

In the counterexample leading to statement 4,  $\alpha$  is not onto; in that leading to statement 6,  $\alpha$  is not one-one. Two interesting questions, not covered by the above theorems and statements, are these.

(i) If  $\pi$  is Pappian, and if  $\alpha$  is a one-one collineation from  $\mathbf{Q}$  onto  $\mathbf{Q}'$ , can  $\alpha$  necessarily be embedded in a collineation from  $\pi$  onto  $\pi'$ ? If so, can the Pappian condition be weakened?

(ii) Is it possible to weaken the condition in theorem 4 that  $\pi$  be a Moufang plane, and to assume only that  $\pi$  satisfies condition (ii) of theorem 3?

#### REFERENCES

- [1] ACZÉL, J., MCKIERNAN, M. A., *On the Characterization of Plane Projective and Complex Moebius-transformations*, Math. Nachr. 33, 315–337 (1967).
- [2] ACZÉL, J., *Collineations on Three and on Four Lines of Projective Planes over Fields*, Matematica 8 (31), 7–13 (1966).
- [3] CORBAS, VASSILI C., *Omomorfismi fra piani proiettivi*, I, Rend. di Mat. (3–4) 23, 316–330 (1964).
- [4] HALL, MARSHALL, JR., *The Theory of Groups* (Macmillan, New York 1959).
- [5] HUGHES, D. R., *On Homomorphisms of Projective Planes*, Proceedings of Symp. in Applied Math., Vol. X. *Combinatorial Analysis* (Amer. Math. Soc., Providence, R.I. 1960), pp. 45–52.

#### ERRATA

R. G. STANTON and J. G. KALBFLEISCH, *Covering Problems for Dichotomized Matching*, Aequationes Math. 1 (1968), 103–112.

The sixth member of the set  $H$  at the end of section 4 should be  $g_1 g_2 g_3 g_4 g_5 g_6$ , not  $g_1 g_2 g_3 g_5 g_6$  as given.