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A CMOS Current-Mode Operational Amplifier

Thomas Kaulberg

Abstract—A fully differential input differential output currentmode operational amplifier (COA) is described. The amplifier utilizes three second-generation current conveyors (CCII's) as the basic building blocks. It can be configured to provide either a constant gain-bandwidth product in a fully balanced current-mode feedback amplifier or a constant bandwidth in a transimpedance feedback amplifier. The amplifier is found to have a gain-bandwidth product of 3 MHz, an offset current of 0.8 μ A (signal range \pm 700 μ A), and a (theoretically) unlimited slew rate. The amplifier is realized in a standard CMOS 2.4- μ m process.

I. INTRODUCTION

THE traditional operational amplifier and the transimpedance operational amplifier (also known as *current-feedback operational amplifier*) are unquestionably two of the most flexible and widely used analog integrated circuits of today. However, as the standard supply voltages for digital circuitry are decreasing significantly, so are the signal ranges for the analog components (especially in mixed analog- and digital-mode systems). An attempt to overcome this problem can be simply to change the signal representation from a voltage to a current. In this way the signal range is no longer directly restricted by the supply voltage but also dependent on the impedance level chosen by the designer.

In the process of designing current-mode circuits it can be advantageous to follow the *Theory of Adjoint Networks* [1], [2]. This theory is a conversion strategy which, when applied to a given voltage-mode circuit, leads to a current-mode circuit with the same transfer function. This paper describes an attempt to obtain a useful structure for a current-mode op amp by applying the *Theory of Adjoint Networks* to the traditional op amp and to the transimpedance op amp on a subcircuit level. Most current amplifiers described in the literature have only limited gain [3], [4]. However, the structure described in the present paper is suitable for true COA operations, i.e. a current gain in the order of 80 dB.

II. ADJOINT NETWORK CONVERSION

The second-generation current conveyor is a versatile building block for a variety of applications [5]. It offers both a current-following and a voltage-following function and is useful in expressing both current-mode and voltage-mode circuits at a subcircuit level. A symbol and a simple CMOS implementation of a CCII+ is shown in Fig. 1. The transfer

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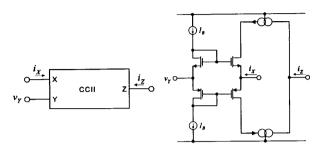


Fig. 1. The second-generation current conveyor.

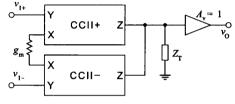


Fig. 2. Voltage-mode op amp (VOA).

matrix is given by the following equation:

$$\begin{vmatrix} i_Y \\ v_X \\ i_Z \end{vmatrix} = \begin{vmatrix} 0 & 0 & 0 \\ 1 & 0 & 0 \\ 0 & \pm 1 & 0 \end{vmatrix} \begin{vmatrix} v_Y \\ i_X \\ v_Z \end{vmatrix}$$
(1)

The CCII- contains both a positive voltage-following action and a positive current-following action and according to the *Adjoint Networks Theory* it is its own interreciprocal circuit [2]. This means that the adjoint network of a CCIIis a CCII-. The CCII+ exhibits a positive voltage-following action and a negative current-following action. The adjoint network of this circuit is a circuit with a negative voltage follower and a positive current follower. Obviously, it is more complicated to generate a precise negative voltage follower than a positive one. Therefore we shall try to avoid this type of component in our generation of current-mode circuits.

Fig. 2 shows a traditional voltage-mode op amp (VOA) expressed in terms of current conveyors. The differential input voltage is transferred via a transconductance, g_m , to a differential current which is sourced into an impedance, Z_T , and the voltage across this impedance is buffered to the output of the VOA. The transimpedance Z_T is the parallel connection of a large resistance and the compensation capacitor C_C . This gives the well-known transfer function with one dominant pole, a large dc gain, and a constant gain-bandwidth product.

By applying the *Theory of Adjoint Networks* to this circuit we achieve a current operational amplifier (COA) as shown in Fig. 3. With the chosen sign convention, all currents are considered positive in the direction of the arrow. The

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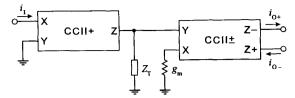


Fig. 3. Current-mode op amp (COA).

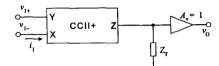


Fig. 4. Voltage-mode transimpedance amplifier.

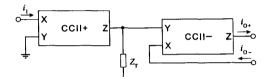


Fig. 5. Current-mode transimpedance amplifier.

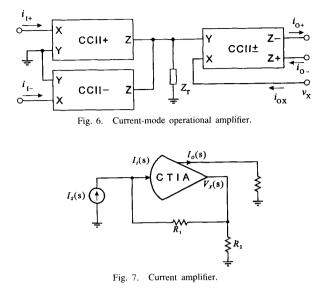
output buffer of the VOA turns into a current buffer. The current buffer would normally be realized as a CCII- with $V_Y = 0$. In this case it is realized as a CCII+ with $V_Y = 0$. The change of sign is compensated in the following stage. The two CCII's that form the differential transconductance stage $(I_{out} = g_m V_{d,in})$ in the VOA turn into a differential transconductance output CCII± $(I_{d,out} = g_m V_{in})$. Passive elements like resistors and capacitors remain unchanged. The current gain, $I_{d,o}/I_i$, of this circuit is exactly the same as the voltage gain, $V_o/V_{d,i}$, of the VOA [6].

A simplified diagram of a *transimpedance operational amplifier* [7] is shown in Fig. 4. The differential input stage of this amplifier contains both a high-impedance voltage input node and a low-impedance current input node. The current from this node is conveyed to the transimpedance Z_T and the voltage across Z_T is buffered to the output. In a feedback configuration this amplifier provides a nearly constant bandwidth, independent of the closed-loop gain [7].

When converting to current mode, the CCII+, which forms the input stage of the voltage-mode transimpedance amplifier, is transformed into a CCII- and an additional inverting voltage buffer. The output buffer is transformed into a CCIIwith a grounded Y input. By rearranging this circuit slightly we arrive at the circuit shown in Fig. 5. This circuit is called the *current-mode transimpedance amplifier* [8].

III. CURRENT-MODE OPERATIONAL AMPLIFIER (COA)

When comparing Figs. 3 and 5 we find that the only difference between the two amplifiers is the connection of the low-impedance X input of the output CCII–. By bringing this terminal to an external pin we obtain a highly flexible



current-mode operational amplifier. In Fig. 6 such an amplifier is shown. Another option is added to this figure. The current input is made differential. This makes the amplifier interreciprocal to a fully balanced VOA. To be interreciprocal to a single-output VOA, the I_{i-} terminal should be left open.

The connection of the V_X terminal now determines the operational mode of the amplifier. When V_X is connected to ground, the amplifier is interreciprocal to the traditional operational amplifier (VOA). We call this configuration a current operational amplifier.

From Fig. 3 the transfer function can easily be derived as shown below:

$$\downarrow \begin{array}{l} H_{\rm COA}({\rm s}) = \frac{I_o({\rm s})}{I_i({\rm s})} = \frac{g_m R_T}{1 + R_T C_C} \\ A_{\rm DC,COA} = g_m R_T, \quad {\rm GB}_{\rm COA} = \frac{g_m}{C_C}. \end{array}$$
(2)

This amplifier provides a large dc gain, a constant gain-bandwidth product and a "one dominant pole" transfer function similar to the properties of the VOA. A 45° phase margin is ensured by making GB < $2\pi f_2$. GB is the gain-bandwidth product and f_2 is the second pole of the amplifier (typically determined by the current mirror pole $\simeq f_T/2$).

When the V_X terminal is used as a feedback terminal, the amplifier is configured as a current-mode transimpedance amplifier as shown in Fig. 5. Fig. 7 shows how a simple current amplifier with feedback can be realized with this component. The closed-loop gain for $R_T \gg R_1$ is

$$\downarrow A_i(\mathbf{s}) = \frac{I_o(\mathbf{s})}{I_i(\mathbf{s})} = \left(1 + \frac{R_1}{R_2}\right) \frac{1}{1 + R_1 C_C}$$

$$BW = \frac{1}{R_1 C_C}.$$
(3)

Equation (3) shows how this amplifier exhibits a constant bandwidth property similar to that of a traditional voltagemode transimpedance operational amplifier. The stability criterion (phase margin > 45°) for this amplifier is BW < $2\pi f_2$.

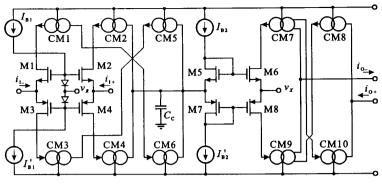


Fig. 8. Current-mode operational amplifier.

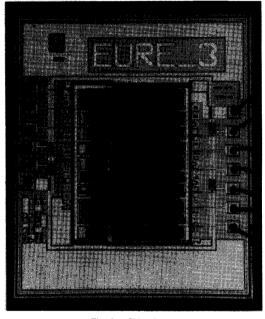


Fig. 9. Chip photo.

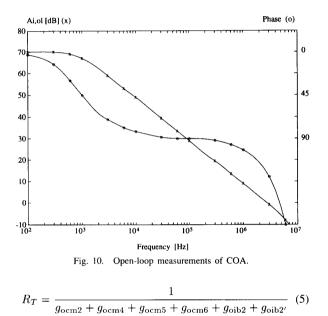
Both of the two amplifier configurations presented can replace their interreciprocal voltage-mode counterparts in any voltage-mode circuit due to the *Theory of Adjoint Networks*.

The two amplifier configurations do not suffer from slewrate limitation like most of the traditional VOA implementations do. The reason for this is the fact that the current available for charging and discharging C_C is not limited to a quiescent value (bias current source) but only limited by the current signal range of the input current conveyors.

IV. IMPLEMENTATION

The current-mode operational amplifier has been realized as shown in the diagram of Fig. 8. The circuit is characterized by (4) and (5):

$$r_x = \frac{1}{g_{\rm m6} + g_{\rm mbs6} + g_{\rm m8} + g_{\rm mbs8}} \tag{4}$$



where $g_{\mathrm{mbs}n}$ is the bulk transconductance and g_{on} represents the output conductance of the current mirrors and current sources. The input current offset errors are strongly dependent on the accuracy of the current mirrors [6] and therefore all current mirrors have been realized as cascoded current mirrors. Each transistor in the amplifier needs to match one or two other transistors, and in order to improve the matching large transistor dimensions ($L > L_{\min}$) and a finger-structure common centroid layout technique have been used for all transistors.

V. EXPERIMENTAL RESULTS

The COA has been implemented in a 2.4- μ m industry standard CMOS process. A chip photo is shown in Fig. 9. The COA was found to have an open-loop current gain as shown in Fig. 10. It is seen that the dc gain is approximately 72 dB and the GB is 3 MHz at a phase margin of 60°. The amplifier was optimized to achieve low offset current. This was measured to be 0.8 μ A compared to a signal range of \pm 700 μ A.

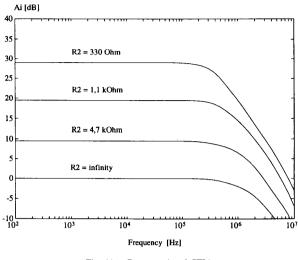


Fig. 11. Current gain of CTIA.

In Fig. 11 measured results from the feedback configuration of Fig. 7 are shown. The feedback resistor R_1 is 10 k Ω and different values of R_2 ranging from 330 Ω to infinite have been used. The measurements confirm the expected constant bandwidth characteristics of the amplifier. C_C was set to about 60 pF in the VOA mode and about 2 pF in the CTIA mode. The slew rate was found to be limited solely by the bandwidth of the COA.

VI. CONCLUSION

A CMOS current-mode operational amplifier has been analyzed and experimental results have been presented. Due to a flexible interconnection of three second-generation current conveyors, a versatile current-mode building block has been achieved. The current-mode operational amplifier is found to have current processing properties equivalent to the voltage processing properties of a traditional balanced voltagemode operational amplifier and a transimpedance operational amplifier.

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