

Approaching ballistic transport in suspended graphene

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Published online: 20 July 2008; doi:10.1038/nnano.2008.199

The discovery of graphene^{1,2} raises the prospect of a new class of nanoelectronic devices based on the extraordinary physical properties^{3–6} of this one-atom-thick layer of carbon. Unlike two-dimensional electron layers in semiconductors, where the charge carriers become immobile at low densities, the carrier mobility in graphene can remain high, even when their density vanishes at the Dirac point. However, when the graphene sample is supported on an insulating substrate, potential fluctuations induce charge puddles that obscure the Dirac point physics. Here we show that the fluctuations are significantly reduced in suspended graphene samples and we report low-temperature mobility approaching $200,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ for carrier densities below $5 \times 10^9 \text{ cm}^{-2}$. Such values cannot be attained in semiconductors or non-suspended graphene. Moreover, unlike graphene samples supported by a substrate, the conductivity of suspended graphene at the Dirac point is strongly dependent on temperature and approaches ballistic values at liquid helium temperatures. At higher temperatures, above 100 K, we observe the onset of thermally induced long-range scattering.

The unusual low energy excitation spectrum of graphene, consisting of quasiparticles that are massless Dirac fermions, implies the emergence of novel electronic properties such as negative index of refraction⁷, specular Andreev reflections at graphene–superconductor junctions^{8,9} and evanescent transport¹⁰. Moreover, because graphene is a semimetal, it can be reduced to nanoscale dimensions without becoming an insulator as occurs in doped semiconductors. Underlying these predictions is the assumption that graphene is minimally affected by interactions with the environment. However, the environment^{11,12}, particularly the substrate¹³, can significantly affect such ultrathin films. For graphene deposited on silicon/SiO₂, substrate-induced carrier inhomogeneity due to trapped charges in the oxide or at the graphene–oxide interface is especially deleterious near the Dirac point where screening is weak^{14–17} leading to reduced carrier mobility. In addition, the atomic roughness of the substrate can cause the mobility to deteriorate by introducing short-range scattering centres or by inducing quench-condensation of ripples within the graphene layer¹⁸. Here we address one of the outstanding questions about graphene—what are its intrinsic transport properties close to the Dirac point—by studying graphene in the absence of a supporting substrate.

To eliminate substrate-induced perturbations, graphene films were suspended from gold/titanium contacts to bridge a trench in a SiO₂ substrate (Fig. 1a). In contrast to earlier realizations of suspended graphene (SG)^{19,20}, which did not provide

electrical contacts for transport measurements, the SG devices described here incorporate multiple electrodes that allow four-lead transport measurements. The SG devices were fabricated from conventional non-suspended graphene (NSG) devices using wet chemical etching (see Supplementary Information). In a typical SG device (Fig. 1b), the graphene layer is suspended from the voltage leads, which run across the sample and at the same time provide structural support. This two-lead configuration avoids complications such as sensitivity to details of the lead geometry that arise in ballistic devices when transport measurements are carried out with a conventional Hall bar²¹ design. For the two-lead voltage configuration used here, the measured transport properties of ballistic devices depend on lead separation and doping in a straightforward way that can be calculated from first principles¹⁰ (see Supplementary Information).

Low-temperature (4.2 K) magnetotransport measurements were carried out to determine the number of graphene layers and to obtain the relation $n(V_g)$ between the induced carrier density n and the gate voltage V_g (Fig. 1c,d,e). Note that $n(V_g)$ is linear in V_g , indicating that, within the range of applied gate voltages, bending of the graphene sheet due to the electrostatic force is negligible. Comparing the carrier density capacitance of the SG sample $\alpha_{\text{SG}} = n/V_g (\approx 2.14 \times 10^{10} \text{ cm}^{-2} \text{ V}^{-1})$ to that of the NSG sample, ($\alpha_{\text{NSG}} \approx 7.4 \times 10^{10} \text{ cm}^{-2} \text{ V}^{-1}$), we find that the ratio $\alpha_{\text{NSG}}/\alpha_{\text{SG}} = 3.46$ is $\sim 15\%$ smaller than the ratio of the corresponding dielectric constants (SiO₂ and vacuum). This suggests a slight permanent sagging of the SG devices that is attributed to the deformation of the leads by wicking action of liquids during the fabrication process.

We next focus on the carrier density dependence of the resistivity $\rho(n)$ in a zero magnetic field in the temperature range 4.2–250 K (Fig. 2a). The particle–hole asymmetry seen in the figure is observed in all our samples, SG as well as NSG, if the lead separation is sufficiently short ($L < 1 \mu\text{m}$), but it becomes negligible in samples with large lead separation or in the samples with the Hall bar geometry. This implies a contact-induced asymmetry that could arise due to contamination during fabrication or doping by the lead material. However, it could also occur as a result of the unique boundary conditions imposed by the two-lead geometry. Further studies are needed to determine the precise cause of the asymmetry. We limit our discussion to the hole branch where well-defined Shubnikov-de-Haas (ShdH) oscillations are observed. For SG samples, the peak in $\rho(V_g)$ at the Dirac point becomes very sharp at low temperatures. On the hole branch the half-width at half-maximum (HWHM) is almost

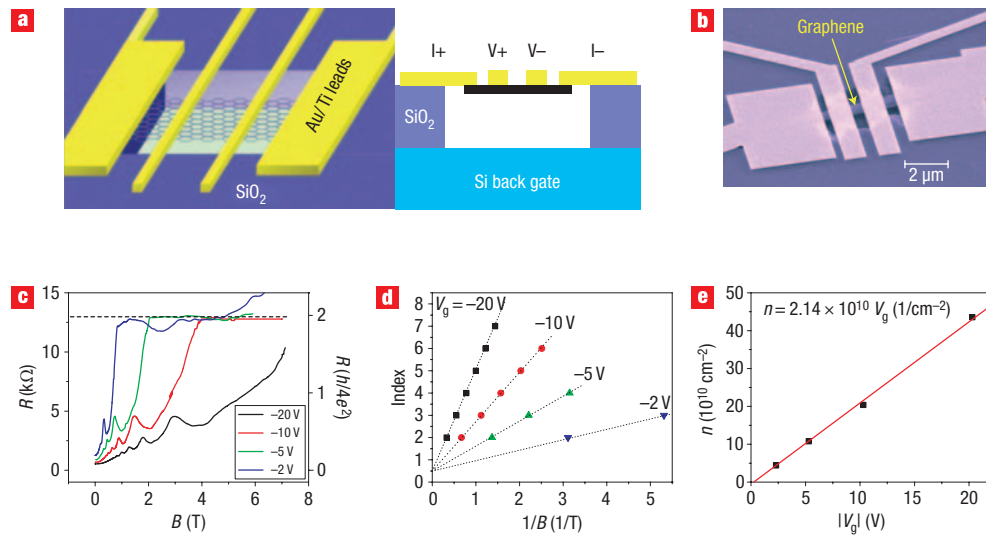


Figure 1 Suspended graphene (SG) sample characterization. **a**, Schematic representation of the structure of the SG devices: top view (left panel), side view (right panel). The electrodes are shown in yellow and the SiO_2 in blue. **b**, Scanning electron microscope image of a typical SG sample. **c**, Shubnikov-de-Haas (ShdH) oscillations in the hole branch at the indicated gate voltages. The plateaus at $R_{xx} \approx 13 \text{ k}\Omega$ ($h/2e^2$) reflect a contribution from the Hall resistance, seen as a result of the non-ideal shape of the sample. **d**, A 'fan diagram' constructed for the hole branch from the gate dependence of the ShdH oscillations in **c** by plotting the Landau level index versus $1/B$ for the indicated gate voltages V_g . The linear dependence extrapolated to the index number $1/2$ identifies the sample as single-layer graphene⁶. **e**, The slopes of the curves in **d** give the ShdH oscillation periods $1/B_F$ for each value of V_g , from which the gate dependence of the carrier density $n = 4e/hB_F(V_g)$ is obtained.

one order of magnitude narrower for SG samples than that of the best NSG samples reported to date^{4,22}. This is directly seen (Fig. 2a) in the side-by-side comparison of the $\rho(n)$ curves for SG and NSG samples taken from the same graphite crystal. In Fig. 2b we compare the low-temperature $\rho(n)$ curves with ballistic predictions¹⁰ for two SG samples (see Supplementary Information). Although the ballistic curve is still sharper than the SG curve, the discrepancy is much smaller than for NSG samples. At low carrier densities, the SG devices show near-ballistic transport away from the Dirac point, as revealed by the weak dependence of the conductance per unit width on channel length (Fig. 2c).

A remarkable feature of the $\rho(n)$ curves in SG samples is the strong temperature dependence of the maximum resistivity, in marked contrast to NSG samples, as illustrated in Fig. 2a. Whereas in NSG the maximum resistivity saturates below $\sim 200 \text{ K}$ (ref. 23), in SG it continues to grow down to much lower temperatures. We attribute this difference to the absence of substrate-induced random potential fluctuations in the SG. The random potential introduces electron-hole puddles^{15–17} close to the Dirac point that cause spatial fluctuations in doping levels. The average deviation of the local Dirac point from the Fermi energy defines an energy bandwidth E_F^{sat} , within which the effect of gating is limited to a redistribution of carriers between electrons and holes without significantly changing the total carrier density. Similarly, the effect of thermally excited electron-hole pairs is masked until $k_B T \approx E_F^{\text{sat}}$ (where k_B is the Boltzmann constant). The effect of the random potential can be estimated (Fig. 3a) from the gate voltage below which the conductivity $\sigma(n) = \rho^{-1}(n)$ no longer changes with gating. This defines a saturation density n^{sat} that was used to estimate $E_F^{\text{sat}} = \hbar v_F (n^{\text{sat}} \pi)^{1/2}$, where $v_F = 1 \times 10^6 \text{ m s}^{-1}$ is the Fermi velocity. In Fig. 3b we compare the temperature dependence of E_F^{sat} for two SG samples and one NSG sample. At high T , the slopes of the SG curves approach k_B as expected for thermally

excited carriers. At low T , where the fluctuation energy is controlled by charge inhomogeneity, its value in the SG samples, $E_F^{\text{sat}} < 10 \text{ meV}$, is much smaller than in the best NSG samples reported to date, $E_F^{\text{sat}} \approx 40 \text{ meV}$ (ref. 22). A direct consequence of the low level of potential fluctuations in the SG samples is that one can follow the intrinsic transport properties of Dirac fermions much closer to the Dirac point than is possible with NSG samples. The effect of temperature on the conductivity curves $\sigma(n)$ is shown in Fig. 3c. Outside the saturation regime, the curves can be fit with a model where scattering is primarily due to boundary confinement and midgap states²⁴ $\sigma_{\text{calc}} = (\sigma_{\text{mg}}^{-1} + \sigma_{\text{bal}}^{-1})^{-1}$. Here

$$\sigma_{\text{bal}} = \frac{L}{W} \frac{4e^2}{h} \sum_{n=1} T_n$$

is the ballistic contribution to the conductivity, the summation is over all available longitudinal transport channels and T_n is the transmission probability in the n th channel, which depends on sample width, lead separation and chemical potential. The Landauer formula is used because, as we show below, the mean free path (mfp) is comparable to the lead separation¹⁰. Because of interference effects associated with the boundaries, T_n (and consequently all other transport properties) is an oscillatory function of the chemical potential¹⁰ (see Supplementary Information). The other term,

$$\sigma_{\text{mg}} = \frac{e^2}{n_i h \pi} k_F^2 (\ln k_F R_0)^2,$$

describes scattering by midgap states produced by topological defects of characteristic size R_0 and density n_i . The fit at 4 K gives $R_0 \approx 3.4 \text{ nm}$ and $n_i \approx 1 \times 10^{10} \text{ cm}^{-2}$. Close to the Dirac

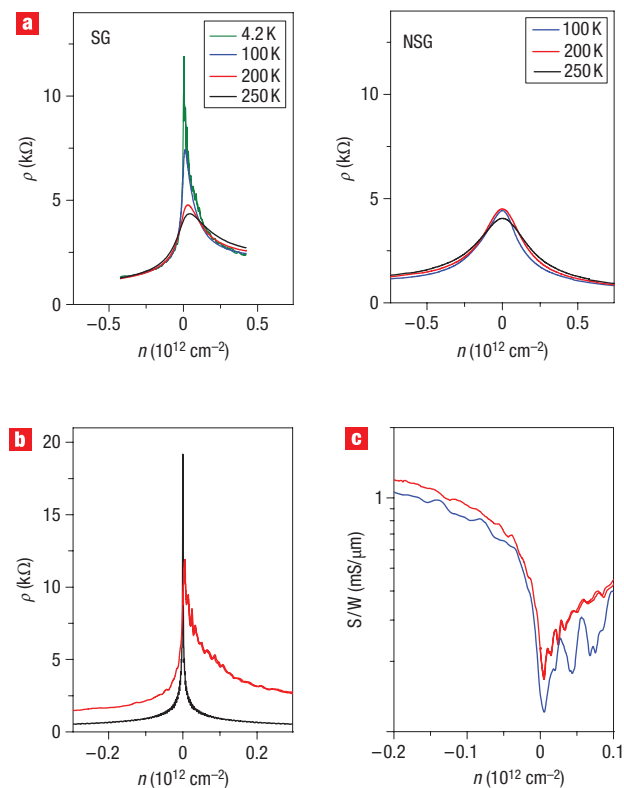


Figure 2 Carrier density dependence of transport. **a**, Resistivity of an SG device with channel length $L = 0.5 \mu\text{m}$ and width $W = 1.4 \mu\text{m}$ at the indicated temperatures (left panel). Resistivity of an NSG device with $L = 0.5 \mu\text{m}$ (right panel). Note that the resistivity peak almost coincides with the neutrality point ($V_g = 0$), indicating little extrinsic doping. The asymmetry in the curves is observed in all SG samples (see Supplementary Information). The HWHM of the resistivity peak of the SG sample is significantly narrower ($\delta V_g \approx 0.15 \text{ V}$, $\delta n \approx 3.2 \times 10^9 \text{ cm}^{-2}$) than that of the NSG sample ($\delta n \approx 2.2 \times 10^{11} \text{ cm}^{-2}$). **b**, Comparison of the carrier density dependence of the resistivity for the SG device in the left panel of **a** (red curve, $L = 0.5 \mu\text{m}$, $T = 4.2 \text{ K}$) with predictions of the ballistic model¹⁰ at $T = 0$ for channel length $L = 0.5 \mu\text{m}$ (black curve). The ballistic model predicts a HWHM of $\delta n \approx 2.14 \times 10^8 \text{ cm}^{-2}$ for the $\rho(n)$ peak. **c**, Comparison of conductance per unit width for two SG samples with different dimensions: $L = 0.5 \mu\text{m}$, $W = 1.4 \mu\text{m}$ (red curve) and $L = 0.25 \mu\text{m}$, $W = 0.9 \mu\text{m}$ (blue curve) at 4.2 K .

point the minimum conductivity σ_0 is roughly linear in T for $T < 100 \text{ K}$ with a finite intercept at $T = 0$ (Fig. 3c, inset),

$$\sigma_0 = 84 \mu\text{S} = 1.7 \frac{4e^2}{\pi h}$$

Here $4e^2/\pi h$ is the theoretically predicted value at the Dirac point for ballistic transport mediated by evanescent modes¹⁰. The linear T dependence cannot be understood within existing theoretical models^{25–27}. Further work is needed to elucidate how different scattering mechanisms, interactions and the boundary conditions affect the temperature dependence.

We next focus on the mobility, $\mu = \sigma/en$, and the mean free path, $\text{mfp} = \sigma h/(2e^2 k_F)$, calculated from the measured conductivity. These quantities are meaningful outside the puddle regime, $n > n^{\text{sat}}$ (n^{sat} marked by arrows) where the carrier density is known. In Fig. 4a we compare the density dependence

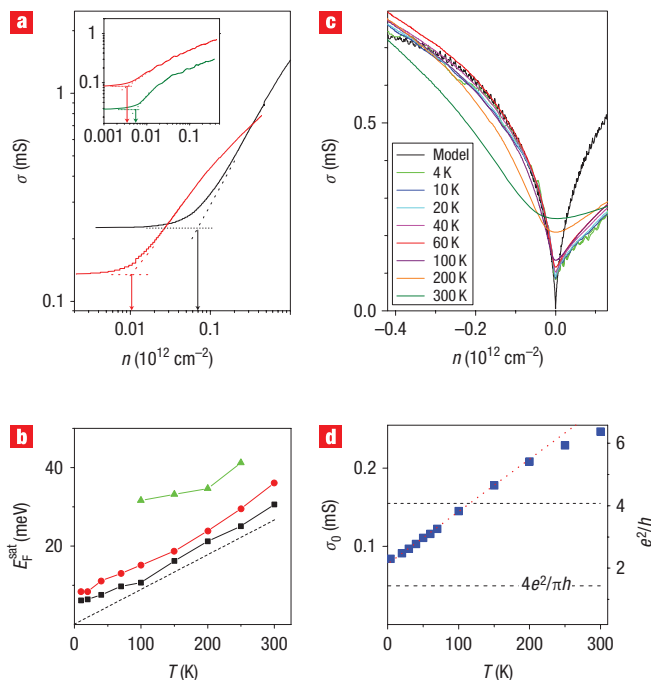


Figure 3 Potential fluctuations. **a**, Comparison of the carrier density dependence of conductivity for SG (red curve) and NSG (black curve) devices with channel length $L = 0.5 \mu\text{m}$, at $T = 100 \text{ K}$. The arrows indicate the carrier density below which transport properties are dominated by potential fluctuations. Inset: A similar plot comparing two SG devices: $L = 0.5 \mu\text{m}$ (red curve) and $L = 0.25 \mu\text{m}$ (green curve) at $T = 4.2 \text{ K}$. **b**, Temperature dependence of the charge inhomogeneity (measured as the amplitude of the Fermi energy fluctuation) for two SG samples: $L = 0.5 \mu\text{m}$ (red), $L = 0.25 \mu\text{m}$ (black), and one NSG sample with $L = 0.5 \mu\text{m}$ (green). The dotted line represents $E_F^{\text{sat}} = k_B T$. **c**, Carrier density dependence of conductivity for the indicated temperatures (the data were shifted to align the minima with the neutrality point). For $T < 100$, outside the saturation regime the data collapse onto the calculated curve $\sigma_{\text{calc}} = (\sigma_{\text{mg}}^{-1} + \sigma_{\text{bal}}^{-1})^{-1}$, where σ_{bal} is the ballistic contribution controlled by lead confinement¹⁰ and σ_{mg} is the contribution from midgap states²⁴ as discussed in the text. **d**, Temperature dependence of the minimum conductivity of the device with $L = 0.5 \mu\text{m}$ and $W = 1.4 \mu\text{m}$. The dashed lines correspond to $4e^2/h$ (upper line) and the theoretical value for evanescent transport $4e^2/\pi h$ (lower line). The dotted line is a guide to the eye.

of the mobility for SG and NSG samples. Just outside the puddle regime, $n \approx 4 \times 10^9 \text{ cm}^{-2}$ at $T = 100 \text{ K}$, the maximum mobility of the SG samples, $\sim 120,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$, is significantly larger than that measured in the best NSG samples, $\sim 2,000$ – $20,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$. The mobility of the SG samples continues to decrease upon further cooling, reaching its highest value, $\sim 185,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$, at $T = 20 \text{ K}$. Because at low densities the mobility is mostly determined by long-range scattering¹⁵ (short-range scattering is weak near the Dirac point due to the small density of states²⁴), the lower mobility of the NSG samples implies that removal of the substrate eliminates the primary source of long-range scattering. At high carrier densities ($n > 4 \times 10^{11} \text{ cm}^{-2}$), the mobility in SG and NSG becomes comparable ($\sim 10,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$), suggesting dominant short-range scattering. Short-range scatterers reflect imperfections in the graphene layer, which may be inherited from the parent graphite crystal or could be introduced during the fabrication process. Similar conclusions can also be reached from the $\text{mfp}(n)$

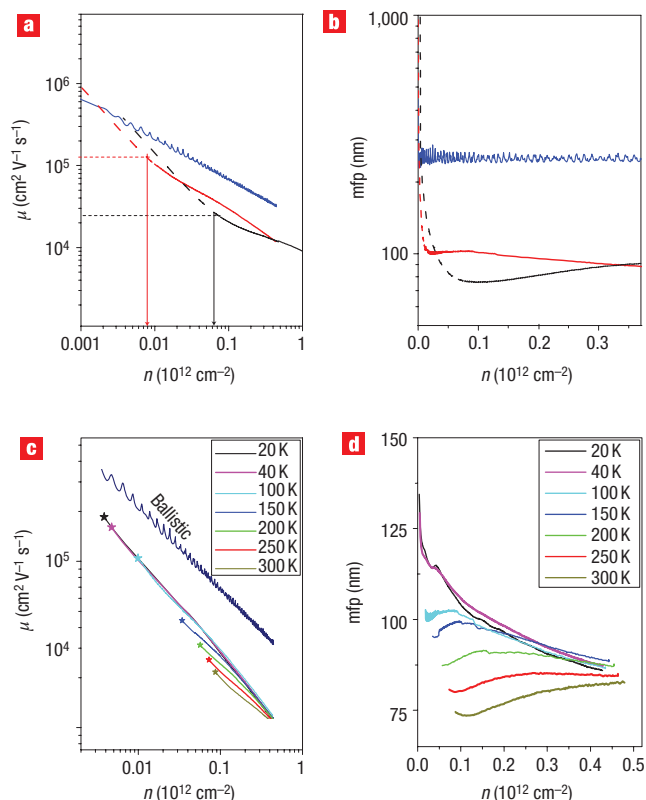


Figure 4 Mobility and mean free path (mfp) of hole branch carriers.

a, Carrier density dependence of mobility for the NSG device (black curve) and the SG device (red curve) at $T = 100$ K, and ballistic model predictions (blue curve). The onset of the electron–hole puddle regime, $n^{\text{sat}} \approx 6 \times 10^{10} \text{ cm}^{-2}$ and $4 \times 10^9 \text{ cm}^{-2}$ for the NSG and SG samples, respectively, is indicated by arrows. In the puddle regime ($n < n^{\text{sat}}$) the mobility cannot be obtained from these transport measurements, as discussed in the text. For these data, the maximum meaningful mobility is $\sim 120,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ and $20,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ for the SG and NSG samples, respectively. The finite mobility and oscillatory dependence on carrier density shown in the theoretical curve is a consequence of the finite size imposed by the voltage leads, as discussed in the text. **b**, Carrier density dependence of the mfp for the NSG (black curve) and SG (red curve) devices at $T = 100$ K and the ballistic model prediction (blue curve). **c**, Carrier density dependence of mobility outside the puddle regime at the indicated temperatures. **d**, Carrier density dependence of mfp outside the potential fluctuation regime at the indicated temperatures.

curves in Fig. 4b: the positive slope for the NSG samples reflects long-range scattering¹⁵, and the negative slope for the SG sample is consistent with the absence of long-range scatterers such as charged impurities^{15,24}. This is reinforced by the temperature dependence of the $\text{mfp}(n)$ curves for the SG sample (Fig. 4d). The negative slope and absence of T dependence for $T < 100$ K suggest predominantly short-range scattering. Comparing with the ballistic prediction (Fig. 4b), we find that at low T the mfp in the SG sample is within $\sim 50\%$ of the ballistic value, which requires a description of the transport in terms of the Landauer formalism. For $T > 100$ K, the trend to positive slopes suggests the onset of thermally induced long-range scattering, possibly due to thermally excited ripples¹⁸ or ripple-induced charge inhomogeneity²⁸. However, more work is needed to understand the scattering mechanism in this regime.

After completion of this study we became aware of transport measurements on SG samples²⁹ carried out with a Hall probe lead geometry. Although the maximum calculated mobility in both experiments is comparable, it is important to realize that the different lead configuration can produce qualitatively different results (see Supplementary Information). The geometry of voltage lead configurations is particularly important in such clean systems as it determines the boundary conditions on the electronic wavefunctions: open for the Hall bar arrangement and closed for the two-lead geometry. Thus, in the latter geometry the finite mfp imposed by the distance between the voltage leads places an upper bound on the mobility so that even for perfectly ballistic graphene, the measured mobility is finite and depends on carrier density. For a sample with dimensions as used in these experiments $L \times W = 0.5 \mu\text{m} \times 1.4 \mu\text{m}$, the maximum ballistic mobility is $\sim 280,000 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ at $n \approx 4 \times 10^9 \text{ cm}^{-2}$.

The transport measurements reported here show that the maximum resistivity in SG samples ($\sim 12\text{--}40 \text{ k}\Omega$) is significantly higher than values reported for NSG samples ($\sim 2\text{--}7 \text{ k}\Omega$). These values do not coincide with the theoretical prediction for ballistic transport $\pi h/4e^2$. However, because the contributions from charge inhomogeneity and scattering have opposite effects, the value of the maximum resistivity cannot in itself be proof of ballistic transport. In contrast, the peak-width of $\rho(n)$ does provide a reliable yardstick for comparing to ballistic predictions because all scattering mechanisms increase the width. Here we have shown that the resistivity peak in SG devices is more than an order of magnitude sharper than in NSG devices. Together with the high value of the measured mobility, which continues to increase down to the lowest temperatures, these experiments provide strong evidence of near ballistic transport in suspended graphene. They open the door to the realization of a new generation of nanodevices based on the unique transport properties of charge carriers governed by Dirac fermion physics.

Received 4 March 2008; accepted 16 June 2008; published 20 July 2008.

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Supplementary Information accompanies this paper at www.nature.com/naturenanotechnology.

Acknowledgements

We thank G. Li and Z. Chen for discussions, S.W. Cheong and M. Gershenson for use of the atomic force microscope and e-beam equipment, V. Kiryukhin for the highly ordered pyrolytic graphite crystals, F. Guinea, A.H. Castro Neto, A. Balatsky, M. Fogler and D. Abanin for further useful discussions. Our work was supported by DOE DE-FG02-99ER45742; and ICAM.

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