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# A Secure Authentication Protocol for Internet of Vehicles

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**ABSTRACT** An Internet of Vehicles (IoV) allows forming a self-organized network and broadcasting messages for the vehicles on roads. However, as the data are transmitted in an insecure network, it is essential to use an authentication mechanism to protect the privacy of vehicle users. Recently, Ying *et al.* proposed an authentication protocol for IoV and claimed that the protocol could resist various attacks. Unfortunately, we discovered that their protocol suffered from an offline identity guessing attack, location spoofing attack, and replay attack, and consumed a considerable amount of time for authentication. To resolve these shortcomings, we propose an improved protocol. In addition, we provide a formal proof to the proposed protocol to demonstrate that our protocol is indeed secure. Compared with previous methods, the proposed protocol performs better in terms of security and performance.

**INDEX TERMS** Internet of Vehicles, authentication, anonymity, smart card.

#### I. INTRODUCTION

An Internet of Vehicles (IoV) allows for vehicles on roads to form a self-organized network. It provides multiple benefits, such as an in-built warning system that warns drivers of accidents so that they can decide quickly based on the provided roadside information. More sophisticated information can be possibly shared between vehicles and improve the safety and accuracy of auto-piloted vehicles. However, in the absence of an effective security and privacy measurement, an adversary can easily gather the transmitted data via networks that typically contain the private data of vehicle users. In addition to privacy concerns, data integrity or data authenticity is an important security topic in IoV. It might cause a tragedy if an adversary can generate fake messages to misguide a human driver or an auto pilot AI to make the wrong decisions. Those adversaries might attack the networks solely because of terrorism. They might also attempt to gain certain benefits from providing false information to other vehicles, such as attracting traffic to pass by their shops or competing parking lots.

Owing to IoV adversaries, it is essential to authenticate a vehicle before allowing it to join the network. A typical authentication scenario in a IoV is shown in Fig. 1. A vehicle  $V_i$  sends the join request to the trust authority (TA) with the

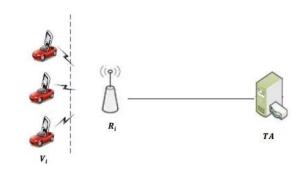


FIGURE 1. Typical authentication scenario of IoV.

assistance of a roadside unit  $(R_i)$ . When the TA receives the request, it authenticates the vehicle and  $R_i$  and accepts joining request of  $V_i$  only if both  $R_i$  and  $V_i$  are legitimate.

Recently, many authentication protocols for IoV have been designed to protect the security of vehicles. In 2017, Ying *et al.* proposed an anonymous and lightweight authentication for secure vehicular networks called the ASC protocol [1]–[4]. They claimed that the ASC protocol could resist various attacks. However, we found that it is still vulnerable to offline identity guessing attacks and computation during authentication is time consuming. To address these shortcomings, we propose a new protocol to solve the abovementioned problems. We also demonstrate that the proposed protocol is indeed secure with a formal proof. According to our performance analysis, the proposed protocol is more efficient compared with the previous related protocols.

The remainder of this paper is organized as follows. In Section II, we introduce state-of-the-art authentication protocols for the IoV. Subsequently, we review the ASC protocol in Section III and demonstrate that the ASC protocol is vulnerable to various attacks in Section IV. Next, we describe the assumptions and definitions that are required for our protocol. In Section VI, we present our proposed protocol. Sections VII and VIII further demonstrate that our proposed protocol is secure and efficient. Finally, we present the concluding remarks in Section IX.

#### **II. RELATED WORK**

Compared to traditional wireless networks, challenges in IoV involve more technical problems such as key distribution, privacy, mobility, incentives, bootstrap, and low tolerance for errors [5]. Currently, both industry and academia have introduced several approaches to protect the vehicular users' privacy and efficient authentication. The public key infrastructure (PKI) was first proposed to realize mutual authentication and key distribution among network vehicular users [6]–[14]. In 2005, Capkun and Hubaux [6] and Lazos et al. [7] each proposed an authentication protocol. In both protocols, the vehicles' location and public key signatures were used to prevent an attacker sitting on a roadside from claiming to be a legal vehicular user traveling on a highway. However, when considering large vehicle populations and limited storage requirements, the above location-based PKI security schemes are inefficient. Studier et al. [9], Lin et al. [10], and Ying et al. [11] proposed an authentication protocol based on hash chains. Unfortunately, these schemes did not provide vehicular user anonymity that could prevent attackers from obtaining sensitive information such as driver names and license plates. To reduce privacy leakage, anonymous authentication methods have been proposed to hide real identities [13], [14]. In [13] and [14], an ID is mapped to a distinct pseudo identity, and only the TA can retrieve the real identity from any pseudo identity.

Regarding large vehicle populations, the collection and storage of traffic-related data are highly challenging. To solve this, some approaches have been proposed to integrate cloud computing into vehicular networks such that the vehicles can share computation resources, storage resources, and bandwidth resources. Typically, a vehicular cloud, roadside cloud, and central cloud were included in these approaches [15]–[17]; however, each approach has its unique consideration. In Olariu *et al.*'s protocol [15], autonomous vehicular clouds were proposed to exploit underutilized resources. Bernstein *et al.* [16] proposed a platform-as-a-service cloud computing platform to solve cases where the clients are highly mobile, interactive, and functional. In Hussain *et al.*'s study [17], IoV clouds were divided into three architectural

frameworks: vehicular clouds (VCs), vehicles using clouds (VuCs), and hybrid vehicular clouds (HVCs). Vehicles act as cloud service providers and clients in VCs and VuCs, respectively, and as both in HVCs.

Some scholars focused on the challenge of providing privacy to IoV users. The conditional privacy preserving authentication (CPPA) protocol was proposed to address this need. In the CPPA protocol, an attacker cannot obtain the real identity of a IoV user from the communication messages. Only trusted authority can identify the real identity of the IoV user from a given message that he/she has sent. This is to assure that the privacy of the IoV user is preserved while the system quickly revokes any dishonest user.

Shim [18] proposed a CPPA scheme using ID-based cryptography. A roadside unit (RSU) can authenticate the message in batch to reduce the computation overhead; in exchange, the trusted authority would require more time in handling vehicle revocation. Jianhong *et al.* [19] proposed another ID-based CPPA scheme that optimized the computation overheads and also supported batch authentication such as the study of Shim *et al.* However, it was reported that the scheme could not provide data integrity [20], [21]. Zhong *et al.* [4] recently proposed a CPPA scheme that reduces the vehicle revocation process and allows IoV users to modify their passwords more efficiently. Unfortunately, their scheme cannot provide unlinkability. An attacker of the system can match the vehicle registration time  $T_{OBU}^{reg}$  in the protocol to associate the owners of two messages.

Recently, some studies have suggested using smart cards to realize anonymous and lightweight authentication for secure vehicular networks [1], [3]. Wong *et al.* [1] provided an authentication protocol that imposes a light computational load owing to the usage of simple operations, such as the one-way hash function and XOR operations. In [2] and [3], to ensure strong security, Diffie-Hellman key exchange protocol was used when performing authentication. Unlike the literature above, with the usage of smart cards, extra parameters can be used as the building blocks of secure applications.

#### **III. REVIEWS OF THE ASC PROTOCOL**

This section briefly presents the ASC protocol for IoV. Three roles are present in the protocol. It is assumed that a single TA exists that manages all vehicles in the city. Many RSUs are managed by the TA. Each vehicular user (or driver) must be registered with the TA once and will be given a smart card. Users must insert the smart card into a vehicle before they can obtain a secure communication with the IoV. Their protocol consists of five phases: the user registration phase where each user registers with the TA; the user login phase where each user logs in to a vehicle with the smart card; the user authentication phase where a vehicle attempts to establish a secure communication session with the TA, the data authentication phase where secure datagrams are sent; the password change phase where the vehicular user attempts to change his/her passwords. We focus on the user login phase, user authentication phase, and data authentication phase

#### TABLE 1. Notations used herein.

Notation	Description		
$V_i$	A vehicle <i>i</i>		
$R_i$	the roadside unit <i>i</i>		
x  and  y	the TA's secret key and public key		
$H_i(\dot{)}$	the hash functions, $i = 0, 1, 2, 3$		
$\oplus$	exclusive-or operation		
	string concatenation		

where severe security problems are found. The notations used in this section are listed in Table 1.

#### A. USER REGISTRATION PHASE

A vehicular is required to be registered before accessing the network for the first time. If a vehicular  $V_i$  desires to register with the *TA*, the following steps are performed.

- Step 1:  $V_i$  selects its identity  $ID_{V_i}$  and password  $PW_i$ , and generates a random number  $n_i$ . Subsequently,  $V_i$  sends  $\{ID_{V_i}, H_0(PW_i||n_i)\}$  to the *TA* through a secure channel.  $V_i$  will remember or record  $PW_i$  and  $n_i$  for the user login phase later.
- Step 2: While receiving the registration request at time  $T_{reg}$ , the *TA* computes the following:

$$PVID_{V_i} = H_0(ID_{V_i})$$
  

$$A_i = H_0(H_0(PW_i||n_i)||PVID_{V_i})$$
  

$$N_i = H_0(PW_i||n_i) \oplus H_0(x||PVID_{V_i}||T_{reg}).$$

Step 3: The *TA* issues the data  $\{A_i, N_i, g, p, y, H_0, H_1, H_2, H_3\}$  into a smart card and sends this card to  $V_i$ . It is noteworthy that *x* and *y* are the *TA*'s private key and public key, respectively, where  $y = g^x \mod p$ . The computed values are also stored securely in the *TA*'s database.

#### **B. USER LOGIN PHASE**

 $V_i$  can perform this phase via the following steps to log in to a vehicle with the given smart card.

Step 1:  $V_i$  inserts the smart card into a vehicle and inputs  $ID_{V_i}$ ,  $PW_i$ , and  $n_i$ .

Step 2: The smart card computes

$$A_i^* = H_0(H_0(PW_i||n_i)||H_0(ID_{V_i}),$$

and verifies it against the stored  $A_i$ . The smart card shall return a fail if the values are not matched.

#### C. USER AUTHENTICATION PHASE

When the vehicle attempts to establish a secure communication with a *TA*, the user authentication phase is invoked. As illustrated in Fig. 2, the steps can be explained as below:

Step 1: The smart card of  $V_i$  computes the following

$$k = N_i \oplus H_0(PW_i||n_i)$$

$$C_1 = y^{H_0(ID_{V_i})} \mod p$$

$$DIDV_{i,j} = H_0(C_1||H_0(ID_{V_i})||n_j)$$

$$CV_i = H_0(DIDV_{i,j}||k)$$

DIDV is called the dynamic login identity, where  $n_j$  is a random number and  $T_{V_i}$  is the current timestamp. Subsequently, it sends the login message { $DIDV_{i,j}$ ,  $CV_i$ ,  $n_i$ ,  $T_1$ } to an RSU,  $R_i$ .

Step 2: When  $R_i$  receives the login message at time  $T_2$ , it aborts the protocol by verifying the timeout equation  $T_2 - T_1 \ge \Delta T$ . Otherwise, it computes

$$DIDR_i = DIDV_{i,i} \oplus H_0(ID_{R_i}).$$

It sends  $\{DIDR_i, CV_i, n_j, T_2\}$  to the TA.

Step 3: On receiving the message from  $R_i$  at time  $T_3$ , the TA first verifies  $T_3 - T_2 \le \Delta T$  and aborts when it is timed out. Subsequently, it verifies the value of  $C_1$  by

$$C_1 = y^{PVID_{V_i}} \mod p. \tag{1}$$

Subsequently, it computes the following:

$$DIDV_{i,j}^* = H_0(C_1 || PVID_{V_i} || n_j)$$
  

$$H_0(ID_{R_i}^*) = DIDV_{i,j}^* \oplus DIDR_i$$
  

$$k = H_0(x || PVID_{V_i} || T_{reg})$$

Here,  $H_0(ID_{R_i}^*)$  is used to validate the identity of  $R_i$ . It validates the value  $CV_i$  by  $H_0(DIDV_{i,j}^*||k)$  and terminates the protocol if any of the above verification does not hold. <sup>1</sup> The *TA* subsequently computes the following:

$$C_3 = H_1(PVID_{V_i}||k)$$
  

$$K_s = H_1(C_3)$$
  

$$M_i = E_{K_S}(K_c \oplus k).$$

It sends  $\{C_3, M_i, T_3\}$  to  $R_i$ .

- Step 4: When  $R_i$  receives the message from the *TA* at time  $T_4$ , it verifies whether  $T_4 T_3 \leq \Delta T$ , and aborts otherwise. Subsequently, it sends  $\{C_3, M_i, T_4\}$  to  $V_i$ .
- Step 5: On receiving the message from  $R_i$  at time  $T_5$ ,  $V_i$  verifies whether  $T_5 - T_4 \le \Delta T$ . It computes  $C_3^* = H_1(H_0(ID_{V_i})||k)$  and validates  $C_3$  against  $C_3^*$ . It terminates the protocol if any of the above verification fails. It computes  $K_s^* = H_1(C_3)$  and uses it to decrypt  $M_i$  to obtain  $K_c$ . The value  $K_c$ will be served as a session key for further data transfer in the data authentication phase. The data authentication phase and password changing phase are not illustrated for simplicity.

#### **IV. PROBLEMS WITH THE ASC PROTOCOL**

Despite the ASC protocol exhibiting a better performance over the previous schemes [22]–[25], we found that the protocol does not scale up reasonably. Worst still, severe security problems occurred in the protocol despite a formal proof being provided in the original paper to prove security. We found that the protocol is insecure against an offline identity guessing attack [26], [27], a session linking attack,

 $^{\rm l}$  We found some problems in their original description that may hinder the readers from understanding the protocol.

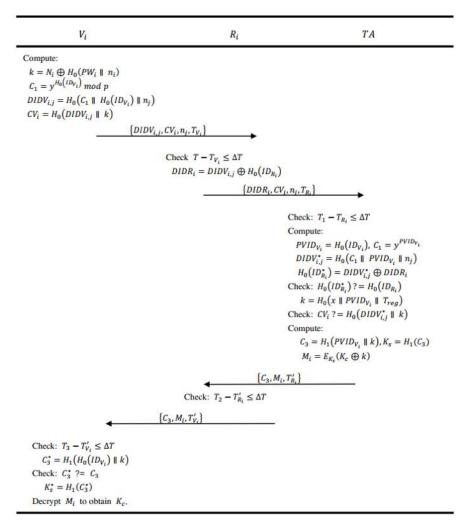


FIGURE 2. User authentication phase of Ying et al.'s protocol.

and a replay attack. The first two attacks allow for an attacker to break the anonymous property by linking two anonymous sessions of the same individual or even recovering a vehicle user's identity from an anonymous session. The third attack allows an attacker to impersonate a legitimate vehicle user without obtaining its smart card or password. In this section, we first demonstrate each of these problems, followed by identifying the fault of the formal proof given in the original paper to justify our claim.

#### A. SCALABILITY PROBLEM

In the user authentication phase of the ASC protocol, the *TA* is required to validate the message received with Eq. 1. However, this equation cannot be computed because  $PVID_{V_i}$  is not sent over the network. Subsequently, computing  $DIDV_{i,j}$ is also problematic. The only possible method for the *TA* to perform this protocol is to iterate every possible registered user  $V_{\kappa}$  and compute the following:

$$PVID_{V_{\kappa}} = H_0(ID_{V_{\kappa}}) \tag{2}$$

$$C_{\kappa} = y^{PVID_{V_{\kappa}}} \mod p \tag{3}$$

$$DIDV_{\kappa,j} = H_0(C_{\kappa}||PVID_{V_{\kappa}}||n_j).$$
(4)

Subsequently, the TA can confirm the identity of  $V_{\kappa}$  if  $DIDV_{\kappa,i}$  equals  $H_0(ID_{\kappa}) \oplus DIDR_i$ . Otherwise, the TA must use another registered user. Even with pre-computation, only Eq. 2 and 3 can be pre-computed while Eq. 4 depends on a large random value  $n_i$  that must be computed on the spot. In most IoV applications that require fast response and support of a large number of users, fetching data intensively and computing a number of users are impractical. The time required for one hash computation was measured as 0.00074 ms [2]. Assume that we need to support one million users; therefore, an average of 0.37 s is required to identify the identity of a user, and 0.74 s to reject an attack message. This number does not include the times required for fetching the pre-computed data from the database and the concurrent authentication protocol request from other vehicles. This can allow for a denial-of-service (DoS) where a massive number of fake messages cannot be rejected at an earlier stage of the protocol, thus resulting in the exhaust of the TA's resources.

#### **B. LOCATION SPOOFING ATTACK**

A location spoofing attack suggests that an attacker is attempting to falsify its location and convince the server to believe it. The ASC protocol is not designed to handle location spoofing attacks and it is rather vulnerable against location spoofing. There is no secure and authenticated channel assumed between an  $R_i$  and the *TA*. It is possible for an attacker to intercept the message sent from  $V_i$  in the first round of the protocol  $DIDV_{i,j}$  to a particular RSU,  $R_j$ , and also the message from  $R_j$  to the server such that the attacker can deduce  $H_o(ID_{R_j}) = DIDR_j \oplus DIDV_{i,j}$ . To falsify its location later, the attacker can compute a valid  $DIDR_j$  with the  $H_o(ID_{R_j})$  that was obtained previously. The server will be misled when the attacker is logging in near the RSU,  $R_j$ .

#### C. OFFLINE IDENTITY GUESSING ATTACK

The ASC protocol is claimed to be anonymous. We found that an attacker adversary  $\mathcal{A}$  can launch an offline identity guessing attack as follows. Similar to the password guessing attack where an  $\mathcal{A}$  contains a list of possible passwords, an identity guessing attacker  $\mathcal{A}$  contains a list of user IDs. We believe that this assumption is reasonable because the user ID is chosen by users, and certain patterns of ID are favored by human users. Additionally, it is not explicitly assumed that the user ID is secret information in this protocol. In some other applications such as a discussion forum or p2p network, user IDs are actually published. The attacker  $\mathcal{A}$  starts the attack by capturing the transmitted data { $DIDV_{i,j}, CV_i, n_j, T_1$ } in the user authentication phase and performs Algorithm 1.

Algorithm 1 Offline Identity Guessing Attack			
procedure Guessing(User list: L, Captured Messages			
$\{DIDV_{i,j}, n_j, \}$			
for $V_{\kappa} \leftarrow \mathcal{L}$ do			
$C_{\kappa} = y^{H_0(ID_{V_{\kappa}})} \mod p$			
$DIDV_{\kappa,j} = H_0(C_{\kappa}  H_0(ID_{V_{\kappa}})  n_j)$			
if $DIDV_{\kappa,j} = DIDV_{i,j}$ then			
return $V_{\kappa}$ .			
end if			
end for			
return Fail.			
end procedure			

With the steps above, the  $\mathcal{A}$  can successfully guess the identity of  $V_i$  with complexity  $\mathcal{O}(u)$ , where u is the number of users. The function returns a fail if either  $V_i$  is not in the user list or the capture message is invalid. The function returns an incorrect result only if collision appears in the *l*-bit hash function  $H_0$ , with probability bounded by  $1/2^{l-1}$ .

#### D. SESSION-LINKING ATTACK

Assume that the user ID is well protected such that the attacker cannot obtain a list of users; therefore, the protocol is still insecure because two anonymous sessions can be linked together if they are associated with the same  $V_i$ . We observed that the value  $C_3$  returned from the *TA* in the user authentication phase equals to  $H_1(PVID_{V_i}||k)$ , where  $PVID_{V_i}$  and k are fixed values derived from  $ID_{V_i}$ , private key of the *TA* x,

and time of registration  $T_{reg}$ . Thus,  $C_3$  remains constant for the same user every time he/she attempts to initiate a session with the *TA*. By observing the value of  $C_3$ , the A can conclude a set of sessions belonging to the same user where further vehicle/user tracking is possible.

#### E. REPLAY ATTACK

The  $\mathcal{A}$  can impersonate a legitimate user without learning its ID and password, and without obtaining the smart card by launching a replay attack. The protocol is designed to be replay-attack proof by facilitating a timestamp in each step of the protocol, such that replaying a message earlier than  $\Delta T$  will be rejected by  $R_i$ . However, the timestamp is separated from the other part of the message while no other authenticator contains the timestamp. Therefore, once the  $\mathcal{A}$ has captured a message { $DIDV_{i,j}$ ,  $CV_i$ ,  $n_j$ ,  $T_1$ } in the air, the  $\mathcal{A}$ can impersonate  $V_i$  by sending { $DIDV_{i,j}$ ,  $CV_i$ ,  $n_j$ ,  $T'_1$ }, where  $T'_1$  is the time that an  $\mathcal{A}$  replays the message.

#### F. STOLEN SMART-CARD ATTACK

The authors of ASC claimed that losing a smart card will not allow users to generate a valid login message  $DIDV_{i,j} = H_0(C_1||H_0(ID_{V_i})||n_j)$ , even if  $A_i, N_i$  is extracted by the attacker. However, by conducting an offline password guessing attacks against the value  $A_i$  with  $H_0(H_0(ID_{V_k})||H_0(PW_{\kappa}||n_i))$ , the attacker can easily recover the password and impersonate the victim.

#### G. PROBLEM WITH THE PROOF

A formal proof was written in the previous work to argue the security of the ASC protocol. The probability for an attacker to differentiate a session key against the same-length random string was claimed to be bounded by  $1/2 + \epsilon$ , where  $\epsilon$  is a negligible function of the numbers of send queries, encryption queries, hash queries allowed by the attacker, and the length of the hash functions. The proof does not include the anonymous property of the protocol. For the replay attack, it somehow contradicts with the result of the proof. We are not suggesting any new findings regarding the incapability of a formal proof in proving the security of a cryptographic protocol. Instead, we would like to indicate the fault of the proof given in the ASC protocol.

The proof is rather complicated, and we can only provide a high-level pointer to where we suggest the error is. If we look closer at Game  $G_4$  of the proof, the proof simulator aborts the instance when  $C_1$  and  $C_3$ ,  $K_s$  are not found in  $\Lambda \Gamma_{\psi}$ , i.e., the previous output of the simulator. Indeed this game change is not perfectly indistinguishable to an attacker as it is claimed, even if **AskPara**<sub>4</sub> does not occur. Consider the case that the protocol is executed for the first time;  $\Lambda \Gamma_{\psi}$  is empty. The simulator of  $G_4$  will therefore reject any instance regardless of whether it is legitimate. This fault exposes the loophole that a replay message described in our attack will be excluded wrongly in the protocol proof, which is unpreventable.

## **V. ASSUMPTION AND DEFINITION**

Before we present our protocol, we state the assumptions and definitions that are required for our protocol.

## A. ASSUMPTION

We assume a similar setting in ASC - a single *TA* and some RSUs (denoted as  $\mathcal{R} = \{R_1, R_2, \dots\}$ ) exist. Some registered vehicles (denoted as  $\mathcal{V} = \{V_1, V_2, \dots\}$ ) attempt to communicate anonymously with the *TA* through these RSUs. A vehicle must undergo a registration process with the *TA* and will receive a smart card that contains some authentication secrets.

In addition, we assume that a secure and authentic communication channel exists between an RSU and *TA*. This assumption is practical when an RSU is implanted into a traffic light or a road light. A physical intrusion on these units can become easily noticeable by law enforcers. Each of these units contains a unique pair-wise key shared with the *TA*. All communications between the unit and *TA* will be encrypted and padded with a message authentication code to ensure its security and authenticity.

Furthermore, we eliminate the use of passwords in this protocol owing to its practicality. The primary purpose of having a password in this setting is to guard against the smart card from being accessed by an attacker without the smart card (vehicle) owner's explicit consent. Nevertheless, a good physical vehicle security (i.e., anti-thief security system) should have already addressed this issue and this password guard would be redundant. Additionally, most of the vehicles on the market today are not equipped with good input devices for passwords. Even in vehicles with a larger touch screen interface (e.g., a Tesla Model S), it is still not designed for a completely confidential password input process. In this study, we assume that the attackers can retrieve the secrets inside the smart cards of some vehicles owned by the attackers.

# **B. DEFINITION**

We prove our propose protocol using formal security notions based on the study of Bellare *et al.* [28]. It is described as a *game* played by an attacker who claims that he/she can break our protocol. The input of this game is an instance of a cryptographic hard problem. At the end of the game, the attacker will be challenged to answer a question (e.g., to differentiate the session key against a random string). In our proof, we demonstrate that the answer provided by the attacker will enable the game to solve the cryptographic hard problem with a non-negligible probability. This implies that breaking the protocol would lead to a solution to a hard problem. As the hard problem is assumed to be unsolvable, the opposite would therefore suggest that our protocol is unbreakable.

Definition 1 (Computational Diffie-Hellman (CDH) Problem): Let  $\mathcal{G}$  be a multiplicative group and g a generator of  $\mathcal{G}$ . Given a CDH instance  $x = g^a, y = g^b, g, \mathcal{G}$ , the problem is to compute  $g^{ab}$ . *Definition 2 (Intractable):* A problem is regarded as intractable if no polynomial time algorithm can solve this problem with non-negligible probability.

Assumption 1: It is assumed that the CDH problem is intractable for some  $\mathcal{G}$ , g.

We define a set of queries that an  $\mathcal{A}$  can issue when the protocol is executed. These queries are to model the active/passive attacks of an  $\mathcal{A}$ .

send(A, S, Step, M) is a query indicating that a message M is sent to a protocol participant A in the communication session S where Step is an integer that refers to the particular step of the protocol. This models an active attacker attempting to send a message to A. A will either continue with the protocol, accept it (only if it is the last step of the protocol) or reject it. The communication session S can be understood as a TCP connection, for instance.

The query is overloaded in the following format: send(A, S, 0, B) for some A, B. This refers to the case where the A requests participant A to start the protocol with another participant B.

- reveal(S) is a query to model where the A can obtain the session key from a communication session S, perhaps from the misuse of the session key or a device hack. This query can only be issued to a session that terminates at an accepted state.
- 3) test(S) is a special query where a binary random number c will be generated. If c = 0, the session key of the accepted session S will be returned. When c = 1, a random string with the same length and distribution as the session key will be returned. The attacker A must guess the value of c. It is noteworthy that this query can only be applied to a session that is in an accepted state and also not been revealed.

When the protocol is executed, an attacker A can perform the above queries polynomial times. At the end, the attacker is required to issue a test query and output its guess c' on the value of c.

*Definition 3 (Advantage):* Let **Suc** be the event where c' = c; we denote the advantage of the adversary in breaking the protocol *P* as

$$Ad_P^{se}(A) = 2\Pr(\mathbf{Suc}) - 1$$

Definition 4 (Security): We regard the protocol P as secure if no polynomial-time attacker A can have a non-negligible advantage, i.e.,

$$\forall \mathcal{A} \exists n_c, \quad Ad_P^{se}(A) < ke^{-n_c}$$

### **VI. THE PROPOSED PROTOCOL**

The protocol requires every vehicular user to register with the *TA* once. It is assumed that this registration process can be performed securely without any attacker interference. Nevertheless, an attacker can also register with the *TA* using one or more identities.

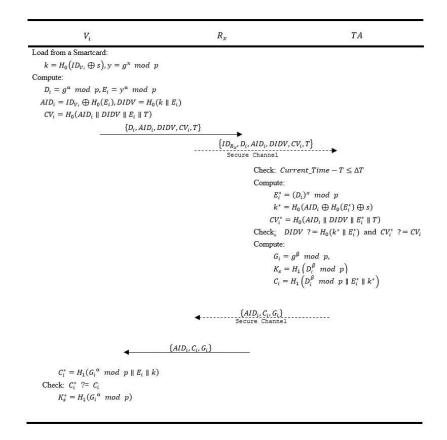


FIGURE 3. User authentication phase of the proposed protocol.

The *TA* picks a set of system parameters.  $\mathbf{F}_p$  is a prime field where the CDH assumption holds. *g* is a generator of the field.  $x \in \mathbf{Z}_p$  is a private key and  $y = g^x \mod p$  is a public key. *s* is a server secret.  $H_0$  and  $H_1$  are two secure one-way hash functions.

A vehicular user  $V_i$  chooses the identity  $ID_{V_i}$  that has never been registered by other users and sends it to the *TA*. When receiving the registration message, the *TA* first verifies if the identity has not yet been registered from its database. Subsequently, it computes  $k = H_0(ID_{V_i} \oplus s)$ . The *TA* issues a smart card to  $V_i$ . The smart card contains  $\{ID_{V_i}, k, g, p, y, H_0, H_1\}$ .  $V_i$  should insert the smart card in its vehicle. Throughout this process, the communication is assumed confidential and authentic.

For each time a vehicular user  $V_i$  wants to connect to the *TA* through a nearby RSU  $R_x$ , it executes the following steps to obtain a session key. The details are illustrated in Fig. 3.

Step 1:  $V_i$  retrieves k and y from the smart card and generates a random integer  $\alpha$ , and computes the following using the current time T:

$$D_i = g^{\alpha} \mod p,$$
  

$$E_i = y^{\alpha} \mod p,$$
  

$$AID_i = ID_{V_i} \oplus H_0(E_i),$$
  

$$DIDV = H_0(k||E_i),$$
  

$$CV_i = H_0(AID_i||DIDV||E_i||T).$$

Subsequently,  $V_i$  sends the message  $\{D_i, AID_i, DIDV, CV_i, T\}$  to an RSU  $R_x$ .

- Step 2: When  $R_x$  receives the login message from a vehicle, it drops the message if *T* in the login message expires. Otherwise, it appends its ID  $ID_{R_x}$  to the message and relays it to the *TA*.
- Step 3: On receiving the message from  $R_x$ , the *TA* first verifies whether *T* in the message has expired, i.e., *Current\_Time*  $T \leq \Delta T$ . It subsequently tries to validate the login message using the following equations:

$$E_i^* = (D_i)^x \mod p,$$
  

$$k^* = H_0(AID_i \oplus H_0(E_i^*) \oplus s),$$
  

$$CV_i^* = H_0(AID_i ||DIDV||E_i^*||T).$$

The authentication fails if  $DIDV \neq H_0(k^*||E_i^*)$  or  $CV_i^* \neq CV_i$ . Otherwise, it accepts the login request and records that  $V_i$  connects via  $R_x$  at time T. It subsequently generates a random integer  $\beta$ . It uses them to compute the following:

$$G_i = g^\beta \mod p,$$
  

$$K_S = H_1(D_i^\beta \mod p),$$
  

$$C_i = H_1(D_i^\beta \mod p ||E_i^*||k^*).$$

It sends  $\{AID_i, C_i, G_i\}$  to  $R_x$  and the RSUs near  $R_x$  through a secure channel.  $R_x$  and these RSUs broadcast the same message on air. The messages are also sent to the nearby RSU to prevent  $V_i$  moving away from  $R_x$ .

Step 4:  $V_i$  performs the following when the broadcast message begins with  $AID_i$ . It computes the following:

$$C_i^* = H_1(G_i^{\alpha} \mod p ||E_i||k),$$
  

$$K_S^* = H_1(G_i^{\alpha} \mod p).$$

It accepts the protocol if  $C_i^* = C_i$  using  $K_S$  as the session key.

#### **VII. SECURITY ANALYSIS OF THE PATCHED PROTOCOL**

We prove that the protocol can provide mutual authentication by contradiction. If an attacker  $\mathcal{A}$  can break the security of the protocol, or more precisely  $Ad_P^{se}(A)$  is non-negligible, we can formulate a  $(t, \epsilon)$ -CDH attacker  $\Delta$  running in time t such that

$$\operatorname{Suc}^{cdh}(\Delta) = \operatorname{Pr}(\Delta(g^a, g^b, g, \mathcal{G}) = g^{ab}) \ge \epsilon$$

where *a* and *b* are random integers, and *g* is a generator in a finite cyclic group  $\mathcal{G}$ . Because the CDH-assumption holds for all polynomial *t* and any non-negligible  $\epsilon$ , by contradiction no such attacker exists that can break our protocol.

Theorem 1: Given a finite cyclic group  $\mathcal{G}$  of size p, the group's generator g, a password dictionary of size |D|, and our proposed protocol P, an attacker  $\mathcal{A}$  can break our protocol with resource  $(t, q_s, q_h, q_e)$ , and has an advantage bounded by the following:

$$Ad_P^{se}(A) \le 2(q_s \cdot q_h)\mathbf{Suc}^{cdh}(\mathbf{G}_7) + \frac{2q_s^2 + 3q_h + (9q_s + q_h)^2}{2^{l-1}}$$

where t is the running time, l is the length of the hash and encryption,  $q_s$  is the number of send queries, and  $q_h$  is the number of hash queries that the attacker can make.

*Proof:* We define a series of games  $G_n$ , where n = 0, 1, 2, ..., starting with  $G_0$  as a faithful simulation of our protocol. Each subsequent game modifies some subtle details from a previous game such that the attacker can distinguish the difference between two games with little probability. The series of games ends with  $G_7$  such that the advantage of the  $\mathcal{A}$  is negligible. The game simulator uses the input of a CDH instance  $(g^a, g^b, g, \mathcal{G})$  and interacts with the attacker  $\mathcal{A}$ . We also define the following event when playing  $G_n$ :

- Suc<sub>n</sub> occurs if the A correctly guesses the value of c in the test query.
- HashCDH 0<sub>n</sub>(λ) occurs if the A has to make an H<sub>0</sub> query that contains (g<sup>ab</sup>)<sup>λ</sup> in the input.
- **HashCDH**  $\mathbf{1}_n(\lambda)$  occurs if  $\mathcal{A}$  has to make an  $H_1$  query that contains  $(g^{ab})^{\lambda}$  in the input.

We describe the details of the games as below.

• Game G<sub>0</sub>: This game executes the protocol described in the earlier session. Thus, by definition,

$$Ad_P^{se}(A) = 2\Pr(Suc_0) - 1$$

• Game **G**<sub>1</sub>: In this game, we simulate our hash functions  $H_0$  and  $H_1$  by maintaining two private lists:  $\Lambda\Gamma_0$  and  $\Lambda\Gamma_1$  on every hash query to  $H_0$  and  $H_1$ , respectively. When a query exists, either by the simulator itself or from the attacker, the simulator searches the input from the list and replies the record if it is found. Otherwise, it generates a random output with the same probability distribution of the hash and adds the record to the list. This change is indistinguishable by the attacker unless a collision appears in the hash or encryption. By birthday paradox,

$$|\operatorname{Pr}(\mathbf{Suc}_1) - \operatorname{Pr}(\mathbf{Suc}_0)| \le \frac{(9q_s + q_h)^2}{2^l}.$$

It is noteworthy that nine distinct hash queries are invoked at most in one protocol execution.

• Game  $G_2$ :  $G_2$  is modified from  $G_1$  such that when a user is registered with the *TA*, the ID, *k* and a flag that indicates if this ID is registered by the attacker will be recorded in a private table  $\Lambda\Gamma_2$ . In Step 3, the simulator performs an additional verification: it computes  $ID^* =$  $AID_i \oplus H_0(E_i^*)$  and rejects the login request if  $ID^* \notin \Lambda\Gamma_2$ . This change is indistinguishable by the  $\mathcal{A}$  unless  $H_0(AID_i \oplus H_0(E_i^*) \oplus s)$  has been queried by the  $\mathcal{A}$ . It is noteworthy that the  $\mathcal{A}$  does not exhibit the value of *s* and *s* is never sent. Therefore,

$$|\Pr(\mathbf{Suc}_2) - \Pr(\mathbf{Suc}_1)| \le \frac{q_h}{2^l}$$

• Game  $G_3$ :  $G_3$  is modified from  $G_2$  such that k is not generated by a hash function. Instead, when a user is registered with the simulator, k is assigned to a random  $\log_2 p$ -bit string. In Step 3, when  $k^*$  is required, the simulator computes  $ID^* = AID_i \oplus H_0(E_i^*)$  and retrieves  $k^*$  from  $\Lambda \Gamma_2$ . This change is indistinguishable by the attacker.

$$Pr(Suc_3) = Pr(Suc_2).$$

Up to this game, we have removed the role of *s*.

• Game  $G_4$ :  $G_4$  is modified from  $G_3$  such that instead of computing *DIDV* from *k* and  $E_i$ , *DIDV* is assigned by a log<sub>2</sub> *p*-bit long random string and record  $(k, D_i, E_i, DIDV)$  in a private list  $\Lambda\Gamma_3$ . In Step 3, it verifies if *ID*<sup>\*</sup> is registered by the attacker. If it does, it looks up the value of *DIDV* from  $\Lambda\Gamma_0$  for the hash  $H_0(k^*||E_i)$ that must have been queried by the  $\mathcal{A}$  before. If *ID*<sup>\*</sup> is not registered by the  $\mathcal{A}$ , implying that the attacker does not contain *k*, the simulator retrieves the value of *DIDV* from  $\Lambda\Gamma_3$ . The simulator rejects if *DIDV*  $\notin \Lambda\Gamma_3$  and *ID*<sup>\*</sup> is not registered by the  $\mathcal{A}$ .

From the perspective of the A,  $G_4$  is indistinguishable from  $G_3$  unless either 1) the same  $D_i$  has been generated by the same  $V_i$  or 2) A has queried  $H_0(k||E_i)$ . Thus,

$$|\Pr(\mathbf{Suc}_4) - \Pr(\mathbf{Suc}_3)| \le \underbrace{\overbrace{q_s^2}^{\text{Case 1}}}_{2l} + \underbrace{\overbrace{q_h}^{\text{Case 2}}}_{2l}^2.$$

TABLE 2. Comparison of security requirements against related works.

Protocols	Ying et al. [3]	ASC [2]	Zhong et al. [4]	Our Protocol
R1:user anonymity	Y	Y	Y	Y
R2:insider attack	Ν	Y	Y	Y
R3:stolen smart card attack	Y	Y	Y	Y
R4:offline password guessing attack	Y	Y	Y	Y
R5: replay attack	Y	Y	Y	Y
R6: user impersonation attack	Y	Y	Y	Y
R7: RS impersonation attack	Y	Y	Y	Y
R8: TA impersonation attack	Y	Y	Y	Y
R9: DoS attack	Ν	Ν	Y	Y

• Game **G**<sub>5</sub>: Modified from **G**<sub>4</sub>, In Step 3, if  $ID^*$  is not registered by the  $\mathcal{A}$ , the simulator computes  $C_i = H_1(D_i^\beta \mod p ||X||k^*)$  for a random  $\log_2 p$ -bit string Xthat will be reused in other sessions. In Step 4, the simulator computes  $C_i^* = H_1(G_i^\alpha \mod p ||X||k)$ . It is noteworthy that k is not known to the  $\mathcal{A}$  and is never sent without a hash. Furthermore, it rejects the authentication if  $G_i$  has been modified by the  $\mathcal{A}$ .

Consequently,  $G_5$  is indistinguishable to  $G_4$  by the  $\mathcal{A}$  unless either 1) the same  $D_i^\beta$  is used in some other sessions or 2) the  $\mathcal{A}$  has successfully guessed the value of X. Thus,

$$|\Pr(\mathbf{Suc}_5) - \Pr(\mathbf{Suc}_4)| \le \underbrace{\overbrace{q_s^2}^{\text{Case 1}}}_{2^l} + \underbrace{\overbrace{q_h}^{\text{Case 2}}}_{2^l}.$$

• Game G<sub>6</sub>: The simulator substitutes its public key  $y = g^x \mod p$  by the CDH instance  $y = g^a \mod p$ . In Step 1, we change the computation of  $D_i$  and  $E_i$  as

$$D_i = (g^b)^{\alpha} \mod p,$$
$$E_i = X^{\alpha}.$$

In Step 4, we change the computation of  $C_i^*$  and  $K_i^*$  as follows:

$$C_i^* = H_1(D_i^\beta \mod p ||X||k)$$
  
$$K_i^* = H_1(D_i^\beta \mod p).$$

Recall that  $g^b \mod p$  the CDH instance and  $\alpha$ ,  $\beta$  are random numbers generated in this session.

The simulator also records  $(D_i, E_i, \alpha)$  into a private table  $\Lambda \Gamma_4$ . In Step 3,  $E_i^*$  is retrieved from  $\Lambda \Gamma_4$  by looking up  $D_i$ . This change is indistinguishable by the  $\mathcal{A}$  unless the following events occurred:

- 1)  $\mathcal{A}$  has queried  $H_0(g^{ab\alpha})$ ; or
- 2)  $\mathcal{A}$  has queried  $H_0(AID_i||DIDV||g^{ab\alpha}||T)$ .

These two events imply **HashCDH** –  $\mathbf{0}_6(\alpha)$ . It is noteworthy that the statistical distribution of  $D_i$  and  $G_i$ remain unchanged. Thus,

$$|\Pr(\mathbf{Suc}_6) - \Pr(\mathbf{Suc}_5)| \le \Pr(\mathbf{HashCDH} - \mathbf{0}_6(\alpha))$$

• Game  $G_7$ : In this game, we change the  $G_i$  sent from Step 3 to  $G_i = g^{a\beta} \mod p$ , and  $K_s$  will be assigned randomly. This change is indistinguishable to the attacker unless

 TABLE 3. Time cost of each operation executed on an embedded device (in ms).

Operation	Notation	Time cost
Modular exponentiation	$T_e$	4.76ms
Multiplication of points on ECC(secp256r1)	$T_m$	20.23ms
Hash(SHA-256)	$T_h$	0.03ms
Symmetric encryption/decryption	$T_{enc}$	0.12ms

the attacker has queried  $H_1(g^{ab\alpha\beta} \mod p)$ , which can be denoted as **HashCDH** –  $\mathbf{1}_7(\alpha\beta)$ .

$$|\Pr(\mathbf{Suc}_7) - \Pr(\mathbf{Suc}_6)| \le \Pr(\mathbf{HashCDH} - \mathbf{1}_7(\alpha\beta))$$

Because  $K_s$  is a random number and is irrelevant to the value of the coin c,

$$Pr(Suc_7) = 1/2$$

At the end of the game, the simulator will pick one of the hash queries out of the  $q_h$  queries made by the  $\mathcal{A}$  and guesses it be that corresponding to the event **HashCDH** –  $\mathbf{0}_6(\alpha)$  or **HashCDH** –  $\mathbf{1}_7(\alpha\beta)$ . If an  $H_0$  query is selected, e.g.,  $\mathcal{A}$  queried  $H_0(\gamma)$  or  $H_0(AID_i||DIDV||\gamma||T)$ , the simulator randomly picks one  $\alpha$  used among  $q_s$  sessions and computes  $r = \gamma^{\alpha^{-1}} \mod p$ . In case a  $H_1$  query is selected, e.g.,  $\mathcal{A}$ queried  $H_1(\gamma)$ , the simulator randomly picks one pair of  $\alpha$ ,  $\beta$  used among  $q_s$  sessions and computes  $r = \gamma^{(\alpha\beta)^{-1}}$ . It returns r as the answer of  $g^{ab} \mod p$  to the CDH instance. By definition, we have  $\mathbf{Suc}^{cdh}(\mathbf{G}_7) = \Pr$  $(r = g^{ab})$ . Additionally,

$$\Pr(r = g^{ab} | \mathbf{HashCDH} - \mathbf{1}_7(\alpha\beta) \cup \mathbf{HashCDH} - \mathbf{0}_6(\alpha))$$
  
=  $\frac{1}{q_s \cdot q_h} \Pr(\mathbf{HashCDH} - \mathbf{1}_7(\alpha\beta) \cup \mathbf{HashCDH} - \mathbf{0}_6(\alpha))$   
 $\leq (q_s \cdot q_h) \Pr(r = g^{ab}).$ 

By chaining up the games and the equation above, we have

$$\begin{aligned} &\Pr(\mathbf{Suc}_{0}) \\ &\leq \Pr(\mathbf{HashCDH} - \mathbf{1}_{7}(\alpha\beta)) + \Pr(\mathbf{HashCDH} - \mathbf{0}_{6}(\alpha)) \\ &+ \frac{q_{s}^{2}}{2^{l}} + \frac{q_{h}}{2^{l}} + \frac{q_{s}^{2}}{2^{l}} + \frac{q_{h}}{2^{l}} + \frac{q_{h}}{2^{l}} + \frac{(9q_{s} + q_{h})^{2}}{2^{l}} + 1/2 \\ &\leq \Pr(\mathbf{HashCDH} - \mathbf{1}_{7}(\alpha\beta) \cup \mathbf{HashCDH} - \mathbf{0}_{6}(\alpha)) \\ &+ \frac{2q_{s}^{2} + 3q_{h} + (9q_{s} + q_{h})^{2}}{2^{l}} + 1/2 \end{aligned}$$

TABLE 4. Comparison of the estimated time cost of each protocol (in ms).

Protocols	$V_i$	Rj	TA
[3]	$3T_e + 6T_h + 1T_{enc} = 14.4$	0	$4T_e + (3 + 0.5n)T_h + 1T_{enc} = 19.25 + 0.015n$
[2]	$1T_e + 8T_h + 1T_{enc} = 5.12$	$1T_{h} = 0.03$	$0.5nT_e + (5+n)T_h + 1T_{enc} = 0.27 + 2.41n$
[4]	$7T_h + 3T_m = 60.9$	$6T_h + 3T_m = 60.87$	$10T_h + 2T_m = 40.76$
Our Protocol	$3T_e + 7T_h + 1T_{enc} = 14.61$	$1T_{h} = 0.03$	$3T_e + 4T_h + 1T_{enc} = 14.52$

$$\leq (q_s \cdot q_h) \mathbf{Suc}^{cdh}(\mathbf{G}_7) + \frac{2q_s^2 + 3q_h + (9q_s + q_h)^2}{2^l} + 1/2 Ad_P^{se}(A) = 2 \operatorname{Pr}(Suc_0) - 1 \leq 2(q_s \cdot q_h) \mathbf{Suc}^{cdh}(\mathbf{G}_7) + \frac{2q_s^2 + 3q_h + (9q_s + q_h)^2}{2^{l-1}}.$$

Thus, if  $Ad_P^{se}(A)$  is a non-negligible function, it also implies that **Suc**<sup>*cdh*</sup>**G**<sub>7</sub> is non-negligible, which contradicts our CDH assumption. By contradiction, our protocol cannot be broken by a polynomial-time adversary.

#### **VIII. COMPARISON**

In this section, we compare our proposed protocol with some related protocols [2]–[4]. Table 1 compares this protocol and its related protocols in terms of protecting user anonymity, resisting internal attacks, and resisting stealing smart card attacks. As shown, our proposed protocol and that of [4] exhibit better security.

Before calculating the cost, we must determine the time of different operations involved in the compared protocols. According to the description of each protocol, the complex operations involved in the protocol include modular exponentiation, hash, symmetric encryption/decryption, and multiplication of points on the elliptic curve. In addition, the cost of simple operations such as XOR and connection operations can often be neglected; therefore, they are not included in the calculation cost of the protocol. Our experiment uses a smartphone (iPhone 6s) as the test platform for protocol performance, and the specific parameters are as follows: system iOS 10.11, CPU Apple A9 + M9 coprocessor + up to 2.1 GHz, RAM 2GB. The complex operations involved in this experiment are the results of averaging 1000 executions, as shown in Table 5 below.

TABLE 5. Comparison of the storage cost of each protocol (in bits).

Protocols	$V_i$	$R_{j}$	TA
[3]	3584	256	$128 + 256n_1 + 256n_2$
[2]	3584	256	$128 + 256n_1 + 256n_2$
[4]	1664	384	$256n_1 + 256n_2$
Our Protocol	3584	256	$256n_{1}$

From the table, we can conclude that with the increasing number of registered users, the time for landing and certification increases as well. Because our protocol optimizes the steps of vehicle authentication, we can reduce the time cost.

Next, we compare the storage costs; however, we first provide some assumptions: the length of the ID is 256 bits; the length of the timestamp is 128 bits; the length of the hash output is 256 bits; the length of the modular power is 1024 bits; and the length of the elliptical curve (secp256r1, P and Q are 256-bits) point multiplication output is 512 bits. Table 4 shows the results in which the number of RSUs is  $n_1$  and the number of registered vehicle users is  $n_2$ .

#### **IX. CONCLUSION**

We herein analyzed Ying *et al.*'s anonymous and lightweight authentication protocol. They claimed that their protocol could resist various attacks and was superior to other protocols. However, we found that their protocol could not achieve the claimed goals as it suffered from an offline identity guessing attack and was time consuming during the authentication phase. To enhance the security and reduce the time required for authentication, we later proposed a patch on Ying *et al.*'s protocol. The analysis proved that the patched protocol was more secure and efficient than the original protocol.

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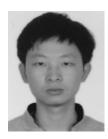
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