

## A NEW EFFICIENT KEY AGREEMENT SCHEME FOR VSAT SATELLITE COMMUNICATIONS BASED ON ELLIPTIC CURVE CRYPTOSYSTEM

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**Abstract.** A satellite communication is suitable for broadcasting service and long-hual transmission based on telecommunications. In the satellite communication environment, unauthorized user should not have to obtain his/her required services from the satellite communication systems without authentication. Therefore, authentication is an important security technique to prevent illegal service requests. Quite recently, Lee-Lin-Hwang [C. C. Lee, T. C. Lin, M. S. Hwang. **A key agreement scheme for satellite communications, Information Technology and Control, 2010, Vol. 39, No. 1, 43-47.**] proposed a secure scheme based on key agreement scheme with mutual authentication to solve the security problems on the VSAT satellite communications. However, Lee-Lin-Hwang's scheme is inefficiently designed because it is based on the RSA cryptosystem. Therefore, the scheme cannot be applicable for the low-power satellite communication environments because it involves high communication and computation costs. Based on these motivations, this paper proposes a new efficient and secure key agreement scheme for VSAT satellite communications based on elliptic curve cryptosystem (ECC) to minimize the complexity of computational costs between VSAT and HUB and fit VSAT satellite communication environments. Compared with previous schemes, the newly proposed scheme has the following more practical merits: (1) it provides secure session key agreement function by adopting elliptic curve cryptosystem, (2) it can reduce the total execution time and memory requirement due to the elliptic curve cryptography, and (3) it not only is secure against well-known cryptographical attacks but also provides perfect forward secrecy. As a result, the proposed scheme is extremely suitable for use in satellite communication environments since it provides security, reliability, and efficiency.

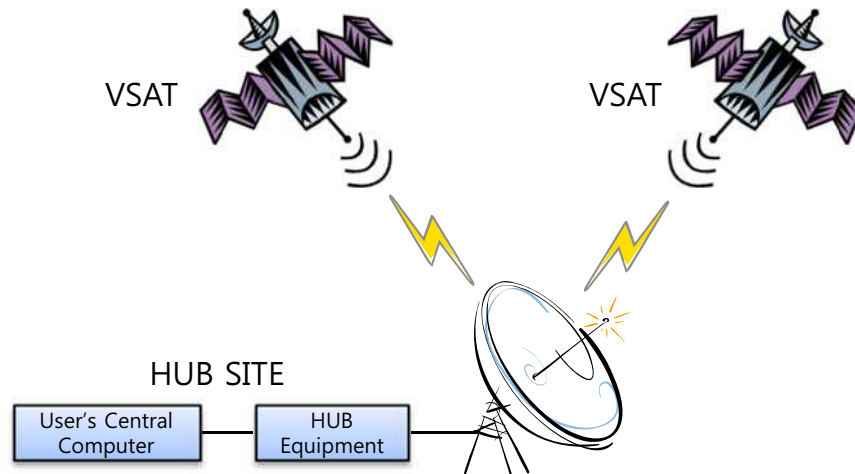
**Keywords:** authentication, VSAT, key agreement, satellite communication, elliptic curve cryptosystem.

### 1. Introduction

In general, a satellite communication is suitable for broadcasting service and long-hual transmission based on telecommunications. Due to the rapid development of satellite communication technology, a low-cost very small aperture terminal (VSAT) network can be used for data, voice, and video communications [1–3]. If we do not apply security technology for the satellite communication systems, it can be vulnerable to unauthorized access to the transmitted data. To provide strong security for the satellite communication, encryption and mutual authentication tech-

niques can be used to protect data communication in satellite communications [4–6].

In 1998, Park and Lim [7] first proposed key distribution schemes with mutual authentication to provide privacy and authentication on the VSAT satellite communications. However, Tseng [8] and Yi et al. [9], respectively, proved that Park-Lim schemes are insecure against an impersonation attack. Moreover, Tseng [8] proposed an improved scheme to remedy the impersonation attack and provide secure mutual authentication. Quite recently, Lee-Lin-Hwang [10] also proposed a secure scheme based on key agreement scheme with mutual authentication to solve the



**Figure 1.** Satellite communication environment

security problems on the VSAT satellite communications (From here, we call this scheme LLH). Comparing with other key distribution schemes for VSAT satellite communications, LLH scheme is more secure and efficient. Nevertheless, we can find out that all previously proposed schemes are inefficiently designed because they are based on the RSA cryptosystem. It means that the schemes are not efficient and not applicable for the low-power satellite communication environments because they involve high communication and computation costs.

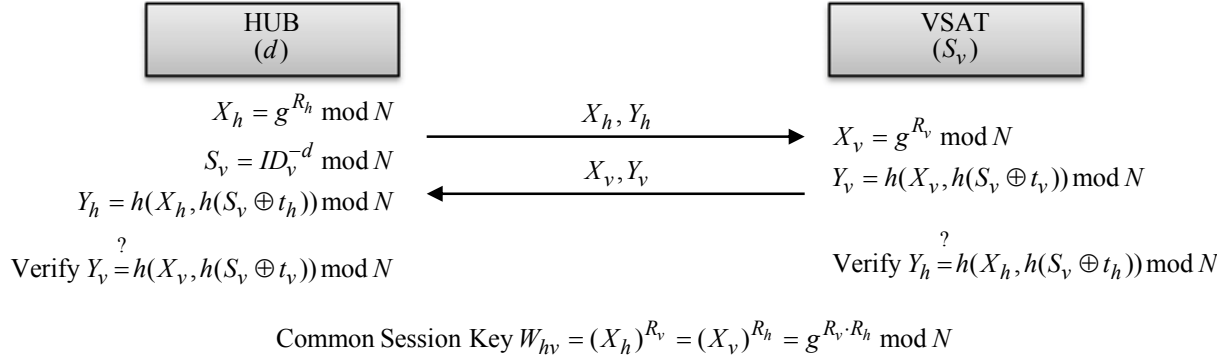
Based on these motivations, this paper proposes a new efficient and secure key agreement scheme for VSAT satellite communications based on elliptic curve cryptosystem (ECC) to minimize the complexity of computational costs between VSAT and HUB and fit VSAT satellite communication environments. In order to exploit the key block size, speed, and security jointly, the proposed scheme is based on one-way hash function and elliptic curve cryptography [11–13]. ECC presents an attractive alternative cryptosystem, because its security is based on the elliptic curve discrete logarithm problem (ECDLP) and it operates over a group of points on an elliptic curve. It can offer a level of security comparable to the classical cryptosystems that use much larger key sizes. Generally, the elliptic curve discrete logarithm problem (ECDLP) with an order of 160 bit prime offers approximately the same level of security as the discrete logarithm problem (DLP) with 1024 bit modulus [11–14]. Therefore, the proposed scheme can reduce the total execution time and memory requirement in comparison with previous related schemes. By adopting the ECC-based key agreement technique, the proposed scheme can provide strong and efficient key

agreement function with the property of perfect forward secrecy to reduce the computation loads for the VSAT. To provide practicality, the proposed scheme is composed of three sub-phases, which are initialization, VSAT registration, and common key agreement. Compared with previous schemes, the newly proposed scheme has the following more practical merits: (1) it provides secure session key agreement function by adopting elliptic curve cryptosystem, (2) it can reduce the total execution time and memory requirement due to the elliptic curve cryptography, and (3) it not only is secure against well-known cryptographical attacks but also provides perfect forward secrecy. As a result, compared with related schemes, the proposed scheme has strong security and enhanced computational efficiency. Thus, the proposed scheme is extremely suitable for use in satellite communication environments since it provides security, reliability, and efficiency.

The rest of this paper is organized as follows: Section 2 introduces the basic concept of VSAT satellite communication environment and elliptic curve cryptosystem, respectively. Section 3 briefly reviews the LLH scheme. The proposed scheme is presented in Section 4, while Section 5 discusses the security and efficiency of the proposed scheme. The conclusion is given in Section 6.

## 2. Preliminaries

This section introduces the basic concept of VSAT satellite communication environment and elliptic curve cryptosystem, respectively.



**Figure 2.** Common key generation phase of the LLH scheme

### 2.1. VSAT Satellite Communication Environment

Fig. 1 shows the proposed satellite communication environment. A VSAT network environment has a star configuration. It includes many VSATs and a single HUB. The HUB can communicate with the VSATs via the outbound links (HUB-to-VSAT) [15–17]. Contrary, a number of remote VSATs can communicate with the HUB via the inbound links (VSAT-to-HUB). The VSAT satellite communications have the following advantages [18, 19]: (1) high reliability, (2) high quality of transmission, (3) low cost communication, (4) good usage rates (e.g. independent of distance), (5) simple network installation, operation, and management. Digital video broadcasting (DVB) return channel system (DVB-RCS) [20, 21] is the best known application of satellite technology, and was standardized by the European Telecommunications Standards Institute (ETSI) [22].

In the satellite communication environment, each VSAT must perform common key generation phase procedure to authenticate the HUB for a transaction. Basically, each VSAT must register with the HUB site to obtain a secret key. Then, the VSAT uses the obtained secret key to perform the common key generation procedures with the HUB.

### 2.2. Elliptic Curve Cryptosystem (ECC)

ECC was first proposed by Koblitz [11] and Miller [12], and its security was based upon the difficulty of elliptic curve discrete logarithm problem (ECDLP). Compared with public key cryptosystem (PKC), ECC offers a better performance because it can achieve the same security with a smaller key size. For example, 160-bit ECC and 1024-bit RSA have the same security level in practice [13]. Thus, ECC-based authentication schemes are more suitable for smart cards and mobile devices than PKC-based ones.

An elliptic curve is a cubic equation of the form as follows:

$$y^2 + axy + by = x^3 + cx^2 + dx + e \quad (1)$$

where  $a, b, c, d,$  and  $e$  are real numbers. In an elliptic curve cryptosystem, the elliptic curve equation is defined as the form of

$$E_p(a, b) : y^2 = x^3 + ax + b \pmod{p} \quad (2)$$

over a prime finite field  $F_p$ , where  $a, b \in F_p, p > 3,$  and  $4a^3 + 27b^2 \neq 0 \pmod{p}$ . Given an integer  $s \in F_p^*$  and a point  $P \in E_p(a, b)$ , the point multiplication  $sP$  over  $E_p(a, b)$  can be defined as

$$sP = \underbrace{P + P + \dots + P}_{s \text{ times}}. \quad (3)$$

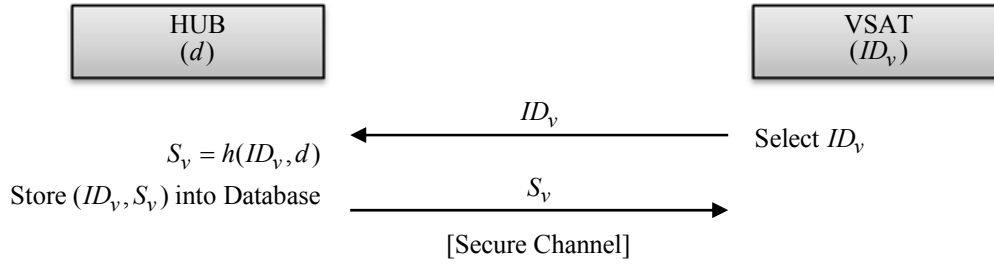
More details of ECC definitions can be found in [13]. Generally, the security of ECC relies on the difficulties of the following problems.

**Definition 1.** Given two points  $P$  and  $Q$  over  $E_p(a, b)$ , the elliptic curve discrete logarithm problem (ECDLP) is to find an integer  $s \in F_p^*$  such that  $Q = sP$ .

**Definition 2.** Given three points  $P, sP,$  and  $tP$  over  $E_p(a, b)$  for  $s, t \in F_p^*$ , the computational Diffie-Hellman problem (CDHP) is to find the point  $stP$  over  $E_p(a, b)$ .

**Definition 3.** Given two points  $P$  and  $Q = sP + tP$  over  $E_p(a, b)$  for  $s, t \in F_p^*$ , the elliptic curve factorization problem (ECFP) is to find two points  $sP$  and  $tP$  over  $E_p(a, b)$ .

Up to now, there is no algorithm to be able to solve any of the above problems.



**Figure 3.** Proposed VSAT registration phase

### 3. LLH Scheme

The LLH scheme is composed of two phases: the initiation phase and the common key generation phase.

#### 3.1. Initiation Phase

HUB is assigned to the key distribution center. The HUB generates two prime numbers  $p$  and  $q$ , and computes  $N = p \cdot q$ , chooses a random number  $d$ , and chooses a small prime  $e$  such that  $e \cdot d \equiv 1 \pmod{(p-1)(q-1)}$ . The HUB selects an integer  $g$ , which is the primitive element of both  $GF(p)$  and  $GF(q)$ . The HUB calculates the VSAT's secret key  $S_v = ID_v^{-d} \pmod{N}$ . Then the HUB stores  $p$ ,  $q$ ,  $d$  and publishes  $N$ ,  $g$ ,  $e$ .

#### 3.2. Common Key Generation Phase

HUB selects a random number  $R_h$ , and then computes  $X_h$ ,  $S_v$ , and  $Y_h$  as follows:

$$X_h = g^{R_h} \pmod{N}, \quad (4)$$

$$S_v = ID_v^{-d} \pmod{N}, \quad (5)$$

$$Y_h = h(X_h, h(S_v \oplus t_h)) \pmod{N}. \quad (6)$$

Note that  $S_v$  may be pre-computed to reduce the computational cost and  $t$  is time stamp. Thus, the HUB can store the VSAT's secret key  $S_v$  in his/her database. VSAT randomly chooses a number  $R_v$ , and calculates  $X_v$  and  $Y_v$  as follows:

$$X_v = g^{R_v} \pmod{N}, \quad (7)$$

$$Y_v = h(X_v, h(S_v \oplus t_v)) \pmod{N}. \quad (8)$$

After HUB and VSAT exchanging  $(X_h, Y_h, t_h)$  and  $(X_v, Y_v, t_v)$ , HUB can check the validity of VSAT by checking whether the following equation holds or not:

$$Y_v \stackrel{?}{=} h(X_v, h(S_v \oplus t_v)) \pmod{N}. \quad (9)$$

If the above equation holds, HUB computes the common key  $W_{hv} = (X_v)^{R_h} = g^{R_v R_h} \pmod{N}$ . In the same way, VSAT can check the validity of HUB by checking whether the following equation holds or not:

$$Y_h \stackrel{?}{=} h(X_h, h(S_v \oplus t_h)) \pmod{N}. \quad (10)$$

If the above equation holds, VSAT computes the common key  $W_{hv} = (X_h)^{R_v} = g^{R_v R_h} \pmod{N}$ . The above procedure is illustrated in Fig. 2.

## 4. Proposed Scheme

The proposed scheme is composed of three phases: the system initiation phase, the VSAT registration phase and the common key generation phase.

#### 4.1. System Initiation Phase

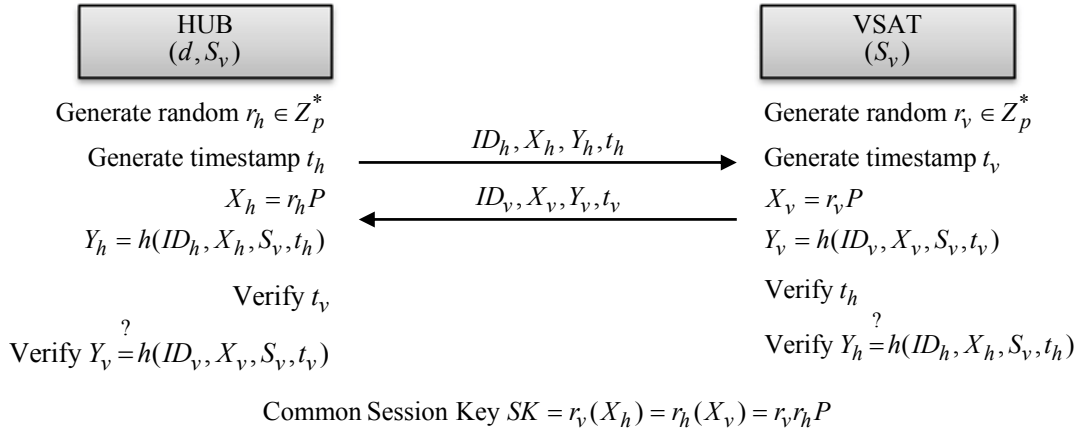
In this phase, HUB is assigned to the key distribution center and generates parameter of the system.

1. HUB chooses an elliptic curve  $E$  over a finite field  $F_p$ . Let  $E(F_p)$  denote the set of all the point on  $E$ .
2. HUB chooses a base point  $P \in E(F_p)$ , such that the subgroup generated by  $P$  has a large order  $n$ .
3. HUB chooses a secure one-way hash function  $h(\cdot)$ , where  $h : \{0, 1\}^* \rightarrow Z_p^*$ .
4. HUB selects its master key  $d$ .
5. HUB keeps  $d$  in private and publishes the parameter  $(F_p, E, n, P, h(\cdot))$ .

#### 4.2. VSAT Registration Phase

In this phase, VSAT which wants to register at the HUB should obtain its secret key  $S_v$ . The VSAT begins its registration at the HUB as follows.

1. VSAT  $\rightarrow$  HUB:  $ID_V$   
VSAT sends its identity  $ID_V$  to the HUB.



**Figure 4.** Proposed common key generation phase

2. HUB  $\rightarrow$  VSAT:  $S_v$

HUB calculates the VSAT's secret key  $S_v = h(ID_v, d)$  and delivers  $S_v$  to the VSAT function through a secure channel. Finally, the HUB securely maintains an  $ID$  database table which includes  $(ID_v, S_v)$ .

The above procedure is illustrated in Fig. 3.

**4.3. Common Key Generation Phase**

In this phase, both HUB and VSAT agree a common session key after performing a secure mutual authentication procedure. Fig. 4 shows the proposed common key generation phase.

1. HUB  $\rightarrow$  VSAT:  $(ID_h, X_h, Y_h, t_h)$

HUB obtains the stored VSAT's secret key  $S_v$  in his/her database. HUB selects a random number  $r_h \in Z_p^*$ , generates the current timestamp  $t_h$ , and then computes  $X_h$  and  $Y_h$  as follows:

$$X_h = r_h P, \quad (11)$$

$$Y_h = h(ID_h, X_h, S_v, t_h). \quad (12)$$

Finally, HUB sends  $(ID_h, X_h, Y_h, t_h)$  to VSAT.

2. VSAT  $\rightarrow$  HUB:  $(ID_v, X_v, Y_v, t_v)$

VSAT randomly chooses a number  $r_v$ , generates the current timestamp  $t_v$ , and calculates  $X_v$  and  $Y_v$  as follows:

$$X_v = r_v P, \quad (13)$$

$$Y_v = h(ID_v, X_v, S_v, t_v). \quad (14)$$

Finally, VSAT sends  $(ID_v, X_v, Y_v, t_v)$  to HUB.

3. After HUB and VSAT exchanging  $(ID_h, X_h, Y_h, t_h)$  and  $(ID_v, X_v, Y_v, t_v)$ , HUB first checks the validity of the received timestamp  $t_v$ . If it is valid, HUB can check the validity of VSAT by checking whether the following equation holds or not:

$$Y_v \stackrel{?}{=} h(ID_v, X_v, S_v, t_v). \quad (15)$$

If the above equation holds, HUB computes the common session key  $SK = r_h(X_v) = r_v r_h P$ .

4. In the same way, VSAT first checks the validity of the received timestamp  $t_h$ . If it is valid, VSAT can check the validity of HUB by checking whether the following equation holds or not:

$$Y_h \stackrel{?}{=} h(ID_h, X_h, S_v, t_h). \quad (16)$$

If the above equation holds, VSAT computes the common session key  $SK = r_v(X_h) = r_v r_h P$ .

To protect (e.g., encrypt) further information exchanged in the session, VSAT and HUB uses the one-time session key  $SK$ .

**5. Security and Performance Analysis**

**5.1. Security Analysis**

This subsection provides the proof of correctness of the proposed scheme. First, the security terms [14] needed for the analysis of the proposed scheme are defined as follows:

**Definition 4.** A strong secret key ( $S_v$ ) has a value of high entropy, which cannot be guessed in polynomial time.

**Definition 5.** A secure chaotic one-way hash function  $y = h(x)$  is where given  $x$  to compute  $y$  is easy and given  $y$  to compute  $x$  is hard.

Here, five security properties: guessing attack, replay attack, impersonation attack, secure mutual authentication, and perfect forward secrecy, will be considered for the proposed scheme.

1. *Guessing attack.* In an off-line guessing attack, an adversary  $A$  guesses a long-term secret key and verifies his/her guess, but he/she does not need to participate in any communication during the guessing phase. In an undetectable on-line guessing attack, an adversary  $A$  searches to verify a guessed long-term secret key in an on-line transaction and a failed guess cannot be detected and logged by the server. Suppose that an adversary  $A$  intercepts the messages  $(ID_h, X_h, Y_h, t_h)$  from HUB and wants to guess the secret key  $S_v = h(ID_v, d)$  from the message, where  $d$  is the master key  $d$  of HUB. First,  $A$  chooses a value which is regarded as  $S_v^*$  and checks whether the equation  $Y_h \stackrel{?}{=} h(ID_h, X_h, S_v^*, t_h)$  holds; if it shows that  $S_v^* = S_v$ , then  $A$  finds the correct secret key  $S_v$ . Due to the fact of Definitions 4 and 5, it is difficult to directly find the secret key  $S_v$  without knowing the master key  $d$  of HUB. Therefore, the proposed scheme can resist the guessing attack.
2. *Replay attack.* A replay attack is that an unauthorized party records previous messages and uses them to cheat the receiver in later processes. The replay attacks fail because the freshness of the messages transmitted in the common key generation phase is provided by the timestamps  $t_h$  and  $t_v$ . Except for VSAT (or HUB), only HUB (or VSAT) who can embed the secret value  $S_v$  and two timestamps in the hashed message  $Y_v = h(ID_v, X_v, S_v, t_v)$  of Step (1) (or  $Y_h = h(ID_h, X_h, S_v, t_h)$  of Step (2)), respectively. For example, suppose that an adversary  $A$  intercepts the message  $(ID_h, X_h, Y_h, t_h)$  from HUB and then stores it in his/her system. After a while,  $A$  sends the old message  $(ID_h, X_h, Y_h, t_h)$  to VSAT to impersonate HUB. Then, VSAT will detect the replay attack by checking the freshness of the timestamp  $t_h$ . Therefore, the proposed scheme can prevent replay attacks.
3. *Impersonation attack.* In the proposed scheme, an adversary  $A$  can try the impersonation attack to forge the  $(ID_h, X_h, Y_h, t_h)$ . Assume

that  $A$  pretends that he/she is HUB and forges  $(ID_h, X_h, Y_h, t_h)$ . Firstly,  $A$  chooses a random number  $r_h$  and computes  $X_h = r_h P$ . Then,  $Y_h = h(ID_h, X_h, S_v, t_h)$  is computed and  $(ID_h, X_h, Y_h, t_h)$  is sent to VSAT. After VSAT receives  $(ID_h, X_h, Y_h, t_h)$  from  $A$ , VSAT can check the validity of HUB by checking whether the equation  $Y_h \stackrel{?}{=} h(ID_h, X_h, S_v^*, t_h)$  holds or not. Because  $A$  does not have the secret key  $S_v$  and  $S_v$  is difficult to guess due to the fact of Definitions 4 and 5, VSAT will reject the adversary  $A$ 's forged message.

4. *Secure mutual authentication.* Mutual authentication schemes enable participants mutually to authenticate each other's identity. That is, it means that both the VSAT and HUB are authenticated to each other within the same protocol. After HUB and VSAT exchanging  $(ID_h, X_h, Y_h, t_h)$  and  $(ID_v, X_v, Y_v, t_v)$ , both HUB and VSAT will check if the hashed message  $Y_v$  or  $Y_h$  contains the secret value  $S_v$ , its computed  $X_v$  or  $X_h$ , and the timestamps  $t_v$  and  $t_h$ , respectively. Since the hashed messages included two timestamps  $t_v$  and  $t_h$ , both HUB and VSAT will believe the  $i$ -th random nonce  $t_v$  or  $t_h$  was originally sent from VSAT and HUB, respectively. HUB and VSAT agree a one-time session key  $SK = r_v r_h P$  to protect (e.g., encrypt) further information exchanged in the session. By adopting Elliptic Curve Diffie-Hellman key exchange algorithm (e.g.,  $r_v P, r_h P, r_v r_h P$ ,  $SK = r_v r_h P$ , where  $P$  is a generator), the proposed scheme can also provide perfect forward secrecy. Therefore, the proposed scheme can provide secure mutual authentication and session key agreement.
5. *Perfect forward secrecy.* Perfect forward secrecy means that if long-term private keys of one or more entities are compromised, the secrecy of previous session keys established by honest entities is not affected. In the proposed scheme, a disclosed long-lived secret keys  $d$  cannot derive the session key  $SK = r_v r_h P$  used before because without getting the used random integers  $r_v$  and  $r_h$ , nobody can compute the used session key  $SK$ . If an attacker wiretaps all conversations of the medium and derives some used random point elements  $r_v P$  and  $r_h P$ , he/she could not compute the used session key  $SK$ . This problem is the Elliptic Curve Diffie-Hellman key exchange algorithm based on ECDLP and CDHP of Definitions 1 and 2. Therefore, the proposed scheme provides perfect forward secrecy.

**Table 1.** Efficiency comparisons between the proposed scheme and related schemes

	HUB	VSAT	Total
Park-Lim scheme [7]	$7T_{exp} + 9T_{mul} + 2T_h$	$8T_{exp} + 2T_{mul} + T_h$	$15T_{exp} + 11T_{mul} + 3T_h$
Tseng scheme [8]	$5T_{exp} + 4T_{mul} + 2T_h$	$5T_{exp} + 4T_{mul} + 2T_h$	$10T_{exp} + 8T_{mul} + 4T_h$
LLH scheme [10]	$2T_{exp} + 4T_h$	$2T_{exp} + 4T_h$	$4T_{exp} + 8T_h$
Proposed scheme	$2T_{pm} + 2T_h$	$2T_{pm} + 2T_h$	$4T_{pm} + 4T_h$

## 5.2. Performance Evaluation

In the following, we show the performance of our proposed scheme. The performance evaluation of the proposed scheme mainly concerns the time complexity. For convenience, we suppose some notations are used to analyze the computational complexity as follows:

- $T_{exp}$  is the time for executing a modular exponentiation operation;
- $T_{pm}$  is the time for executing an elliptic curve multiplication operation;
- $T_{mul}$  is the time for modular multiplication.
- $T_h$  is the time for executing the one-way hash function  $h(\cdot)$ .

Table 1 summarizes the comparison among Park-Lim scheme [7], Tseng scheme [8], LLH scheme [10], and the proposed scheme.

Considering the computational complexity in the Park-Lim scheme with  $ID$  [7], the total computational complexity required for the HUB is  $7T_{exp} + 9T_{mul} + 2T_h$ . The total computational complexity required for the VSAT is  $8T_{exp} + 2T_{mul} + T_h$ . The total complexity for the Park-Lim scheme with  $ID$  is  $15T_{exp} + 11T_{mul} + 3T_h$  as shown in Table 1.

Considering the computational complexity in the Tseng scheme with  $ID$  [8], the total computational complexity required for the HUB is  $5T_{exp} + 4T_{mul} + 2T_h$  for computing HUB. The total computational complexity required for the VSAT is  $5T_{exp} + 4T_{mul} + 2T_h$ . The total computational complexity required for the Tseng scheme is  $10T_{exp} + 8T_{mul} + 4T_h$  as shown in Table 1.

Considering the computational complexity in the LLH scheme with  $ID$  [10], the total computational complexity required for the HUB is  $2T_{exp} + 4T_h$  for computing HUB. The total computational complexity required for the VSAT is  $2T_{exp} + 4T_h$ . The total computational complexity required for the LLH scheme is  $4T_{exp} + 8T_h$  as shown in Table 1.

In the proposed scheme, considering the computational complexity required for the HUB, the HUB is needed to compute  $X_h, Y_h, S_v$ , and  $SK$ . Note that  $S_v$  may be pre-computed to reduce the computational cost. Thus, the HUB is only needed to compute

$X_h, Y_h$ , and  $SK$  on line. They respectively require  $T_{pm}, T_h$ , and  $T_{pm}$ . Meanwhile, the HUB must check whether the equation  $Y_v = h(ID_v, X_v, S_v, t_v)$  holds or not, which takes  $1T_h$ . Therefore, the total computational complexity required for the HUB is  $2T_{pm} + 2T_h$ . As for the complexity for the VSAT, the VSAT is needed to compute  $X_v, Y_v$ , and  $SK$ . They respectively require  $T_{pm}, T_h$ , and  $T_{pm}$ ; it also needs to check whether the equation  $Y_h = h(ID_h, X_h, S_v, t_h)$  holds or not with the same cost of  $T_h$ . Therefore, the total computational complexity required for the VSAT is  $2T_{pm} + 2T_h$ . Thus, the total computational complexity required for our scheme is  $4T_{pm} + 4T_h$ .

We should point out that the computation cost of modular exponentiation ( $T_{exp}$ ) is much more expensive than that of Elliptic curve point multiplication ( $T_{pm}$ ). In conclusion, the proposed scheme is more efficient than others.

## 6. Conclusions

This paper proposed a new efficient and secure key agreement scheme for VSAT satellite communications based on elliptic curve cryptosystem (ECC) to minimize the complexity of computational costs between VSAT and HUB and fit VSAT satellite communication environments. We have shown that the newly proposed scheme has the following more practical merits compared with previously related schemes: (1) it provides secure session key agreement function by adopting elliptic curve cryptosystem, (2) it can reduce the total execution time and memory requirement due to the elliptic curve cryptography, and (3) it not only is secure against well-known cryptographical attacks but also provides perfect forward secrecy. As a result, we believe that the proposed scheme is extremely suitable for use in satellite communication environments since it provides security, reliability, and efficiency.

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