Efficient Iris Recognition by Characterizing Key Local Variations by Li Ma, Tieniu Tan, Fellow, IEEE, Yunhong Wang, Member, IEEE, and Dexin Zhang

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ABSTRACT

- 1) a set of **one-dimensional intensity signals** is constructed to effectively characterize the most important information of the **original two-dimensional image**
- using a particular class of wavelets, a position sequence of local sharp variation points in such signals is recorded as features.
- 3) **matching scheme** based on euclidean distance to compute the similarity between a pair of position sequences.

Diagram of approach





Preprocessing - Localization

- Project the image in vertical and horizontal directions
 - Pupil generally darker than surroundings
 - Minima of the two projection profiles gives centre of pupil (X_p Y_p).
- For more accuracy
 - \bigcirc Binarize a 120X120 region around (X_p Y_p)
 - Centroid of resulting region is new centre
 - Repeat for more accurate result
- Exact parameters of the two circles found using edge detection and Hough transform.

Circle Detection





Preprocessing-Normalization

- Irises may be captured in different sizes.
- Size may also change due to illumination variations.
- Annular Iris is un-wrapped counter clockwise to a rectangular texture block with a fixed size
- Helps in reducing distortion of iris caused by pupil movement
- Also simplifies subsequent processing.

Preprocessing - Enhancement

- Normalized image has low contrast and may have non-uniform brightness.
- An estimate of intensity variations is found using bicubic interpolation using 16X16 blocks.
- This estimate is then subtracted from the normalized image.
- More enhancement is done using Histogram Equalization in each 32X32 region.

Pre-processing



Normalized image



Local average intensity



Enhanced

Feature Extraction

 The 2-d normalized image is decomposed into 1-D signals S_{i.}

$$S_{i} = \frac{1}{M} \sum_{j=1}^{M} I_{(i-1)^{*}M+j} \quad i = 1, 2, \dots N$$
$$I = \begin{pmatrix} I_{1} \\ \vdots \\ I_{x} \\ \vdots \\ I_{K} \end{pmatrix} = (I_{1}^{T}, \cdots I_{x}^{T}, \cdots I_{K}^{T})^{T}$$

I is normalized image (K X L)

 $\mathbf{I}_{\mathbf{x}}$ denotes gray values of xth row

M is total no. of rows used to form S_i

N is total no. of 1-D signals

Feature Extraction

- A set of such signals contains most of the local features.
- Such representation reduces computational costs.
- Iris regions close to sclera contain few texture characteristics
- So features are extracted from the top 78% of the image
- K x 78% = N x M
- Recognition rate regulated by changing M.

Feature Vector

- There is an underlying relationship between information at consecutive scales
- The signals at finer scales are easily contaminated by noise.
- Hence only scales are used
- For each intensity signal S_i, the position sequences at two scales are concatenated to form the corresponding features.

Feature Vector

 $f_i = \{d_1, d_2, \cdots d_i, \cdots d_m; d_{m+1}, d_{m+2}, \cdots d_{m+n}; p_1, p_2\}$

• Here,

 d_i = position of sharp local variation point in S_i

m = no. of components from first scale

n = no. of components from the second scale $p_i = property$ of first local sharp variation point at two scales :

minima (+1) and maxima (-1).

• Features from different 1-D intensity signals are concatenated to constitute an ordered feature vector

$$f = \{f_1, f_2, \cdots f_i, \cdots f_N\}$$



Matching

- The similarity between a pair of expanded feature vectors is calculated using the euclidean distance
- Distances below a threshold of 50 were found to be of the same person.

Result







Distance = 31.4072 Implying 'acceptance'

Result





Distance = 123.7437 Implying 'rejection'



Translation, Scale and Rotation

- Translation invariance is inherent because the original image is localized before feature extraction.
- To achieve approximate scale invariance, normalize irises of different size to the same size.
- Rotation in the original image corresponds to translation in the normalized image.
- The binary sequence at each scale can be regarded as a periodic signal, hence we obtain translation invariant matching by circular shift
- After several circular shifts, the minimum matching score is taken as the final matching score.