach was adopted in our linear, polynomial and P-Sequence models. Despite its wide-range use (Újvári et al. 2017) the adoption of such equations may be suboptimal (Blaauw et al. 2018). Bacon however deals with variability in accumulation rates (sedimentation times in years $/ \mathrm{cm}$ ) through defining prior distributions. As such accumulation rates for any depth of the core are estimated by MCMC iterations providing more realistic views on precision and accuracy too (Blaauw and Heegaard 2012; Blaauw et al. 2018).

Újvári et al. (2017) reports sedimentation times for various Hungarian loess/paleosol profiles dated to MIS 2 and 3, including our study site as well. In their approach, Equation (1) is adopted in such way, that only the overall thickness of the profiles and the two boundary ages is used for the calculations. In our work sedimentation times with $95 \%$ CI were calculated using the accrate.depth.ghost function of Bacon for all depths at $1-\mathrm{cm}$ intervals. This function allows to capture varying uncertainties with depth in contrast to Equation (1).

## RESULTS

## Age-Depth Models

Conventional radiocarbon ages for the studied depth intervals and material type are presented in Table 1. Relying upon the calibrated radiocarbon dates, the base sandy loess is dated to ca. 39 ka cal BP. The overlying loess-paleosol sequence of Madaras was formed between ca. 28 and 12 ka cal BP. Thus, the sequence captures the entire MIS 2 (Andersen et al. 2006; Kreveld et al. 2000; Martinson et al. 1987; Svensson et al. 2006) including the LGM as defined by Clark et al. (2009). Certain authors place the start of the LGM to different times (Denton et al. 1999; Mix et al. 2001; Clark et al. 2009). Based on available paleoecological data (Sümegi 2005; Hupuczi and Sümegi 2010; Bokhorst et al. 2011; Sümegi et al. 2012) it can be placed between $26,000-24,000 \mathrm{cal} \mathrm{BP}$ at our site. According to calibrated radiocarbon ages, the base of the profile starts between 39,807 and $38,590 \mathrm{cal} \mathrm{BP}(95.4 \%)$. The development of the first paleosol (MAD-L1S2) overlying the base sands (Figure 1) initiated between 26,570 and $26,009 \mathrm{cal}$ BP years $(95.4 \%)$ (Table S1). The topmost part of the sequence corresponding to the modern soil must be placed between 13,001 and $12,725 \mathrm{cal} \mathrm{BP}$ (Table S1); i.e. preceding the Pleistocene/Holocene transition. The $10-\mathrm{m}$ profile thus spans ca. 16,000 years, rendering an overall average temporal resolution of $16 \mathrm{yr} / \mathrm{cm}$.

Figure 2 presents the results of the linear fit, polynomial, P_Sequence (OxCal), Bacon 1 and 2 models with their $95 \%$ confidence ranges. All models display a similar trend. There is no significant difference between the point estimate mean ages of the individual models (see Tables 2, 3, S2). The average, minimum and maximum of mean $2 \sigma$ error as well as $95 \%$ CI ranges of age estimate of the linear model (Table 2) is considerably lower than those of the polynomial and P_Sequence models. The average $2 \sigma$ error is 192 years in contrast to the 404 years of the polynomial and 533 years of the P_Sequence models. The $95 \%$ CI range is 384 years with a minimum of 229 years at the depth of 18 cm and a maximum of 1187 years at the depth of 998 cm for the linear model (Table 2, Figure 2), where dates approach the maximum limit of ${ }^{14} \mathrm{C}$ dating. The average $95 \%$ CI range of the polynomial model is much higher ( 686 years). The minimum value is nearly the same ( 246 years) to the previous model (Table 2). The maximum value of 1537 years is found at the bottom of the profile at the depth of 980 cm . Furthermore, while the second maximum value of 1490 years is found at the top, the minimum is located ca. 4 m below the top of the profile. Based on this observation regarding precision, the polynomial model can be excluded from our selection of age-depth model choices.

The average, minimum and maximum of $95 \%$ CI ranges of age estimate of the $\mathrm{P}_{-}$Sequence (OxCal) model (Table 2) is almost twofold of the values of the previous two models. So, the P_Sequence model is likewise less optimal in terms of chronological precision.

For Bacon models priors on accumulation rates (acc. shape:1.2 acc. mean: 20 year/cm) are very close to the posterior accumulation rates (Figure 2). Moderate ( $0.5-0.6$ ) memory values indicate a somewhat variable rate of sediment accumulation, which is congruent with our understanding of dust deposition and loess formation (Figure 2). However, for Bacon model 1, both the average, minimum and maximum $2 \sigma$ errors are higher than the P_Sequence and Bacon 2 models (Table 3). $95 \%$ CI is likewise wider for Bacon model 1 than the other two mentioned. In addition, the widest CI and $2 \sigma$ error values are constrained to the uppermost and lowermost part of the sequence (Figure 2, Table 3). This is not the case for Bacon model 2. In this model the highest mean $2 \sigma$ error and $95 \%$


Figure 2 Comparison of constructed age-depth models (squares represent mean values of ${ }^{14} \mathrm{C}$ dated horizons included in the model, solid lines represent mean values, dotted lines and whiskers correspond to $95 \%$ confidence intervals).
confidence range values are confined to the bottom of the profile similarly to the $P_{-}$Sequence model (Figure 2, Tables 2-3). However, the P_Sequence model could not handle ages properly beyond the depth of 9.22 m and yielded a simple linear interpolation with the calibrated date of the paleosol bedrock (MAD-L1L3) at the depth of 9.66 m (Figure 2) similarly to the linear and polynomial age-depth models. Bacon model 2, where a stratigraphic boundary has been introduced just above the bedrock could interpolate data down to this horizon (Figure 2, Table 3) implying that the deposition of the bedrock sands is much older than the overlying loess sequence. Differences in interpolated mean values between Bacon models 1 and 2 is negligible (Table 3) apart from the uppermost modern soil part, where both mean $2 \sigma$ error and $95 \%$ CI ranges are extremely high in model 1 (Figure 2, Table 2). Differences in mean age values between the two models is the minimal for the lower (MAD-L1L2) and upper (MAD-L1L1) loess packs (Table 3). The highest differences are noted for the lowermost paleosol horizon (MAD-L1S2), the modern soil (MAD-S0) as well as the weakly developed paleosol horizon (MAD-L1S1) intercalated between the older and younger loess packs. Mean $2 \sigma$ error and $95 \%$ CI ranges are almost twofold in Bacon model 1 compared to Bacon model 2. When we compare the output of all models mean $2 \sigma$ error and $95 \%$ CI ranges are the lowest in the linear and Bacon 2 models (Tables 2 and 3). These two models seem to have the highest chronological precision. But as previously stated, linear models tend to underestimate uncertainty (Blaauw et al. 2018). As Bacon models take into consideration the chronological ordering by providing a priori accumulation rates, comparing these with those of the model output can help us assess the "accuracy" of the model. As both the a priori and posterior accumulation rates are very similar in Bacon model 2 (Figures 2 and S ), this model seems to be ideal to realistically mimic sediment

Table 2 Calendar dates received via simple calibration placed into linear, polynomial and P_Sequence ( OxCal ) models.

|  | Linear (95.4\%) |  |  |  |  | Polynomial (95.4\%) |  |  |  |  | P_Sequence (OxCal) with boundaries (95.4\%) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Depth (cm) | Mean | $\begin{aligned} & \text { Mean } \\ & 2 \sigma \\ & \text { error } \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \mathrm{CI}- \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \text { CI+ } \end{aligned}$ | $95 \% \text { CI }$ <br> ranges | Mean | $\begin{aligned} & \text { Mean } \\ & 2 \sigma \\ & \text { error } \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \mathrm{CI}- \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \mathrm{CI}+ \end{aligned}$ | $95 \% \text { CI }$ <br> ranges | Mean | $\begin{aligned} & \text { Mean } \\ & 2 \sigma \\ & \text { error } \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \mathrm{CI}- \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \text { CI+ } \end{aligned}$ | $\begin{gathered} 95 \% \mathrm{CI} \\ \text { ranges } \end{gathered}$ | Stratigraphy |
| 16 | 12869 | 136 | 12733 | 13004 | 271 | 12800 | 745 | 12055 | 13545 | 1490 | 12877 | 295 | 12582 | 13172 | 590 | MAD-SO |
| 100 | 16358 | 190 | 16168 | 16547 | 379 | 16355 | 191 | 16165 | 16546 | 381 | 16311 | 356 | 15955 | 16667 | 712 |  |
| 150 | 17704 | 222 | 17482 | 17926 | 444 | 17734 | 215 | 17519 | 17949 | 430 | 17612 | 448 | 17164 | 18060 | 896 |  |
| 250 | 19483 | 191 | 19292 | 19674 | 382 | 19492 | 165 | 19327 | 19658 | 331 | 19577 | 400 | 19177 | 19977 | 800 | MAD-L1L1 |
| 300 | 20068 | 219 | 19849 | 20288 | 439 | 20044 | 154 | 19890 | 20199 | 309 | 19990 | 303 | 19687 | 20293 | 606 |  |
| 400 | 20701 | 183 | 20518 | 20884 | 366 | 20702 | 123 | 20579 | 20825 | 246 | 20660 | 266 | 20394 | 20926 | 532 |  |
| 450 | 20991 | 226 | 20765 | 21218 | 453 | 21003 | 145 | 20858 | 21147 | 289 | 20963 | 347 | 20616 | 21310 | 694 | MAD-L1S1 |
| 500 | 21622 | 218 | 21404 | 21839 | 435 | 21416 | 172 | 21244 | 21588 | 344 | 21508 | 422 | 21086 | 21930 | 844 |  |
| 550 | 21682 | 206 | 21476 | 21888 | 412 | 21987 | 198 | 21789 | 22185 | 396 | 21888 | 404 | 21484 | 22292 | 808 |  |
| 600 | 22798 | 238 | 22560 | 23036 | 476 | 22613 | 237 | 22376 | 22849 | 473 | 22767 | 455 | 22312 | 23222 | 910 | MAD-L1L2 |
| 650 | 23535 | 173 | 23362 | 23707 | 345 | 23403 | 235 | 23168 | 23638 | 470 | 23421 | 584 | 22837 | 24005 | 1168 |  |
| 700 | 24253 | 245 | 24008 | 24497 | 489 | 24331 | 235 | 24096 | 24565 | 469 | 24079 | 410 | 23669 | 24489 | 820 |  |
| 750 | 24623 | 188 | 24435 | 24811 | 376 | 25170 | 438 | 24732 | 25608 | 961 | 24518 | 510 | 24008 | 25028 | 1020 |  |
| 800 | 24994 | 154 | 24840 | 25147 | 307 | 25678 | 675 | 25003 | 26352 | 1349 | 24984 | 524 | 24460 | 25508 | 1048 |  |
| 850 | 25362 | 152 | 25210 | 25514 | 304 | 25744 | 643 | 25101 | 26386 | 1285 | 25422 | 455 | 24967 | 25877 | 910 |  |
| 870 | 25510 | 161 | 25349 | 25671 | 322 | 25733 | 491 | 25242 | 26224 | 982 | 25614 | 393 | 25221 | 26007 | 786 | MAD-L1S2 |
| 898 | 26017 | 297 | 25720 | 26314 | 594 | 25891 | 194 | 25697 | 26085 | 388 | 25834 | 275 | 25559 | 26109 | 550 |  |
| 904 | 26321 | 448 | 25873 | 26770 | 897 | 25971 | 190 | 25781 | 26161 | 380 | 25959 | 325 | 25634 | 26284 | 650 |  |
| 922 | 26646 | 269 | 26377 | 26915 | 538 | 26546 | 373 | 26173 | 26919 | 746 | 26163 | 379 | 25784 | 26542 | 758 |  |
| 980 | 36488 | 468 | 36020 | 36955 | 935 | 34030 | 769 | 33262 | 34799 | 1537 | 26163 | 379 | 25784 | 26542 | 758 |  |
| 998 | 39216 | 594 | 38622 | 39809 | 1187 | 39206 | 577 | 38629 | 39782 | 1153 | 39167 | 628 | 38539 | 39795 | 1256 | MAD-L1L3 |
| Average* |  | 191.95 |  |  | 384 |  | 404 |  |  | 686 |  | 533 |  |  | 1065 |  |
| Min* |  | 114 |  |  | 229 |  | 190 |  |  | 246 |  | 266 |  |  | 532 |  |
| Max* |  | 594 |  |  | 1187 |  | 768.5 |  |  | 1537 |  | 1356 |  |  | 2712 |  |
| SD* |  | 70.46 |  |  | 140.85 |  | 261 |  |  | 261 |  | 242.99 |  |  | 485.9 |  |
| SK |  | 3.142 |  |  | 3.147 |  | 1.323 |  |  | 1.323 |  | 1.86 |  |  | 1.86 |  |
| K |  | 33.25 |  |  | 11.68 |  | 1.70 |  |  | 1.70 |  | 3.36 |  |  | 3.36 |  |

[^1]Table 3 Dates received for Bacon models 1. and 2. (without and with stratigraphic boundaries included) and differences in mean, mean $2 \sigma$ error and $95 \%$ CI ranges.

|  | Bacon model 1. (95.4\%) |  |  |  |  | Bacon model 2. with boundaries (95.4\%) |  |  |  |  | Differences |  |  | Stratigraphy |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Depth (cm) | Mean | Mean $2 \sigma$ error | $\begin{aligned} & 95 \% \\ & \text { CI - } \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \text { CI+ } \end{aligned}$ | $\underset{\text { ranges }}{95 \% \text { CI }}$ | Mean | Mean $2 \sigma$ error | $\begin{aligned} & 95 \% \\ & \text { CI - } \end{aligned}$ | $\begin{aligned} & 95 \% \\ & \text { CI+ } \end{aligned}$ | $\begin{gathered} 95 \% \mathrm{CI} \\ \text { ranges } \end{gathered}$ | Mean | Mean $2 \sigma$ error | $\underset{\substack{95 \% \text { CI } \\ \text { ranges }}}{\text { and }}$ |  |
| 16 | 13053 | 2221 | 10832 | 15274 | 4442 | 12943 | 263 | 12680 | 13206 | 526 | 110 | 1958 | 3916 | MAD-SO |
| 100 | 16289 | 559 | 15732 | 16848 | 1118 | 16283 | 272 | 16011 | 16555 | 544 | 6 | 287 | 574 |  |
| 150 | 17505 | 666 | 16839 | 18171 | 1332 | 17512 | 327 | 17186 | 17839 | 653 | -7 | 340 | 679 |  |
| 250 | 19250 | 547 | 18703 | 19797 | 1094 | 19245 | 278 | 18968 | 19523 | 555 | 5 | 270 | 539 | MAD-L1L1 |
| 300 | 19843 | 482 | 19361 | 20325 | 964 | 19847 | 245 | 19603 | 20092 | 489 | -4 | 238 | 475 |  |
| 400 | 20699 | 349 | 20350 | 21048 | 698 | 20706 | 178 | 20528 | 20884 | 356 | -7 | 171 | 342 |  |
| 450 | 21104 | 390 | 20714 | 21494 | 780 | 21116 | 192 | 20924 | 21308 | 384 | -12 | 198 | 396 | MAD-L1S1 |
| 500 | 21625 | 411 | 21214 | 22036 | 822 | 21629 | 204 | 21426 | 21833 | 407 | -4 | 208 | 415 |  |
| 550 | 22091 | 555 | 21536 | 22646 | 1110 | 22118 | 281 | 21838 | 22399 | 561 | -27 | 274 | 549 |  |
| 600 | 22787 | 494 | 22293 | 23281 | 988 | 22784 | 248 | 22537 | 23032 | 495 | 3 | 247 | 493 | MAD-L1L2 |
| 650 | 23443 | 652 | 22791 | 24095 | 1304 | 23447 | 324 | 23124 | 23771 | 647 | -4 | 328 | 657 |  |
| 700 | 24100 | 644 | 23456 | 24744 | 1288 | 24104 | 328 | 23776 | 24432 | 656 | -4 | 316 | 632 |  |
| 750 | 24655 | 833 | 23873 | 25539 | 1666 | 24653 | 414 | 24240 | 25067 | 827 | 2 | 419 | 839 |  |
| 800 | 25202 | 984 | 24314 | 26282 | 1968 | 25197 | 486 | 24712 | 25683 | 971 | 5 | 498 | 997 |  |
| 850 | 25746 | 1113 | 24792 | 27018 | 2226 | 25723 | 538 | 25186 | 26261 | 1075 | 23 | 575 | 1151 |  |
| 870 | 25965 | 1138 | 25033 | 27309 | 2276 | 25940 | 562 | 25378 | 26502 | 1124 | 25 | 576 | 1152 | MAD-L1S2 |
| 898 | 26250 | 1186 | 25064 | 27436 | 2372 | 26224 | 582 | 25643 | 26806 | 1163 | 26 | 605 | 1209 |  |
| 904 | 26296 | 1191 | 25105 | 27487 | 2382 | 26269 | 583 | 25686 | 26852 | 1166 | 27 | 608 | 1216 |  |
| 922 | 26617 | 1193 | 25424 | 27810 | 2386 | 26591 | 571 | 26020 | 27162 | 1142 | 26 | 622 | 1244 |  |
| 980 | 27867 | 1698 | 26393 | 29789 | 3396 | 27838 | 814 | 27024 | 28652 | 1628 | 29 | 884 | 1768 |  |
| 998 | 39181 | 1312 | 37869 | 40493 | 2624 | 39181 | 656 | 38706 | 40018 | 1312 | 0 | 656 | 1312 | MAD-L1L3 |
| Average* |  | 817 |  |  | 1634 |  | 381 |  |  | 762 |  |  |  |  |
| Min* |  | 349 |  |  | 698 |  | 176 |  |  | 352 |  |  |  |  |
| Max* |  | 2221 |  |  | 4442 |  | 863 |  |  | 1725 |  |  |  |  |
| SD* |  | 428 |  |  | 855 |  | 162 |  |  | 323 |  |  |  |  |
| SK |  | 1.36 |  |  | 1.36 |  | 0.95 |  |  | 0.95 |  |  |  |  |
| K |  | 1.28 |  |  | 1.28 |  | 0.15 |  |  | 0.15 |  |  |  |  |


*Values based on 982 data at $1-\mathrm{cm}$ intervals.


Figure 3 Comparison of calculated sedimentation times ( $\mathrm{yr} / \mathrm{cm}$ ) of the linear, polynomial and P-Sequence age-depth models with the observed stratigraphy (red lines: mean values, grey and black lines: $95 \%$ confidence ranges). (Please see electronic version for color figures.)


Figure 4 Comparison of calculated sedimentation times ( $\mathrm{yr} / \mathrm{cm}$ ) of the Bacon age-depth models with the observed stratigraphy (red dotted lines: mean values, grey dotted lines: $95 \%$ confidence ranges, grey shading: probabilities with darker values corresponding to higher probabilities).
accumulation both in terms of precision and accuracy. This model is also the one that best captures the observed stratigraphy; i.e. most accurate.

To further assess the accuracy of the models, sedimentation times per depth profile were created for all age-depth models (Figures 3 and 4). Here all models seem to handle well the observed lithological changes of our profile with the exception of the polynomial model. Stepwise changes are comparable in the rest of the models. Yet both the linear and the P_sequence model does not handle sedimentation times correctly beyond the depth of 9 m (Figure 3), where a progressive aging of the lowermost paleosol unit is postulated towards the base sands. This is in high contrast with our understanding of site evolution seen from the lithostratigraphy. Both Bacon models presume a uniform start of loess deposition much later than the bedrock sand (Figures 2 and 4). This assumption seems more realistic than


Figure 5 Calculated sedimentation times ( $\mathrm{yr} / \mathrm{cm}$ ) against age using the Bacon 2 model (red dotted lines: mean values, grey dotted lines: $95 \%$ confidence ranges, grey shading: probabilities with darker values corresponding to higher probabilities).
the others. In addition, the close resemblance of a priori and posterior accumulation times in both Bacon models further corroborates our choice of the most "precise and accurate" model (Bacon 2).

## Sedimentation Rates Compared to Other Coeval Sites of the Carpathian Basin

For the entire LPS of Madaras mean sedimentation time was $16.8 \mathrm{yr} / \mathrm{cm}$ ( $15-18 \mathrm{yr} / \mathrm{cm} \mathrm{95} \mathrm{\%} \mathrm{CI)}$ based on mid-point estimates calculated for $1-\mathrm{cm}$ intervals using Bacon model 2 (Figure 5). Compared to other records in the literature (Újvári et al. 2017) this is somewhat lower than the one at Dunaszekcső ( $13.3 \mathrm{yr} / \mathrm{cm}$ ) spanning a period from ca. $36-23.4 \mathrm{kyr}$ cal BP. It must be noted though that the age-span of the two profiles are only partially overlapping. Furthermore, the average resolution of $13.3 \mathrm{yr} / \mathrm{cm}$ published for Dunaszekcső was calculated from the overall thickness of the entire sequence and the bracketing calibrated ${ }^{14} \mathrm{C}$ ages (Újvári et al. 2017). When mean values are recalculated using mid-point estimates for data presented for $1-\mathrm{cm}$ intervals by Újvári et al. (2017), there is an increase to $15.8 \mathrm{yr} / \mathrm{cm}$. Using this data, the difference in sedimentation times between the two sites is negligible ( 1 yr ). So, sampling intervals at 2 and 4 cm will likewise yield similar resolution of 32 and 65 years at Dunaszekcső and 33-68 years at our site of Madaras for the timespan of the entire profile. However, Újvári et. al (2017) used Equation 1 for presenting sedimentation times and accumulation rates in their profile. Despite the adoption of Bacon in the construction of their age-depth model, no evaluation of chronological precision and accuracy of sedimentation times is presented in a way done in our work.

For the period between 28 and 21 kyr , sedimentation times are quite similar along with the overall thickness of corresponding deposits at various sites of the Carpathian Basin (Table S3): Krems ( $14.5 \mathrm{yr} / \mathrm{cm}-4.7 \mathrm{~m}$ ) (Lomax et al. 2014), Süttő ( $18.3 \mathrm{yr} / \mathrm{cm}-3.45 \mathrm{~m}$ ) (Novothny et al. 2011) Tokaj ( $12.2 \mathrm{yr} / \mathrm{cm}-4.6 \mathrm{~m}$ ) (Schatz et al. 2012), Dunaszekcső ( $11.7 \mathrm{yr} / \mathrm{cm}-4.36 \mathrm{~m}$ ) (Újvári et al. 2017), and


Figure 6 Calculated sedimentation times ( $\mathrm{yr} / \mathrm{cm}$ ) against age using the Bacon 2 model for the period of the Last Glacial Maximum (red dotted lines: mean values, grey dotted lines: $95 \%$ confidence ranges, grey shading: probabilities with darker values corresponding to higher probabilities).
our study site of Madaras ( $11.63 \mathrm{yr} / \mathrm{cm}-4.87 \mathrm{~m}$ ) (Table S3). This implies relatively uniform conditions responsible for dust accumulation at first sight. However, for accurate evaluation temporal fluctuations should also be considered.

For the LGM part, which represents $70 \%$ of the entire LPS at Madaras, mean sedimentation time is even better: $11.63 \mathrm{yr} / \mathrm{cm}(11-12 \mathrm{~cm} / \mathrm{yr} 95 \% \mathrm{CI})$ (Figure 6). Thus, sampling at intervals of 2 cm will yield us a resolution of ca. 23 yr per sample. 4 cm interval samples will still result in a sub-centennial resolution of 48 yr . Considering the total thickness of 6.8 m corresponding to the LGM (Figures 2 and 5), our study site seems to be the best resolved for the LGM in the Middle Danube region.

Average sedimentation rate (ASR) for the entire profile is $0.79 \mathrm{~mm} / \mathrm{yr}(95 \% \mathrm{CI}: 0.8-0.86 \mathrm{~mm} / \mathrm{yr})$ with the highest value of $1.43 \mathrm{~mm} / \mathrm{yr}(95 \%$ CI: 1.33-1.54 mm/yr) recorded at 21.34 kyr cal BP based on mid-point estimates of the Bacon model 2 (Figures 5 and 6). This value is threefold of that presented by Újvári et al. (2010) ( $0.25 \mathrm{~mm} / \mathrm{yr}$ ) implying an unusually high dust accumulation at the site (average BMAR: $1183 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1} 95 \%$ CI: $849-1098 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1}$ ). The highest recorded value of $2143 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1}$ is confined to the nadir of the LGM. These new values are comparable to but somewhat lower than those recorded for the site of Dunaföldvár between 28.35 and 23.45 kyr b2k ( $1.002 \mathrm{~mm} / \mathrm{yr} 95 \% \mathrm{CI}: 1.132-1.34 \mathrm{~mm} / \mathrm{yr}$, $1504 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1} 95 \% \mathrm{CI}: 1699-2024 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1}$ ) (Újvári et al. 2010 2017). This site is found ca. $40-50 \mathrm{~km}$ to the west of our site. However, SR and BMAR values are significantly higher at Madaras for the period of the LGM, which represents $70 \%$ of the entire LPS: $\mathrm{SR}=0.96 \mathrm{~mm} / \mathrm{yr} 95 \%$ CI: $0.95-1.01 \mathrm{yr} / \mathrm{mm}$ and $\mathrm{BMAR}=1404 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1} 95 \%$ CI: $1420-1516 \mathrm{~g} \times \mathrm{cm}^{-2} \times \mathrm{kyr}^{-1}$, respectively.

## CONCLUSION

The $10-\mathrm{m}$ loess/paleosol sequence of Madaras brickyard spans ca. 16 kyr of the latest phase of the last glacial. According to previous lithostratigraphic, sedimentological, chronological investigations (Sümegi et al. 2012), the site was characterized by a strong variability of loess deposition and pedogenesis during the past ca. $28 \mathrm{ka} \mathrm{cal} \mathrm{BP}$. soil formation must have been in a highly fragile equilibrium mostly confined to the border zone during the formation of the entire sequence. Based on our findings Bacon model 2, including information on the visually identified stratigraphic boundaries, performed the best in achieving chronological precision for constructing a reliable chronology of the site. This model allowed for increased uncertainty between dated points, in light with our general understanding on lack of information but managed to constrain uncertainty to an acceptable level. It was also this model that most accurately captured the variability of sedimentation rates with varying uncertainties along the profile. This is a major advent in contrast to the use of generally accepted equations for calculating accumulation rates. The chosen model managed to mimic accumulation rates in terms of the observed stratigraphy and a priori determined sedimentation rates allowing for higher uncertainties at depths close to the bedrock and the modern soil.

The highest accumulation rates are put to the LGM, especially to its nadir. Newly calculated MAR and SR values are much higher than those published by Újvári et al. (2010) for the Carpathian Basin for the period of MIS 2. This must be an artefact of very few dates used by Újvári et al. (2010) on the one hand. Furthermore, in their work linear age-depth models without model and dating uncertainties have been adopted. A recently published work presents accumulation rates for the site of Dunaszekcső (Újvári et al. 2017) gained using Bayesian age-depth models in building a chronology. These are in the same range as those gained by our work. However, in contrast to our study, Újvári et al. (2017) failed to use the sedimentation times yielded by the model itself to assess its "accuracy," as accumulation rates are calculated using simple linear functions.

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## SUPPLEMENTARY MATERIAL

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[^1]:    *Values based on 982 data at $1-\mathrm{cm}$ intervals.

