4.3 A Second-Order Semi-Digital Clock Recovery Circuit Based on Injection Locking

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Clock recovery circuits are among the most critical components in communication systems. A dual-loop architecture, in which the frequency synthesizer and the clock aligner are separated, has been used extensively due to the conflicting needs to suppress jitter accumulation and filter noisy input [1]. Among different frequency synthesis architectures, a multiplying delaylocked loop (MDLL) is advantageous when a clean reference clock is available since the oscillator noise is accumulated only over one reference clock cycle before being reset by the clean source [2]. However, this instantaneous correction produces large cycle-to-cycle jitter and duty-cycle distortion (jointly called clock distortion hereafter) for the downstream clock and data paths. The clock aligner, however, requires a low bandwidth for input jitter filtering. Its control loop is often implemented as a first order system using digital circuits that are flexible, easy to implement, and robust against noise. However, a first-order system is limited in its ability to filter input jitter and track frequency offset simultaneously. Furthermore, for an infinite phase range the timing vernier is often implemented using multi-phase interpolation that is expensive in terms of area and power [1]. In this paper, a clock recovery circuit that overcomes these limitations is described.

Figure 4.3.1 shows the top-level architecture consisting of a frequency synthesizer, a jitter-filtering timing vernier and a secondorder digital phase controller. To reduce clock distortion, the output of the MDLL is injected into a slave replica oscillator, acting as a first-order low-pass filter on the phase error. This is shown on the right of Fig. 4.3.1, where I_c is the current bias for the delay element and I_m is the maximum current bias for the injection devices. The injection coefficient is defined as $I_m/(I_c+I_m)$ and is roughly the amount of corrected phase per injection divided by the phase error between the master and slave oscillators. I_{0} is described in the next paragraph and is assumed to be I_m for ease of understanding. Since injection occurs at the multiplied frequency, the error correction bandwidth is made high to suppress jitter accumulation. Yet, any high-frequency jitter, such as reference clock injection, is attenuated and spread out over multiple clock cycles. For example, if the clock frequency is 1GHz and the injection strength is 1/10, the error correction bandwidth is about 20MHz and the clock distortion is attenuated by 90%. The injection strength must be strong enough to cover the lock range of the slave oscillator over the statistical variation of devices.

Injection locking is also used in the timing vernier to vary the phase of the slave oscillator with respect to the master oscillator. In Fig. 4.3.1, I_o can be decreased (increased) to advance (delay) the slave oscillator with respect to the master oscillator. When the strength of B_1 (B_o) reaches I_m , B_o (B_1) can be inverted to further advance (delay) the slave oscillator. A full 360° phase adjustment range is achieved. The master and slave oscillators are identical with slightly different connections to ensure frequency matching. For example, the master oscillator also contains injection devices for reference clock injection and both the master and slave oscillators have identical buffers at the outputs for equal loading. For clarity, these devices are not shown in Fig. 4.3.1.

A phase control unit accepts binary *early* and *late* indications from the phase detector, performs some filtering, and generates the appropriate current bias for the timing vernier. Previous implementations of the phase control unit are first-order in that they simply count the number of early (late) and delay (advance) the clock phase when a threshold is reached. This implementation trades off frequency tolerance with input jitter filtering. With a counter size of N, the phase lag between the optimal sample point (where *early* crosses *late*) and the clock, assuming uniformly distributed jitter, is $(\Delta fx JPN)/(2d)$, where Δf is the frequency offset, P is the number of phase steps per unit interval (UI), d is the edge density, and J is the p-p input jitter. On the other hand, the counter size also affects the amount of phase wander due to insufficient input filtering. The phase wander probability with a uniformly distributed input jitter of 0.5UI using various phase counter sizes is shown in Fig. 4.3.2, calculated using a Markov chain. A larger counter size leads to a smaller phase wander but a larger phase lag. To overcome this limitation, a frequency control loop is introduced that advances or delays the clock continuously, as shown in Fig. 4.3.3, where the frequency of *bclk* is half of the bit rate. The *up* and *down* signals of the frequency control loop are added to those from the phase control loop. A frequency generator produces three pulsed signals whose frequencies divided by P are 122ppm, 61ppm and 30.5ppm of the bit rate. A saturating counter selects these signals to produce the desired frequency. This circuit allows 240ppm frequency offset but the largest frequency offset the phase counter sees is 30.5ppm. This enables the utilization of a larger phase counter to reduce the phase wander without compromising the frequency tolerance. The frequency pre-counter size and phase counter size are programmable for different applications.

This circuit, implemented in a 0.18µm CMOS technology with a 1.8V supply, is used in several high bandwidth communication devices containing as many as 140 3.125Gb/s serial I/Os with per lane clock and data recovery (CDR). The CDR and 1:8 deserializer consume 80mW at 3.125Gb/s in the worst case and occupy an area of 1mm by 160µm. Figure 4.3.4 shows the jitter tolerance of the CDR with and without the second-order frequency loop at 2.5Gb/s. The transceiver is running at a 200ppm frequency offset with a 23b pseudo-random bit sequence. The improvement at low and high frequencies with the second-order loop is 0.1-0.2UI, consistent with the phase lag at 200ppm. The fluctuation between 500kHz and 3MHz is due to the peaking behavior of the second-order loop. Figure 4.3.5 shows the timing vernier step sizes over four different lanes. The measurement is taken over a full 800ps clock cycle (two bit times) that contains 128 steps. The maximum step size is 22ps and the minimum -5ps. The large peaks and the negative steps on the plot are due to the binary encoding of the timing vernier current bias. It has subsequently been changed to thermometer encoding to reduce this problem. Figure 4.3.6 shows the jitter transfer from the reference clock to the output for an MDLL with and without the slave oscillator. The reference clock frequency is 125MHz and the multiplication factor is 8. The addition of the slave oscillator creates a 20MHz pole in the jitter transfer, indicating that the injection strength is about 1/10. This implies that the clock distortion is reduced by 90%.

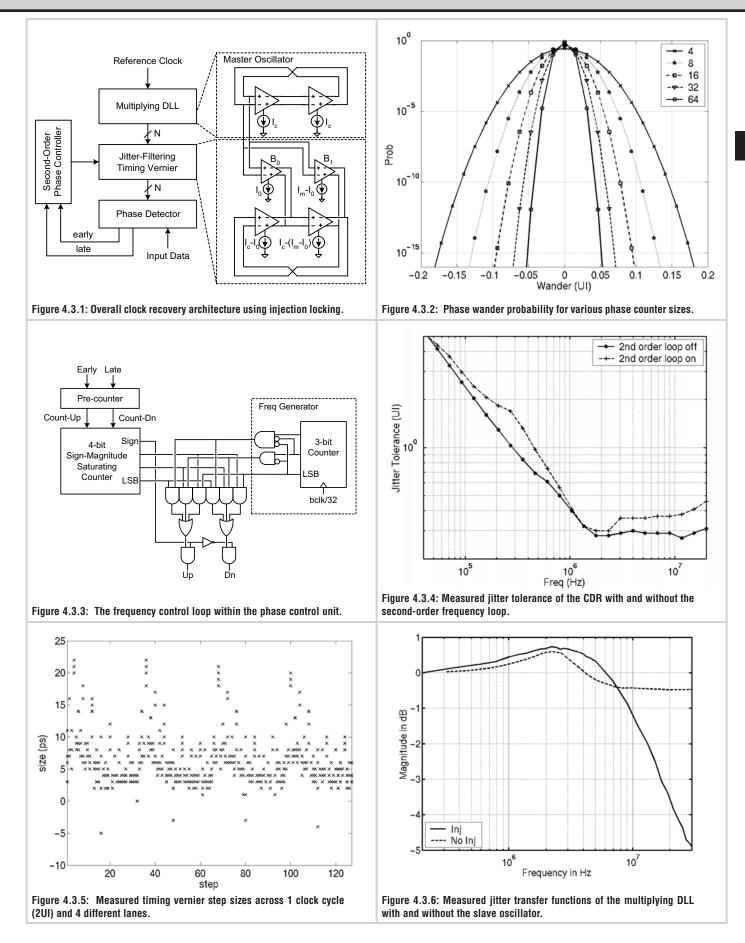
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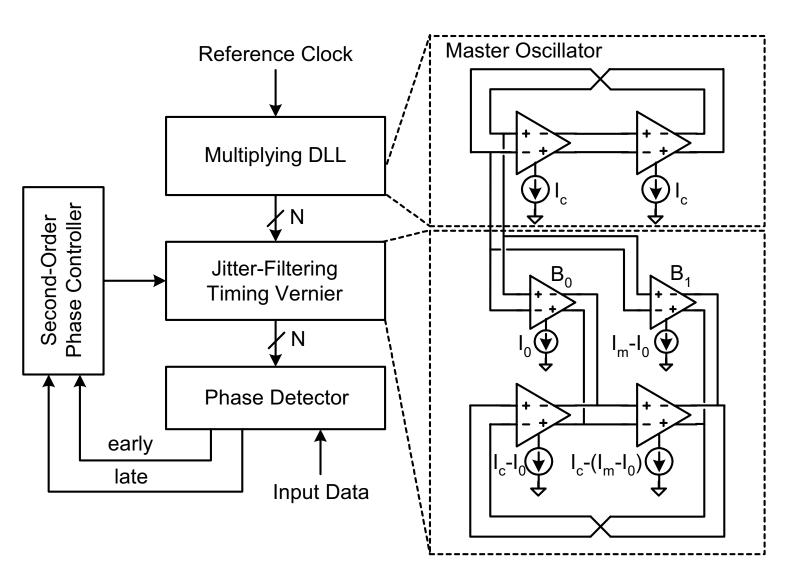


Figure 4.3.1: Overall clock recovery architecture using injection locking.

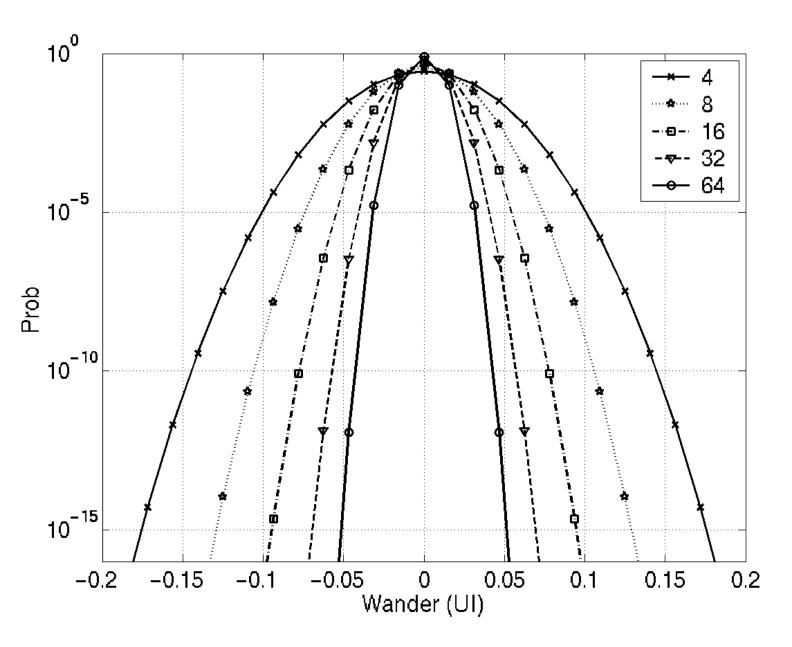


Figure 4.3.2: Phase wander probability for various phase counter sizes.

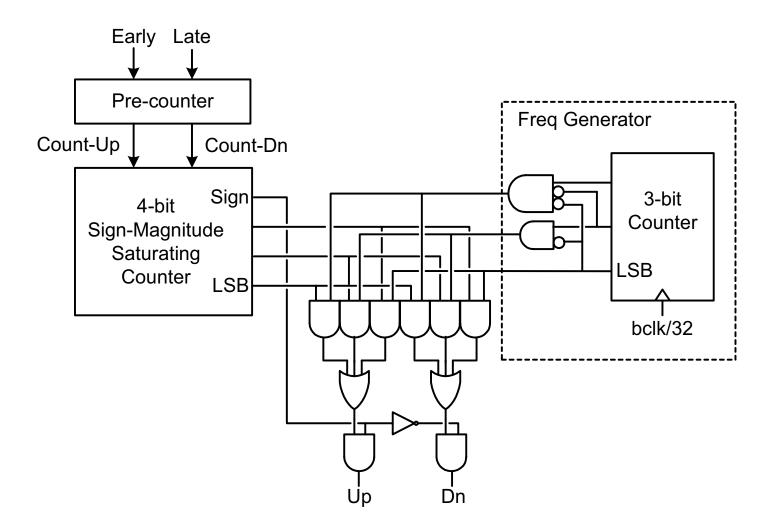


Figure 4.3.3: The frequency control loop within the phase control unit.

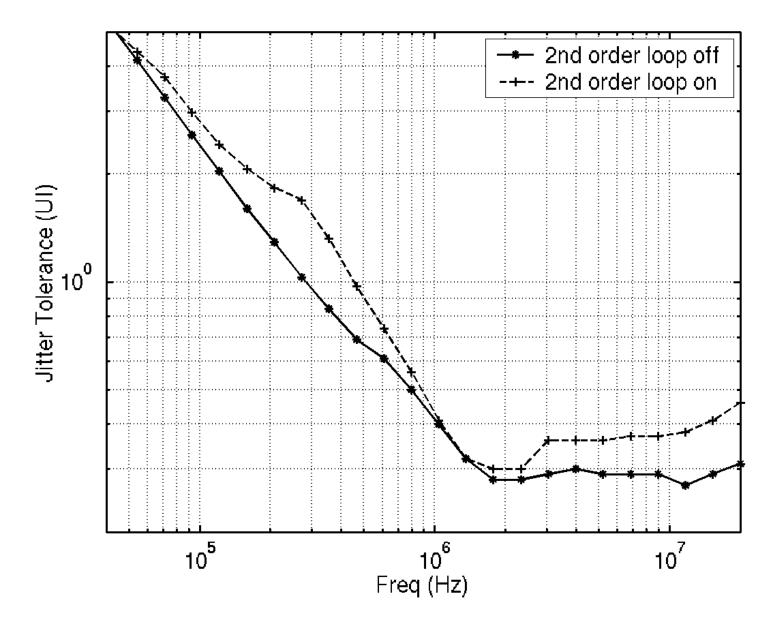


Figure 4.3.4: Measured jitter tolerance of the CDR with and without the second-order frequency loop.

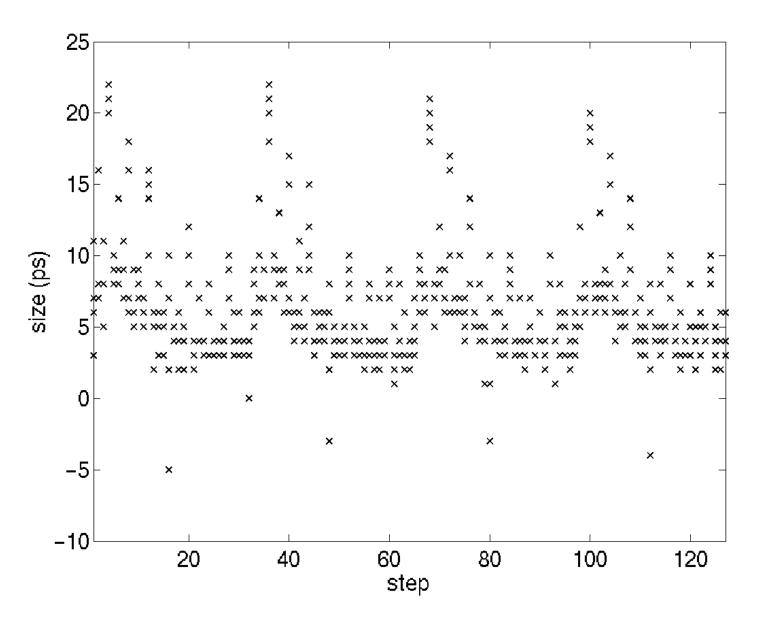


Figure 4.3.5: Measured timing vernier step sizes across 1 clock cycle (2UI) and 4 different lanes.

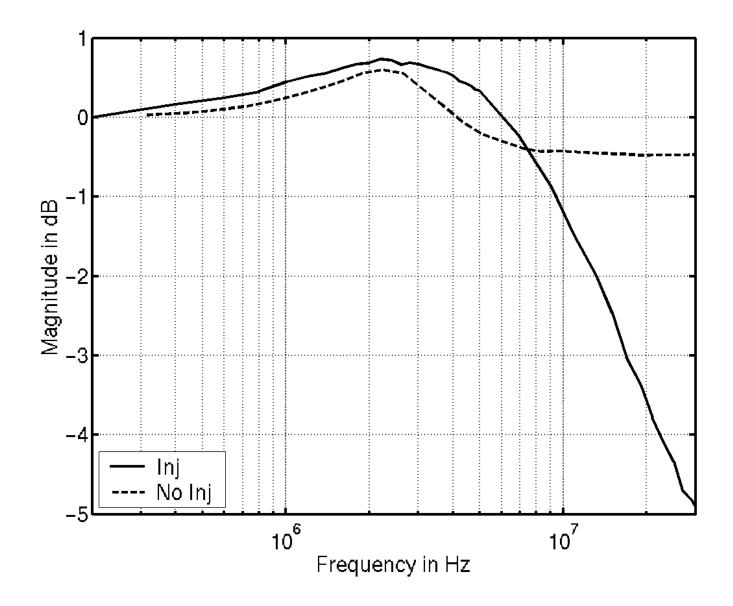


Figure 4.3.6: Measured jitter transfer functions of the multiplying DLL with and without the slave oscillator.