# Accounting for Spatial Complexities in the Calculation of Biological Reference Points: Effects of Misdiagnosing Population Structure for Stock Status Indicators 

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## Title:

Running Title: Impact of spatial stock structure on the calculation of biological reference points Daniel R. Goethel ${ }^{\text {a, } 1}$ and Aaron M. Berger ${ }^{\text {b }}$
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#### Abstract

Misidentifying spatial population structure may result in harvest levels that are unable to achieve management goals. We developed a spatially-explicit simulation model to determine how biological reference points (BRPs) differ among common population structures, and to investigate the performance of management quantities that were calculated assuming incorrect spatial population dynamics. Simulated reference points were compared across a range of population structures and connectivity scenarios demonstrating the influence of spatial assumptions on management benchmarks. Simulations also illustrated that applying a harvest level based on misdiagnosed spatial structure leads to biased stock status indicators, overharvesting or foregone yield. Across the scenarios examined, incorrectly specifying the connectivity dynamics (particularly misdiagnosing source-sink dynamics) was often more detrimental than ignoring spatial structure altogether. However, when the true dynamics exhibited spatial structure, incorrectly assuming panmictic structure resulted in severe depletion if harvesting concentrated on more productive population units (instead of being homogenously distributed). Incorporating spatially-generalized operating models, such as the one developed here, into management strategy evaluations (MSEs) will help develop management procedures that are more robust to spatial complexities.


Keywords: spatial population structure, biological reference points, maximum sustainable yield, overfishing, fisheries management, population dynamics, connectivity, stock assessment

## Introduction

Fish movement and dispersal stem from a variety of biotic and abiotic factors (Bowler and Benton 2005) and contribute to a continuum of genetic variation and associated population structures (Reiss et al. 2009; Ciannelli et al. 2013). Spatial connectivity is an important facet of fish population dynamics that helps safeguard population units against natural and anthropogenic perturbations and maintains population stability (Kerr et al. 2010a,b). The spatial distribution of fishing effort can also influence population structure and displacement of effort has been used as a management tool for implementing conservation strategies (e.g., implementing Marine Protected Areas; Punt and Methot 2004; McGilliard et al. 2015). Protecting and conserving spatial population structure has been a central concern for rational fisheries management for over a century (Hjort 1914; Beverton and Holt 1957; Sinclair 1988; Cadrin and Secor 2009).

There has been increasing effort in recent decades to incorporate spatial heterogeneity in population and fishery dynamics into stock assessment (and ecosystem) models that underlie management advice (see review by Goethel et al. 2011), and to develop marine policies that directly protect spatial population structure, including sub-population components (e.g., spawning populations; Kritzer and Liu 2014). However, spatial structure is rarely concurrently and holistically evaluated across the entire assessment-management interface. The spatial scale of stock assessment models is often limited by the available data, which, until recently, has typically been reported by broad-scale management units (Wilen 2004). Consequently, the ability to achieve the desired objectives of fine-scale fishery regulations is severely hampered by using outputs of stock assessments that do not match the desired spatiotemporal scale (Cope and Punt 2011; Goethel et al. 2016).

Simulation experiments that evaluate spatial processes can be useful tools for understanding the importance of spatial population structure for the sustainable management of marine resources (e.g., Pelletier and Mahévas 2005; Kerr and Goethel 2014). In certain cases, it has been demonstrated that spatially-aggregating data or assessment results across known spatial components may be warranted or even statistically advantageous, particularly if there is little genetic differentiation or sample sizes are limited (Li et al. 2015; Benson et al. 2015; Goethel et al. 2015; Punt et al. 2015). However, the majority of spatial simulations have indicated that ignoring spatial structure is likely to be detrimental either to the resource, the harvesters or both (for reviews see Kerr and Goethel 2014 and Goethel et al. 2016).

When management (e.g., setting of catch quotas) ignores population structure or connectivity among population units, there is increased potential for overharvesting and system productivity is often incorrectly estimated (Fu and Fanning 2004; Kerr et al. 2014; de Moor and Butterworth 2015). Even when population structure is recognized and accounted for within the management framework, if the spatial dynamics of the fishery (e.g., gear selectivity or effort) are ignored, the possibility of overharvesting can remain (Fahrig 1993; Mchich et al. 2006; Ling and MilnerGulland 2008; Benson et al. 2015; Hoshino et al. 2014). Concomitantly, underharvesting can also occur when effort is not efficiently allocated between spatial units, resulting in foregone yield and lower net revenue for fishing fleets (Tuck and Possingham 1994). Because harvest strategies are often context-dependent, no single, optimal approach to distributing fishing effort exists when spatial structure is present (Steneck and Wilson 2010). For instance, the optimal strategy when source-sink dynamics are modeled has been shown to differ between focusing
harvest on the source or the sink population, exclusively, depending on modeling assumptions and management objectives (Tuck and Possingham 1994; Sanchirico and Wilen 2001, 2005; Wilberg et al. 2008).

Spatial dynamics can complicate the determination of management benchmarks, because of the multi-level spatiotemporal interactions that occur among individual fishermen behavior (targeting), differences in gear selectivity among fleets, regulatory management, and the underlying population demographics (Steneck and Wilson 2010; Goethel et al. 2016; Thorson et al. 2016, this issue). Surplus production models have been used to estimate maximum sustainable yield (MSY) when metapopulation dynamics exist and sub-populations are linked through movement or recruitment dynamics (Carruthers et al. 2011; Takashina and Mougi 2015). For instance, using a metapopulation operating model, Ying et al. (2011) demonstrated that ignoring metapopulation structure led to localized depletion, because biased stock status indicators were estimated from spatially-aggregated surplus production models. Yield-perrecruit (YPR) and spawner-per-recruit (SPR) models have also been adapted to account for spatial structure within a population by allowing movement among population patches (e.g., Beverton and Holt 1957; Punt and Cui 2000) or by addressing heterogeneity in effort and population distribution using individual-based models for sessile species (Hart 2001, 2003; Truesdell et al. 2016). When stock-recruitment dynamics are accounted for directly, slightly more complex simulation models can be utilized to calculate a suite of potential spatially-explicit reference points. For example, Kerr et al. (2014) illustrated how accounting for population structure and genetic straying (i.e., connectivity among spawning components) in Gulf of Maine
cod could lead to different interpretations of population productivity and system yield compared to spatially-aggregated models.

However, there are few instances of integrated assessment-management frameworks that incorporate spatial structure into both the stock assessment model and the resulting simulations of management benchmarks or yield projections. For tuna in the western and central Pacific Ocean, the MULTIFAN-CL software program (Fournier et al. 1998; Hampton and Fournier et al. 2001) is used to provide spatially-explicit estimates of exploitation by modeling catch by region and allowing connectivity among regions. In many applications, a single interbreeding population is modeled allowing equilibrium yield or depletion (relative to unfished levels) based reference points to be defined for the entire population (or system) without a mismatch in spatial structure. However, recent modeling additions allow performing these analyses regionally, thereby preserving the same connectivity and fishery dynamics utilized in the assessment model (J. Hampton, SPC, Nouméa, New Caledonia, personal communication, 2016). Similarly, assessment of the snapper resource in New Zealand is undertaken utilizing a spatially-explicit model (i.e., a customized version of the CASAL software program; Bull et al. 2012) to simultaneously model the three populations in the SNA1 management unit (Francis and McKenzie 2015). This model assumes that each population exhibits natal fidelity (i.e., natal homing) and connectivity is incorporated by calculating the degree of spatial overlap within each geographic zone, while allowing individuals to perform instantaneous spawning migrations to their natal population's spawning area. Population-specific virgin biomass $\left(B_{0}\right)$ estimates are utilized in conjunction with deterministic $\mathrm{B}_{\text {MSY }}$ simulations to determine stock status, which explicitly accounts for connectivity dynamics and provides reference points both by geographic
area and by population unit. Although SNA1 snapper provides one of the few examples of a complete spatially-explicit assessment-management framework, many uncertainties exist particularly regarding population structure and connectivity assumptions (Francis and McKenzie 2015).

Despite increasing awareness that fishery and population spatial structure have important implications for defining management benchmarks and resulting harvest levels, investigations have often been focused on a single application involving only one or two assumed population structures. We develop a spatially-explicit simulation framework that can account for a variety of spatial processes, then apply it across a relatively comprehensive range of common spatial population structures and connectivity dynamics to provide a broad comparison of resulting biological reference points. Next, we demonstrate the management implications of misdiagnosing population structure by exploring the potential for overharvest and loss of yield when harvest levels are applied based on incorrect management benchmarks. By improving our understanding of the consequences associated with misidentifying population structure at the assessment-management interface (e.g., the conversion of assessment outputs into management advice), resource managers will be better able to identify potential harvest policy pitfalls and prioritize limited management resources (e.g., to determine the cost/benefit of fine-scale data collection; Goethel et al. 2016).

## Methods

A generalized simulation framework was built to utilize stock assessment input (e.g., life history and demographics) and output values (e.g., terminal year abundance, natural mortality, fishery
selectivity, and recruitment parameter estimates) in order to project resource dynamics assuming a particular spatial population structure and associated connectivity dynamics. The purpose of the framework was twofold: to determine reference points under a variety of assumed spatial dynamics and to address the management implications of applying a harvest level developed with misdiagnosed spatial dynamics (Figure 1).

## Generalized Simulation Model

The age-structured population dynamics are described below, but for further details see Goethel et al. (2011; Section 4). Each implementation of the model differs only in the assumed population structure and connectivity dynamics. Table 1 provides a glossary defining important terms used throughout the article.

The model was designed to perform simulations in two stages using both AD Model builder (ADMB; Fournier et al. 2012) and Program R (R core team 2012) statistical computing software. The first stage determined biological reference points (BRPs; Figure 1). Model inputs were used to simulate population dynamics forward through time until equilibrium was reached. An iterative search algorithm was implemented that ran the model across combinations of fishing mortalities (according to a defined step size for each fleet and area) to find the desired BRP. In the current study, $\mathrm{SSB}_{\mathrm{MSY}}$ (achieved by fishing at the harvest rate, $\mathrm{u}_{\text {MSY }}$, that achieved the maximum system yield) was used as a BRP for comparative purposes. However, the model search algorithm could be setup to achieve any number of alternative depletion or yield-based BRPs.

The second stage determined the impact of fishing at alternative harvest levels (Figure 1). Instead of using the search algorithm to find the desired BRP, a harvest rate (or yield) was specified and the model dynamics were simulated forward using this value at the appropriate scale (i.e., system-wide or area-specific values could be input). The primary function was to investigate the impact of misdiagnosing spatial population dynamics by fishing at the harvest rate that achieved the desired BRP in stage 1, but for an incorrectly assumed spatial structure (i.e., the input harvest rate did not achieve the BRP for the true simulated population structure). The Newton-Raphson method was utilized to iteratively tune the model until the fishing mortality that corresponded to the desired harvest rate by area was approximated within a certain error threshold. The default assumption when applying harvest rates was that fishing effort was homogenously distributed across areas. When the applied harvest rate was for an assumed single area population, but the true dynamics contained multiple areas, the harvest rate was evenly applied to all areas. Other effort allocation assumptions could be applied across areas to approximate concentration of fishing effort, while still being constrained to maintain the same overall (i.e., system-wide) input harvest rate.

## Population Structure

The population structure was defined by the number of population units, the interactions among units, and the recruitment dynamics. Four types of population structure were considered corresponding to the main types typically modeled in spatially-explicit stock assessments (Goethel et al. 2011): panmictic, single population with spatial heterogeneity, multiple populations with natal homing, and metapopulation structure (Figure 2A). When defining each of these population structures, careful consideration of definitions is warranted, especially in the
determination of geographic units versus population units. For the purposes of this study, an 'area' was defined as a geographic unit representing the spatial extent over which a homogenous fishing mortality acted. Depending on the type of population structure, an area may contain a segment of a single population, an entire population or segments of multiple populations. A population was defined as a self-reproducing biological entity within which all fish were able to reproductively mix resulting in a single spawning stock biomass (SSB) that determined population-specific recruitment values based on a unique stock-recruit function. Depending on the type of population structure, area and population may be synonymous or a population may be scattered across multiple areas.

Panmictic structure was defined as a single reproductively mixing population where no spatial structure existed (i.e., fish were well-mixed throughout the area). A unit population was assumed such that all fish were homogenously distributed across a single area and no immigration or emigration occurred. A single stock-recruit function was utilized with all mature fish in the population contributing to the SSB. Panmictic structure represents the simplest possible population structure and is one of the most common assumptions in stock assessment models.

When spatial structure was assumed to occur within a single population, the resulting spatial heterogeneity was modeled by allowing multiple areas within the population. A single stockrecruit function was utilized with SSB summed across all areas. A single genetic population was assumed to come from a single larval pool. Total abundance before movement, $N_{B E F}$, at the youngest age, $a_{0}$, for a given population $(j)$ and year $(y)$ was a function (based on the stock-
recruit relationship) of the total SSB summed across all areas $(r)$, while the area-specific abundance at the youngest age was the total abundance multiplied by the apportionment factor ( $)$ for that area:

$$
\begin{gathered}
N_{j, y, a_{0}, B E F}^{\sum r}=f\left(\sum_{a} S S B_{j, y, a}^{\sum r}\right) \\
N_{j, y, a_{0}, B E F}^{r}=\xi_{j}^{r} N_{j, y, a_{0}, B E F}^{\sum r}
\end{gathered}
$$

## (1)

A wide variety of species exhibit some degree of spatial heterogeneity in distribution, despite maintaining a single reproductive population (e.g., Gulf of Alaska sablefish; Hanselman et al. 2015).

Metapopulation structure was defined similarly to a single population with multiple areas, except that multiple populations were modeled simultaneously. Reproductive mixing occurred among populations, through the movement of mature individuals, but each population was assumed to maintain its own larval pool. For metapopulation dynamics, area and population delineations were now synonymous (i.e., $r=j$ ), because once a fish moved into another area it assumed the reproductive dynamics and demographics of the population residing in that area. Basically, a fish was instantaneously exposed to the dynamics of the population that inhabited the area that it currently occupied, which assumed that environment was the main driver of life history (not genetics). The recruitment dynamics followed Equation 1, but multiple populations were modeled simultaneously each of which maintained its own stock-recruit function defined by the SSB of all fish currently residing in the corresponding area. Metapopulation structure is becoming a more widely observed form of population structure for marine fish, and is frequently
detected in reef fish and small pelagics (e.g., Atlantic herring; Kritzer and Sale 2004; Kerr et al. 2010b)

Natal homing (also known as the overlap model; Porch 2003) was the most complex population structure evaluated. Multiple populations were modeled, but no reproductive mixing occurred among them. Similar to a metapopulation, each population unit maintained its own stock-recruit relationship. However, fish only contributed to the SSB of their natal population. As individuals moved among population areas, they cohabitated with fish of other natal populations but were unable to reproduce with them. Because of the overlap of non-interbreeding populations within an area, area was no longer equivalent to population (i.e., $r \neq j$ ). Once again, recruitment was based on Equation 1. Contrary to metapopulation structure where recruitment was determined from all the SSB in the given population area, natal homing implied that individuals not within the confines of their natal population area could not reproduce unless they underwent a spawning migration (see Equation 2 in the following section for a description of SSB calculations for alternative natal homing scenarios). Demographics were now assumed to be defined by the natal population (i.e., vital rates no longer changed as an individual moved among areas), which implied that life history characteristics were determined by genetics (not environment). Natal homing has been hypothesized for many large pelagics (e.g., Atlantic bluefin tuna; Rooker et al. 2008) and is a well-known trait for salmon.

## Movement Parametrization

Simulated movement used the box-transfer method, which assumed a certain fraction of the population instantaneously moved to the other areas at the beginning of the year. The movement
parameter, $T_{j, y, a}^{r \rightarrow s}$, represented the fraction of fish from population $j$ in year $y$ at age $a$ that moved from area $r$ to area $s$ (for the simulation scenarios presented here movement was time-invariant). The population subscript changed to the new population area superscript (i.e., movement was a Markovian process) for metapopulation structure, but not for natal homing (i.e., movement characteristics were defined by the natal population). Age-specific movement was incorporated by allowing different movement rates for the youngest age class compared to all other age classes. The primary assumption was that if, for example, the model started at age-0 (i.e., the stock-recruit function provided the number of age-0 eggs or larvae), then age-0 movement would represent larval drift and would be characterized by different dynamics than the movement of older fish. Additionally, it was assumed that apportionment of larvae and larval drift were separate processes (i.e., age-0 larvae were apportioned to area, and then allowed to move among areas).

Two unique movement scenarios were examined using the natal homing population structure. Spawning migrations were incorporated by defining a probability of returning, $\operatorname{Pr}(\operatorname{SpawnReturn})$, as the fraction of the natal population not in the natal area that returned to spawn, and which was assumed to occur instantaneously at the time of spawning. In this case, a fish could add to the SSB of its natal population, despite residing in a non-natal area (i.e., as a result of the instantaneous spawning migration):

$$
\begin{gathered}
N_{j, y, a_{0}, B E F}^{r=j}=f\left[\sum_{a} S S B_{j, y, a}^{r=j}+\sum_{r, r \neq j}\left(\operatorname{Pr}(\text { SpawnReturn })_{j}^{r} * \sum_{a} S S B_{j, y, a}^{r \neq j}\right)\right] \\
N_{j, y, a_{0}, B E F}^{r \neq j}=0
\end{gathered}
$$

(2)

By accounting for fish that did not contribute to SSB , the spawning migration probability effectively allowed for skipped spawning (i.e., mass resorption of oocytes), which has been observed in some species that demonstrate natal homing (e.g., Atlantic cod and bluefin tuna; Rideout and Tomkiewicz 2011).

The second movement scenario (termed natal return; Table 1) was defined to approximate ontogenetic movement. Movement was allowed at the initial age (i.e., larval drift). A permanent return migration to the natal area could then occur at a certain age, $a_{R E T}$, with a probability given by $\operatorname{Pr}$ (PermReturn). Movement was not allowed at any other ages. Recruitment was thus a function of the SSB in the natal population area plus the corresponding SSB of fish that moved back to the natal population at $a_{\text {RET }}$ :

$$
N_{j, y, a_{0}, B E F}^{r=j}=f\left[\sum_{a} S S B_{j, y, a}^{r=j}+\sum_{r, r \neq j}\left(\operatorname{Pr}(\text { PermReturn })_{j}^{r} * S S B_{j, y, a=a_{R E T}}^{r \neq j}\right)\right]
$$

## (3)

With this scenario, fish that did not return (according to $a_{R E T}$ ) never contributed to the SSB. This configuration was meant to approximate an ontogenetic migration back to the natal population once a fish had reached maturity. The basic ecological premise was that larval or young-of-theyear fish settled and spent their juvenile stage in various areas (e.g., nursery grounds) where they did not contribute to the SSB. Then, once maturity was reached, adult fish would move back to the natal population and contribute to SSB (assuming negligible straying). Ontogenetic migrations have been observed in a number of species (e.g., Gulf of Alaska sablefish; Hanselman et al., 2015), and has been hypothesized in conjunction with natal homing for some large pelagics (e.g., Atlantic bluefin tuna; Rooker et al. 2008). Although the implemented natal return
scenario does not explicitly match any known ontogenetic migration patterns, it represents a first approximation to the more complex versions seen in the real world.

## Population Dynamics

Abundance was projected forward from input initial abundance-at-age and calculated recruitment at the minimum age (Figure 2B). Recruitment calculations assumed a Beverton-Holt stockrecruit model, where SSB was calculated based on weight and was adjusted based on the assumed population structure and movement dynamics (as described above) and for the time of spawning. Mortality was assumed to be a function of area. Fishing mortality was separated into an area- and fleet-specific yearly multiplier, $F$, and an age-specific selectivity component. Selectivity, $v$, for each of the modeled fleets, $f$, was input directly by age. Any number of fleets was allowed within each area (for the simulation scenarios presented here only one fleet per area was modeled). Natural mortality, $M$, was input directly and could vary by age, year, and area. In the recruitment year, mortality was discounted for the fraction of the year that fish underwent mortality based on the time of spawning (and hence birthdate). Abundance-at-age at the beginning of the year before movement, $N_{B E F}$, in area $r$ from natal population $j$ in year $y$ and at age $a$ was calculated from the abundance after movement, $N_{A F T}$, in the previous year and age as:

$$
\begin{gathered}
N_{j, y, a, B E F}^{r}=N_{j, y-1, a-1, A F T}^{r} e^{\left[-\left(F_{j, y-1, a-1}^{r, \sum f}+M_{j, y-1, a-1}^{r}\right)\right]} \\
F_{j, y-1, a-1}^{r, \sum f}=\sum_{f} v_{j, y-1, a-1}^{r, f} F_{j, y-1}^{r, f}
\end{gathered}
$$

## (4)

The terminal age was assumed to be a plus group that was the summation of all fish that survived to the plus group age from the previous age along with all fish already in the plus group that
survived to the next year. Instantaneous movement immediately followed at the start of the year, and abundance-at-age after movement, $N_{A F T}$, was:

$$
N_{j, y, a, A F T}^{r}=\sum_{s} T_{j, y, a}^{s \rightarrow r} N_{j, y, a, B E F}^{s}
$$

(5)

Catch-at-age, $C_{a}$, was calculated using Baranov's catch equation based on the area- and fleetspecific mortality and selectivity values and the available abundance after movement, while yield, $Y$, was the summation over age of catch-at-age multiplied by the weight-at-age, $w$ :

$$
\begin{gathered}
C_{j, y, a}^{r, f}=N_{j, y, a, A F T}^{r}\left(1-e^{\left[-\left(F_{j, y, a}^{r, \sum f}+M_{j, y, a}^{r}\right)\right]}\right) \frac{v_{j, y, a}^{r, f} F_{j, y}^{r, f}}{F_{j, y, a}^{r, \sum f}+M_{j, y, a}^{r}} \\
Y_{j, y}^{s, r, f}=\sum_{a}\left(C_{j, y, a}^{r, f} * w_{j, y, a}\right)
\end{gathered}
$$

## (6)

The general spatial and spatiotemporal dynamics are illustrated in Figures 2A and 2B.

## Model Outputs

Several output quantities that are typically important for making management decisions were provided for each year of the simulation and at all spatial scales (i.e., system-wide or by area). By providing results at different spatial scales, the impacts of applying a given mortality rate could be examined at different levels, which can be particularly useful when comparing different types of assumed population structures. Results were also provided by area and by natal population in order to allow comparison among different population structures. Biological metrics included: abundance-at-age, recruitment, biomass, SSB, depletion (biomass ${ }_{\text {Current }} /$ biomass $_{\text {Initial }}$ ), and spawning potential ratio $\left(\mathrm{SPR}=\mathrm{SSB}_{\text {Current }} / \mathrm{SSB}_{0}\right.$, where $\mathrm{SSB}_{0}$
was calculated based on unfished equilibrium SSB and the parameters of the stock-recruit curve). Mortality-based metrics included: catch-at-age, yield, and harvest rate or exploitation fraction (yield/biomass).

## Model Application

The generalized framework was applied to evaluate three main study objectives using MSYbased reference points. MSY-based reference points were chosen for illustrative purposes, because they are widely used (as explicit or proxy reference points) and discussed in fisheries management. However, their use is not meant to represent the basis for any particular real-world harvest policy. For the first objective $\left(B R P_{-} D e v\right)$, the stage 1 model (Figure 1) was run for several alternative spatial population structures and various connectivity dynamics, and the resulting MSY-based reference points were compared. The second objective ( $H L_{-} A p p$ ) applied results from the stage 1 model runs to the stage 2 model (Figure 1), where an MSY-based harvest level was applied based on an incorrect assumption regarding spatial structure and connectivity dynamics. Thus, the dynamics of the true population structure were simulated using the harvest rate that achieved MSY for the assumed population structure. Model outputs (e.g., level of depletion, foregone yield, and bias in stock status indicators) were then compared across scenarios. The simulation model for objectives one ( $B R P_{\_}$Dev) and two ( $H L_{-} A p p$ ) was conditioned to loosely emulate a mid-water pelagic, hake-like species with many of the life history characteristics borrowed from the Pacific hake (Merluccius productus) stock assessment (Grandin et al. 2016). This species was chosen to provide realistic parameters to initialize the model (see Table 2 for input values), but, given the many simplifying assumptions made, the results were not meant to be representative for any particular species and thus were not suitable
as the basis for management advice. The third objective (Snapper_App) was to apply the generalized simulation framework (stages 1 and 2 ) to a species with alternative life history parameters and to explore the impact of spatial effort allocation. The input parameters, spatial population structure, and connectivity scenarios were based on aspects of Gulf of Mexico red snapper (Lutjanus campechanus), though model evaluations are exploratory and not suitable as the basis for management advice.

## Base Dynamics and Scenarios: Mid-water Pelagic

The simulation model used to evaluate objectives one ( $B R P_{-}$Dev) and two ( $H L_{-} A p p$ ) was first parameterized by a base set of population dynamics and then adjusted to evaluate alternative spatial structure and connectivity scenarios. The base model assumed 15 ages and deterministic simulations were carried out for 200 years, a time period meant to allow equilibrium conditions to occur. The initial age-structure was setup so that abundance at the youngest age class was equivalent to $R_{0}$ (virgin recruitment; 3.125 million fish), and the abundance-at-age was at unfished equilibrium assuming an age-invariant natural mortality of 0.226 , but adjusted such that the total SSB was equivalent to $\mathrm{SSB}_{0}$ (virgin spawning stock biomass; 2.397 million mt ). A Beverton-Holt stock-recruit function was assumed with a steepness of 0.814 , and no stock-recruit deviations were incorporated. SSB was in weight and weight-at-age was input in kilograms. A single fleet was assumed for each area and selectivity was set equivalent to maturity in order to avoid any influence of differences in these quantities on results. All parameters were timeinvariant (see Table 2 for input parameter values).

For population structures assuming multiple areas, the number of areas was two for tractability and ease of interpretation of results. The vital rates were assumed constant across all areas or populations and $R_{0}, S S B_{0}$, and initial abundance-at-age were evenly apportioned among populations in order to ensure that results were not influenced by differential population demographics and that differences in spatial dynamics were the axis of evaluation. For scenarios where differential recruitment apportionment or productivity among areas was assumed, the first area had the potential to produce up to $30 \%$ of the total recruitment, while the second area could produce up to $70 \%$. For a single population with multiple areas, this was accomplished by splitting the recruitment apportionment factor $30 / 70$ (instead of the base $50 / 50$ split). For multiple population scenarios, the split was achieved by scaling the population-specific $R_{0}$ and associated $S S B_{0}$, which then also required rescaling the initial abundances-at-age.

Movement rates and types differed according to objective and scenario set. Movement was separated between larval drift (constant movement at age $a_{0}$ ) and adult movement (constant movement for ages greater than $a_{0}$ ). Two levels of movement were evaluated (high or low residency) along with two types of movement (bidirectional or unidirectional), and both could occur at the larval or adult stage. Bidirectional movement allowed fish to move between both areas, while unidirectional movement represented source-sink dynamics (i.e., fish move in one direction). For bidirectional movement, high residency indicated that $80 \%$ of fish stayed in area 1 and $85 \%$ stayed in area 2 in any given year, while low residency indicated that $60 \%$ stayed in area 1 and $65 \%$ stayed in area 2 . For unidirectional movement, fish were only allowed to move from area 2 to area 1 (representing movement from the more productive area to the less productive area when productivity differed) with high residency set to $85 \%$ and low residency to
$65 \%$. For natal homing scenarios, spawning migrations and natal return were considered. The probability of return was $75 \%$ for spawning migrations and constant across population areas, which represented a plausible level given recent literature on skipped spawning (Rideout and Tomkiewicz 2011). For the natal return models, high and low return probabilities ( $85 \%$ or $65 \%$, respectively) were evaluated, where the age of return was set to age-4 (roughly corresponding to $75 \%$ maturity). Alternative movement levels were chosen to provide a reasonable range of plausible rates but, again, were not meant to reflect any particular species.

Scenarios for the first objective $\left(B R P_{-} D e v\right)$ were developed to calculate and compare reference points across different spatial structures and connectivity assumptions. The first subset of scenarios focused on the role of adult movement (Adult_Move; a complete listing is provided in Supplementary Material Table S1). The second subset looked at the impact of larval connectivity (Larval_Move; Supplementary Material Table S2). The third subset allowed both adult and larval connectivity (All_Move; Supplementary Material Table S3). The fourth subset demonstrated the impact of full connectivity dynamics along with variation in recruitment (i.e., productivity) across areas (Move + Prod; Table 3).

Scenarios for the second objective ( $H L_{-} A p p$ ) were developed using model output harvest levels from the high adult and high larval residency scenarios of objective one, subset four (Move+Prod), as these represented the most inclusive set of MSY-based harvest levels examined. For each scenario, there was a true underlying spatial structure that determined the dynamics of the system and an assumed spatial structure that was used to guide management (i.e., the implemented harvest level) for the true system. The applied harvest rate was that which
maximized yield ( $u_{\mathrm{MSY}}$ ) for the assumed spatial structure. For situations where the assumed spatial structure was panmictic, the panmictic $u_{\text {MSY }}$ was applied to each of the areas in the true population structure. On the other hand, when multiple areas were assumed but the true structure was panmictic, the system-wide $u_{\text {MSY }}$ from the assumed structure (i.e., the total $u_{\text {MSY }}$ across all areas) was used as the harvest rate for the panmictic population. When multiple area spatial structures were examined for both the assumed and true dynamics, the assumed $u_{\text {MSY }}$ for the first [second] area was applied to the first [second] area in the true dynamics. Resulting area-specific and system-wide terminal year outputs (e.g., SSB, yield, and SPR) allowed comparison of how misdiagnosing spatial structure and unknowingly implementing inappropriate management harvest levels may affect the ability to achieve long-term management goals.

## Base Dynamics and Scenarios: Red Snapper-like

The simulation model used to evaluate objective three (Snapper_App) was also parameterized by a base set of population dynamics (Supplemental Table S4), but some simplifying assumptions were made compared to the current assessment (e.g., only a single fleet per area was modeled here). Reference points were evaluated based on various hypothesized spatial structure and connectivity scenarios. For red snapper, spatial structure is known to exist, but the causes and levels of potential mixing among areas is not well known (Patterson 2007; Karnauskas et al. 2013). The current stock structure applied to the assessment of red snapper is essentially two populations (eastern and western Gulf of Mexico) with management treating them as a single population, but tagging studies and larval drift models indicate that metapopulation structure may exist (Patterson 2007; Karnauskas et al. 2013).

Life history parameters were derived from the most recent stock assessment (SEDAR 2015), but some parameters were altered to fit the various modeling assumptions. All parameters were assumed constant across areas (as was done in the stock assessment) and were time-invariant. Selectivity was taken from the dominant fishery (the recreational fleet in the eastern area) in order to avoid the added complexity of averaging selectivity across fleets when a single panmictic population was assumed. The assessment fixes steepness at 1.0 , but allows a timevarying recruitment distribution parameter in order to accommodate the independent recruitment that is thought to exist between the eastern and western populations. For this study, steepness was fixed at 0.85 in order to maintain the reliance of recruitment on SSB. When evaluating a single population with two areas, the recruits were apportioned using the time-averaged apportionment factor estimated from the stock assessment ( $66 \%$ of recruits are apportioned to the western area, referred to as area 2 here). When evaluating metapopulation models, $R_{0}$ was apportioned using the same ratio.

Three types of population structure were investigated based on previously hypothesized connectivity dynamics (Patterson 2007): panmictic, a single population with two areas, and metapopulation structure. For the two spatial population structures, different connectivity dynamics were investigated based on larval connectivity hypothesized from a larval individualbased model (IBM) developed for red snapper (Karnauskas et al. 2013). Five movement scenarios were considered: no movement; bidirectional larval movement with average values from the larval IBM ( $\sim 97 \%$ residency for each population); unidirectional larval movement at maximum values from the larval IBM (the eastern, area 1 , or western, area 2 , is treated as a source with residency of 93\%); unidirectional larval movement based on hypothesized maximum
values (the eastern, area 1 , or western, area 2, is treated as a source with residency of $80 \%$ ); and bidirectional average larval movement ( $97 \%$ residency) with bidirectional adult movement based on hypothesized movement rates ( $90 \%$ adult residency for each population).

Associated reference points were developed for each population structure (see Table S5 for a list of scenarios), and then MSY-based harvest levels were applied to investigate the impact of misdiagnosing spatial structure when effort was apportioned evenly among areas
(Snapper_Even_Eff; see supplemental Figure S14 for specific scenarios). Uneven apportionment of effort was also evaluated when panmictic stock structure was assumed (Snapper_Uneven_Eff; see Figure 7 for specific scenarios), such that the input harvest rate on the eastern population (area 1) was halved and the harvest rate on the western population (area 2) was increased until the panmictic $\mathrm{u}_{\text {MSY }}$ was achieved for the entire complex. The Snapper_Uneven_Eff scenarios illustrated the detriments of ignoring population structure when management failed to limit harvesting aggregation, and were meant to touch upon the potential impact that spatial fleet dynamics (and lack of sub-population catch allocations) might have on naïve management strategies.

## Graphical Analysis

For all scenarios, model output comparisons were carried out through graphical analysis of important management quantities (e.g., MSY, SSB $_{\text {MSY }}$, and $u_{\text {MSY }}$ ). When evaluating the impact of misdiagnosing spatial population structure, results were presented as the ratio of the terminal yield or SSB compared to either the true MSY or $\mathrm{SSB}_{\mathrm{MSY}}$ or the assumed MSY or $\mathrm{SSB}_{\mathrm{MSY}}$. Yield comparisons provided an indication foregone yield, while SSB comparisons indicated the
level of depletion and bias in a common stock status indicator (i.e., when compared to the true stock status).

## Results

Development of BRPs (BRP_Dev)
Spatial population structure had important implications for resulting spatially-explicit management harvest levels and biological reference points (Move+Prod scenario results are described here and qualitatively summarized in Table 4; Adult_Move, Larval_Move, and All_Move scenario results are shown in Supplemental Figures S1, S2, and S3, respectively). Although system-wide (total) $\mathrm{u}_{\text {MSY }}$ was relatively constant across population structures and connectivity dynamics (with the exception of a few cases), resulting SSB $_{\text {MSY }}$ varied considerably across scenarios (Table 4, Figure 3). In addition, different area-specific harvest rates were required to maximize utilization across population structures (Figure 3). For instance, when source-sink dynamics were present, the source population remained relatively unfished ( $u_{\text {MSY }}$ was less than 0.05 ), whereas the sink population was fished much harder ( $u_{\text {MSY }}$ was near 0.4 ).

These results held for both metapopulation and single population, two area scenarios, but were less pronounced (area-specific $u_{\text {MSY }}$ ranged from 0.15 to 0.23 ) for the natal homing scenarios (Figure 3). The resulting system-wide $\mathrm{SSB}_{\mathrm{MSY}}$ was the lowest for the source-sink metapopulation dynamics, due to the constant loss of SSB (and consequent recruitment) from the source population. Adult connectivity was a more important factor than larval connectivity in driving the lower $\mathrm{SSB}_{\text {MSY }}$ for source-sink dynamics (scenarios 13 and 15 versus 12 and 14 in Figure 3), because losses due to movement occurred at every adult age instead of just the youngest age of the cohort (i.e., when only larval connectivity was considered).

Similarly, differential recruitment exacerbated the relative differences in management quantities across areas. Because fish always added to the SSB of their current resident area for the nonnatal homing scenarios, it was intuitive that the area receiving a subsidy (i.e., the sink) would be able to sustain a higher fishing pressure. Interestingly, the results for bidirectional movement began to mimic source-sink dynamics when productivity differed among populations (e.g., scenarios 17 and 19, Figure 3). When there was a metapopulation with bidirectional movement and differential productivity, the more productive population needed to be protected, while harvest on the less productive population could be much higher. However, with bidirectional movement the loss of individuals to the less productive population could be offset by immigration from the de facto sink population (i.e., $\mathrm{SSB}_{\mathrm{MSY}}$ was higher than for the true sourcesink scenarios).

For natal homing scenarios, system-wide SSB tended to be lower, but fluctuations in areaspecific harvesting rates (range of 0.15-0.25) were not as strong as for metapopulation structure (range of 0.05-0.45; Figure 3). When no spawning migrations were assumed to occur with unidirectional movement, system-wide $\mathrm{SSB}_{\mathrm{MSY}}$ and associated $\mathrm{u}_{\mathrm{MSY}}$ declined by about $15 \%$ resulting in a $5 \%$ decline in MSY compared to the same scenarios with spawning migrations. These results were more pronounced for bidirectional movement (declines around $25 \%$ for $\mathrm{SSB}_{\text {MSY }}$ and $\mathrm{u}_{\text {MSY }}$ with a $10 \%$ reduction in MSY). Because fewer fish moved under source-sink dynamics than with bidirectional movement, it was not surprising that $\mathrm{SSB}_{\mathrm{MSY}}$ was lower for the latter because more fish resided outside their natal area and contributed less to natal SSB.

## Application of Incorrect Harvest Levels (HL_App)

The risk of depleting certain areas (within or among populations) while underutilizing others differed across the scenarios examined, but tended to be greatest when the true population structure involved metapopulation dynamics (results are qualitatively summarized in Table 5). Ignoring spatial population structure (i.e., assuming panmictic structure) was not as detrimental as might otherwise be expected for system-wide status (in terms of terminal SSB compared to the true $\mathrm{SSB}_{\mathrm{MSY}}$ ), but it could lead to significant depletion of individual areas (Figure 4; Table 5). When the underlying dynamics involved source-sink connectivity, assuming no spatial structure led to the source area being severely overharvested (SSB less than $40 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ for metapopulation structure) with the sink area being underharvested (SSB over $150 \%$ of $\mathrm{SSB}_{\text {MSY }}$ for metapopulation structure). Moreover, for metapopulation structure with source-sink dynamics a $25 \%$ loss of yield resulted due to misdiagnosing stock structure (Supplemental Figure S5). The main problem with assuming no structure was that managers would only be provided stock status on a system-wide basis, which could indicate that the system was doing well regardless of area-specific depletion (Figure 4 and Supplemental Figure S4).

Interestingly, assuming metapopulation structure when it was not occurring or simply misdiagnosing the connectivity dynamics when metapopulation dynamics were correctly assumed, resulted in the most frequent occurrence of depleting an area (Figure 5; Table 5). When metapopulation structure with source-sink dynamics were assumed, the first area was consistently depleted to low levels (SSB ranged from 15 to $50 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ), while the second area was underfished (SSB was $120-140 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ) regardless of the true spatial structure. The system-wide SSB tended to be maintained around the true $\mathrm{SSB}_{\mathrm{MSY}}$, a notable exception
being for a single population with two areas and unidirectional movement (terminal SSB was at $60 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ). The biggest detriment occurred for area 1 (i.e., SSB around $15 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ) when the true spatial structure involved natal homing. When metapopulation structure with bidirectional movement was assumed, the implications were not as severe (minimum areaspecific SSB around $50 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ). In certain situations when metapopulation structure was assumed, especially when the true spatial structure involved natal homing, there was considerable foregone yield (5-25\%; Supplemental Figure S10).

The risk associated with assuming natal homing when in fact it was not occurring was relatively low in most cases. Overharvesting an area by more than $10 \%$ occurred in only four scenarios (Figure 6, Table 5), while there was mostly little foregone yield (Supplemental Figure S12). The largest impacts were seen when the true underlying structure involved source-sink dynamics (SSB in area 2 was around $30-70 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ for metapopulation or single population, two area true structure), though this result was pronounced for all true metapopulation structures examined regardless of assumed natal homing movement dynamics. Misdiagnosing connectivity dynamics when natal homing was correctly assumed had limited negative impact.

## Red Snapper-like Application (Snapper_App)

Given the relatively limited level of larval and adult movement examined (Table S5), it was not surprising that the system-wide reference points only differed slightly (Supplemental Figure S13). Misdiagnosing spatial structure had limited impact on the resource (area-specific terminal SSB was within $85 \%$ of true SSB $_{\text {MSY }}$ for all scenarios tested; Supplemental Figure S14) when effort was evenly allocated (Snapper_Even_Eff scenarios). However, when panmictic structure
was assumed and harvest effort was allowed to aggregate on the more productive area (Snapper_Uneven_Eff scenarios), the potential for overharvesting increased drastically (systemwide SSB was $75-90 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ for all scenarios tested; Figure 7). The western area (area 2) was often depleted with the terminal SSB usually dropping to less than $50 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ and a minimum value around $15 \%$. However, the eastern area (area 1) was consistently well above its $\mathrm{SSB}_{\mathrm{MSY}}$ (ranging from $125-200 \%$ of $\mathrm{SSB}_{\mathrm{MSY}}$ ). For most of the true population structures examined, there was around a $25 \%$ loss in yield from the system when spatial structure was disregarded and effort was not homogenously distributed (Supplemental Figure S15).

## Discussion

Over the last three decades, there has been increasing awareness that spatial population structure is an important facet of resilience for marine species (e.g., Sinclair 1988; Pelletier and Mahévas 2005; Kerr et al. 2010a,b; Ciannelli et al. 2013). However, little research has been devoted to describing how ignorance of spatial dynamics may impact biological reference points or the reliability of management strategies (e.g., Ying et al. 2011; Hoshino et al. 2014). Our results demonstrate that management benchmarks and the harvest levels required to attain them are strongly influenced by the underlying population structure and connectivity dynamics. For instance, with metapopulation structure, system-wide harvest rates could be maintained at higher levels compared to other population structures, particularly when source-sink dynamics were present, because movement did not hinder reproduction and area-specific fishing mortality occurred only on a single population at any given time. Yet, it is important to carefully monitor area-specific harvest rates in order to avoid overharvesting more productive units, which generally act to maintain resource abundance. Alternatively, for natal homing, harvesting within
a given area occurs on multiple populations with different productivities so obtaining MSYbased BRPs necessitated moderate harvest rates in all areas. Unlike with metapopulation structure, area-specific harvest rates were generally independent of movement types and were relatively constant across areas for natal homing scenarios.

Previous studies have suggested that ignoring spatial structure can lead to overharvesting and localized depletion of sub-population components (e.g., Fu and Fanning 2004; Ying et al. 2011; Hoshino et al. 2014). Our findings further support the general concept that ignoring spatial structure and connectivity dynamics can lead to unintended consequences, and expands upon the types of spatial scenarios for which that applies. For the set of spatial scenarios examined for this study, systems that demonstrate source-sink dynamics have the highest potential to introduce problematic management performance when spatial connectivity is not accurately understood. Localized depletion was common when source-sink dynamics were misdiagnosed even though the underlying population structure may be correct. Incorrect assumptions regarding connectivity or mixing dynamics (even when spatial structure is properly defined) can lead to similar, and sometimes worse, outcomes compared to incorrectly assuming no spatial structure exists. This is problematic for stock assessment and resource management because connectivity dynamics are rarely well understood (e.g., Porch et al. 1998; Goethel et al. 2015), yet there is no good solution for dealing with this source of uncertainty in spatial population dynamics. Further research on the integration of multiple models (e.g., ensemble modeling utilizing a variety of plausible spatial hypotheses) into the stock assessment-management interface along with explorations with spatially explicit management strategy evaluations should help improve
understanding of the robustness of various management procedures to these and other uncertainties.

It was somewhat surprising that when ignoring population structure (i.e., assuming a panmictic population), a metapopulation with source-sink dynamics was the only true spatial structure scenario that resulted in significant system-wide bias ( $>20 \%$ ) in terms of stock status and yield. One important factor related to this finding was that assumed and true connectivity dynamics only included high residency, low movement simulations for the $H L_{\_} A P P$ scenarios. A comparative analysis using low residency, high movement scenarios demonstrated more pronounced impacts. The low movement scenarios were thought to provide a broader representation of typical connectivity dynamics, but clearly the spectrum of results further illustrates the importance of movement and population structure assumptions on the choice of harvest strategies for marine resources.

A number of generalities and caveats exist with this work, and, to better understand the role of these, further consideration and research is warranted. There were many area-specific factors and assumptions (both within a single population and among populations) that could influence results (e.g., degree of movement by age, size, area, and life stage, areal productivity, maturity, growth, fishing effort allocation, and fleet selectivity). To keep the analysis tractable, many of these factors, and the interactions among them, could not be explicitly investigated. The assumed population and connectivity dynamics in the simulations conducted were reasonable, yet simplified compared to real world applications. Additionally, as with most reference point models, time-invariant model parameters were assumed during the deterministic projection
period. Given the flexibility of the modeling approach, it is relatively straightforward to evaluate alternative scenarios, allow for stochasticity in the projection period, and incorporate timevarying parameters and seasonal time increments. Similarly, more complex connectivity dynamics could be included (e.g., density-dependence and other functional forms). Further research is needed that closely examines the interplay between specific connectivity assumptions and the copious spatiotemporal biological, fleet, and management processes. By further developing the general framework for new and alternate assumptions regarding spatial, recruitment, and fishery dynamics, we expect that the basic understanding of how spatial processes impact fisheries management will be continually refined.

There are many unresolved issues that remain with marine spatial assessment models that could impact the reliability of simulation results. For instance, there is no best approach for dealing with the issue of demographic changes of individuals as they move between areas (R. Methot, NOAA NMFS, Silver Spring, MD, personal communication, 2016), which may only be tractable with individual-based modeling approaches. A critical defining characteristic that separates natal homing from metapopulation structure is the degree to which environment and genetics are expected to determine a population's demographic rates and the rate at which an individual will adapt to new environmental regimes. The basic theory of marine metapopulation dynamics (Kritzer and Sale 2004) implies that a fish adheres to the demographics of the area that it moves into (i.e., vital rates are essentially determined by the environment). Alternatively, natal homing dynamics imply that a fish maintains its life history characteristics regardless of where it resides (i.e., natal, via genetics or imprinting, demographics are upheld). In reality, both genetics and environment influence demographic and vital rates to some degree and both modeling
approaches have important limitations. When life history parameters differ by area, assuming that a fish instantaneously adopts the demographics of a new area may result in a reduction in the average size, weight or maturity of a fish as it moves throughout the spatial domain (i.e., rates could be lower at older ages for different populations). Of course, assuming demographics are purely genetic (as with natal homing) is also incomplete. Stock assessment software exists that attempts to deal with these limitations by assigning vital rates to 'growth morphs' or 'platoons' of fish that are assumed to have the same demographics (e.g., recruitment year-classes; Methot and Wetzel 2013), but no fully satisfactory solution currently exists for spatial models.

Further, the instantaneous movement assumption continues to be an over-simplification in spatial population models, because fish movement occurs across a continuum of physical, biological, and chemical gradients (Turchin 1998). Miller and Andersen (2008) suggest that estimating continuous time movement parameters (analogous to continuous fishing and natural mortality rates) may be more appropriate for fisheries models. It might be worthwhile to test within the current framework in order to illustrate the differences that result when fish are able to continuously move from one mortality regime to another. However, until the causal mechanisms that lead to continuous movement are better understood, it may be difficult to apply reference points utilizing this assumption.

Developing more complex evaluations that include multi-component spatial dynamics like the addition of differential selectivity, multiple fleets, and effort aggregation in areas of high biomass concentration are appropriate next steps. The red snapper-like application with uneven fishing effort demonstrated that as more complex, multi-component dynamics are included, the
potential pitfalls of ignoring spatial structure could be magnified. Spatial heterogeneity exists in both the distribution of fishery resources and fishing effort (Fahrig 1993; Guan et al. 2013), and these are often not proportional to each other across space. Accounting for only the biological aspects of spatial structure does not provide a complete overview of how spatial heterogeneity can impact estimation of biological reference points and related harvest strategies. The snapperlike results provide an indication of the increased complexities that result from spatial effort dynamics, which supports the findings of Hoshino et al. (2014). A wide body of literature on Marine Protected Areas (MPAs) has demonstrated the importance of spatial harvest displacement for the determination of stock status indicators and achievement of conservation goals (e.g., Punt and Methot 2004; Pincin and Wilberg 2012; McGilliard et al. 2015). Further work is needed to identify and understand the combined impact of both biological connectivity and spatial fleet dynamics (Fahrig 1993; McGilliard et al. 2015)

Our analysis represents a first step towards better understanding the role that population structure has in defining management benchmarks and subsequent harvest levels. Despite the use of simplifying assumptions, the modeling approach highlighted important patterns and opportunities for investigation (i.e., types of spatial dynamics) that warrant further exploration. Next steps include broadening the generalized simulation model to include increased complexity in the spatiotemporal, population, and fishery dynamics and to more fully account for system uncertainties. An evaluation of data requirements and the associated parameter bias/variance tradeoff that must be confronted when moving to multi-dimensional spatial models, where sample size can become limiting, would also be beneficial. Although the results of this work provide a basic understanding of the interplay between complex spatial dynamics and estimates
of management benchmarks for marine resources, we acknowledge that it only represents a first step towards fully integrating spatial biological and fishery dynamics into fisheries policy. There is a clear need for fisheries scientists and managers to be aware of spatial population structure, because it can have strong implications for how to best manage a fishery to meet management objectives (Fahrig 1993; Benson et al. 2015; Hoshino et al. 2014). In addition, spatial heterogeneity due to fleet dynamics and regulatory measures (e.g., MPAs) only increases the importance of accounting for spatial processes across the assessment-management interface (Guan et al. 2013; McGilliard et al. 2015).

With the increasing recognition of the extensive interactions among time-varying spatial, environmental, population, and fishery processes (Ciannelli et al. 2013), the reliance on static, equilibrium models such as those traditionally used to calculate many biological reference points should be reduced (Hilborn 2002; Hoshino et al. 2014). Developing management strategy evaluations where the operating model is generalized to include many hypothesized spatial and environmental complexities (similar to the model developed here) will allow testing the robustness of management procedures to a variety of interacting dynamics, and will help managers move away from harvest control rules based on BRPs developed with incomplete assumptions (Butterworth and Punt 1999; Geromont and Butterworth 2015). Of particular interest has been the exploration of empirically driven, spatially-explicit reference points that could be used in lieu of or in tandem with conventional BRPs (Reuchlin-Hugenholtz et al. 2015, 2016). No matter how BRPs or harvest strategies are developed, it remains paramount that data collection programs which elucidate migration pathways, connectivity dynamics, and spatiotemporal population structure (e.g., genetic analyses, tagging data, larval transport, and
fine-scale life history data) continue to be funded and expanded in order to support development of more realistic spatial models that can help guide sustainable fisheries management.

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## References

Benson, A.J., Cox, S.P., and Cleary, J.S. 2015. Evaluating the conservation risks of aggregate harvest management in a spatially-structured herring fishery. Fish. Res. 167: 101-113. doi: 10.1016/j.fishres.2015.02.003

Beverton, R.J.H., and Holt, S.J. 1957. On the dynamics of exploited fish populations.
Fisheries Investment Series 2. 19. U.K. Ministry of Agriculture and Fisheries. London: Chapman and Hall. 583 pp.

Bowler, D.E., and Benton, T.G. 2005. Causes and consequences of animal dispersal strategies: relating individual behaviour to spatial dynamics. Biol. Rev. 80: 205-225.

Bull, B., Francis, R.I.C.C., Dunn, A., McKenzie, A., Gilbert, D.J., Smith, M.H., Bain, R., and Fu, D. 2012. CASAL (C++ algorithmic stock assessment laboratory): CASAL user manual (v2.30). NIWA Tech. Rep. 135. 280 p.

Butterworth, D.S., and Punt, A.E. 1999. Experiences in the evaluation and implementation of management procedures. ICES J. Mar. Sci. 56: 985-998.

Cadrin, S.X, and Secor, D. 2009. Accounting for spatial population structure in stock assessment: past, present, and future. In The future of fisheries science in North America. Edited by R.J. Beamish and B.J. Rothschild. Springer Publishing. pp. 405-426. doi: 10.1007/978-1-4020-9210-7_22.

Carruthers, T.R., McAllister, M.K., and Taylor, N.G. 2011. Spatial surplus production modeling of Atlantic tunas and billfish. Ecol. Appl. 21: 2734-2755.

Ciannelli, L., Fisher, J.A.D., Skern-Mauritzen, M., Hunsicker, M.E., Hidalgo, M., Frank, K.T., and Bailey, K.M. 2013. Mar. Ecol. Prog. Ser. 480: 227-243.

Cope, J.M., and Punt, A.E. 2011. Reconciling stock assessment and management scales under conditions of spatially varying catch histories. Fish. Res. 107: 22-38. doi: 10.1016/j.fishres.2010.10.002.
de Moor, C.L., and Butterworth, D.S. 2015. Assessing the South African sardine resource: two stocks rather than one? Afr. J. Marine Sci. 37(1): 41-51.

Fahrig, L. 1993. Effect of fish movement and fleet spatial behaviour on management of fish substocks. Nat. Resour. Model. 7(1): 37-56.

Fournier, D.A., Hampton, J., and Sibert, J.R. 1998. MULTIFAN-CL: a length-based, agestructured model for fisheries stock assessment, with application to South Pacific albacore, Thunnus alalunga. Can. J. Fish. Aquat. Sci. 55: 2105-2116.

Fournier, D.A., Skaug, H.J., Ancheta, J., Ianelli, J., Magnusson, A., Maunder, M.N., Nielsen, A., and Sibert, J. 2012. AD Model Builder: using automatic differentiation for statistical inference of highly parameterized complex nonlinear models. Optim. Method. Softw. 27: 233-249. doi: 10.1080/10556788.2011.597854.

Francis, R.I.C.C., and McKenzie, J.R. 2015. Assessment of the SNA1 stocks in 2013. New Zealand Fisheries Assessment Report 2015/76. 82p.

Fu, C., and Fanning, L.P. 2004. Spatial considerations in the management of Atlantic cod off Nova Scotia, Canada. N. Am. J. Fish. Manage. 24: 775-784.

Geromont, H.F., and Butterworth, D.S. 2015. Complex assessments or simple management procedures for efficient fisheries management: a comparative study. ICES J. Mar. Sci. 72(1): 262-274.

Goethel, D.R., Quinn, T.J., II, and Cadrin, S.X. 2011. Incorporating spatial structure in stock assessment: movement modelling in marine fish population dynamics. Rev. Fish. Sci. 19: 119-136. doi: 10.1080/10641262.2011.557451.

Goethel, D.R., Legault, C.M., and Cadrin, S.X. 2015. Testing the performance of a spatially explicit tag-integrated stock assessment model of yellowtail flounder (Limanda ferruginea) through simulation analysis. Can. J. Fish. Aquat. Sci. 72(1): 164-177. doi: 10.1139/cjfas-2014-0244.

Goethel, D.R., Kerr, L.A., and Cadrin, S.X. 2016. Incorporating spatial population structure into the assessment-management interface of marine resources. In Management science in fisheries: an introduction to simulation-based methods. Edited by C.T.T. Edwards and D.J. Dankel. Routledge, New York, NY. pp. 319-347.

Grandin, C.J., Hicks, A.C., Berger, A.M., Edwards, A.M., Taylor, N., Taylor, I.G., and Cox, S. 2016. Status of the Pacific Hake (whiting) stock in U.S. and Canadian waters in 2016. Prepared by the Joint Technical Committee of the U.S. and Canada Pacific Hake/Whiting Agreement, NMFS and FAO Canada. 165p.

Guan, W., Cao, J., Chen, Y., and Cieri, M. 2013. Impacts of population and fishery spatial structures on fishery stock assessment. Can. J. Fish. Aquat. Sci. 70:1178-1189.

Hampton, J., and Fournier, D.A. 2001. A spatially disaggregated, length-based, age-structured population model of yellowfin tuna (Thunnus albacares) in the western and central Pacific Ocean. Mar. Freshwater Res. 52: 937-963.

Hanselman, D.H., Heifetz, J., Echave, K.B., and Dressel, S.C. 2015. Move it or lose it: movement and mortality of sablefish tagged in Alaska. Can. J. Fish. Aquat. Sci. 72: 238251.

Hart, D.R. 2001. Individual-based yield-per-recruit analysis, with an application to the Atlantic sea scallop Placopecten magellanicus. Can. J. Fish. Aquat. Sci. 58: 2351-2358.

Hart, D.R. 2003. Yield- and biomass-per-recruit analysis for rotational fisheries, with an application to the Atlantic sea scallop (Placopecten magellanicus). Fish. Bull. 101: 44-57.

Hilborn, R. 2002. The dark side of reference points. Bull. Mar. Sci. 70(2): 403-408.
Hjort, J. 1914. Fluctuations in the great fisheries of northern Europe. Rapp. P.-v. Reun.-Cons. Int. Explor. Mer. 20: 1-228.

Hoshino, E., Milner-Gulland, E.J., and Hillary, R.M. 2014. Why model assumptions matter for natural resource management: interactions between model structure and life histories in fishery models. J. Appl. Ecol. 51: 632-641.

Karnauskas, M., Walter, J.F., and Paris, C.B. 2013. Use of the Connectivity Modeling System to estimate movements of red snapper (Lutjanus campechanus) recruits in the northern Gulf of Mexico. NOAA NMFS SEFSC. SEDAR31-AW10.

Kerr, L.A., Cadrin, S.X., and Secor, D.H. 2010a. Simulation modelling as a tool for examining the consequences of spatial structure and connectivity on local and regional population dynamics. ICES J. Mar. Sci. 67: 1631-1639.

Kerr, L.A., Cadrin, S.X., and Secor, D.H. 2010b. The role of spatial dynamics in the stability, resilience, and productivity of an estuarine fish population. Ecol. Appl. 20: 497-507.

Kerr, L.A., and Goethel, D.R. 2014. Simulation modelling as a tool for synthesis of stock identification information. In Stock identification methods: an overview. Edited by S.X.

Cadrin, L.A. Kerr, and S. Mariani. Elsevier Science and Technology, Burlington, MA. pp. 501-533. doi: 10.1016/B978-0-12-397003-9.00021-7.

Kerr, L.A., Cadrin, S.X., and Kovach, A.I. 2014. Consequences of a mismatch between biological and management units on our perception of Atlantic cod off New England. ICES J. Mar. Sci. 71(6): 1366-1381.

Kritzer, J.P., and Sale, P.F. 2004. Metapopulation ecology in the sea: from Levins' model to marine ecology and fisheries science. Fish Fish. 5: 131-140. doi: 10.1111/j.14672979.2004.00131.x.

Kritzer, J.P., and Liu, O.W. 2014. Fishery management strategies for addressing complex spatial structure in marine fish stocks. In Stock identification methods: an overview. Edited by S.X. Cadrin, L.A. Kerr, and S. Mariani. Elsevier Science and Technology, Burlington, MA. pp. 29-57.

Li, Y., Bence, J.R., and Brenden, T.O. 2015. An evaluation of alternative assessment approaches for intermixing fish populations: a case study with Great Lakes lake whitefish. ICES. J. Mar. Sci. 72(1): 70-81. doi: 10.1093/icesjms/fsu057

Ling, S., and Milner-Gulland, E.J. 2008. When does spatial structure matter in models of wildlife harvesting? J. Appl. Ecol. 45: 63-71.

McGilliard, C.R., Punt, A.E., Methot, R.D., and Hilborn, R. 2015. Accounting for marine reserves using spatial stock assessments. Can. J. Fish. Aquat. Sci. 72: 262-280.

Mchich, R., Charouki, N., Auger, P., Raissi, N., and Ettahiri, O. 2006. Optimal spatial distribution of the fishing effort in a multi fishing zone model. Ecol. Model. 197: 274-280.

Methot, R.D., and Wetzel, C.R. 2013. Stock Synthesis: a biological and statistical framework for fish stock assessment and fishery management. Fish. Res. 142: 86-99. doi: 10.1016/j.fishres.2012.10.012.

Miller, T.J., and Andersen, P.K. 2008. A finite-state continuous-time approach for inferring regional migration and mortality rates from archival tagging and conventional tagrecovery experiments. Biometrics. 64: 1196-1206.

Patterson, W.F. 2007. A review of movement in Gulf of Mexico red snapper: implications for population structure. Am. Fish. Soc. Symp. 60: 221-335.

Pelletier, D., and Mahévas, S. 2005. Spatially explicit fisheries simulation models for policy evaluation. Fish and Fish. 6: 307-349.

Pincin, J.S., and Wilberg, M.J. 2012. Surplus production model accuracy in populations affected by a no-take marine protected area. Mar. Coast. Fish. 4: 511-525.

Porch, C. 2003. VPA-2Box (ver. 3.01). Ass. Prog. Doc. ICCAT.

Porch, C., Kleiber, P., Turner, S. C., Sibert, J., Bailey, R. B., and Cort, J. L. 1998. The efficacy of VPA models in the presence of complicated movement patterns. Collect. Vol. Sci. Pap. ICCAT. 50: 591-622.

Punt, A.E., and Cui, G. 2000. Including spatial structure when conducting yield-perrecruit analysis. Australian society for fish biology workshop proceedings, pp. 176-182. September, 1999. Bendigo, Victoria, Australia.

Punt, A.E., and Methot, R.D. 2004. Effects of marine protected areas on the assessment of marine fisheries. Am. Fish. Soc. Symp. 42: 133-154.

Punt, A.E., Haddon, M., and Tuck, G.N. 2015. Which assessment configurations perform best in the face of spatial heterogeneity in fishing mortality, growth, and recruitment? A case study based on pink ling in Australia. Fish. Res. 168: 85-99.

R Core Team. 2012. R: A language and environment for statistical computing. R Foundation for Statistical Computing, Vienna, Austria. ISBN 3-900051-07-0, URL http://www.R-project.org/.

Reiss, H., Hoarau, G., Dickey-Collas, M., and Wolff, W.J. 2009. Genetic population structure of marine fish: mismatch between biological and fisheries management units. Fish Fish. 10(4): 361-395.

Reuchlin-Hugenholtz, E., Shackell, N.L., and Hutchings, J.A. 2015. The potential for spatial distribution indices to signal thresholds in marine fish biomass. PLoS ONE. 10(3): e0120500.

Reuchlin-Hugenholtz, E., Shackell, N.L., and Hutchings, J.A. 2016. Spatial reference points for groundfish. ICES J. Mar. Sci. doi: 10.1093/icesjms/fsw123.

Rideout, R.M., and Tomkiewicz, J. 2011. Skipped spawning in fishes: more common than you might think. Mar. Coast. Fish. 3: 176-189.

Rooker, J.R., Secor, D.H., De Metrio, G., Schloesser, R., Block, B.A., and Neilson, J.D. 2008. Natal homing and connectivity in Atlantic bluefin tuna populations. Science. 322: 742744.

Sanchirico, J.N., and Wilen, J.E. 2001. Dynamics of spatial exploitation: a metapopulation approach. Nat. Resour. Model. 14(3): 391-418.

Sanchirico, J.N., and Wilen, J.E. 2005. Optimal spatial management of renewable resources: matching policy scope to ecosystem scale. J. Environ. Econ. Manag. 50: 23-46.

SEDAR (Southeast Data, Assessment, and Review). 2015. Stock assessment of red snapper in the Gulf of Mexico 1872-2013—with provisional 2014 landings. Gulf of Mexico Science and Statistical Committee. Tampa, FL.

Sinclair, M. 1988. Marine populations: an essay on population regulation and speciation. University of Washington Press, Seattle, WA. 252pp.

Steneck, R.S., and Wilson, J.A. 2010. A fisheries play in an ecosystem theatre: challenges of managing ecological and social drivers of marine fisheries at multiple spatial scales. Bull. Mar. Sci. 86(2): 387-411.

Takashina, N., and Mougi, A. 2015. Maximum sustainable yields from a spatially-explicit harvest model. J. Theor. Biol. 383: 87-92. doi: 10.1016/j.jtbi.2015.07.028.

Thorson, J.T., Fonner, R., Haltuch, M.A., Ono, K., and Winker, H. 2016. Accounting for spatio-temporal variation and fisher targeting when estimating abundance from multispecies fishery data. Can. J. Fish. Aquat. Sci. doi: 10.1139/cjfas-2015-0598.

Truesdell, S.B., Hart, D.B., and Chen, Y. 2016. Effects of spatial heterogeneity in growth and fishing effort on yield-per-recruit models: an application to the US Atlantic sea scallop fishery. ICES J. Mar. Sci. 73(4): 1062-1073.

Tuck, G.N., and Possingham, H.P. 1994. Optimal harvesting strategies for a metapopulation. Bull. Math. Biol. 56: 107-127.

Turchin, P. 1998. Quantitative analysis of movement: measuring and modelling population redistribution in animals and plants. Sinauer Associates, Inc., Sunderland, MA, USA.

Wilberg, M.J., Irwin, B.J., Jones, M.L., and Bence, J.R. 2008. Effects of source-sink dynamics on harvest policy performance for yellow perch in southern Lake Michigan. Fish. Res. 94: 282-289.

Wilen, J.E. 2004. Spatial management of fisheries. Mar. Resour. Econ. 19: 7-19.
Ying, Y., Chen, Y., Lin, L., and Gao, T. 2011. Risks of ignoring fish population spatial structure in fisheries management. Can. J. Fish. Aquat. Sci. 68: 2101-2120. doi: 10.1139/f2011116.

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Tables
Table 1: Glossary of terms used throughout the article.

Definition
The spatiotemporal distribution of a resource resulting from environmental or ecosystem interactions (i.e., connectivity) and reproductive dynamics.
Movement of individuals among geographic areas at any life stage (e.g., larval or adult). A geographic unit representing the spatial extent over which a homogenous fishing mortality acts. Depending on the type of population structure, an area may contain a segment of a single population, an entire population or segments of multiple populations.
A self-reproducing biological entity within which all fish are able to reproductively mix resulting in a single SSB that determines population-specific recruitment values based on a unique stock-recruit function.
The entire spatial domain of the model. A single, unit population with no spatial heterogeneity.

A single population with abundance distributed over multiple areas.
A network of populations each with unique stock-recruit relationships, but which can reproductively mix. It is assumed that environmental factors drive demographic rates.
A population structure wherein multiple populations overlap spatially, but do not reproductively mix. Fish always retain the life history characteristics of their natal population, which assumes that genetics drive demographic parameters.
Movement among areas is only allowed in one direction (e.g., source-sink dynamics). Movement is allowed among all areas.
An instantaneous migration at the time of spawning that allows a fish to reside outside of its natal area throughout the year, but still add to the SSB of its natal population.
A return migration at a specific age (i.e., $\mathrm{a}_{\text {RET }}$ ) that emulates an ontogenetic migration. The fraction of the biomass that is harvested within a given area (i.e., yield/biomass).

Table 2: Input parameters for a midwater pelagic, hake-like species used to evaluate $B R P_{-} D e v$ and $H L_{\text {_ }} A p p$ models. Abundance and recruitment are in 1000s of fish, weight is in kg, and SSB is in metric tons.

| Age | Selectivity | Maturity | Initial <br> Abundance | $\mathbf{M}$ | Weight |
| :---: | :---: | :---: | ---: | :---: | :---: |
| 1 | 0.00 | 0.00 | $3,125,000$ | 0.226 | 0.101 |
| 2 | 0.12 | 0.12 | $2,538,636$ | 0.226 | 0.273 |
| 3 | 0.54 | 0.54 | $2,062,295$ | 0.226 | 0.377 |
| 4 | 0.71 | 0.71 | $1,675,333$ | 0.226 | 0.473 |
| 5 | 0.87 | 0.87 | $1,360,979$ | 0.226 | 0.545 |
| 6 | 1.00 | 1.00 | $1,105,610$ | 0.226 | 0.622 |
| 7 | 1.00 | 1.00 | 898,157 | 0.226 | 0.674 |
| 8 | 1.00 | 1.00 | 729,630 | 0.226 | 0.754 |
| 9 | 1.00 | 1.00 | 592,725 | 0.226 | 0.805 |
| 10 | 1.00 | 1.00 | 481,508 | 0.226 | 0.833 |
| 11 | 1.00 | 1.00 | 391,159 | 0.226 | 0.909 |
| 12 | 1.00 | 1.00 | 317,764 | 0.226 | 0.952 |
| 13 | 1.00 | 1.00 | 258,139 | 0.226 | 0.938 |
| 14 | 1.00 | 1.00 | 209,703 | 0.226 | 0.918 |
| $15+$ | 1.00 | 1.00 | 170,355 | 0.226 | 0.982 |
| $\mathrm{R}_{0}$ | $3,125,000$ | SSB $_{0}$ | $2,397,000$ | Steepness | 0.814 |

981 Table 3: Scenario list for the Move+Prod subset of BRP_Dev models. For natal return and spawning migration models, adult residency actually corresponds to the rate of return. 'All' indicates $100 \%$ residency, 'high' means the high residency values are used, and 'low' signifies that the low residency values are used. For unidirectional movement, $100 \%$ residency is implied for the sink (area 1).

| Scenario | Population Structure | Residency Level |  |  | Movement Type |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Adult | Larval | None | Unidirectional | Bidirectional | Spawning Migration | Natal <br> Return |
| 1 | 1 Population, Panmictic | all | all | x |  |  |  |  |
| 2 | 1 Population, 2 Areas | all | all | x |  |  |  |  |
| 3 | 1 Population, 2 Areas | high | low |  | $x$ |  |  |  |
| 4 | 1 Population, 2 Areas | low | high |  | x |  |  |  |
| 5 | 1 Population, 2 Areas | high | high |  | x |  |  |  |
| 6 | 1 Population, 2 Areas | low | low |  | x |  |  |  |
| 7 | 1 Population, 2 Areas | high | low |  |  | x |  |  |
| 8 | 1 Population, 2 Areas | low | high |  |  | $x$ |  |  |
| 9 | 1 Population, 2 Areas | high | high |  |  | x |  |  |
| 10 | 1 Population, 2 Areas | low | low |  |  | x |  |  |
| 11 | Metapopulation | all | all | x |  |  |  |  |
| 12 | Metapopulation | high | low |  | x |  |  |  |
| 13 | Metapopulation | low | high |  | $x$ |  |  |  |
| 14 | Metapopulation | high | high |  | x |  |  |  |
| 15 | Metapopulation | low | low |  | x |  |  |  |
| 16 | Metapopulation | high | low |  |  | x |  |  |
| 17 | Metapopulation | low | high |  |  | x |  |  |
| 18 | Metapopulation | high | high |  |  | $x$ |  |  |
| 19 | Metapopulation | low | low |  |  | x |  |  |
| 20 | Natal Homing | high | low |  | x |  | x |  |
| 21 | Natal Homing | low | high |  | $\mathbf{x}$ |  | x |  |
| 22 | Natal Homing | high | high |  | x |  | x |  |
| 23 | Natal Homing | low | low |  | $x$ |  | x |  |
| 24 | Natal Homing | high | low |  | x |  |  |  |
| 25 | Natal Homing | low | high |  | x |  |  |  |
| 26 | Natal Homing | high | high |  | x |  |  |  |
| 27 | Natal Homing | low | low |  | x |  |  |  |
| 28 | Natal Homing | high | low |  |  | $x$ | x |  |
| 29 | Natal Homing | low | high |  |  | x | x |  |
| 30 | Natal Homing | high | high |  |  | x | x |  |
| 31 | Natal Homing | low | low |  |  | x | x |  |
| 32 | Natal Homing | high | low |  |  | x |  |  |
| 33 | Natal Homing | low | high |  |  | x |  |  |
| 34 | Natal Homing | high | high |  |  | $x$ |  |  |
| 35 | Natal Homing | low | low |  |  | x |  |  |
| 36 | Natal Homing | high | low |  | x |  |  | x |
| 37 | Natal Homing | low | high |  | x |  |  | x |
| 38 | Natal Homing | high | high |  | $x$ |  |  | x |
| 39 | Natal Homing | low | low |  | x |  |  | x |
| 40 | Natal Homing | high | low |  |  | x |  | x |
| 41 | Natal Homing | low | high |  |  | x |  | x |
| 42 | Natal Homing | high | high |  |  | x |  | x |
| 43 | Natal Homing | Iow | low |  |  | x |  | $\mathbf{x}$ |



Table 5: Qualitative summary of $H L_{-} A p p$ results describing the relative rate of occurrence (compared to results of other spatial structure scenarios) for each factor (i.e., depletion, foregone yield or underutilization) and each of the true and assumed population structure combinations. Results are averaged across movement types and geographic areas within any given assumed to true population structure comparison in order to provide a qualitative overview of results. When true and assumed spatial structures are identical, results compare different movement assumptions (e.g., unidirectional versus bidirectional movement) for the given population structure.

|  |  | Factor | 1 Population, Panmictic | True Popul <br> 1 Population, 2 Areas | ion Structure Metapopulation | Natal Homing |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 Population, Panmictic | Depletion | - | Moderate | Moderate/High | Low |
|  |  | Foregone Yield | - | Low | High | Low |
|  |  | Underutilization | - | Low | High | Low |
|  | 1 Population, 2 Areas | Depletion | Low | Low | Moderate | Low |
| 으 |  | Foregone Yield | Low | Low | Moderate | Low |
| - |  | Underutilization | Low | Low | High | Low |
| $\bar{\square}$ | Metapopulation | Depletion | Low | Moderate/High | Moderate | High |
| O |  | Foregone Yield | Low | High | High | Moderate |
| 앙 |  | Underutilization | Low | High | Moderate | High |
| $\xi$ | Natal Homing | Depletion | Low | Low/Moderate | Moderate | Low |
| ज |  | Foregone Yield | Low | Low | Moderate | Low |
| < |  | Underutilization | Low | Low | High | Low |

Figures

Figure 1: Outline of the two-stage generalized simulation model. MSY-based BRPs were chosen for illustrative purposes, but other depletion or yield-based management benchmarks could be defined. Similarly, $\mathrm{u}_{\text {MSY }}$ in stage 2 could be replaced with any input harvest rate or yield level. Stages were run independently.


Figure 2: Spatial (A) and spatiotemporal (B) dynamics of the simulation model (see Equations 1-5 and associated text for a description of terms). Large circles represent geographic areas within which multiple populations can mix (for spatial heterogeneity smaller circles represent areas within a single population). Mixing (dark overlap regions) is depicted as taking place in partial areas for illustrative purposes, but actually takes place across the extent of the given geographic area. Dotted lines illustrate movement, while narrow solid lines represent recruitment. The small circles in the bottom panel (B) represent the segment of a population (population is denoted by the subscript) outside its natal area, which overlaps with the natal population of the geographic area (large circles; area is represented by the superscript).



Figure 3: Results from the Move + Prod subset of $B R P_{-}$Dev models illustrating MSY-based reference points. MSY and $\mathrm{SSB}_{\text {MSY }}$ are in 1000s of metric tons, while $u_{\text {MSY }}$ is the harvest rate (yield/biomass). Scenarios are grouped by the general type of spatial population structure used in the simulation model (specifics of each scenario are shown in Table 3). Values are provided by area and system-wide (i.e., total summed across areas).

Figure 4: Results from $H L_{\_} A p p$ models demonstrating stock status relative to the true $\mathrm{SSB}_{\mathrm{MSY}}$ (i.e., $\mathrm{SSB}_{\text {Terminal }} \mathrm{SSB}_{\mathrm{MSYTrue}}$ ) assuming panmictic population structure. The true spatial population structure for each scenario is described by the x -axis tabular labels. Values are provided by area and system-wide (i.e., total summed across areas).


True Spatial Structure Scenario


Figure 5: Results from $H L \_A p p$ models demonstrating stock status relative to the true $\mathrm{SSB}_{\mathrm{MSY}}$ (i.e., $\mathrm{SSB}_{\text {Terminal }} / \mathrm{SSB}_{\mathrm{MSYTrue}}$ ) assuming metapopulation structure with source-sink dynamics (i.e., unidirectional movement; left panel) and bidirectional movement (right panel). The true spatial population structure for each scenario is described by the x -axis tabular labels. Values are provided by area and system-wide (i.e., total summed across areas).

Assume Metapopulation Model


True Spatial Structure Scenario


Figure 6: Results from $H L \_A p p$ models demonstrating stock status relative to the true $\mathrm{SSB}_{\mathrm{MSY}}$ (i.e., $\mathrm{SSB}_{\text {Terminal }} \mathrm{SSB}_{\mathrm{MSYTrue}}$ ) assuming natal homing population structure. The left hand panel illustrates results assuming bidirectional movement and spawning migrations (except the last two scenarios, which assume no spawning migration), while the right hand panel displays results assuming natal return. The true spatial population structure for each scenario is described by the x -axis tabular labels. Values are provided by area and system-wide (i.e., total summed across areas).


True Spatial Structure Scenario


Figure 7: Results from Snapper_Uneven_Eff scenarios demonstrating stock status relative to the true $\mathrm{SSB}_{\text {MSY }}$ (i.e., $\mathrm{SSB}_{\text {Terminal }} / \mathrm{SSB}_{\text {MSYTrue }}$ ) assuming panmictic stock structure and allowing a nonhomogeneous distribution of effort (i.e., harvest rate in area 1 is halved and harvest rate in area 2 is increased until the total system-wide harvest rate reaches the desired panmictic $u_{\text {MSY }}$ ). The true spatial population structure for each scenario is described by the x -axis tabular labels, where an asterisk represents the lowest residency rate (i.e., $80 \%$ ) scenario. Values are provided by area and system-wide (i.e., total summed across areas).


True Spatial Structure Scenario (Unequal Effort By Area) 1 Population, 2 Area $x \quad x$


