# Cookeite with a Perfect Regular Structure, Formed by Bauxite Alteration

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## Abstract

A di,trioctahedral Li-chlorite cookeite  $(Li_{0.7}Al_{2.1})_{2.8}(Al_{1.86}Fe_{0.04}^{2+}Fe_{0.09}^{3+})_{1.99}[Si_{3.38}Al_{0.62}]_{4.0}O_{10.35}$ (OH)<sub>7.65</sub>, with an exceptionally perfect crystal structure has been found in bauxite of Djalair (Middle Asia). High-voltage diffraction (oblique-texture) patterns were used for its structural identification. It was established that it is a one-layer triclinic polytype  $|\sigma'_{6}\sigma'_{6}|\tau_{+}\tau_{+}|\sigma'_{5}\sigma'_{6}|\cdots$  with symmetry  $C\overline{I}$  and unit cell: a = 5.14, b = 8.90, c = 14.15 Å,  $\alpha = 90^{\circ}33'$ ,  $\beta = 96^{\circ}12'$ ,  $\gamma = 90^{\circ}$ . The small deviation of  $\alpha$  from 90° results in very peculiar features of the diffraction patterns, giving the false impression of a monoclinic lattice but with two non-selfconsistent  $\beta$ -values.

The formation of the cookeite investigated is the final result of a peculiar transformation of bauxite rock following an intermediate stage of formation of a two-layer monoclinic pyrophyllite polytype.

## Introduction

Unlike trioctahedral chlorites, dioctahedral and di,trioctahedral varieties are much less abundant and are therefore of great interest in the crystal chemistry and genesis of minerals. In this respect the di,trioctahedral Li-chlorite cookeite, found in bauxites of Djalair (Middle Asia), is especially remarkable. This chlorite, belonging to the concluding stage of a peculiar transformation process in bauxite rock, proved to be unique in its high degree of structural order, which permitted its polytype identification.

#### **Environmental Conditions**

The bauxite of the Djalair deposit is interbedded between the Upper and Lower Carboniferous in the zones of the terrestrial break. Limestones, underlying bauxite, underwent some karst development. The resultant small cavities were later filled with bauxite matter. In areas of intense karstification sheet-like bodies of bauxite occur, but these completely thin out as undissolved limestone is approached. Subsequently, the bauxite series was overlain by younger middle Carboniferous limestone.

Later the whole rock series was metamorphosed. As a result limestone was marmorized while bauxite was partly converted to emery. At present the bauxite bed forms a number of disconnected areas with a thickness of up to 3 m. In one such area, near its lower contact (in a zone up to 0.4 m thick), the bauxite bed is broken into blocks up to 0.1 m in size. The joints between the blocks are filled with pyrophyllite. In some cases the development of pyrophyllite is so intensive that blocks of bauxite, partly transformed into emery, appear to be enclosed in cells of a pyrophyllite net.

Specimens of brown bauxite with compact shot texture from this area, kindly provided by A. P. Gapeev, contain scaly aggregates of greenish pyrophyllite. The pyrophyllite flakes, up to 4 mm in length, are usually arranged normal to the selvage joints. According to electron diffraction oblique texture patterns, the pyrophyllite belongs to the widespread 2*M*-modification  $\sigma_3\sigma_3\tau_1\sigma_3\sigma_3\tau_5\sigma_3\sigma_3$  (Zvyagin, Mischenko and Soboleva, 1968). Distinct, weak, glide surfaces or zones developed in the pyrophyllite, commonly along an oblique direction relative to the long axes of the scaly pyrophyllite aggregates. The material filling these zones strongly differs from the pyrophyllite both in color (white or bluish gray) and texture (from fine-grained to macrocryptocrystalline). Exceptionally good electron diffraction texture patterns with a great number of very clear, sharp, and well resolved reflections have been obtained for this material. The analysis of the reflection set has indicated that the specimen is a di,trioctahedral chlorite with a regular structure indicative of a definite polytype.

#### **Chlorite Polytypes**

Since chlorite structures consist of two kinds of alternating layers, which may have different relative displacements and orientations, an enormous variety of polytypes is possible. All these polytypes can be divided into six groups differing by the projection on the plane ac of the chlorite packet (=repeating combination of layers). These groups have been designated by Bailey and Brown (1962) as Ia-2n, Ib-2n, IIb-(2n + 1), IIa-2n, IIa-(2n + 1), IIb-2n, where  $1 \le 1$  $2n, 2n + 1 \le 4$ . Zvyagin (1967) has used for these groups designations  $\sigma$ ,  $\sigma'$ ,  $|\sigma|$ ,  $|\sigma'|$ ,  $|\sigma, |\sigma'|$ , here  $\sigma$  being a general symbol for intersheet displacements in an 2:1 layer. A prime or its absence indicates the relative orientation of octahedral sheets of both layers of the packet: in packet  $\sigma'$  they have the same orientation and in packet  $\sigma$ , opposite orientations. The vertical line indicates a superposition of octahedral cations of the hydroxide layer and of the adjacent tetrahedral cations in the normal projection on the *ab* plane. Within each of the six groups, the polytype structures differ by intersheet and interlayer displacements of  $\pm b/3$  along the b axis.

If these displacements are randomly distributed, Bailey and Brown (1962) call the corresponding polytypes "semirandom." For any of the polytype groups there is one semirandom polytype with the same designation. Natural chlorites are usually semirandom, the  $\sigma$ -polytype being more abundant. Semirandom polytypes with packet  $\sigma', \sigma'|, |\sigma'|$  are more rare, while those with packets  $|\sigma|, \sigma|$  have never been found.

Regular polytypes have quite definite intersheet displacements differing by components along axes a,bof their normal projection on plane ab, specified by subscripts  $i = 1, 2 \cdots 6$  and +, -, 0 (Zvyagin, 1967). In addition to displacements  $\sigma$  inside the 2:1 layer, the displacement  $\tau$  between adjacent sheets belonging to different layers must be specified. For a trioctahedral hydroxide layer,  $\tau$  is measured between the origins of the tetrahedral sheets adjoining the intermediate hydroxide layer. Any chlorite structure may be thus described by a succession of letters  $\sigma, \tau$ with conventional marks and subscripts.

Regular polytypes are rather rare. Usually they appear in single crystals and are more probable for dioctahedral and di,trioctahedral chlorites because trioctahedral varieties are less sensitive to displacements  $(\pm b/3)$  along the *b* axis. Table 1 lists all regular polytypes known to date including the cookeite under study. For each polytype the symbolic notation, mode of octahedral population, number of layers per

unit cell, space group symmetry, and components  $(x_n, y_n)$  of the *c* axis in normal projection on the *ab* plane are indicated.

## Electron Diffraction Features of Chlorite Polytypes

In the course of electron diffraction study of layer silicates, samples of dioctahedral and di,trioctahedral chlorites from different deposits of the USSR and other countries have been identified and examined. According to the intensities of the k = 3n reflections, most of these chlorites consist of packets  $|\sigma'|$ , the others consisting of packets  $\sigma$ . The  $k \neq 3n$  reflections that indicate 3-dimensional structural regularity, though sometimes present on the patterns, were insufficient for unequivocal identification of polytypes. In contrast the chlorite from the bauxite of Djalair has a much more regular structure, and its oblique texture patterns (Fig. 1) offered a favorable opportunity for a precise analysis of the lattice geometry and a reliable polytype identification.

## Lattice Geometry of the Cookeite

The geometry of texture patterns might appear at first glance to satisfy the "monoclinic" arrangement of reflections. In a monoclinic case the heights Dnamely, the distances of reflections from the minor axis of the ellipses, these distances being proportional to the projections of reciprocal lattice vectors [hkl] on the  $c^*$  axis—depend only on indices h, l because D =hp + lq where  $p \sim a^* \cos \beta^*$ ,  $q \sim c^*$ . The reflections 021, 111 are disposed non-uniformly along the first ellipse in the patterns of the chlorite studied, while the 201, 201, 131, 131 reflections of the second ellipse are grouped in compact sets of four reflections (Zvyagin et al, 1972). Such peculiarities usually mean that pdiffers from q/3—that is, p/q differs from 1/3—to the extent that  $\beta$  deviates from its ideal value. The real D values have indicated, however, that the ratios p/q, determined separately from the first and second ellipse, are non-equal, the first (0.305) being smaller and the second (0.375) being greater than 1/3. These two p/q ratios lead to two different  $\beta$  values having opposite deviations from the ideal  $\beta$  value, for which p/q = 1/3 and  $c \cdot \cos\beta/a = -1/3$ . To resolve this paradox, the heights D for the second ellipse reflections were calculated by use of p and q values determined from the heights D of the first ellipse reflections, and then compared with the experimental values. As it turned out, the inner and the outer reflections of the above mentioned sets of four reflections essentially differ by degree of agreement of

N	Number of packets/ repeat	Ideal sym- metry	. Symbolic notat , Zvyagin (1967)	ion according to Bailey, Brown (1962) and Lister, Bailey (1967)	x <sub>n</sub> ,y <sub>n</sub>	Sample name	D1- or Triocta- hedral	Refe- rence
1	1	C 2/m	<sup>0</sup> 6 <sup>7</sup> 6 <sup>0</sup> 6	x <sub>1</sub> -IIb-2 (IIb-2)	-1/3,0	pennine B prochlorite	T T	B S
2	1	Cī	$\sigma_2 \tau_4 \sigma_2$ ( $\sigma_6 \tau_2 \sigma_6$ )	x <sub>2</sub> -IIb-6 (x <sub>1</sub> -IIb-4 (IIb-4))	-1/3,0 (-1/3,-1/3)	chlorite pennine A chlorite	T T	Z B S
3	2	C2/c	<sup>6</sup> 3 <sup>7</sup> 1 <sup>6</sup> 3 <sup>7</sup> 5 <sup>6</sup> 3 (66 <sup>7</sup> 4 <sup>6</sup> 6 <sup>7</sup> 2 <sup>6</sup> 6)	x <sub>1</sub> -Ib-3:x <sub>1</sub> -Ib-5 (x <sub>1</sub> -IIb-6:x <sub>1</sub> -IIb-4)	-1/3,0 (1/3,0)	donbassite	D-T	DL
4	2	Cī	<sup>6</sup> 3 <sup>7</sup> 5 <sup>6</sup> 5 <sup>7</sup> 5 <sup>6</sup> 3 (6 <sup>7</sup> 2 <sup>6</sup> 2 <sup>7</sup> 2 <sup>6</sup> 6)	x <sub>1</sub> -Ib-5:x <sub>2</sub> -Ib-5 (x <sub>1</sub> -IIb-4:x <sub>2</sub> -IIb-4)	-1/3,0 (1/3,0)	chlorite C	т	В
5	3	CĪ	<sup>6</sup> 3 <sup>7</sup> 3 <sup>6</sup> 1 <sup>7</sup> 5 <sup>6</sup> 1 <sup>7</sup> 3 <sup>6</sup> 3 ( <sup>6</sup> 6 <sup>7</sup> 6 <sup>6</sup> 4 <sup>7</sup> 2 <sup>6</sup> 4 <sup>7</sup> 6 <sup>6</sup> 6)	x <sub>1</sub> -Ib-1:x <sub>3</sub> -Ib-5:x <sub>3</sub> -Ib-1 (x <sub>1</sub> -IIb-2:x <sub>3</sub> -IIb-4:x <sub>3</sub> -IIb-2	0,-1/3 2) (0,1/3)	chlorite D	т	В
6	1	С2	$\begin{array}{c c}  \sigma_3'  & \tau_+ \tau &  \sigma_3'  \\ ( \sigma_6'  & \tau \tau_+ &  \sigma_6' ) \end{array}$	x <sub>1</sub> -IIa-1 (x <sub>1</sub> -Ia-2 (Ia-2))	-1/3,0 (1/3,0)	donbassite	D	DA
7*	* 1	Cī	$ \begin{array}{c}  \sigma_6'  \ \overline{\tau}_{-} \  \sigma_6'  \\ \langle  \sigma_1'  \ \overline{\tau}_{+} \  \sigma_1'  \rangle \end{array} $	x <sub>1</sub> -Ia-4 (Ia-4) (x <sub>3</sub> -IIa-1)	1/3,-1/3 (-1/3,0)	Cr-chlorite	т	BB
				x <sub>2</sub> -IIa-1 (x <sub>1</sub> -Ia-6 (Ia-6))	-1/3,0 (1/3,1/3)	cookeite	D-T	This
8	2	C2/c	$\begin{vmatrix} \sigma_6' \\ \tau \end{vmatrix} \begin{vmatrix} \sigma_6' \\ \tau_+ \end{vmatrix} \begin{vmatrix} \sigma_6' \\ \sigma_6' \end{vmatrix}$	x <sub>1</sub> -1a-4:x <sub>1</sub> -1a-6	-1/3,0	cookeite 2 vermiculite,	D-T .s"T	LB MW
9*	** 2	Cc	61/7 05/7+ 01 (66/7+104/7_06)	x <sub>3</sub> -IIa-5:x <sub>2</sub> -IIa-3 (x <sub>1</sub> -Ia-6:x <sub>3</sub> -Ia-2)	1/3,0 (-1/3,1/3)	vermiculite	<i>"q"</i> T	MW
			$ arphi_1  $ $ au_+$ $ arphi_5  $ $ au$ $ arphi_1  $ $( arphi_6  $ $ au$ $ arphi_4  $ $ arphi_+  arphi_6  )$	$x_3$ -IIa-1: $x_2$ -IIa-1 ( $\overline{x}_1$ -Ia-4: $\overline{x}_3$ -Ia-4)	1/3,0 (-1/3,1/3)	vermiculite	" <i>r"</i> T	MW
			$\begin{array}{c}   {\mathfrak G}_4^{\scriptscriptstyle 1}   \; {\mathfrak T}_+ {\mathfrak T}_+ \;   {\mathfrak G}_2^{\scriptscriptstyle 2}   \; {\mathfrak T} {\mathfrak T} \;   {\mathfrak G}_4^{\scriptscriptstyle 1}   \\ (\! {\mathfrak G}_6^{\scriptscriptstyle 1}   \; {\mathfrak T}_+ {\mathfrak T}_+ \;   {\mathfrak G}_4^{\scriptscriptstyle 1}   \; {\mathfrak T} {\mathfrak T} \;   {\mathfrak G}_6^{\scriptscriptstyle 1}   \end{array} \!$	$\bar{x}_3$ -Ia-2: $\bar{x}_2$ -Ia-2 ( $\bar{x}_1$ -Ia-4: $\bar{x}_3$ -Ia-4)	-1/3,0 (-1/3,1/3)	donbassite	D	DL
			σ <sub>6</sub>   τ <sub>+</sub>  σ <sub>2</sub>   τ <sub>-</sub>  σ <sub>6</sub>   (σ <sub>2</sub>   τ <sub>+</sub>  σ <sub>4</sub>   τ <sub>-</sub>  σ <sub>2</sub> )	x <sub>1</sub> -1a-6:x <sub>2</sub> -1a-6 (x <sub>2</sub> -1a-2:x <sub>3</sub> -1a-2)	-1/3,-1/3 (-1/3,0)	cookeite 1	D-T	LB
10	2	Cc	$\left  \begin{array}{c} \sigma_{6}^{\prime} & \tau_{2} \sigma_{5}^{\prime} & \tau_{3} \sigma_{6}^{\prime} \\ \sigma_{5}^{\prime} & \tau_{1} \sigma_{4}^{\prime} & \tau_{2} \sigma_{5}^{\prime} \end{array} \right $	x <sub>1</sub> -Ia-3:x <sub>2</sub> -IIa-6 (x <sub>2</sub> -IIa-2:x <sub>3</sub> -Ia-1)	0,0 (0,0)	Cr-ohlorite	T	LB

TABLE	1.	Experimentally	Identified	Regular	Chlorite	Polytypes
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B = Brindley et al, 1950
BB = Brown, Bailey, 1963
DA = Drits, Alexandrova, 1967
DL = Drits, Lasarenko, 1967
LB = Lister, Bailey, 1967

MW = Mathieson, Walker, 1954 S = Steinfink, 1958 SB = Shirozu, Balley, 1966 This = This work Z = Zvyagin, 1963

\* To simplify the designations of centrosymmetric 2:1 layer single symbols  $\sigma_i \sigma_i$  instead of double symbols  $\sigma_i \sigma_i$  are used. In parentheses alternative notations are given which correspond either to an orientation  $\bar{x}_1$  of the first layer or to a cell with only one oblique angle  $\triangleleft$  or  $\beta$  ( $y_n$  or  $x_n = 0$ ).

\*\* Both structures are connected by a reflexion in a plane normal to the b -axis or by 180<sup>o</sup>rotation around the b-axis.

\*\*\*All these four structures (composition differences being neglected) are in fact congruent. After rotation by 180° around c\* the structures with even subscripts |d'| became equivelent to vermiculite "r", which in its turn transfers into vermiculite "q" after rotation by 180° around the *b*-axis combined with a translation c/2.



FIG. 1. Electron diffraction oblique texture pattern of the Djalair cookeite (inclination angle  $\phi = 70^{\circ}$ ).

calculated and measured D values. Taking into account that the reflections of the second ellipse have the hk indices 20,  $\overline{20}$ , 13, or  $\overline{13}$ , one can conclude that such a discrepancy is due to a small "triclinic" distortion of the lattice ( $\alpha \neq 90^{\circ}$ ). As a consequence not only  $p \neq 0$  but also  $s \sim b^* \cdot \cos \alpha^* \neq 0$ , so that in fact D = hp + ks + lq. This distortion does not affect the positions of the k = 0 reflections but its influence on the positions of the  $k \neq 0$  reflections becomes more pronounced as k increases. The splitting of the  $k \neq 0$ reflections must lead in principle to an increase of the number of reflections in an interval  $\Delta D = q$ , but if s is small, this may not be revealed. If  $|F_{hkl}| \ll |F_{h\bar{k}l}|$ , the inequality  $s \neq 0$  is manifested only by small displacements of reflections against their theoretical "monoclinic" positions. For this reason the heights D of the first ellipse reflections (k = 1,2) lead to rough but yet reliable-at least concerning the relation p/q—values p,q. The values of p,q so obtained indicate p/q < 1/3. Therefore in the "monoclinic" sets of four reflections on the second ellipse, the outer reflections must have indices 13l,  $\overline{1}$ , 3.l+1, while the inner ones have indices  $\overline{2}.0.l + 1$ , 20l. If s  $\neq 0$ , each reflection 13l,  $\overline{1}3l$ ,  $1\overline{3}l$ ,  $\overline{13}l$  splits into two reflections with opposite signs of k, one moving away from and the other toward a 20l reflection by a value  $\Delta D = 3s$ . As a result the number of reflections in each set increases from 4 to 6. To see all of them separately, sufficient resolution is needed. Otherwise the close pairs of reflections appear to be single reflections and give the impression of a monoclinic structure. It is easy to show that for any  $p = q/3 + \delta$  a complete coincidence of these reflections takes place if  $s = \pm \delta$ , where  $\delta$  may be both > and < 0. The heights of the second ellipse reflections give a reliable q value and an apparent value  $p' = q/3 - \delta'$ , where  $\delta' = 2\delta$ . Both by positions and intensities, the single reflections 13l, 131, 131, 131 seem to be "monoclinic" 201 and the coinciding reflections of the sets seem to be "monoclinic" 13l,  $\overline{13}l$ ,  $1\overline{3}l$ ,  $\overline{13}l$  (Zvyagin *et al*, 1972).

The fact that only four reflections are distinguished in a set on the second ellipse is not yet complete evidence on an exact coincidence of the approached reflections. Therefore further analysis of the patterns should be based on the outer reflections  $1\overline{3}l$ ,  $\overline{1}$ , 3.l + 1of the sets. These are single and their situations can be measured with accuracy. Using the heights D of these reflections, a more exact value q may be calculated, for example by means of the relations q = $(D_{1\overline{3}1} + D_{\overline{1},3,l+1})/(2l + 1)$ . Thereupon measuring the splitting of  $0kl, 0\bar{k}l$  reflections adjacent to levels D + lq—this splitting is more pronounced for reflections 04l, 04l of the third ellipse—one may establish the s value as  $s = (D_{0kl} - D_{0kl})/2k$ . With q and s known, the value of p can be obtained by using the noncoinciding reflections of the second ellipse. Thus the height difference  $\Delta D$  of the outer reflections for each set of six reflections is equal to q + 6s - 2p and hence  $p = (q + 6s - \Delta D)/2.$ 

In such a way the following relations have been obtained: p = 0.297q,  $\delta = -0.036q$ , s = 0.016q,  $s = -0.45 \delta$ , to which a unit cell corresponds: a = 5.14, b = 8.90, c = 14.15 Å,  $\alpha = 90^{\circ}33'$ ,  $\beta = 96^{\circ}12'$ ,  $\gamma = 90^{\circ}$ . This chlorite is thus triclinic and contains one packet per repeat c. Low values for a and b as well as the intensity relation of the reflections of the sixth (26*l*, 40*l*) and seventh (17*l*, 35*l*, 42*l*) ellipses indicate that it may be di- or di,trioctahedral. In fact the structural formula (Li<sub>0.7</sub>Al<sub>2.1</sub>)<sub>2.8</sub>(Al<sub>1.86</sub>Fe<sup>2+</sup><sub>0.09</sub>)<sub>1.99</sub> [Si<sub>3.38</sub>Al<sub>0.62</sub>]<sub>4.0</sub>O<sub>10.35</sub>(OH)<sub>7.65</sub>, calculated from the chemical analyses (Table 2), corresponds to cookeite with a dioctahedral 2:1 layer (the degree of octahedral occupancy 1.99) and an almost trioctahedral hydroxide interlayer sheet (the degree of occupancy 2.8).

TABLE 2. Chemical Analysis of Djalair Cookeite\*

Wt per cent
38.26
44.28
1.31
0.48
2.00
13.00
99.33
R.L.Teleshova

#### The Polytype Identification of the Cookeite

According to the intensities of the second ellipse reflections (Table 3), the structure of this cookeite consists of packets  $|\sigma'|$ . Only three one-packet polytypes from di- and di,trioctahedral packets satisfying the uniformity condition are possible, namely  $|\sigma'_3\sigma'_3| \tau_0\tau_0 |\sigma'_3\sigma'_3|, |\sigma'_3\sigma'_3| \tau_+\tau_- |\sigma'_3\sigma'_3|, |\sigma'_5\sigma'_5|$  $\tau_{+}\tau_{+}|\sigma'_{5}\sigma'_{5}|$  with corresponding symmetry C2/m, C2,  $C\overline{1}$ . Only the one with symmetry C2 has been

TABLE	3.	Seco	nd 1	Ellipse	Reflection	is for	Triocta	ahedral
2	and	Di,tri	iocta	hedral	Chlorites	from	Packet	ts
$ \sigma' $	at p	q =	1/3,	s = 0	and at p/	q = 1	1/3 -	0.036,
				s/q	= 0.016			

hkl	D/q (p/q = 1/3, s = 0)	F <sup>2</sup> tri	F <sup>2</sup> di-tri	D/q (p/q = 0.297 s = 0.016)	đ	<sup>2</sup> calc	f <sup>2</sup> exp
130 130 201	1/3	68	129	0.25 0.35 0.40	2.598 2.566 2.564	27 27 75	20 150
200 731 731	2/3	158	152	0.60 0.65 0.75	2.556 2.552 2.546	80) 36) 36	155 30
131 131 202	4/3	135	185	1.25 1.35 1.40	2.506 2.496 2.491	75 75] 35]	140 220
201 132 132	5/3	113	142	1.60 1.65 1.75	2.461 2.459 2.448	30) 56) 56	30 28
132 132 203	7/3	1	15	2.25 2.35 2.40	2.378 2.361 2.351	3339	2 6
202 133 133	8/3	855	855	2.60 2.65 2.75	2.323 2.312 2.258	315 270 270	300 135
133 133 204	10/3	23	33	3.25 3.35 3.40	2.210 2.193 2.181	9 9) 15]	20 45
203 134 134	11/3	11	13	3.60 3.65 3.75	2.147 2.138 2.120	7] 3] 3	10
134 134 205	13/3	57	33	4.25 4.35 4.40	2.029 2.013 2.002	8 8 17	15 44
204 135 135	14/3	332	364	4.60 4.65 4.75	1•969 1•957 1•941	78 93] 93	180 130
135 135 206	16/3	3	10	5.25 5.35 5.40	1.855 1.839 1.828	3 3 4	3
-205 -136 -136	17/3	9	8	5.60 5.65 5.75	1.797 1.788 1.772	0 4 4	2
136 136 207	19/3	34	63	6.25 6.35 6.40	1.693 1.679 1.670	26 26] 11]	50 55
206 137 137	20/3	640	504	6.60 6.65 6.75	1.642 1.632 1.619	136] 184] 184	180 120
137 137 208	22/3	146	125	7.25 7.35 7.40	1.548 1.536 1.527	50 50 25	50 70
207 138 138	23/3	17	21	7.60 7.65 7.75	1.503 1.495 1.482	<b>1</b> 5 4	9
138 138 209	25/3	51	44	8.25 8.35 8.40	1.421 1.410 1.403	10 10 24	25 50
208 139 139	26/3	17	8	8.60 8.65 8.75	1.381 1.373 1.363	233	20 7
139 139 2.0.10	28/3	495	363	9.25 9.35 9.40	1.309 1.299 1.293	130 130 104	100 170
209 1.3.10 1.3.10	29/3	73	67	9.60 9.65 9.75	1.273 1.268 1.258	17 25 25	71

hkl	D/q ( $p/q = 1/3$ , s = 0)	β <sup>2</sup> ca C2/m	10 C2	D/q ( $p/q = 0.297$ , s/q = 0.016)	đ	F <sup>2</sup> <sub>calo</sub> H	2 exp
020 020	0	580	380	-0.032 0.032	4.450 4.450	0.2	114
110 110	1/3	112	42	0.28 0.31	4.433 4.428	130	
111 111	2/3	166	72	0.69	4.349 4.340	170 25	116
021	1	40	127	0.97	4.256	70	95
111	4/3	15	86	1.28	4.124	220 19	170
112	5/3	240	420	1.69	3.926	16 12	44
022	2	14	68	1.97	3.778	182 18	110 10
112	7/3	32	106	2.28	3.609	45 58	85
113	8/3	84	34	2.69	3.391	12	149
023	3	52	18	2.97	3.245	0.2 64	79
113	10/3	248	152	3.28	3.088	0.0	
114 114	11/3	50	18	3.69	2.897	0.4 43	77
024	4	74	34	3.97	2.774	6 53	73
114	13/3	6	36	4.28 4.31	2.645	23 24	76
115	14/3	1	18	4.69 4.72	2.489	66 4	89
025	5	56	104	4.97 5.03	2.390	2	4
115	16/3	3	21	5-28 5-31	2.285	9 42	75
116	17/3	12	32	5.69 5.72	2.161	6 13	70
026	6	16	5	5.97 6.03	2.083	29 1	73
116	19/3	7	2	6.28 6.31	2.001	13	65

recognized among the natural chlorites (Drits and Alexandrova, 1968, Table 1). The  $|F|^2$  values calculated for these structures using the first ellipse reflections—namely, 11l,  $\overline{11}l$ ,  $\overline{11}l$ ,  $\overline{11}l$ ,  $\overline{02l}$ , 02l— compared to those observed (Table 4) indicate that the cookeite studied has the triclinic  $(C\overline{1})$  structure  $(|\sigma_5'\sigma_5'|\tau_+\tau_+|\sigma_5'\sigma_5'|)$ . The same structure after rotation by 180° around the b axis would have a notation  $|\sigma'_1 \sigma'_1| \tau_- \tau_- |\sigma'_1 \sigma'_1|$ , but it should be taken into account that in this case  $s < 0, \alpha < 90^{\circ}$ .

After the polytype indentification of Djalair cookeite, it becomes possible to recognize the features of this polytype (Fig. 2) in the less perfect electron diffraction oblique texture patterns of some other chlorites. This gives an indication of the natural abundance as well as of the crystallochemical and

TABLE 4. Distinguishing Diffraction Features of Three Di,trioctahedral Chlorite Polytypes from Packets  $|\sigma'|$ , Represented by the First Ellipse Reflections



FIG. 2. Schemes of reflection distributions along the first (I) and second (II) ellipses of the cookeite oblique texture pattern in cases of  $p/q = \frac{1}{3}$ , s = 0 (a) and p/q = 0.297, s/q = 0.016 (b). The line lengths are taken proportional to  $F^2$  values; dotted lines indicate theoretical positions of reflections not revealed experimentally.

genetic significance of this di,trioctahedral chlorite polytype.

The cookeite studied formed during a late stage of bauxite transformation, reconstructed as follows. Following metamorphic and, later, tectonic action, the bauxite strata developed local zones of intensive, fine jointing. Silica-rich solutions circulated along these fine joints and reacted with the alumina of the bauxite to form pyrophyllite. The formation of pyrophyllite may indicate that rather high P,Tparameters existed during the mineral genesis and also that alkaline cations were absent from the solutions. The formation of the structurally perfect di,trioctahedral chlorite cookeite occurred in the zones of later tectonic shears in the pyrophyllite mass as a result of the interaction of new Li-rich solutions with pyrophyllite.

It should also be noted that the pyrophyllite formed not only along macrojoints but also inside the bauxite mass along microslackening zones (zones where microcracks—splits, clefts, fissures—are abundant). This is proved by the presence of cookeite admixed with pyrophyllite in bauxite, though in this case the cookeite is not so structurally perfect as in tectonic slackening zones. According to petrographic and X-ray data, the emery in the bauxite contains an appreciable amount of hematite and a small amount of corundum. On these grounds one can reasonably suggest that iron is essentially absent in the processes. Thereby the absence of the noticeable isomorphous replacements of Fe for Al, that is natural for pyrophyllite and cookeite, is observed.

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