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**A Fast Optimal Algorithm for  $L_2$  Triangulation**

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 Abstract

This paper presents a practical method for obtaining the global minimum to the least-squares ( $L_2$ ) triangulation problem. Although optimal algorithms for the triangulation problem under  $L_\infty$ -norm have been given, finding an optimal solution to the  $L_2$  triangulation problem is difficult. This is because the cost function under  $L_2$ -norm is not convex. Since there are no ideal techniques for initialization, traditional iterative methods that are sensitive to initialization may be trapped in local minima. A branch-and-bound algorithm was introduced in [1] for finding the optimal solution and it theoretically guarantees the global optimality within a chosen tolerance. However, this algorithm is complicated and too slow for large-scale use. In this paper, we propose a simpler branch-and-bound algorithm to approach the global estimate. Linear programming algorithms plus iterative techniques are all we need in implementing our method. Experiments on a large data set of 277,887 points show that it only takes on average 0.02s for each triangulation problem.

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