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AN ADVANCED CONTROL SYSTEM FOR TURBOFAN ENGINE : MULTIVARIABLE CONTROL AND FUZZY LOGIC. (APPLICATION TO THE M88-2 ENGINE)

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ABSTRACT :

The search for better performance of present and future turbofan engine involves an increase on the number of variable geometries and thus of control loops.

As we can not or do not want to disregard the interaction between loops any more, the future control systems will therefore be multivariable. The aim of the architecture of multivariable control presented here is to optimize a performance index during transients.

This architecture consists of an inner loop which optimizes the performance index taking in account the limitations, an outer loop which brings the nominal steady-state offsets to zero and a trajectory which allows to take into account the topping schedule limitation.

This basic architecture can be improved by fuzzy supervisor.

Indeed, two control outputs are generated according to the description above :

- the first one optimizes the thrust and does not care very much about LP stall margin limitation,
- the second one optimizes again the thrust and strongly takes low pressure stall margin limitation into account.

The fuzzy logic then allows to do a compromise between these two control outputs according to the engine state.

Simulation results showing the efficiency of the method are given.

Symbols and Notations :

A8	Exhaust Nozzle Area
C	Combustion Chamber
$\Delta P/P$	Pressure Ratio
F_n	Thrust
H/LP	High/Low Pressure
HPC	High Pressure Compressor
HPT	High Pressure Turbine
LPC	Low Pressure Compressor
LPT	Low Pressure Turbine
LQ	Linear Quadratic
SM	Low Pressure Stall Margin
WF32	Main Fuel Flow

XN2	Fan speed
X*	the desired value of X

1 - INTRODUCTION :

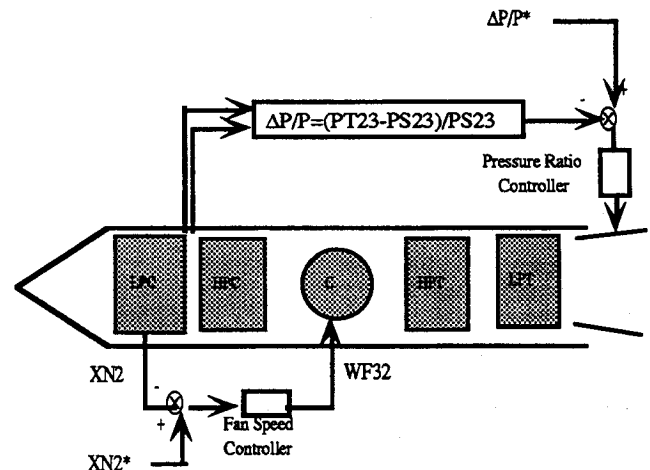
1.1 - Control Architecture of the M88-2 engine :

In order to manage thrust, two engine parameters are controlled: the fan speed, XN2, which is an estimator of the fan airflow and the pressure ratio, $\Delta P/P = (PT23 - PS23)/PT23$, where PT23 is the total pressure and PS23 the static pressure between the LP and HP compressors, DP/P is an estimator of the mach between the two compressors. The LP stall margin, SM, can be computed versus DP/P by :

$$SM = f(DP/P, XN2R)$$

where the corrected fan speed XN2R has a very low influence.

Usually, the fan speed XN2 is controlled by the main fuel flow, WF32, and the pressure ratio $\Delta P/P$ is controlled by the exhaust nozzle area, A8 :



1.2 - Application of the Linear Quadratic Regulator :

In Linear Quadratic (L.Q.) multivariable control, the controller gains are computed in order to minimize a performance index. The choice of this performance index depends on the requirements for an operational mode.

In the thrust mode, the thrust F_n must be optimized and the performance index is :

$$J = \int F_n^2 dt$$

An engine having physic limitations, the actual optimization must take into account constraints. The low pressure (LP) stall margin is one of the main limitations for transients. Thus, the performance index becomes :

$$J = \int (F_n^2 + a SM^2) dt$$

where SM is the LP stall margin, a a parameter used to manage the compromise between performance and the available LP stall margin.

Thrust optimization and keeping LP stall margin nearly constant are contradictory: the best accelerations involve lower LP stall margins at the beginning of transient.

Therefore, it would be very interesting to adapt a versus time, in order to optimize the LP stall margin in the beginning and thrust at the end.

Unfortunately, the linear quadratic method does not allow that variable weighting.

2 - SUPERVISED ARCHITECTURE :

In order to perform this variable weighting, the gains of two multivariable controllers are computed by L.Q. method :

- Ksecu which optimizes the LP stall margin rather than thrust (a big)
- Kperf which optimizes the thrust rather than LP stall margin (a small)

The actual control output is then computed by the weighted sum :

$$u = [(1-\lambda) K_{perf} + \lambda K_{secu}] X$$

where

u is the control output vector
 X is the states vector
 λ a weighting factor.

- when $\lambda \rightarrow 0$, performance is improved rather than LP stall margin.
- when $\lambda \rightarrow 1$, the LP stall margin is optimized rather than performance.

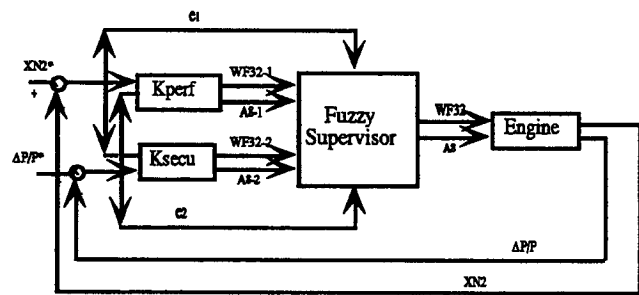
The management of λ becomes the critical point in this concept. Therefore we use fuzzy logic because :

- the λ computation can be evaluated by rules such as :
 " If the difference between $\Delta P/P^*$ (desired) and $\Delta P/P$ is big then $\lambda \rightarrow 0$ "

where $\Delta P/P$ is an estimator of the LP stall margin.

- fuzzy logic allows smooth and continuous evolutions of λ .

So, the following control architecture is selected :



where

$XN2$ is the LP rotor speed,

$\Delta P/P$ the pressure ratio

WF32 the fuel flow

A8 the exhaust nozzle area

$e1 = XN2^* - XN2$ with $XN2^*$ the desired LP rotor speed,

$e2 = \Delta P/P^* - \Delta P/P$ with $\Delta P/P^*$ the desired pressure ratio.

3 - APPLICATIONS :

3.1 - L.Q. Gains computation :

The K_{perf} and K_{secu} gains are classically computed by LQ method optimizing the thrust and LP stall margin, respectively.

3.2 - λ computation :

3.2.1 - Approach :

λ is computed with both differences between :

- the LP rotor speed : $e1 = XN2^* - XN2$, what we call the LP rotor speed error,
- the pressure ratio : $e2 = \Delta P/P^* - \Delta P/P$, what we call the Pressure Ratio error,

$$\lambda = f(e1, e2)$$

Then it is necessary to :

- define a domain of variation (called universe of discourse) for each variable $e1$, $e2$ and λ .
- divide each universe of discourse in sub-parts called fuzzy sets.
- define rules as :

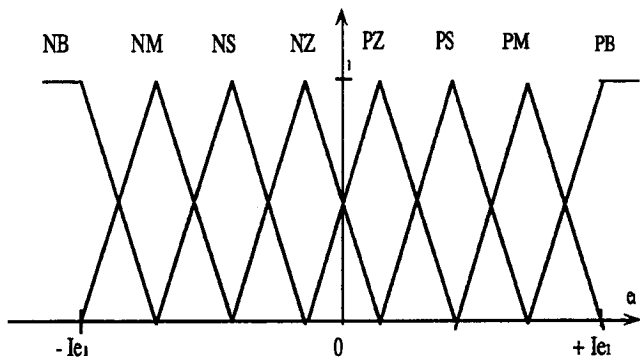
IF ($e1$ is ...) and ($e2$ is ...) THEN (λ is...)

3.2.2 - Universes of discourse :

Universe of discourse of the Rotor speed error :

The universe of discourse of $e1$ is divided in six fuzzy sets :

- NB : Negative Big
- NM : Negative Medium
- NS : Negative Small
- NZ : Negative Zero
- NP : Positive Zero
- PS : Positive Small
- PM : Positive Medium
- PB : Positive Big

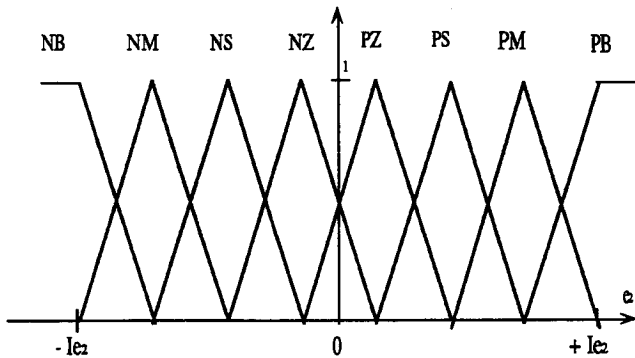


$Ie1$ is a tuning parameter. An obvious value of $Ie1$ is the transient amplitude :

$$Ie1 = XN2^* - XN2 (T=0)$$

. Universe of discourse of the Pressure Ratio error :

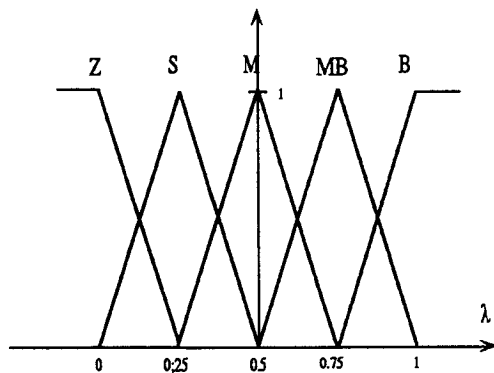
The universe of discourse of $e2$ is also divided in six fuzzy sets :



In the same way, $Ie2$ is a tuning parameter. $Ie2$ can be chosen as the biggest value of the difference between $\Delta P/P^*$ and DP/P during the transient : flight idle \rightarrow full power.

. Universe of discourse of λ :

λ must be included in $[0 ; 1]$, its universe of discourse is divided into five fuzzy sets :



where: Z stands for Zero,
S for small,
M for medium,
MB for medium big,
B for big.

3.2.3 - The Rules :

Keeping in mind $e1$ and $e2$ expressions :

$$e1 = XN2^* - XN2$$

$$e2 = \Delta P/P^* - \Delta P/P$$

we know that during an acceleration :

IF $e1 > 0$ or $e2 < 0$: quite normal behaviour

IF $e2 > 0$, the LP stall margin becomes smaller

IF $e1 < 0$, there is an overspeed

The following look-up table can be deduced :

$c1 \backslash c2$	NB	NM	NS	PS	PM	PB
NB	Z	Z	Z	S	MB	B
NM	Z	Z	S	S	MB	B
NS	Z	Z	S	S	MB	B
PS	Z	Z	S	S	MB	B
PM	Z	Z	S	S	MB	B
PB	Z	Z	Z	S	MB	B

← Performance Seeking
Stall Margin lost →

The middle square of this table stands for nearly steady-state behaviour.

The choice of λ value for the steady state (λ_{ss}) is also a tuning parameter.

A choice of $\lambda_{ss}=0,25$ implies a controller that performs a compromise between thrust and LP stall margin optimization at the end of transients.

Physically, this choice makes no sense and the choice of $\lambda_{ss} = 0$, which implies a controller which performs a complete thrust optimization at the end of transients, would lead to better performance. But a complete thrust optimization at the end of transients could involve an overspeed due to the integral control.

Therefore, simulation results of two controllers ($\lambda_{ss} = 0.5$ and $\lambda_{ss} = 0.25$) are shown and the consequences of the choiced λ_{ss} on performance is exhibited.

4 - Results :

The following results are obtained with linear models of the engine.

The method is tested at two points :

- M1: near flight idle with $\lambda_{ss} = 0.5$ and $\lambda_{ss} = 0.25$.
- M3: near full power with only $\lambda_{ss}=0.5$.

For each variable X, the response was simulated for an input step :

- with a classical multivariable controller which performs the best compromise between the thrust and LP stall margin optimizations, Xref.
- with a classical multivariable controller which performs only the LP stall margin optimization, Xsecu.
- with a classical multivariable controller which performs only the thrust optimization, Xperf.
- with a controller supervised by fuzzy logic, Xfuzzy.

The last controller leads to a minimum loss of LP stall margin: it is the same as those obtained with only LP stall margin optimization. On the other hand this controller also leads to a significant gain of thrust compared with the first one.

These results are mainly due to the desired response of the nozzle area, more efficient in the beginning of transients.

5 - Conclusion :

The results exhibit a significant gain in thrust response for an equivalent LP stall margin loss.

Of course, this method will have to be evaluated with non-linear models. But its application with non-linear models may not introduce particular problem because non-linearities are managed by LQ architecture itself.

On the other hand, stability must be proved at each time:

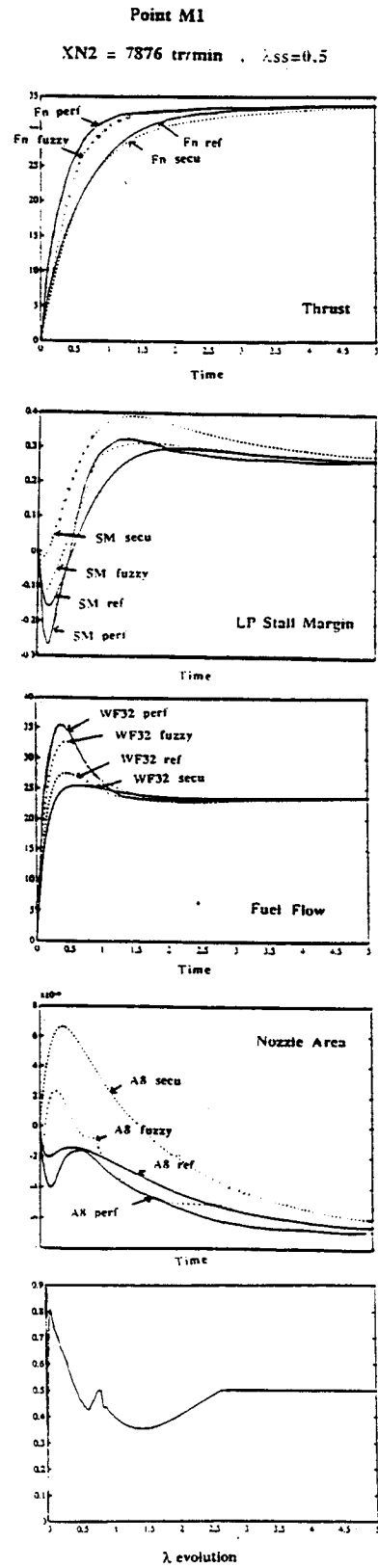
If u_1 and u_2 are stable control outputs, $(1-\lambda)u_1 + \lambda u_2$ is not automatically stable.

In consequence, when K_{perf} and K_{secu} are computed, it must be necessary to verify that $(1-\lambda)K_{perf} + \lambda K_{secu}$ is also stable for $\lambda \in [0; 1]$

This architecture implement in a real ECU also involves the computation of control outputs twice plus the computation of λ using fuzzy logic.

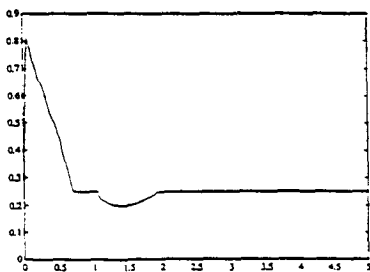
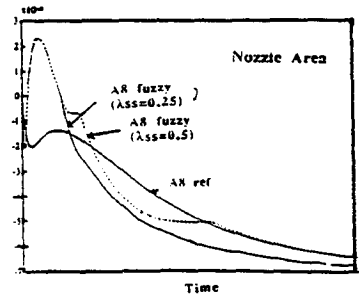
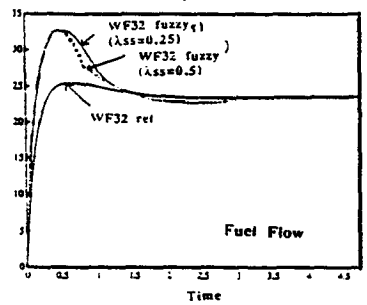
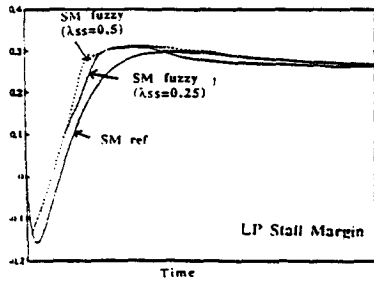
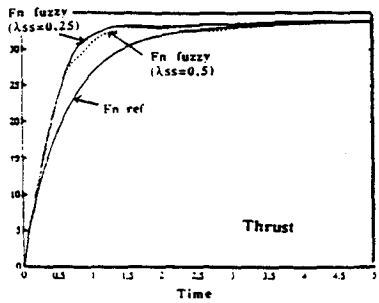
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Point M1

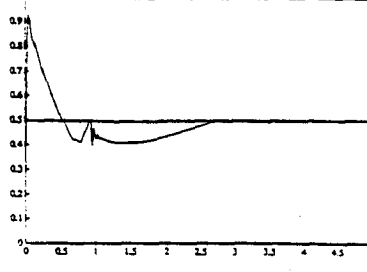
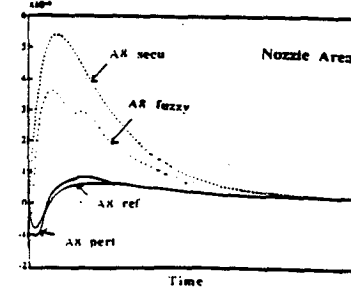
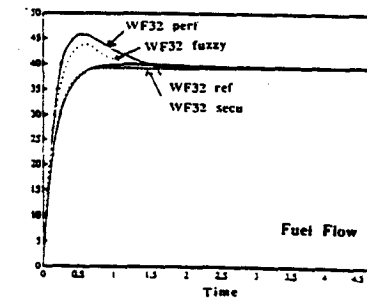
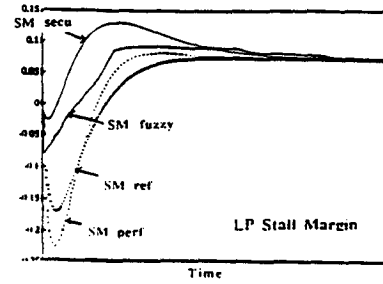
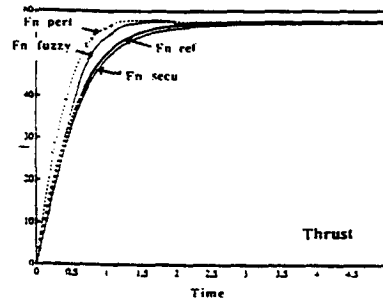
XN2 = 7876 tr/min , $\lambda_{ss}=0.25$



λ evolution

Point M3

XN2 = 10042 tr/min , $\lambda_{ss}=0.5$



λ evolution