〇 Open access • Journal Article • DOI:10.3368/JHR.48.3.545
College Major Choice and the Gender Gap - Source link
Basit Zafar
Institutions: Federal Reserve System
Published on: 01 Jul 2013 - Journal of Human Resources (University of Wisconsin Press)
Topics: Coursework

## Related papers:

- Ability sorting and the returns to college major
- Modeling college major choices using elicited measures of expectations and counterfactuals
- Determinants of College Major Choice: Identification using an Information Experiment
- Choice of Major: The Changing (Unchanging) Gender Gap:
- A Major in Science? Initial Beliefs and Final Outcomes for College Major and Dropout


## Provided in Cooperation with:

Federal Reserve Bank of New York

[^0]This Version is available at:
http://hdl.handle.net/10419/60764

## Standard-Nutzungsbedingungen:

Die Dokumente auf EconStor dürfen zu eigenen wissenschaftlichen Zwecken und zum Privatgebrauch gespeichert und kopiert werden.

Sie dürfen die Dokumente nicht für öffentliche oder kommerzielle Zwecke vervielfältigen, öffentlich ausstellen, öffentlich zugänglich machen, vertreiben oder anderweitig nutzen.

Sofern die Verfasser die Dokumente unter Open-Content-Lizenzen (insbesondere CC-Lizenzen) zur Verfügung gestellt haben sollten, gelten abweichend von diesen Nutzungsbedingungen die in der dort genannten Lizenz gewährten Nutzungsrechte.

## Terms of use:

Documents in EconStor may be saved and copied for your personal and scholarly purposes.

You are not to copy documents for public or commercial purposes, to exhibit the documents publicly, to make them publicly available on the internet, or to distribute or otherwise use the documents in public.

If the documents have been made available under an Open Content Licence (especially Creative Commons Licences), you may exercise further usage rights as specified in the indicated licence.


# Federal Reserve Bank of New York <br> Staff Reports 

## College Major Choice and the Gender Gap

Basit Zafar

Staff Report no. 364
February 2009

This paper presents preliminary findings and is being distributed to economists and other interested readers solely to stimulate discussion and elicit comments. The views expressed in the paper are those of the author and are not necessarily reflective of views at the Federal Reserve Bank of New York or the Federal Reserve System. Any errors or omissions are the responsibility of the author.

# College Major Choice and the Gender Gap 

Basit Zafar

Federal Reserve Bank of New York Staff Reports, no. 364
February 2009
JEL classification: D8, I2, J1, Z1


#### Abstract

Males and females are markedly different in their choice of college major. Two main reasons have been suggested for the gender gap: differences in innate abilities and differences in preferences. This paper addresses the question of how college majors are chosen, focusing on the underlying gender gap. Since observed choices may be consistent with many combinations of expectations and preferences, I use a unique data set of Northwestern University sophomores that contains the students' subjective expectations about choice-specific outcomes. I estimate a choice model where selection of college major is made under uncertainty (about personal tastes, individual abilities, and realizations of outcomes associated with the choice of major). Enjoying coursework, finding fulfillment in potential jobs, and gaining the approval of parents are the most important determinants in the choice of college major. Males and females have similar preferences while in college, but their preferences diverge in terms of the workplace: Nonpecuniary outcomes at college are most important in the decisions of females, while pecuniary outcomes realized at the workplace explain a substantial part of the choice for males. I decompose the gender gap into differences in beliefs and preferences. Gender differences in beliefs about academic ability explain a small and insignificant part of the gap, a finding that allows me to rule out low self-confidence as a possible explanation for females' underrepresentation in the sciences. Conversely, most of the gender gap is the result of differences in beliefs about enjoying coursework and differences in preferences.


Key words: college majors, uncertainty, subjective expectations, preferences, gender differences, culture

Zafar: Federal Reserve Bank of New York (e-mail: basit.zafar@ny.frb.org). The author is indebted to Charles Manski, Paola Sapienza, and Christopher Taber for extremely helpful discussions and comments. The author thanks Raquel Bernal, Meta Brown, Adeline Delavande, Marianne Hinds, Ben Jones, Hilarie Lieb, Joan Linsenmeier, Carlos Madeira, Ofer Malamud, Steve Ross, Ija Trapeznikova, Sergio Urzua, Wilbert van der Klaauw, and seminar participants at the National Bureau of Economic Research Higher Education Working Group and Northwestern University for feedback and suggestions. Financial support from a Northwestern University Graduate Research Grant, and Ronald Braeutigam, is gratefully acknowledged. The author thanks all those involved in providing the data sets used in this paper. The views expressed in this paper are those of the author and do not necessarily reflect the position of the Federal Reserve Bank of New York or the Federal Reserve System.

## 1 Introduction

The difference in choice of college majors between males and females is quite dramatic. In 1999-2000, among recipients of bachelor's degrees in the United States, $13 \%$ of women majored in education compared to $4 \%$ of men, and only $2 \%$ of women majored in engineering compared to $12 \%$ of men (2001 Baccalaureate and Beyond Longitudinal Study). Figure 1 highlights the differences in gender composition of undergraduate majors of 1999-2000 bachelor's degree recipients (see also Turner and Bowen, 1999; Dey and Hill, 2007).

These markedly different choices in college major between males and females have significant economic and social impacts. Figure 2 shows that large earnings premiums exist across majors. For example, in 2000-2001, a year after graduation in the United States, the average education major employed full-time earned only $60 \%$ as much as one who majored in engineering (for a discussion of earnings differences across majors, also see Garman and Loury, 1995; Arcidiacono, 2004). Paglin and Rufolo (1990) and Brown and Corcoran (1997) find that differences in major account for a substantial part of the gender gap in the earnings of individuals with several years of college education. Moreover, Xie and Shauman (2003) show that, controlling for major, the gap between men and women in their likelihood of pursuing graduate degrees and careers in science and engineering is smaller. The gender differences in choice of major have recently been at the center of hot debate on the reasons behind women's under-representation in science and engineering (Barres, 2006).

There are at least two plausible explanations for these differences. First, innately disparate abilities between males and females may predispose each group to choose different fields (Kimura, 1999). However, studies of mathematically gifted individuals reveal differences in choices across gender, even for very talented individuals. For example, the Study of Mathematically Precocious Youth shows that mathematically talented women preferred careers in law, medicine, and biology over careers in physical sciences and engineering (Lubinski and Benbow, 1992). Moreover, the gender gap in mathematics achievement and aptitude is small and declining (Xie and Shauman, 2003; Goldin et al., 2006), and gender differences in mathematical achievement cannot explain the higher relative likelihood of majoring in sciences and engineering for males (Turner and Bowen, 1999; Xie and Shauman, 2003). These studies suggest gender differences in preferences as a second possible explanation for the gender gap in the choice of major. However, no systematic attempt has been made to study these preferences.

In this paper, I estimate a choice model of college major in order to understand how undergraduates choose college majors and to explain the underlying gender differences. The choice of major is treated as a decision made under uncertainty- uncertainty about personal tastes, individual abilities, and realizations of outcomes related to choice of major. Such outcomes may include the associated economic returns and lifestyle as well as the successful completion of major. My choice model is closest in spirit to the theoretical model outlined in Altonji (1993), which treats education as a sequential choice made under uncertainty. In his dynamic model, the decisions about attending college, which field to major in, and dropping out are based on uncertain economic returns, personal tastes, and abilities. I, however, do not model the choice of college. The particular institutional setup in the Weinberg College of Arts \& Sciences (WCAS) at Northwestern University allows me to estimate a choice model of college major where the decision can be treated as dynamic. However, since individuals are assumed to maximize current expected utility, and they are surveyed at a time when they are actively thinking about choosing a major, a static choice model is estimated in this paper.

The standard economic literature on decisions made under uncertainty generally assumes that individuals, after comparing the expected outcomes from various choices, choose the option that maximizes their expected utility. Given the choice data, the goal is to infer the parameters of the utility function. However, the expectations of the individual about the choice-specific outcomes are also unknown. The approach prevalent in the literature overlooks the fact that subjective expectations may be different from objective probabilities, assumes that formation of expectations is homogeneous, makes nonverifiable assumptions on expectations, and uses choice data to infer decision rules conditional on maintained assumptions on expectations. However, this can be problematic since observed choices might be consistent with several combinations of expectations and preferences, and the list of underlying assumptions may not be valid (see Manski, 1993a, for a discussion of this inference problem in the context of how youth infer returns to schooling). To illustrate this, let us assume that only two majors exist. Let us further assume that it is easier to get a college degree in the first major, but that it offers lower-paying jobs than the second major. An individual choosing the first major is consistent with two underlying states of the world: (1) she cares only about getting a college degree, or (2) she values only the job prospects but wrongly believes that the first major will get her a high-paying job. If one observes only the choice, then clearly one cannot discriminate between the two possibilities. The solution to this identification problem is to use additional data on expectations to allow the researcher to separate the two possibilities, and that is precisely what I do.

I have designed and conducted a survey to elicit subjective expectations from 161 Northwestern University sophomores regarding choice of major. The survey collects data on demographics and background information, data relevant for the estimation of the choice model, and open-ended responses intended to explore how individuals form expectations.

In contrast to most studies on schooling choices that ignore uncertainty, I estimate a random utility model of college major choice allowing for heterogeneity in beliefs. ${ }^{1}$ My approach also differs from the existing literature by accounting for the non-pecuniary aspects of the choice. Fiorito and Dauffenbach (1982) and Easterlin (1995) highlight the importance of non-price determinants in the choice of majors. However, no study has jointly modeled the pecuniary and non-pecuniary determinants of the choice. My approach allows me to quantify the contributions of both pecuniary and non-pecuniary outcomes to the choice. Moreover, the model is rich enough to explain gender differences in choices.

Average responses to questions eliciting subjective expectations match up with existing objective statistics for several questions, indicating that respondents answer meaningfully and seriously. However, respondents exhibit significant heterogeneity in their responses (both between and within genders), which underscores the importance of expectations data to conduct inference in settings with uncertainty. The current study does not analyze the subjective data in detail since that would abstract from the main goal of the paper. Interested readers are instead referred to Zafar (2008), which analyzes the subjective data.

I estimate separate models for single-major choice and for double-major choice. The most important outcomes in the choice of single major are enjoying coursework, enjoying work at potential jobs, and gaining the approval of parents. Non-pecuniary outcomes explain about $45 \%$ of the choice behavior for males and

[^1]more than three-fourths of the choice for females. Males and females have similar preferences at college, but differ in their preferences regarding the workplace: Males care more about the pecuniary outcomes in the workplace and females about the non-pecuniary outcomes. The results for the model of double-major choice are similar to those for single major. Graduating in four years, gaining approval of parents, and enjoying coursework are the most important determinants of the choice. Additionally, I find evidence of individuals strategically choosing pairs of majors that allow them to specialize along certain dimensions. Females prefer pairs of majors that entail different chances of completion and getting a job upon graduation. Males, on the other hand, prefer pairs of majors that differ in their chances of completion, in the approval of parents, and in how much they would enjoy the coursework.

On the methodology side, this paper adds to the recent literature on subjective expectations (see Manski, 2004 , for an overview of this literature). In the last decade or so, economists have increasingly undertaken the task of collecting and describing subjective data. Studies have shown that subjective data tend to be good predictors of behavior. For example, Euwals et al. (1998) show that data on desired working hours is helpful in explaining female labor supply. Similarly, Hurd et al. (2004) show that subjective survival probabilities affect retirement behavior and timing of social security benefits claims in meaningful ways. Recently, expectations data have been employed to estimate decision models: Wolpin (1999), van der Klaauw (2000), and van der Klaauw and Wolpin (2008) show that incorporating subjective expectations data in choice models improve the precision of the parameter estimates. Delavande (2004) collects subjective data to estimate a model of birth control choice for women. The choice model used in this paper is motivated by her framework. My paper contributes to this literature by providing an extensive description of students' expectations about major-specific outcomes and by using subjective expectations data to estimate a choice model.

Second, this paper contributes to the recent literature on culture and economic outcomes (see Guiso et al., 2006; Fernandez et al., 2004). In order to establish a causal link from culture to economic outcomes, I focus on the dimension of culture that is inherited by an individual from previous generations, rather than being voluntarily selected. I use information on the country of origin of the individual's parents as a cultural proxy. I find that cultural proxies bias preferences in favor of certain outcomes. Individuals with foreign-born parents value the pecuniary aspects of the choice more. In particular, males with foreign-born parents are the only sub-group in my sample for whom pecuniary outcomes explain more than $50 \%$ of the choice.

Finally, this paper is related to the literature that focuses on the underlying reasons for the gender gap in science and engineering. An important question is whether gender differences in choices are driven by differences in preferences or in beliefs. In the recent debate on the under-representation of women in science and engineering, some authors have claimed that the gap may be driven by the fact that women are less self-confident about their academic abilities than men. Valian (1998) argues that social prejudice against women causes them to lose self-confidence. Indeed, Solnick (1995) finds that women are more likely to shift to other majors from traditionally female majors if they attend a women's college. To check the validity of these hypotheses, I decompose the gender gap in major choice into differences in beliefs and differences in preferences. First, I find that gender differences in beliefs about ability constitute a small and insignificant part of the gap. This implies that explanations based entirely on the assumption that women have lower selfconfidence relative to men (Long, 1986; Niederle and Vesterlund, 2007) can be rejected in my data. Second,
the majority of the gender gap in majors that I consider can be explained by gender differences in beliefs about tastes for studying different fields, and differences in preferences. For example, $60 \%$ of the gender gap in engineering is due to differences in preferences, while $30 \%$ is due to differences in how much females and males believe they will enjoy studying engineering. Gender differences in beliefs about future earnings in engineering are insignificant and explain less than $1 \%$ of the gap. I simulate an environment in which the female subjective belief distribution about ability and future earnings is replaced with that of males; in the case of engineering, this reduces the gap by only about $14 \%$. These results suggest that simply raising expectations for women in science, as claimed by Valian (1998), may not be enough, and that wage discrimination and under-confidence with regard to academic ability may not be the main reasons why women are less likely to major in science and engineering.

The paper is organized as follows. Section 2 outlines the choice model and the identification strategy. Section 3 describes the institutional setup of Weinberg College of Arts \& Sciences, outlines the data collection methodology, and briefly describes the subjective data. Section 4 outlines the econometric framework used for estimation. Section 5 presents the estimation results for the model of single-major choice. Section 6 summarizes the results for the model of double-major choice (details of the model and estimation are available in the online Appendix ${ }^{2}$ ). Section 7 undertakes a decomposition technique to understand the sources of gender differences in choice of major. Finally, Section 8 concludes.

## 2 Choice Model

At time $t$, individual $i$ is confronted with the decision to choose a college major from her choice set $C_{i}$. Individuals are forward-looking, and their choice depends not only on the current state of the world but also on what they expect will happen in the future. Individual $i$ derives utility $U_{i k t}\left(\mathbf{a}, \mathbf{c}, X_{i t}\right)$ from choosing major $k$. Utility is a function of a vector of outcomes a that are realized in college, a vector of outcomes $\mathbf{c}$ that are realized after graduating from college, and individual characteristics $X_{i t}$. Examples of outcomes in a include graduating within four years, enjoying the coursework, and gaining approval of parents. Examples of outcomes in c include future income, number of hours spent at the job, and ability to reconcile family and work. Both vectors, $\mathbf{a}$ and $\mathbf{c}$, are uncertain at time $t$; individual $i$ possesses subjective beliefs $P_{i k t}(\mathbf{a}, \mathbf{c})$ about the outcomes associated with choice of major $k$ for all $k \in C_{i} .^{3}$ If an individual chooses major $m$, then standard revealed preference argument (assuming that indifference between alternatives occurs with zero probability) implies that:

$$
\begin{equation*}
m \equiv \arg \max _{k \in C_{i}} \int U_{i k t}\left(\mathbf{a}, \mathbf{c}, X_{i t}\right) d P_{i k t}(\mathbf{a}, \mathbf{c}) \tag{1}
\end{equation*}
$$

The goal is to infer the preference parameters from observed choices. However, the expectations of the individual about the choice-specific outcomes are also unknown. The most one can do is infer the decision rule conditional on the assumptions imposed on expectations. This would not be an issue if there were reasons to think that prevailing expectations assumptions are correct. However, not only has the information-processing rule varied considerably among studies of schooling behavior, but most assume that individuals form their

[^2]expectations in the same way. ${ }^{4}$ First, there is little reason to think that individuals form their expectations in the same way. Second, different combinations of preferences and expectations may lead to the same choice. Manski (2002) shows that different combinations of preferences and expectations (about others' behavior) leads to the same actions in the ultimatum game. To cope with the problem of joint inference on preferences and expectations, I elicit subjective probabilities directly from individuals. An additional advantage of this approach is that it allows me to account for the non-pecuniary determinants of the choice (data that do not exist otherwise).

The exact utility specification is outlined in section 4 , which presents the econometric framework. I first describe the data collection methodology.

## 3 Data

I collected data on 161 Northwestern University sophomores. This section describes the institutional details at Northwestern, the data collection method, and the nature of the subjective data.

### 3.1 Institutional Details

Northwestern University requires students to declare their major by the end of their sophomore year. Since sophomores are actively thinking about their choice of major, this study is restricted to Northwestern University sophomores. The study is further restricted to schools at Northwestern University that accord students flexibility in choosing a major. For example, a student in the School of Engineering has to declare her major at the time of admission and can change her major only by a special request to the school. This student would not be eligible for the study. I further assume that the choice set for an individual is exogenous. This eliminates students in smaller schools at Northwestern since I will have to make strong assumptions about their choice set. Therefore, I restrict the study to the Weinberg College of Arts \& Sciences (WCAS) at Northwestern. All sophomores with at least one major in the WCAS were eligible for the study. ${ }^{5}$

### 3.1.1 Choice Set

WCAS offers a total of 41 majors. To estimate the choice model, one needs to elicit the subjective probabilities of the outcomes for each major in one's choice set. In order to limit the size of the choice set, I pool similar majors together. Table 1 shows the majors divided into various categories. Categories $a$ through $g$ span the majors offered in WCAS. Categories $h$ through $l$ span undergraduate majors offered by other schools at Northwestern University. There is a trade-off between the number of categories and the length of the survey. This categorization is fairly fine and also seems reasonable.

For a student pursuing a single major in WCAS, it is assumed that her choice set includes all the categories

[^3]that span WCAS majors ( $a-g$ ), and category $k$, the majors offered in the School of Engineering. ${ }^{6}$ Therefore, any student with a single major is assumed to have 8 categories in her choice set.

For an individual with a double major, the choice set is conditional on whether both her majors are in WCAS and the School of Engineering, or not. Conditional on the student's majors being in WCAS and the School of Engineering, the choice set is the same as that of a single major respondent except that the goal now is to select pairs of majors rather than a single one. Conditional on one of the majors being in a school other than WCAS or the School of Engineering, the choice set includes all major categories that span WCAS, category $k$, and the category which includes the student's non-WCAS major. ${ }^{7}$

### 3.2 Data Collection

A sample of eligible sophomores and their e-mail addresses was provided by the Northwestern Office of the Registrar. Students were recruited by e-mail, and flyers were posted on campus in schools other than WCAS. ${ }^{8}$ The e-mails and flyers explicitly asked for sophomores with an intended major in WCAS. Prospective participants were told that the survey was about the choice of college majors and that they would get $\$ 10$ for completing the 45 -minute electronic survey. It was emphasized that students need not have declared their majors to participate in the study. The survey was conducted from November 2006 to February 2007. Respondents were required to come to the Kellogg Experimental Laboratory to take the electronic survey.

A total of 161 WCAS sophomores were surveyed, of whom 92 were females. Table 2 shows how the characteristics of the sample compare with those of the sophomore class. The sample looks similar to the population in most aspects. However, a few differences stand out: (1) students of Asian ethnicity are overrepresented in my sample; (2) $61 \%$ of the respondents had declared their majors at the time of the survey, whereas the corresponding number for the sophomore population was only $18 \%$. However, this statistic for the population was obtained at the beginning of the sophomore year. Since students may declare their majors at any time during the academic year, it is very likely that this statistic was greater than $18 \%$ for the population at the time of the survey; and (3) it seems that survey-takers, especially male students, have higher GPAs than their population counterparts.

Table 3 presents the distribution of WCAS majors in the sample. For comparison, the major distribution for the graduating class of 2006 is also presented. ${ }^{9}$ There are a few notable features. The proportion of males who (intend to) major in Social Sciences II is twice the corresponding proportion of women both in my sample and in the graduating class of 2006. This pattern is reversed in the case of Social Sciences I and Literature and Fine Arts. The proportion of females who (intend to) major in Literature and Fine Arts is more than three times the corresponding proportion of males.

The 45 -minute survey consisted of three parts. The first part collected demographic and background information (including parents' and siblings' occupations and college majors, source of college funding, etc.). The second part collected data relevant for the estimation of the choice model, and is discussed in more detail in the next subsection. The third part collected responses to open-ended questions intended to explore

[^4]how respondents form expectations about various major-specific outcomes and to identify the sources of information they used. At the end of the survey, respondents were asked if they were willing to participate in a follow-up survey in a year's time. If the respondents agreed to the follow-up, they were asked for their names and contact information. An astounding $97 \%$ (156 out of 161) respondents agreed to the follow-up.

### 3.3 Subjective Data

The subjective beliefs, $P_{i k t}(\mathbf{a}, \mathbf{c}) \forall k \in C_{i}$, are elicited directly from the respondent. The vector a includes the outcomes:
$a_{1}$ successfully completing (graduating) a field of study in four years
$a_{2}$ graduating with a GPA of at least 3.5 in the field of study
$a_{3}$ enjoying the coursework
$a_{4}$ hours per week spent on the coursework
$a_{5}$ parents approve of the major
while the vector consists of:
$c_{1}$ get an acceptable job immediately upon graduation
$c_{2}$ enjoy working at the jobs available after graduation
$c_{3}$ able to reconcile work and family at the available jobs
$c_{4}$ hours per week spent working at the available jobs
$c_{5}$ social status of the available jobs
$c_{6}$ income at the available jobs
An individual's choice of major might be motivated by several pecuniary and non-pecuniary concerns. An individual motivated primarily by future earnings prospects may choose a major that is associated with large income streams $\left(c_{6}\right)$, allows a high probability of getting a job upon graduation $\left(c_{1}\right)$, and increases the possibility of getting jobs with high social status $\left(c_{5}\right)$. An individual concerned about her ability may choose a major that presents a greater probability of completion $\left(a_{1}\right)$ and allows her to graduate with a higher GPA $\left(a_{2}\right)$. On the other hand, an individual may choose a major with low-salary job prospects that allows a flexible lifestyle $\left(c_{3}, c_{4}\right)$ or provides opportunities to do things she enjoys $\left(c_{2}\right)$. Similarly, an individual's choice may be influenced by the kinds of courses she finds interesting $\left(a_{3}\right)$ or by how demanding the major is $\left(a_{4}\right)$. Finally, the choice may be influenced by parents and family $\left(a_{5}\right)$. Another interpretation of these outcomes is as follows: $a_{1}$ and $a_{2}$ are outcomes that capture ability in college; $a_{3}$ can be interpreted as taste in college; and $c_{2}$ and $c_{3}$ may be interpreted as tastes in the workplace.

Note that $\left\{a_{r}\right\}_{r=\{1,2,3,5\}}$ and $\left\{c_{q}\right\}_{q=\{1,2,3\}}$ are binary, while outcomes $a_{4}$ and $\left\{c_{q}\right\}_{q=\{4,5,6\}}$ are continuous. For all $k \in C_{i}$, the survey elicited the probability of the occurrence of the binary outcomes, i.e., $P_{i k t}\left(a_{r}=1\right)$ for $r=\{1,2,3,5\}$ and $P_{i k t}\left(c_{q}=1\right)$ for $q=\{1,2,3\}$. Expected value was elicited for the continuous outcomes, i.e., $E_{i k t}\left(a_{4}\right)$ and $E_{i k t}\left(c_{q}\right)$ for $q=\{4,6\}$.

Questions eliciting the subjective probabilities of major-specific outcomes are based on the use of percentages. As is standard in studies that collect subjective data, a short introduction was read and handed to the respondents at the start of the survey:
"In some of the survey questions, you will be asked about the PERCENT CHANCE of something happening. The percent chance must be a number between zero and 100. Numbers like 2 or $5 \%$ indicate "almost no chance," $19 \%$ or so may mean "not much chance," a 47 or $55 \%$ chance may be a "pretty even chance," $82 \%$ or so indicates a "very good chance," and a 95 or $98 \%$ mean "almost certain." The percent chance can also be thought of as the NUMBER OF CHANCES OUT OF 100.

We will start with a couple of practice questions."
This introduction is similar to the one in the Survey of Economic Expectations (SEE), described in Dominitz and Manski (1997). However, as in Delavande (2004), I do not round off the percentages. For example, I use $19 \%$ instead of $20 \%$ to encourage respondents to use the full range from zero to 100 . Respondents had to answer two practice questions before starting the survey to make sure they understood how to answer questions based on the use of percentages.

The questions dealing with subjective expectations were worded as follows:
If you were majoring in $[X]$, what do you think is the percent chance that you will graduate with a GPA of at least 3.5 (on a scale of 4)?
and:
Look ahead to when you will be 30 YEARS OLD. If you majored in $[X]$, what do you think is the percent chance that you will be able to reconcile work and your social life/ family at the kinds of jobs that will be available to you?

The question eliciting the expected number of hours per week spent on coursework was:
If you were majoring in [X], how many hours per week do you think you will need to spend on the coursework?

Social status of the available jobs was elicited as follows:
Look ahead to when you will be 30 years old. Rank the following fields of study according to your perception of the social status of the jobs that would be available to you and that you would accept if you graduated from that field of study. ${ }^{10}$

For the expected income, the question was as follows: ${ }^{11}$
Look ahead to when you will be 30 years old. Think about the kinds of jobs that will be available to you and that you will accept if you graduate in [X]. What is the average amount of money that you think you will earn per year by the time you are 30 YEARS OLD?

In addition, I elicited the subjective belief of being active in the full-time labor force at the age of 30 and 40 , and $E\left(Y_{0}\right)$, the expected income at the age of 30 if one were to drop out of college.

Questions eliciting beliefs about major-specific outcomes can be viewed in section 9.1 of the Appendix. The full questionnaire is available from the author on request.

[^5]
### 3.4 The Data

Since the use of subjective data in economics is fairly recent, there is a genuine interest in analyzing the precision and accuracy of such data. However, given that the main goal of this paper is to estimate the preferences for college major choice by taking the subjective data as given, I don't undertake this task here since it is not possible to summarize the data in a condensed form. Moreover, to address the extent to which cognitive biases (such as respondents making little mental effort in answering questions, cognitive dissonance, and social desirability) affect beliefs, one would need to observe how beliefs evolve over time. Interested readers are referred to Zafar (2008), which analyzes this set of issues by using a panel of beliefs elicited from the same sample. The companion paper shows that respondents provide meaningful answers to questions eliciting subjective expectations. In cases where responses could be compared to objective realities and statistics, on average, survey responses match up well. For example, individuals are aware of the earnings differences across majors. Moreover, Zafar (2008) does not find evidence of cognitive biases systematically affecting the way in which individuals report their beliefs.

It should be pointed out that there is substantial heterogeneity in responses both between and within gender. In order to highlight the heterogeneity in beliefs across respondents, I discuss the response to a representative question. Table 4 presents the gender-specific subjective belief distribution of graduating with a GPA of at least 3.5 in Engineering and in Literature and Fine Arts. The table shows that respondents are willing to use the entire scale from zero to 100 . It does seem that respondents tend to round off their responses to the nearest 5 , especially for answers not at the extremes. There has been some concern that respondents might answer $50 \%$ when they want to respond to the interviewer, but are unable to make any reasonable probability assessment of the relevant question. ${ }^{12}$ However, the $50 \%$ response is not the most frequent one in the majority of the cases. There doesn't seem to be any evidence of anchoring, since numbers that were presented in the introductory text do not occur more often than others. The substantial heterogeneity in beliefs questions the accuracy of restrictions imposed on expectations in the literature.

## 4 Econometric Model

This section outlines the econometric framework.
Recall that utility, $U_{i k t}\left(\mathbf{a}, \mathbf{c}, X_{i t}\right)$, is a function of a $5 \times 1$ vector of outcomes a realized in college, a $6 \times 1$ vector of outcomes $\mathbf{c}$ realized after graduating from college, and individual characteristics $X_{i t}$. The individual maximizes her current subjective expected utility ${ }^{13}$; she chooses major $m$ at time $t$ if:

$$
\begin{equation*}
m=\arg \max _{k \in C_{i}} \int U_{i k t}\left(\mathbf{a}, \mathbf{c}, X_{i t}\right) d P_{i k t}(\mathbf{a}, \mathbf{c}) \tag{2}
\end{equation*}
$$

Moreover, as explained in section 3.3, the outcomes $\left\{a_{r}\right\}_{r=\{1,2,3,5\}}$ and $\left\{c_{q}\right\}_{q=\{1,2,3\}}$ are binary, while outcomes $a_{4}$, and $\left\{c_{q}\right\}_{q=\{4,5,6\}}$ are continuous. I change the notation slightly and define $\mathbf{b}$ to be a $7 \times 1$ vector of all binary outcomes, i.e., $\mathbf{b}=\left\{a_{1}, a_{2}, a_{3}, a_{5}, c_{1}, c_{2}, c_{3}\right\}$, and $\mathbf{d}$ to be a $4 \times 1$ vector of all continuous outcomes, i.e., $\mathbf{d}=\left\{a_{4}, c_{4}, c_{5}, c_{6}\right\}$. The utility can now be written as a function of outcomes $\mathbf{b}, \mathbf{d}$, and characteristics $X_{i t}$. I

[^6]assume that utility is additively separable in the outcomes:
$$
U_{i t}\left(\mathbf{b}, \mathbf{d}, X_{i t}\right)=\sum_{r=1}^{7} u_{r}\left(b_{r}, X_{i t}\right)+\sum_{q=1}^{4} \gamma_{i q t} d_{q}+\varepsilon_{i k t}
$$
where $u_{r}\left(b_{r}, X_{i t}\right)$ is the utility associated with the binary outcome $b_{r}$ for an individual with characteristics $X_{i t}, \gamma_{i q t}$ is a constant for the continuous outcome $d_{q}$, and $\varepsilon_{i k t}$ is a random term. The utility is the same for all individuals with identical observable characteristics $X_{i t}$ up to the random term. Equation (2) can now be written as:
$$
m \equiv \arg \max _{k \in C_{i}}\left(\sum_{r=1}^{7} \int u_{r}\left(b_{r}, X_{i t}\right) d P_{i k t}\left(b_{r}\right)+\sum_{q=1}^{4} \gamma_{i q t} \int d_{q} d P_{i k t}\left(d_{q}\right)+\varepsilon_{i k t}\right)
$$

An individual $i$ with subjective beliefs $\left\{P_{i k t}\left(b_{r}\right), P_{i k t}\left(d_{q}\right)\right\}$ for $r \in\{1, \ldots, 7\}, q \in\{1, . ., 4\}$ and $\forall k \in C_{i}$ chooses major $m$ at time $t$ with probability:

$$
\begin{align*}
& \operatorname{Pr}\left(m \mid X_{i t},\left\{P_{i k t}\left(b_{r}\right), P_{i k t}\left(d_{q}\right)\right\}_{r \in\{1, \ldots, 7\}, q \in\{1, ., 4\} ;} \in \in C_{i}\right)= \\
& \operatorname{Pr}\binom{\sum_{r=1}^{7} \int u_{r}\left(b_{r}, X_{i t}\right) d P_{i m t}\left(b_{r}\right)+\sum_{q=1}^{4} \gamma_{i q t} \int d_{q} d P_{i m t}\left(d_{q}\right)+\varepsilon_{i m t}}{>\sum_{r=1}^{7} \int u_{r}\left(b_{r}, X_{i t}\right) d P_{i k t}\left(b_{r}\right)+\sum_{q=1}^{4} \gamma_{i q t} \int d_{q} d P_{i k t}\left(d_{q}\right)+\varepsilon_{i k t}} \tag{3}
\end{align*}
$$

$$
\forall k \in C_{i}, m \neq k
$$

For the binary outcomes in $\mathbf{b}, P_{\text {imt }}\left(b_{r}\right)$ is simply $P_{i m t}\left(b_{r}=1\right)$ for $r \in\{1, . ., 7\} ; P_{\text {imt }}\left(b_{r}=1\right)$ is elicited directly from the respondents for $\forall r \in\{1, . ., 7\}$ and $\forall k \in C_{i}$. For the continuous outcomes in $\mathbf{d}$, instead of the probability distribution, the expected value of the outcome $E_{i k t}\left(d_{q}\right)=\int d_{q} d P_{i k t}\left(d_{q}\right)$ is elicited $\forall q \in\{1, . ., 4\} .{ }^{14}$

Next, I explain how I compute the expected income. Since one must successfully complete the major to gain the associated earnings, $E_{i k t}\left(d_{4}\right), i^{\prime}$ s expected earnings associated with choice $k$ at time $t$ are:

$$
E_{i k t}\left(d_{4}\right)=\int w d G_{i t}(w)\left[p_{i k t} E_{i k t}(I)+\left(1-p_{i k t}\right) E_{i t}\left(I_{0}\right)\right] \quad \text { for } k, p \in C_{i} \text { and } p \neq k
$$

where $w$ is an indicator variable of the individual's labor force status, $G_{i t}(w)$ is the subjective belief at time $t$ about one's labor force status at the age of 30 , and $p_{i k t}$ is individual $i$ 's subjective probability at time $t$ about successfully graduating in major $k$. The belief of being active in the labor force at the age of 30 is simply $G_{i t}(w=1) . \int w d G_{i t}(w)=G_{i t}(w=1)$, denoted as $g_{i t}$, is elicited directly from the respondents. ${ }^{15}$ Conditional on being active in the labor force, with probability $p_{i k t}$, the individual's expected earnings are $E_{i k t}(I)$, the expected income associated with major $k$ at the age of 30 ; with probability $1-p_{i k t}$, her expected earnings are $E_{i t}\left(I_{0}\right)$, the expected income at the age of 30 if one were to drop out of school at time $t .{ }^{16}$ Equation (3)

[^7]can now be written as:
\[

$$
\begin{align*}
& \operatorname{Pr}\left(m \mid X_{i t},\left\{P_{i k t}\left(b_{r}\right), E_{i k t}\left(d_{q}\right)\right\}_{r \in\{1, . ., 7\}, q \in\{1, . ., 4\} ; k \in C_{i}}\right)= \\
& \operatorname{Pr}\binom{\sum_{r=1}^{7}\left\{P_{i m t}\left(b_{r}=1\right) u_{r}\left(b_{r}=1, X_{i t}\right)+\left[1-P_{i m t}\left(b_{r}=1\right)\right] u_{r}\left(b_{r}=0, X_{i t}\right)\right\}+\sum_{q=1}^{4} \gamma_{i q t} E_{i m t}\left(d_{q}\right)+\varepsilon_{i m t}}{>\sum_{r=1}^{7}\left\{P_{i k t}\left(b_{r}=1\right) u_{r}\left(b_{r}=1, X_{i t}\right)+\left[1-P_{i k t}\left(b_{r}=1\right)\right] u_{r}\left(b_{r}=0, X_{i t}\right)\right\}+\sum_{q=1}^{4} \gamma_{i q t} E_{i k t}\left(d_{q}\right)+\varepsilon_{i k t}}  \tag{4}\\
& \forall k \in C_{i}, m \neq k
\end{align*}
$$
\]

Moreover, $P_{i m t}\left(b_{r}=1\right) u_{r}\left(b_{r}=1, X_{i t}\right)+\left[1-P_{i m t}\left(b_{r}=1\right)\right] u_{r}\left(b_{r}=0, X_{i t}\right)$ is equivalent to $P_{i m t}\left(b_{r}=\right.$ 1) $\triangle u_{r}\left(X_{i t}\right)+u_{r}\left(b_{r}=0, X_{i t}\right)$, where $\triangle u_{r}\left(X_{i t}\right) \equiv u_{r}\left(b_{r}=1, X_{i t}\right)-u_{r}\left(b_{r}=0, X_{i t}\right)$, i.e., it is the difference in utility between outcome $b_{r}$ happening and not happening for an individual with characteristics $X_{i t}$. The expected utility that individual $i$ derives from choosing major $m$ at time $t$ is:

$$
\begin{align*}
& U_{i m t}\left(\mathbf{b}, \mathbf{d}, X_{i t},\left\{P_{i m t}\left(b_{r}=1\right)\right\}_{r=1}^{7},\left\{E_{i m t}\left(d_{q}\right)\right\}_{q=1}^{4}\right)= \\
& =\sum_{r=1}^{7} P_{i m t}\left(b_{r}=1\right) \triangle u_{r}\left(X_{i t}\right)+\sum_{r=1}^{7} u_{r}\left(b_{r}=0, X_{i t}\right)+\sum_{q=1}^{4} \gamma_{i q t} E_{i m t}\left(d_{q}\right)+\varepsilon_{i m t} \tag{5}
\end{align*}
$$

Equation (4) can now be written as:

$$
\begin{align*}
& \operatorname{Pr}\left(m \mid X_{i t},\left\{P_{i k t}\left(b_{r}\right), E_{i k t}\left(d_{q}\right)\right\}_{r \in\{1, . ., 7\}, q \in\{1, . ., 4\} ; k \in C_{i}}\right)= \\
& \operatorname{Pr}\binom{\sum_{r=1}^{7} P_{i m t}\left(b_{r}=1\right) \triangle u_{r}\left(X_{i t}\right)+\sum_{q=1}^{4} \gamma_{i q t} E_{i m t}\left(d_{q}\right)+\varepsilon_{i m t}}{>\sum_{r=1}^{7} P_{i k t}\left(b_{r}=1\right) \triangle u_{r}\left(X_{i t}\right)+\sum_{q=1}^{4} \gamma_{i q t} E_{i k t}\left(d_{q}\right)+\varepsilon_{i k t}} \tag{6}
\end{align*}
$$

$$
\forall k \in C_{i}, m \neq k
$$

$\left\{\triangle u_{r}\left(X_{i t}\right)\right\}_{r=1}^{7}$, and $\left\{\gamma_{i q t}\right\}_{q=1}^{4}$ are the parameters to be estimated. $g_{i t},\left\{P_{i k t}\left(b_{r}=1\right)\right\}_{r=1}^{7},\left\{E_{i k t}\left(d_{q}\right)\right\}_{q=1}^{3}$, and $E_{i k t}(I) \forall k \in C_{i}$ are elicited directly from the respondent. In order to ensure strict preferences between choices, $\left\{\varepsilon_{i k t}\right\}$ are assumed to have a continuous distribution. The exact parametric restrictions on the random terms required for identifying the model parameters are discussed in the next section.

## 5 Single Major Choice Model

This section deals with estimating the preferences for choice of single majors. I drop the time subscript in the analysis that follows.

### 5.1 Estimation with Homogenous Preferences

The model described in section 4 assumes that the utility function for the binary outcomes $u_{r}\left(b_{r}, X_{i}\right)$ and the coefficients on continuous outcomes $\left(\left\{\gamma_{i q}\right\}_{q=1}^{4}\right)$ depend on individual characteristics. I initially assume that
the utility function does not depend on individual characteristics. Under this assumption, (6) becomes:

$$
\begin{aligned}
& \operatorname{Pr}\left(m \mid P_{i k}\left(b_{r}\right), E_{i k}\left(d_{q}\right)\right\}_{\left.r \in\{1, \ldots, 7\}, q \in\{1, ., 4\} ; k \in C_{i}\right)} \\
& =\operatorname{Pr}\binom{\sum_{r=1}^{7} P_{i m}\left(b_{r}=1\right) \triangle u_{c}+\sum_{q=1}^{4} \gamma_{q} E_{i m}\left(d_{q}\right)+\varepsilon_{i m t}}{>\sum_{r=1}^{7} P_{i k}\left(b_{r}=1\right) \triangle u_{c}+\sum_{q=1}^{4} \gamma_{q} E_{i k}\left(d_{q}\right)+\varepsilon_{i k t}} \\
& \forall k \in C_{i}, m \neq k
\end{aligned}
$$

If I assume that the random terms $\left\{\varepsilon_{i k t}\right\}$ are independent for every individual $i$ and choice $k$, and that they have a Type I extreme value distribution, then $\left\{\varepsilon_{i k t}-\varepsilon_{i m t}\right\}$ has a standard logistic distribution. Then the probability that individual $i$ chooses major $m$ is:

$$
\begin{gather*}
\operatorname{Pr}\left(m \mid\left\{P_{i k}\left(b_{r}\right), E_{i k}\left(d_{q}\right)\right\}_{r \in\{1, . ., 7\}, q \in\{1, \ldots, 4\} ; k \in C_{i}}\right)  \tag{7}\\
= \\
\frac{\exp \left(\sum_{r=1}^{7} P_{i m}\left(b_{r}=1\right) \Delta u_{r}+\sum_{q=1}^{4} \gamma_{q} E_{i m}\left(d_{q}\right)\right)}{\sum_{k \in C_{i}} \exp \left(\sum_{r=1}^{7} P_{i k}\left(b_{r}=1\right) \triangle u_{r}+\sum_{q=1}^{4} \gamma_{q} E_{i k}\left(d_{q}\right)\right)}
\end{gather*}
$$

Under these parametric assumptions, the parameters $\left\{\triangle u_{r}\right\}_{r=1}^{7}$, and $\left\{\gamma_{q}\right\}_{q=1}^{4}$ are identified. The elicited subjective probabilities described in section 3.2 are used in estimation. Column (1) of Table 5 presents the maximum likelihood estimates using stated choice data. ${ }^{17,18}$

The relative magnitudes of $\left\{\triangle u_{r}\right\}_{r=1}^{7}$ show the importance of the binary outcomes in the choice. The difference in utility levels is positive and largest for enjoying coursework. The second most important outcome in the choice is graduating within four years; it has a positive coefficient that is about half of the coefficient on enjoying coursework. The third most important factor is enjoying work at the available jobs, which has a positive coefficient of a magnitude similar to the coefficient on graduating within four years. The difference in utility levels is positive for parents' approval and (surprisingly) negative for graduating with a GPA of at least 3.5. Both coefficients are significant and about one-fourth the coefficient on enjoying coursework. The difference in utility levels for reconciling family and work is about one-sixth in magnitude compared to that of enjoying coursework, but is surprisingly negative. The coefficient on the social status of the jobs is positive and significant. A unit increase in the social status of available jobs changes the utility by as much as a $5 \%$ increase in the probability of graduating in four years. The coefficient on hours per week spent at work is negative, but not significantly different from zero. Though the coefficient on income is negative, it is not significantly different from zero, suggesting that it is not important in the choice.

Column (2) of Table 5 shows the maximum-likelihood estimates based on (7) with the addition of female interactions in order to get some measure of relative differences between males and females. For males, the difference in utility levels is largest for enjoying coursework, finding a job upon graduation, and the social status of the jobs (in decreasing order of importance). For females, the three outcomes that matter most are

[^8]graduating in four years, enjoying the coursework, and enjoying work at the available jobs. Though income stays insignificant, the coefficient on income interacted with the female dummy shows that the negative coefficient on income in column (1) is being driven by the preferences of females; income has a positive coefficient for males now and a negative one for females (though neither are significant).

In addition to stating their choice, respondents were also asked to rank the elements in their choice set. The stated preference data provide more information that can be used for estimation of the model parameters. ${ }^{19,20}$ Under the assumptions of standard logit, the probability of any ranking of alternatives can be written as a product of logits. For example, consider the case where an individual's choice set is $\{a, b, c, d\}$. Suppose she ranks the alternatives $b, d, c, a$ from best to worst. Under the assumption that the $\varepsilon_{i k}$ 's are iid and Type I distributed, the probability of observing this preference ordering can be written as the product of the probability of choosing alternative $b$ from $\{a, b, c, d\}$, the probability of choosing $d$ from $\{a, c, d\}$, and the probability of choosing $c$ from the remaining $\{a, c\}$. If $U_{i j}=\beta x_{i j}+\varepsilon_{i j}$ denotes the utility $i$ gets from choosing $j$ for $j \in\{a, b, c, d\}$, then the probability of observing $b \succ d \succ c \succ a$ is simply: ${ }^{21}$

$$
\operatorname{Pr}(b \succ d \succ c \succ a)=\frac{\exp \left(\beta x_{i b}\right)}{\sum_{j \in\{a, b, c, d\}} \exp \left(\beta x_{i j}\right)} \cdot \frac{\exp \left(\beta x_{i d}\right)}{\sum_{j \in\{a, c, d\}} \exp \left(\beta x_{i j}\right)} \frac{\exp \left(\beta x_{i c}\right)}{\sum_{j \in\{a, c\}} \exp \left(\beta x_{i j}\right)}
$$

Column (3) in Table 5 presents the maximum-likelihood estimates using stated preference data. The difference in utility levels is still largest and positive for enjoying coursework. Graduating in four years, the second most important outcome using stated choice data, is now negative but not significant. Enjoying work at the jobs is the second most important outcome, with a positive coefficient. Approval of parents, now the third most important outcome, has a positive coefficient that is one-half that of enjoying coursework. The difference in utility levels for graduating with a GPA of at least 3.5 is now positive and significant. Status of the jobs continues to be important: A unit increase in the social status of the jobs changes the utility by as much as a $4 \%$ increase in the probability of enjoying coursework. The difference in utility levels for other binary outcomes is not significantly different from zero. The coefficient on income is now positive, but not significant.

Column (4) allows female interaction dummies in order to gain further insight into gender differences in preferences. For both genders, the difference in utility levels is largest and positive for enjoying coursework. For males, graduating within four years is the second most important outcome, but surprisingly it has a negative sign. The third most important outcome for males is the difference in utility levels for graduating with a GPA of at least 3.5 ; it is positive and about half that of enjoying coursework. Status of the jobs remains important for males: A unit increase in the status of the jobs changes the utility by as much as a $10 \%$ increase in the probability of enjoying coursework. For females, two of the important outcomes are gaining approval of parents and enjoying work at the jobs. Both have a positive coefficient that is about two-thirds the magnitude of the coefficient on enjoying coursework. Graduating within four years and graduating with a GPA of at least 3.5 have coefficients that are positive and about one-third of the coefficient on enjoying

[^9]coursework.
In order to get a measure of the magnitude of the estimated parameters, the natural thing would be to do willingness-to-pay calculations, i.e. translate the differences in utility levels into the amount of earnings that an individual would be willing to forgo at the age of 30 in order to experience that outcome. ${ }^{22}$ However, since expected income at age 30 is not significant in any of the specifications considered, the standard errors on such calculations are huge, and the results are not very meaningful. Instead of presenting the willingness-to-pay calculations, I outline a different decomposition method to gain insight into the relative importance of the various outcomes in the choice. For illustration, suppose that $\operatorname{Pr}($ choice $=j)=F\left(\mathbf{X}_{j} \boldsymbol{\beta}\right)$ and that $\mathbf{X}$ includes two variables, $X_{1}$ and $X_{2}$. Given the parameter estimates, $\widehat{\beta_{1}}$ and $\widehat{\beta_{2}}$, the contribution of $X_{1}$ to the choice is defined as:
\[

$$
\begin{gather*}
M_{X_{1}} \equiv\left\|\overline{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}, \widehat{\beta_{2}}\right\}\right.}-\overline{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}=0, \widehat{\beta_{2}}\right\}\right.}\right\|  \tag{8}\\
=\sqrt{\sum_{j=1}^{8}\left[\sum_{i=1}^{N} \frac{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}, \widehat{\beta_{2}}\right\}\right)}{N}-\sum_{i=1}^{N} \frac{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}=0, \widehat{\beta_{2}}\right\}\right)}{N}\right]^{2}}
\end{gather*}
$$
\]

where the first term is the average probability of majoring in choice $j$ predicted by the model, and the second term is the average predicted probability of majoring in $j$ if outcome $X_{1}$ were not considered. The difference in the two terms is a measure of the importance of $X_{1}$ in the choice. Similarly, the contribution of $X_{2}$ is given as:

$$
\begin{equation*}
M_{X_{2}} \equiv \sqrt{\sum_{j=1}^{8}\left[\sum_{i=1}^{N} \frac{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}, \widehat{\beta_{2}}\right\}\right)}{N}-\sum_{i=1}^{N} \frac{\operatorname{Pr}\left(\text { choice }=j \mid\left\{\widehat{\beta_{1}}, \widehat{\beta_{2}}=0\right\}\right)}{N}\right]^{2}} \tag{9}
\end{equation*}
$$

The relative contribution of $X_{1}$ to the choice is then $R_{X_{1}}=\frac{M_{X_{1}}}{M_{X_{1}}+M_{X_{2}}}$. Multiple parameters can be set to zero simultaneously to get a sense of their joint contribution to the choice. However, since the model is not linear, generally $M_{X_{1}+X_{2}} \neq M_{X_{1}}+M_{X_{2}}$. Table 6 presents the results of this decomposition strategy. Each cell shows the relative contribution $(R)$ of the outcome to the choice. Panel B of Table 6 presents the results of this decomposition technique using the estimates obtained from stated preference data. Column (1) shows the decomposition results of the estimates of the pooled sample: Nearly three-fourths of the choice is driven by the non-pecuniary outcomes. ${ }^{23}$ If the decomposition is made finer, one can see that gaining parents' approval and enjoying coursework jointly explain about $45 \%$ of the choice. Pecuniary outcomes associated with college (hours per week spent on coursework, graduating with a GPA of at least 3.5, and graduating in four years) and workplace (finding a job upon graduation, hours per week spent at work, income at the age of 30, and the social status of the jobs) each account for about $20 \%$ of the choice.

The estimates of the pooled sample mask the differences between males and females. Columns (2) and (3) of Table 6 show the decomposition results using the estimates from the male sub-sample and the female sub-sample, respectively. Non-pecuniary outcomes explain about $45 \%$ of the choices for males, but more than

[^10]$80 \%$ of the choice for females. Gaining parents' approval and enjoying coursework are the most important outcomes for females, explaining about $45 \%$ of their choice, while pecuniary outcomes associated with the workplace are of utmost importance to males, explaining $48 \%$ of their choice. Reconciling family and enjoying work at the available jobs are second in terms of importance to females, but of least importance to males. On the whole, non-pecuniary determinants are crucial in explaining the choices for both males and females. However, males and females differ in their preferences in the workplace: Males value pecuniary aspects of the workplace more, while females value non-pecuniary aspects of the workplace more.

Table 7 presents the results of various thought experiments in an attempt to assess how changes in beliefs affect the choice of majors for males and females. The baseline case is presented first. For example, the model predicts that the average probability of majoring in Engineering for males is $11.7 \%$, more than twice that for females. Experiments 1 through 3 show changes in predicted probabilities in response to changes in beliefs of outcomes that are well defined (for example, graduating with a GPA of at least 3.5). Predicted probabilities are not very responsive to changes in beliefs in these cases. Experiments 4 through 6 show results of thought experiments for outcomes that are not well defined. For example, experiment 5 shows that the average probability of majoring in Engineering increases by $20 \%$ for females, and by about $10 \%$ for males, in response to a $10 \%$ increase in beliefs of enjoying coursework in Engineering. The results in Table 7 indicate that outcomes like enjoying coursework and gaining approval of parents are crucial in one's choice of major.

### 5.1.1 Comparison with Stated Preferences

It would be interesting to see how the estimated preference parameters compare with stated preferences. Survey respondents were asked to state their preferences for various determinants in their choice. More specifically, respondents were asked to assign an integer between zero and 100 to a list of reasons such that the numbers added up to a $100 .{ }^{24}$ Table 8 shows the average weights assigned to the various reasons given by males and females. I interpret these numbers as the relative preference for the given reason in the choice of major. Enjoying work at the jobs and learning more about things that interest them were the two most important reasons for choosing a major for both males and females. However, females, on average, assign higher weights to these reasons (the gender difference is significant). For males, the third most important stated reason for choosing a major is getting a high-paying job. Conversely, doing well in the coursework is the third most important reason for females. These stated preferences for various outcomes are consistent with the parameter estimates discussed above. Determinants like the fraction of people of the same gender taking classes in the major or working at the jobs don't seem to be important. One surprising finding is that males, on average, are more likely than females to have been encouraged by a mentor or role model to choose a major (similarly, females assign lower weights to peer pressure, siblings making the same choice, and parents wanting them to make the choice; the gender difference is not significant for any of these reasons, though). ${ }^{25}$ The result in this study could be driven by the fact that the sample is restricted to students who have at least one major in the College of Arts and Sciences (which contains majors mostly dominated by females) and therefore males who have a major in the College are more likely to have been encouraged by a role model than are females.

[^11]
### 5.1.2 Understanding the Insignificance of Future Income in the Choice of Majors

This section discusses some robustness checks in order to determine whether income is actually insignificant in the choice of major or if the result is driven by large standard errors. One concern could be that individuals are not aware of earnings differences across majors, and that factor could be driving the result. Table 9 presents the average and median beliefs of the respondents. Since individuals majoring in a field may have better information about their chosen field and may have beliefs different from those of individuals not majoring in it, I split survey responses by whether the respondent majors in the category about which the question is asked. Since Northwestern University does not follow its alumni, I use the 2003 average annual salaries for 1993 college graduates from selective colleges in the Baccalaureate \& Beyond Longitudinal Study (B\&B: 1993/2003) for comparison purposes. ${ }^{26}$ These statistics are presented in columns (1) and (2) of Table 9. The average and median beliefs of respondents majoring in the field are similar to those who do not major in that field. Survey respondents, both males and females, seem to be aware of income differences across majors. However, both report median and average salaries larger than those for the B\&B sample. It could be that the survey respondents are self-enhancing their own salary expectations. However, there are at least three legitimate reasons why respondents' earnings expectations may be different from the earnings statistics in the $B \& B$ sample. First, even though I have restricted the $B \& B$ sample to selective institutions, Northwestern graduates may work at jobs very different from those of graduates from comparable institutions. Second, respondents might think that future earnings distributions will differ from the current ones. Third, respondents may have private information (other than gender) about themselves that justifies having different expectations. Though the descriptive analysis of respondents' expectations of income in different majors in Table 9 indicates that students are aware of the income differences across majors, the variation in their responses is much larger than in actual data (for males in particular). This indicates that the insignificance of income might be driven by the noise in the reported expectations. I undertake the decomposition in equation (9) for 1,000 bootstrap samples for each of the sub-samples. The bootstrap confidence interval of $R_{\gamma_{4}}$ for both males and females does not include zero: The higher end of the $90 \%$ bootstrap interval for expected income is $16 \%$ and $7.5 \%$ for males and females, respectively. This seems to suggest that $\gamma_{4}$ is insignificant because of a large standard error and not because it is a precise zero. ${ }^{27}$

A second reason for the insignificance of income in the choice could in part be due to the risk-neutrality assumption embedded in the model specification. This assumption was made primarily so that it would suffice to elicit the expected value for the continuous outcomes. In the absence of this assumption, I would have had to elicit multiple points on the subjective income distribution for each major in one's choice set (as in Dominitz and Manski, 1996), which would not have been feasible for the purposes of this study. Since several studies have concluded that women are more risk averse than men in their choices (see Eckel and Grossman, 2002, and Croson and Gneezy, 2008, for a summary of the literature), results in the current study regarding

[^12]gender differences in income preferences could be a consequence of the risk-neutrality assumption.

### 5.2 Estimation with Heterogeneous Preferences

The analysis undertaken in Zafar (2008) shows that beliefs for various outcomes are associated with demographic characteristics and cultural proxies. However, it could be the case that preferences for the different outcomes also depend on individual characteristics. For example, if individuals have declining marginal utility of consumption, and preferences are separable in consumption and non-pecuniary outcomes, then the value of pecuniary outcomes will be higher for individuals from low-income households. Such heterogeneity, if not accounted for, may bias the estimates presented in section 5.1. Several empirical studies have documented the influence of family and society in the endogenous formation of preferences. For example, Fernandez et al. (2004) find that whether a male's mother worked while he was growing up is correlated with whether his wife works, and they interpret this as preference transmission. Similarly, Guiso et al. (2006) present evidence of culture affecting individuals' preferences. I now relax the assumption of section 5.1 that the utility for each binary outcome $u_{r}\left(b_{r}\right)$ and the constants $\gamma_{q}$ for the continuous outcomes do not depend on individual characteristics other than gender. Though I have relatively rich demographic information on the respondents, it is not possible to account for heterogeneity in all outcomes because of the small sample size. I therefore consider heterogeneity along the following dimensions:

1. An individual might care about her parents' approval for several reasons. She might be more inclined to ensure that her parents approve of her choice if she relies on them for college support. Moreover, concern for parents' approval might depend on the individual's cultural and ethnic background. I allow for heterogeneity in the utility for approval of parents by incorporating the financial support an individual receives from her parents when in college and whether her parents are foreign-born or not.
2. Children growing up in divorced or separated households make different choices than other individuals (Gruber, 2004). Here, I consider the effect of growing up in such a household on the individual's preference for being able to reconcile work and family.
3. An individual's preference for the social status of jobs may vary by her cultural background. In certain cultures, immense importance is given to the status of jobs. This heterogeneity is accounted for by taking into account whether the individual's parents are foreign-born.
4. If non-pecuniary outcomes are a normal good, an individual from a low-income family will value the income profiles associated with the majors more than other individuals will. I account for this heterogeneity by including information on parents' annual income. I also allow for heterogeneity by taking into account whether an individual's parents are foreign-born or not.

The enriched utility function for individual $i$ is:

$$
\begin{aligned}
& U\left(X_{i},\left\{P_{\text {im }}\left(b_{r}\right), E_{i m}\left(d_{q}\right)\right\}_{r \in\{1,,, 7\}, q \in\{1,,, 4\}}\right) \\
& =\sum_{r=\{1,2,3,5,6,7\}} P_{\text {im }}\left(b_{r}=1\right) \Delta u_{r}+\triangle u_{4}\left[\text { parents }^{\prime}{ }_{-} \text {support }_{i} \times\left(1-\text { Foreign }_{i}\right) \times P_{\text {im }}\left(b_{4}=1\right)\right] \\
& +\widetilde{\Delta u_{4}}\left[\text { parents }_{-}^{\prime} \text { support }_{i} \times \text { Foreign }_{i} \times P_{\text {im }}\left(b_{4}=1\right)\right]+\widetilde{\Delta u_{7}}\left[\text { divorced }_{i} \times P_{i j t}\left(b_{7}=1\right)\right] \\
& +\sum_{q=1}^{2} \gamma_{q} E_{i m}\left(d_{q}\right)+\gamma_{3}\left[\left(1 \text {-Foreign }_{i}\right) \times E_{i m}\left(d_{3}\right)\right]+\widetilde{\gamma_{3}}\left[\text { Foreign }_{i} \times E_{i m}\left(d_{3}\right)\right]+\gamma_{4} E_{i m}\left(d_{4}\right) \\
& +\gamma_{4}^{H I}\left[E_{i m}\left(d_{4}\right) \times\left(1 \text { low_inc }_{i}\right) \times\left(1-\text { Foreign }_{i}\right)\right]+\widetilde{\gamma_{4}^{H I}}\left[E_{i m}\left(d_{4}\right) \times\left(1 \text { low_ }_{-} \text {inc } i\right) \times \text { Foreign }_{i}\right] \\
& +\gamma_{4}^{L I}\left[E_{i m}\left(d_{4}\right) \times \text { low_inc }_{i} \times(1 \text {-Foreign })\right]+\widetilde{\gamma_{4}^{L I}}\left[E_{i m}\left(d_{4}\right) \times \text { low_inc }_{i} \times \text { Foreign }_{i}\right]+\varepsilon_{i m} \\
& \forall m=1, ., 8
\end{aligned}
$$

where low_inc is a dummy variable that equals one if the individual's parents earn less than $\$ 150,000$ annually; parents, _support captures the financial support an individual receives from her parents, ${ }^{28}$ Foreign is a dummy that equals one if either of the individual's parents is foreign-born, and divorced is a dummy that equals one if the individual's parents are either separated or divorced.

I continue to assume that the random terms $\left\{\varepsilon_{i k}\right\}$ are independent for every individual $i$ and choice $k$. Table 10 presents the maximum-likelihood estimates of this model using stated preference data. Estimates from the pooled sample in column (1) show that difference in utility levels is still largest and positive for enjoying coursework and that the coefficient is almost unchanged from the specification with homogenous preferences. The coefficients of the outcomes for which heterogeneity is not considered stay almost the same as that in the earlier specification. With this enriched specification, the difference in utility levels for parents' approval is 0.34 for individuals with US-born parents who do not receive college support from them, and 2.04 for individuals who annually receive more than $\$ 25,000$ in college support from their parents. This is consistent with the hypothesis that approval of parents matters more to individuals who depend on their parents for college funding. However, I don't find support for this hypothesis for individuals with foreignborn parents. The difference in utility levels for reconciling work and family continues to be insignificant. Individuals with separated or divorced parents have a negative coefficient for reconciling work and family, but it is not significantly different from zero. Introducing heterogeneity for the status outcome gives an interesting result. Status of the available jobs, an important determinant in the choice in the earlier specifications, is not important to individuals with US-born parents. However, for individuals with foreign-born parents, a unit increase in the social status of the jobs changes the utility by as much as an $8 \%$ increase in the probability of the most important outcome, which is enjoying coursework. This implies that the large positive coefficient on the social status of jobs in earlier specifications is being driven by the preferences of individuals with

[^13]foreign-born parents in the sample. The coefficient on income at age 30 is still not significantly different from zero. However, there is weak support for the hypothesis that individuals from low-income households value the future earnings profile more in their choice.

Columns (2) and (3) of Table 10 present the results of the heterogeneous choice model for the male and female sub-samples, respectively. Coefficients of outcomes that are not interacted with any demographic variables are almost unchanged with respect to the corresponding specification (column 4 in Table 5). For males with US-born parents, difference in utility levels for approval of parents varies from 0.578 when receiving no support from parents to 3.47 when annually receiving more than $\$ 25,000$ in support from them. The corresponding coefficient for females with US-born parents is only half the magnitude of that for males. The coefficient on parents' approval for females with foreign-born parents is similar in magnitude to that of males with US-born parents. Surprisingly, the utility change in approval of parents for males with foreign-born parents is not significantly different from zero. On the other hand, social status of jobs matters only to males with foreign-born parents: A unit increase in the social status of the jobs changes the utility by about a $13 \%$ increase in the probability of enjoying coursework for these males. Earnings at the age of 30 are a significant determinant for males belonging to low-income families with foreign-born parents.

In order to gain insight into the magnitude of these parameters, Table 11 shows the results of the decomposition methodology outlined in equation (9). Except for males with foreign-born parents, non-pecuniary attributes explain more than half of the choice. For individuals with US-born parents, more than two-thirds of the choice is driven by non-pecuniary motivations; the non-pecuniary outcomes at college are of utmost importance to this group. For individuals with foreign-born parents, pecuniary outcomes at the workplace are of greatest value in the choice for males, while non-pecuniary outcomes at college continue to be of utmost importance to such females.

To recap the findings in this section, demographic characteristics bias preferences in favor of certain outcomes. Males with foreign-born parents are driven primarily by the pecuniary attributes when making their choice of college major, while the converse is true for all other groups.

### 5.3 Parents' Approval and Peer Effects

Though section 5.2 shows that one channel through which parents' approval matters is the individual's reliance on them for college support, it is not clear which majors parents are more likely to approve or what criteria they use for approving a major. Since only the beliefs of students are observed, I can only study the relationship between students' beliefs about parents' approval of a major and their own beliefs about other outcomes associated with the choice. ${ }^{29}$ Controlling for the individual's major, I regress respondent $i$ 's beliefs about her parents' approval for major $j$ on her beliefs about the other outcomes associated with $j$. More specifically, I consider the following regression model:

$$
P_{i j}\left(b_{4}=1\right)=\delta_{i}+\lambda_{j}+\boldsymbol{\alpha}^{\prime} X_{i j}+\boldsymbol{\beta}^{\prime}\left[\sum_{\substack{c=1 \\ c \neq 4}}^{7} P_{i j}\left(b_{c}=1\right)+\sum_{q=1}^{4} E_{i j}\left(d_{q}\right)\right]+\varepsilon_{i j}
$$

[^14]where $\delta_{i}$ is an individual fixed-effect, $\lambda_{j}$ is a field-fixed effect, $X_{i j}$ is a vector of individual-specific controls, and $\boldsymbol{\beta}$ is the vector of interest. The results are presented in Table 12. Students' beliefs about parents' approval for a given major increase in their beliefs of finding a job upon graduation, enjoying work at potential jobs, and the social status of jobs. Expectation of parents' approval for a major increases by nearly 3 points (on a scale of zero to 100) if the probability of finding a job upon graduation in that major increases by 10 points. This effect is even stronger for students with foreign-born parents: Students believe that switching to a major with a 10-point higher probability of getting a job upon graduation is likely to increase parents' approval by nearly 5 points. A positive and significant effect, half in magnitude to that of finding a job, is found for the social status of the jobs. Again, the effect is stronger for students with foreign-born parents. The only other outcome that affects beliefs about parents' approval is the expectation of enjoying work at the jobs for females. Another notable point is that, for females only, parents' approval is higher by about 5 points for one's chosen major.

Males with foreign-born parents expect parental approval of a major to increase by about 12.5 points for a unit increase in the social status of the jobs. This result reconciles the earlier finding in section 5.2 of parental approval not mattering to males with foreign-born parents. Expectation of parents' approval has a positive relationship with the perceived social status of jobs, and status of jobs is an important outcome only in the choice for males with foreign-born parents (column (2) in Table 10); hence, because of colinearity, approval of parents does not directly affect the choice of these individuals.

A second important issue is the extent to which one's choice of major is influenced by their parents and peer group. ${ }^{30}$ Several respondents in my survey report having majors that are the same as that of their roommates and friends. However, there is a self-selection issue: People often select with whom they associate (Manski, 1993b). Since rooming assignments are not totally random at Northwestern and there are endogeneity issues in how friendships are formed, I cannot analytically study the strength of peer effects in the choice of college major.

There seems to be a positive correlation between the students' majors and those of their parents. In particular, students pursuing a major in Natural Sciences are more likely to have a parent who majored in that category. Of the 63 individuals with at least one sibling, 22 major in the same field as their sibling. A positive correlation between an individual's choice of college major with that of her parents or siblings could be consistent with either (1) the student having more information about that particular choice by information acquisition of the various outcomes from her parents and siblings, and hence choosing that major through an indirect effect of parents; (2) direct parental pressure leading an individual toward a particular major choice; or (3) a utility gain by studying the same major as that of the parents. For example, Zafar (2008) finds evidence of the first: Individuals are less likely to make errors in reporting starting salaries of majors if their father pursued a major in that category. Moreover, when estimating preferences that incorporate individual heterogeneity in section 5.2 , demographic characteristics (like birth country of the parents) are found to bias preferences for certain outcomes. However, it is not possible to identify the channel through which this is happening, i.e., whether beliefs and preferences are subconsciously being formed as a consequence of the

[^15]individual's interactions with parents, or whether parents are intentionally shaping the beliefs and preferences of their children (as in Bisin and Verdier, 2001), or both. Survey respondents were asked to explain the reasons for the similarity between their major and that of their parents and siblings. Selected responses are shown in section 9.2.1 of the Appendix. All three reasons come up as possible explanations. The responses also show instances of peer influence, but in most cases individuals seem to form friendships with similar individuals.

### 5.4 Robustness Checks

The model estimated in section 5.1 assumes that all individuals have homogeneous preferences for various outcomes. Individuals with different characteristics are very likely to have different preferences. Moreover, the assumption that the random terms $\left\{\varepsilon_{i k}\right\}$ are independent for every individual $i$ and choice $k$ might be very strong. Though a model with limited heterogeneity in preferences is estimated in section 5.2, any unaccounted or unobserved heterogeneity may bias the model estimates. In this section, I specify a random parameters logit model to account for these issues (see Revelt and Train, 1998, for a discussion of mixed logit models). One could allow heterogeneity in preferences for all outcomes, but I focus on the most important outcomes: I consider a model in which the differences in utility levels for graduating with a GPA of at least 3.5, enjoying the coursework, gaining approval of parents, enjoying work at the available jobs, and the parameter for social status of the available jobs are allowed to vary in the population with a specified distribution. The utility that individual $i$ receives from choosing major $m$ is:

$$
\begin{aligned}
& U\left(X_{i},\left\{P_{i m}\left(b_{r}\right), E_{i m}\left(d_{q}\right)\right\}_{r \in\{1, ., 7\}, q \in\{1, ., 4\}}\right) \\
& =\sum_{r=\{1,5,7\}} P_{i m}\left(b_{r}=1\right) \triangle u_{r}+\sum_{s=\{2,3,4,6\}} P_{i m}\left(b_{s}=1\right) \triangle u_{s i} \\
& +\sum_{q=\{1,2,4\}} \gamma_{q} E_{i m}\left(d_{q}\right)+\gamma_{3 i} E_{i m}\left(d_{3}\right)+\varepsilon_{i m}
\end{aligned}
$$

where $\triangle u_{s i}$ for $s=\{2,3,4,6\}$ and $\gamma_{3 i}$ are allowed to vary in the population according to a specified parametric distribution, and $\varepsilon_{i m}$ is an iid random term that is extreme value distributed. I denote the vector of parameters $\left\{\triangle u_{2 i}, \Delta u_{3 i}, \Delta u_{4 i}, \Delta u_{6 i}, \gamma_{3 i}\right\}$ by $\boldsymbol{\beta}_{i}$, and the density of these parameters $f\left(\boldsymbol{\beta}_{i} \mid \boldsymbol{\theta}\right)$ where $\boldsymbol{\theta}$ are the parameters of the distribution. The probability of $i$ choosing the major $m$ conditional on $\boldsymbol{\beta}_{i}$ is:

$$
\begin{aligned}
& \operatorname{Pr}\left(m \mid \boldsymbol{\beta}_{i}\right)=\operatorname{Pr}\left(m \left\lvert\,\left\{P_{i k}\left(b_{r}\right), E_{i k}\left(d_{q}\right)\right\}_{\left.r \in\{1, \ldots, 7\}, q \in\{1, \ldots, 4\} ; k \in C_{i}, \boldsymbol{\beta}_{i}\right)=} \quad \begin{array}{l}
\exp \left(\sum_{r=\{1,5,7\}} P_{i m}\left(b_{r}=1\right) \triangle u_{r}+\sum_{s=\{2,3,4,6\}} P_{i m}\left(b_{s}=1\right) \triangle u_{s i}+\sum_{q=\{1,2,4\}} \gamma_{q} E_{i m}\left(d_{q}\right)+\gamma_{3 i} E_{i m}\left(d_{3}\right)\right) \\
\quad \sum_{k \in C_{i}} \exp \left(\sum_{r=\{1,5,7\}} P_{i k}\left(b_{r}=1\right) \triangle u_{r}+\sum_{s=\{2,3,4,6\}} P_{i k}\left(b_{s}=1\right) \triangle u_{s i}+\sum_{q=\{1,2,4\}} \gamma_{q} E_{i k}\left(d_{q}\right)+\gamma_{3 i} E_{i k}\left(d_{3}\right)\right)
\end{array}\right.\right.
\end{aligned}
$$

The unconditional probability of choosing $m$ is the integral of this conditional probability over all possible values of $\boldsymbol{\beta}_{i}$ and depends on the parameters $\boldsymbol{\theta}$ of the distribution of $\boldsymbol{\beta}_{i}$. The unconditional probability for $i$ choosing $m$ is:

$$
P_{i m}(\theta)=\int \operatorname{Pr}\left(m \mid\left\{P_{i k}\left(b_{r}\right), E_{i k}\left(d_{q}\right)\right\}_{r \in\{1, \ldots, 7\}, q \in\{1, \ldots, 4\} ; k \in C_{i}}, \boldsymbol{\beta}_{i}\right) f\left(\boldsymbol{\beta}_{i} \mid \boldsymbol{\theta}\right) d \boldsymbol{\beta}_{i}
$$

This integral is approximated through simulation since it cannot be calculated analytically. For a given value of the parameter vector $\boldsymbol{\theta}$, a value of $\boldsymbol{\beta}_{i}$ is drawn from its distribution. Using this draw, I calculate the
conditional probability. This process is repeated for $D$ draws, and the average is taken as the approximate choice probability:

$$
\widehat{P_{i m}(\theta)}=\frac{1}{D} \sum_{d=1}^{D} \operatorname{Pr}\left(m \mid\left\{P_{i k}\left(b_{r}\right), E_{i k}\left(d_{q}\right)\right\}_{r \in\{1, . ., 7\}, q \in\{1, \ldots, 3\} ; k \in C_{i}}, \boldsymbol{\beta}_{i}^{d}\right)
$$

The log-likelihood function $\sum_{i} \ln \left(\operatorname{Pr}_{i}\right)$ is approximated by the simulated log-likelihood function $\sum_{i} \ln \left(\widehat{P_{i}(\theta)}\right)$, and the estimated parameters are those that maximize the simulated log-likelihood function. I assume that the coefficients for graduating with a GPA of at least 3.5, enjoying the coursework, gaining the approval of parents, enjoying work at the available jobs, and valuing the social status of the available jobs are independently lognormally distributed. ${ }^{31}$ The difference in utility levels for an outcome $k$ that is assumed to vary in the population is expressed as $\triangle u_{k}=\exp \left(\overline{\Delta u_{k}}+\sigma_{k} \mu_{k}\right)$, where $\mu_{k}$ is a standard normal deviate. The parameters $\overline{\Delta u_{k}}$ and $\sigma_{k}$, which represent the mean and standard deviation of $\log \left(\triangle u_{k}\right)$, are estimated. The mean and standard deviation of $\triangle u_{k}$ are $\exp \left(\overline{\triangle u_{k}}+\frac{\sigma_{k}^{2}}{2}\right)$ and $\exp \left(\overline{\triangle u_{k}}+\frac{\sigma_{k}^{2}}{2}\right) * \sqrt{\left(\exp \left(\sigma_{k}^{2}\right)-1\right)}$, respectively.

Columns (1a)-(1c) in Table 13 present the estimates of the mixed logit specification for the model with $D=100,000$. Estimates of various outcomes are similar to those obtained in the corresponding model with no heterogeneity (column 3 of Table 5). The mean coefficient of enjoying coursework is still largest in absolute value and significant. The estimated standard deviations of the (random) coefficients are highly significant, indicating that these parameters do indeed vary in the sample. Standard deviations for coefficients of graduating in 4 years and social status of available jobs are especially very large, indicating that there is substantial heterogeneity in how these outcomes are valued in the sample (consistent with what was also found in the previous section). Another point of note is that the mean coefficients in the mixed logit model are larger than the corresponding fixed coefficients in Table 5. This is because, in the mixed logit, some of the stochastic portion of the utility is captured in $\boldsymbol{\beta}_{i}$ rather than in $\varepsilon_{i}$. Since the utility is scaled so that $\varepsilon_{i}$ has the variance of an extreme value, the parameters are scaled down in the standard model relative to the mixed logit model (the same result is obtained by Revelt and Train, 1998). The fact that the mean coefficients are bigger than the fixed coefficients implies that the random parameters constitute a large share of the variance in unobserved utility.

One might wonder about the extent to which the variation in the parameters in the mixed logit model can be explained by including demographic characteristics. Columns (2a) through (2c) in Table 13 present estimates of the mixed logit model with demographic variables that were used in the heterogeneous model described in section 5.2. The estimates are similar to those in column (1) of Table 10, though they are larger in magnitude, which is expected. The standard deviations are still large and significant, which indicates that the demographic variables considered in section 5.2 capture only some of the heterogeneity exhibited by the individuals. Nonetheless, the fact that the relative magnitude of the estimates is similar to previous results is reassuring.

[^16]
## 6 Double-Major Choice Model

Two main reasons emerge for why students may pursue two majors: First, two majors appropriately differentiated can provide a broader mix of options than a single major. Second, it might be the case that no single major meets the needs of the individual. For example, an individual might be interested in both maximizing her income prospects and enjoying the coursework. It could very well be the case that no single major meets her needs, but a combination of two majors does. To capture the enhanced options and specialization of function that two majors provide, I estimate a separate choice model for double majors. More specifically, I assume that the utility of a pair of majors depends on the attributes of each major separately, as well as on the attributes of a composite major combining the best of both majors.

Discussion of the model and estimation can be found in the online Appendix at the author's webpage. I only summarize the main findings here: Double-major individuals have preferences similar to those with single majors. Graduating in 4 years, enjoying coursework, and gaining approval of parents are the most important outcomes in the choice of a major pair. There is evidence that individuals prefer to choose pairs of majors that differ in their chances of graduating in 4 years. Females and males differ in the outcomes they specialize in. Females choose major pairs that offer different chances of finding a job, while males choose major pairs that are different in gaining the approval of parents and enjoying coursework. On the whole, students with double majors pursue their interests at college while taking into account parents' approval, and they also act strategically in their choices by choosing majors that differ in their chances of completion and in finding a job upon graduation.

## 7 Understanding Gender Differences

Sections 5 and 6 show that males and females also differ in their preferences for the various outcomes. The descriptive analyses in section 3.4 and in Zafar (2008) document the heterogeneity in beliefs for various outcomes between the two genders. Though the results of the decomposition metric of equation (9), presented in Tables 6 and 11, highlight the gender differences in preferences, it is not clear how much of the gender gap in the choice of college majors is driven by differences in preferences and how much is due to differences in distributions of subjective beliefs. This distinction is important, since males and females identical in their preferences will make different career choices if there are gender differences in beliefs about success in different occupations (Breen and Garcia-Penalosa, 2002). Moreover, any policy recommendations will depend on whether the gender gap exists because of innate differences or because of social biases and discrimination. For example, if the gender gap existed because of gender differences in beliefs about ability and self-confidence, then policy interventions like single-sex classes could possibly reduce the gap. In this section, I delve into the underlying causes for the gender gap in more detail.

### 7.1 Decomposition Analysis

As a first step, I decompose the gender gap into gender differences in beliefs and preferences. A common way to explore differences between groups in a linear framework is to express the difference in the average value
of the dependent variable $Y$ as:

$$
\bar{Y}_{M}-\bar{Y}_{F}=\left[\left(\bar{X}_{M}-\bar{X}_{F}\right) \widehat{\beta}_{M}\right]+\left[\bar{X}_{F}\left(\widehat{\beta}_{M}-\widehat{\beta}_{F}\right)\right]
$$

where $\bar{X}_{j}$ is a vector of average values of the independent variables and $\widehat{\beta}_{j}$ is a vector of the estimated coefficients for gender $j \in\{(M)$ ale,$(F)$ emale $\}$. The first term on the right-hand side is the inter-group difference in mean levels of the outcome due to different observable characteristics, while the second term is the difference due to different effects of the characteristics. This technique is attributed to Oaxaca (1973). However, in the current context, the probability of choosing a given major, $Y$, is non-linear. In the case $Y=F(X \beta)$ and $F($.$) is a non-linear function, \bar{Y}$ does not equal $F(\bar{X} \beta)$. The gender difference in this non-linear case can be written as:

$$
\begin{aligned}
\bar{Y}_{M}-\bar{Y}_{F}= & {\left[\sum_{i=1}^{N_{M}} \frac{F\left(X_{M i} \widehat{\beta}_{M}\right)}{N_{M}}-\sum_{i=1}^{N_{F}} \frac{F\left(X_{F i} \widehat{\beta}_{M}\right)}{N_{F}}\right]+\left[\sum_{i=1}^{N_{F}} \frac{F\left(X_{F i} \widehat{\beta}_{M}\right)}{N_{F}}-\sum_{i=1}^{N_{F}} \frac{F\left(X_{F i} \widehat{\beta}_{F}\right)}{N_{F}}\right] } \\
& =\left[\overline{F\left(X_{M} \widehat{\beta}_{M}\right)}-\overline{F\left(X_{F} \widehat{\beta}_{M}\right)}\right]+\left[\overline{F\left(X_{F} \widehat{\beta}_{M}\right)}-\overline{F\left(X_{F} \widehat{\beta}_{F}\right)}\right]
\end{aligned}
$$

where $N_{j}$ is the sample size of gender $j .{ }^{32}$ The first expression in the square brackets represents part of the gender gap that is due to gender differences in distributions of $X$, and the second expression represents the part due to differences in the group processes determining levels of $Y$. It is relatively simple to estimate the total contribution. However, identifying the contribution of group differences in specific variables/coefficients to the gender gap is not straightforward. For this purpose, I use a decomposition method proposed by Fairlie (2005). Contributions of a single variable/coefficient are calculated by replacing the relevant variable of one group with that of the other group sequentially, one by one. For illustration, suppose $Y_{j}=F\left(X_{j} \beta_{j}\right)$ for $j=\{F, M\}$ and that $X$ includes two variables, $X_{1}$ and $X_{2}$. Moreover, let $N_{M}=N_{F}=N$ and assume there exists a natural one-to-one matching of female and male observations. The independent contribution of $X_{1}$ to the gender gap is given as:

$$
\frac{1}{N} \sum_{i=1}^{N} F\left(X_{1 M i} \widehat{\beta}_{1 M}+X_{2 M i} \widehat{\beta}_{2 M}\right)-F\left(X_{1 F i} \widehat{\beta}_{1 M}+X_{2 M i} \widehat{\beta}_{2 M}\right)
$$

and that of $X_{2}$ is given as:

$$
\frac{1}{N} \sum_{i=1}^{N} F\left(X_{1 F i} \widehat{\beta}_{1 M}+X_{2 M i} \widehat{\beta}_{2 M}\right)-F\left(X_{1 F i} \widehat{\beta}_{1 M}+X_{2 F i} \widehat{\beta}_{2 M}\right)
$$

Therefore, the contribution of a variable to the gap is equal to the change in the average predicted probability from replacing the female distribution with the male distribution of that variable while holding the distributions of the other variable constant. One important thing to note is that, unlike in the linear case, the independent contributions of $X_{1}$ and $X_{2}$ depend on the value of the other variable. Therefore, the order of switching the distributions can be important in calculating the contribution to the gender gap. ${ }^{33}$ Similarly,

[^17]the independent contribution of $\beta_{1}$ to the gap is given by:
$$
\frac{1}{N} \sum_{i=1}^{N} F\left(X_{1 F i} \widehat{\beta}_{1 M}+X_{2 F i} \widehat{\beta}_{2 M}\right)-F\left(X_{1 F i} \widehat{\beta}_{1 F}+X_{2 F i} \widehat{\beta}_{2 M}\right)
$$
and that of $\beta_{2}$ is given as: ${ }^{34}$
$$
\frac{1}{N} \sum_{i=1}^{N} F\left(X_{1 F i} \widehat{\beta}_{1 F}+X_{2 F i} \widehat{\beta}_{2 M}\right)-F\left(X_{1 F i} \widehat{\beta}_{1 F}+X_{2 F i} \widehat{\beta}_{2 F}\right)
$$

For the purposes of this decomposition, I treat double-major respondents as if they were pursuing a single major; I use the parameter estimates obtained from the single major choice model using stated preferences of the respondents. Results of this decomposition are presented in Table 14 for four different majors. ${ }^{35}$ The last row of the table shows that both expectations and preferences contribute to the gender gap for all major categories. The contributions of preferences and beliefs to the gap differ by fields. The majority of the gender gap in Literature \& Fine Arts and in Social Sciences II is due to gender differences in beliefs, while gender differences in preferences explain most of the gap in Engineering and in Social Sciences I.

If women being less overconfident than men (Niederle and Vesterlund, 2007, and references therein) and women being low in self-confidence (Long, 1986; Valian, 1998) were the main explanations for the underlying gender gap, one would expect gender differences in beliefs about academic ability to be important in explaining the gender difference in major choices. However, columns (1)-(4) of Table 14 show that gender differences in beliefs about ability (more precisely, beliefs about graduating in four years and graduating with a GPA of at least 3.5) are insignificant and explain a small part of the gender gap. Therefore, explanations based entirely on the assumption that women are under-represented in sciences and Engineering because they have lower self-confidence can be rejected in my data. Another striking observation is that gender differences in beliefs about enjoying coursework in the various fields are significant and explain a large part of the gap.

Here I discuss the decomposition results for Engineering in some detail. These results are presented in columns (1) and (5) of Table 14. The model predicts that, on average, males are nearly twice as likely as females to major in Engineering (an average male probability of 0.104 versus 0.045 for females); $60 \%$ of this gap is due to gender differences in preferences for various outcomes. Moreover, nearly $27 \%$ of the gap is due to gender differences in beliefs about enjoying coursework. Interestingly, gender differences in beliefs about future earnings are insignificant and constitute less than $0.5 \%$ of the gap. Females have beliefs similar to those of males about academic ability in Engineering. ${ }^{36}$ These findings suggest that females are less likely to major in engineering not because they are under-confident about their academic ability, low in self-confidence, or believe wage discrimination exists in the labor market. Instead, it is because they believe that they won't

[^18]enjoy taking courses in Engineering.

### 7.2 Simulations

This section simulates different environments to see how the gender gap would change under different scenarios. Column (1) of Table 15 shows the gender gap predicted by the model for the various major categories. The simulation in column (2) considers an environment where the female subjective ability distribution (beliefs about graduating within four years and about graduating with a GPA of at least 3.5) is replaced with that of males. ${ }^{37}$ The purpose of this simulation is to determine how much of the gap is due to females having less self-confidence in their ability (relative to men). The second simulation in column (3) replaces the female subjective earnings distribution with that of males; it is meant to answer the question of how much of the gap is due to beliefs of wage discrimination in the labor market. Columns (4) and (5) simulate an environment in which females have the same beliefs as males about enjoying coursework and enjoying work at potential jobs, respectively.

I continue to focus the discussion on Engineering. The results confirm the findings in Table 14. If female expectations about ability were raised to the same level as those of males through some policy intervention, the gender gap in Engineering would decrease by less than $14 \%$. The gender gap virtually stays the same if female expectations of future earnings were forced to be the same as those of males. Finally, the gender gap decreases by nearly $50 \%$ if the female beliefs about enjoying coursework in Engineering were replaced with those of males. These results are in line with the findings of the previous section. The small contribution of gender differences in beliefs about ability and future earnings in Engineering toward the underlying gender gap in the choice of major allows me to rule out low self-confidence and perceived wage discrimination in the labor market as possible explanations for why women are less likely to major in fields like Engineering. However, it is not clear what kind of policy would be able to bring about a change in female beliefs about enjoying coursework and enjoying working at the jobs because these gender differences could be a consequence of innate gender differences in attitudes (Baron-Cohen, 2003) or due to social biases including discrimination (Valian, 1998). ${ }^{38}$ This issue is pursued in more detail in the following section.

### 7.3 Understanding Beliefs About Enjoying Coursework and Work

In a quest to understand why females are less likely to enjoy studying and working in fields like Engineering, survey respondents were asked their beliefs about each gender being treated poorly at the jobs that would be available in the different major categories. The question was worded as follows ${ }^{39}$ :

> "What do you think is the percent chance that $X$ (where $X=\{$ Male, Female $\}$ ) would be treated poorly in jobs that are available in each of the following fields?"

[^19]Before providing the responses to this question, columns (1) and (2) of Table 16 report the fraction of females that survey respondents believe take classes in the various majors. Column (3) reports the average number of females who graduated in the various majors in 2005 and 2006 (source: IPEDS 2005 and IPEDS 2006). Survey respondents seem to be well informed about the relative fraction of females in the various majors. The responses to the question about males and females being treated poorly are shown in columns (4)-(7) of Table 16. Several notable patterns stand out. First, male respondents believe that females are treated more poorly than males in jobs in all fields except Education, Literature \& Fine Arts, and Music Studies; these three fields correspond to the three most female-dominated fields (in college) as reported by males in column (1) of the table. Second, females believe that they would be treated more poorly than males at jobs in all fields except Education- the field that females believe has the highest fraction of females. Third, for both the male and female respondents, the largest difference in females being treated poorly relative to males is for Engineering and Math \& Computer Sciences- two categories with the lowest fraction of females (as reported by both males and females). Finally, both males and females believe that Education is the category in which males would be treated the worst.

Table 17 shows a significant correlation of -0.35 between females' beliefs about being treated poorly at the jobs and the fraction of females in the major's classes. The table also shows separate male and female correlation patterns between the variables described in Table 16 and beliefs about enjoying coursework and enjoying work at jobs. These correlations indicate that, for female students in particular, beliefs about enjoying coursework and enjoying work at the jobs are positively related to beliefs about the fraction of females taking classes in that field and negatively correlated with the perceptions of females being treated poorly in the jobs. ${ }^{40}$ Interpreting these correlations is not straightforward. It could be that females prefer fields that value female-specific attributes and where females are treated more favorably (Cejka and Eagly, 1999, find that occupations that are female-dominated are those where female-specific attributes are perceived to be essential for success), or it could be that females are treated more favorably at those jobs precisely because those are "female" occupations. Unfortunately, with the available data, it's not possible to choose between these competing causal explanations.

I re-estimate the single-major choice model initially estimated in section 5.1 to see how the inclusion of the new variables "females treated poorly at the jobs" and "males treated poorly at the jobs" affect the parameter estimates. The estimates for the determinants that were already included in the initial model stay almost the same, while the new variables are insignificant. ${ }^{41}$ Moreover, the new variables do not improve the model's explanatory power for the entire sample and for females; relative to the initial model, the Wald $\chi^{2}$ (a measure of goodness-of-fit that compares the likelihood ratio chi-squared of the model to one with the null model) does not change by much.

The findings in this section suggest that females are less likely to major in fields like engineering not because they are under-confident about their academic ability, low in self-confidence, or believe wage discrimination

[^20]exists in the labor market. Instead, it is because they believe that they won't enjoy taking courses in Engineering. In other words, it's not that women think they won't be good engineers; it's that they think they won't enjoy studying it. The results seem to suggest that a policy that changes social attitudes might be more useful in narrowing the gap.

A question that I do not address is the source of gender differences in preferences, which could arise from differences in tastes, as well as gender discrimination. For example, parents who know that females would be discriminated against in male-dominated majors/occupations could try to shape the preferences of their female children so that they are more comfortable in female-dominated majors/occupations (Altonji and Blank, 1999). The question of understanding the sources of gender differences in preferences is beyond the scope of this paper. ${ }^{42}$

## 8 Conclusion

Choosing a college major is a decision that has significant social and economic consequences. Little is known about how youth choose college majors and why the observed gender gap exists. In this paper, I estimate a model of college major choice with a focus on explaining the gender gap. Gender differences in major choice are extremely complex, and no simple explanation can be provided for them. The analysis presented in this paper attempts to enhance our understanding of these issues.

On the methodology side, this paper shows that elicited expectations can be used to relax strong and often nonverifiable assumptions about expectations to infer decision rules under uncertainty. Descriptive analysis of the subjective data shows substantial heterogeneity in beliefs both within and between genders. My approach also differs from the literature on major choice by accounting for both the pecuniary and non-pecuniary determinants of the choice. I have shown that elicited subjective data can be used to infer decision rules in environments where expectations are crucial. This is particularly relevant in cases where the goal is to explain group differences in choices under uncertainty and where expectations may differ across groups (in unknown ways).

I estimate models for single-major and double-major choice. Outcomes most important in choice of major are enjoying coursework, gaining approval of parents, and enjoying work at the jobs. Non-pecuniary determinants explain about half of the choice for males and more than three-fourths of the choice for females. Males and females have similar preferences regarding choices at college, but differ in their tastes regarding the workplace; females mostly care about non-pecuniary outcomes (gaining approval of parents and enjoying work at jobs), while males value pecuniary outcomes (social status of the jobs, likelihood of finding a job, and earnings profiles at jobs) more. In addition, I find that students choosing double majors hedge their chances of getting a job upon graduation and completing their studies by choosing pairs of majors that differ in these two outcomes. Cultural proxies and demographic variables bias beliefs and preferences in systematic ways.

[^21]Individuals with foreign-born parents value the pecuniary determinants of the choice more than individuals with US-born parents. Indeed, males with foreign-born parents are the only sub-group in my sample who value pecuniary determinants more than the non-pecuniary outcomes.

The analysis in this paper has some limitations. First, the study is based on data from Northwestern University only. The heterogeneity in subjective expectations underscores the need to elicit similar data at different undergraduate institutions and at a larger scale in order to make policy recommendations. Second, heterogeneity in subjective responses could be driven by differential access to information or by different information processing. Progress in understanding how people form and update expectations requires richer longitudinal data. Moreover, as Manski (2004) argues, understanding expectations formation will also require intensive probing of individuals to learn how they perceive environments and how they process new information. Third, individuals may find it optimal to experiment with different majors to learn about their ability and match quality (Altonji, 1993; Malamud, 2006; and Stinebrickner and Stinebrickner, 2008). This study does not focus on this aspect, assuming instead that individuals maximize current expected utility.

My results shed some light on the reasons for the gender gap in college major choice. Gender differences in beliefs about ability and future earnings are insignificant in explaining the gender gap. A policy intervention that were to raise the expectations of females about ability and future earnings in engineering to the same level as those of males would decrease the gender gap only by about $15 \%$. This result has two implications: (1) just raising the expectations of women may not be enough to eradicate the gap, and (2) hypotheses that claim that the gap could be explained by women having low self-esteem and being less overconfident than men can be rejected by my data. Most of the gender gap is due to gender differences in beliefs about enjoying coursework and different preferences for various outcomes- simply replacing females' beliefs about enjoying coursework with those of the males decreases the gender gap in engineering by almost half. Gender differences in beliefs about enjoying coursework as well as in preferences may exist because of differences in tastes or because of gender discrimination. Richer data are needed to answer this question. I believe the next natural step is to explore how individuals form beliefs.

## References

Altonji, J. (1993), "The Demand for and Return to Education when Education Outcomes are Uncertain", Journal of Labor Economics, 11: 48-83
Altonji, J. and R. Blank (1999), "Race and Gender in the Labor Market", in O. Ashenfelter and D. Card, (eds), Handbook of Labor Economics Volume 3c Elsevier Science B.V.: 3144-3259
Arcidiacono, P. (2004), "Ability Sorting and the Returns to College Major", Journal of Econometrics, 121(1-2): 343-375
Bamberger, G. (1986), "Occupation Choice: The Role of Undergraduate Education", Unpublished paper. Chicago: University of Chicago, Graduate School of Business
Baron-Cohen, S. (2003), "The Essential Difference: Men, Women, and the Extreme Male Brain", Allen Lane, London
Barres, B. (2006), "Does Gender Matter?", Nature, 442: 133-136
Bisin, A. and T. Verdier (2001), "The Economics of Cultural Transmission and the Dynamics of Preference", Journal of Economic Theory, 97: 298-319

Breen R. and C. Garcia-Penalosa (2002), "Bayesian Learning and Gender Segregation", Journal of Labor Economics, 20(4): 899-922
Brown, C. and M. Corcoran (1997), "Sex Based Differences in School Content and the Male-Female Wage Gap", Quarterly Journal of Economics, 99: 31-44
Bruine de Bruin, W., B. Fischhoff, B. Halpern-Felsher, and S. Millstein (2000), "Expressing Epistemic Uncertainty: It's a Fifty-Fifty Chance", Organizational Behavior and Human Decision Processes, 81: 115-131

Cejka, M, and A. Eagly (1999), "Gender-Stereotypic Images of Occupations Correspond to the Sex Segregation of Employment", Personality and Social Psychology Bulletin, 25(4): 413-423

Chemers, M., L. Hu, and B. Garcia (2001), "Academic Self-Efficacy and First-Year College Student Performance and Adjustment," Journal of Educational Psychology, 93(1): 55-64

Croson, R. and U. Gneezy (2008), "Gender Differences in Preferences", Journal of Economic Literature, forthcoming
De Giorgi, G., M. Pellizzari, and S. Redaelli (2007), "Be as Careful of the Books you Read as of the company you keep. Evidence on peer effects in educational choices", IGIER-Bocconi and IZA Working Paper.

Delavande, A. (2004), "Pill, Patch or Shot? Subjective Expectations and Birth Control Choice", Northwestern Working Paper

Dey, J. and C. Hill (2007), "Behind the Gender Gap", American Association of University Women Educational Foundation

Dominitz J. and C. Manski (1996), "Eliciting Student Expectations of the Returns to Schooling", Journal of Human Resources, 31(1): 1-26

Dominitz J. and C. Manski (1997), "Using Expectations Data to Study Subjective Income Distribution", Journal of the American Statistical Association, 87: 855-867

Easterlin, R. (1995), "Preferences and Prices in Choice of Career: The Switch to Business, 1972-87", Journal of Economics Behavior and Organization, 27: 1-34
Eagly, A. (1978), "Sex Differences in Influenceability", Psychological Bulletin, 85: 86-116
Eckel, C. and P. Grossman (2002), " "Differences in the Economic Decisions of Men and Women: Experimental Evidence," in Handbook of Experimental Economics Results, C. Plott, and V. Smith, eds.
Euwals, R., B. Melenberg, and A. van Soest (1998), "Testing the Predictive Value of Subjective Labor Supply Data", Journal of Applied Econometrics, 13: 567-585

Fairlie, R. (2005), "An Extension of the Blinder-Oaxaca Decomposition Technique to Logit and Probit Models", Journal of Economic and Social Measurement, 30(4): 305-316

Fernandez, R., A. Fogli, and C. Olivetti (2004), "Mothers and Sons: Preference Formation and Female Labor Force Dynamics", Quarterly Journal of Economics, 119(4): 249-299
Fiorito, J., and R. Dauffenbach. (1982) "Market and Nonmarket Influences in Curriculum Choice by College Students", Industrial and Labor Relations Review, 36(1): 88-101

Freeman, R. (1971) "The Market for College-Trained Manpower", Cambridge, Mass.: Harvard University Press
Garman, D. and L. Loury (1995), "College Selectivity and Earnings", Journal of Labor Economics, 13: 289-308
Goldin, C., L. Katz, and I. Kuziemko (2006), "The Homecoming of American College Women: The Reversal of the College Gender Gap", Journal of Economic Perspectives, 20(4): 133-156

Gruber, J. (2004), "Is Making Divorce Easier Bad for Children? The Long-Run Implications of Unilateral Divorce", Journal of Labor Economics, 22(4): 799-833

Guiso, L., P. Sapienza, and L. Zingales (2006), "Does Culture Affect Economic Outcomes?", The Journal of Economic Perspectives, 20(2): 23-48

Hurd, M., J. Smith, and J. Zissimopoulos (2004), "The Effects of Subjective Survival on Retirement and Social Security Claiming", Journal of Applied Econometrics, 19: 761-775

Kapteyn, A., A. van Soest, and J. Zissimopoulos (2007), "Using Stated Preferences Data to Analyze Preferences for Full and Partial Retirement", IZA Discussion Paper No. 2785
Kimura, D. (1999), "Sex and Cognition", Cambridge, Mass: A Bradford Book, MIT Press
Long, V. (1986), "Relationship of Masculinity to Self-Esteem and Self-Acceptance in Female Professionals, College Students, Clients, and Victims of Domestic Violence", Journal of Consulting and Clinical Psychology, 54: 323-327

Lubinski, D., and C. Benbow (1992), "Gender differences in abilities and preferences among the gifted: Implications for the math/science pipeline", Current Directions in Psychological Science, 1: 61-66

Luce, D. and P. Suppes (1965), "Preferences, utility and subjective probability'", in R. Luce, R. Bush, and E. Galanter, eds., Handbook of Mathematical Psychology, John Wiley and Sons, New York: 249-410

Malamud, O. (2006), "Breadth vs. Depth: The Effect of Academic Specialization on Labor Market Outcomes", Harris School Working Paper Series 05:17

Manski, C. (1993a), "Adolescent Econometricians: How Do Youth Infer the Returns to Schooling?" in C. Clotfelter and M.Rothschild (editors) Studies of Supply and Demand in Higher Education, Chicago: University of Chicago Press: 43-57

Manski, C. (1993b), "Identification of Endogenous Social Effects: The Reflection Problem", Review of Economic Studies, 60: 531-542

Manski, C. (2002), "Identification of Decision Rules in Experiments on Simple Games of Proposal and Response", European Economic Review, 46(4-5): 880-891

Manski, C. (2004), "Measuring Expectations", Econometrica, 72(5): 1329-1376
Niederle, M. and L. Vesterlund (2007), "Do Women Shy away from Competition? Do Men Compete too Much?", Quarterly Journal of Economics, 122(3): 1067-1101

Oaxaca, R. (1973), "Male-Female Wage Differential in the Urban Labor Markets", International Economic Review, 14(October): 693-709

Paglin, M. and A. Rufolo (1990), "Heterogeneous Human Capital, Occupational Choice, and Male-Female Earnings Differences", Journal of Labor Economics, 8: 123-144

Revelt, D. and K. Train (1998), "Mixed Logit with Repeated Choices: Households’ Choices of Appliance Efficiency Level", The Review of Economics and Statistics, 80(4): 647-657

Sacerdote, B. (2001), "Peer Effects With Random Assignment: Results for Dartmouth Roommates", Quarterly Journal of Economics, 116 (May): 681-704

Solnick, S. (1995), "Changes in Women's College Majors from Entrance to Graduation at Women's and Coeducational Colleges", Industrial and Labor Relations Review, 48(3): 505-514

Stinebrickner, T. and R. Stinebrickner (2008), "Learning about Academic Ability and the College Drop-out Decision", University of Western Ontario Working Paper 20086
Traweek, S. (1988), "Beamtimes and Lifetimes: The World of High Energy Physicists", Cambridge, MA: Harvard University Press

Turner, S. and W. Bowen (1999), "Choice of Major: The Changing (Unchanging ) Gender Gap", Industrial and Labor Relations Review 52(2): 289-313

Valian, V. (1998), "Why So Slow?", MIT Press, Cambridge.
van der Klaauw, W. (2000), "On the Use of Expectations Data in Estimating Structural Dynamic Models: An Analysis of Career Choices", UNC-Chapel Hill Working Paper
van der Klaauw, W. and K. Wolpin (2008), "Social Security and Savings and Retirement Behavior of Low Income Households", Journal of Econometrics, 145(1-2): 21-42

Wolpin, K. (1999), "Commentary on "Analysis of Choice Expectations in Incomplete Scenarios", by C. F. Manski", Journal of Risk and Uncertainty, 19(1-3): 67-69

Xie, Y. and K. Shauman (2003), "Women in Science: Career Processes and Outcomes", Cambridge, MA: Harvard University Press

Yun, M. (2004), "Decomposing Differences in the First Moment", Economic Letters 82(2): 275-280
Zafar, B. (2008), "How do College Students Form and Revise Expectations About Major-Specific Outcomes?", mimeo, Federal Reserve Bank of New York

## 9 Appendix

### 9.1 Survey Excerpt

Practice Questions In some of the survey questions, you will be asked about the PERCENT CHANCE of something happening. The percent chance must be a number between zero and 100. Numbers like 2 or $5 \%$ indicate "almost no chance," $19 \%$ or so may mean "not much chance," a 47 or $55 \%$ chance may be a "pretty even chance," $82 \%$ or so indicates a "very good chance," and a 95 or $98 \%$ mean "almost certain." The percent chance can also be thought of as the NUMBER OF CHANCES OUT OF 100.

We will start with a couple of practice questions.

## 1. PRACTICE QUESTION 1: What do you think is the PERCENT CHANCE (or CHANCES OUT OF 100) that you will eat pizza for lunch next week? \%

2. PRACTICE QUESTION 2: What do you think is the PERCENT CHANCE (or CHANCES OUT
OF 100) that you will eat pizza for lunch on Tuesday next week?

Once students had answered the questions, they were given the following instructions
Note that "pizza for lunch next week" INCLUDES the possibility of "pizza for lunch on Tuesday next week". Recall that:

PRACTICE QUESTION 1: What do you think is the PERCENT CHANCE (or CHANCES OUT OF 100) that you will eat pizza for lunch next week?

PRACTICE QUESTION 2: What do you think is the PERCENT CHANCE (or CHANCES OUT OF 100) that you will eat pizza for lunch on Tuesday next week?

Since "pizza for lunch next week" INCLUDES the possibility of "pizza for lunch on Tuesday next week", your answer to PRACTICE QUESTION 2 should be SMALLER or EQUAL than your answer to PRACTICE QUESTION 1.

### 9.1.1 Questionnaire

The following set of questions was asked for each of the relevant categories. The questions below were asked for Natural Sciences.

Q1 If you were majoring in Natural Sciences, what would be your most likely major?
Q2 If you were majoring in Natural Sciences, what do you think is the percent chance that you will successfully complete this major in 4 years (from the time that you started college)? (Successfully complete means to complete a bachelors)

NOTE: In answering these questions fully place yourself in the (possibly) hypothetical situation. For example, for this question, your answer should be the percent chance that you think you will successfully complete your major in Natural Sciences in 4 years IF you were (FORCED) to major in it.

Q3 If you were majoring in Natural Sciences, what do you think is the percent chance that you will graduate with a GPA of at least 3.5 (on a scale of 4 )?

Q4 If you were majoring in Natural Sciences, what do you think is the percent chance that you will enjoy the coursework?

Q5 If you were majoring in Natural Sciences, how many hours per week on average do you think you will need to spend on the coursework?

Q6 If you were majoring in Natural Sciences, what do you think is the percent chance that your parents and other family members would approve of it?

Q7 If you were majoring in Natural Sciences, what do you think is the percent chance that you could find a job (that you would accept) immediately upon graduation?

Q8 If you obtained a bachelors in Natural Sciences, what do you think is the percent chance that you will go to graduate school in Natural Sciences some time in the future?

Q9 What do you think was the average annual starting salary of Northwestern graduates (of 2006) with Bachelor's Degrees in Natural Sciences?

Now look ahead to when you will be 30 YEARS OLD. Think about the kinds of jobs that will be available for you and that you will accept if you successfully graduate in Natural Sciences.

NOTE that there are some jobs that you can get irrespective of what your Field of Study is. For example, one could be a janitor irrespective of their Field of Study. However, one could not get into Medical School (and hence become a doctor) if they were to major in Journalism.

Your answers SHOULD take into account whether you think you would get some kind of advanced degree after your bachelors if you majored in Natural Sciences.

Q10 What kind of jobs are you thinking of?
Q11 Look ahead to when you will be 30 YEARS OLD. If you majored in Natural Sciences, what do you think is the percent chance that you will enjoy working at the kinds of jobs that will be available to you?
Q12 Look ahead to when you will be 30 YEARS OLD. If you majored in Natural Sciences, what do you think is the percent chance that you will be able to reconcile work and your social life/ family at the kinds of jobs that will be available to you?

Q13 Look ahead to when you will be 30 YEARS OLD. If you majored in Natural Sciences, how many hours per week on average do you think you will need to spend working at the kinds of jobs that will be available to you?

When answering the next two questions, please ignore the effects of price inflation on earnings. That is, assume that one dollar today is worth the same as one dollar when you are 30 years old and when you are 40 years old.

Q14 Look ahead to when you will be 30 years old. Think about the kinds of jobs that will be available to you and that you will accept if you graduate in Natural Sciences. What is the average amount of money that you think you will earn per year by the time you are 30 YEARS OLD?

Q15 Now look ahead to when you will be 40 years old. Think about the kinds of jobs that will be available to you and that you will accept if you graduate in Natural Sciences. What is the average amount of money that you think you will earn per year by the time you are 40 YEARS OLD?

### 9.2 Debriefing

### 9.2.1 Peer Effects

The question was:
Check all that apply

1) My (intended) major is the same as that of one of my parents
2) My (intended) major is the same as that of one of my siblings
3) $M y$ (intended) major is the same as that of my freshman-year roommate
4) My (intended) major is the same as that of my current roommate
5) My (intended) major is the same as that of the majority of my best high school friends who went to college
6) My (intended) major is the same as that of the majority of my friends in Northwestern
7) None of the above

Next the respondent was asked: "For each of the options (1 through 6) in Question 5 that you have marked, please explain the underlying reason for it"

Some of the selected responses are:

- I am influenced by my father but not much by friends.
- My Integrated science major is the same as the majority of my friends, because most of the classes that I take is with Integrated science majors. Since we are in class together all the time, we have become good friends.
- My brother is majoring in Journalism but also Political Science. This played a minor influence on my decision but is mostly coincidence that we like the same sort of classes. My freshman year roommate was possibly an influence on me, but we generally had the same interests in terms of school subjects from the start.
- My dad majored in English, is passionate about the subject and is now a college professor who teaches it. He loved it, but it was never forced on me, resulting in that i grew to love it as well. And I'm good at it. When you're constantly being grammatically corrected and pushed to think loftier ideas then it kind of becomes second nature, a permanent habit. As far as my freshman year roommate, i lived in the Communications Residential College. It's $80 \%$ journalism and $19 \%$ theater. It was bound to happen.
- My brothers and I have very similar interests and strengths.
- My parents have always encouraged me to do well in school, and placed an emphasis on math and the sciences. Also, I live in a town of only 20,000 people, but there are two major research facilities in the town. Many of my peers were also children of scientists. I have a twin brother who also goes to Northwestern and studies Chemistry and German. We probably influenced each other because we're very close. We both took the German AP, which is why both of us have German as a second major (the German major is relatively light, especially if you come in already taking third year classes).
- I am interested in Psychology, and although my parents are not too keen on me studying psychology, that's what I want to to. My mom was also interested in Psych, but she never perused it
- My major is the same as my parents purely by coincidence. Somehow our interests coincide. My major is the same as the majority of my high school friends (but most of my best friends are doing medicine) because most of my high school friends who study abroad chose economics. It is also the major which most students from Hong Kong would choose when they study abroad since most jobs you can find back home is econ-related. My major is the same as the majority of my friends in Northwestern because 1) Economics is a popular major, the probability that you can find an econ major student is quite high 2) I met most of my friends and formed the friendship through classes and extracurricular activities.
- My mom is a psychologist, and even though I have no desire to pursue that career I think she might have influenced my interest in psychology
- I grew up in a household where my parents are both scientists so I became interested in medicine and science simultaneously. They never told me what to do, it was just a matter of spending more time around a certain field. Also, I live on North Campus where a majority of Northwestern science majors and engineers live so it just so happens that many people are in the same field that I intend to be in, primarily by location because the dorms up North are closer to Tech, which is where most of our classes are held.
- 1) Parental Influence 5 and 6) Social Integration with Friends of Similar Background
- For the first, my parents raised me and my siblings, and for the second, I tend to make friends with people I share classes with.
- I think they paired me with a roommate with whom I had stuff in common. My friends at Northwestern and I have the same interests and personalities and that is reflected in our majors.
- My roommate took a Psychology class last year and really enjoyed it. I had never had any exposure to Psychology classes in high school, so decided that it would be interesting to take. I took the class this fall, and really enjoyed it.
- My parents and I have similar tastes and I like the things they like. My roommate and I were best friends from high school and had very similar interests.
- I think I want to major in economics because I see how successful my dad is today and since he majored in business, I thought economics would be close enough.
- economics is something that flows for me when i learn it, maybe it's in my genes since my dad majored in it during graduate school, it's also very practical and covers many bases, so i see why my friends picked it, it's respected, it's not seen as a slacker major like psychology, and i find it very interesting as i would hope many people do since it's such a popular major
- I really think it's a coincidence. My roommate is interested in politics, too. Maybe it's because we're from similar places. We're both from coastal cities, where politics is big.
- My father has influenced me indirectly because he is an economics professor. My brother is young and wants to follow me into business. i am friends with a lot of people in my classes, which happen to be econ./MMSS classes
- My mother is terrible at math so she majored in an all-words major, Sociology, but I am OK at math so my Social Policy major incorporates a bit more economic reasoning and logic than hers


### 9.2.2 Beliefs of Being Treated Poorly

Below I present selective comments by gender to the question: What does the phrase "treated poorly in jobs available..." mean to you

## Females reported:

- Women might be subject to jokes in strongly male-dominated fields, but men are more likely to be subject to worse treatment by female coworkers in strongly female-dominated fields. Poor treatment of women by men is much less socially acceptable than the reverse.
- It might mean that they were treated unfairly in terms of pay, or it might mean that the demands of the job didn't allow the individual to pursue his/her home/family life.
- Discriminated against in terms of salary, opportunities, and promotions
- I consider "treated poorly" to signify the chance of some form of gender discrimination present in a field (obviously would differ depending on what major/job from each field of study)
- Openly discriminated upon, and thought to be less capable or incapable of doing the work
- Looked down upon, not given respect, given bad hours, given bad assignments (women are often treated poorly more often than men.)
- Having employers expect less of them and give them less responsibility, or outright discrimination.
- Not as commonly appear in the field as the other sex
- Getting less money; not being socially accepted in that job; not having the same opportunities for promotion
- discrimination. not given the opportunity to do things because of their gender. stereotyped bc the jobs are usually occupied on the other gender.
- Preferred less when in competition with someone equally qualified; made fun of for work; must face large gender imbalance
- It means being treated differently based on gender, as in coworkers' attitudes towards you, (how seriously they take you) or even employer's treatment (like pay difference, or job expectations)
- Glass ceiling; lower expectations


## Males reported:

- To me this means the employee is not treated fairly or simply does not feel comfortable in the work environment.
- Discrimination in salary and at the workplace, acceptance at workplace, promotion, acceptance into societies and journals, respect.
- Harassment/mistreatment from coworkers and unfair compensation when compared to the opposite sex
- It means that their employers will be biased in some way or another against them because of their gender, and will show it via some negative remark or action.
- Treated with disrespect or made to work very long hours. Or not given a fair chance for promotion.
- If a member of the opposite gender is given a higher position than you when you are more qualified for the position.
- Managers/supervisors have prejudices against the work done by members of a certain gender, judging it unnecessarily harshly.
- Not paid what they're worth, not given ample opportunity for advancement, discriminated against in hiring, not having a job that adequately takes in to account a family life and life outside of work
- To me it means discriminated against based on gender through different means such as interaction, salary, and respect.
- People may think, "She's a woman, she can't solve these types of problems."
- Jobs in which the individual is assumed to be less capable than they really are. Jobs which a small percentage of people think an individual of that gender shouldn't be doing.
- Gender discrimination based on expectations of abilities by gender (like bias against females on engineering and natural sciences)


Figure 1: Gender Composition of Majors of 1999-2000 Bachelor's Degree Recipients Employed Full-Time in 2001.


Figure 2: Average income of 1999-2000 Bachelor's Degree Recipients Employed Full-Time in 2001 by Major.

Table 1: List of Majors

| The following is the classification of majors | $\mathrm{h} \mathrm{M} \mathrm{Music} \mathrm{Studies}^{1}$ |
| :---: | :---: |
| into categories: | Jazz Studies |
|  | Music Cognition |
| a Natural Sciences | Music Composition |
| Biological Sciences | Music Education |
| Chemistry | Music Technology |
| Environmental Sciences | Music Theory |
| Geography* | Musicology |
| Geological Sciences | Piano Performance |
| Integrated Science | String Performance |
| Materials Science | Voice and Opera Performance |
| Physics | Wind and Percussion Performance |
| b Mathematical and Computer Sciences | i Education and Social Policy ${ }^{2}$ |
| Cognitive Science | Human Development and Psychological Services |
| Computing and Information Systems | Learning and Organizational Change |
| Mathematics | Secondary Teaching |
| Statistics | Social Policy |
| c Social Sciences I | j Communication Studies ${ }^{3}$ |
| Anthropology | Communication Studies |
| Gender Studies* | Dance |
| History | Human Communication Science |
| Linguistics | Interdepartmental Studies |
| Political Science | Performance Studies |
| Psychology | Radio/Television/ Film |
| Sociology | Theatre |
| d Social Sciences II | k Engineering ${ }^{4}$ |
| Economics | Applied Mathematics |
| Mathematical Methods in Social Sciences* | Biomedical Engineering |
|  | Chemical Engineering |
| e Ethics and Values | Civil Engineering |
| Legal Studies* | Computer Engineering |
| Philosophy | Computer Science |
| Religion | Electrical Engineering |
| Science in Human Culture* | Environmental Engineering |
|  | Industrial Engineering |
| f Area Studies | Manufacturing and Design Engineering |
| African American Studies | Materials Science\& Engineering |
| American Studies | Mechanical Engineering |
| Asian \& Middle East Languages \& Civilization European Studies |  |
| International Studies* | L Journalism ${ }^{5}$ |
| Slavic Languages and Literatures | Journalism |
| g Literature and Fine Arts |  |
| Art History |  |
| Art Theory and Practice |  |
| Classics |  |
| Comparative Literary Studies | * Adjunct majors. These do not stand alone |
| Drama |  |
| English | 1 Majors in the School of Music |
| French | 2 Majors in the School of Education and Social Policy |
| German | 3 Majors in the School of Communication |
| Italian | 4 Majors in the McCormick School of Engineering |
| Spanish | 5 Majors in the Medill School of Journalism |

Table 2: Sample Characteristics

| Characteristics | Sample |  |  | Population ${ }^{a}$ |
| :---: | :---: | :---: | :---: | :---: |
|  | All <br> Freq.(Percent) | Single Majors <br> Freq.(Percent) | Double Majors <br> Freq.(Percent) | Freq.(Percent) |
| Gender |  |  |  |  |
| Male | 69 (43) | 33 (40) | 36 (46) | 465 (46) |
| Female | 92 (57) | 50 (60) | 42 (54) | 546 (54) |
| Total | 161 | 83 | 78 | 1011 |
| Ethnicity |  |  |  |  |
| Caucasian | 79 (49) | 40 (48) | 39 (50) | 546 (54) |
| African American | 11 (7) | 7 (8.5) | 4 (5) | 71 (7) |
| Asian | 56 (35) | 27 (33) | 29 (37) | 232 (23) |
| Hispanic | 5 (3) | 2 (2) | 3 (4) | 61 (6) |
| Other | 10 (6) | 7 (8.5) | 3 (4) | 101 (10) |
| Declared Major? ${ }^{\text {b }}$ |  |  |  |  |
| Yes | 90 (56) | 44 (53) | 46 (59) | 182 (18) |
| No | 71 (44) | 39 (47) | 32 (41) | 829 (82) |
| International Std? ${ }^{\text {c }}$ |  |  |  |  |
| Yes | 8 (5) | 5 (6) | 3 (4) | 40 (4) |
| No | 153 (95) | 78 (94) | 75 (96) | 971 (96) |
| Second-Gen Imm? ${ }^{\text {d }}$ |  |  |  |  |
| Yes | 66 (41) | 33 (40) | 33 (42) | - |
| No | 95 (59) | 50 (60) | 45 (58) | - |
| Average GPA |  |  |  |  |
| Male | 3.48 | 3.43 | 3.52 | 3.26 |
| Female | 3.40 | 3.39 | 3.45 | 3.31 |

$a$ Population Statistics for the sophomore class. (Source: Northwestern Office of the Registrar)
$b$ Whether the respondent has declared their major at the time of the survey
$c$ Whether the respondent is an international student
$d$ Whether at least one of the respondent's parents is foreign-born, and respondent is US-born

Table 3: Distribution of WCAS Majors

| WCAS Majors ${ }^{a}$ | Sample ${ }^{\text {b }}$ |  |  |  |  |  | Class of 2006 ${ }^{\text {c }}$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{gathered} \text { All } \\ \text { Freq (\%) } \end{gathered}$ |  | Males <br> Freq (\%) |  | Females <br> Freq (\%) |  | $\begin{gathered} \text { All } \\ \text { Freq (\%) } \end{gathered}$ |  | Males <br> Freq (\%) |  | Females <br> Freq (\%) |  |
| Natural Sciences | 31 | (19) | 15 | (22) | 16 | (17) | 156 | (14) | 62 | (12.5) | 94 | (15.5) |
| Math \& Computer Sci. | 4 | (2.5) | 2 | (3) | 2 | (2) | 37 | (3.5) | 29 | (6) | 8 | (1) |
| Social Sciences I | 41 | (25.5) | 12 | (17) | 29 | (31.5) | 512 | (46.5) | 211 | (42.5) | 301 | (49) |
| Social Sciences II | 48 | (30) | 29 | (42) | 19 | (21) | 217 | (20) | 140 | (28.5) | 77 | (13) |
| Ethics and Values | 4 | (2.5) | 4 | (6) | 0 | (0) | 25 | (2) | 14 | (3) | 11 | (2) |
| Area Studies | 13 | (8) | 5 | (7) | 8 | (9) | 24 | (2) | 4 | (1) | 20 | (3) |
| Literature \& Fine Arts | 20 | (12.5) | 2 | (3) | 18 | (19.5) | 132 | (12) | 32 | (6.5) | 100 | (16.5) |
| Total | 161 | (100) | 69 | (100) | 92 | (100) | 1103 | (100) | 492 | (100) | 611 | (100) |

[^22]| Sub Beliefs | Engineering |  |  |  | Lit. \& Fine Arts |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Males |  | Females |  | Males |  | Females |  |
|  | Freq. | Cum. \% | Freq. | Cum. \% | Freq. | Cum. \% | Freq. | Cum. \% |
| 0 | - | 0 | 2 | 2.38 | 1 | 1.45 | 1 | 1.09 |
| 1 | 1 | 1.49 | 1 | 3.57 | - | 1.45 | - | 1.09 |
| 3 | - | 1.49 | 2 | 5.95 | - | 1.45 | - | 1.09 |
| 5 | 1 | 2.99 | 2 | 8.33 | - | 1.45 | - | 1.09 |
| 10 | 3 | 7.46 | - | 8.33 | 1 | 2.90 | - | 1.09 |
| 12 | - | 7.46 | 1 | 9.52 | - | 2.90 | - | 1.09 |
| 15 | 1 | 8.96 | 3 | 13.10 | - | 2.90 | - | 1.09 |
| 18 | - | 8.96 | 1 | 14.29 | - | 2.90 | - | 1.09 |
| 20 | 3 | 13.43 | 12 | 28.57 | - | 2.90 | - | 1.09 |
| 25 | 2 | 16.42 | 8 | 38.10 | - | 2.90 | - | 1.09 |
| 26 | 1 | 17.91 | - | 38.10 | - | 2.90 | - | 1.09 |
| 30 | 1 | 19.40 | 4 | 42.86 | - | 2.90 | 2 | 3.26 |
| 33 | - | 19.40 | 1 | 44.05 | - | 2.90 | - | 3.26 |
| 35 | 2 | 22.39 | 3 | 47.62 | - | 2.90 | 1 | 4.35 |
| 40 | 3 | 26.87 | 7 | 55.95 | - | 2.90 | - | 4.35 |
| 45 | 3 | 31.34 | 3 | 59.52 | 1 | 4.35 | - | 4.35 |
| 47 | 1 | 32.84 | - | 59.52 | - | 4.35 | - | 4.35 |
| 50 | 6 | 41.79 | 8 | 69.05 | 1 | 5.80 | 7 | 11.96 |
| 55 | - | 41.79 | 1 | 70.24 | - | 5.80 | 1 | 13.04 |
| 56 | - | 41.79 | 1 | 71.43 | - | 5.80 | - | 13.04 |
| 58 | 1 | 43.28 | - | 71.43 | - | 5.80 | - | 13.04 |
| 60 | 5 | 50.75 | 6 | 78.57 | 5 | 13.04 | 2 | 15.22 |
| 64 | - | 50.75 | - | 78.57 | 1 | 14.49 | - | 15.22 |
| 65 | 1 | 52.24 | 2 | 80.95 | 2 | 17.39 | 6 | 21.74 |
| 66 | 1 | 53.73 | - | 80.95 | - | 17.39 | - | 21.74 |
| 67 | - | 53.73 | 1 | 82.14 | - | 17.39 | - | 21.74 |
| 68 | - | 53.73 | - | 82.14 | - | 17.39 | 1 | 22.83 |
| 70 | 6 | 62.69 | 4 | 86.90 | 8 | 28.99 | 8 | 31.52 |
| 75 | 3 | 67.16 | 3 | 90.48 | 11 | 44.93 | 5 | 36.96 |
| 76 | - | 67.16 | - | 90.48 | 2 | 47.83 | 2 | 39.13 |
| 79 | - | 67.16 | - | 90.48 | 1 | 49.28 | - | 39.13 |
| 80 | 5 | 74.63 | 2 | 92.86 | 5 | 56.52 | 14 | 54.35 |
| 81 | 1 | 76.12 | - | 92.86 | - | 56.52 | - | 54.35 |
| 82 | 1 | 77.61 | - | 92.86 | - | 56.52 | 2 | 56.52 |
| 85 | 4 | 83.58 | - | 92.86 | 8 | 68.12 | 6 | 63.04 |
| 87 | - | 83.58 | - | 92.86 | 1 | 69.57 | 1 | 64.13 |
| 88 | - | 83.58 | - | 92.86 | 3 | 73.91 | - | 64.13 |
| 89 | - | 83.58 | - | 92.86 | 1 | 75.36 | 1 | 65.22 |
| 90 | 3 | 88.06 | 2 | 95.24 | 7 | 85.51 | 13 | 79.35 |
| 93 | - | 88.06 | - | 95.24 | - | 85.51 | 2 | 81.52 |
| 95 | 4 | 94.03 | 2 | 97.62 | 4 | 91.30 | 5 | 86.96 |
| 96 | - | 94.03 | - | 97.62 | - | 91.30 | 1 | 88.04 |
| 97 | 1 | 95.52 | - | 97.62 | - | 91.30 | 1 | 89.13 |
| 98 | 1 | 97.01 | - | 97.62 | 1 | 92.75 | 5 | 94.57 |
| 99 | - | 97.01 | - | 97.62 | 3 | 97.10 | 2 | 96.74 |
| 100 | 2 | 100 | 2 | 100 | 2 | 100 | 3 | 100 |
| Total | 67 |  | 84 |  | 69 |  | 92 |  |

Table 5: Single Major Choice- Estimation of Homogeneous Preferences

|  | Using Stated Choice |  | Using stated Preference |  |
| :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |
| $\Delta u_{1}$ for graduating within 4 years | $6.84 * * *$ | 1.65 | -0.447 | -1.54 * |
| $\Delta u_{1}$ for graduating within 4 years | (1.78) | (2.93) | (0.868) | (0.80) |
| $\Delta u_{1}$ for graduating within 4 years $\times$ female | - | $54.27^{* * *}$ $(6.63)$ | - | $3.15^{* *}$ |
|  | -3.83 *** | (6.63) | 0.903* | (1.37) |
| $\Delta u_{2}$ for graduating with a GPA of at least 3.5 | (1.11) | (1.94) | (0.520) | (0.67) |
| $\Delta u_{2}$ for graduating with a GPA of at least $3.5 \times$ female | - | $\begin{gathered} -8.44^{* *} \\ (4.03) \end{gathered}$ | - | $\begin{aligned} & 0.048 \\ & (1.12) \end{aligned}$ |
| $\Delta u_{3}$ for enjoying the coursework | 13.11*** | $9.93 * *$ | 2.69*** | $2.06{ }^{* * *}$ |
| $\Delta u_{3}$ for enjoying the coursework | (2.47) | (4.36) | (0.45) | (0.70) |
| $\Delta u_{3}$ for enjoying the coursework $\times$ female | - | $\begin{aligned} & 11.36 \\ & (8.39) \end{aligned}$ | - | $\begin{gathered} 1.43 \\ (0.946) \end{gathered}$ |
|  | $-0.058^{* * *}$ |  | 0.012 | 0.0064 |
| $\gamma_{1}$ for hours/week spent on coursework | (0.017) | $(0.028)$ | (0.011) | (0.0135) |
| $\gamma_{1}$ for hours/week spent on coursework $\times$ female | - | $\begin{aligned} & -0.045 \\ & (0.071) \end{aligned}$ | - | $\begin{aligned} & 0.0189 \\ & (0.021) \end{aligned}$ |
| $\Delta u_{4}$ for approval of parents and family | $3.71^{* * *}$ | 1.74 | $1.37^{* *}$ | $\begin{gathered} 0.98 \\ (0.75) \end{gathered}$ |
| $\Delta u_{4}$ for approval of parents and family | (1.16) | (3.14) 1.71 | (0.56) | (0.75) |
| $\Delta u_{4}$ for approval of parents and family $\times$ female | ${ }^{-}$ | (3.98) | - | (1.13) |
| $\Delta u_{5}$ for finding a job upon graduation | $\begin{gathered} 2.27^{*} \\ (1.20) \end{gathered}$ | $\begin{aligned} & 4.01^{*} \\ & (2.17) \end{aligned}$ | $\begin{aligned} & -0.076 \\ & (0.512) \end{aligned}$ | $\begin{gathered} 0.279 \\ (0.829) \end{gathered}$ |
| $\Delta u_{5}$ for finding a job upon graduation $\times$ female | (120) | $\begin{gathered} 0.74 \\ (4.15) \end{gathered}$ | - | $\begin{gathered} -0.863 \\ (1.04) \end{gathered}$ |
| $\Delta u_{6}$ for enjoying work at the available jobs | $6.65{ }^{* * *}$ | 1.80 | $1.59{ }^{* * *}$ | 0.468 |
|  | (2.05) | (3.21) | (0.384) | (0.526) |
| $\Delta u_{6}$ for enjoying work at the available jobs $\times$ female | - | $\begin{gathered} 10.00 \\ (7.01) \end{gathered}$ | - | $(0.817)$ |
| $\Delta u_{7}$ for reconciling family and work at available jobs | $\begin{gathered} -1.93^{*} \\ (1.11) \end{gathered}$ | $\begin{aligned} & -1.31 \\ & (2.77) \end{aligned}$ | $\begin{gathered} 0.241 \\ (0.539) \end{gathered}$ | $\begin{array}{r} 0.258 \\ (0.671) \end{array}$ |
|  |  | $-2.36$ |  | 0.181 |
| $\Delta u_{7}$ for reconciling family and work $\times$ female | -0.0066 | (4.66) | -0.0080 | (0.946) |
| $\gamma_{2}$ for hours/week spent at work | $\begin{gathered} -0.0066 \\ (0.0166) \end{gathered}$ | $\begin{aligned} & 0.0282 \\ & (0.038) \end{aligned}$ | $\begin{aligned} & -0.0080 \\ & (0.0099) \end{aligned}$ | $\begin{aligned} & -0.015 \\ & (0.015) \end{aligned}$ |
| $\gamma_{2}$ for hours/week spent at work $\times$ female | (0.0168) | -0.073 $(0.082)$ | ( | 0.024 $(0.018)$ |
|  | $3.27^{* * *}$ | $4.01{ }^{*}$ | 1.09*** | $2.14{ }^{* * *}$ |
| $\gamma_{3}$ for the social status of the available jobs ${ }^{a}$ | (1.12) | (2.28) | (0.32) | (0.53) |
| $\gamma_{3}$ for the social status of the available jobs $\times$ female | - | $\begin{gathered} -0.59 \\ (4.08) \end{gathered}$ | - | $\begin{gathered} -1.696^{* *} \\ (0.662) \end{gathered}$ |
| $\gamma_{4}$ for expected Income at the age of 30 | $-5.25 \mathrm{e}-7$ | $9.43 \mathrm{e}-6$ | $6.43 \mathrm{e}-7$ | $1.13 \mathrm{e}-6$ |
|  | (4.25e - 6 ) | -19.1e-6 | (1.02e-6) | (2.43e-6) |
| $\gamma_{4}$ for expected Income at the age of $30 \times$ female | - | (21.8e-6) | - | (2.53e-6) |
| Log-Likelihood | -56.58 | -40.77 | -733.52 | -703.255 |
| No. of Observations | 83 | 83 | 83 | 83 |

No. of Observations
$83 \quad 83$
$a$-social status is on a scale of 1-8 ( 8 being the highest social status); normalized to be between 0.1-0.8 all other variables (except income) are probabilities between 0 and 1

Table 6: Decomposition Analysis

|  | All | Male | Female |
| :--- | :---: | :---: | :---: |
| Panel A: Estimates Using Stated Choice Data | $(1)$ | $(2)$ | $(3)$ |
| Attributed to: |  |  |  |
| Pecuniary Attributes | $24.30 \%$ | $49.00 \%$ | $33.90 \%$ |
| Non-Pecuniary Attributes | $75.70 \%$ | $51.00 \%$ | $66.10 \%$ |
|  |  |  |  |
| Attributed to: | $44.95 \%$ | $40.35 \%$ | $39.95 \%$ |
| Parents' Approval + Enjoying Coursework | $22.20 \%$ | $7.10 \%$ | $22.50 \%$ |
| Coursework hrs/week + GPA + Graduating in 4 yrs | $22.05 \%$ | $47.00 \%$ | $13.35 \%$ |
| Finding a job + Job hrs/week + Income at 30 + Status of Job | $10.80 \%$ | $5.55 \%$ | $24.20 \%$ |
| Reconcile work \& family + Enjoying Work |  |  |  |

Panel B: Estimates using Stated Preference
Attributed to:
$\begin{array}{llll}\text { Pecuniary Attributes }^{a} & 27.90 \% & 53.80 \% & 18.20 \% \\ \text { Non-Pecuniary Attributes }\end{array}$
Attributed to:
Parents' Approval + Enjoying Coursework $\quad 43.50 \% \quad 34.00 \% \quad 44.00 \%$
Coursework hrs/week + GPA + Graduating in 4 yrs $\quad 20.40 \% \quad 10.30 \% \quad 11.85 \%$
Finding a job + Job hrs/week + Income at 30 + Status of Job $20.10 \% ~ 48.30 \% ~ 16.05 \%$

| Reconcile work \& family + Enjoying Work | $16.00 \%$ | $7.40 \%$ | $28.10 \%$ |
| :--- | :--- | :--- | :--- |

$a$ Pecuniary attributes are the following outcomes pooled together: Graduating in 4 years;
Graduating with a GPA of at least 3.5; hrs/week spent on coursework; Finding a job upon graduation; Job hrs/week; Income at 30; Status of the available jobs.
$b$ The non-pecuniary attributes include all outcomes not included in $a$

Table 7: Thought Experiments

|  | Natural <br> Sciences |  <br> Comp Sc | Social <br> Sc. I | Social <br> Sc. II | Ethics | \& Values | Area |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Studies | Fine Arts | Eng. |  |  |  |  |  |  |
| Baseline Model |  |  |  |  |  |  |  |  |
| Avg. Male Prob. for: | 0.189 | 0.090 | 0.171 | 0.189 | 0.094 | 0.082 | 0.068 | 0.117 |
| Avg. Female Prob. for: | 0.151 | 0.062 | 0.226 | 0.112 | 0.106 | 0.140 | 0.156 | 0.047 |

\% Change in the probability of majoring if:
Expt 1: $10 \%$ INCREASE in probability of graduating with a GPA of at least 3.5 in Engineering

| Avg. Male Prob. for: ${ }^{a}$ | $-0.93 \%$ | $-1.07 \%$ | $-0.75 \%$ | $-0.97 \%$ | $-0.70 \%$ | $-0.68 \%$ | $-0.71 \%$ | $6.46 \%$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Avg. Female Prob. for: | $-0.49 \%$ | $-0.49 \%$ | $-0.18 \%$ | $-0.44 \%$ | $-0.24 \%$ | $-0.21 \%$ | $-0.16 \%$ | $5.86 \%$ |

Expt 2: $10 \%$ DECREASE in probability of graduating with a GPA of at least 3.5 in Literature and Fine Arts

| Avg. Male Prob. for: | $0.54 \%$ | $0.50 \%$ | $0.66 \%$ | $0.50 \%$ | $0.77 \%$ | $0.70 \%$ | $-6.56 \%$ | $0.49 \%$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Avg. Female Prob. for: | $0.76 \%$ | $0.88 \%$ | $1.35 \%$ | $1.07 \%$ | $1.53 \%$ | $1.61 \%$ | $-7.89 \%$ | $0.79 \%$ |

Expt 3:10\% INCREASE in probability of finding a job after graduating in Social Sciences I

| Avg. Male Prob. for: | $-0.27 \%$ | $-0.23 \%$ | $1.41 \%$ | $-0.29 \%$ | $-0.32 \%$ | $-0.36 \%$ | $-0.33 \%$ | $-0.25 \%$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Avg. Female Prob. for: | $0.56 \%$ | $0.60 \%$ | $-2.35 \%$ | $0.57 \%$ | $0.81 \%$ | $0.81 \%$ | $0.79 \%$ | $0.47 \%$ |

Expt 4: $10 \%$ INCREASE in probability of approval of parents for Social Sciences I

| Avg. Male Prob. for: | $-1.12 \%$ | $-0.99 \%$ | $6.00 \%$ | $-1.22 \%$ | $-1.47 \%$ | $-1.56 \%$ | $-1.51 \%$ | $-1.05 \%$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Avg. Female Prob. for: | $-2.52 \%$ | $-2.72 \%$ | $10.50 \%$ | $-2.49 \%$ | $-3.69 \%$ | $-3.53 \%$ | $-3.60 \%$ | $-2.06 \%$ |

Avg. Female Prob. for: $\begin{array}{lllllllll} & -2.52 \% & -2.72 \% & 10.50 \% & -2.49 \% & -3.69 \% & -3.53 \% & -3.60 \% & -2.06 \%\end{array}$
Expt 5: 10\% INCREASE in probability of enjoying coursework in Engineering

| Avg. Male Prob. for: | $-1.57 \%$ | $-1.61 \%$ | $-1.29 \%$ | $-1.67 \%$ | $-1.21 \%$ | $-1.13 \%$ | $-1.21 \%$ | $11.04 \%$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Avg. Female Prob. for: | $-1.53 \%$ | $-1.83 \%$ | $-0.57 \%$ | $-1.72 \%$ | $-0.70 \%$ | $-0.72 \%$ | $-0.49 \%$ | $19.23 \%$ |

Expt 6: $10 \%$ DECREASE in the social status of jobs available after graduating in Social Sciences II

| Avg. Male Prob. for: | $2.50 \%$ | $3.09 \%$ | $2.86 \%$ | $-11.50 \%$ | $2.31 \%$ | $2.29 \%$ | $2.47 \%$ | $3.14 \%$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Avg. Female Prob. for: | $0.23 \%$ | $0.41 \%$ | $0.24 \%$ | $-2.14 \%$ | $0.26 \%$ | $0.27 \%$ | $0.23 \%$ | $0.48 \%$ |

$a$ each cell corresponds to the percent change in the probability of majoring in that category after
the intervention relative to the baseline case.

Table 8: Stated reasons for choosing a major

| How imp. were the following reasons in choosing a major: ${ }^{a}$ | Males | Females |
| :---: | :---: | :---: |
| My parents wanted me to | 6.02 | 5.33 |
|  | (9.60) | (11.13) |
| A mentor/ role model encouraged me to | 7.31* | 4.27 |
|  | (12.00) | (7.99) |
| My siblings made the same choice | 1.80** | 0.29 |
|  | (5.45) | (1.17) |
| My high school friends and peers made the same choice | 1.43 | 1.21 |
|  | (3.51) | (5.27) |
| The societal reputation of the choice | 7.75 | 7.71 |
|  | (10.01) | (11.74) |
| To be able to get a high-paying job | $14^{* * *}$ | 7.92 |
|  | (11.80) | (10.43) |
| To be able to get a job where I could balance work \& family | 8.76* | 6.06 |
|  | (8.92) | (7.64) |
| To be able to get a job in a field where people of my gender are not discriminated against | 0** | $0.80$ |
|  |  | $(2.34)$ |
| To get a job that I would enjoy | 18.68* | 23.15 |
|  | (13.73) | (15.40) |
| To get training for a specific career | 7.24 | 7.57 |
|  | (9.69) | (9.19) |
| To learn more about things that interest me | $18.96{ }^{* *}$ | 25.44 |
|  | (16.23) | (18.16) |
| To be able to do well in the coursework of the major | 7.05 | 8.45 |
|  | (7.72) | (9.48) |
| Fraction of ppl of my gender teaching classes in the major | 0 | 0.18 |
|  |  | (0.89) |
| Fraction of people of my gender taking classes in the major | 0 | 0.076 |
|  |  | (0.62) |
| Fraction of ppl of my gender in jobs related to the major | 0.29 | 0.15 |
|  | (1.19) | (0.86) |
| Other Reasons | 0.69 | 1.36 |
|  | (4.90) | (6.53) |
| * gender diff is significant at 10\%; ${ }^{* *}$ sig at $5 \%$; ${ }^{* * *}$ sig at 1\% (2-tailed T-test) |  |  |
| Standard deviation in parentheses |  |  |
| Each cell is the AVERAGE contribution of the reasons for the choice of majors |  |  |
| ${ }^{a}$ The exact question was: "In deciding your major, how important to you was each of the |  |  |
| following reasons? For this question you need to assign an integer between 0 and 100 to each of the following reasons. Moreover, the responses SHOULD ALL SUM TO 100." |  |  |

Table 9: Expected Annual Salary at the Age of 30


Table 10: Estimation of heterogeneous preferences using Stated Preference

|  | Entire Sample | Males | Females |
| :---: | :---: | :---: | :---: |
| $\Delta u_{1}$ for graduating within 4 years | (1) | (2) | (3) |
|  | -0.545 | -0.958 | 1.20 |
|  | (0.791) | (0.911) | (1.21) |
| $\Delta u_{2}$ for graduating with a GPA of at least 3.5 | 0.752 | 0.751 | 1.01 |
|  | (0.575) | (0.721) | (1.01) |
| $\Delta u_{3}$ for enjoying the coursework | 2.92 *** | 2.49 *** | $3.57^{* * *}$ |
|  | (0.466) | (0.754) | (0.658) |
| $\gamma_{1}$ for hours/week spent on coursework ${ }^{a}$ | 0.0152 | 0.0098 | 0.0232 |
| $\Delta u_{4}$ for parents approv $\times$ parents'_supp ${ }^{d} \times\left(1-\right.$ Foreign $\left.^{e}\right)$ | (0.011) | (0.014) | (0.016) |
|  | 0.340** | $0.578^{* * *}$ | 0.262 |
|  | (0.150) | (0.217) | (0.194) |
| $\widetilde{\Delta u_{4}}$ for parents approval $\times$ parents'_support $\times$ Foreign | $\begin{aligned} & 0.0439 \\ & (0.159) \end{aligned}$ | $\begin{aligned} & -0.147 \\ & (0.205) \end{aligned}$ | $(0.246)$ |
| $\Delta u_{5}$ for finding a job upon graduation | 0.205 | 0.680 | -0.536 |
|  | (0.494) | (0.759) | (0.637) |
| $\Delta u_{6}$ for enjoying work at the available jobs | 1.51 *** | 0.319 | $2.24 * * *$ |
|  | (0.414) | (0.611) | (0.678) |
| $\Delta u_{7}$ for reconciling family and work at available jobs | 0.246 | 0.700 | 0.547 |
|  | (0.579) | (0.747) | (0.847) |
| $\widetilde{\Delta u_{7}}$ for reconciling family \& work $\times$ divorced $^{f}$ | $\begin{aligned} & -0.357 \\ & (0.864) \end{aligned}$ | $\begin{gathered} 0.494 \\ (1.26) \end{gathered}$ | $\begin{gathered} -0.613 \\ (1.32) \end{gathered}$ |
| $\gamma_{2}$ for hours/week spent at work ${ }^{c}$ | $-0.0097$ | -0.0044 | 0.0045 |
|  | (0.0100) | (0.016) | (0.012) |
| $\gamma_{3}$ for social status of the available jobs ${ }^{b} \times$ (1-Foreign) | 0.310 | 1.30* | 0.297 |
|  | (0.432) | (0.76) | (0.546) |
| $\widetilde{\gamma_{3}}$ for social status of jobs $\times$ Foreign | $2.28^{* * *}$ | $3.27^{* * *}$ | 0.817 |
|  | (0.550) | ${ }^{(0.93)}$ | (0.580) |
| $\gamma_{4}^{H I}$ for exp. Inc at $30 \times\left(1\right.$ - low_inc $\left.{ }^{g}\right) \times(1$-Foreign $)$ | $\begin{gathered} 2.66 \mathrm{e}-06 \\ (2.75 \mathrm{e}-06) \end{gathered}$ | $\begin{gathered} 3.08 \mathrm{e}-06 \\ (2.80 \mathrm{e}-06) \end{gathered}$ | $\begin{gathered} 17.5 \mathrm{e}-06 \\ (12.5 \mathrm{e}-06) \end{gathered}$ |
| $\gamma_{4}^{H I}$ for exp Inc at $30 \times$ (1-low_income) $\times$ Foreign | $\begin{array}{r} -8.16 \mathrm{e}-07 \\ (2.33 \mathrm{e}-06) \end{array}$ | $\begin{array}{r} -11.1 e-06 \\ (8.07 e-06) \end{array}$ | $\begin{gathered} 7.13 e-07 \\ (7.28 e-06) \end{gathered}$ |
| $\gamma_{4}^{L I}$ for exp. Income at $30 \times$ low_inc $\times$ (1-Foreign) | $1.06 \mathrm{e}-07$ | $-3.89 \mathrm{e}-06$ | $1.02 \mathrm{e}-06$ |
|  | (3.39e-06) | (3.54e-06) | ( $2.58 \mathrm{e}-06$ ) |
| $\widetilde{\gamma_{4}^{L I}}$ for expected Income at $30 \times$ low_inc $\times$ Foreign | 6.64e-06 | 11.3e-06** | $1.40 \mathrm{e}-06$ |
|  | (4.55e-06) | (5.42e-06) | (5.78e-06) |
| Log-Likelihood | -726.19 | -287.61 | -401.68 |
| No. of groups | 83 | 33 | 50 |

[^23]Table 11: Decomposition Analysis

|  | Foreign-Born |  | No Foreign-Born |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Males | Females | Males | Females |
|  | (1) | (2) | (3) | (4) |
| Attributed to: |  |  |  |  |
| Pecuniary Attributes | 71.40\% | 35.40\% | 27.60\% | 12.20\% |
| Non-Pecuniary Attributes | 28.60\% | 64.60\% | 72.40\% | 87.80\% |
| Attributed to: |  |  |  |  |
| Parents' Approval + Enjoying Coursework | 25.25\% | 46.90\% | 56.55\% | 51.80\% |
| Coursework hrs/week + GPA + Graduating in 4 yrs | 2.85\% | 15.30\% | 5.20\% | 8.20\% |
| Finding a job + Job hrs/week + Income at $30+$ Status of Job | 65.90\% | 26.70\% | 28.95\% | 11.80\% |
| Reconcile work \& family + Enjoying Work | 6.00\% | 21.10\% | 9.30\% | 28.20\% |

$a$ Pecuniary attributes are the following outcomes pooled together: Graduating in 4 years; Graduating with a GPA of at least 3.5; hrs/week spent on coursework; Finding a job upon graduation; Job hrs/week; Income at 30; Status of the available jobs. $b$ The non-pecuniary attributes include all outcomes not included in $a$

Table 12: Best Linear Predictor of Expectation of Parent's Approval

| Dependent Variable:Expectation of Parent's Approval ${ }^{\dagger}$ |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Entire Sample |  | Males |  | Females |  |
|  | Estimates | Std. Error | Estimates | Std. Error | Estimates | Std. Error |
|  | (1) | (2) | (3) | (4) | (5) | (3) |
| Expectation of: ${ }^{\text {a }}$ |  |  |  |  |  |  |
| Social Status of jobs $\times$ (1- Parents_foreign ${ }^{\text {b }}$ ) | 0.084** | (0.035) | 0.0611 | (0.0622) | 0.090** | (0.043) |
| the status of the jobs $\times$ Parents_foreign | $0.188^{* *}$ | (0.047) | 0.125* | (0.091) | $0.228^{* *}$ | (0.064) |
| graduating with a GPA of at least 3.5 | -0.0466 | (0.0467) | -0.003 | (0.078) | -0.073 | (0.056) |
| graduating in 4 years | 0.0798 | (0.067) | 0.068 | (0.096) | 0.069 | (0.092) |
| enjoying coursework | 0.0013 | (0.0013) | 0.00046 | (0.0019) | 0.0016 | (0.0018) |
| enjoying work at the jobs | $0.114^{* * *}$ | (0.041) | 0.063 | (0.0660) | $0.145^{* * *}$ | (0.053) |
| finding a job upon graduation | $0.289^{* * *}$ | (0.067) | 0.279** | (0.122) | $0.303^{* * *}$ | (0.071) |
| finding a job $\times$ Parents_foreign | $0.207^{* *}$ | (0.082) | 0.219* | (0.124) | 0.202* | (0.110) |
| Income at 30 (in 10,000s) | 0.000023 | (0.00112) | 0.0023 | (0.0035) | -0.0006 | (0.0009) |
| Income at 30 (in 10,000s) $\times$ Low_Income ${ }^{\text {c }}$ | 0.0018 | (0.0022) | -0.00082 | (0.0048) | 0.0028* | (0.0015) |
| Mother studied given major ${ }^{d}$ | 0.024 | (0.018) | 0.051 | (0.031) | 0.0055 | (0.02) |
| Father studied given major ${ }^{e}$ | 0.032** | (0.015) | 0.0364* | (0.022) | 0.024 | (0.022) |
| Studying Given Major ${ }^{f}$ | $0.0357^{* * *}$ | (0.013) | 0.021 | (0.021) | $0.048^{* * *}$ | (0.016) |
| Respondent Fixed-Effects | Yes |  | Yes |  | Yes |  |
| Major-Specific Dummies | Yes |  | Yes |  | Yes |  |
| No. of Observations | 1287 |  | 551 |  | 736 |  |
| No. of Clusters | 161 |  | 69 |  | 92 |  |

$\dagger$ Dependent variable is a response $0-1$ to: "If you were majoring in $[\mathrm{X}]$, what do you think is the percent
chance that your parents and other family members would approve of it?"
All regressions include major-specific dummies, and respondent fixed effects. (Constants not shown)
Parameter estimates correspond to the estimation of OLS model. Cluster errors in parentheses

* significant at $10 \% ;{ }^{* *}$ significant at $5 \% ;{ }^{* * *}$ significant at $1 \%$
$a$ Expectations of outcomes except income are between 0 and 1 ; status is discrete on a scale of 0-0.9
$b$ a dummy that equals one if either of the respondent's parents is foreign-born
$c$ a dummy that equal one if respondent's parents' annual earnings are less than $\$ 150,000$
$d$ a dummy that equals one if mother's field of study is the same as the relevant question
$e$ a dummy that equals one if father's field of study is the same as the relevant question
$f$ a dummy that equals one if the respondent's intended major category is same as category X in the question
Table 13: Mixed Logit Model Estimation

|  |  | Without Demographics |  |  | With Demographics |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Est. (Error | $\begin{aligned} & \text { Mean, Dev } \\ & \text { Log-Normal }^{a} \end{aligned}$ |  | Est. (Error) | Mean, Dev Log-Normal |  |
|  |  |  |  |  |  |  |  |
|  |  | Mean | Dev. | Mean |  | Dev. |
|  |  |  | (1a) | (1b) | (1c) | (2a) | (2b) | (2c) |
| Fixed Coefficients |  |  |  |  |  |  |  |
| $\Delta u_{2}$ for graduating within 4 years | Coeff | -0.12 (0.69) |  |  | 0.042 (0.73) |  |  |
| $\gamma_{1}$ hours/week on coursework | Coeff | 0.021* (0.01) |  |  | 0.024* (0.01) |  |  |
| $\Delta u_{4}$ approval $\times$ parent_sup $\times$ For. | Coeff | - |  |  | -0.51** (0.21) |  |  |
| $\Delta u_{5}$ finding a job upon graduation | Coeff | -0.13(0.46) |  |  | 0.067 (0.47) |  |  |
| $\Delta u_{7}$ reconcile family \& work at job | Coeff | 0.074 (0.49) |  |  | 0.013 (0.54) |  |  |
| $u_{7}$ reconcile family \& work $\times$ Div | Coeff | - |  |  | 0.391 (1.01) |  |  |
| $\gamma_{2}$ for hours/week spent at work | Coeff | -0.01 (0.01) |  |  | -0.65 (0.77) |  |  |
| $\gamma_{4}$ - Expected Income at 30 | Coeff | $5 \mathrm{e}-7$ (1.2e-6) |  |  | -7e-7 (1.5e-6) |  |  |
| Random Coefficients |  |  |  |  |  |  |  |
| $\Delta u_{2}$ graduating with GPA $\geq 3.5$ | $\overline{\Delta u}$ $\sigma$ | $\begin{aligned} & -0.55(1.16) \\ & 1.69^{*}(0.87) \end{aligned}$ | 2.31 | 8.14 | $\begin{gathered} -1.01(1.24) \\ 2.07^{* * *}(0.67) \end{gathered}$ | 2.88 | 16.88 |
| $\Delta u_{3}$ for enjoying the coursework | $\overline{\Delta u}$ $\sigma$ | $\begin{aligned} & 1.09^{* * *}(0.20) \\ & 0.79^{* * *}(0.19) \end{aligned}$ | 4.01 | 3.62 | $\begin{aligned} & 1.18^{* * *}(0.19) \\ & 0.74^{* * *}(0.18) \end{aligned}$ | 4.23 | 3.52 |
| $\Delta u_{4}$ for approval of parents | $\begin{gathered} \overline{\Delta u} \\ \sigma \end{gathered}$ | $\begin{gathered} 0.179(0.485) \\ 1.075^{* * *}(0.37) \end{gathered}$ | 2.11 | 3.11 | - | - | - |
| $\Delta u_{4}$ approval $\times$ Parents'_supp | $\begin{gathered} \overline{\Delta u} \\ \sigma \end{gathered}$ | - | - | - | $\begin{aligned} & -0.662^{*}(0.383) \\ & 0.835^{* * *}(0.287) \end{aligned}$ | 0.725 | 0.730 |
| $\Delta u_{6}$ for enjoying work at jobs | $\begin{gathered} \overline{\Delta u} \\ \sigma \end{gathered}$ | $\begin{gathered} 0.404(0.388) \\ 0.912^{* * *}(0.396) \end{gathered}$ | 2.28 | 2.64 | $\begin{gathered} 0.441(0.387) \\ 0.857^{* *}(0.408) \end{gathered}$ | 2.25 | 2.38 |
| $\gamma_{3}$ for the social status of jobs | $\begin{gathered} \overline{\Delta u} \\ \sigma \end{gathered}$ | $\begin{gathered} -0.493(0.67) \\ 1.59^{* * *}(0.545) \end{gathered}$ | 2.19 | 9.18 | $\begin{aligned} & -1.66(2.17) \\ & 2.19^{* *}(1.04) \end{aligned}$ | 2.25 | 31.35 |
| $\widetilde{\gamma_{3}}$ social status $\times$ Foreign | Mean <br> St. Dev | ( | - | - | $\begin{gathered} 2.53^{* * *}(0.84) \\ 1.98^{* *}(0.88) \end{gathered}$ |  |  |
| $\widetilde{\gamma_{4}}$ Income at $30 \times$ Low_Inc | Mean | - | - | - | $1.57 \mathrm{e}-6$ ( $2.9 \mathrm{e}-6$ ) |  |  |
| $\gamma_{4}$ Income at $30 \times$ Low_Inc | St. Dev. | -698.00 | - | - | $2.84 \mathrm{e}-6$ (5.1e-6) |  |  |
| Log-Likelihood |  | -698.00 |  |  | -690.84 |  |  |
| No. of Groups |  | 83 |  |  | 83 |  |  |
| No. of Observations |  | 2957 |  |  | 2957 |  |  |

$a$ Mean and Standard Deviation of the Log-Normally distributed coefficients are calculated at the estimated $\overline{\Delta u}$ and $\sigma$.

* significant at $10 \%$; $^{* *}$ significant at $5 \%$; *** significant at $1 \%$; standard errors in parentheses
Table 14: Decomposition Analysis to explain gender differences

|  | Eng. | Lit \& Arts | Soc Sci II | Soc Sci I | Eng. | Lit \& Arts | Soc Sci II | Soc Sci I |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| Avg. Prob for Males | 0.1047 | 0.0681 | 0.2065 | 0.1740 | 0.1047 | 0.0681 | 0.2065 | 0.1740 |
| Avg. Prob for Females | 0.0446 | 0.1524 | 0.1158 | 0.2151 | 0.0446 | 0.1524 | 0.1158 | 0.2151 |
| Gender Diff in Prob. | 0.0601 | -0.0843 | 0.0907 | -0.0411 | 0.0601 | -0.0843 | 0.0907 | -0.0411 |
|  | Contributions from gender diff in beliefs of: |  |  |  | Contributions from gender diff in coeffs of: |  |  |  |
| Graduating in 4 years | $-0.00053$ | 0.0015 | $-0.0042^{* * *}$ | 0.0022 | 0.0090*** | $-0.004^{* * *}$ | 0.0025** | $-0.011^{* * *}$ |
|  | $-0.89 \%^{a}$ | -1.76\% | -4.63\% | -5.34\% | 15.07\% | 4.89\% | 2.74\% | 27.12\% |
| Graduate with GPA $\geq 3.5$ | 0.0028 | -0.0028 | -0.00084 | -0.0052 | 0.0087*** | $-0.0062^{* * *}$ | 0.004*** | $-0.0082^{* * *}$ |
|  | 4.63\% | 3.36\% | -0.93\% | 12.51\% | 14.48\% | 7.38\% | 4.47\% | 19.95\% |
| Enjoying coursework | $0.0161^{* * *}$ | $-0.043^{* * *}$ | 0.0282*** | $-0.036^{* * *}$ | 0.0081*** | $-0.007^{* * *}$ | 0.0028*** | -0.010*** |
|  | 26.71\% | 51.25\% | 31.12\% | 86.69\% | 13.52\% | 8.24\% | 3.11\% | 24.26\% |
| Hrs/wk on coursework | -0.0019 | 0.0022 | -0.0011 | 0.0007 | 0.0012*** | $-0.00032^{* *}$ | 0.0015*** | $-0.003^{* * *}$ |
|  | -3.14\% | -2.61\% | -1.18\% | -1.81\% | 2.00\% | 0.37\% | 1.62\% | 6.79\% |
| Approval of parents | 0.0015** | $-0.0050^{* *}$ | 0.0059** | 0.0027 | $0.0014^{* * *}$ | $-0.0034^{* * *}$ | 0.0024 | -0.0007 |
|  | 2.51\% | 5.96\% | 6.47\% | -6.44\% | 2.35\% | 3.99\% | 2.68\% | 1.79\% |
| Finding a job | 0.00016 | -0.00049 | 0.00027 | 0.0004 | $-0.00012^{* * *}$ | 0.00018*** | $-0.00023^{* * *}$ | $0.00012^{* * *}$ |
|  | 0.27\% | 0.58\% | 0.30\% | -0.96\% | -0.20\% | -0.21\% | -0.25\% | -0.28\% |
| Enjoying work at jobs | 0.0035 | -0.0065 | 0.010 | -0.00003 | 0.0030*** | $-0.0032^{* * *}$ | 0.004** | $-0.0106^{* * *}$ |
|  | 5.87\% | 7.70\% | 10.91\% | 0.63\% | 4.92\% | 3.77\% | 4.37\% | 25.85\% |
| Reconcile family \& work | 0.0027 | -0.0024 | 0.0037 | 0.0001 | $-0.0013^{* *}$ | 0.0070*** | $-0.0050^{* * *}$ | 0.0046*** |
|  | 4.55\% | 2.86\% | 4.04\% | -0.25\% | -2.21\% | -8.31\% | -5.52\% | -11.20\% |
| Social status of jobs | -0.0004 | 0.0026 | 0.027*** | 0.019*** | 0.0083*** | $-0.0244^{* * *}$ | $0.0118^{* * *}$ | 0.0023 |
|  | -1.74\% | -3.11\% | 29.98\% | -46.44\% | 13.81\% | 28.92\% | 13.05\% | -5.63\% |
| Hrs/week at the jobs | 0.0014 | $-0.0007$ | -0.004 | -0.0012 | $-0.0020^{* * *}$ | 0.0083*** | $-0.0084^{* * *}$ | $0.0066^{* * *}$ |
|  | 2.29\% | 0.89\% | -4.47\% | 2.86\% | -3.32\% | -9.89\% | -9.27\% | -16.01\% |
| Expected Income at 30 | -0.0002 | 0.0026*** | 0.006*** | 0.009** | 0.00017 | $-0.0015^{* * *}$ | 0.0043 | -0.0013* |
|  | -0.27\% | -3.11\% | 6.76\% | -20.87\% | 0.29\% | 1.81\% | 4.82\% | 3.20\% |
| All included variables | 0.0251 | -0.0523 | 0.0711 | -0.0082 | 0.0350 | -0.0320 | 0.0196 | -0.0328 |
|  | 41.75\% | 62..01\% | 78.36\% | 20.00\% | 58.25\% | $\mathbf{3 7 . 9 9 \%}$ | 21.64\% | 80.00\% |

[^24]Table 15: Simulations of the Gender Gap under different Environments

| Fields of Study | Base $^{c}$ | Ability | Income | Enjoying <br> Coursework | Enjoying <br> Work |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Engineering | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
|  | $0.0602^{a}$ | 0.0517 | 0.0608 | 0.0308 | 0.0534 |
| Natural Sciences |  | $13.92 \%^{b}$ | $-1.06 \%$ | $48.74 \%$ | $11.18 \%$ |
|  | 0.0550 | 0.0445 | 0.0529 | 0.0229 | 0.0406 |
| Math \& Computer Sci. | 0.0191 | 0.0135 | 0.0184 | 0.0074 | 0.0083 |
|  |  | $29.07 \%$ | $3.45 \%$ | $61.41 \%$ | $56.38 \%$ |
| Social Sciences I | -0.0412 | -0.0524 | -0.0474 | -0.0643 | -0.0613 |
|  |  | $-27.28 \%$ | $-15.32 \%$ | $-56.25 \%$ | $-48.84 \%$ |
| Social Sciences II | 0.0907 | 0.0737 | 0.0881 | 0.0272 | 0.0608 |
|  |  | $18.68 \%$ | $2.88 \%$ | $69.92 \%$ | $32.92 \%$ |
| Ethics \& Values | -0.0189 | -0.0266 | -0.0219 | -0.0419 | -0.0381 |
|  |  | $-40.77 \%$ | $-15.87 \%$ | $-122.03 \%$ | $-101.9 \%$ |
| Area Studies | -0.0624 | -0.0634 | -0.0655 | -0.0563 | -0.0721 |
|  |  | $-1.69 \%$ | $-4.96 \%$ | $9.87 \%$ | $-15.48 \%$ |
| Lit. \& Fine Arts | -0.0843 | -0.0863 | -0.0888 | -0.0545 | -0.0777 |
|  |  | $-2.35 \%$ | $-5.35 \%$ | $35.34 \%$ | $7.84 \%$ |

$a$ The model predicted gender gap (male prob. - female prob.) under the relevant environment
$b$ The \% decrease in the gender gap (relative to the baseline case) after the change
$c$ The predicted gap under the baseline case, i.e. no intervention

Table 16: Perceptions of Monetary and Non-Monetary Discrimination

| Category | \% Females in class ${ }^{a}$ |  |  | Males Poorly ${ }^{\text {b }}$ |  | Fems Poorly |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Males ${ }^{\text {c }}$ | Fems ${ }^{\text {d }}$ | Recs ${ }^{e}$ | Males | Fems | Males | Fems |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) |
| Natural Sciences | 40.50 | 39.22 | 57.32 | 8.49 | 7.27 | 24.03 | 22.90 |
| Math \& Comp Sci | 31.50 ** | 25.22 | 34.12 | 7.17 | 6.53 | 23.71 | 29.19 |
| Social Sciences I | 56.56* | 60.30 | 61.72 | 8.55 | 11.56 | 12.71 | 14.75 |
| Social Sciences II | 43.13 | 42.83 | 34.97 | 8.45 | 7.27 | 19.90 | 27.72 |
| Ethics and Values | 55.39 | 55.98 | 39.18 | 9.56 | 11.01 | 12.07 | 15.71 |
| Area Studies | 59.84 | 58.15 | 77.27 | 10.52 | 9.87 | 11.07 | 13.19 |
| Lit \& Fine Arts | 64.82 | 66.16 | 73.11 | 11.19 | 11.22 | 8.94 | 13.15 |
| Music Studies | 59.25 | 57.22 | 50.97 | 13.05 | 10.63 | 9.25 | 13.16 |
| Educ \& Social Policy | 66.21 | 68.86 | 76.24 | 13.47 | 16.57 | 9.82 | 13.18 |
| Communication Std | 58.71 | 59.72 | 57.88 | 10.82 | 11.90 | 11.98 | 15.43 |
| Engineering | 30.01 | 27.28 | 27.10 | 6.09 | 5.34 | 25.61 | 30.77 |
| Journalism | 58.90 | 60.22 | 71.42 | 10.47 | 11.69 | 12.03 | 16.30 |
| ${ }^{b}$ The average belief that males would be treated poorly in the jobs that would be available in each of the specified categories <br> ${ }^{c(d)}$ Response of male (female) survey respondents to the relevant question <br> ${ }^{e}$ Fraction of females amongst graduates with that major in 2005 \& 2006 (source: IPEDS) |  |  |  |  |  |  |  |

Table 17: Correlation patterns between various beliefs

|  | Females treated poorly | Males treated poorly | Females in class | Enjoy <br> Coursework |
| :---: | :---: | :---: | :---: | :---: |
|  | Females |  |  |  |
| Females treated poorly | 1.00 |  |  |  |
| Males treated poorly | $0.3997^{* * *}$ | 1.00 |  |  |
| \% of Females in the class | $-0.3523^{* * *}$ | $0.2191^{* * *}$ | 1.00 |  |
| Enjoy coursework | $-0.2616^{* * *}$ | $0.0926^{* * *}$ | $0.4654^{* * *}$ | 1.00 |
| Enjoy working at jobs | $-0.1583^{* * *}$ | -0.0205 | $0.2699^{* * *}$ | $0.6196^{* * *}$ |
|  |  |  |  |  |
| Females treated poorly | 1.00 |  |  |  |
| Males treated poorly | $0.5575^{* * *}$ | 1.00 |  |  |
| \% of Females in the class | $-0.3584^{* * *}$ | 0.0692 | 1.00 |  |
| Enjoy coursework | $-0.1604^{* * *}$ | -0.0483 | 0.0832* | 1.00 |
| Enjoy working at jobs | -0.0741 | -0.0915* | 0.0293 | $0.6704^{* * *}$ |

correlation significant using the Spearman's rank correlation coefficient:
${ }^{* * *}$ sig at $1 \%,{ }^{* *}$ sig. at $5 \%, *$ sig. at $10 \%$


[^0]:    Suggested Citation: Zafar, Basit (2009) : College major choice and the gender gap, Staff Report, No. 364, Federal Reserve Bank of New York, New York, NY

[^1]:    ${ }^{1}$ Literature on college majors has largely ignored the uncertainty associated with the various outcomes of the choice. Two notable empirical exceptions are Bamberger (1986) and Arcidiacono (2004). However, the former only takes into account the uncertainty about completing one's field of study. The latter estimates a dynamic model of college and major choice under highly stylized assumptions on expectations formation.

[^2]:    ${ }^{2}$ The online Appendix is available at www.newyorkfed.org/research/economists/zafar/p1_appendix.pdf.
    ${ }^{3}$ Though each major has an objective probability for ( $\mathbf{a}, \mathbf{c}$ ), there's no reason to believe that subjective beliefs will be the same as the objective probabilities.

[^3]:    ${ }^{4}$ Freeman (1971) assumed that income expectation formation of college students is myopic, that is, the youth believe that they will obtain the mean income realized by the members of a specified earlier cohort who made that choice. Arcidiacono (2004), in his dynamic model of college and major choice, makes strong assumptions about various outcomes; for example, he assumes that youth condition their expectations of future earnings on their ability, GPA, average ability of other students enrolled in that college, and some demographic variables. Similarly, he assumes that all individuals have the same expectations about the probability of working, conditional on sex and major. The list of studies that explicitly (or implicitly) make assumptions about expectations formation is long, and there is no evidence that prevailing expectations assumptions are correct.
    ${ }^{5}$ A student could have a second major in any other school. She could take part in the study as long as she was pursuing a major in WCAS.

[^4]:    ${ }^{6}$ This was done to elicit subjective beliefs about the outcomes associated with majoring in Engineering.
    ${ }^{7}$ For example, the choice set for a student with a major in WCAS and the School of Education would be categories $a-g$, $i$, and $k$.
    ${ }^{8}$ E-mails advertising the survey were also sent out by WCAS undergraduate advisors, Economics professors teaching large core classes, and deans of some schools (other than WCAS).
    ${ }^{9}$ This is the most recent year for which data are available. There is no reason to believe that the distribution of majors would stay the same over time.

[^5]:    ${ }^{10}$ This question elicits an ordinal ranking of the social status of the jobs. However, I treat these ordinal responses as cardinal in the choice model analysis. In hindsight, this question should have been asked in terms of subjective expectations of getting a high-status job.
    ${ }^{11}$ The wording of this question is very similar to that of Dominitz and Manski (1996), who elicit expectations of the returns to schooling from high school and college students.

[^6]:    ${ }^{12}$ See Bruine de Bruin et al. (2000). This is what they call "epistemic uncertainty," or the " $50-50$ chance."
    ${ }^{13}$ Under the assumption that individuals maximize current expected utility, I don't need to take into account that individuals may find it optimal to experiment with different majors. However, experimentation could be important in this context to learn about one's ability and match quality (see Malamud, 2006, and Stinebrickner and Stinebrickner, 2008). It is beyond the scope of this paper.

[^7]:    ${ }^{14} \mathrm{~A}$ consequence of the linear utility specification is that the individual is risk-neutral, i.e., $\int U_{i t}\left(Y, \mathbf{b}, \mathbf{d}, X_{i t}\right) d P_{i k t}(Y, \mathbf{b}, \mathbf{d})=$ $U_{i t}\left(\int Y, \mathbf{b}, \mathbf{d}, X_{i t} d P_{i k t}(Y, \mathbf{b}, \mathbf{d})\right)$. Hence, I need to elicit only the expected value for the continuous outcomes.
    ${ }^{15}$ Note that the underlying assumption is that expectation of being active in the labor force, $g_{i t}$, is independent of one's field of study. This is a rather restrictive assumption since one's decision to participate in the labor force may be influenced by the job opportunities available, which would be related to one's field of study. Relaxing this assumption would have required me to ask this subjective expectation for each field of study in one's choice set, and that would not have been feasible.
    ${ }^{16}$ In an earlier version of the model, I allow the individual to change fields of study once before dropping out of school. However, the results don't seem to change much.

[^8]:    ${ }^{17}$ Some 44 of the 83 respondents with a single major had declared their major at the time of the survey. For the remaining 39 , I use their stated intended choice for estimation.
    ${ }^{18}$ Moreover, a respondent with an adjunct major (see Table 1) has to have another major. For the purposes of estimation, I don't differentiate between an adjunct major and a normal major. Such respondents are treated as pursuing a single major if both their majors are in the same category, and as pursuing double majors if they are in different categories.

[^9]:    ${ }^{19}$ Kapteyn et al. (2007) use a similar approach; they use elicited (stated) preferences data to estimate preference parameters for retirement.
    ${ }^{20}$ One concern with using stated preference data is that an individual may not have complete preferences over all alternatives that are available to her. In the case that a complete ranking does not exist, it is possible that the lower end of her preferences is noise. To check the sensitivity of the results, the model was also estimated by using the ranking of the four most preferred choices only. The results (available from the author upon request) are comparable to those obtained from using the complete preference data. Therefore, I continue to use complete stated preference data in the analysis that follows.
    ${ }^{21} \mathrm{~A}$ logit on ranked data is called exploded logit in the literature. This is because a ranking of $J$ alternatives explodes into $J-1$ pseudoobservations for estimation purposes. This expression results from the particular form of the extreme value distribution, first shown by Luce and Suppes (1965).

[^10]:    ${ }^{22}$ For example, the amount that an individual would be willing to forgo in earnings at the age of 30 for a $2 \%$ change in the probability of outcome $j$ is $\frac{0.02 \times \triangle u_{j}}{\gamma_{4}}$.
    ${ }^{23}$ Outcomes classified as being non-pecuniary are gaining parents' approval, enjoying coursework, reconciling work and family, and enjoying work at the jobs. The remaining outcomes are termed as being pecuniary.

[^11]:    ${ }^{24}$ This question was asked in the follow-up survey (Zafar, 2008), which was taken by 117 of the 161 original survey takers.
    ${ }^{25}$ This finding is in contrast to the literature in social psychology, which finds that females are more influenceable (Eagly, 1978).

[^12]:    ${ }^{26}$ Colleges with high selectivity and the same Carnegie Code classification as Northwestern were used for comparison. Assuming students graduate from college at the age of 22 , this would be their salary at age 32 .
    ${ }^{27}$ An additional robustness check that I did was to estimate the model using the ordinal ranking of income (instead of expected income). This allows me to control for the noise in the reported income expectations. The coefficient on (ranked) income is now significant for the males, but continues to be insignificant for females. Moreover, the confidence interval of $R_{\gamma_{4}}$ is [ $3.8 \%, 29.2 \%$ ] for males and [ $3.6 \%, 18.7 \%$ ] for females. The overall contribution of income and social status, however, does not change since ranked income picks up a substantial part of the contribution of status toward the choice (ranked income and status are highly correlated). Therefore, none of the results change. However, this seems to suggest that income is at least significant for males.

[^13]:    ${ }^{28}$ It is increasing in the financial support an individual receives from her parents. Parents' support $=1$ if no education expenses are paid by one's parents; equals 2 if they pay less than $\$ 5,000$; equals 3 if they pay between $\$ 5,000$ and $\$ 10,000$; equals 4 if they pay between $\$ 10,000$ and $\$ 15,000$; equals 5 if they pay between $\$ 15,000$ and $\$ 25,000$; and equals 6 if they pay more than $\$ 25,000$.

[^14]:    ${ }^{29}$ It could be that parents have subjective beliefs about the outcomes that are very different from those of the student. However, I can only analyze the relationship the student believes exists between her expectation of parents' approval and her subjective expectations of the various choice-specific outcomes.

[^15]:    ${ }^{30}$ There is little research on peer effects in crucial education-related decisions such as choice of college major. Sacerdote (2001) does not find evidence of peer effects in choice of major among Dartmouth College roommates. De Giorgi et al. (2007) find that Bocconi undergraduates are more likely to choose a major when many of their peers make that choice.

[^16]:    ${ }^{31}$ I use a log-normal distribution instead of a normal distribution for these parameters since these are all outcomes that one would expect to be desirable to an individual. The normal distribution allows coefficients of both signs and implies that some share of the sample has negative coefficients for those outcomes, whether or not it is true. The log-normal assumption ensures that each respondent in the sample has a positive coefficient for these outcomes.

[^17]:    ${ }^{32}$ An equally valid expression is $\bar{Y}_{M}-\bar{Y}_{F}=\left[\overline{F\left(X_{M} \widehat{\beta}_{F}\right)}-\overline{F\left(X_{F} \widehat{\beta}_{F}\right)}\right]+\left[\overline{F\left(X_{M} \widehat{\beta}_{M}\right)}-\overline{F\left(X_{M} \widehat{\beta}_{F}\right)}\right]$. This alternative method provides different estimates, which is the familiar index problem with the Oaxaca decomposition technique.
    ${ }^{33}$ Yun (2004) outlines an alternate decomposition strategy that is free from path-dependency. The method is easier to implement, but I don't use it since it involves a first-order Taylor approximation. Moreover, I believe that the decomposition employed in this paper is closer to what is standard in the literature.

[^18]:    ${ }^{34}$ In this illustration, I have assumed an equal number of observations for females and males. However, my sample has more females than males. Since the decomposition requires one-to-one matching of female and male observations, I use the following simulation process. From the female sub-sample, I randomly draw 60 samples with the same number of observations as in the male sub-sample. Then I sort the female and male data by the predicted probabilities and calculate separate decomposition estimates. The mean value of estimates from the separate decompositions is calculated and used to approximate the results from the entire female sample. As in Fairlie (2005), I approximate the standard errors using the delta method.
    ${ }^{35}$ I do not conduct this analysis for the category of Natural Sciences. This is because the category pools both life sciences and physical sciences. Traditionally, females are more likely to major in the former and less likely to major in the latter. Since I pool them together, the decomposition analysis for the pooled category would not be very useful.
    ${ }^{36}$ I observe only the beliefs about academic ability, not actual academic ability. However, Chemers et al. (2001) show that confidence in one's ability is strongly related to academic performance. Moreover, it is the beliefs that matter when an individual is making a choice under uncertainty.

[^19]:    ${ }^{37}$ I sort the female and male sub-samples according to the predicted probability of majoring in that field and then replace the female subjective belief about ability with that of the corresponding male. Since there are more females than males, I use a simulation method similar to the one used for the Fairlie decomposition.
    ${ }^{38} \mathrm{An}$ example of the latter is that women might believe that these fields are not gender-neutral but constructed in accordance with the traditional male role, and that they therefore would be treated poorly in the workplace. For example, Traweek (1988) argues that an aggressive behavior is a necessary ingredient for achieving success in science, and Niederle and Vesterlund (2007) show that women tend to shy away from competitive environments. In that case, even if women perceive no gender difference in ability and compensation, their beliefs about how much they will enjoy studying engineering and science will be affected.
    ${ }^{39}$ This question was asked in the follow-up survey (Zafar, 2008), which was taken by 117 of the 161 original survey takers.

[^20]:    ${ }^{40}$ Individuals were asked to explain what "being treated poorly" meant to them. See section 9.2 .2 for selective comments.
    ${ }^{41}$ Since beliefs of males and females being treated poorly at the jobs are strongly correlated with beliefs about enjoying coursework and enjoying work at the jobs (Table 17), it seems that their impact on the choice is already being captured indirectly. Indeed, the variable "females treated poorly at the jobs" only shows up significantly (at the $1 \%$ and $10 \%$ level, respectively) for females and the entire sample in a model that excludes both enjoying coursework and enjoying work at the jobs. Model estimates are available upon request.

[^21]:    ${ }^{42}$ Another concern that is not directly addressed in this paper is the extent to which beliefs are affected by preferences. In particular, cognitive dissonance may cause individuals to report beliefs that are consistent with their choices. One needs to see how beliefs evolve over time in order to study this. This issue is studied in detail in Zafar (2008). There are three ways that I check for this: (1) compare beliefs with objective measures in cases where it is possible (for example, future income), and see if individuals self-enhance beliefs for outcomes associated with their intended major; (2) since some individuals had officially declared their majors while others had an intended major at the time of first survey, systematic differences in estimates for the two sub-samples would indicate presence of cognitive dissonance; and (3) analyze how individuals revise their beliefs for outcomes associated with the different majors- this requires a panel of beliefs and provides the most convincing evidence on the presence of any biases. All three approaches reveal that cognitive issues do not affect the way in which individuals report their beliefs.

[^22]:    $a$ Majors that appear in each category are listed in Table 1a
    $b$ In cases where the survey respondent has more than one major in WCAS, only the first one is included
    $c$ Only includes students with a primary WCAS major (Source: Integrated Postsecondary Education Data System)

[^23]:    $\dagger$ Estimates correspond to the estimation of a logit model on stated preference data

    * significant at $10 \%$; ${ }^{* *}$ significant at $5 \%$; *** significant at $1 \%$; robust standard errors in parentheses $a(b)$ - number of hours spent per week on coursework (job) varies between 0 and 100;
    $c$ - social status is on a scale of 1-8 (8 being the highest social status); normalized to be between 0.1-0.8 all other variables (except income) are probabilities between 0 and 1
    $d$ - parents' support $=1$ if no education expenses are paid by parents; $=2$ if they pay less than $\$ 5,000$;
    $=3$ if they pay between $\$ 5,000-\$ 10,000 ;=4$ if they pay between $\$ 10,000-\$ 15,000 ;=5$ if they pay between
    $\$ 15,000-\$ 25,000 ;=6$ if they pay $\$ 25,000+$
    $e$ - Foreign is a dummy that equals 1 if either of the respondent's parents is foreign-born.
    $f$ - divorced $=1$ if respondent's parents are divorced or separated; zero otherwise
    $g$ - low_income $=1$ if parents' annual income is less than $\$ 150,000$; zero otherwise

[^24]:    Standard errors (computed by delta method) in parentheses. ${ }^{* * *}$ significant at $1 \% ;{ }^{* *}$ significant at $5 \% ;{ }^{*}$ significant at $10 \%$; The contribution in $\%$ of the relevant variable to the gap

