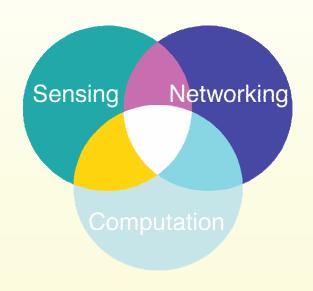
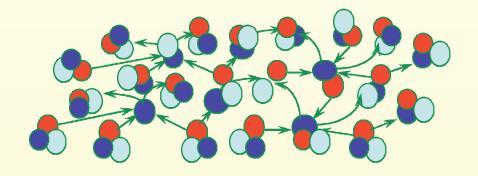
Efficient and Scalable Query Routing for Unstructured Peer-to-Peer Networks

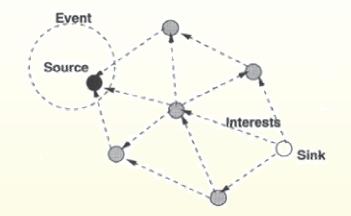


Abhishek Kumar Jun (Jim) Xu Ellen W. Zegura Georgia Institute of Technology, 2005



The Problem:

Searching for content in an unstructured network



Constraints:

- Content and/or structure are highly dynamic
- Any node can originate content (lots of content)
- Limited bandwidth and memory at each node
- No a priori knowledge of the environment

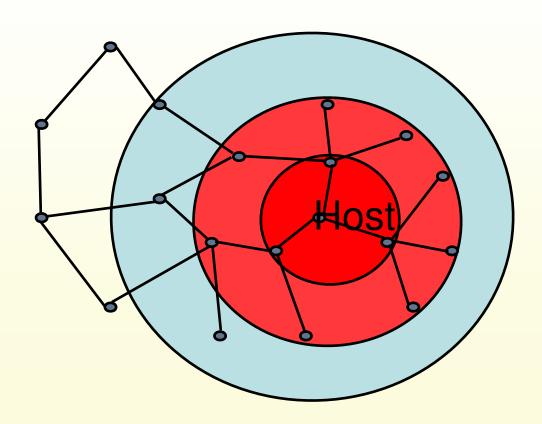
Possible Solutions:

- Flooding
- Random Walk
- Supernodes/Ultrapeers
- One-Hop Replication of Index
- Expanding ring search
- GIA: Optimized Topology Construction, Load Balancing

Problems (trade-offs):

- Speed (low temporal locality in search traffic)
- Scalability (replicating content indices is expensive)

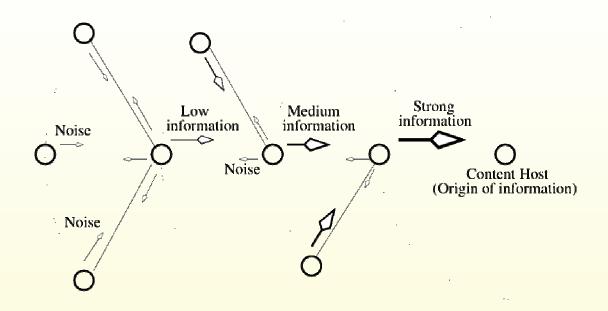
Scalable Query Routing (SQR)



Scalable Query Routing (SQR)

- Maintain probabilistic "routing tables"
- High information about close neighbors
- Information intensity "decays" with distance
- A data-structure at each node to achieve this
- Queries perform a "partially guided" random walk

Scalable Query Routing (SQR)



Information about content on a host decays exponentially with distance

Bloom Filter

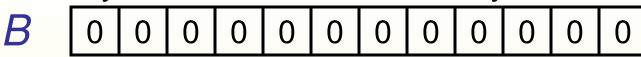
Given a set $S = \{x_1, x_2, x_3, \dots x_n\}$ on a universe U, want to answer queries of the form:

does $z \in S$

- Bloom filter answers in "constant" time
- Small amount of space.
- But with some probability of being wrong.

Bloom Filter

Array of *m* bits all set to 0 initially



When inserting an element x, set $B[h_i(x)] = 1$ for i = 1 to k

To check if y is in S, check B at $h_i(y)$. All k values must be 1

May have false positives; all k values are 1, but y is not in S

Bloom Filter

Under the assumption:

• Good (pseudo-random) hash functions

Can bound the probability of a false positive and optimize the number *k* of hash functions to minimize this probability.

Given *n* objects and a Bloom filter of size *m*:

$$p = \text{Pr}[\text{cell is empty}] = (1 - 1/m)^{kn} \approx e^{-kn/m}$$

 $f = \text{Pr}[\text{false pos}] = (1 - p)^k \approx (1 - e^{-kn/m})^k$

k that minimizes $f = (\ln 2)m/n$

Array of *m* bits. Also uses *k* hash functions. Insertion is identical to BF.

Testing for membership, returns the number of bits set to 1

$$\theta(x) = |\{i|A[h_i(x)] = 1, i = 1, 2, ..., k\}|$$

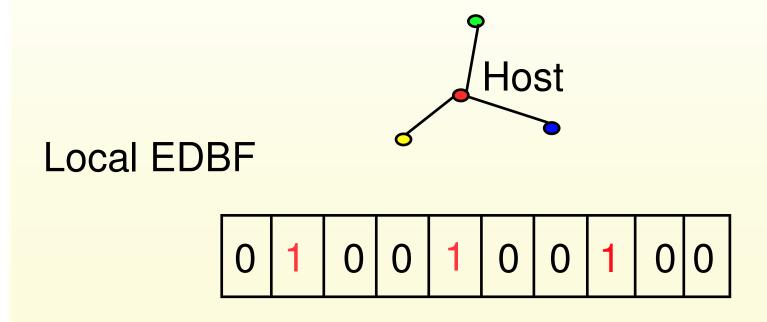
When EDBF is used in the probabilistic query routing in SQR, $\theta(x)/k$ roughly represents the probability of finding x along a particular link

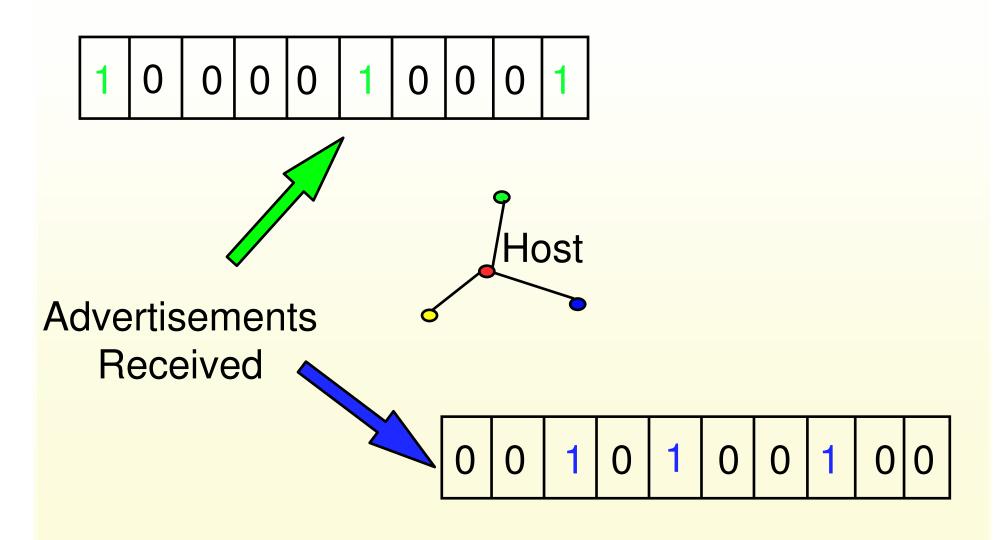
- Nodes advertise their EDBF to their neighbors
- Each node keeps separate copies of EDBF received from each of its neighbors
- When advertising to downstream neighbors nodes take the union of local EDBF with EDBFs of the neighbors resetting bits in these with probability (1/d)
- Because of the decay, for any object x, $\theta(x) = k$ for a node one hop away, k/d two hops away, $k/(d^n)$ n hops away

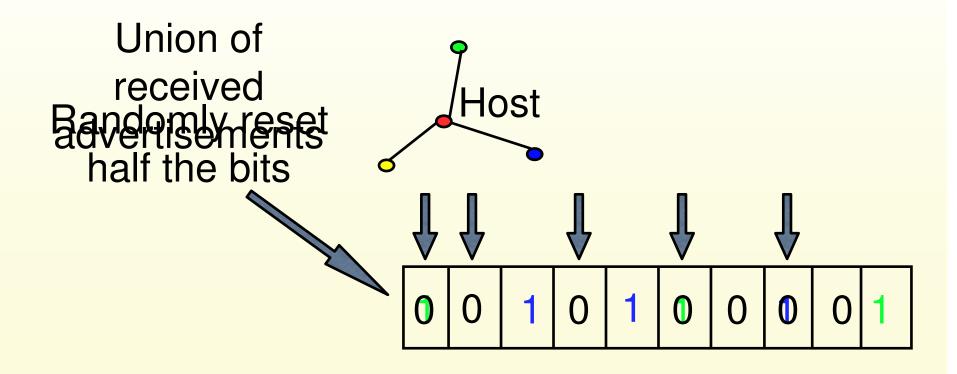
Constructing and updating EDBF:

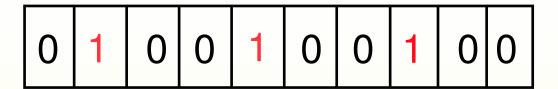
```
Create Local EDBF (given local content X):
       // Populate local EDBF A.
1. \forall x \in X
        Set bits A[h_1(x)], ..., A[h_k(x)] to 1;
Create Update (for neighbor i):
   // Copy all the bits from the local EDBF \,A into
   // the updateU_i.
1. U_i \leftarrow A_i
   // Decay the information received from all neighbors
   // other than j by a factor of d, and add the
   // surviving bits to U_i.
2. \forall i \in neighbor\_list, i \neq j
        \forall r \in \{1, \cdots, m\}
4.
            if(A_i[r] == 1)
                 with probability 1/d, U_i[r] \leftarrow 1;
6. Return U_i;
```

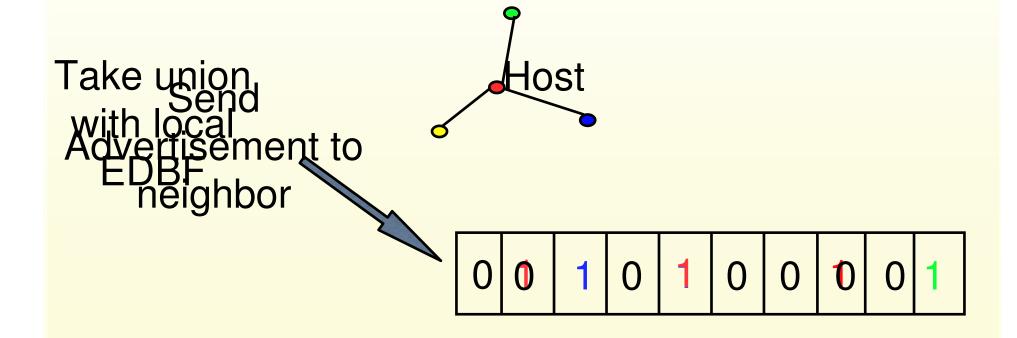
Fig. 2. Algorithms for creating updates in SQR.











Query routing:

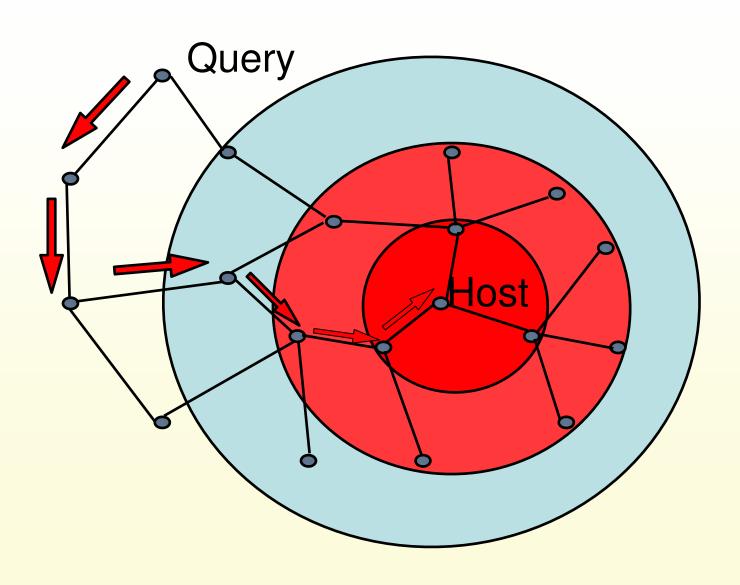
- If the query is satisfied locally, it is answered
- If the query has previously been seen, it is forwarded to a random neighbor
- Otherwise the query is forwarded to the neighbor advertising the highest value $\theta(x)$, the total number of bits set to 1 in locations indexed by $h_j(x), j \in 1...k$

Query routing:

```
Forward Query (given query Y):
       // Forward previously seen queries to neighbor i, .
       // chosen randomly from neighbor_list.
1. if ( Seen Query(Y))
       Deliver Query(Y,i);
 3. else
    //Forward previously unseen queries to the neighbor
    // with the maximum information about this query
        \Theta \leftarrow \text{Lookup}(Y);
        Pick i such that \theta_i = max(\Theta);
        Deliver Query(Y,i);
Lookup (given query Y):
1. \forall i \in \text{neighbor\_list}
    \forall q \in \{1, \cdots, k\}
            \theta_i + = A_i[h_q(y)];
4. Return \Theta; /*\Theta = \{\theta_i\}^*/
```

Fig. 3. Algorithms for forwarding queries in SQR.

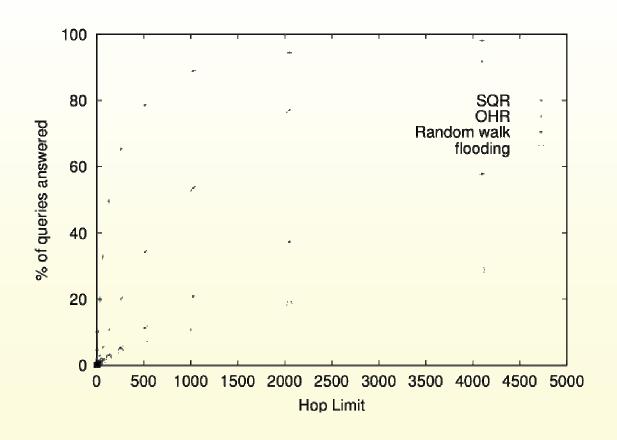
Query Routing



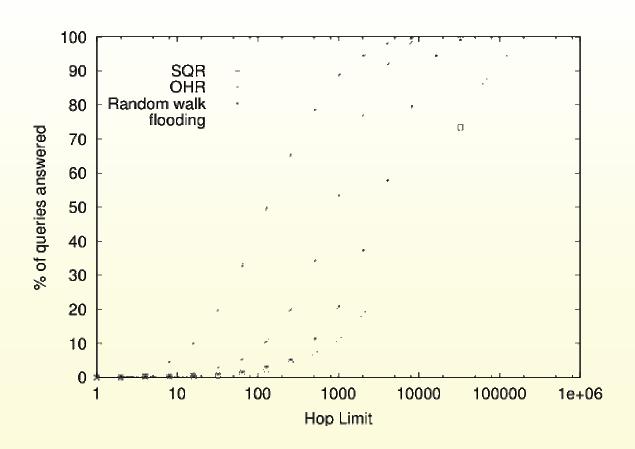
Optimizations:

- Use delta encoding for updates
- Use arithmetic coding for data compression
 - increasing the size of the array while reducing the number of hash functions slightly can improve the efficiency of BF

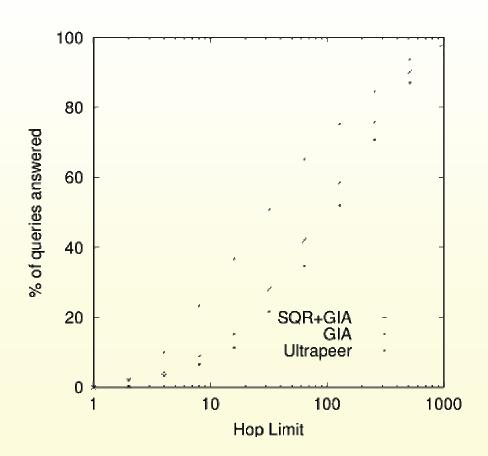
SQR Performance: Flat Topologies



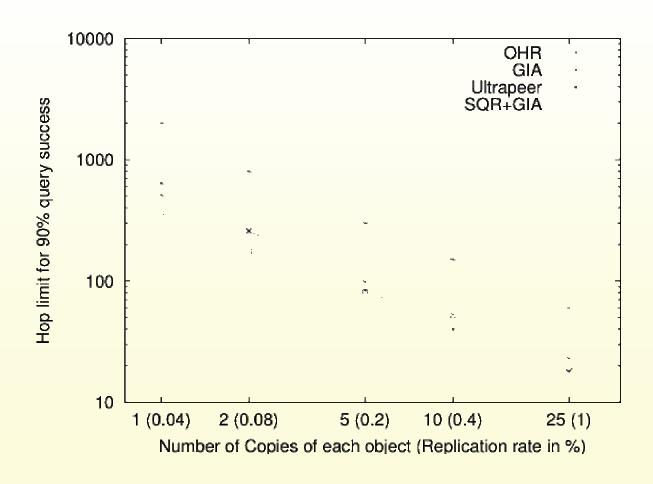
SQR Performance: Flat Topologies



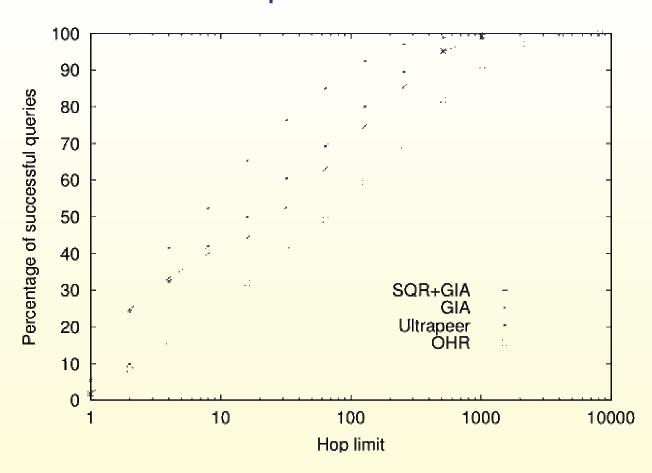
SQR Performance: Hierarchical Topologies



SQR Performance: Impact of Replication



SQR Performance: Impact of Replication with Zipf distribution



Conclusions:

- Highly compressed information about content in the neighborhood cab speed up the routing
- Exponential decay of information with distance ensures scalability of the approach
- Probabilistic routing information can be "reliable" and efficient

Problems:

- Deleting content is unsupported in Bloom filters (could be done in EDBF due to probabilistic nature)
- In a large sensor network, random walks may be highly inefficient
- Hashing may be too time/energy expensive for simple nodes

Thank You