# Complete Fermi Surface Mapping of $\mathrm{Bi}_{2} \mathrm{Sr}_{2} \mathrm{CaCu}_{2} \mathrm{O}_{8+x}(001)$ : Coexistence of Short Range Antiferromagnetic Correlations and Metallicity in the Same Phase 

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#### Abstract

The Fermi surface of $\mathrm{Bi}_{2} \mathrm{Sr}_{2} \mathrm{CaCu}_{2} \mathrm{O}_{3+x}(001)$ has been mapped at nearly 6000 points in $\mathbf{k}$ space using angle-resolved photoemission at 300 K . We observe both, features that are in good agreement with the local density calculation of Massidda, Yu, and Freeman [Physica (Amsterdam) 158C, 251 (1988)] and others that are missing in the calculation. Among those missing, most importantly, we find a $c(2 \times 2)$ superstructure on the Fermi surface strongly suggesting short range antiferromagnetic correlations. It is remarkable that this is evident in the metallic state and in the Fermi surface itself.


Despite a large amount of experimental data on the electronic structure of high $T_{c}$ materials the mechanism leading to high $T_{c}$ superconductivity is not yet clear. More experiments are necessary either to remove controversy or to bring new or overseen features into evidence. In this process the Fermi surface (FS) of the normal, metallic state plays a key role and a microscopic theory certainly involves the understanding of its topology. We therefore present a complete mapping of the FS of $\mathrm{Bi}_{2}{ }^{-}$ $\mathrm{Sr}_{2} \mathrm{CaCu}_{2} \mathrm{O}_{8+x}(001)[\mathrm{Bi}(2212)]$, measured at 300 K .

For the investigation of the FS of a quasi-twodimensional system with angular-resolved ultraviolet photoelectron spectroscopy (ARUPS), commonly, energy distribution curves (EDC's) are measured for different angles in order to determine the wave vector component parallel to the surface ( $\mathbf{k}_{11}$ ) where bands cross the Fermi level [1,2]. This tedious procedure bears the danger of missing important transitions since only a part of the Brillouin zone (BZ) is mapped. Recently, Santoni et al. [3] used an alternative way to obtain the same information. With a two-dimensional display-type analyzer they mapped the FS of layered graphite directly by measuring the total intensity within a narrow energy window at the Fermi energy ( $E_{F}$ ). Clearly, high intensities are recorded at $\mathbf{k}_{\mathbf{1}}$ locations where direct transitions disperse through the energy window.

In the present work we adopted a similar procedure, using sequential angle-scanning data acquisition [4], to map photoemission intensities within a narrow energy window at $E_{F}$. Very recently we demonstrated the efficiency of this method by measuring cuts through the three-dimensional FS of Cu [5]. The obvious advantage of this procedure is that it provides a very accurate intensity mapping with a selectable uniform point density, covering at least the whole $\mathbf{B Z}$. In contrast to conventional
methods measuring complete EDC's, but at much fewer locations in the BZ, the present measurement will not miss any direct transitions crossing $E_{F}$.

Furthermore, displaying the data in a grey scale representation will accentuate faint features which otherwise would have been overseen.

The measurements were performed in a VG ESCA LAB Mark II spectrometer modified in order to enable motorized sequential angle-scanning data acquisition [4]. Photoelectrons excited with $\mathrm{HeI}(21.2 \mathrm{eV}$ ) radiation were analyzed with a 150 mm radius hemispherical analyzer operating with an angular resolution of $1^{\circ}$ full cone and a pass energy of 1 eV corresponding to an energy resolution of about $30-40 \mathrm{meV}$. The base pressure was $2 \times 10^{-11}$ mbar and the He partial pressure during operation of the differentially pumped He discharge lamp reached $1 \times 10^{-8}$ mbar. Clean $\mathrm{Bi}(2212)$ surfaces were prepared by scotch tape cleaving at pressures in the low $10^{-10}$ mbar range. Samples were cleaved at room temperature and several tries were necessary to obtain a surface showing dispersion in ARUPS. Such a surface was stable for several weeks and did not deteriorate after x-ray ( Mg $K a$ ) irradiation and electron bombardment during low energy electron diffraction (LEED) analysis. The $E_{F}$ scans involve 5993 different angular settings with a precision of better than $0.1^{\circ}$. The typical measuring time was 12 h . The data presented in this work have not been symmetry averaged. A small background due to the contribution of satellites of the Hel radiation has been subtracted mainly for presentation purposes. All the features discussed below are also visible without background subtraction. The crystal growth is described elsewhere [6].

In Fig. 1(a) we present the $\mathbf{k}_{\|}$mapping of the intensity of Hel excited photoelectrons measured within a 10 meV wide energy window centered at $E_{F}$. High intensities re-


FIG. I. (a) $\mathbf{k} \mid 1$ mapping of the intensity of $\mathrm{Hel}(21.2 \mathrm{eV})$ excited photoelectrons collected within an energy window of 10 meV width centered at $E_{F}$. A logarithmic intensity scale is used to enhance weaker features. The outer circle indicates an emission angle of $90^{\circ}$. (b) Outline of (a), emphasizing the fine lines observed in the measurement and distinguishing between the stronger (thick lines) and weaker (dashed lines) sets of lines. (c) Taking the stronger set of lines in an extended zone scheme and superposing it on the original set with a shift of $\Gamma Y$ reproduces the pattern of (b) respectively (a). The circle indicates the range mapped by the experiment. (d) For comparison, the calculated FS of Ref. [7] using the FLAPW method.
sult at $\mathbf{k}_{\mathbf{1}}$ locations where transitions move through $E_{F}$. These locations present themselves as relatively fine, well defined lines as pointed out in Fig. I (b). Since the photoemission process conserves $\mathbf{k}_{\mathbf{1}}$, these lines correspond to a section through the FS as has been demonstrated in [5] for the example of Cu . Notice that for a truly twodimensional system we can neglect the influence of $\mathbf{k}_{\perp}$ on this section. Furthermore, $\Gamma$ and $Z$ points of the reciprocal space of the face centered orthorhombic unit cell of $\mathrm{Bi}(2212)$ become equivalent.

We distinguish two sets of lines in Fig. I (a), one type being strong and continuous and the other being weaker [see Fig. 1(b) as a guide to the eye]. It appears that a displacement of the strong set of lines of the FS by vectors $\Gamma X$ or $\Gamma Y$ covers the set of weaker lines. This is illustrated in Fig. 1(c). In Fig. 1(d) we reproduce the calculated FS of Massidda, Yu, and Freeman [7] using the full-potential linearized augmented plane wave (FLAPW) method. Common features as well as differences are present. Excellent agreement exists for the distance between $\Gamma$ and the crossings of the FS in the direction of $X$ and $Y$ and the curvature of some of their bands of the FS near these crossings. Discrepancies around $\bar{M}$


b)
$\$ \mathrm{Cu}$ atom with spin "up"

- Reciprocal lattice



FIG. 2. Real space to reciprocal space transformation (a) for an ordinary $\mathrm{Cu}-\mathrm{O}$ layer and (b) for a layer with AF spin correlations. The $\mathbf{O}$ atoms are neglected for clarity. Note that for a truly two-dimensional system $\Gamma$ is equivalent to $Z$. The inset shows a real space lattice including the O atoms.
are evident and of course the set of weaker lines is completely missing in the calculation. The present FS measurement differs considerably from that of Ref. [2], probably due to their much lower point density and their procedure to extract FS crossings from the EDC's.

The difference between $X$ and $Y$ is given by the slightly different values for the lattice parameters $a$ and $b$ and the incommensurate modulation of the crystal in the direction of $b$ [8]. We have independently determined the $a$ and $b$ directions by LEED and photoelectron diffraction [9]. For states at the Fermi level in Fig. 1(a) we only see a small difference in the brightness of the curved lines near $\Gamma$, being weaker in the $b$ direction. Another feature connected to the $b$ direction are two faint lines, roughly parallel to $a$ and very close to the $\Gamma$ point. One of the two lines also appears near the $Z$ points at the very border of the measurement, the other remaining outside. For other constant energy surfaces below the Fermi level, however, the anisotropy between the $a$ and $b$ directions becomes very strong (not shown).

We can reproduce the experimental FS of Fig. 1 (a) in an extended zone scheme by superposing the FS centered at $\Gamma$ (strong lines) with its replica centered at $X$ or $Y$ (weak lines) as shown in Fig. 1(c). Just as in a LEED experiment, the resulting new periodicity, which is $c(2 \times 2)$, must be associated with a larger unit cell in real space, as is explained in Fig. 2. We consider the twodimensional system of the Cu-O layer (inset). This is where the states at the Fermi level are located mainly. For clarity we only draw the square lattice of the Cu atoms neglecting O atoms. In Fig. 2(a) we illustrate the transformation of the ordinary real space lattice into reciprocal space. If, however, the Cu lattice is occupied with antiferromagnetically (AF) correlated spins [Fig. 2(b)], we notice that additional $\Gamma$ points appear at the
former $X$ and $Y$ locations. Therefore, by symmetry, AF correlation will reproduce the same FS around $X$ or $Y$ as it does around $\Gamma$, no matter how this correlation affects the electronic structure. Relative intensities will depend on the strength of the exchange scattering [10] at $E_{F}$, and on the degree of AF correlation. Of course, a $c(2 \times 2)$ atomic rearrangement of the real space lattice would have the same effect in reciprocal space but this is unlikely to happen since the $\mathrm{Cu}-\mathrm{O}$ layer is well below the surface (the cleavage plane is between the $\mathrm{Bi}-\mathrm{O}$ layers [9]) and we are not aware of any other experimental reports supporting such an atomic rearrangement in the bulk of Bi(2212). LEED and scanning tunneling microscopy [11] do not give any indication of such a reconstruction at the surface. We observe a quite sharp quasi- $(5 \times 1)$ pattern [12] due to the incommensurate modulation along the $b$ direction.

In order to corroborate the $c(2 \times 2)$ superstructure on the FS we measured other constant energy surfaces for energies slightly below $E_{F}$ using the same measuring procedure. Different sets of lines contributing to the FS should disperse differently depending on the reciprocal lattice point they are centered around. Figure 3(a) shows the intensity distribution along $X-\Gamma-X$ for $E_{F}$, i.e., a cut through a map as presented in Fig. 1 (a), and for several binding energies up to 400 meV . The dispersion of the intensity maxima clearly indicates that the "squarelike" pattern centered around $\Gamma$ [see Fig. 1(a)] contracts with increasing binding energy consistent with the band structure calculation of Massidda, Yu , and Freeman [7]. If the weaker set of lines in Fig. 1(a), centered at $X$ or $Y$, is symmetry related to the pattern around $\Gamma$, as outlined in


FIG. 3. Intensity distribution for cuts through the constant energy surface maps (a) along $X-\Gamma-X$ and (b) along $Z-Y-Z$ for $E_{F}$ and several binding energies. The asymmetry around $Y$ is due to the polarization, breaking the mirror symmetry of the experiment. Note the analogous behavior of the symmetry related maxima in (a) and (b).
terms of AF correlations above, then these lines should also contract around $X$ or $Y$ with increasing binding energy. Cuts through the constant energy surfaces along $Z$ -$Y-Z$ in Fig. 3(b) clearly confirm this behavior. The asymmetry in absolute intensities observed around $Y$ arises from the rotation of the polarization plane defined by the direction of incidence of the unpolarized He light source as we rotate the sample [5].

A characteristic feature of the FS [Fig. I(a)] is the high state density around the $\bar{M}$ point. FLAPW calculations of the FS [7] predict a small electron surface from $\mathrm{Bi}-\mathrm{O}$ derived bands. Two almost degenerate, very flat bands from even and odd combinations of the two $\mathrm{Cu}-\mathrm{O}$ planes are proposed from photoemission experiments [2]. From our experiment, however, it appears that this high state density region around $\bar{M}$ simply occurs due to the crossing of the different parts of the FS according to Fig. I (c). We have no evidence for the $\mathrm{Bi}-\mathrm{O}$ electron pocket.

There has been considerable discussion on FS nesting [2,7]. This discussion is important concerning an eventual explanation of the strongly peaked dynamical susceptibility near ( $\pi / a, \pi / a$ ) [13], $a$ being the $\mathrm{Cu}-\mathrm{Cu}$ nearest neighbor distance. Since the vector $(\pi / a, \pi / a)$ corresponds to the vector $\Gamma Y$ and the "AF" FS can be obtained by superposing the stronger set of lines of Fig. I(b) with its replica translated by $\Gamma Y$ [see Fig. 1(c)], short range AF spin correlations present an alternative explanation [14].

How does our observation of a superstructure on the FS fit into the general picture we have of doped cuprates? Neutron scattering studies showed AF spin correlations in insulating, metallic, and superconducting $\mathrm{La}_{2-x} \mathrm{Sr}_{x^{-}}$ $\mathrm{CuO}_{4}$ [15] and YBaCuO [16] with a correlation length depending on the doping and becoming as small as $10 \AA$ for high doping. ARUPS has a coherence length of this order of magnitude and is thus sensitive to such correlations. LEED, however, does not give any indication, even though it can see AF ordering in principle [17]. This either means that the $\mathrm{Cu}-\mathrm{O}$ layers are buried too deeply within the surface to contribute or, more probably, that the coherence length of the ordering is shorter than the $\sim 100 \AA$ requested for LEED.

In summary, we have presented the first complete FS mapping for $\mathrm{Bi}(2212)$. A $c(2 \times 2)$ superstructure appears on the FS strongly suggesting local AF spin correlations in the metallic phase. We do not observe the $\mathrm{Bi}-\mathrm{O}$ derived electron pockets at the $\bar{M}$ point [7] and the FS exhibits only a weak perturbation due to the modulation along $b$. Both facts indicate a highly two-dimensional character of the states at $E_{F}$.

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