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**FEMWATER: A Finite-Element
Model of WATER Flow
Through Saturated-Unsaturated
Porous Media**

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Reeves and Duguid's original work provided the basis and stimulation for this study. Numerous constructive and valuable discussions with D. D. Huff led to the improvement in computing moisture-content rate change and in evaluating nonlinear terms.

ABSTRACT

YEH, G. T. and D. S. WARD. 1979. FEMWATER: A finite-element Model of water flow through saturated-unsaturated porous media. ORNL-5567. Oak Ridge National Laboratory, Oak Ridge, Tennessee. 162 pp.

Upon examining the "Water Movement Through Saturated-Unsaturated Porous Media: A Finite-Element Galerkin Model," it was felt that the model should be modified and expanded. The modification is made in calculating the flow field in a manner consistent with the finite element approach, in evaluating the moisture-content increasing rate within the region of interest, and in numerically computing the nonlinear terms. With these modifications, the flow field is continuous everywhere in the flow regime, including element boundaries and nodal points, and the mass loss through boundaries is much reduced. Expansion is made to include four additional numerical schemes which would be more appropriate for many situations. Also, to save computer storage, all arrays pertaining to the boundary condition information are compressed to smaller dimension, and to ease the treatment of different problems, all arrays are variably dimensioned in all subroutines. This report is intended to document these efforts. In addition, in the derivation of finite-element equations, matrix component representation is used, which is believed more readable than the matrix representation in its entirety. Two identical sample problems are simulated to show the difference between the original and revised models.

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I. INTRODUCTION

To study the transport of dissolved constituents in a subsurface flow system, the velocity field therein must be determined first. A finite-element Galerkin model has been developed to obtain the flow field (Reeves and Duguid 1975). The continuity equation of water mass governing the distribution of pressure head is solved by the Galerkin finite-element method subject to appropriate boundary and initial conditions. The flow field is then computed with Darcy's law by taking the derivatives of the calculated pressure field. Inherent in that approach, however, is the resulting discontinuity in the velocity at element boundaries and nodal points, which unfortunately leads to a violation of the conservation of mass in a local sense. When the spatial distribution of the velocity is significant in the region, inputting this discontinuous flow field to the contaminant transport computation could conceivably produce a large error. This report describes a method to overcome this problem, this is, solving Darcy's law for the velocity field at nodal points by the finite-element method rather than by taking the derivatives of the pressure field. This approach is consistent with the spirit of finite-element methods, and yields, of course, continuous velocity over the whole region of interest, including element boundaries and nodal points. An alternative method is to evaluate the velocity at the Gaussian points of an element rather than at the nodal points from the pressure field with Darcy's law (Segol 1976, Huyakorn and Pinder 1977). Because only the velocity at Gaussian points are needed in the pollutant transport computations if

the Galerkin finite element is used therein, this method circumvents the need to calculate the velocity at nodal points. However, if the upstream weighting function is used in the pollutant transport formulation, continuous velocity field at nodal points is required to compute the optimum weighting factors. Under such circumstances, the alternative approach is not applicable, and the proposed method must be used.

In the development of the moisture transport model, the time-marching is dealt with by either the Crank-Nicolson central-difference or the backward-difference methods. The mass matrix (the matrix associated with the time derivative) as derived from the finite-element discretization in space is used without any modification. However, in many situations, the mid-difference in the time-marching would yield better results than either the central or backward-difference if the consistent mass matrix is used (Gureghian et al. 1978). The mid-difference option is, therefore, incorporated into the revised computer code.

Referring to the mass matrix, it appears as a unit matrix if the spatial discretization is done with the finite-difference method. By suitable scaling, the mass matrix may be reduced to a finite-difference equivalent if it is lumped (Clough 1971). The lumping of the mass matrix in many situations results in a better-behaved global matrix than that from no lumping, in particular, if it is used along with the central or backward-difference time-marching. Thus, the lumping option of the mass matrix is included in the revised code.

II. MATHEMATICAL STATEMENTS

The original work (Reeves and Duguid 1975) is followed very closely in the following statements of the problem. However, in the derivation of finite-element approximations, matrix component representation is used rather than the matrix itself. This component representation is believed more readable.

1. Governing Equations

The governing equations to describe the pressure field in a two-dimensional subsurface system are obtained from the principle of conservation of mass and Darcy's law. This can be written in the form:

$$L(h) = F \frac{\partial h}{\partial t} - \left[\frac{\partial}{\partial x} (K_{xx} \frac{\partial H}{\partial x} + K_{xz} \frac{\partial H}{\partial z}) + \frac{\partial}{\partial z} (K_{zx} \frac{\partial H}{\partial x} + K_{zz} \frac{\partial H}{\partial z}) \right] - Q = 0, \quad (1)$$

where

$$F = \frac{\theta}{n} \alpha' + \beta' \theta + \frac{d\theta}{dh}, \quad (1a)$$

and

$$H = h + z, \quad (1b)$$

in which h is the pressure head; θ is the moisture content; n is the effective porosity; α' and β' are the modified coefficients of compressibility of the medium and water, respectively; K_{xx} , K_{xz} , K_{zx} , and K_{zz} are the hydraulic conductivity tensor components; x and z are the horizontal and vertical coordinates, respectively; t is the time; Q is the artificial recharge or withdrawal; and L is an

operator. In general, Eq. (1) is nonlinear as both the soil properties, F , and hydraulic conductivity, K , are functions of the pressure head.

The initial condition of Eq. (1) is assumed to be known as:

$$h = h_0(x,z) \text{ in } R, \quad (2)$$

where h_0 is a known function of spatial coordinates, x and z . R is a region bounded by the curve $B(x,z)$ (Fig. 1). The function, h_0 , may be obtained by simulating the steady state version of Eq. (1) with time-invariant boundary conditions. Three types of boundary conditions are considered in the problem. In the first type (Dirichlet) boundary the pressure head is prescribed:

$$h = h_1(x,z,t) \text{ on } B_1, \quad (3)$$

where B_1 is a portion of B , and h_1 is a known function of time and (x,z) on B_1 . In the second type (Neumann) boundary the flux is prescribed as:

$$\begin{aligned} - \left[\left(K_{xx} \frac{\partial h}{\partial x} + K_{xz} \frac{\partial h}{\partial z} + K_{xz} \right) \cdot n_x + \left(K_{zx} \frac{\partial h}{\partial x} + K_{zz} \frac{\partial h}{\partial z} + K_{zz} \right) \cdot n_z \right] \\ = q_2 \text{ on } B_2, \end{aligned} \quad (4)$$

where n_x and n_z are the directional cosines of the outward unit vector normal to the B_2 portion of the curve B . The third type is the variable in the sense that either the Dirichlet or the Neumann conditions may prevail,

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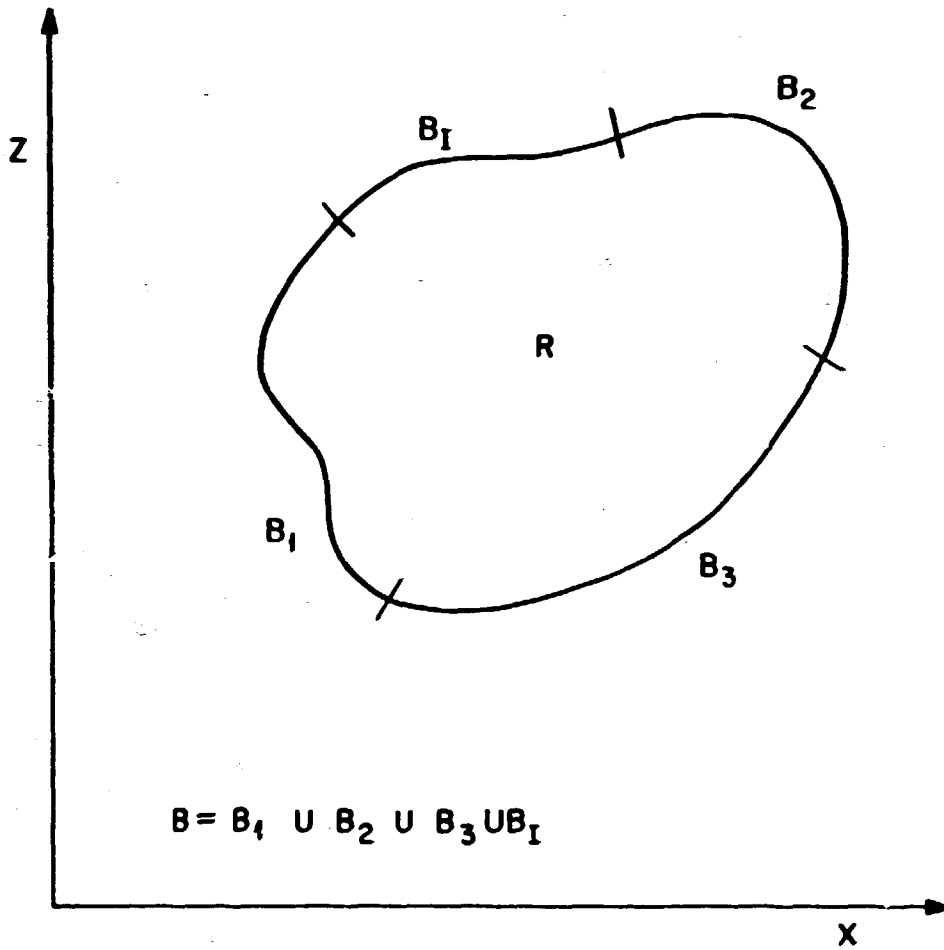


Fig. 1. Spatial boundaries of flow region, R.

$$h = h_3(x, z, t) \text{ on } B_3, \quad (5)$$

or

$$-\left[(K_{xx} \frac{\partial h}{\partial x} + K_{xz} \frac{\partial h}{\partial z} + K_{xz}) \cdot n_x + (K_{zx} \frac{\partial h}{\partial x} + K_{zz} \frac{\partial h}{\partial z} + K_{zz}) \cdot n_z \right] = q_3, \quad (6)$$

where h_3 and q_3 are two known functions of time and (x, z) on the B_3 portion of B . The boundaries, B_1 , B_2 , B_3 , and the impervious boundary, B_I , constitute the entire boundary, $B(x, z) = 0$. Initially Eq. (5) is applied to the boundary B_3 when the exact boundary conditions cannot in general be predicted a priori. Such a case would arise at the ground surface where either ponding (Dirichlet) or infiltration (Neumann) conditions could prevail (Segol 1976). This can only be determined in the cyclic process of solving Eq. (1).

After Eq. (1) is solved for the pressure head, h [subject to initial and boundary conditions, Eqs. (2) through (6)], the velocity components are then obtained by,

$$\begin{aligned} v_x &= - (K_{xx} \frac{\partial h}{\partial x} + K_{xz} \frac{\partial h}{\partial z} + K_{xz}) , \\ \text{and} \quad v_z &= - (K_{zx} \frac{\partial h}{\partial x} + K_{zz} \frac{\partial h}{\partial z} + K_{zz}) . \end{aligned} \quad (7)$$

The important modification to the original work lies in the numerical treatment of Eq. (7). Expansion is made to provide optional numerical methods for solving Eqs. (1) through (6).

2. Finite Element Approximations

Equations (1) through (6) are solved by the Galerkin finite-element method. Numerical procedures for this method have been fully addressed (Reeves and Duguid 1975), thus the theoretical basis of the method will not be repeated, only the numerical procedures are summarized. The region of interest is subdivided into an assemblage of smaller subdomains called elements. The quadrilateral bilinear element is used. Following the standard procedure of the Galerkin finite-element method, approximate formulation of the pressure head h will be obtained. Thus, let the variable h be approximated in an element e by:

$$h \approx \hat{h} = \sum_{j=1}^4 h_j(t) N_j \quad , \quad (8)$$

where N_j and h_j are the base function of element e and the amplitude of h , respectively, at nodal point j . Upon the substitution of Eq. (8) into Eq. (1) and application of the orthogonality theorem,

$$\int_{R_e} N_i L(h) dR = 0, \quad i = 1, 2, 3, 4 \quad , \quad (9)$$

one obtains the following element matrix equation for element e :

$$[M_{ij}] \{\dot{h}_j\} + [S_{ij}] \{h_j\} + \{D_i\} + \{Q_i\} = 0 \quad , \quad (10)$$

where R_e is the region of the element e , dR is the differential area, and the temporal derivative of the head, \dot{h}_i is given below:

$$\dot{h}_i = \frac{dh_i}{dt} \quad . \quad (11)$$

The matrix equation coefficients are defined as:

$$M_{ij} = \int_{R_e} N_i F N_j dR \quad , \quad (12)$$

$$S_{ij} = \int_{R_e} \left\{ \frac{\partial N_i}{\partial x} \cdot \left(K_{xx} \frac{\partial N_j}{\partial x} + K_{xz} \frac{\partial N_j}{\partial z} \right) + \frac{\partial N_i}{\partial z} \cdot \left(K_{zx} \frac{\partial N_j}{\partial x} + K_{zz} \frac{\partial N_j}{\partial z} \right) \right\} dR \quad , \quad (13)$$

$$D_i = \int_{R_e} \left\{ K_{xz} \frac{\partial N_i}{\partial x} + K_{zz} \frac{\partial N_i}{\partial z} - Q \right\} dR \quad , \quad \text{and} \quad (14)$$

$$Q_i = \int_{B_{e2}} N_i q_2 dB + \int_{B_{e3}} N_i \cdot q_3 dB \quad , \quad (15)$$

in which B_{e2} and B_{e3} are the boundaries of the element e , coinciding with the global boundaries B_2 and B_3 , respectively. The first term in Eq. (15) appears only for those elements having one or more sides on B_2 and the integration is carried only over B_2 . Similarly, the second term in that equation appears only for those elements having one or more sides on B_3 , and boundary condition Eq. (6) rather than (5) is prevailing.

In the original work (Reeves and Duguid 1975), the velocity components in Eq. (7) were approximated as

$$V_x = - \left(K_{xx} \frac{\partial N_j}{\partial x} + K_{xz} \frac{\partial N_j}{\partial z} \right) h_j - K_{xz} \quad ,$$

and

$$V_z = - \left(K_{zx} \frac{\partial N_j}{\partial x} + K_{zz} \frac{\partial N_j}{\partial z} \right) h_j - K_{zz} \quad . \quad (16)$$

This formulation results in a velocity field which is not continuous at element boundaries and nodal points if the variation of the pressure head is other than linear or constant. The alternative approach would be to apply the Galerkin technique to Eq. (7), thus one obtains

$$[S'_{ij}] \{V_{xj}\} = \{D_{xi}\} ,$$

and (17)

$$[S'_{ij}] \{V_{zj}\} = \{D_{zi}\} ,$$

where

$$S'_{ij} = \int_{R_e} N_i N_j dR , \quad (18)$$

$$D_{xi} = - \int_{R_e} N_i \left\{ K_{xx} \frac{\partial N_j}{\partial x} h_j + K_{xz} \frac{\partial N_j}{\partial z} h_j + K_{xz} \right\} dR , \quad (19)$$

and

$$D_{zi} = - \int_{R_e} N_i \left\{ K_{zx} \frac{\partial N_j}{\partial x} h_j + K_{zz} \frac{\partial N_j}{\partial z} h_j + K_{zz} \right\} dR . \quad (20)$$

Referring to the element mass matrix (the matrix associated with the time-derivative term) in Eq. (10), one may recall that this is a unit matrix if the finite-difference formulation is adopted in spatial discretization. Hence, by proper scaling, the mass matrix can be reduced to the finite-difference equivalent by lumping (Clough 1971). In many occasions, the lumped mass matrix would result in better

solution, in particular, if it is used in conjunction with the central or backward-difference time marching (Gureghian et al. 1978). Under such circumstances, it is preferred to the consistent mass matrix (mass matrix without lumping). Therefore, an option is provided for the lumping of matrix M_{ij} . More explicitly, M_{ij} will be lumped according to

$$M_{ii} = \sum_{j=1}^4 \int_{R_e} FN_i N_j dR \text{ (no summation over } i) , \quad (21)$$

and

$$M_{ij} = 0 \text{ if } i \neq j . \quad (22)$$

3. Time-Marching Methods

An important advantage in finite-element approximation over the finite-difference approximation is the inherent ability to handle complex boundaries and obtain the normal derivatives therein. In the time dimension, such advantages are not evident. Thus, the finite-difference methods are typically used in the approximation of the time derivative. Three time-marching methods are adopted in the present water flow model. In the first one, the central or Crank-Nicolson formulation may be written as:

$$\begin{aligned} [M_{ij}] (\{h_j\}_{t+\Delta t} - \{h_j\}_t) / \Delta t + \frac{1}{2} [S_{ij}] (\{h_j\}_{t+\Delta t} + \{h_j\}_t) + \\ \{D_i\} + \{Q_i\} = 0 , \end{aligned} \quad (23)$$

where $\{M_{ij}\}$, $\{S_{ij}\}$, $\{D_i\}$, and $\{Q_i\}$ are evaluated at $(t + \Delta t/2)$.

In the second method the backward difference formulation may be written as:

$$[M_{ij}] (\{h_j\}_{t + \Delta t} - \{h_j\}_t) / \Delta t + [S_{ij}] \{h_j\}_{t + \Delta t} + \{D_i\} + \{Q_i\} = 0 \quad (24)$$

where $[M_{ij}]$, $[S_{ij}]$, $\{D_i\}$, and $\{Q_i\}$ are evaluated at $t + \Delta t$. In the third optional method, the values of the unknown variables assumed to vary linearly with time during the time interval, Δt . In this mid-difference method, the recurrence formula is written as:

$$(2[M_{ij}] / \Delta t + [S_{ij}]) \{h_j\}_{t + \Delta t/2} - \frac{2}{\Delta t} [M_{ij}] \{h_j\}_t + \{D_i\} + \{Q_i\} = 0 \quad (25)$$

and

$$\{h_j\}_{t + \Delta t} = 2\{h_j\}_{t + \Delta t/2} - \{h_j\}_t \quad (25a)$$

where $[M_{ij}]$, $[S_{ij}]$, $\{D_i\}$, and $\{Q_i\}$ are all evaluated at $t + \Delta t/2$.

This option has been shown superior to the central or backward-difference formulation, if the mass matrix is not lumped (Gureghian et al. 1978).

In summary, all element matrix equations presented in this section can be written as:

$$[C_{ij}] \{h_j\} = \{R_i\} - \{Q_i\} \quad (26)$$

where $[C_{ij}]$ is the element coefficient matrix, $\{h_j\}$ is the unknown vector to be found, and $\{R_i\}$ is the element load vector. Take, for example, Eq. (24). $[C_{ij}]$, $\{h_j\}$, and $\{R_i\}$ represent the following:

$$[C_{ij}] = [M_{ij}]/\Delta t + [S_{ij}] \quad (24a)$$

$$\{h_j\} = \{h_j\}_t + \Delta t \quad (24b)$$

and

$$\{R_j\} = ([M_{ij}]/\Delta t) \{h_j\}_t - \{D_i\} \quad (24c)$$

respectively.

4. Numerical Integration

For a quadrilateral element with four corner nodes, a bilinear polynomial base function for the i -th node may be written in terms of local normalized coordinates as:

$$N_i = \frac{1}{4} (1 + \xi \xi_i) (1 + \eta \eta_i) \quad i = 1, 2, 3, 4 \quad (27)$$

where ξ_i and η_i are the local coordinates of the corner nodes, which are numbered 1 to 4 progressing around the element in a counterclockwise direction as shown in Fig. 2. The element is square in the local coordinate system regardless of the shape of the quadrilateral in the global coordinates. The global coordinates at any point within the element e are given in terms of local coordinates by the relationships

$$x = \sum_{j=1}^4 x_j N_j$$

and

(28)

$$z = \sum_{j=1}^4 z_j N_j \quad ,$$

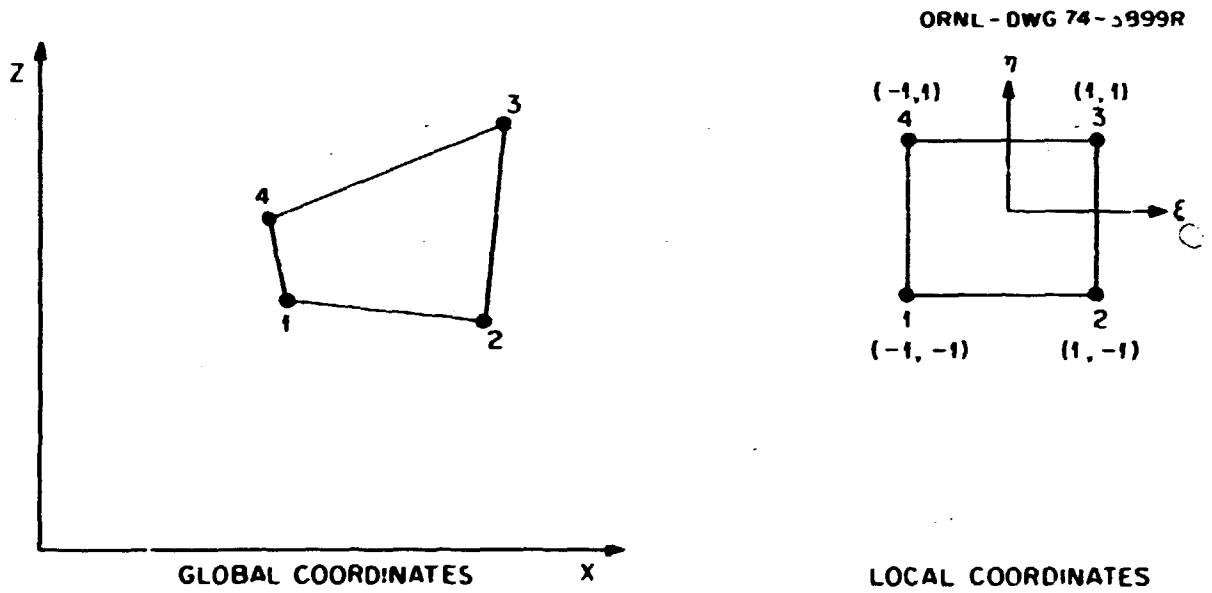


Fig. 2. A typical finite element in global and local coordinates.

where x_j and z_j are the global coordinates of the nodes and N_j is the shape function evaluated at the local coordinates, ξ and η . The shape function, N_j , of the coordinate transformation is taken the same as the basis function; hence, this element formulation is termed isoparametric. The Jacobian for the transformation from global to the local coordinates is expressed as:

$$[J] = \begin{bmatrix} \frac{\partial x}{\partial \xi} & \frac{\partial z}{\partial \xi} \\ \frac{\partial x}{\partial \eta} & \frac{\partial z}{\partial \eta} \end{bmatrix} . \quad (29)$$

Substitution of Eq. (28) into the determinant of this expression yields:

$$J = \text{Det } [J] = (x_j \frac{\partial N_j}{\partial \xi}) \cdot (z_k \frac{\partial N_k}{\partial \eta}) - (z_j \frac{\partial N_j}{\partial \xi}) \cdot (x_k \frac{\partial N_k}{\partial \eta}) . \quad (30)$$

The integrals of Eqs. (12-14) and (18-19) over the area of the e-th finite element may be written in local coordinates using the determinant of the Jacobian to transform the elemental area:

$$M_{ij} = \int_{-1}^1 \int_{-1}^1 N_i F N_j J d\eta d\xi , \quad (31)$$

$$S_{ij} = \int_{-1}^1 \int_{-1}^1 \left\{ \frac{\partial N_i}{\partial x} \left(K_{xx} \frac{\partial N_j}{\partial x} + K_{xz} \frac{\partial N_j}{\partial z} \right) + \frac{\partial N_i}{\partial z} \left(K_{zx} \frac{\partial N_j}{\partial x} + K_{zz} \frac{\partial N_j}{\partial z} \right) \right\} J d\xi d\eta , \quad (32)$$

and

$$D_i = \int_{-1}^1 \int_{-1}^1 \left\{ K_{xz} \frac{\partial N_i}{\partial x} + K_{zz} \frac{\partial N_i}{\partial z} - Q \right\} J d\xi d\eta, \quad (33)$$

$$S_{ij}' = \int_{-1}^1 \int_{-1}^1 N_i N_j J d\xi d\eta, \quad (34)$$

$$D_{xi} = - \int_{-1}^1 \int_{-1}^1 N_i \left\{ K_{xx} \frac{\partial N_j}{\partial x} h_j + K_{xz} \frac{\partial N_j}{\partial z} h_j + K_{xz} \right\} J d\xi d\eta, \quad (35)$$

and

$$D_{zi} = - \int_{-1}^1 \int_{-1}^1 N_i \left\{ K_{zx} \frac{\partial N_j}{\partial x} h_j + K_{zz} \frac{\partial N_j}{\partial z} h_j + K_{zz} \right\} J d\xi d\eta. \quad (36)$$

Integration of these equations is easily performed using 2 x 2 Gaussian integration. A linear algebraic equation, Eq. (26), results since $\{Q_j\}$ is a function of time only and the matrices, $[M_{ij}]$ and $[S_{ij}]$, and the vector $\{D_i\}$ are evaluated for the previous iteration and time step.

In order to evaluate $[S_{ij}]$, $\{D_i\}$, $\{R_{xi}\}$, and $\{R_{zi}\}$, expressions for the spatial derivative of the interpolation function and weighting function are necessary. The chain rule:

$$\begin{pmatrix} \frac{\partial}{\partial \xi} \\ \frac{\partial}{\partial \eta} \end{pmatrix} = [J] \begin{pmatrix} \frac{\partial}{\partial x} \\ \frac{\partial}{\partial z} \end{pmatrix}, \quad (37)$$

may be inverted to yield

$$\begin{pmatrix} \frac{\partial}{\partial x} \\ \frac{\partial}{\partial z} \end{pmatrix} = \frac{1}{J} \cdot \begin{bmatrix} \frac{\partial z}{\partial \eta} & - \frac{\partial z}{\partial \xi} \\ \frac{\partial x}{\partial \eta} & \frac{\partial x}{\partial \xi} \end{bmatrix} \begin{pmatrix} \frac{\partial}{\partial \xi} \\ \frac{\partial}{\partial \eta} \end{pmatrix}, \quad (38)$$

using the definition of $[J]$ in Eq. (29).

When the top row of Eq. (38) is applied to the base function, N_i , the following is obtained:

$$\frac{\partial N_i}{\partial x} = \frac{1}{J} \left[\left(z_j \frac{\partial N_j}{\partial \eta} \right) \cdot \frac{\partial N_i}{\partial \xi} - \left(z_j \frac{\partial N_j}{\partial \xi} \right) \cdot \frac{\partial N_i}{\partial \eta} \right]. \quad (39)$$

Similarly,

$$\frac{\partial N_i}{\partial z} = \frac{1}{J} \left[\left(x_j \frac{\partial N_j}{\partial \eta} \right) \cdot \frac{\partial N_i}{\partial \xi} + \left(x_j \frac{\partial N_j}{\partial \xi} \right) \cdot \frac{\partial N_i}{\partial \eta} \right]. \quad (40)$$

Equations (39) and (40) are in a form suitable for numerical integration. The derivatives of N_i with respect to ξ and η can be obtained by the partial derivation of Eq. (27).

5. Assembly of the Element Matrix

Equation (26) is evaluated for each element, and the direct stiff method is adopted to assemble the terms to form a system of algebraic equations as:

$$[T_{ij}] \{h_j\} = \{X_i\} - \{B_i\} = \{Y_i\}, \quad (41)$$

where $[T_{ij}]$ is the global coefficient matrix and $\{Y_i\}$ is the global load vector. The detailed discussion of the assembly of the element

matrix into a global matrix has been presented (Desai and Abel 1972, Reeves and Duguid 1975).

6. Application of Boundary Conditions

Surfaces on which the Neumann-type boundary conditions, Eqs. (4) or (6), are imposed yield pressure-independent entries in the element column matrix $\{Q_i\}$. These entries are evaluated by direct application of substituting Eqs. (4) or (6) into Eq. (15) to yield element normal fluxes. This is followed by assembling over all boundary elements having one or more sides on the boundaries B_2 or B_3 of B to yield a global column matrix $\{B_i\}$. The results are subtracted from the $\{X_i\}$ to form $\{Y_i\}$.

At nodes where Dirichlet boundary conditions are applied, an identity equation is generated for each node and included in the matrices of Eq. (41). The detailed method of applying this type of boundary conditions can be found elsewhere (Wang and Connor 1975). Computationally, this is done as shown in Fig. 3. If the k -th variable is prescribed, the k -th column in the coefficient matrix, $[T_{ij}]$, is stored. The k -th row and column in $[T_{ij}]$ are set to zero and the diagonal entry set equal to one. The stored column matrix is multiplied by the prescribed value of Y^* and subtracted from the right-hand side of Eq. (41). This procedure effectively replaces the k -th equation by the prescribed constraint.

7. Solution of the Assembled Equations

In solving the assembled equations expressed in Eq. (41), the matrix $[T_{ij}]$ is decomposed into the product of upper and lower

$$\begin{bmatrix}
 T_{11} & \dots & T_{1,k-1} & 0 & T_{1,k+1} & \dots & T_{in} \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 T_{k-1,1} & \dots & T_{k-1,k-1} & 0 & T_{k-1,k+1} & \dots & T_{k-1,n} \\
 0 & \dots & 0 & 1 & 0 & \dots & 0 \\
 T_{k+1} & \dots & T_{k+1,k-1} & 0 & T_{k+1,k+1} & \dots & T_{k+1,n} \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 T_{n,1} & \dots & T_{n,k-1} & 0 & T_{n,k+1} & \dots & T_{nn}
 \end{bmatrix}
 \begin{pmatrix}
 h_1 \\
 \cdot \\
 \cdot \\
 \cdot \\
 h_{k-1} \\
 h_k \\
 h_{k+1} \\
 \cdot \\
 \cdot \\
 h_n
 \end{pmatrix}
 =
 \begin{pmatrix}
 Y_1 \\
 \cdot \\
 \cdot \\
 \cdot \\
 Y_{k-1} \\
 0 \\
 Y_{k+1} \\
 \cdot \\
 \cdot \\
 Y_n
 \end{pmatrix}$$

$$- \begin{bmatrix}
 0 & \dots & 0 & T_{1k} & 0 & \dots & 0 \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 0 & \dots & 0 & T_{k-1,k} & 0 & \dots & 0 \\
 0 & \dots & 0 & -1 & 0 & \dots & 0 \\
 0 & \dots & 0 & T_{k+1,k} & 0 & \dots & 0 \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 \cdot & & \cdot & \cdot & \cdot & & \cdot \\
 0 & \dots & 0 & T_{nk} & 0 & \dots & 0
 \end{bmatrix}
 \begin{pmatrix}
 0 \\
 \cdot \\
 \cdot \\
 \cdot \\
 0 \\
 Y^* \\
 0 \\
 \cdot \\
 \cdot \\
 \cdot \\
 0
 \end{pmatrix}$$

Fig. 3. Application of Dirichlet boundary conditions.

triangular matrices using the Crout-Dolittle method. The lower triangular matrix is used to modify the right-hand side $\{Y_i\}$ for back-substitution into the upper triangular matrix to obtain a solution. If the matrix $[T_{ij}]$ and the time step, Δt , do not significantly change with time, the decomposition needs to be performed only once, and iteration is unnecessary. Typically in the unsaturated soil-moisture zone such a time-saving device cannot be used and decomposition is necessary for each time step and each iteration.

8. Mass Balance Computation

The mass balance over the whole region of interest is obtained by integrating Eq. (1):

$$\int_R \frac{F}{\partial t} dR = \int_B F_n dB, \quad (42)$$

where F_n is the normal flux through the global boundary $B(x,z) = 0$.

In fact, F_n denotes:

$$F_n = \left[(K_{xy} \frac{\partial h}{\partial x} + K_{xz} \frac{\partial h}{\partial z} + K_{xz}) \cdot n_x + (K_{zx} \frac{\partial h}{\partial x} + K_{zz} \frac{\partial h}{\partial z} + K_{zz}) \cdot n_z \right]. \quad (43)$$

Having obtained the pressure-head field, h , one could integrate the right- and left-hand sides of Eq. (42) independently. If the solution for h is free of error, one would expect the equality of two integrals. In the present report, the integral of the right-hand side is broken into several components:

$$F_D = \int_{B_1} F_n dB \quad , \quad (44)$$

$$F_N = \int_{B_2} F_n dB \quad , \quad (45)$$

$$F_S = \int_{B_{3S}} F_n dB \quad , \quad (46)$$

$$F_R = \int_{B_{3R}} F_n dB \quad , \quad \text{and} \quad (47)$$

$$F_I = \int_{B_I} F_n dB \quad , \quad (48)$$

where F_D , F_N , F_S , F_R , and F_I represent the fluxes through the constant Dirichlet boundary, B_1 ; the constant Neumann boundary, B_2 ; the seepage boundary, B_{3S} ; the rainfall-infiltration boundary, B_{3R} ; and the impervious Neumann boundary, B_I ; respectively. On the other hand, the integral on the left-hand side of Eq. (42),

$$F_V = \int_R F \frac{\partial h}{\partial t} dR \quad , \quad (49)$$

represents the volumetric increasing rate of the moisture content in the region. In the model developed earlier (Reeves and Duguid 1975), this term was evaluated by

$$F_V = \int_R \frac{\partial \theta}{\partial t} dR \quad , \quad (50)$$

For exact solution, the net flux across the whole boundary, $B(x,z) = 0$, defined by

$$F_{\text{net}} = F_D + F_N + F_S + F_R + F_I \quad , \quad (51)$$

should satisfy the following equation

$$F_{\text{net}} = F_V \quad . \quad (52)$$

In addition, F_I should theoretically be equal to zero. However, in any practical numerical simulation, Eq. (52) will not be satisfied and F_I will be non-zero. Nevertheless, the mass balance computation should provide a means to check the numerical scheme and the consistence in computer code.

9. Numerical Treatment of Nonlinear Terms

In computing the element matrices, nonlinear terms as function of pressure head, h , are encountered. Take for example, the following equation:

$$M_{ij} = \int_{R_e} N_i F N_j \, dR \quad , \quad (53)$$

where F is, of course, a function of h , i.e., $F = F(h)$.

Reeves and Duguid (1975) adopted the following approximation for F as

$$F(x,y) \approx \sum_{i=1}^4 F_i N_i (\xi, \eta) \quad , \quad (54)$$

where F_i is the value of F at nodal point i and was evaluated by $F_i = F(h_i)$. This approach will yield large error when the variation of F with h is rapid unless the element size is set very small. A consistent approach should be:

$$F(x,y) \approx F \left(\sum_{i=1}^4 h_i N_i (\xi, \eta) \right) . \quad (55)$$

In our revised model we have employed the approach shown in Eq. (55) whenever nonlinear terms are encountered. It is worth noting that the nodal values of h should be used to interpolate for the field values of h . The field values of any other h -dependent variables may then be computed as a function of h . Nodal values of h -dependent variables, computed by the nodal values of h , cannot be used to interpolate for the field values of such variables without risk of significant error.

10. Alternative Numerical Schemes

To conclude this chapter, Table 1 lists six alternative numerical schemes used in this report. They are dependent on the method of time-marching and the treatment of mass matrix. For example, scheme 1 uses the central difference time-marching with no lumping on the mass matrix.

Table 1. Listing of alternative numerical schemes

	Time-marching			Mass matrix	
	Central	Backward	Mid-difference	No lumping	Lumping
1	X			X	
2		X		X	
3	X				X
4		X			X
5			X	X	
6			X		X

III. COMPUTER PROGRAM MODIFICATION AND EXPANSION

The overall program organization is shown in Fig. 4a and b. Except for the name of subroutines, the original computer code (Reeves and Duguid 1975) has been almost completely overhauled. The overhaul is necessary to accomplish: (1) the application of the finite-element method to the Darcy's law, (2) the provision of six alternative numerical schemes, (3) the modification of computing the volumetric integral of the moisture-content changing rate, (4) the computation of nonlinear terms, (5) the reduction of storage by compressing all arrays of the boundary variables, and (6) the adoption of variable array in all subroutines.

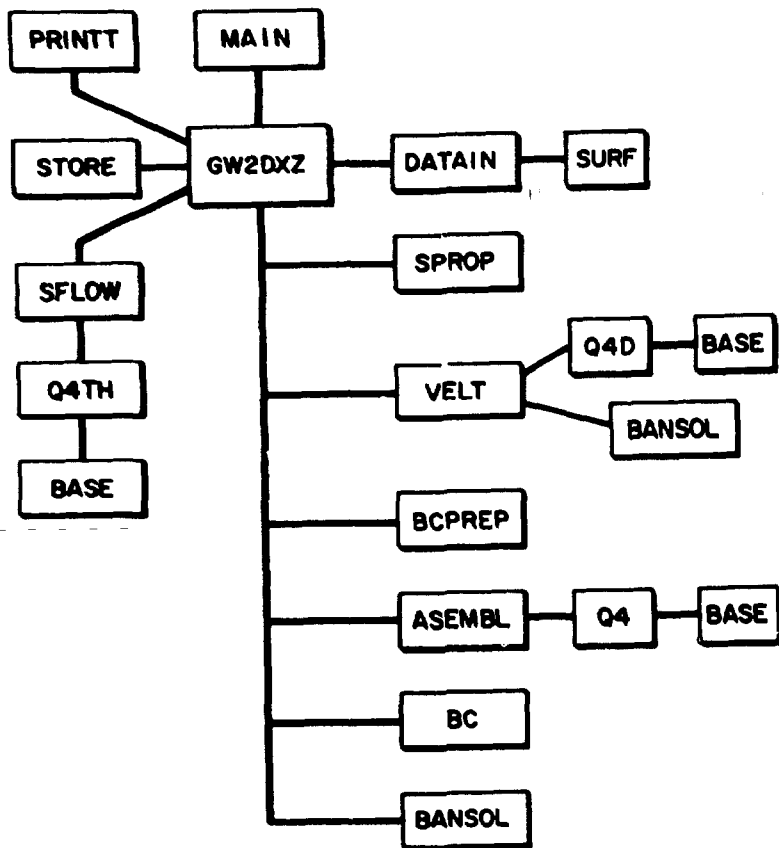
A short main program is written to dimensionalize and initialize all arrays and to specify the maximum dimension in each of the arrays. The program is then passed to the subroutine, GW2DXZ, which was the main program in the computer code developed earlier (Reeves and Duguid 1975).

Subroutine DATAIN has been substantially reduced by getting rid of the duplication of codes that serve to read the steady state and transient boundary conditions. The compression of the arrays, specifying seepage-rainfall, Dirichlet boundary, and surface source term (or Neumann boundary) conditions, has been carried out also in the subroutine DATAIN. The compression of boundary elements and nodes is performed in the subroutine SURF.

The subroutines VELT and Q4D have been rewritten. VELT in the revised model is used to sum over the element matrix $[S_{ij}]$, and

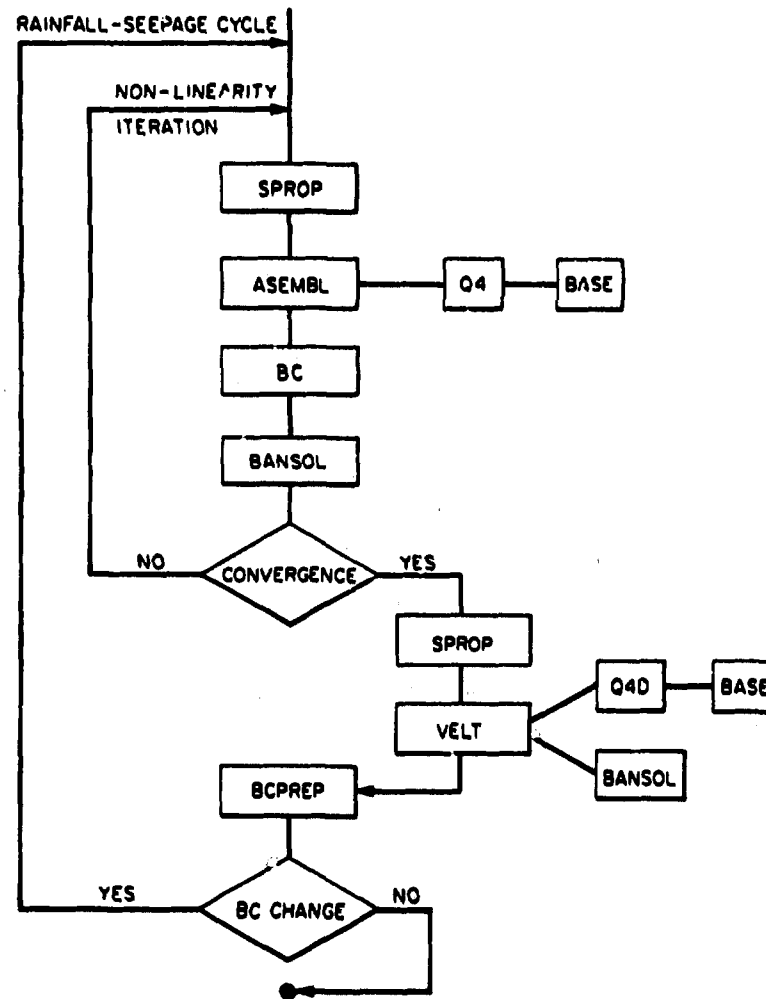
(a)

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(b)

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Fig. 4. (a) Subroutine chart of the computer code, (b) Nonlinearity and rainfall-seepage iteration loops in FEOWATER computer code.

element load vectors $\{D_{xi}\}$ and $\{D_{zi}\}$, to form a global system of algebraic equations governing the velocity components, V_x and V_z , respectively. The subroutine subsequently calls BANSOL to yield the solution. Q4D is called by VELT to evaluate the element matrix $[S'_{ij}]$ and element load vectors $\{D_{xi}\}$ and $\{D_{zi}\}$. The computed continuous velocity is then returned to the calling subroutine GW2DXZ through the argument. This velocity field is then passed to the subroutine BCPREP to evaluate the Darcy's flux across the seepage-rainfall surface to ascertain the changing boundary conditions. BCPREP and SFLOW no longer call Q4S to calculate the velocity at the Gaussian point on the element boundary for obtaining the flux across the boundary surfaces. Instead, the velocity at Gaussian points is computed from the velocity field at nodal points by interpolation according to the principle of the finite-element method.

The subroutine ASSEMBL was modified to incorporate the mid-difference options and a new subroutine BASE was programmed to evaluate the basis functions at Gaussian point. The subroutine BASE was called by the subroutines, Q4, Q4D, and Q4TH. The options of lumping or no-lumping were decided in the subroutine Q4. Subroutine BC is the one with least change. It is altered only to accommodate the variable arrays. The standard subroutine, BANSOL, remains intact.

Subroutines SFLOW and Q4TH were changed to compute the new way of evaluating the volumetric integral of moisture-content changing rate. It will be seen that the new method better preserves the conservation of mass. Subroutines PRINTT and STORE are modified for better display

on printout and selectively storing the dynamic variables and additional information of boundary elements and nodes on Disk Unit 2. To store the information of boundary elements and nodes eliminates the need for the subroutine SURF in the new waste transport model (Yeh and Ward 1979).

IV. RESULTS

Two sample problems are made to compare the results from the original model (Reeves and Duguid 1975) and the revised model. The first example is the seepage pond problem described in ORNL-4928 (Duguid and Reeves 1976). The second one is the Freeze's transient problem reported in ORNL-4927 (Reeves and Duguid 1975). In addition, results by all six alternative numerical schemes are compared in both examples.

1. Seepage Pond Problem

A seepage pond is assumed to situate entirely in the unsaturated zone above the water table. This pond provides a source of water which infiltrates into the subsurface aquifers. After the water reaches the water table, it flows toward a stream (Fig. 5). It is further assumed that the system is composed of a highly permeable sand with soil properties shown in Fig. 6. For the finite-element computation, the entire region is discretized by 595 nodal points and 528 elements (Fig. 5). Seven nodal points on the stream-soil interface are designated as Dirichlet nodes (Fig. 5). Seven nodal points on the bottom of the seepage pond, namely, nodal point nos. 152, 164, 172, 180, 188, 196, and 207, are considered as constant Neuman flux points and are assigned a constant infiltration rate of 4.0×10^{-4} cm/sec. The top sides of all elements on the sloping surface, except the two elements immediately to the right of the seepage pond, are considered the seepage-rainfall boundary surface. In other words, the nodal points

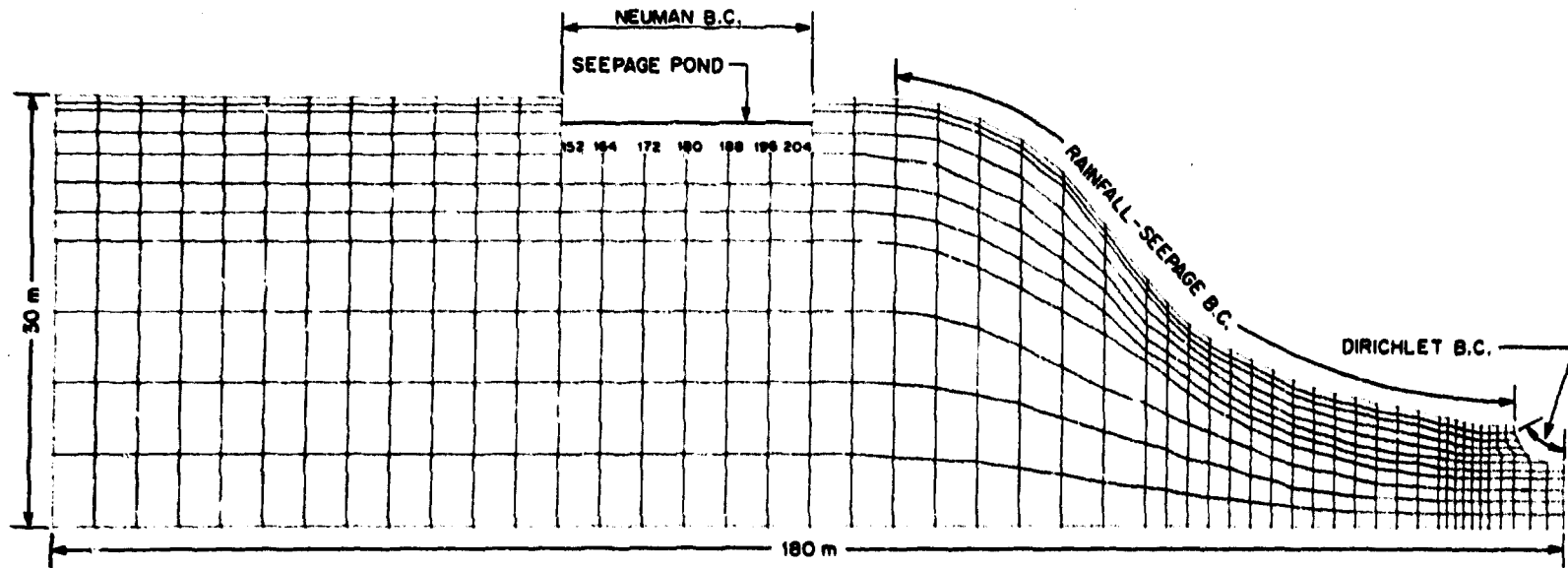


Fig. 5. Spatial discretization of the seepage pond problem.

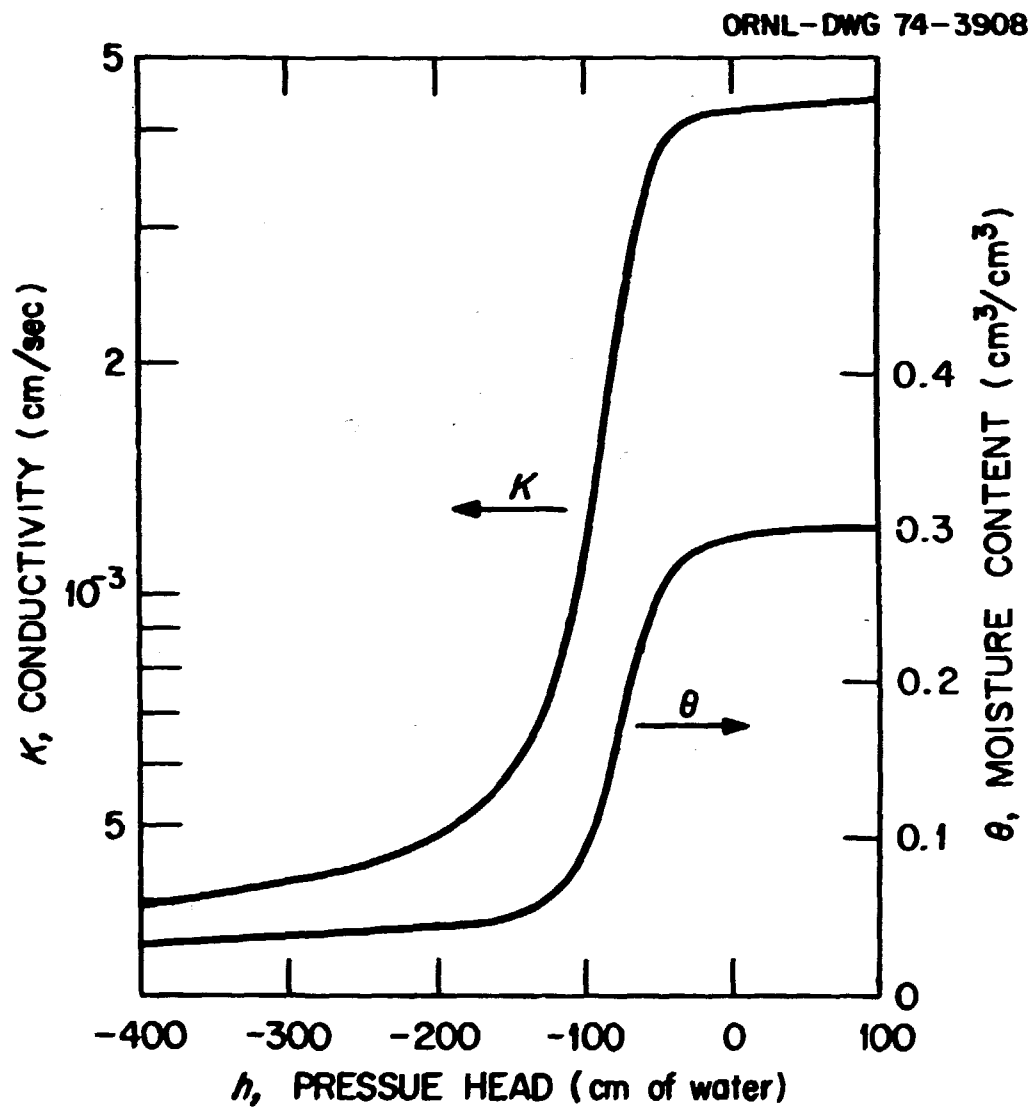


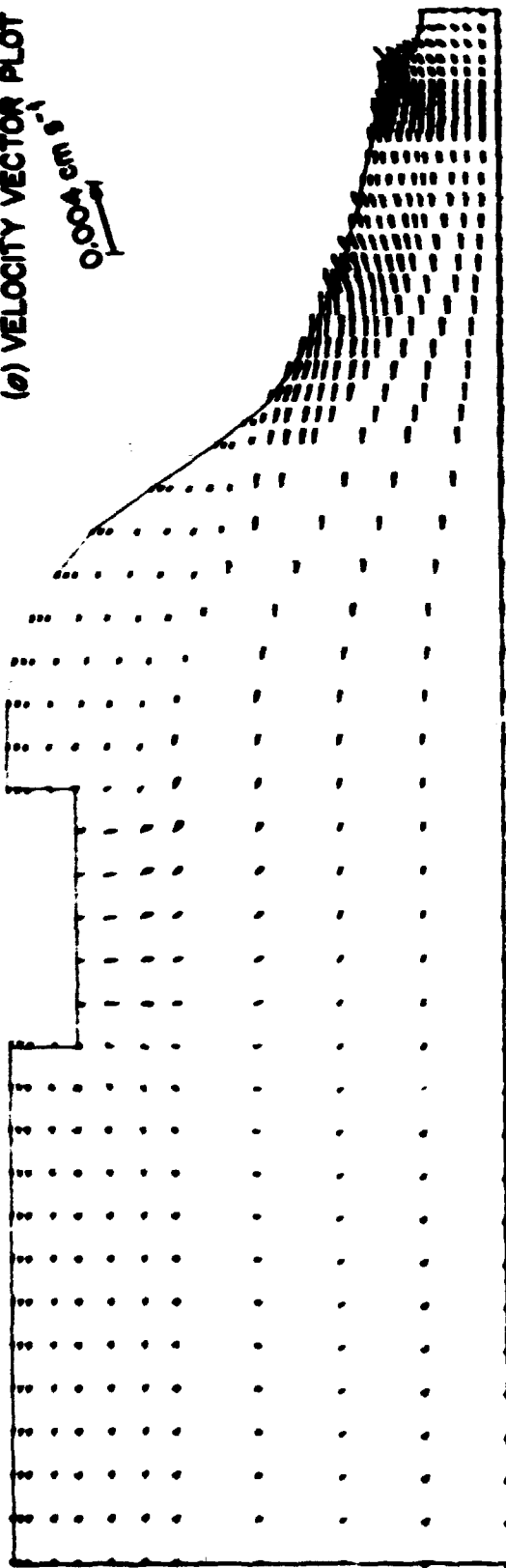
Fig. 6. Hydraulic conductivity and soil-moisture characteristics of a hypothetical sandy soil.

on this surface are either Dirichlet or Neumann points with the infiltration rate equal to the excess rainfall rate.

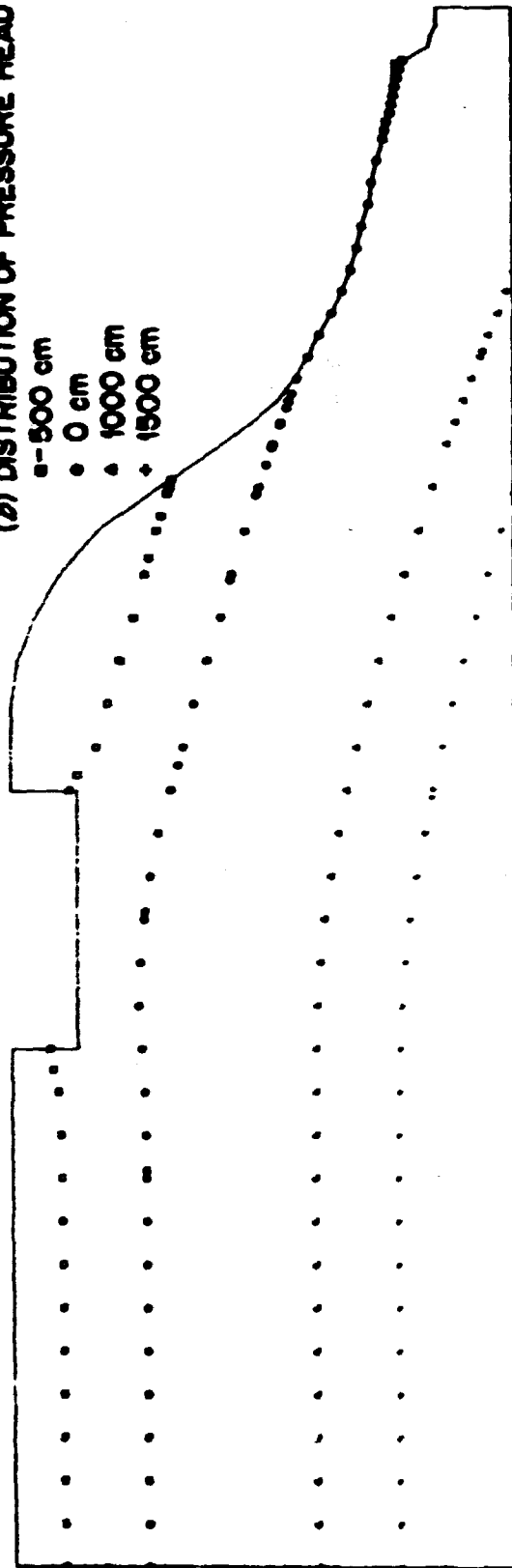
Figures 7a-d show the Darcy's velocity vector plot and the distribution of pressure head, total head, and moisture content as simulated by the original model (Reeves and Duguid 1975). Figures 8a-d depict those simulated by the present revised model. It is seen that two models yield almost identical results in pressure head, total head, and moisture content. However, the velocity field computed by the original code shows the discontinuity at every nodal point as can be seen from Fig. 7a, which illustrates the nonunique velocity vector at all nodal points. The severity of the discontinuity depends on the location ranging from several hundred percent to negligible. This discontinuity is completely eliminated with the revised model as can be seen from Fig. 8a. Figure 8a shows the unique velocity vector at all nodal points. Table 2 shows the comparison of the computed Darcy's velocity components simulated by the original and the revised models, respectively, for three selective nodal points. These three sample points are taken randomly from computer output to illustrate the difference when two codes are used. It is seen that at nodal point no. 2, the vertical velocity component as computed from element no. 2 is about 2.58 times that computed from element no. 1. The values of the horizontal component, V_x , at nodal point no. 179 as computed from element nos. 159 and 160 are about 1.41 times those computed from element nos. 152 and 153; while the values of the vertical component, V_z , at the same point as computed from element nos. 153 and 160 are about 4.69 times those computed from element nos. 152 and 159. At nodal

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(a) VELOCITY VECTOR PLOT



(b) DISTRIBUTION OF PRESSURE HEAD



(c) DISTRIBUTION OF TOTAL HEAD



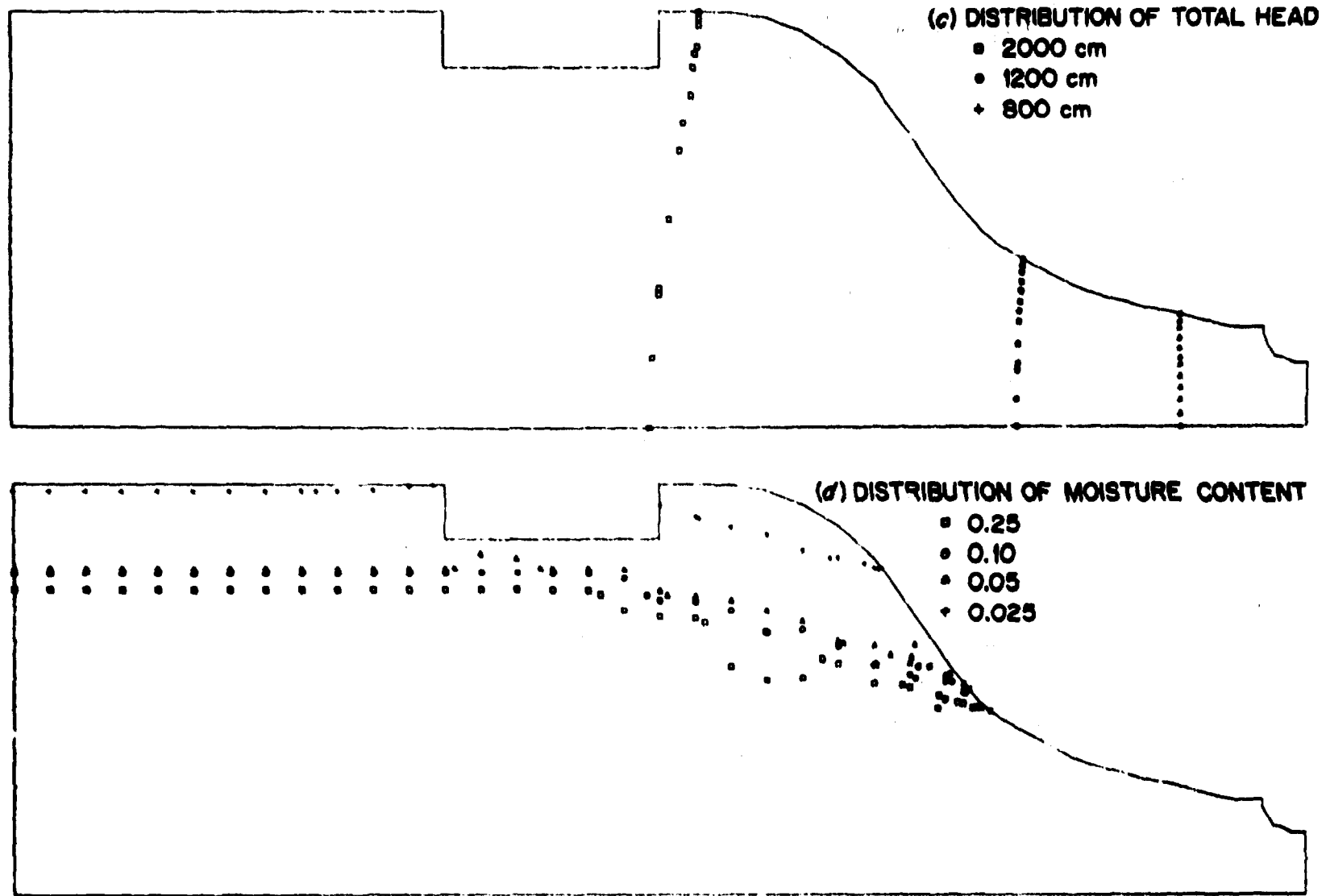
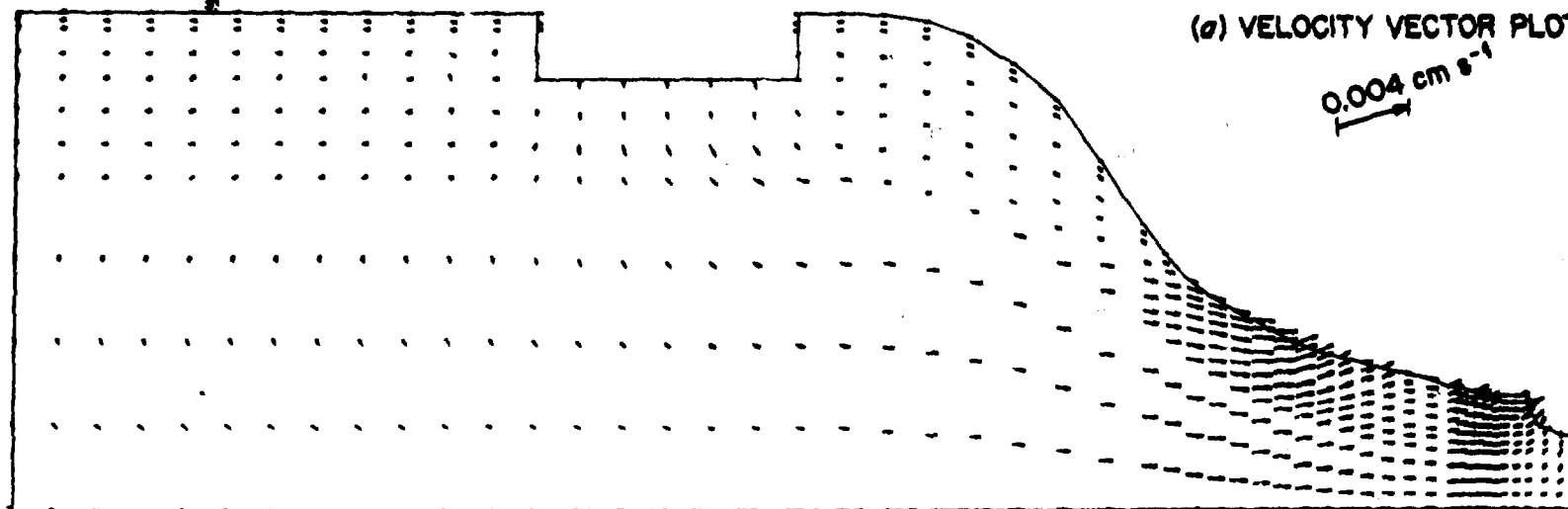


Fig. 7. Flow variables of seepage pond as simulated by Reeves and Duguid model: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

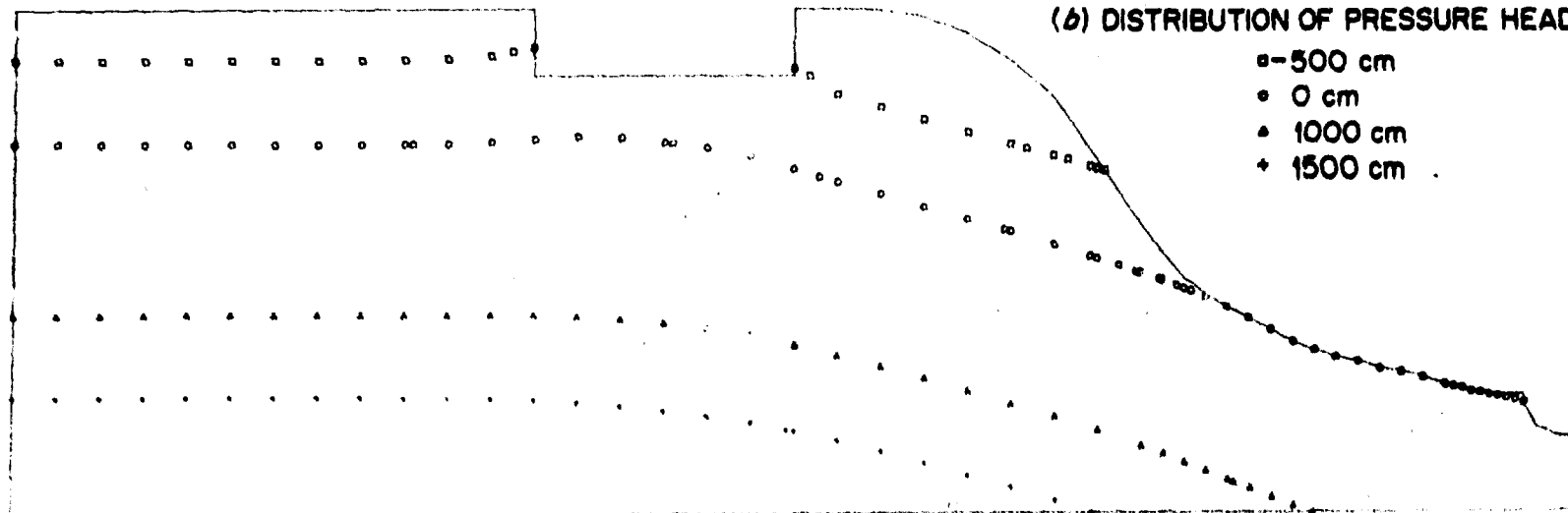
ORNL-DWG 79-13080

(a) VELOCITY VECTOR PLOT



0.004 cm s^{-1}

(b) DISTRIBUTION OF PRESSURE HEAD



- - 500 cm
- - 0 cm
- ▲ - 1000 cm
- ✦ - 1500 cm

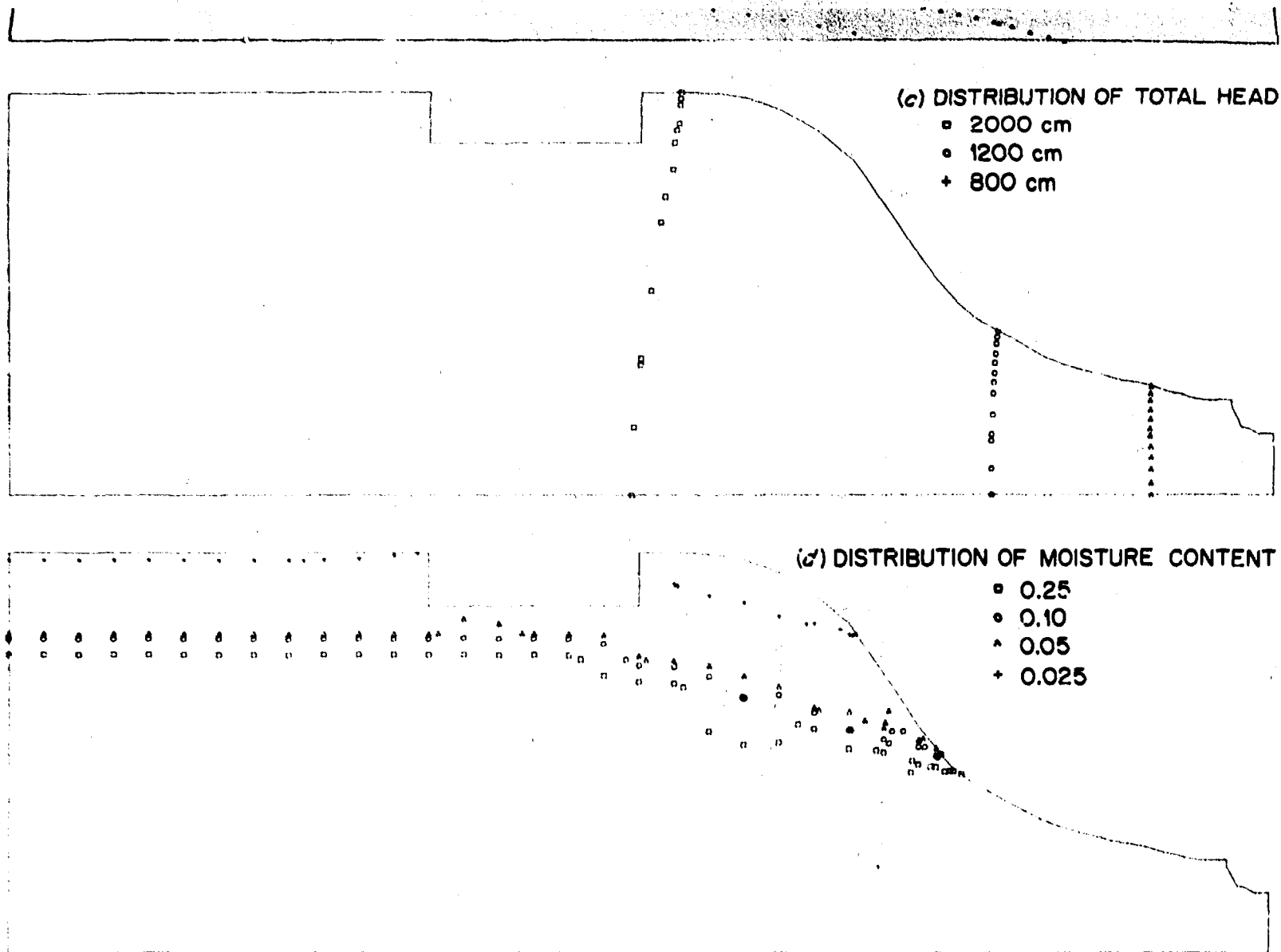


Fig. 8. Flow variables of seepage pond as simulated by present model: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

Table 2. Comparison of velocity components simulated by the original and revised codes, respectively, at selected points

Node no.	Element no.	Original code		Revised code	
		V_x (cm s ⁻¹)	V_z (cm s ⁻¹)	V_x (cm s ⁻¹)	V_z (cm s ⁻¹)
2	1	2.33E-8	-2.53E-8	1.24E-8	-4.44E-8
	2	2.33E-8	-6.54E-8	1.24E-8	-4.44E-8
	152	2.26E-5	-9.15E-5	3.03E-5	-2.94E-4
179	153	2.26E-5	-4.31E-4	3.03E-5	-2.94E-4
	159	3.31E-5	-9.15E-5	3.03E-5	-2.94E-4
	160	3.31E-5	-4.31E-4	3.03E-5	-2.94E-4
587	521	6.28E-5	1.85E-4	1.23E-5	1.84E-4
	522	6.28E-5	2.36E-4	1.23E-5	1.84E-4
	528	7.89E-10	1.85E-4	1.23E-5	1.84E-4

point no. 587, the vertical velocity component, V_z , as computed from element no. 522 is about 1.27 times that computed from element nos. 521 and 528. On the other hand, results from the revised model show that the values of velocity components are identical at the same point, which is the case one should expect. Fig. 8 is the plot of computer output with numerical scheme no. 2. Since the steady state solution is sought, numerical scheme nos. 1, 3, 4, 5, and 6 yield identical results as expected.

2. Freeze Transient Problem

A very small laboratory-sized watershed measuring 6 x 3 m was presented by Freeze (1972) to test his finite-difference computer code. The same watershed was also used by Reeves and Duguid (1975) to debug and test their finite-element model. This watershed is again employed in the present report to compare our revised finite-element model with the Reeves and Duguid's original model (1975).

The flow system is shown in Fig. 9. It is composed of highly permeable sand, the unsaturated properties of which were shown in Fig. 6. To obtain initial conditions, pressure-head values were prescribed along the stream channel, part of the slope, and the upper plateau. Taking all other boundaries to be impermeable, a steady state solution was determined which was the initial condition for the transient calculation.

Using Freeze's transient boundary condition (Fig. 9b) and Reeves and Duguid's finite-element discretization #2 (Fig. 9c), selected results obtained by the original and revised models are presented in Figs. 10 and 11, respectively. Again, almost identical pressure head, total head, and moisture-content distributions are obtained. However, the original model again displays the discontinuity of velocity vector at all nodal points, while our revised model has completely eliminated this inconsistency. Furthermore, Table 3 shows that the mass balance has not been satisfied by the original model. At the end of about a 3-hr simulation time, the total net mass through all boundaries is only about 76.2% of the mass accumulated in the media as computed by numerical scheme 1 of the original code. In other words, a 23.8% of

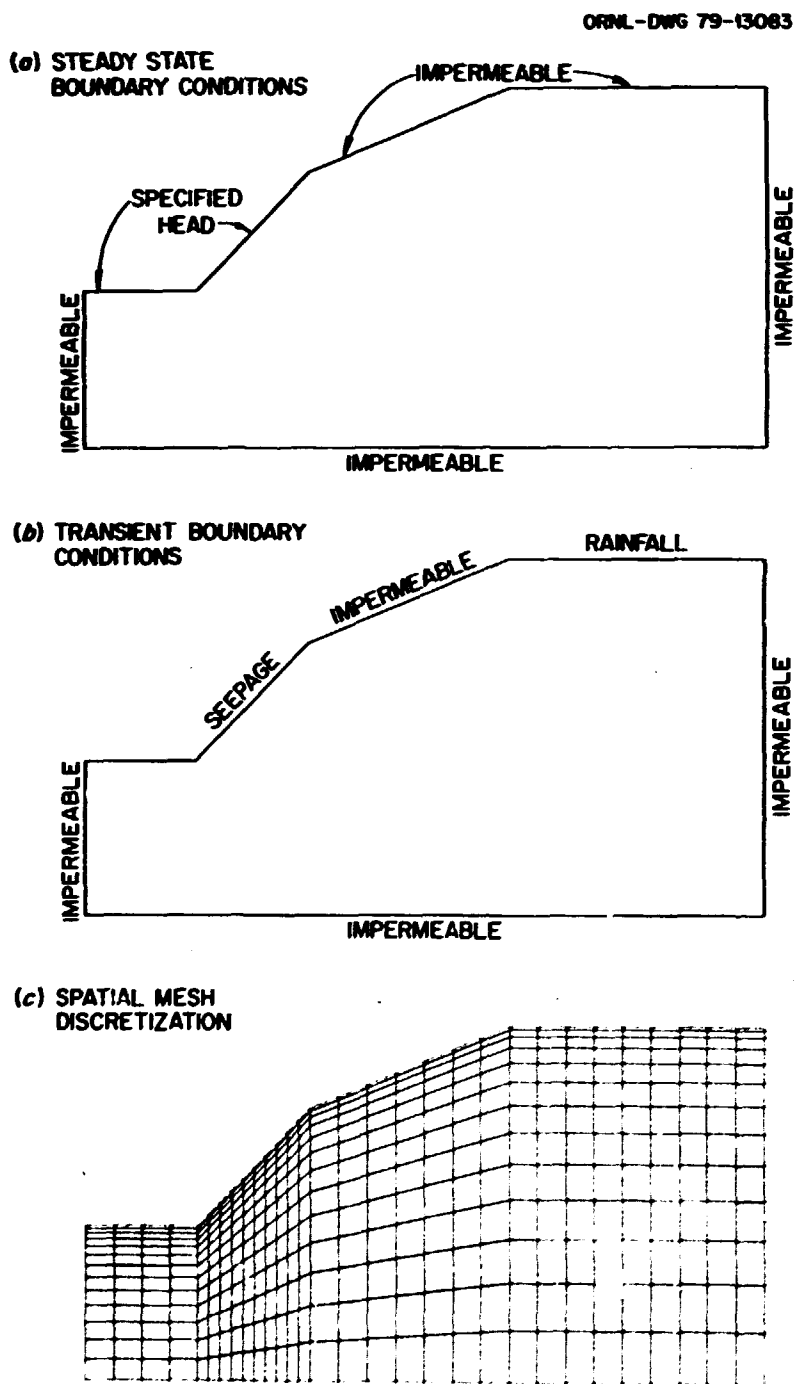
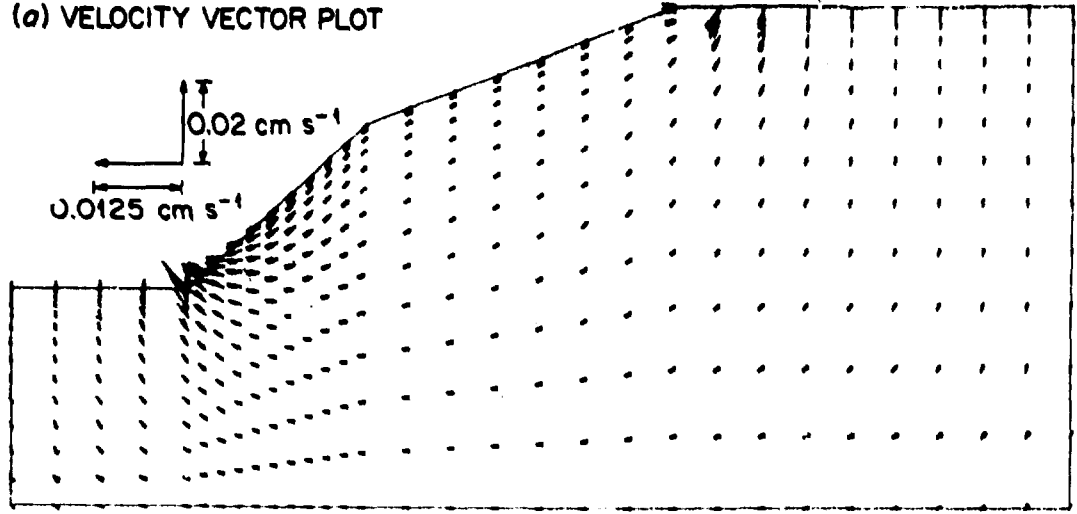
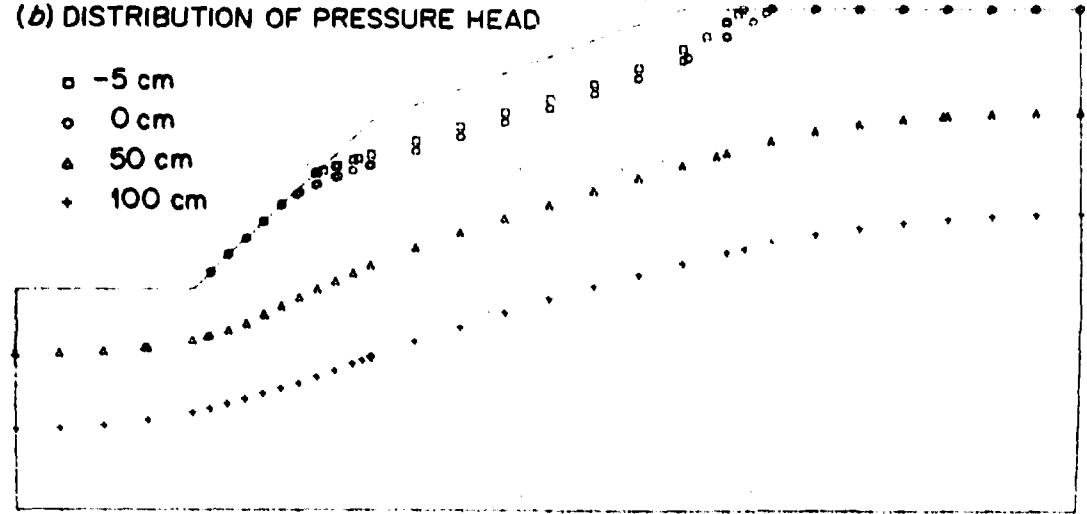


Fig. 9. Configuration of water transport in Freeze's experimental watershed; (a) steady state boundary condition, (b) transient boundary condition, (c) spatial mesh discretization

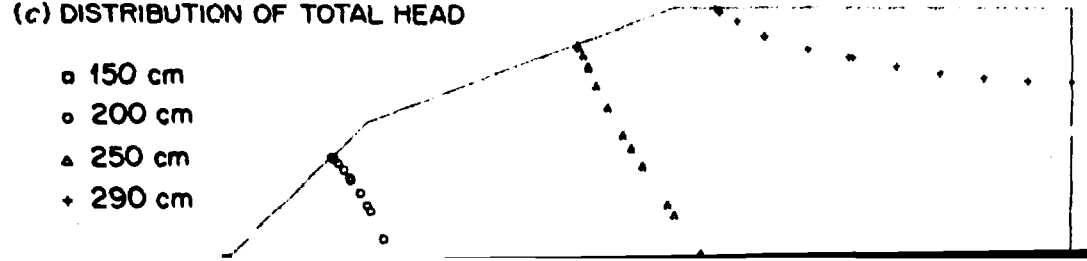
(a) VELOCITY VECTOR PLOT



(b) DISTRIBUTION OF PRESSURE HEAD



(c) DISTRIBUTION OF TOTAL HEAD



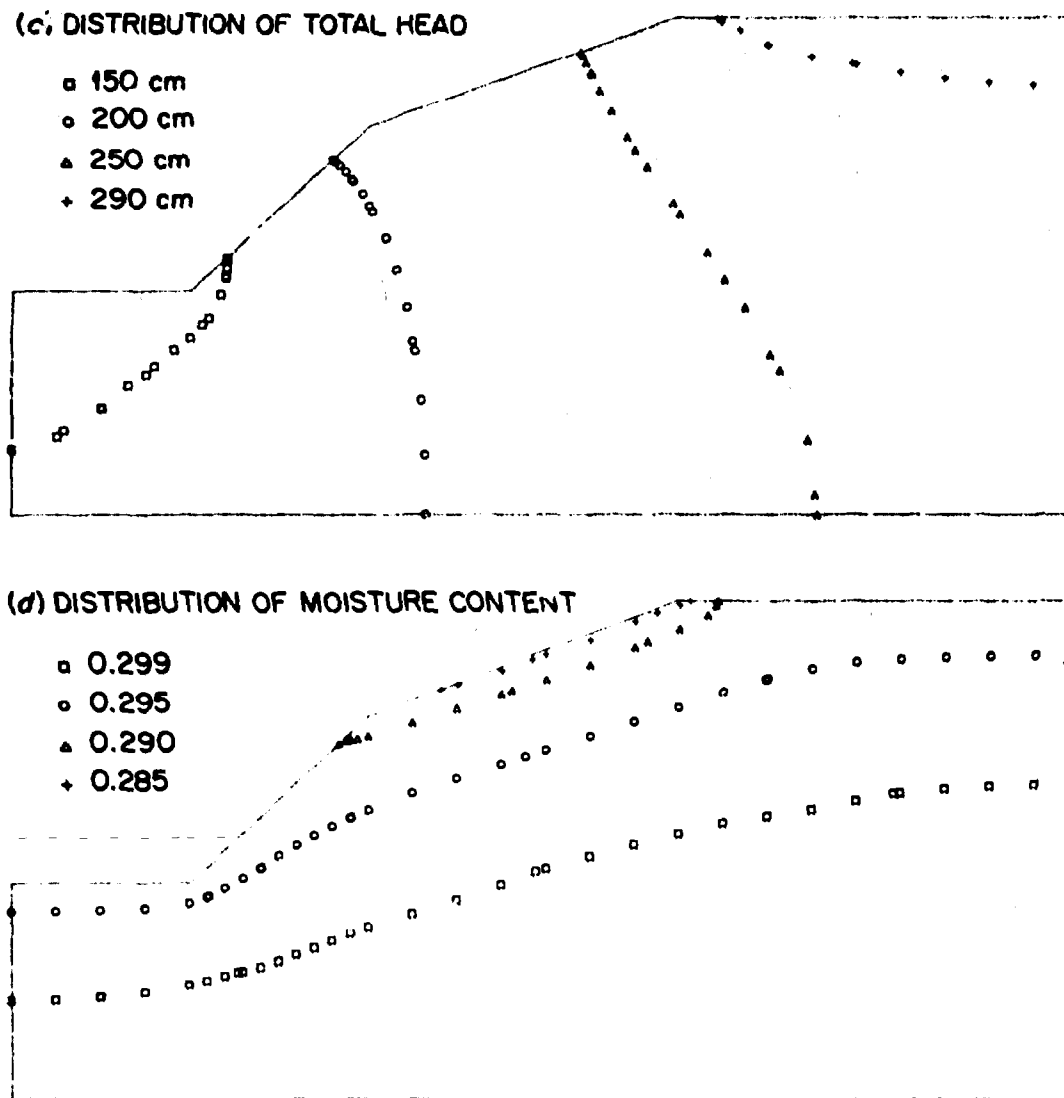
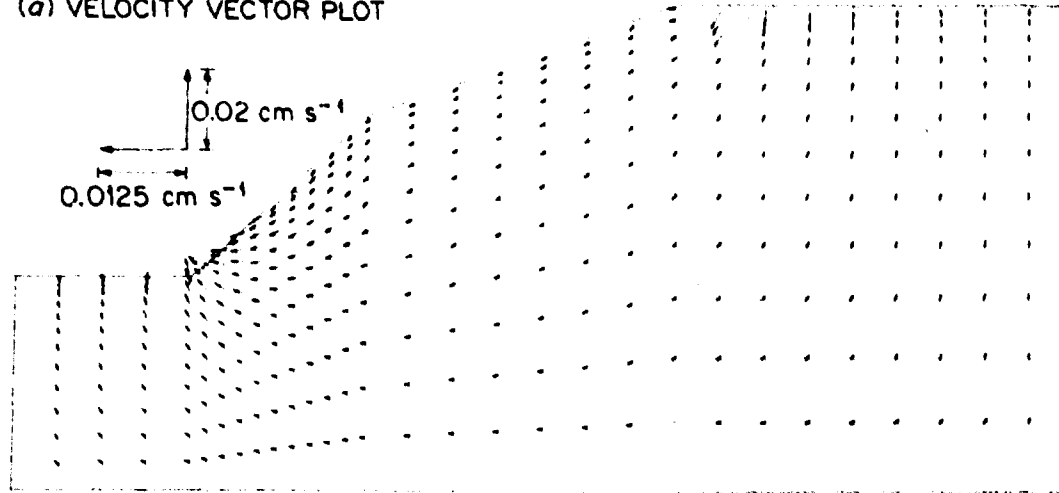
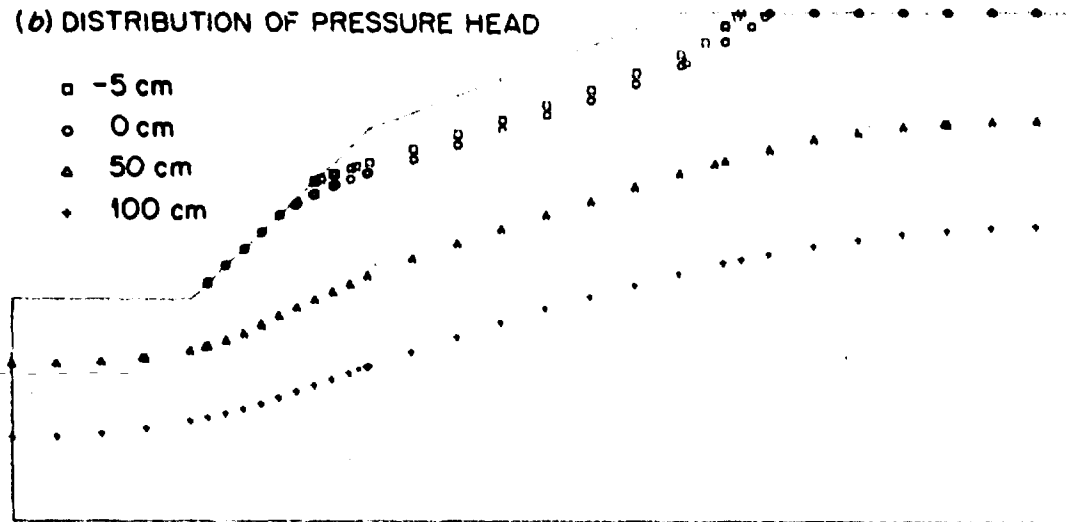


Fig. 10. Flow variables at time equal to 2.96 hr of Freeze's transient problem as simulated by Reeves and Duguid model: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content

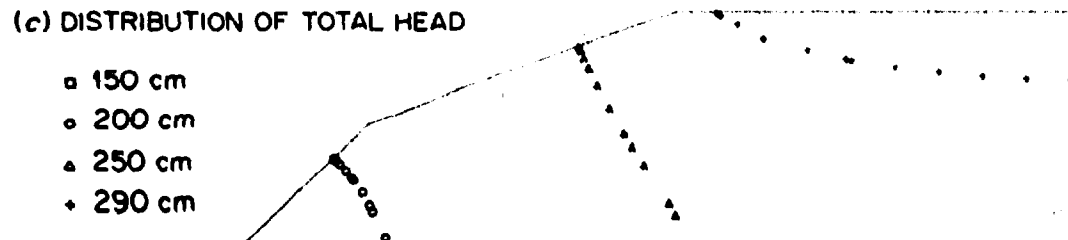
(a) VELOCITY VECTOR PLOT



(b) DISTRIBUTION OF PRESSURE HEAD

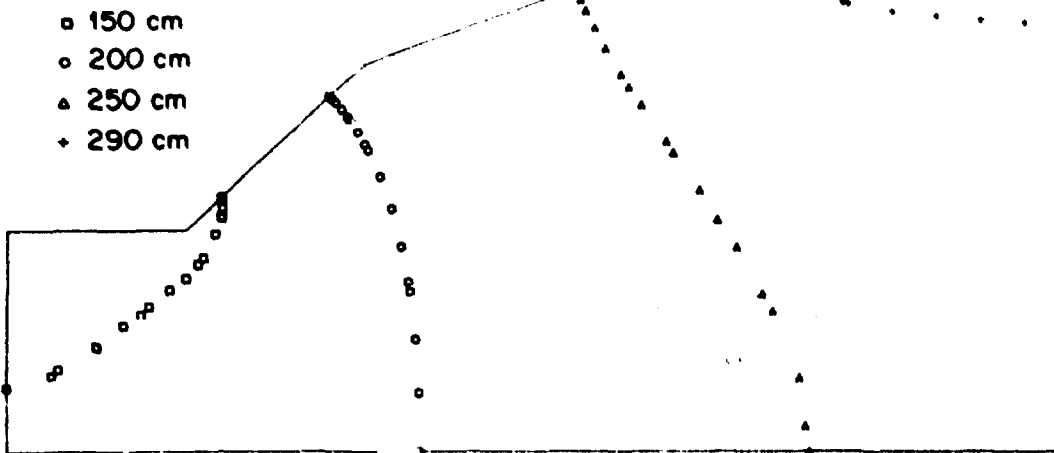


(c) DISTRIBUTION OF TOTAL HEAD





(c) DISTRIBUTION OF TOTAL HEAD



(d) DISTRIBUTION OF MOISTURE CONTENT

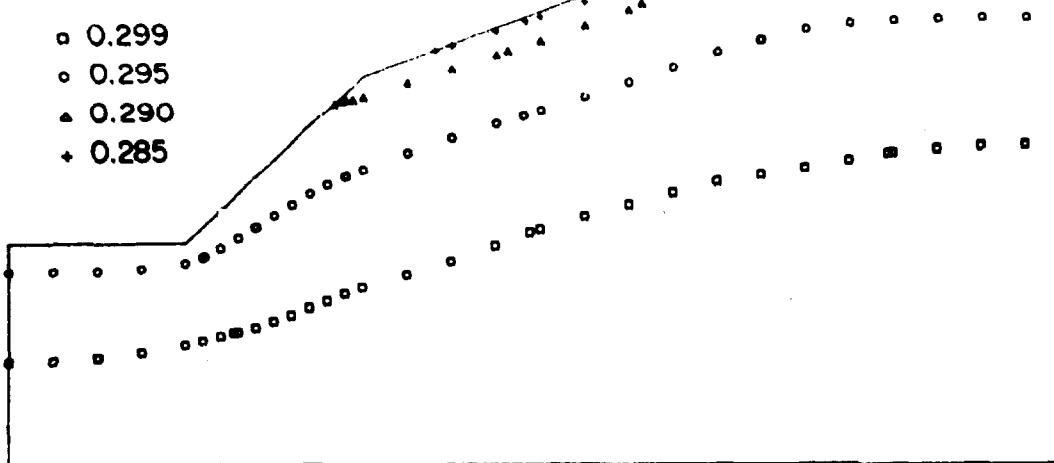


Fig. 11. Flow variables at time equal to 2.96 hr of Freeze's transient problem as simulated by Yeh and Ward model: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

Table 3. Comparison of percentage of mass loss of Freeze's transient problem as simulated by the original and revised model

Code/Schemes	1	2	3	4	5	6
Old	23.8	29.7	N/A ^a	N/A	N/A	N/A
Revised	2.2	-3.6	8.9	3.0	-3.2	-3.3

^aN/A = not available.

mass has not been accounted for, i.e., has been lost through boundaries. Reeves and Duguid (1975) speculated that this large loss of mass might be eliminated by adding the triangular elements. However, without using triangular elements, our revised model only yields 2.2% of mass loss by eliminating the discontinuity of the velocity and by using a new method to evaluate a moisture-increasing rate in the region. An even larger mass loss of 29.7% is obtained by numerical scheme 2 of the original model. The revised model on the other hand renders a 3.6% of mass gain. Thus, the error of mass balance (positive for loss, negative for gain) by the revised model is much smaller than that by the original model.

Table 3 also shows the percentage of mass loss by all alternative numerical schemes. It is noted that the central difference standard Galerkin scheme in the revised model yields the best results. This is not surprising since the water transport equation does not contain advection (convection) terms. Figures 12 through 14 show the plots of flow variables as simulated by numerical scheme 1 of the revised model at time equal to 0.00 hr, 0.46 hr, and 1.85 hr, respectively. They

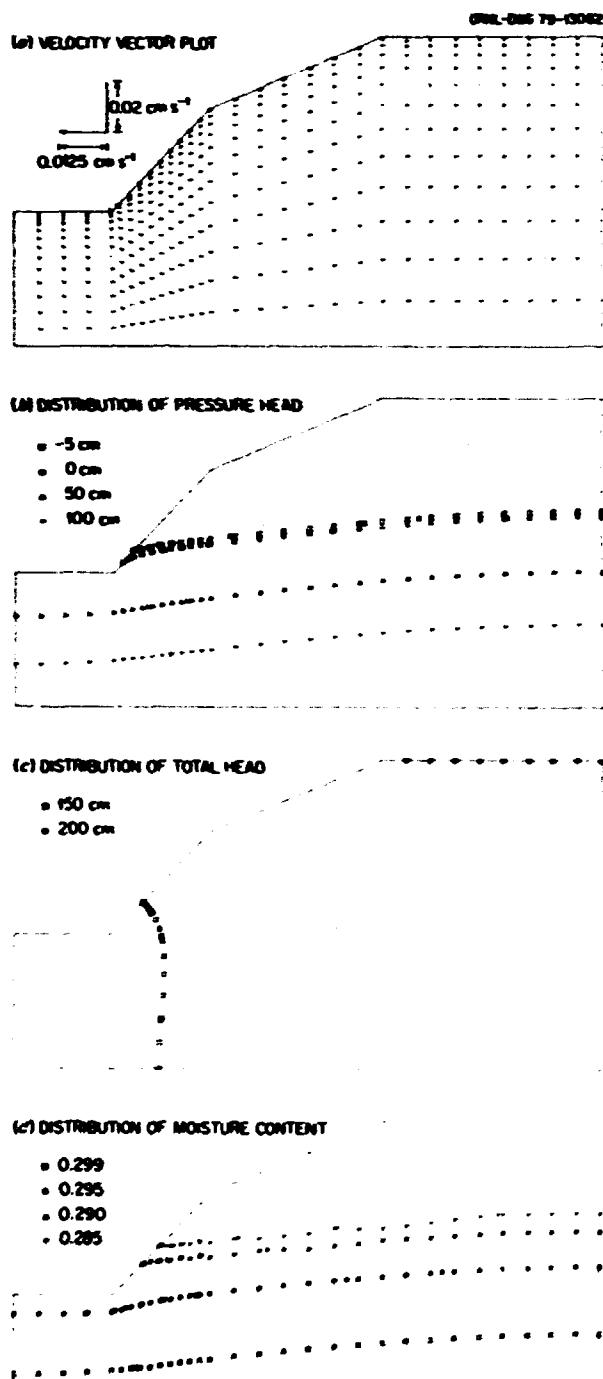


Fig. 12. Flow variables of Freeze's transient problem at time equal to 0.00 hr: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

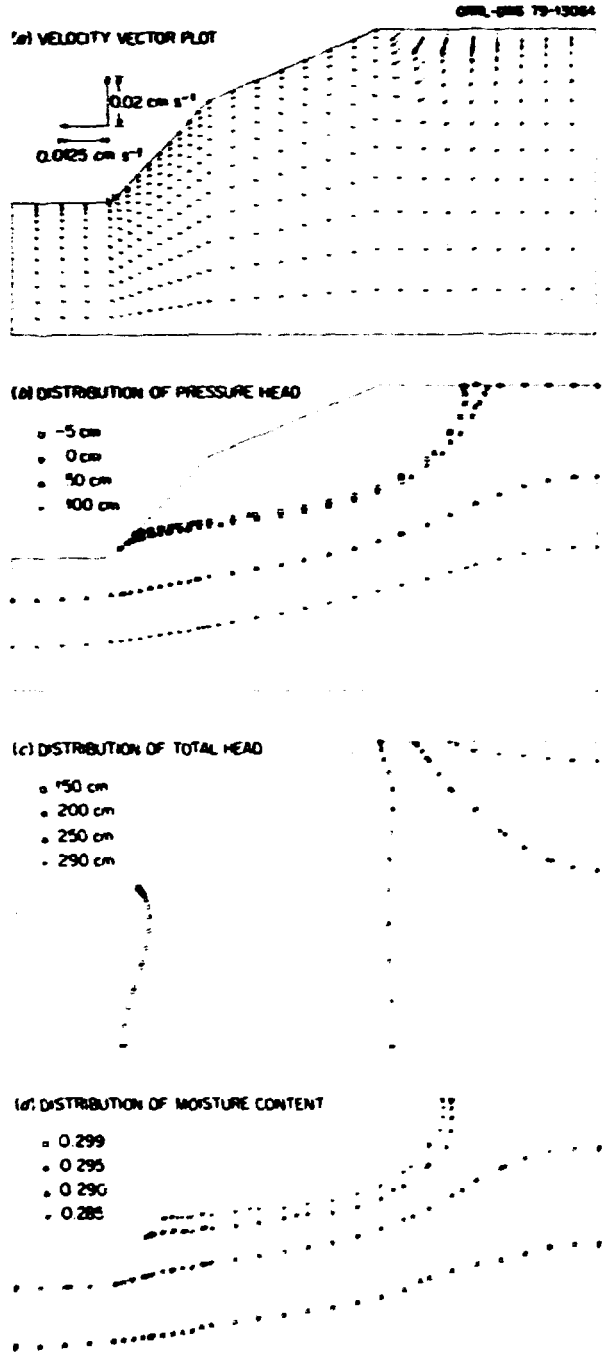


Fig. 13. Flow variables of Freeze's transient problem at time equal to 0.46 hr: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

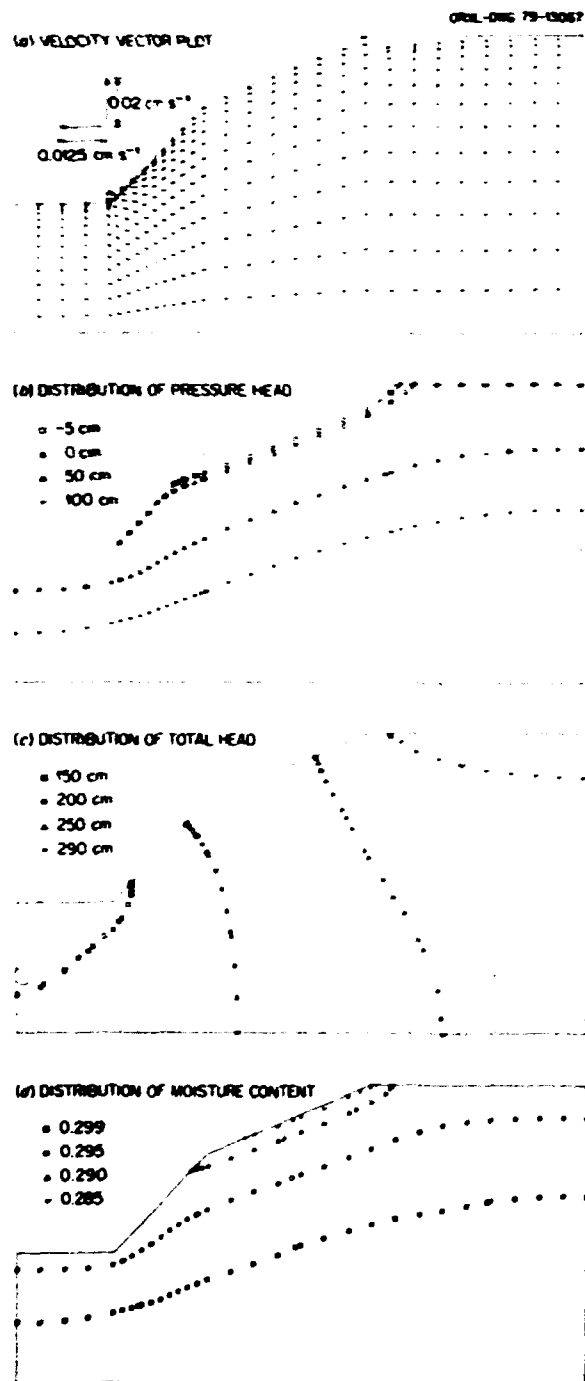


Fig. 14. Flow variables of Freeze's transient problem at time equal to 1.85 hr: (a) velocity vector plot, (b) distribution of pressure head, (c) distribution of total head, (d) distribution of moisture content.

show that the experimental watershed has been first gradually drained and then progressively wetted by the rainfall. Computer outputs on flow variables by all other alternative schemes show that comparable values are obtained at long simulation times.

To conclude this chapter, we state that the revised model (1) yields a continuous velocity field, (2) reduces mass loss through boundaries to as small as possible, and (3) provides four additional alternative numerical schemes, all of which are operational and render comparable results.

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VI. GLOSSARY OF NOTATIONS

B	Boundary line
B_1, B_2, B_3	Segments of boundary line
$\{B_i\}$	Global column matrix, the assembly of element column matrix, $\{Q_i\}$
$[C_{ij}]$	Element matrix whose component C_{ij} is defined by Eq. (24a)
$\{D_i\}$	An element column matrix whose component D_i is defined by Eq. (14)
$\{D_{xi}\}$	An element column matrix, whose component D_{xi} is defined by Eq. (19)
$\{D_{zi}\}$	An element column matrix, whose component D_{zi} is defined by Eq. (20)
e	Reference to the e-th element
F	Generalized storage coefficient
h	Pressure head
\hat{h}	Approximate pressure head
$\{h_j\}$	Pressure head column matrix
$\{\dot{h}_j\}$	Time derivative of $\{h_j\}$
h_0	Initial pressure head
h_1	Prescribed pressure head at Dirichlet boundary nodes
h_3	Prescribed pressure head at the rainfall-seepage boundary nodes
H	Total head
J	Determinant of $[J]$
$[J]$	Jacobian matrix for the e-th element
$K_{xx}, K_{xz}, K_{zx}, K_{zz}$	Tensor components of the hydraulic conductivity
L	Differential operator

$[M_{ij}]$	Element mass matrix, whose component M_{ij} is defined by Eq. (12)
n	Porosity
n_x	Directional cosine with the x-axis of a boundary line
n_z	Directional cosine with the y-axis of a boundary line
N_i, N_j	Basis functions
q_2	Prescribed fluxes on the Newman boundary segment
q_3	Prescribed fluxes on the rainfall-seepage boundary segment
Q	Withdrawal rate
$\{Q_i\}$	An element column matrix, whose component Q_i is defined by Eq. (15)
R	A region
R_e	An element region
$\{R_i\}$	A column matrix defined by Eq. (24c)
$[S_{ij}]$	The element stiff matrix, whose component S_{ij} is defined by Eq. (13)
$[S'_{ij}]$	The element stiff matrix, whose component S'_{ij} is defined by Eq. (18)
t	Time
Δt	Time step
$[T_{ij}]$	Global coefficient matrix
V_x	Darcy velocity component in the x-direction
V_z	Darcy velocity component in the z-direction
x	Global coordinate in the horizontal direction
x_i, x_j	The global x-coordinate of nodal points, i and j
$\{Y_i\}$	Global column matrix

z	Global coordinate in the vertical direction
z_i, z_j	The global/z-coordinate of nodal points, i and j
α'	Modified coefficient of compressibility of the medium
β'	Modified coefficient of compressibility of water
θ	Moisture content
ξ	Local coordinate in the horizontal direction
ξ_i	Local ξ -coordinate of the point i
η	Local coordinate in the vertical coordinate
η_i	Local η -coordinate of the nodal point, i

APPENDIX A
DATA INPUT GUIDE

APPENDIX A:
DATA INPUT GUIDE

Data Set 1 - General Information Card.

This card is used to identify the job and to indicate if the diagnostic output is required. Only one card is required.

Card 1	Format (15, 9A2, 1X, 211)
NPROB	Problem Number
TITLE	Array for the title of the problems
IBUG	An integer indicating if the diagnostic information of iteration is to be line-printed, = 0 no, = 1 yes
ICHNG	An integer indicating if the boundary-condition-changing information is to be line-printed, = 0 no, = 1 yes

Data Set 2 - Basic Integer Parameters

Only two cards are required per problem.

Card 1	Format (16 I 5)
NNP	Number of nodal points
NEL	Number of elements
NMAT	Number of different materials
NCM	Number of elements with material properties to be corrected
NTI	Number of time increments
KSS	Steady state control; 0 = steady state solution, 1 = transient solution
KSP	Soil property control; 0 = analytical function, 1 = tabular data
NSPPM	Number of points in tabular soil property definition, or number of soil property parameters to describe the analytical function
NSTR	Auxiliary storage control; 0 = no storage, 1 = output stored (disk or tape)

KCP	Conductivity control; 0 = conductivity input, 1 = permeability input
KGRAV	Gravity control; 0 = gravity term included, 1 = omission of gravity term
NSTRT	Number of logical records to be read from auxiliary storage for restarting calculation; 0 = no restart
MAXIT	Maximum number of iterations per time step
MAXCY	Maximum number of cycles for rainfall - seepage boundary condition adjustments
NMPPM	Number of material parameter per material
Card 2	Format (16 Z 5)
ILUMP	Matrix lumping control; 0 = no lumping, 1 = matrix lumped
IMID	Mid-difference time derivative control; 0 = Crank-Nicolson or backward difference, 1 = mid-difference

Data Set 3 - Basic Real Parameters

Two cards are required for each problem

Card 1	Format (8 F 10.0)
DELT	Time increment
CHNG	Multiplier for increasing time increment
DELMAX	Maximum value of DELT
TMAX	Value of maximum simulation time
FE	Angle between coordinate axes and principal directions of conductivity tensor in degrees
TOLA	Steady-state convergence criteria
TOLB	Transient-state convergence criteria
RHO	Density of water
Card 2	Format (8 F 10.0)
GRAV	Acceleration of gravity

VISC Dynamic viscosity of water

W Time derivative weighting; 0.5 = Crank-Nicolson,
1.0 = backward

Data Set 4 - Output Control

Two group of cards are required. One group is for printer output control and the other for auxiliary storage output control. The number of cards in each group is determined by the number of time increments, NTI, i.e., No. of Cards, NGD = $(NTI + 1)/80 + 1$

Card Group 1 Format (80 I 1)

KPRO Printer control for steady-state and initial conditions; 0 = No printout, 1 = FLOW, FRATE, TFLOW only, 2 = above (0) plus H, 3 = above (2) plus HT, 4 = above (3) plus TH, 5 = above (4) plus VX, VZ

KPR(1) Printer control for transient selection similar to KPRO

KPR(NTI) as a function of time index ITM

Card Group 2 Format (80 I 1)

KDSKO Auxiliary storage control; 0 = no auxiliary storage, 1 = yes

KDSK(1) Auxiliary storage control for transient solution similar to KDSKO as a function of time index ITM

KDSK(NTI)

Data Set 5 - Material Properties

A total of NMAT groups of cards are required. One group for each material. The number of cards in each group depends on NMPPM, i.e., the No. of cards, NOCD = $(NMPPM)/8 + 1$

Card Group J

PROP(J,1) Modified coefficient of compressibility of media, J

PROP(J,2) Modified coefficient of compressibility of water

PROP(J,3) Porosity of porous media, J

PROP(J,4) Component of conductivity in the x-direction for media, J

PROP(J,5) Component of conductivity in the z-direction for media, J

Data Set 6 - Analytical Soil Parameters

Input cards for this data set are needed if and only if $KSP = 0$. Two sets of cards are required, one for the moisture-content parameters and the other for the conductivity (permeability) parameters. Each set of cards consist of NMAT groups of cards, one group for each material. The number of cards in each group is determined by the number of soil property parameters per material, NSPPM. $NOCD = (NSPPM/8) + 1$

Card Set 1 This set of cards is for THPROP(I,J)

Card Group 1 Format (8 F 10.0)

THPROP(1,1) Analytical moisture content parameter 1 of material 1

THPROP(1,2) Analytical moisture content parameter 2 of material 1

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THPROP(1,NSPPM) Analytical moisture content parameter NSPPM of material 1
NOCD cards are required for this Card Group

Card Group 2 Format (8 F 10.0)

THPROP (2,1) Analytical moisture content parameter of material 2

THPROP (2,2) Analytical moisture content parameter of material 2

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THPROP(2,NSPPM) Analytical moisture content parameter NSPPM of material 2

NOCD cards are required for this Card Group

Card Group NMAT FORMAT (8F10.0)

Total number of cards = NMAT * NOCD

Card Set 2: This set of cards is for ARPROP(I,J)

Card Group 1 Format (9F10.0) = for material 1

AKPROP(1,1) Analytical conductivity parameter 1 of material 1

AKPROP(1,2) Analytical conductivity parameter 2 of material 1

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AKPROP(1,NSPPM) Analytical conductivity parameter NSPPM of material 1.
NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0) = for material 2

AKPROP(2,1) Analytical conductivity parameter 1 of material 2

AKPROP(2,2) Analytical conductivity parameter 2 of material 2

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AKPROP(2,NSPPM) Analytical conductivity parameter NSPPM of material 2
NOCD cards are required for this Card Group

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Card Group NMAT Format (8F10.0) for material NMAT

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Total number of cards = NMAT * NOCD

Data Set 7 - Soil properties in Tabular Form

Input cards for this data set are needed if and only if $KSP \neq 0$. Four sets of cards are required, one for pressure, HPROP, one for water content, THPROP, one for conductivity (permeability), AKPROP, and one for water capacity, CAPROP. Each set of cards consist of NMAT groups of cards, one group for each material. The number of cards in each group is determined by the number of soil property data permit per material, NSPPM. $NOCD = (NSPPM/8) + 1$

Card Set 1: This set of cards is for HPROP(I,J)

Card Group 1 Format (8F10.0)

HPROP(1,1) 1st point of the tabular pressure for material 1

HPROP(1,2) 2nd point of the tabular pressure for material 1

⋮

HPROP(1,NSPPM) NSPPM-th point of the tabular pressure for material 1. NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

HPROP(2,1) 1st point of the tabular pressure for material 2

HPROP(2,2) 2nd point of the tabular pressure for material 2

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HPROP(2,NSPPM) NSPPM-th point of the tabular pressure for material 2. NOCD cards are required for this Card Group

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Card Group NMAT Format (8F10.0)

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Total number of cards for this card set = $NMAT \times NOCD$

Card Set 2: This set of cards is for THPROP(I,J)

Card Group 1 Format (8F10.0)

THPROP(1,1) 1st point of the tabular moisture-content for material 1

THPROP(1,2) 2nd point of the tabular moisture-content for material 1

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THPROP(1,NSPPM) NSPPM-th point of the tabular moisture-content for material 1. NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

THPROP(2,1) 1st point of the tabular moisture-content for material 2

THPROP(2,2) 2nd point of the tabular moisture-content for material 2

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THPROP(2,NSPPM) NSPPM-th point of the tabular moisture-content for material 2. NOCD cards are required for this Card Group

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Card Group NMAT Format (8F10.0)

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Total number of cards for this card set = NMAT * NOCD

Card Set 3: This set of cards is for AKPROP(I,J)

Card Group 1 Format (8F10.0)

AKPROP(1,1) 1st tabular value of conductivity for material 1

AKPROP(1,2) 2nd tabular value of conductivity for material 1

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AKPROP(1,NSPPM) NSPPM-th tabular value of conductivity for material 1.
NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

AKPROP(2,1) 1st tabular value of conductivity for material 2

AKPROP(2,2) 2nd tabular value of conductivity for material 2

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AKPROP(2,NSPPM) NSPPM-th tabular value of conductivity for
material 2. NOCD cards are required for this Card
Group

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Card Group NMAT Format (8F10.0)

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Total number of cards for this card set = NMAT ≠ NOCD

Card Set 4: This set of cards is for CAPROP(I,J)

Card Group 1 Format (8F10.0)

CAPROP(1,1) 1st tabular value of water capacity for material 1

CAPROP(1,2) 2nd tabular value of water capacity for material 1

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CAPROP(1,NSPPM) NSPPM-th tabular value of conductivity for material 1.
NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

CAPROP(2,1) 1st tabular value of water capacity for material 2

CAPROP(2,2) 2nd tabular value of water capacity for material 2

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CAPROP(2,NSPPM) NSPPM-th tabular value of water capacity for
material 2. NOCD cards are required for this Card
Group

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Card Group NMAT Format (8F10.0)

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Total number of cards for this card set = NMAT ≠ NOCD

Data Set 8 - Nodal Point Coordinates

Usually one card per node is needed, i.e., a total of NNP cards. However, if some nodes fall on a straight line and are equidistant, data for only the first and last points of this data set are needed. Intermediate nodal positions are automatically generated by linear interpolation.

Card 1 Format (I5, 2F10.3)

NJ Node number

X(NJ) X-coordinate of node NJ

Z(NJ) Z-coordinate of node NJ

Card 2 Format (I2, 2F10.3)

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Data Set 9 - Element incidences.

Usually one card per element is needed, i.e., a total of NEL cards. However, for a rectangular blocks of elements, it is only necessary to specify the first element, the width and length of the block. The subsequent elements to the first one in the block will be generated automatically.

Card 1	Format (16I5)
MI	Element number
IE(MI,1)	{ Node numbers of element MI beginning with lower left and progressing around element in counter clockwise direction
IE(MI,2)	
IE(MI,3)	
IE(MI,4)	
IE(MI,5)	Material type of element MI
MODL	Number of elements in width of a block
NLAY	Number of elements in length of a block
Card 2	Format (16I5)
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Data Set 10 - Material Corrections

Usually, one card is required per material change. However, in those cases where numbers of the affected elements range from a lower limit of MI to an upper limit of MK with an increment MINC, automatic correction may be used. Fields MK and MINC are left blank if the automatic-generation facility is not used.

Card 1	Format (16I5)
MI	Material correction element number
MTYP	Type of material correction element
MK	Upper limit of automatic correction
MINC	Element Increment of automatic correction (MK = 0, MINC = 0 for no automatically generated correction)
Card 2	Format (16I5)

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Data Set 11 - Initial or heinatial Pressure Head

The data set is necessary only if NSTRT = 0. In the most general case, one card per node is required, i.e., a total of NNT cards. Frequently, however, groups of neighboring nodal points NJ have identical values H(NJ). All gaps will be filled with value at lower bound of the gap.

Card 1 Format (I5, 5X, F10.0)

NJ Node number

H(NJ) Initial head for node NJ

Card 2 Format (I5, 5X, F10.0)

NJ Node number

H(NJ) Initial head for node NJ

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Card NNP

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Data Set 12 - Steady State Integer Parameters

One card is required for one problem. It is needed if and only if $KSS = 0$.

Card 1	Format (16I5)
NBC	Number of constant Dirichlet nodes
NST	Number of element-sides with Neumann conditions
NRFPR	Number of rainfall profiles
NRFPAR	Number of parameters in each rainfall profile
NRSEL	Number of rainfall-seepage elements
NRSN	Number of rainfall-seepage nodes

Data Set 13 - Steady State Rainfall Profiles

These cards are necessary if and only if the number of rainfall-seepage nodes, $NRSN > 0$ and the number of rainfall profiles $NRFPR > 0$. If $NRSN > 0$ and $NRFPR = 0$, a rainfall rate of zero is assumed.

The number of cards required will depend on both $NRFPR$ and $NRFPAR$, the number of parameters within each profile. $NRFPR$ sets of cards are required. Each set consists of two groups of cards, one for the rainfall occurring time and the other for the rainfall rate. The number of cards in each group, $NOCD = NRFPAR/8 + 1$

Card Set 1: This set of cards is for rainfall profile 1

Card Group 1 Format (8F10.0)

TRF(1,1) 1st point of time-occurring value for rainfall profile 1

TRF(1,2) 2nd point of time-occurring value for rainfall profile 1

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TRF(1,NRFPAR) NRFPAR-th point of time-occurring value for rainfall profile 1. NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

RF(1,1) 1st point of time-occurring value for rainfall profile 1

RF(1,2) 2nd point of time-occurring value for rainfall profile 1

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RF(1,NRFPAR) NRFPAR-th point of time-occurring value for rainfall profile 1. NOCD cards are required for this Card Group

Card Set 2: This set of cards is for rainfall-profile 2

Card Group 1 Format (8F10.0)

TRF(2,1) 1st point of time-occurring value for rainfall profile 2

TRF(2,2) 2nd point of time-occurring value for rainfall profile 2

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TRF(2,NRFPAR) NRFPAR-th point of time-occurring value for rainfall profile 2. NOCD cards are required for this Card Group

Card Group 2 Format (8F10.0)

RF(2,1) 1st point of time-occurring value for rainfall profile 2

RF(2,2) 2nd point of time-occurring value for rainfall profile 2

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RF(2,NRFPAR) NRFPAR-th point of time-occurring value for rainfall profile 2. NOCD cards are required for this Card Group

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Card Set NRFPR: This set of cards is for rainfall-profile NRFPR

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Total number of cards for this data set = NRFPR * (2 * NOCD)

Data Set 14 - Steady-State Rainfall types and Ponding Depth

Card input is required if and only if $MRSN > 0$. Typically, one card is required per rainfall - see page node.

Card I	Format (3I5, 5X, 2F10.0)
NI	Node number of rainfall-seepage node
IRFTYP(NII)	Rainfall-type parameter used to identify the rainfall profile to be used at node NI
NPINC(NII)	Automatic generation increment
HCON(NII)	Ponding depth at node NI

Note: NII is the compressed index for node number NI. If $NPINC \neq 0$, automatic generation mechanism will be made. If the card immediately preceding is for node, NJ, then nodes $NJ + NPINC$, $NJ + 2 * NPINC$, ..., NK will be given rainfall type $IRFTYP(NJ)$ and ponding depth $HCON(NJ)$, where NK is the largest integer in the above sequence that is less than the current nodal value NI.

Data Set 15 - Steady-state Rainfall-seepage Surface Elements

As in the previous two data set, input is necessary if and only if $MRSN > 0$. Typically one card is required for each side of each element on which the rainfall-seepage boundary condition is applied. However, automatic generation may be made similar to data set 14.

Card MP	Format (16I5)
NRSE(MP)	Element number of MP-th side
IS(MP,1)	Global node number of the first node of MP-th side
IS(MP,2)	Global node number of the second node of MP-th side
KINC	Automatic generation increments for NRSE and IS

Data Set 16 - Steady-state Dirichlet Pressure-type Boundary conditions

Input cards are required for this data set if and only if $NBC > 0$. Normally, one card is required for each node with Dirichlet boundary condition. However, automatic generation may be made, if applicable, similar to data set 14.

Card NPP	Format (2I5, 2F10.0)
NN(NPP)	Global node number of NPP-th Dirichlet node
NPINC	Automatic generation increment
BB(NPP)	Specified pressure head at NPP-th Dirichlet node

Data Set 17 - Steady-state Neumann flux-type Boundary Condition

Input cards for this set of data are required if and only if $NST > 0$. Usually a number of cards equal to NST must be used. However, automatic generation may be made, if applicable, similar to Data Set 15

Card MPP	Format (3I5, 5X, 2F10.0)
NI	First global node number of MPP-th element-side with Neumann flux-type Boundary condition
NJ	Second global node number of MPP-th element-side with Neumann flux-type Boundary condition
KINC	Automatic generation increment for NI and NJ
EI	Dot product of flux at NI with outwardly directed unit vector normal to the element side MPP
EJ	Dot product of flux at NJ with outwardly directed unit vector normal to the element side MPP

Data Set 18, Data Set 19, Data Set 20, Data Set 21, Data Set 22, and Data Set 23 are for transient simulation and are identical to Data Sets 12-17. Those data inputs are necessary only if $NTI > 0$. If $NTI = 0$, there will be no transient calculation, and transient-state boundary conditions are not necessary

Note: If $KSS = 0$ and $NTI = 0$, only steady-state solution is desired. If $KSS = 0$ and $NTI > 0$, both steady-state solution and transient-state simulation are desired and the steady-state solution is used as the initial condition of transient simulation. If $KSS = 1$ and $NTI > 0$, only transient solution is desired and the initial condition for the transient simulation must be inputted. The case of $KSS = 1$ and $NTI = 0$ is physically not possible and should be avoided.

APPENDIX B
SAMPLE INPUT OF SEEPAGE POND PROBLEM

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C----- CARD GROUP 1  TITLE CARD
1273  WATER FLOW IN SATURATED-UNSATURATED AQUIFER FROM SEEPAGE POND          CARD 001

C----- CARD GROUP 2  BASIC INTEGER PARAMETERS
595  528  1  0  0  0  1  15  1  1  0  0  20  15  5          CARD 002
  0      0
C----- CARD GROUP 3  BASIC REAL PARAMETERS
300.      .5      86400.  0.      0.      .31      .1      1.          CARD 004
980.6     .013     1.
C----- CARD GROUP 4  PRINTER OUTPUT AND DISK STORE CONTROL
35
11
C----- CARD GROUP 5  MATERIAL PROPERTIES
0.      0.      .3      .58E-7  .58E-7          CARD 008

C----- CARD GROUP 6  ANALYTICAL SOIL PARAMETERS ARE NOT REQUIRED
C----- SINCE KSP IS NOT EQUAL TO 0

C----- CARD GROUP 7  SOIL PROPERTIES IN TABULAR FORM
C----- PRESSURE HEAD DATA POINT
-800.0  -400.  -200.  -175.  -150.  -125.  -100.  -62.5          CARD 009
-50.0   -37.5  -25.   -12.5  0.    50.   100.   200.          CARD 010

C----- MOISTURE-CONTENT DATA POINT
.024    .030    .0425   .045    .050    .0525   .09    .21          CARD 011
.25     .275   .285    .290    .2925   .2975   .2995   .3          CARD 012

C----- RELATIVE HYDRAULIC CONDUCTIVITY DATA POINT
.10057E-5 .11886E-5 .14857E-5 .16000E-5 .18286E-5 .21715E-5 .36555E-5 .91430E-5          CARD 013

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OPNL-5567

Appendix B (continued)

41	1500.000	2000.000	2000.000	CARD 057
42	1500.000	2200.000	2200.000	CARD 058
43	1500.000	2400.000	2400.000	CARD 059
44	1500.000	2600.000	2600.000	CARD 060
45	1500.000	2750.000	2750.000	CARD 061
46	1500.000	2900.000	2900.000	CARD 062
47	1500.000	3050.000	3050.000	CARD 063
48	1500.000	300.000	300.000	CARD 064
49	2000.000	500.000	500.000	CARD 065
50	2000.000	1000.000	1000.000	CARD 066
51	2000.000	1500.000	1500.000	CARD 067
52	2000.000	2000.000	2000.000	CARD 068
53	2000.000	2200.000	2200.000	CARD 069
54	2000.000	2400.000	2400.000	CARD 070
55	2000.000	2600.000	2600.000	CARD 071
56	2000.000	2750.000	2750.000	CARD 072
57	2000.000	2900.000	2900.000	CARD 073
58	2000.000	3050.000	3050.000	CARD 074
59	2000.000	300.000	300.000	CARD 075
60	2500.000	500.000	500.000	CARD 076
61	2500.000	1000.000	1000.000	CARD 077
62	2500.000	1500.000	1500.000	CARD 078
63	2500.000	2000.000	2000.000	CARD 079
64	2500.000	2200.000	2200.000	CARD 080
65	2500.000	2400.000	2400.000	CARD 081
66	2500.000	2600.000	2600.000	CARD 082
67	2500.000	2750.000	2750.000	CARD 083
68	2500.000	2900.000	2900.000	CARD 084
69	2500.000	3050.000	3050.000	CARD 085
70	2500.000	300.000	300.000	CARD 086
71	3000.000	500.000	500.000	CARD 087
72	3000.000	1000.000	1000.000	CARD 088
73	3000.000	1500.000	1500.000	CARD 089
74	3000.000	2000.000	2000.000	CARD 090
75	3000.000	2200.000	2200.000	CARD 091
76	3000.000	2400.000	2400.000	CARD 092
77	3000.000	2600.000	2600.000	CARD 093
78	3000.000	2750.000	2750.000	CARD 094
79	3000.000	2900.000	2900.000	CARD 095
80	3000.000	3050.000	3050.000	CARD 096
81	3000.000	300.000	300.000	CARD 097
82	3500.000	500.000	500.000	CARD 098
83	3500.000	1000.000	1000.000	CARD 099
84	3500.000	1500.000	1500.000	CARD 100
85	3500.000	2000.000	2000.000	CARD 101
86	3500.000	2200.000	2200.000	CARD 102
87	3500.000	2400.000	2400.000	CARD 103
88	3500.000	2600.000	2600.000	CARD 104
89	3500.000	2750.000	2750.000	CARD 105
90	3500.000	2900.000	2900.000	CARD 106

Appendix B (continued)

51	3500.000	2400.000
92	3500.000	2600.000
93	3500.000	2750.000
94	3500.000	2550.000
95	3500.000	2550.000
96	4000.000	3000.000
97	4000.000	0.000
98	4000.000	500.000
99	4000.000	1000.000
100	4000.000	1500.000
101	4000.000	2000.000
102	4000.000	2200.000
103	4000.000	2400.000
104	4000.000	2600.000
105	4000.000	2750.000
106	4000.000	2900.000
107	4000.000	2950.000
108	4500.000	3000.000
109	4500.000	0.000
110	4500.000	500.000
111	4500.000	1000.000
112	4500.000	1500.000
113	4500.000	2000.000
114	4500.000	2200.000
115	4500.000	2400.000
116	4500.000	2600.000
117	4500.000	2750.000
118	4500.000	2900.000
119	4500.000	2950.000
120	5000.000	3000.000
121	5000.000	0.000
122	5000.000	500.000
123	5000.000	1000.000
124	5000.000	1500.000
125	5000.000	2000.000
126	5000.000	2200.000
127	5000.000	2400.000
128	5000.000	2600.000
129	5000.000	2750.000
130	5000.000	2900.000
131	5000.000	2950.000
132	5000.000	3000.000
133	5500.000	0.000
134	5500.000	500.000
135	5500.000	1000.000
136	5500.000	1500.000
137	5500.000	2000.000
138	5500.000	2200.000
139	5500.000	2400.000
140	5500.000	2600.000

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CARD	155

Appendix B (continued)

141	5500.000	2750.000	CARD	157
142	5500.000	2900.000	CARD	158
143	5500.000	2950.000	CARD	159
144	5500.000	3000.000	CARD	160
145	6000.000	500.000	CARD	161
146	6000.000	1000.000	CARD	162
147	6000.000	1500.000	CARD	163
148	6000.000	2000.000	CARD	164
149	6000.000	2200.000	CARD	165
150	6000.000	2400.000	CARD	166
151	6000.000	2600.000	CARD	167
152	6000.000	2750.000	CARD	168
153	6000.000	2900.000	CARD	169
154	6000.000	2950.000	CARD	170
155	6000.000	3000.000	CARD	171
156	6500.000	500.000	CARD	172
157	6500.000	1000.000	CARD	173
158	6500.000	1500.000	CARD	174
159	6500.000	2000.000	CARD	175
160	6500.000	2200.000	CARD	176
161	6500.000	2400.000	CARD	177
162	6500.000	2600.000	CARD	178
163	6500.000	2750.000	CARD	179
164	7000.000	2900.000	CARD	180
165	7000.000	2950.000	CARD	181
166	7000.000	3000.000	CARD	182
167	7000.000	500.000	CARD	183
168	7000.000	1000.000	CARD	184
169	7000.000	1500.000	CARD	185
170	7000.000	2000.000	CARD	186
171	7000.000	2200.000	CARD	187
172	7000.000	2400.000	CARD	188
173	7500.000	2600.000	CARD	189
174	7500.000	500.000	CARD	190
175	7500.000	1000.000	CARD	191
176	7500.000	1500.000	CARD	192
177	7500.000	2000.000	CARD	193
178	7500.000	2200.000	CARD	194
179	7500.000	2400.000	CARD	195
180	7500.000	2600.000	CARD	196
181	8000.000	2750.000	CARD	197
182	8000.000	2900.000	CARD	198
183	8000.000	2950.000	CARD	199
184	8000.000	3000.000	CARD	200
185	8000.000	500.000	CARD	201
186	8000.000	1000.000	CARD	202
187	8000.000	1500.000	CARD	203
188	8000.000	2000.000	CARD	204
189	8000.000	2200.000	CARD	205
190	8500.000	2400.000	CARD	206
191	8500.000	2600.000	CARD	207
192	8500.000	2750.000	CARD	208
193	8500.000	2900.000	CARD	209
194	8500.000	2950.000	CARD	210
195	8500.000	3000.000	CARD	211
196	8500.000	500.000	CARD	212
197	8500.000	1000.000	CARD	213
198	8500.000	1500.000	CARD	214
199	8500.000	2000.000	CARD	215
200	8500.000	2200.000	CARD	216
201	8500.000	2400.000	CARD	217
202	8500.000	2600.000	CARD	218
203	8500.000	2750.000	CARD	219
204	8500.000	2900.000	CARD	220
205	8500.000	2950.000	CARD	221
206	8500.000	3000.000	CARD	222

Appendix B (continued)

191	8500.000	1000.000	CARD	07
192	8500.000	1500.000	CARD	08
193	8500.000	2000.000	CARD	09
194	8500.000	2200.000	CARD	10
195	8500.000	2400.000	CARD	11
196	8500.000	2600.000	CARD	12
197	9000.000	500.000	CARD	13
198	9000.000	1000.000	CARD	14
199	9000.000	1500.000	CARD	15
200	9000.000	2000.000	CARD	16
201	9000.000	2200.000	CARD	17
202	9000.000	2400.000	CARD	18
203	9000.000	2600.000	CARD	19
204	9000.000	2750.000	CARD	20
205	9000.000	2900.000	CARD	21
206	9000.000	3000.000	CARD	22
207	9500.000	500.000	CARD	23
208	9500.000	1000.000	CARD	24
209	9500.000	1500.000	CARD	25
210	9500.000	2000.000	CARD	26
211	9500.000	2200.000	CARD	27
212	9500.000	2400.000	CARD	28
213	9500.000	2600.000	CARD	29
214	9500.000	2750.000	CARD	30
215	9500.000	2900.000	CARD	31
216	9500.000	3000.000	CARD	32
217	10000.000	400.000	CARD	33
218	10000.000	800.000	CARD	34
219	10000.000	1500.000	CARD	35
220	10000.000	2000.000	CARD	36
221	10000.000	2200.000	CARD	37
222	10000.000	2400.000	CARD	38
223	10000.000	2600.000	CARD	39
224	10000.000	2750.000	CARD	40
225	10000.000	2900.000	CARD	41
226	10000.000	3000.000	CARD	42
227	10000.000	480.000	CARD	43
228	10000.000	950.000	CARD	44
229	10000.000	1575.559	CARD	45
230	10000.000	2175.559	CARD	46
231	10000.000	2555.559	CARD	47
232	10000.000	2735.559	CARD	48
233	10000.000	2825.559	CARD	49
234	10000.000	2855.559	CARD	50
235	10500.000	460.000	CARD	51
236	10500.000	960.000	CARD	52
237	10500.000	1460.000	CARD	53
238	10500.000	1920.000	CARD	54
239	10500.000	2125.559	CARD	55
240	10500.000	2320.000	CARD	56

Appendix B (continued)

241	10500.000	2700.000	CARD	257
242	10500.000	2850.000	CARD	258
243	10500.000	2900.000	CARD	259
244	10500.000	2950.000	CARD	260
245	11000.000	0.0	CARD	261
246	11000.000	450.000	CARD	262
247	11000.000	910.000	CARD	263
248	11000.000	1380.000	CARD	264
249	11000.000	1805.559	CARD	265
250	11000.000	2020.000	CARD	266
251	11000.000	2200.000	CARD	267
252	11000.000	2389.559	CARD	268
253	11000.000	2570.000	CARD	269
254	11000.000	2750.000	CARD	270
255	11000.000	2800.000	CARD	271
256	11000.000	2850.000	CARD	272
257	11500.000	0.0	CARD	273
258	11500.000	400.000	CARD	274
259	11500.000	850.000	CARD	275
260	11500.000	1250.000	CARD	276
261	11500.000	1655.559	CARD	277
262	11500.000	1855.559	CARD	278
263	11500.000	2055.559	CARD	279
264	11500.000	2250.000	CARD	280
265	11500.000	2439.559	CARD	281
266	11500.000	2585.559	CARD	282
267	11500.000	2635.559	CARD	283
268	11500.000	2685.559	CARD	284
269	12000.000	0.0	CARD	285
270	12000.000	360.000	CARD	286
271	12000.000	750.000	CARD	287
272	12000.000	1100.000	CARD	288
273	12000.000	1500.000	CARD	289
274	12000.000	1700.000	CARD	290
275	12000.000	1855.559	CARD	291
276	12000.000	2020.000	CARD	292
277	12000.000	2200.000	CARD	293
278	12000.000	2370.000	CARD	294
279	12000.000	2420.000	CARD	295
280	12000.000	2470.000	CARD	296
281	12500.000	0.0	CARD	297
282	12500.000	300.000	CARD	298
283	12500.000	650.000	CARD	299
284	12500.000	950.000	CARD	300
285	12500.000	1330.000	CARD	301
286	12500.000	1450.000	CARD	302
287	12500.000	1635.559	CARD	303
288	12500.000	1755.559	CARD	304
289	12500.000	1875.559	CARD	305
290	12500.000	2000.000	CARD	306

Appendix B (continued)

291	12500.000	2050.660
292	12500.000	2100.000
293	13000.000	0.0
294	13000.000	270.000
295	13000.000	570.000
296	13000.000	850.660
297	13000.000	1140.000
298	13000.000	1210.000
299	13000.000	1300.000
300	13000.000	1400.000
301	13000.000	1510.660
302	13000.000	1620.000
303	13000.000	1670.000
304	13000.000	1720.000
305	13250.000	0.0
306	13250.000	250.000
307	13250.000	530.000
308	13250.000	770.000
309	13250.000	1030.000
310	13250.000	1120.000
311	13250.000	1200.000
312	13250.000	1300.000
313	13250.000	1370.000
314	13250.000	1450.000
315	13250.000	1500.000
316	13250.000	1550.660
317	13500.000	0.0
318	13500.000	220.000
319	13500.000	460.000
320	13500.000	700.000
321	13500.000	920.000
322	13500.000	1010.000
323	13500.000	1100.000
324	13500.000	1180.000
325	13500.000	1250.000
326	13500.000	1300.000
327	13500.000	1350.000
328	13500.000	1400.000
329	13750.000	0.0
330	13750.000	200.000
331	13750.000	440.000
332	13750.000	650.000
333	13750.000	830.000
334	13750.000	910.000
335	13750.000	1000.000
336	13750.000	1080.000
337	13750.000	1140.000
338	13750.000	1200.000
339	13750.000	1250.660
340	13750.000	1300.000

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Appendix B (continued)

351 5000.000 250.000
352 15000.000 350.000
353 15000.000 520.000
354 15000.000 550.000
355 15000.000 720.000
356 15000.000 800.000
357 15000.000 860.000
358 15000.000 910.000
359 15000.000 910.000
401 15250.000 110.000
402 15250.000 230.000
403 15250.000 376.000
404 15250.000 480.000
405 15250.000 550.000
406 15250.000 610.000
407 15250.000 680.000
408 15250.000 750.000
409 15250.000 820.000
410 15250.000 870.000
411 15250.000 920.000
412 15500.000 0.000
413 15500.000 100.000
414 15500.000 210.000
415 15500.000 330.000
416 15500.000 440.000
417 15500.000 560.000
418 15500.000 640.000
419 15500.000 710.000
420 15500.000 750.000
421 15500.000 840.000
422 15500.000 850.000
423 15750.000 0.000
424 15750.000 100.000
425 15750.000 200.000
426 15750.000 300.000
427 15750.000 400.000
428 15750.000 470.000
429 15750.000 540.000
430 15750.000 610.000
431 15750.000 650.000
432 15750.000 750.000
433 15750.000 800.000
434 15750.000 850.000
435 16000.000 0.000
436 16000.000 100.000
437 16000.000 200.000
438 16000.000 250.000

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Appendix B (continued)

491	16700.000	460.000
492	16700.000	510.000
493	16700.000	570.000
494	16700.000	640.000
495	16700.000	690.000
496	16700.000	740.000
497	16800.000	0.0
498	16800.000	50.000
499	16800.000	180.000
500	16800.000	260.000
501	16800.000	340.000
502	16800.000	400.000
503	16800.000	450.000
504	16800.000	500.000
505	16800.000	560.000
506	16800.000	620.000
507	16800.000	670.000
508	16800.000	720.000
509	16900.000	0.0
510	16900.000	50.000
511	16900.000	180.000
512	16900.000	260.000
513	16900.000	340.000
514	16900.000	390.000
515	16900.000	450.000
516	16900.000	500.000
517	16900.000	550.000
518	16900.000	610.000
519	16900.000	660.000
520	16900.000	710.000
521	17000.000	0.0
522	17000.000	50.000
523	17000.000	180.000
524	17000.000	260.000
525	17000.000	340.000
526	17000.000	390.000
527	17000.000	450.000
528	17000.000	500.000
529	17000.000	550.000
530	17000.000	600.000
531	17000.000	650.000
532	17000.000	700.000
533	17100.000	0.0
534	17100.000	50.000
535	17100.000	180.000
536	17100.000	260.000
537	17100.000	340.000
538	17100.000	390.000
539	17100.000	450.000
540	17100.000	500.000

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Appendix B (continued)

541 17100.000 550.000
 542 17100.000 600.000
 543 17100.000 650.000
 544 17100.000 700.000
 545 17250.000 0.000
 546 17250.000 50.000
 547 17250.000 100.000
 548 17250.000 150.000
 549 17250.000 200.000
 550 17250.000 250.000
 551 17250.000 300.000
 552 17250.000 350.000
 553 17200.000 400.000
 554 17200.000 450.000
 555 17200.000 500.000
 556 17200.000 550.000
 557 17400.000 600.000
 558 17400.000 650.000
 559 17400.000 700.000
 560 17400.000 750.000
 561 17400.000 800.000
 562 17400.000 850.000
 563 17400.000 900.000
 564 17400.000 950.000
 565 17300.000 1000.000
 566 17300.000 1050.000
 567 17300.000 1100.000
 568 17300.000 1150.000
 569 17600.000 1200.000
 570 17600.000 1250.000
 571 17600.000 1300.000
 572 17600.000 1350.000
 573 17600.000 1400.000
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 575 17600.000 1500.000
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 577 17550.000 1600.000
 578 17450.000 1650.000
 579 17400.000 1700.000
 580 17400.000 1750.000
 581 17800.000 1800.000
 582 17800.000 1850.000
 583 17800.000 1900.000
 584 17800.000 1950.000
 585 17800.000 2000.000
 586 17800.000 2050.000
 587 17650.000 2100.000
 588 17650.000 2150.000
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Appendix B (continued)

ORNL-5567

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591 18000.000 180.000
 592 18000.000 260.000
 593 18000.000 340.000
 594 18000.000 350.000
 595 18000.000 450.000

CARD 607
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----- CARD GROUP 9 ELEMENT INCIDENCE DEFINITION

1	1	13	14	2	1	11	12
133	145	157	158	146	1		
139	151	163	164	152	1		
140	157	165	166	158	1	7	5
175	197	209	210	198	1	11	31
516	569	581	582	570	1		
522	575	587	588	576	1		
523	581	585	590	582	1		
528	586	594	595	587	1		

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 CARD 619
 CARD 620

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----- CARD GROUP 10 MATERIAL CORRECTIONS ARE NOT REQUIRED
 ----- SINCE NCM = 0

----- CARD GROUP 11 CARD INPUT FOR INITIAL CONDITIONS

1	0.
595	0.

CARD 621
 CARD 622

C
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----- CARD GROUP 12 STEADY STATE INTEGER PARAMETERS

7	6	0	0	29	29
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CARD 623

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----- CARD GROUP 13 STEADY STATE RAINFALL PROFILES ARE NOT REQUIRED
 ----- SINCE NRPFR = 0

----- CARD GROUP 14 STEADY STATE RAINFALL TYPES AND PONDING DEPTH

244		0.
520	12	0.

CARD 624
 CARD 625

C
 C
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----- CARD GROUP 15 STEADY STATE RAINFALL-SEEPAGE SURFACE ELEMENT-SIDES

218	244	256	0
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CARD 626

Appendix B (continued)

	515	568	580	11							CARD 627
	515	579	580	0							CARD 628
C											
C											
C											
	----- CARD GROUP 16 STEADY STATE DIRICHLET -TYPE BOUNDARY CONDITIONS										
	579			0.0							CARD 629
	578			50.0							CARD 630
	577			100.0							CARD 631
	576			150.0							CARD 632
	588			160.0							CARD 633
	587			200.0							CARD 634
	595			200.0							CARD 635
C											
C											
C											
	----- CARD GROUP 17 STEADY STATE NEUMANN FLUX BOUNDARY CONDITIONS										
	152	164	0		-4.E-4	-4.E-4					CARD 636
	196	204	1		-4.E-4	-4.E-4					CARD 637
C											
C											
	----- FINIALLY A BLANK CARD TO END THE JOB										
											CARD 638

APPENDIX C
LISTING OF FORTRAN IV SOURCE PROGRAM

APPENDIX C
LISTING OF FORTRAN IV SOURCE PROGRAM

C	THIS COMPUTER CODE IS CONTAINED IN THE FOLLOWING REPORT:	MAIN 005
C		MAIN 010
C	YEH, G. T. AND D. S. WAPD, 1979. "FEMWATER: A FINITE-ELEMENT MODEL	MAIN 015
C	OF WATER FLOW THROUGH SATURATED-UNSATURATED POROUS MEDIA", ORNL-5567,	MAIN 020
C	OAK RIDGE NATIONAL LABORATORY, OAK RIDGE, TN 37930	MAIN 025
C		MAIN 030
C	A SLIGHTLY UPDATED VERSION IS CONTAINED IN FEMWATER (ORNL/T4----	MAIN 035
C		MAIN 040
C	FOR ANY QUESTION, PLEASE CONTACT DR. G. T. YEH AT (615) 574-7285	MAIN 045
C		MAIN 050
C	ADDITIONAL REFERENCES IS:	MAIN 055
C		MAIN 060
C	REEVES, M. AND J. DUGUID, 1975. "WATER MOVEMENT THROUGH SATURATED-	MAIN 065
C	UNSATURATED POROUS MEDIA: A GALERKIN FINITE ELEMENT MODEL",	MAIN 070
C	ORNL 4927, OAK RIDGE NATIONAL LABORATORY, OAK RIDGE,	MAIN 075
C	TENNESSEE 37930	MAIN 080
C		MAIN 085
C		MAIN 090
C	----- MAIN PROGRAM	MAIN 095
C	IMPLICIT REAL*8(A-H,O-Z)	MAIN 100
C	REAL*4 PMAT,THPAR,AKPAR,SUBHD	MAIN 105
C		MAIN 110
C	DIMENSION X(595),Z(595),IE(528,5)	MAIN 115
C		MAIN 120
C	DIMENSION C(595,16),R(595),H(595),HP(595),HW(595),HT(595),	MAIN 125
C	> TH(528,4),DTH(528,4),VX(595),VZ(595),	MAIN 130
C	> AKX(528,4),AKZ(528,4),NPCNV(595)	MAIN 135
C		MAIN 140
C	DIMENSION DLB(195),DCOSXB(199),DCOSZB(199),BFLX(200),BFLXP(200),	MAIN 145
C	> NBE(195),ISB(195,4),NPB(200)	MAIN 150
C		MAIN 155
C	DIMENSION DL(99),DCOSX(99),DCOSZ(99),DCYFLX(100),FLX(100),	MAIN 160
C	> RSFLX(100),HCCN(100),NRSE(99),IS(99,4),NPRS(100),NPCON(100),	MAIN 165
C	> NPFLX(100),IRFTYP(100),TRF(3,20),RF(3,20),RFALL(3)	MAIN 170
C		MAIN 175
C		MAIN 180
C	DIMENSION RP(30),NPST(30),BB(40),NN(40)	MAIN 185
C		MAIN 190
C	DIMENSION PROP(3,5),THPROP(3,52),AKPROP(3,52),HPROP(3,52),	MAIN 195
C	> CAPROP(3,52)	MAIN 200
C		MAIN 205
C	DIMENSION PMAT(3,5),AKPAR(3,8),THPAR(3,8)	MAIN 210
C		MAIN 215
C	DIMENSION KPR(500),KDSK(500)	MAIN 220
C		MAIN 225
C	DIMENSION SUBHD(8,3),FRATE(10),FLOW(10),TFLOW(10)	MAIN 230
C		MAIN 235
C	COMMON /GEOM/ SNFE,CSFE,NNP,NEL,IBAND	MAIN 240
C		MAIN 245
C		MAIN 250

Appendix C (continued)

	COMMON /CNTRL/ NTI,MAXCY,MAXIT,NSTRT,KSTR,KPRJ,KDSKJ,KSS,<5	MAIN 255
	COMMON /TOLNS/ TCLA,TOLB	MAIN 260
	COMMON /PARAM/ DELT,CHNG,DELMAX,TMAX	MAIN 265
	COMMON /BRSD/ NBEL,NBN,NRSEL,NRSN,NRFPR,NRFPAR	MAIN 270
	COMMON /BCST/ NBC,NST,NSTN	MAIN 275
	COMMON /MTL/ NMAT,NMPPM,NSPPM	MAIN 280
	COMMON /OPT/ ILUMF,IMID	MAIN 285
C	DATA MAXEL,MAXNP,MAXHBP /528,595,16/	MAIN 290
	DATA MAXBEL,MAXBNF /199,200/	MAIN 295
	DATA MXRSEL,MXRSNP,MXRFPAR,MXRPAR /99,100,3,20/	MAIN 300
	DATA MXSTEL,MXSTNF,MAXBCN /29,30,40/	MAIN 305
	DATA MAXMAT,MXSPPM,MAXMPPM, NTHPPM,NAKPPM/ 3,52,5,8.3/	MAIN 310
	DATA MAXNTI /500/	MAIN 315
C	DATA PMAT/4H .4H ALP,4H .4H B,4HETAP,4H .4H .	MAIN 320
	> 4H POR,4H .4H .4H KX .4H .4H .4H KZ .4H /	MAIN 325
	DATA THPAR/4H .4H TH1,4H .4H .4H TH2,4H .4H .4H	MAIN 330
	> 4H H0,4H .4H .4H A1,4H .4H .4H A2,4H .4H .	MAIN 335
	> 4H R1,4H .4H .4H R2,4H .4H .4H C,4H /	MAIN 340
C	DATA AKPAR/4H .4H B1,4H .4H .4H B2,4H .18**H /	MAIN 345
C	DATA SUBHD/4HINPL,4HT IN,4HITIA,4HL CO,4HNDIT,4HIONS,2*4H	MAIN 350
	> 4HSTEA,4HDY-S,4HTATE,4H INI,4HTIAL,4H CON,4HDITI,4HONS , 8*	MAIN 355
	> 4H /	MAIN 360
C	----- INITIATE ARRAYS FOR NODAL POINTS	MAIN 365
C	DO 100 NP=1,MAXNF	MAIN 370
	X(NP)=0.0	MAIN 375
	Z(NP)=0.0	MAIN 380
	R(NP)=0.0	MAIN 385
	H(NP)=0.0	MAIN 390
	HP(NP)=0.0	MAIN 395
	HM(NP)=0.0	MAIN 400
	HT(NP)=0.0	MAIN 405
	VX(NP)=0.0	MAIN 410
	VZ(NP)=0.0	MAIN 415
	DO 100 I=1,MAXHBP	MAIN 420
100	C(NP,I)=0.0	MAIN 425
C	----- INITIATE ARRAYS FOR ELEMENTS	MAIN 430
C	DO 150 MP=1,MAXEL	MAIN 435
	DO 120 I=1,5	MAIN 440
120	IF(MF,(I))=0	MAIN 445
C		MAIN 450
		MAIN 455
		MAIN 460
		MAIN 465
		MAIN 470
		MAIN 475
		MAIN 480
		MAIN 485
		MAIN 490
		MAIN 495
		MAIN 500

Appendix C (continued)

	DO 140 IQ=1,4	MAIN 505
	TH(MP,IQ)=0.0	MAIN 510
140	DTH(MP,IQ)=0.0	MAIN 515
C		MAIN 520
C	150 CONTINUE	MAIN 525
C		MAIN 530
C	----- INITIATE ARRAYS FOR BOUNDARY ELEMENTS	MAIN 535
C		MAIN 540
	DO 200 MP=1,MAXBEL	MAIN 545
	DLB(MP)=0.0	MAIN 550
	DCOSXB(MP)=0.0	MAIN 555
	DCOSZB(MP)=0.0	MAIN 560
	NBE(MP)=0	MAIN 565
	DO 200 IQ=1,4	MAIN 570
	ISB(MP,IQ)=0	MAIN 575
200	CONTINUE	MAIN 580
C		MAIN 585
C		MAIN 590
C	----- INITIATE ARRAYS FOR BOUNDARY NODAL POINTS	MAIN 595
C		MAIN 600
	DO 250 NP=1,MAXBNP	MAIN 605
	BFLX(NP)=0.0	MAIN 610
	BFLXP(NP)=0.0	MAIN 615
250	NPB(NP)=0	MAIN 620
C		MAIN 625
	DO 300 MP=1,MAXRSEL	MAIN 630
	DL(MP)=0.0	MAIN 635
	DCOSX(MP)=0.0	MAIN 640
	DCOSZ(MP)=0.0	MAIN 645
	NRSE(MP)=0	MAIN 650
	DO 300 IQ=1,4	MAIN 655
	IS(MP,IQ)=0	MAIN 660
300	CONTINUE	MAIN 665
C		MAIN 670
C		MAIN 675
C	----- INITIATE ARRAYS FOR RAINFALL-SEEPAGE BOUNDARY NODAL POINTS	MAIN 680
C		MAIN 685
	DO 350 NP=1,MAXRSNF	MAIN 690
	DCYFLX(NP)=0.0	MAIN 695
	FLX(NP)=0.0	MAIN 700
	RSFLX(NP)=0.0	MAIN 705
	HCON(NP)=0.0	MAIN 710
	NPRS(NP)=0	MAIN 715
	NPCON(NP)=0	MAIN 720
	NPFLX(NP)=0	MAIN 725
350	IRFTYP(NP)=0	MAIN 730
C		MAIN 735
C		MAIN 740
		MAIN 745
		MAIN 750

Appendix C (continued)

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C ----- INITIATE ARRAYS FOR RAINFALL INFORMATION
C
C      DO 360 I=1,MXRFR
C         RFALL(I)=0.0
C      DO 360 J=1,MXRPAR
C         TRF(I,J)=0.0
C 360      RF(I,J)=0.0
C
C ----- INITIATE ARRAYS FOR SURFACE TERM POINT FLJX
C
C      DC 500 NP=1,MXSTAF
C         NPST(NP)=0
C 500      RP(NP)=0.0
C
C ----- INITIATE ARRAYS FOR DIRICHLENT BOUNDARY CONDITIONS
C
C      DO 510 NP=1,MAXBCA
C         BB(NP)=0.0
C 510      NN(NP)=0
C
C ----- INITIATE ARRAYS FOR MATERIAL PROPERTIES
C
C      DO 610 I=1,MAXMAT
C         DO 610 J=1,MXMFPM
C            PROP(I,J)=0.0
C 610
C      DO 630 J=1,MXSFPM
C         THPROP(I,J)=0.0
C         AKPROP(I,J)=0.0
C         HPROP(I,J)=0.0
C 630      CAPROP(I,J)=0.0
C
C 650      CONTINUE
C
C ----- INITIATE ARRAYS FOR FLOW THROUGH VARIOUS TYPES OF BOUNDARIES
C
C      DO 700 I=1,10
C         FRATE(I)=0.0
C         FLOW(I)=0.0
C 700      IFLOW(I)=0.0
C
C ----- PASS THE PROGRAM TO GW2DXZ
C
C      CALL GW2DXZ(X,Z,IE, C,R,H,HP,HV,HT,TH,DTH,VX, /Z,AKX,AKZ,NPCV,
C > DLB,DCOSXB,DCCSZB,BFLX,BFLXP,NBE,ISB,NPB, DL,DCOSX,DCOSZ,

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MAIN 755
MAIN 760
MAIN 765
MAIN 770
MAIN 775
MAIN 780
MAIN 785
MAIN 790
MAIN 795
MAIN 800
MAIN 805
MAIN 810
MAIN 815
MAIN 820
MAIN 825
MAIN 830
MAIN 835
MAIN 840
MAIN 845
MAIN 850
MAIN 855
MAIN 860
MAIN 865
MAIN 870
MAIN 875
MAIN 880
MAIN 885
MAIN 890
MAIN 895
MAIN 900
MAIN 905
MAIN 910
MAIN 915
MAIN 920
MAIN 925
MAIN 930
MAIN 935
MAIN 940
MAIN 945
MAIN 950
MAIN 955
MAIN 960
MAIN 965
MAIN 970
MAIN 975
MAIN 980
MAIN 985
MAIN 990
MAIN 995
MAIN1000

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Appendix C (continued)

> DCYFLX,FLX,RSFLX,HCON,NRSE,IS,NPRS,NPCCN,NPFLX,IRFTYP,TZF,RF,
> RFALL, RP,NPST,BB,NN,PROP,THP3JP,
> AKPROP,HPROP,CAPROP,MAXEL,MAXNP,MAXHBP,MAXBEL,MAXBNP,MAXSE,
> MXRSP,MXRFP,MXRPAR, MXSTEL,MKSTNP,MAXBCV,
> MAXMAT,MAXPPM,MAXSPM,NTHPPM,NAKPPM,MAXNTI,FRATE,FLOW,TF,DW,
> PMAT,AKPAR,THPAR,SUBHD,KPR,KDSK)

C

STOP
END

MAIN1005
MAIN1010
MAIN1015
MAIN1020
MAIN1025
MAIN1030
MAIN1035
MAIN1040
MAIN1045

Appendix C (continued)

	SUBROUTINE GW2DXZ(X,Z,IE,C,R,H,HP,HV,HT,TH,DTH,VX,VZ,AKX,AKZ,	GW2D	005
	> NPCNV, DLB,DCOSXB,DCOSZB,BFLX,BFLXP,NBE,ISB,NPB, DL,DCSX,	GW2D	010
	> DCOSZ,DCYFLX,FLX,RSFLX,HCON,NRSE,IS,NPRS,NPCON,NPF,X,IRFTY,TRF,	GW2D	015
	> RF,RFALL, RP,NPST, BB,NV, PRJP,THPRJ,	GW2D	020
	> AKPROP,HPROP,CAPROP, MAXEL,MAXNP,MAXHP, MAXBEL,MAXBNP, MXSEL,	GW2D	025
	> MXRNP,MXRFP, MXRPAR, MXSTEL, MXSTNP, MAXBC,	GW2D	030
	> MAXMAT, MXNPPM, MXSPPM, NTHPPM, NAKPPM, MAXNTI, FRATE, FLOW, TFLOW,	GW2D	035
	> PMAT, AKPAR, THPAR, SUBHD, KPR, KDSK)	GW2D	040
C	IMPLICIT REAL*8(A-H,O-Z)	GW2D	045
	REAL*4 PMAT, THPAR, AKPAR, SUBHD	GW2D	050
C	DIMENSION TITLE(5)	GW2D	055
	DIMENSION X(MAXNP), Z(MAXNP), IE(MAXEL,5)	GW2D	060
C	DIMENSION C(MAXNP,MAXHP), R(MAXNP), H(MAXNP), HP(MAXNP), HV(MAXNP),	GW2D	065
	> HT(MAXNP), TH(MAXEL,4), DTH(MAXEL,4), VX(MAXNP), VZ(MAXNP),	GW2D	070
	> AKX(MAXEL,4), AKZ(MAXEL,4), NPCNV(MAXNP)	GW2D	075
C	DIMENSION DLB(MAXBEL), DCOSXB(MAXBEL), DCOSZB(MAXBEL), RFLX(MAXNP),	GW2D	080
	> BFLXP(MAXBNP), NBE(MAXBEL), ISB(MAXBEL,4), NPB(MAXBNP)	GW2D	085
C	DIMENSION DL(MXRSEL), DCOSX(MXRSEL), DCOSZ(MXRSEL), DCYFLX(4XR5VP),	GW2D	090
	> FLX(MXRNP), RSFLX(MXRNP), HCON(MXRNP), NRSE(MXRSEL), IS(MXRSEL,4),	GW2D	095
	> NPRS(MXRNP), NPCON(MXRNP), NPF(X), IRFTY(MXRNP),	GW2D	100
	> TRF(MXRFP, MXRPAR), RF(MXRFP, MXRPAR), RFALL(MXRFP)	GW2D	105
C	DIMENSION RP(MXSTNP), NPST(MXSTNP), BB(MAXBCN), NN(MAXBCN)	GW2D	110
C	DIMENSION PROP(MAXMAT, MXNPPM), THPROP(MAXMAT, MXSPPM),	GW2D	115
	> AKPROP(MAXMAT, MXSPPM), HPROP(MAXMAT, MXSPPM), CAPROP(MAXMAT, MXSPPM)	GW2D	120
C	DIMENSION FRATE(10), FLOW(10), TFLOW(10)	GW2D	125
	DIMENSION PMAT(3, MXNPPM), AKPAR(3, NAKPPM), THPAR(3, NTHPPM)	GW2D	130
	DIMENSION SUBHD(8,3)	GW2D	135
	DIMENSION KPR(MAXNTI), KDSK(MAXNTI)	GW2D	140
C	COMMON /GEOM/ SNFE, CSFE, NNP, NEL, IBAND	GW2D	145
	COMMON /CNTRL/ NTI, MAXCY, MAXIT, NSTRT, KSTR, KPRO, KDSK, KSS, (S)	GW2D	150
	COMMON /TOTLNS/ TCLA, TOLB	GW2D	155
	COMMON /PARAM/ DELT, CHNG, DELMAX, TMAX	GW2D	160
	COMMON /BRND/ NBEL, NBN, NRSEL, NRSN, NRFP, NRFPAR	GW2D	165
	COMMON /BCST/ NBC, NST, NSTN	GW2D	170
	COMMON /MTL/ PMAT, MNPPM, NSPPM	GW2D	175
	COMMON /OPT/ ILLMF, IMID	GW2D	180
C		GW2D	185
C		GW2D	190
C	PROBLEM IDENTIFICATION AND DESCRIPTION	GW2D	195
C		GW2D	200
	10 READ 10JG0,NPROB, (TITLE(I),I=1,9), IBUG, ICHNG	GW2D	205
		GW2D	210
		GW2D	215
		GW2D	220
		GW2D	225
		GW2D	230
		GW2D	235
		GW2D	240
		GW2D	245
		GW2D	250

Appendix C (continued)

	IF (NPROB.LE.0) GC TO 270	GW2D 255
	PRINT 10100,NPROB,(TITLE(I),I=1,9)	GW2D 260
C	READ AND PRINT INPLT DATA	GW2D 265
C		GW2D 270
	KOUT=0	GW2D 275
	KSS=1	GW2D 280
C		GW2D 285
C	CALL DATAIN(X,Z,IE, H,HT,TH,VX,VZ, DLB,DCOSXB,DCOSZB,NBE,	GW2D 290
	> ISB,NPB, DL,DCCSX,DCOSZ,HCON,NRSE,IS,NPRS,NPCON,NPFLX,IRFTY,	GW2D 295
	> TRF,RF, RP,NPST, BB,NV,	GW2D 300
	> PROP,THPROP,AKPRCP,HPROP,CAPROP, MAXEL,MAXNP,MAXHBP,	GW2D 305
	> MAXBEL,MAXBNP, MXRSEL,MXRSNP,MXRFP,MRPAR,	GW2D 310
	> MXSTEL,MXSTNP, MAXECN, MAXMAT,MXNPPM,MXSPPM,NTHPPM,MAXP,N,	GW2D 315
	> MAXNTI, PMAT,AKPAR,THPAR, KPR,KDSK, ISTOP,MAXDIF,W,TIME,	GW2D 320
	> TITLE,NPROB)	GW2D 325
C		GW2D 330
	KDIG=NSTRT	GW2D 335
	IF (ISTOP.GT.0) GC TO 270	GW2D 340
C	COMPUTE BAND-WIDTH VARIABLES	GW2D 345
C		GW2D 350
	IHALFB=MAXDIF	GW2D 355
	IBAND=2*IHALFB+1	GW2D 360
	IHBP=IHALFB+1	GW2D 365
	IF (IHBP.GT.MAXHBP) GO TO 260	GW2D 370
C	PREPARE INITIAL VARIABLES	GW2D 375
C		GW2D 380
	CALL SPROP(IE, H,TH,DTH,AKX,AKZ,PROP,THPROP,AKPROP,HPROP,	GW2D 385
	> CAPROP, MAXEL,MAXNP, MAXMAT,MXNPPM,MXSPPM, NEL,(S))	GW2D 390
C		GW2D 395
	CALL VELT(X,Z,IE, C,H,HT,VX,VZ,AKX,AKZ, MAXEL,MAXNP,MAXHBP)	GW2D 400
C		GW2D 405
	KFLOW=-1	GW2D 410
C		GW2D 415
	CALL SFLOW(X,Z,IE, H,VX,VZ, DLB,DCOSXB,DCOSZB,BFLX,BFLXP,ISD,	GW2D 420
	> NBE,NPB, NPRS, NPST,NN, FRATE,FLOW,TFLOW, MAXNP,MAXEL,	GW2D 425
	> MAXBEL,MAXBNP, MXRSNP, MXSTNP,MAXBCN,KFLOW,DELT,DTH,d,HP,	GW2D 430
	> PROP,MAXMAT,MXNPPM)	GW2D 435
C		GW2D 440
C	PRINT INITIAL VARIABLES	GW2D 445
C		GW2D 450
	KDIAG=0	GW2D 455
C		GW2D 460
	CALL PRINTT(VX,VZ,H,HT,TH, NPB,BFLX, NPRS,RSFLX,NPCON,NPFLX,	GW2D 465
	> FRATE,FLOW,TFLOW, MAXNP,MAXEL, MAXBNP,MXRSNP, NNP,NEL, VBN,VRV,	GW2D 470
	> TIME,DELT,SUBHD(1,1),IBAND,KPRO,KOUT,KDIAG,-1)	GW2D 475
		GW2D 480
		GW2D 485
		GW2D 490
		GW2D 495
		GW2D 500

Appendix C (continued)

C	IF(KSTR.EQ.1 .AND. KSS.EQ.1 .AND. NSTRT.EQ.J .AND. <DS<0.EQ.1)	GW2J	505
	> CALL STORE(X,Z,IE, H,HT,TH,VX,VZ,DLB,DCOSXB,DCOSZB,NBE,ISB,VPB,	GW2D	510
	> TITLE,TIME,MAXNP,MAXEL,MAXBNP,MAXBEL,NPROB,NNP,NEL,NBN,VBEL,NTI,	GW2D	515
	> NPCON,NPFLX,MXRSNP,NRSN, NSTRT)	GW2D	520
C	IF (KSS.NE.0) GO TO 130	GW2D	525
C	PERFORM STEADY-STATE CALCULATION	GW2D	530
C	IF (NRSN.EQ.0) GO TO 30	GW2D	535
C	DD 20 NPP=1,NRSN	GW2D	540
	NPCON(NPP)=NPRS(NPP)	GW2D	545
C	20 NPFLX(N,P)=0	GW2D	550
C	NCHG=-1	GW2D	555
	CALL BCPREP(IE, H,VX,VZ, DL,DCOSX,DCOSZ,DCYFLX,FLX,RSF-X,	GW2D	560
	> HCON,NRSE,IS,NPRS,NPCON,NPFLX,IRFTYP,TRF,RF,RFALL, MAXEL,MAXV,	GW2D	565
	> MXRSEL,MXRSNP,MXRFP, MXRPAR, TIME,NCHG)	GW2D	570
C	30 DD 40 NP=1,NNP	GW2D	575
	40 HP(NP)=H(NP)	GW2D	580
C	NIT=0	GW2D	585
	KDIG=KDIG+1	GW2D	590
	IF(IBUG.NE.0) PRINT 10400,KDIG,TIME,DELT	GW2D	595
C	ITERATION LOOP ON THE SEEPAGE-RAINFALL BOUNDARY CONDITIONS BEGINS	GW2D	600
C	DD 100 ICY=1,MAXCY	GW2D	605
	DD 50 NP=1,NNP	GW2D	610
C	50 H(NP)=HP(NP)	GW2D	615
C	ITERATION LOOP ON THE NON-LINEAR EQUATION BEGINS	GW2D	620
	IF(IBUG.NE.0) PRINT 10401	GW2D	625
	DO 80 IT=1,MAXIT	GW2D	630
	NIT=NIT+1	GW2D	635
C	EVALUATE SOIL PROPERTIES FOR PREVIOUS ITERATE	GW2D	640
C	> CALL SPROP(IE, H,TH,DTH,AKX,AKZ, PROP,THPROP,AKPROP,HPRDP,	GW2D	645
	CAPROP, MAXEL,MAXNP, MAXMAT,MAXMPPM,MAX5PPM, NE,<S>)	GW2D	650
C	ASSEMBLE STEADY-STATE COEFFICIENT MATRICES A, B, AND C, AND CONSTRUCT	GW2D	655
C	LOAD VECTOR R	GW2D	660
	CALL ASEMBL(X,Z,IE, C,R,H,HP,TH,DTH,AKX,AKZ, PROP,	GW2D	665
		GW2D	670
		GW2D	675
		GW2D	680
		GW2D	685
		GW2D	690
		GW2D	695
		GW2D	700
		GW2D	705
		GW2D	710
		GW2D	715
		GW2D	720
		GW2D	725
		GW2D	730
		GW2D	735
		GW2D	740
		GW2D	745
		GW2D	750

Appendix C (continued)

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C      >      MAXNP,MAXEL,MAXHBP, MAXMAT,MAXMPFM, KSS, #, DELT)
C      APPLY STEADY-STATE BOUNDARY CONDITIONS
C      >      CALL BC(C,R, FLX,HCON,NPCON,NPFLX, RP,NPST, BB,YN,
C      MAXNP,MAXHBP, MXRSNP, MXSTNP,MAXBCN, KSS)
C      TRIANGULARIZE STEADY-STATE C MATRIX
C      CALL BANSOL(1,C,R,NNP,IHBP,MAXNP,MAXHBP)
C      BACK-SUBSTITUTE FOR STEADY-STATE SOLUTION
C      CALL BANSOL(2,C,R,NNP,IHBP,MAXNP,MAXHBP)
C      OBTAIN MAXIMUM RELATIVE DEVIATION FROM PREVIOUS ITERATE
C      NPP=0
C      RD=-1.
C      RES=-1.
C      DO 60 NP=1,NNP
C          RESNP=DABS(R(NP)-H(NP))
C          RES=DMAX1(RES,RESNP)
C          IF (H(NP).NE.0.00) RD=DMAX1(RD,DABS(RESNP/H(NP)))
C          IF (RESNP.LE.TOLA) GO TO 60
C          NPP=NPP+1
C          NPCNV(NPF)=NP
C      60      CONTINUE
C      UPDATE PRESSURE WITH CURRENT ITERATE
C      NNCVN=NPP
C      DO 70 NP=1,NNP
C          H(NP)=R(NP)
C      70
C      ESCAPE FROM ITERATION LOOP IF THE MAXIMUM RESIDUAL IS
C      SUFFICIENTLY SMALL
C      IF (IBUG.NE.0) PRINT 10200,NIT,RES,RD,NNCVN
C      IF (IT.EQ.1) GO TO 80
C      IF (RES.LT.TOLA) GO TO 90
C      80      CONTINUE
C      END OF ITERATION LOOP ON THE NONO-LINEAR EQUATION
C      PRINT NONCONVERGING NODES
C      IF (IBLG.EQ.0) GO TO 90
C      PRINT 10500

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GW2D 755
GW2D 760
GW2D 765
GW2D 770
GW2D 775
GW2D 780
GW2D 785
GW2D 790
GW2D 795
GW2D 800
GW2D 805
GW2D 810
GW2D 815
GW2D 820
GW2D 825
GW2D 830
GW2D 835
GW2D 840
GW2D 845
GW2D 850
GW2D 855
GW2D 860
GW2D 865
GW2D 870
GW2D 875
GW2D 880
GW2D 885
GW2D 890
GW2D 895
GW2D 900
GW2D 905
GW2D 910
GW2D 915
GW2D 920
GW2D 925
GW2D 930
GW2D 935
GW2D 940
GW2D 945
GW2D 950
GW2D 955
GW2D 960
GW2D 965
GW2D 970
GW2D 975
GW2D 980
GW2D 985
GW2D 990
GW2D 995
GW2D 1000

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Appendix C (continued)

C	PRINT 10600,(NPCNV(NPP),NPP=1,NNCVN)	GW201005
C	PRINT RAINFALL-SEEPAGE B. C. CHANGL INFORMATION	GW201010
C	90 IF(ICHNG.EQ.0) GO TO 95	GW201015
C	IF(NRSN.EQ.0) GO TO 95	GW201020
C	PRINT 10402	GW201025
C	DO 94 IRSN=1,NRSN	GW201030
C	NP=NPRS(IRSN)	GW201035
C	PRINT 10403,IRSN,NP,NPCCN(IRSN),HCON(IRSN),NPF_X(IRSN),	GW201040
C	> FLX(IRSN),DCYFLX(IRSN)	GW201045
C	94 CONTINUE	GW201050
C	CALCULATE FLOW RATES	GW201055
C	95 CALL SPROP(IE,H,TH,DTH,AKX,AKZ,PRCP,THPROP,AKPROP,HPRJ,	GW201060
C	> CAPROP,MAXEL,MAXNP,MAXMAT,MAXMPPM,MAXSPPM,VEL,KSP)	GW201065
C	CALL VELT(X,Z,IE,C,H,HT,VX,VZ,AKX,AKZ,MAXEL,MAXNP,MAXHJ)	GW201070
C	IF (NRSN.EQ.0) GO TO 110	GW201075
C	CALL BCPREP(IE,H,VX,VZ,DL,DCOSX,DCOSZ,DCYFLX,F_X,RSFLX,	GW201080
C	> HCON,NRSE,IS,NPRS,NPCCN,NPFLX,IRFTYP,TRF,RF,RFALL,MAXE,	GW201085
C	> MAXNP,MAXSEL,MAXRSNP,MAXRFR,MAXRPAR,TIME,NCHG)	GW201090
C	IF (NCHG.EQ.0) GO TO 110	GW201095
C	100 CONTINUE	GW201100
C	END OF ITERATION LCCF ON THE SEEPAGE-RAINFALL BOUNDARY CONDITIONS	GW201105
C	110 KFLOW=-1	GW201110
C	CALL SFLOW(X,Z,IE,TH,VX,VZ,DLB,DCOSXB,DCOSZB,BFLX,BFLXP,1,3,	GW201115
C	> NBE,NPB,NPRS,NPST,NN,FRATE,FLOW,TFLOW,MAXNP,MAXEL,	GW201120
C	> MAXBEL,MAXBNP,MAXRSNP,MAXSTNP,MAXBCN,KFLOW,DELT,DTH,d,H,	GW201125
C	> PROP,MAXMAT,MAXMPPM)	GW201130
C	DO 120 I=1,6	GW201135
C	FLOW(I)=0.	GW201140
C	120 TFLOW(I)=0.	GW201145
C	FRATE(7)=0.	GW201150
C	FLOW(7)=0.	GW201155
C	PRINT STEADY-STATE VARIABLES	GW201160
C	CALL PRINTT(VX,VZ,H,HT,TH,NPB,BFLX,NPRS,RSFLX,NPCCN,NPF_X,	GW201165
C	> FRATE,FLOW,TFLOW,MAXNP,MAXEL,MAXBNP,MAXRSNP,NN,NEL,VBV,VRSN,	GW201170
C	> TIME,DELT,SUBHD(1,2),IBAND,KPRO,KOUT,KDIAG,0)	GW201175
C		GW201180
C		GW201185
C		GW201190
C		GW201195
C		GW201200
C		GW201205
C		GW201210
C		GW201215
C		GW201220
C		GW201225
C		GW201230
C		GW201235
C		GW201240
C		GW201245
C		GW201250

Appendix C (continued)

C	IF(KSTR.EQ.1 .AND. KDSKO.EQ.1) CALL STORE(X,Z,IE,	GW2D1255
	> H,HT,TH,VX,VZ,DLB,DCOSXB,DCOSZB,NBE,ISB,NPB,TIF,E,TIME,MAXP,	GW2D1260
	> MAXEL,MAXBNP,MAXBEL,NPROB,NRP,NEL,NBN,NBEL,NTI, NPCON,NPFLX,	GW2D1265
	> MXRSNP,NRSN, NSTRT)	GW2D1270
	IF (NTI.EQ.0) GO TO 10	GW2D1275
C	READ TRANSIENT BCLNDARY CONDITICNS	GW2D1280
C	CALL DATAIN(X,Z,IE, H,HT,TH,VX,VZ, DLB,DCOSXB,DCOSZB,NBE,	GW2D1285
C	> ISB,NPB, DL,DCCSX,DCOSZ,HCCN,NRSE,IS,NPRS,NPCON,NPFLX,IRFTYP,	GW2D1290
	> TRF,RF, RP,NPST, BB,NN,	GW2D1295
	> PROP,THPROP,AKPRCP,HPRCP,CAPROP, MAXEL,MAXNP,MAXHBP,	GW2D1300
	> MAXBEL,MAXBNP, MXRSEL,MXRSNP,MXRFP,MYRPAR,	GW2D1305
	> MXSTEL,MXSTNP, MAXBCN, MAXMAT,MXMPPM,MXSPPM,NTHPPM,NAKPM,	GW2D1310
	> MAXNTI, PMAT,AKPAR,THPAR, KPR,KOSK, ISTOP,MAXDIF,E,TIME,	GW2D1315
	> TITLE,NPROB)	GW2D1320
C	KSS=1	GW2D1325
C	PERFORM TRANSIENT-STATE CALCULATION	GW2D1330
C	130 IF (NRSN.EQ.0) GC TO 160	GW2D1335
	IF (NSTRT.GT.0) GC TO 150	GW2D1340
C	DO 140 NPP=1,NRSN	GW2D1345
	NPCON(NPP)=NPRS(NPP)	GW2D1350
	140 NPFLX(NPP)=0	GW2D1355
C	150 NCHG=-1	GW2D1360
C	CALL BCPREP(IE, H,VX,VZ, DL,DCOSX,DCOSZ,DCYFLX,FLX,RSFLX,	GW2D1365
	> HCON,NRSE,IS,NPRS,NPCON,NPFLX,IRFTYP,TRF,RF,RFALL, MAXE,MAXNP,	GW2D1370
	> MXRSEL,MXRSNP,MXRFP,MYRPAR, TIME,NCHG)	GW2D1375
C	160 TIME=TIME+DELT	GW2D1380
	W1=W	GW2D1385
	W2=1.-W	GW2D1390
	KFLOW=1	GW2D1395
C	BEGIN THE TIME-MARCHING LOCP	GW2D1400
C	DO 250 ITN=1,NTI	GW2D1405
C	DO 170 NP=1,NRP	GW2D1410
	HP(NP)=H(NP)	GW2D1415
C	170	GW2D1420
	NIT=0	GW2D1425
	KDIG=KDIG+1	GW2D1430
		GW2D1435
		GW2D1440
		GW2D1445
		GW2D1450
		GW2D1455
		GW2D1460
		GW2D1465
		GW2D1470
		GW2D1475
		GW2D1480
		GW2D1485
		GW2D1490
		GW2D1495
		GW2D1500


```

C      IF (IBUG.NE.0) PRINT 10400,KDIG,TIME,DELT
C
C      BEGIN THE ITERATION LOOP ON THE SEEPAGE-RAINFALL BOUNDARY CONDITIONS
C
C      DO 230 ICY=1,MAXCY
C      IF (IBUG.NE.0) PRINT 10401
C
C      DO 180 NP=1,NNP
C      HW(NP)=HP(NP)
C
C      BEGIN THE ITERATION LOOP ON THE NON-LINEAR EQUATION
C
C      DO 210 IT=1,MAXIT
C      NIT=NIT+1
C
C      EVALUATE SOIL PROPERTIES FOR PREVIOUS ITERATE
C
C      CALL SPROP(IE,HW,TH,DTH,AKX,AKZ,PROP,THPRJP,AKPRJP,
C      >      CALL SPRCP(IE,H,TH,DTH,AKX,AKZ,PROP,THPRJP,AKPRJP,
C      >      HPROF,CAPROP,MAXEL,MAXNP,MAXMAT,MXVPPM,MXSPPM,VEL,(S))
C
C      ASSEMBLE COEFFICIENT MATRICES A, B, AND C, AND CONSTRUCT LOAD
C      VECTOR R
C
C      CALL ASEMBL(X,Z,IE,C,R,H,HP,TH,DTH,AKX,AKZ,PRJP,
C      >      MAXNP,MAXEL,MAXHBP,MAXMAT,MXVPPM,KSS,W,DELT)
C
C      APPLY BOUNDARY CONDITIONS
C
C      CALL BC(C,R,FLX,HCCN,NPCON,NPFLX,RP,NPST,BB,VN,
C      >      MAXNP,MAXHBP,MXRSNP,MXSTNP,MAXBCN,(SS))
C
C      TRIANGULARIZE C MATRIX
C
C      CALL BANSOL(1,C,R,NNP,IHBP,MAXNP,MAXHBP)
C
C      BACK-SUBSTITUTE
C
C      CALL BANSOL(2,C,R,NNP,IHBP,MAXNP,MAXHBP)
C
C      OBTAIN MAXIMUM RELATIVE DEVIATION FROM PREVIOUS ITERATE
C
C      NPP=0
C      RD=-1.
C      RES=-1.
C      DO 190 NP=1,NNP
C      RESNP=DABS(R(NP)-H(NP))
C      RES=DMAX1(RES,RESNP)
C      IF (H(NP).NE.0.D0) RD=DMAX1(RD,ABS(RESNP/H(NP)))
C      IF (RESNP.LE.TOLB) GO TO 190

```

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GW201505
GW201510
GW201515
GW201520
GW201525
GW201530
GW201535
GW201540
GW201545
GW201550
GW201555
GW201560
GW201565
GW201570
GW201575
GW201580
GW201585
GW201590
GW201595
GW201600
GW201605
GW201610
GW201615
GW201620
GW201625
GW201630
GW201635
GW201640
GW201645
GW201650
GW201655
GW201660
GW201665
GW201670
GW201675
GW201680
GW201685
GW201690
GW201695
GW201700
GW201705
GW201710
GW201715
GW201720
GW201725
GW201730
GW201735
GW201740
GW201745
GW201750

```

Appendix C (continued)

		NPP=NPP+1	GW2D1755
		NPCLV(NPP)=NP	GW2D1760
	190	CCONTINUE	GW2D1765
C			GW2D1770
		ANCVN=NPF	GW2D1775
C			GW2D1780
C		UPDATE PRESSURE WITH CURRENT ITERATE	GW2D1785
C			GW2D1790
		DO 200 NP=1,NNP	GW2D1795
		H(NP)=R(NP)	GW2D1800
	200	H(NP)=W1*H(NP)+W2*HP(NP)	GW2D1805
C			GW2D1810
C		ESCAPE FROM ITERATION LOOP IF THE MAXIMUM RESIDUAL IS	GW2D1815
C		SUFFICIENTLY SMALL	GW2D1820
C			GW2D1825
		IF (IBUG.EQ.0) PRINT 10200,NIT,RES,RD,NNCVN	GW2D1830
		IF (IT.EQ.1.AND.ITM.EQ.1) GO TO 210	GW2D1835
		IF (RES.LT.TOLB) GO TO 220	GW2D1840
	210	CONTINUE	GW2D1845
C			GW2D1850
C		END THE ITERATION LOOP ON THE NON-LINEAR EQUATION	GW2D1855
C			GW2D1860
		IF (IBUG.EQ.0) GO TO 220	GW2D1865
C			GW2D1870
C		PRINT NONCONVERGING NODES	GW2D1875
C			GW2D1880
		PRINT 10500	GW2D1885
		PRINT 10600,(NPCNV(NPP),NPP=1,NNCVN)	GW2D1890
C			GW2D1895
C		PRINT RAINFALL-SEEPAGE BOUNDARY CONDITION CHANGE INFORMATION	GW2D1900
C			GW2D1905
	220	IF (ICHNG.EQ.0) GO TO 225	GW2D1910
		IF (NRSN.EQ.0) GO TO 225	GW2D1915
		PRINT 10402	GW2D1920
		DC 224 IRSN=1,NRSN	GW2D1925
		NP=NPRS(IRSN)	GW2D1930
		PRINT 10403,IRSN,NP,NPCON(IRSN),HCON(IRSN),NPFLX(IRSN),	GW2D1935
		FLX(IRSN),DCYFLX(IRSN)	GW2D1940
	>		GW2D1945
	224	CONTINUE	GW2D1950
C			GW2D1955
C		CALCULATE FLOW RATES	GW2D1960
C			GW2D1965
	225	CALL SPROP(IE, H,TH,DTH,AKX,AKZ, PROP,THPRDP,AKPROD,H3D3,	GW2D1970
		CAPROP,MAXEL,MAXNP,MAXMAT,MAXMPPM,MAXSPM,NEL,K5)	GW2D1975
C			GW2D1980
C		CALL VELT(X,Z,IE, C,H,HT,VX,VZ,AKX,AKZ, MAXEL,MAXNP,MAXH3)	GW2D1985
C			GW2D1990
		IF (NRSN.EQ.0) GO TO 240	GW2D1995
C			GW2D2000
		CALL BCPREP(IE, H,VX,VZ, DL,DCOSX,DCOSZ,DCYFLX,FLX,R5F,X,	

Appendix C (continued)

	>	HCCN,NRSE,IS,NPRS,NPCCN,NPFLX,IRFTYP,TRF,RF,RFALL,MAXEL,	GW202005
	>	MAXNP, MXRSEL, MXRSNP, MXRFR, MXRPAR, TIME,NCHG)	GW202010
		IF (NCHG.EQ.0) GO TO 240	GW202015
	230	CONTINUE	GW202020
C		END THE ITERATION LCCP ON THE SEEPAGE-RAINFALL BOUNDARY CONDITIONS	GW202025
C			GW202030
C			GW202035
	240	IF(IMID.EQ.0) GO TO 245	GW202040
		DO 243 I=1,NNP	GW202045
	243	H(I)=2.0004H(I) - HP(I)	GW202050
C			GW202055
		DL 244 I=1,NBC	GW202060
		NI=NN(I)	GW202065
	244	H(NI)=BB(I)	GW202070
C			GW202075
	245	CALL SFLOW(X,Z,IE,TH,VX,VZ,DLB,DCOSXB,DCOSZB,BFLX,BFLX2,ISB,	GW202080
	>	NBE,NPB,NPRS, NPST,NN,FRATE,FLOW,TFLOW,MAXNP,MAXEL,	GW202085
	>	MAXBEL,MAXBNP, MXRSNP, MXSTNP,MAXBCN,KFLW,DELT,DT,H,A,HP,	GW202090
	>	PROP,MAXMAT,MAXPPM)	GW202095
C		PRINT VARIABLES AT EACH TIME STEP	GW202100
C			GW202105
		CALL PRINT(VX,VZ,H,HT,TH,NPB,BFLX,NPRS,RSFLX,NPCCN,NPF,X,	GW202110
	>	FRATE,FLOW,TFLOW,MAXNP,MAXEL,MAXBNP,MXRSNP,NNP,VEL,VBV,VRV,	GW202115
	>	TIME,DELT,SUBHD(1,3),IBAND,KPR(ITM),KOUT,KDIAG,ITM)	GW202120
C			GW202125
		IF(KSTR.EQ.1 .AND.KDSK(ITM).EQ.1) CALL STORE(X,Z,IE,H,HT,TH,VX,VZ,	GW202130
	>	DLB,DCOSXB,DCOSZB,NBE,ISB,NPB,TITLE,TIME,MAXNP,MAXEL,MAXBNP,	GW202135
	>	MAXBEL,NPROB,NNP,NEL,NBN,NOEL,NTI,NPCCN,NPF,X,MXRSNP,VRSN,	GW202140
	>	NSTR)	GW202145
C			GW202150
C		PREPARE FOR NEXT TIME STEP	GW202155
C			GW202160
		IF (TIME.GT.TMAX) GO TO 10	GW202165
		DELT=DELT*(1.+CHNG)	GW202170
		DELT=DMIN1(DELT,DELMAX)	GW202175
		TIME=TIME+DELT	GW202180
	250	CONTINUE	GW202185
C			GW202190
C		END OF TIME-MARCHING LOOP	GW202195
C			GW202200
C			GW202205
		GO TO 10	GW202210
	260	PRINT 10300,INHBP,MAXHBP	GW202215
C			GW202220
	270	RETURN	GW202225
C			GW202230
		10000 FORMAT(15,9A8,1X,211)	GW202235
		10100 FORMAT(/8H1PROBLEM,15,3H..,9A8/)	GW202240
			GW202245
			GW202250

Appendix C (continued)

```

10200 FORMAT(5X,I10,3X,E12.4,3X,E12.4,15X,I10)
10300 FORMAT(///26H HALF-BANDWIDTH-PLUS-ONE =.I4,
> 25H EXCEEDS MAX. ALLOWABLE =.I4)
10400 FORMAT(1H1,52H*****
> 62H*****
> 5H****///17H DIAGNOSTIC TABLE,I0,12H.. AT TIME =.1PD12.4,
> 9H ,(DELT = 1PD12.4,1H))
10401 FORMAT(///30H TABLE OF ITERATIVE PARAMETERS// 5X,
> 9H ITERATION,7X,6HRESIDUAL,6X,9HDEVIATION,6X,
> 19HNO. NEN-CONV. NODES)
10402 FORMAT(///44H TABLE OF RAINFALL-SEEPAGE B. C. INFORMATION, / 5X,
> 87HIRSN NPRS(IRSN) NPCGN(IRSN) HCON(NPRS) NPF_X(IRSN)
> FLX(NPRS) DCYFLX(NPRS))
10403 FORMAT(1H ,I10,I13,I15,E13.4,I15,E13.3,E15.3)
10500 FORMAT(///30H TABLE OF NEN-CONVERGING NODES)
10600 FORMAT(/(5X,20I5))
END

```

```

GW2D2255
GW2D2260
GW2D2265
GW2D2270
GW2D2275
GW2D2280
GW2D2285
GW2D2290
GW2D2295
GW2D2300
GW2D2305
GW2D2310
GW2D2315
GW2D2320
GW2D2325
GW2D2330
GW2D2335

```

Appendix C (continued)

```

SUBROUTINE DATAIN(X,Z,IE, H,HT,TH,VX,VZ, DLB,DCOSXB,DCOSZB,NBE,
> ISB,NPB, DL,DCCSX,DCOSZ,HCON,NRSE,IS,NPRS,NPCON,NPFLX,IRFTYP,
> TRF,RF, RP,NPST, BB,NN,
> PROP,THPROP,AKPRCP,HPROP,CAPROP, MAXEL,MAXNP,MAXHBP,
> MAXBEL,MAXBNP, MXRSEL,MXRSNP,MXRFP, MXRPAR,
> MXSTEL,MXSTNP, MAXBCN, MAXMAT,MXMPPM,MXSPPM,NTHPPM,NAKPPM,
> MAXNTI, PMAT,AKPAR,THPAR, KPR,KDSK, ISTOP,MAXDIF,W,TIME,
> TITLE,NPROB)

```

```

FUNCTION OF SUBROUTINE--TO READ, PRINT, AND CHECK VARIABLES
PERTAINING TO SIMULATION TIME, GEOMETRY OF THE SYSTEM, ITS SOIL
PROPERTIES, BOUNDARY-INITIAL CONDITIONS FOR BOTH STEADY-STATE AND
TRANSIENT CASES, AND NUMERICAL CONVERGENCE CRITERIA.

```

```

IMPLICIT REAL*8(A-H,O-Z)
REAL*4 PMAT,THPAR,AKPAR

```

```

DIMENSION TITLE(S)
DIMENSION X(MAXNF),Z(MAXNP),IE(MAXEL,5)

```

```

DIMENSION H(MAXNP),HT(MAXNP),TH(MAXEL,4),VX(MAXNP),VZ(MAXNP)

```

```

DIMENSION DLB(MAXBEL),DCOSXB(MAXBEL),DCOSZB(MAXBEL),NBE(4,MAXEL),
> ISB(MAXBEL,4),NPB(MAXBNP)

```

```

DIMENSION DL(MXRSEL),DCOSX(MXRSEL),DCOSZ(MXRSEL),HCON(MXRSNP),
> NRSE(MXRSEL),IS(MXRSEL,4),NPRS(MXRSNP),NPCON(MXRSNP),
> NPFLX(MXRSNP),IRFTYP(MXRSEL),TRF(MXRFP, MXRPAR),
> RF(MXRFP, MXRPAR)

```

```

DIMENSION RP(MXSTNP),NPST(MXSTNP),BB(MAXBCN),NN(MAXBCN)
DIMENSION PROP(MAXMAT,MXMPPM),THPROP(MAXMAT,MXSPPM),
> AKPROP(MAXMAT,MXSPPM),HPROP(MAXMAT,MXSPPM),CAPROP(4,MAXMAT,4,MXSPPM)

```

```

DIMENSION PMAT(3,MXMPPM),AKPAR(3,NAKPPM),THPAR(3,NTHPPM)
DIMENSION KPR(MAXNTI),KDSK(MAXNTI)

```

```

COMMON /GEOM/ SNFE,CSFE,ANP,NEL,IBAND
COMMON /CNTRL/ NTI,MAXCY,MAXIT,NSTRT,KSTR,KPRO,KDSK,KSS,(S)
COMMON /TOTLNS/ TCLA,TOLE
COMMON /PARAM/ DELT,CHNG,DELMAX,TMAX
COMMON /BRND/ NBEL,NBN,NRSEL,NRSN,NRFPR,NRFPR
COMMON /BCST/ NBC,NST,NSTN
COMMON /MTL/ PMAT,MXPPM,NSPPM
COMMON /CPT/ ILUMP,IMID

```

```

IF (KSS.EQ.0) GO TO 505

```

```

DATA 005
DATA 010
DATA 015
DATA 020
DATA 025
DATA 030
DATA 035
DATA 040
DATA 045
DATA 050
DATA 055
DATA 060
DATA 065
DATA 070
DATA 075
DATA 080
DATA 085
DATA 090
DATA 095
DATA 100
DATA 105
DATA 110
DATA 115
DATA 120
DATA 125
DATA 130
DATA 135
DATA 140
DATA 145
DATA 150
DATA 155
DATA 160
DATA 165
DATA 170
DATA 175
DATA 180
DATA 185
DATA 190
DATA 195
DATA 200
DATA 205
DATA 210
DATA 215
DATA 220
DATA 225
DATA 230
DATA 235
DATA 240
DATA 245
DATA 250

```

Appendix C (continued)

<pre> C ISTOP=0 READ 12000,NNP,NEL,NMAT,NCM,NTI,KSS,KSP,NSPPM,(KSTR,KCP,KGRAV, > NSTRT,MAXIT,MAXCY,NMPPM READ 12000,ILLMP,IMID READ 12300,DELT,CHNG,DELMAX,TMAX,FE,TOLA,TOLB,RHO,GRAV,/ISC,W READ 12100,KPRO,(KPR(ITM),ITM=1,NTI) READ 12100,KDSKO,(KDSK(ITM),ITM=1,NTI) C IF(TMAX.LE.0.0) TMAX=1.0E50 C PRINT 10000,NNP,NEL,NMAT,NCM,NTI,KSS,KSP,NSPPM,KSTR,KCP,(GRAV, > NSTRT,MAXIT,MAXCY PRINT 10001,ILLMP,IMID PRINT 10100,DELT,CHNG,DELMAX,TMAX,FE,TOLA,TOLB,RHO,GRAV,/ISC,W PRINT 10200 PRINT 12200,KPRO,(KPR(ITM),ITM=1,NTI) PRINT 10201 PRINT 12200,KDSKO,(KDSK(ITM),ITM=1,NTI) C PI=3.14159265 FE=FE*PI/180. SNFE=DSIN(FE) CSFE=DCOS(FE) IF (KGRAV.EQ.1) SNFE=0. IF (KGRAV.EQ.1) CSFE=0. C READ AND PRINT MATERIAL PROPERTIES C 70 IF (NMPPM.LE.J) GC TO 90 IF (NMAT.LE.0) GC TO 90 PRINT 10300,(PMAT(I,J),I=1,3),J=1,NMPPM) DO 80 I=1,NMAT READ 12300,(PRCP(I,J),J=1,NMPPM) 80 PRINT 12500,I,(PROP(I,J),J=1,NMPPM) 50 IF (KSP.EQ.1) GO TO 120 C SOIL PROPERTIES ARE TO BE REPRESENTED BY ANALYTIC FUNCTIONS C READ AND PRINT MOISTURE-CONTENT PARAMETERS IF (NSPPM.EQ.0) GC TO 200 PRINT 10500,(THPAR(I,J),I=1,3),J=1,NSPPM) DO 100 I=1,NMAT READ 12300,(THPROP(I,J),J=1,NSPPM) PRINT 12700,I,(THPROP(I,J),J=1,NSPPM) 100 CONTINUE </pre>	<pre> DATA 255 DATA 260 DATA 265 DATA 270 DATA 275 DATA 280 DATA 285 DATA 290 DATA 295 DATA 300 DATA 305 DATA 310 DATA 315 DATA 320 DATA 325 DATA 330 DATA 335 DATA 340 DATA 345 DATA 350 DATA 355 DATA 360 DATA 365 DATA 370 DATA 375 DATA 380 DATA 385 DATA 390 DATA 395 DATA 400 DATA 405 DATA 410 DATA 415 DATA 420 DATA 425 DATA 430 DATA 435 DATA 440 DATA 445 DATA 450 DATA 455 DATA 460 DATA 465 DATA 470 DATA 475 DATA 480 DATA 485 DATA 490 DATA 495 DATA 500 </pre>
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Appendix C (continued)

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C
C READ AND PRINT CONDUCTIVITY PARAMETERS
      PRINT 10600,((AKFAR(I,J),I=1,3),J=1,NSFFM)
      DO 110 I=1,NMAT
        READ 12300, (AKPROP(I,J),J=1,NSPPM)
        PRINT 12700, I,(AKPROP(I,J),J=1,NSPPM)
110    CONTINUE
      GO TO 200
120  IF (NSPPM.EQ.0) GC TO 200
C
C SOIL PROPERTIES ARE TO BE GIVEN IN TABULAR FORM
C
C READ PRESSURES
      DO 130 I=1,NMAT
        READ 12300, (HPROP(I,J),J=1,NSPPM)
130    CONTINUE
C
C READ WATER CONTENTS
      DO 140 I=1,NMAT
        READ 12300, (THPROP(I,J),J=1,NSPPM)
140    CONTINUE
C
C READ CONDUCTIVITIES OR PERMEABILITIES
      DO 150 I=1,NMAT
        READ 12300, (AKPROP(I,J),J=1,NSPPM)
150    CONTINUE
C
C READ WATER CAPACITIES
      DO 160 I=1,NMAT
        READ 12300, (CAPROP(I,J),J=1,NSPPM)
160    CONTINUE
      PRINT 10400
      DO 170 I=1,NMAT
        PRINT 12600,I,(HPROP(I,J),THPROP(I,J),AKPROP(I,J),CAPROP(I,J),
        > J=1,NSPPM)
170    CONTINUE
      IF (KCP.EQ.0) GO TO 200
C
C CONVERT FROM PERMEABILITY TO CONDUCTIVITY IF NECESSARY
      DO 190 I=1,NMAT
        PKCF=RHO*GRAV/VISC
        PROP(I,4)=PROP(I,4)*PKCF
        PROP(I,5)=PROP(I,5)*PKCF

```

```

DATA 505
DATA 510
DATA 515
DATA 520
DATA 525
DATA 330
DATA 535
DATA 540
DATA 545
DATA 550
DATA 555
DATA 560
DATA 565
DATA 570
DATA 575
DATA 580
DATA 585
DATA 590
DATA 595
DATA 600
DATA 605
DATA 610
DATA 615
DATA 620
DATA 625
DATA 630
DATA 635
DATA 640
DATA 645
DATA 650
DATA 655
DATA 660
DATA 665
DATA 670
DATA 675
DATA 680
DATA 685
DATA 690
DATA 695
DATA 700
DATA 705
DATA 710
DATA 715
DATA 720
DATA 725
DATA 730
DATA 735
DATA 740
DATA 745
DATA 750

```

Appendix C (continued)

```

      DO 180 J=1,NSPPM
180     AKPROP(I,J)=AKPRCP(I,J)*PKCF
190     CONTINUE
C
C   READ AND PRINT NODAL-PCINT DATA
C
200   NI=1
210   READ 12800, NJ,X(NJ),Z(NJ)
      IF (NJ-NI) 220,250,230
220   PRINT 15100, NJ
      PRINT 12900, NJ,X(NJ),Z(NJ)
      ISTOP=ISTCP+1
      GO TO 210
230   DF=NJ+1-NI
      DX=(X(NJ)-X(NI-1))/DF
      DZ=(Z(NJ)-Z(NI-1))/DF
240   CONTINUE
      X(NI)=X(NI-1)+DX
      Z(NI)=Z(NI-1)+DZ
250   NI=NI+1
      IF (NJ-NI) 260,250,240
260   IF (NI.LE.NNP) GO TO 210
      PRINT 10700
      KLINE=0
C
      DO 265 NI=1,NNP,4
        NJMN=NI
        NJMX=MINO(NI+3,NNP)
        PRINT 12900,(NJ,X(NJ),Z(NJ),NJ=NJMN,NJMX)
        KLINE=KLINE+1
265   IF (MOD(KLINE,50).EQ.0) PRINT 10700
C
C   READ AND PRINT ELEMENT DATA
C
      ALSO COMPUTE MAXIMUM NODAL DIFFERENCE FOR EACH ELEMENT
C
      PRINT 10800
      KLINE=0
      MAXDIF = 0
      MJ = 0
270   READ 12000, MI,(IE(MI,I),I=1,5),MODL,NLAY
      MTP=IE(MI,5)
      MND = 0
      DO 280 IQ=1,3
        IQ1 = IQ + 1
        DO 280 JQ=IQ1,4
          ND = IABS(IE(MI,IQ)-IE(MI,JQ))
          MND = MAX0(ND,MND)
280         MAXDIF = MAX0(ND,MAXDIF)

```

```

DATA 750
DATA 760
DATA 765
DATA 770
DATA 775
DATA 780
DATA 785
DATA 790
DATA 795
DATA 800
DATA 805
DATA 810
DATA 815
DATA 820
DATA 825
DATA 830
DATA 835
DATA 840
DATA 845
DATA 850
DATA 855
DATA 860
DATA 865
DATA 870
DATA 875
DATA 880
DATA 885
DATA 890
DATA 895
DATA 900
DATA 905
DATA 910
DATA 915
DATA 920
DATA 925
DATA 930
DATA 935
DATA 940
DATA 945
DATA 950
DATA 955
DATA 960
DATA 965
DATA 970
DATA 975
DATA 980
DATA 985
DATA 990
DATA 995
DATA 1000

```


DATA1005
 DATA1010
 DATA1015
 DATA1020
 DATA1025
 DATA1030
 DATA1035
 DATA1040
 DATA1045
 DATA1050
 DATA1055
 DATA1060
 DATA1065
 DATA1070
 DATA1075
 DATA1080
 DATA1085
 DATA1090
 DATA1095
 DATA1100
 DATA1105
 DATA1110
 DATA1115
 DATA1120
 DATA1125
 DATA1130
 DATA1135
 DATA1140
 DATA1145
 DATA1150
 DATA1155
 DATA1160
 DATA1165
 DATA1170
 DATA1175
 DATA1180
 DATA1185
 DATA1190
 DATA1195
 DATA1200
 DATA1205
 DATA1210
 DATA1215
 DATA1220
 DATA1225
 DATA1230
 DATA1235
 DATA1240
 DATA1245
 DATA1250

```

250 MJ = MJ + 1
300 IF (MI-MJ) 300,330,310
300 PRINT 15200, MI
300 PRINT 13000, MI, (IE(MI,I),I=1.5).MND
310 ISTOP = ISTOP + 1
320 DO 320 IQ=1,4
320 IE(MJ,IQ) = IE(MJ-1,IQ) + 1
330 IE(MJ,5) = IE(MJ-1,5)
330 PRINT 13000, MJ, (IE(MJ,I),I=1.5).MND
340 IF (MJ-LY.MI) GO TO 290
340 IF (MJ-EQ.NEL) GC TO 370
340 IF (MODL.LE.0) GC TO 270
340 DO 360 I=1,NLAY
340 LL=2
340 DO 360 J=1,MODL
340 IF (MJ.EQ.MI) G' TO 350
340 DO 340 KO=1,4
340 IE(MJ,KO) = IE(MJ-1,KO) + LL
340 IE(MJ,5) = IE(MJ-1,5)
340 PRINT 13000, MJ, (IE(MJ,K),K=1.5).MND
340 KLINE=KLINE+1
340 IF (MOD(KLINE,50).EQ.0) PRINT 10800
340 LL = 1
340 MJ = MJ + 1
350 MJ = MJ - 1
360 IF (MJ.LT.NEL) GC TO 270
370 CONTINUE

C C C MODIFY MATERIAL TYPES FOR SELECTED ELEMENTS IF NECESSARY
380 IF (NCM.LE.0) GO TO 410
380 PRINT 10900
380 L=0
380 READ 12000, MI, MTYP, MK, MINC
380 IE(MI,5) = MTYP
380 PRINT 13100, MI, IE(MI,5)
380 L = L + 1
380 IF (MK.LE.MI) GO TO 400
380 IF (MINC.LE.0) MINC = 1
380 MI = MI + MINC
380 DO 390 MJ=MI, MK, MINC
380 IE(MJ,5) = MTYP
380 PRINT 13100, MJ, IE(MJ,5)
380 L = L + 1
390 IF (L.LT.NCM) GO TO 380
400 CONTINUE
410 DO 420 M=1,NEL
410 MTYP=IE(M,5)
410 IF (MTYP.GT.0.AND.MTYP.LE.NMAT) GO TO .
410 PRINT 15900,M
    
```

Appendix C (continued)

```

420      ISTOP=ISTOP+1
        CONTINUE
        IF(ISTOP.EQ.0) GO TO 430
        PRINT 15000, ISTOP
        STOP
C
C      READ INITIAL CONDITICNS
430 TIME=0.000
        IF (NSTRT.EQ.0) GC TO 450
        REWIND 1
        REWIND 2
        READ(2) (DUM,I=1,6),IDUM,NPT,NET,NBN,NBEL,IDJM,NRSN
        IF (KSTR.EQ.1) WRITE(1) (TITLE(I),I=1,9),NPROB,NNP,NEL,NBN,NBE_,
> NTI,NRSN
        READ(2) (X(NP),NP=1,NPT),(Z(NP),NP=1,NPT),((IE(M,IQ),M=1,NEL),IQ=
> 1,4),(DLB(M),M=1,NBEL),(DCOSXB(M),M=1,NBEL),
> (DCOSZB(M),M=1,NBEL),(NBE(M),M=1,NBEL),((ISB(M,IQ),M=1,NBE_),IQ=
> 1,4),(NPB(NP),NP=1,NBN)
        IF (KSTR.EQ.1) WRITE(1) (X(NP),NP=1,NNP),(Z(NP),NP=1,NNP),((IE(M,
> IQ),M=1,NEL),IQ=1,4),(DLB(M),M=1,NBEL),(DCOSXB(M),M=1,NBE_),
> (DCOSZB(M),M=1,NBEL),(NBE(M),M=1,NBEL),((ISB(M,IQ),M=1,NBE_),IQ=
> 1,4),(NPB(NP),NP=1,NBN)
        DO 440 ITH=1,NSTRT
        READ(2) TIME,(H(NP),NP=1,NPT),(HT(NP),NP=1,NPT),((TH(M,IJ),M=1,
> NET),IQ=1,4),(VX(NP),NP=1,NPT),(VZ(NP),NP=1,NPT),
> (NPCCN(NP),NP=1,NRSN),(NPFLX(NP),NP=1,NRSV)
        IF (KSTR.EQ.0) GO TO 440
        WRITE(1) TIME,(H(NP),NP=1,NNP),(HT(NP),NP=1,NNP),((TH(M,IJ),M=
> 1,NEL),IQ=1,4),(VX(NP),NP=1,NNP),(VZ(NP),NP=1,NNP),
> (NPCCN(NP),NP=1,NRSN),(NPFLX(NP),NP=1,NRSN)
440      CONTINUE
        GO TO 500
450 NI = 0
        NJ = 0
460 IF (NJ.EQ.NNP) GC TO 500
        READ 13600,NJ,H(NJ)
470 NI = NI + 1
        IF (NI.GT.1) GO TO 480
        IF (NJ.EQ.1) GO TO 480
        PRINT 15300,NJ
        ISTOP=ISTOP+1
        GO TO 500
480 IF (NJ.EQ.NI) GO TO 460
        IF (NJ.GT.NI) GO TO 490
        PRINT 15300,NJ
        ISTOP=ISTOP+1
        GO TO 500
490 H(NI)=H(NI-1)
        GO TO 470

```

DATA1255
DATA1260
DATA1268
DATA1270
DATA1275
DATA1280
DATA1285
DATA1290
DATA1295
DATA1300
DATA1305
DATA1310
DATA1315
DATA1320
DATA1325
DATA1330
DATA1335
DATA1340
DATA1345
DATA1350
DATA1355
DATA1360
DATA1365
DATA1370
DATA1375
DATA1380
DATA1385
DATA1390
DATA1395
DATA1400
DATA1405
DATA1410
DATA1415
DATA1420
DATA1425
DATA1430
DATA1435
DATA1440
DATA1445
DATA1450
DATA1455
DATA1460
DATA1465
DATA1470
DATA1475
DATA1480
DATA1485
DATA1490
DATA1495
DATA1500

Appendix C (continued)

```

C IDENTIFY BOUNDARY ELEMENTS AND COMPUTE DIRECTION COSINES OF
C BOUNDARY SIDES
C
500 CALL SURF(X,Z,IE,DLB,DCOSXB,DCOSZB,NBE,ISB,NPB,
> MAXNP,MAXEL,MAXBEL,MAXBNP)
IF(KSS.EQ.1) GO TO 505
NRSN=0
C
C READ STEADY STATE OR TRANSIENT PARAMETERS
C
505 READ 12000,NBC,NST,NRFPR,NRFPAR,NRSEL,NRSN
C
PRINT 11000,NBC,NST,NRFPR,NRFPAR,NRSEL,NRSN
C
C READ AND PRINT STEADY STATE OR TRANSIENT RAINFALL-SEEPAGE INF34AT.
C
570 IF (NRSN.EQ.0) GO TO 800
C
C STEADY STATE OR TRANSIENT RAINFALL PROFILES
C
IF (NRFPR.EQ.0) GO TO 590
PRINT 11400
DO 580 I=1,NRFPR
READ 12300,(TRF(I,J),J=1,NRFPAR)
READ 12300,(RF(I,J),J=1,NRFPAR)
PRINT 11500,I
DO 580 J=1,NRFPAR
580 PRINT 12400,(TRF(I,J),RF(I,J))
C
C STEADY STATE OR TRANSIENT RAINFALL TYPES AND PONDING DEPTH
C
590 CONTINUE
NPP=0
610 IF (NPP.EQ.NRSN) GO TO 670
IF (NPP.LT.NRSN) GO TO 620
PRINT 14800,NRSN
ISTOP=ISTOP+1
GO TO 670
620 READ 13400,NI,ITYP,NPINC,HCCNI
IF (NPINC.GT.0) GO TO 640
630 NPP=NPP+1
NPRS(NPP)=NI
IRFTYP(NPP)=ITYP
HCON(NPP)=HCCNI
GO TO 610
640 IF (NPP.GT.0) GO TO 650
ISTOP=ISTOP+1
PRINT 15500
DATA1505
DATA1510
DATA1515
DATA1520
DATA1525
DATA1530
DATA1535
DATA1540
DATA1545
DATA1550
DATA1555
DATA1560
DATA1565
DATA1570
DATA1575
DATA1580
DATA1585
DATA1590
DATA1595
DATA1600
DATA1605
DATA1610
DATA1615
DATA1620
DATA1625
DATA1630
DATA1635
DATA1640
DATA1645
DATA1650
DATA1655
DATA1660
DATA1665
DATA1670
DATA1675
DATA1680
DATA1685
DATA1690
DATA1695
DATA1700
DATA1705
DATA1710
DATA1715
DATA1720
DATA1725
DATA1730
DATA1735
DATA1740
DATA1745
DATA1750

```

Appendix C (continued)

```

650 NJ=NPRS(NPP)
    JTYP=IRFTYP(NPP)
    HCONJ=HCON(NPP)
    NJ=NJ+NPINC
    NK=NI-1
    DO 660 NP=NJ,NK,NFINC
        NPP=NPP+1
        NPRS(NPP)=NP
        IRFTYP(NPP)=JTYP
660    HCON(NPP)=HCONJ
        GO TO 630
670 PRINT 11600
    DO 680 NPP=1,NRSH
        NP=NPRS(NPP)
680    PRINT 13500, NP, IRFTYP(NPP), HCON(NPP)
C
C
C    STEADY STATE OR TRANSIENT RAINFALL-SEEPAGE ELEMENT SURFACE INFJRMAT.
    MPI=0
690 IF (MPI.EQ.NRSEL) GO TO 740
    READ 12000, MI, IS1, IS2, KINC
    IF (KINC.GT.0) GO TO 710
700 MPI=MPI+1
    NRSE(MPI)=MI
    IS(MPI,1)=IS1
    IS(MPI,2)=IS2
    GO TO 690
710 IF (MPI.GT.0) GO TO 720
    ISTOP=ISTOP+1
    PRINT 15600
720 NPINC=IS(MPI,2)-IS(MPI,1)
    MINC=ABS(NPINC)-1
    MINC=MAX0(MINC,1)
    MJ=NRSE(MPI)+MINC
    MK=MI-1
    DO 730 N=MJ,MK,MINC
        MPJ=MPI
        MPI=MPI+1
        NRSE(MPI)=M
        IS(MPI,1)=IS(MPJ,1)+NPINC
730    IS(MPI,2)=IS(MPJ,2)+NPINC
        GO TO 700
740 PRINT 11700
    DO 750 MP=1,NRSEL
        M=NRSE(MP)
750    PRINT 13000, M, IS(MP,1), IS(MP,2)
C
C
C    DETERMINE DIRECTION COSINES FOR STEADY STATE OR TRANSIENT
    RAINFALL-SEEPAGE SURFACES

```

```

DATA1755
DATA1760
DATA1765
DATA1770
DATA1775
DATA1780
DATA1785
DATA1790
DATA1795
DATA1800
DATA1805
DATA1810
DATA1815
DATA1820
DATA1825
DATA1830
DATA1835
DATA1840
DATA1845
DATA1850
DATA1855
DATA1860
DATA1865
DATA1870
DATA1875
DATA1880
DATA1885
DATA1890
DATA1895
DATA1900
DATA1905
DATA1910
DATA1915
DATA1920
DATA1925
DATA1930
DATA1935
DATA1940
DATA1945
DATA1950
DATA1955
DATA1960
DATA1965
DATA1970
DATA1975
DATA1980
DATA1985
DATA1990
DATA1995
DATA2000

```

Appendix C (continued)

```

DO 790 MPI=1,NRSEL
  MI=NRSE(MPI)
  DO 780 MPJ=1,NBEL
    MJ=NBE(MPJ)
    IF (MJ.NE.MI) GO TO 780
    IF (ISB(MPJ,1).EQ.IS(MPI,1).AND.ISB(MPJ,2).EQ.IS(MPI,2)) GJ
  >   TO 760
  >   IF (ISB(MPJ,1).EQ.IS(MPI,2).AND.ISB(MPJ,2).EQ.IS(MPI,1)) GJ
    TO 760
    GO TO 780
  760 DO 770 J=1,4
  770   IS(MPI,J)=ISB(MPJ,J)
    DL(MPI)=DLB(MPJ)
    DCOSX(MPI)=DCOSXB(MPJ)
    DCOSZ(MPI)=DCOSZB(MPJ)
    GO TO 790
  780 CONTINUE
    ISTOP=ISTOP+1
    PRINT 14900,MI
  790 CONTINUE
  800 DO 810 NP=1,MAXBCN
  810   RP(NP)=0.
    IF (NBC.EQ.0) GC TO 900
  C C C
  READ STEADY STATE OR TRANSIENT BOUNDARY CONDITIONS OF THE F3R4 M=83
    NPP=0
  820 IF (NPP.EQ.NBC) GC TO 880
    IF (NPP.LT.NBC) GC TO 830
    PRINT 14300,NBC
    ISTOP=ISTOP+1
    GO TO 880
  830 READ 13300,NI,NPINC,BBI
    IF (NPINC.GT.0) GC TO 850
  840 NPP=NPP+1
    NN(NPP)=NI
    BB(NPP)=BBI
    GO TO 820
  850 IF (NPP.GT.0) GO TO 860
    ISTOP=ISTOP+1
    PRINT 15400
  860 NJ=NN(NPP)+NPINC
    BBJ=BB(NPP)
    NK=NI-1
    DO 870 NP=NJ,NK,NFINC
      NPP=NPP+1
      NN(NPP)=NP
  870   BB(NPP)=BBJ
    GO TO 840
  880 PRINT 11100

```

```

DATA2005
DATA2010
DATA2015
DATA2020
DATA2025
DATA2030
DATA2035
DATA2040
DATA2045
DATA2050
DATA2055
DATA2060
DATA2065
DATA2070
DATA2075
DATA2080
DATA2085
DATA2090
DATA2095
DATA2100
DATA2105
DATA2110
DATA2115
DATA2120
DATA2125
DATA2130
DATA2135
DATA2140
DATA2145
DATA2150
DATA2155
DATA2160
DATA2165
DATA2170
DATA2175
DATA2180
DATA2185
DATA2190
DATA2195
DATA2200
DATA2205
DATA2210
DATA2215
DATA2220
DATA2225
DATA2230
DATA2235
DATA2240
DATA2245
DATA2250

```

Appendix C (continued)

```

DO 890 NPP=1,ABC
890 PRINT 13200,NN(NPP),BB(NPP)
900 IF (NST.LE.0) GO TO 1000
C
C READ STEADY STATE OR TRANSIENT SURFACE-TERM POINT FLUXES
C
      NPP=0
      NP=0
      PRINT 11200
910 IF (MP.EQ.NST) GC TO 960
      READ 13400,NI,NJ,KINC,EI,EJ
      IF (KINC.GT.0) GC TO 930
920 NP=NP+1
      DX=X(NI)-X(NJ)
      DZ=Z(NI)-Z(NJ)
      EL=DSORT(DX*DX+DZ*DZ)
      PRINT 13500,NI,NJ,EI,EJ
      IF (NP.GT.1) GC TC 921
      NPP=NPP+1
      NPST(NPP)=NI
      NII=NPP
      NPP=NPP+1
      NPST(NPP)=NJ
      NJJ=NPP
      GO TO 920
921 DO 922 I=1,NPP
      IJ=NPST(I)
      IF (IJ.EQ.NI) GC TO 923
922 CONTINUE
      NPP=NPP+1
      NPST(NPP)=NI
      NII=NPP
      GO TO 924
923 NII=I
924 DO 925 J=1,NPP
      IJ=NPST(J)
      IF (IJ.EQ.NJ) GC TO 926
925 CONTINUE
      NPP=NPP+1
      NPST(NPP)=NJ
      NJJ=NPP
      GO TO 922
926 NJJ=J
928 RP(NII)=RP(NII)+EI*EL/3.0+EJ*EL/6.0
      RP(NJJ)=RP(NJJ)+EI*EL/6.0+EJ*EL/3.0
      EK=EJ
      GO TO 910
930 IF (MP.GT.0) GC TC 940
      ISTOP=ISTOP+1
      PRINT 15700

```

```

DATA2255
DATA2260
DATA2265
DATA2270
DATA2275
DATA2280
DATA2285
DATA2290
DATA2295
DATA2300
DATA2305
DATA2310
DATA2315
DATA2320
DATA2325
DATA2330
DATA2335
DATA2340
DATA2345
DATA2350
DATA2355
DATA2360
DATA2365
DATA2370
DATA2375
DATA2380
DATA2385
DATA2390
DATA2395
DATA2400
DATA2405
DATA2410
DATA2415
DATA2420
DATA2425
DATA2430
DATA2435
DATA2440
DATA2445
DATA2450
DATA2455
DATA2460
DATA2465
DATA2470
DATA2475
DATA2480
DATA2485
DATA2490
DATA2495
DATA2500

```

Appendix C (continued)

```

940 NPINC=IABS(NJ-NI)
    NPMIN=MAX0(NPST(NPP),NPST(NPP-1))
    NPMAX=MIN0(NI,NJ)-1
    DO 950 NK=NPMIN,AFMAX,NPINC
        NL=NK+NPINC
        MP=MP+1
        DX=X(NK)-X(NL)
        DZ=Z(NK)-Z(NL)
        EL=OSORT(DX*DX+DZ*DZ)
        PRINT 13500,AK,NL,EK,EK
        IF(MP.GT.1) GC TO 941
        NPP=NPP+1
        NPST(NPP)=NK
        NKK=NPP
        NPP=NPP+1
        NPST(NPP)=NL
        NLL=NPP
        GO TO 948
941 DO 942 K=1,NPP
        KL=NPST(K)
        IF(KL.EQ.NK) GO TO 943
942 CONTINUE
        NPP=NPP+1
        NPST(NPP)=NK
        NKK=NPP
        GO TO 944
943 NKK=K
944 DO 945 L=1,NPP
        KL=NPST(L)
        IF(KL.EQ.NL) GO TO 946
945 CONTINUE
        NPP=NPP+1
        NPST(NPP)=NL
        NLL=NPP
        GO TO 948
946 NLL=L
948 RP(NKK)=RP(NKK)+EK*EL/2.0
        RP(NLL)=RP(NLL)+EK*EL/2.0
950 CONTINUE
        GO TO 920
960 NSTN=NPP
C
C APPLY STEADY STATE OR TRANSIENT DIRICHLET BOUNDARY CONDITIONS ( )
C INITIAL CONDITIONS
C
1000 IF (NBC.EQ.0) GO TO 1020
        DO 1010 NPP=1,NBC
            NP=NN(NPP)
            H(NP)=BB(NPP)
1010 H(NP)=BB(NPP)
1020 IF (ISTOP.EQ.0) GC TO 1030

```

```

DATA2505
DATA2510
DATA2515
DATA2520
DATA2525
DATA2530
DATA2535
DATA2540
DATA2545
DATA2550
DATA2555
DATA2560
DATA2565
DATA2570
DATA2575
DATA2580
DATA2585
DATA2590
DATA2595
DATA2600
DATA2605
DATA2610
DATA2615
DATA2620
DATA2625
DATA2630
DATA2635
DATA2640
DATA2645
DATA2650
DATA2655
DATA2660
DATA2665
DATA2670
DATA2675
DATA2680
DATA2685
DATA2690
DATA2695
DATA2700
DATA2705
DATA2710
DATA2715
DATA2720
DATA2725
DATA2730
DATA2735
DATA2740
DATA2745
DATA2750

```

Appendix C (continued)

```

PRINT 15000, ISTCP
C
C REAL STEADY STATE OR TRANSIENT NATURAL-DRAINAGE ELEMENT
C SURFACE INFORMATION
C
1030 CONTINUE
C
PRINT 20000, NBN,(NPB(I),I=1,NBN)
PRINT 21000, NBEL,(NBE(I),I=1,NBEL)
IF(NRSN.NE.0) PRINT 22000, NRSN,(NPRS(I),I=1,NRSN)
IF(NRSEL.NE.0) PRINT 23000, NRSEL,(NRSE(I),I=1,NRSEL)
IF(NST.NE.0) PRINT 26000, NST,NSTN,(NPST(I),I=1,NSTN)
IF(NBC.NE.0) PRINT 27000, NBC,(NN(I),I=1,NBC)
C
RETURN
C
C
10000 FORMAT(35H0INPUT TABLE 1.. BASIC PARAMETERS // 5X,
> 40H NUMBER OF NODAL POINTS. . . . . // 15/ 5X,
> 40H NUMBER OF ELEMENTS. . . . . // 15/ 5X,
> 40H NUMBER OF DIFFERENT MATERIALS. . . . . // 15/ 5X,
> 40H NUMBER OF CORRECTION MATERIALS. . . . . // 15/ 5X,
> 40H NUMBER OF TIME INCREMENTS. . . . . // 15/ 5X,
> 40H STEADY-STATE I.C. CONTROL. . . . . // 15/ 5X,
> 40H SOIL-PROPERTY CONTROL. . . . . // 15/ 5X,
> 40H NUMBER OF SOIL PARAMETERS. . . . . // 15/ 5X,
> 40H AUXILIARY STORAGE CONTROL. . . . . // 15/ 5X,
> 40H CONDUCTIVITY-PERMEABILITY CONTROL. . . . . // 15/ 5X,
> 40H GRAVITY CONTROL. . . . . // 15/ 5X,
> 40H RESTART PARAMETER. . . . . // 15/ 5X,
> 40H MAXIMUM ITERATIONS PER CYCLE. . . . . // 15/ 5X,
> 40H MAXIMUM CYCLES PER TIME STEP. . . . . // 15)
10001 FORMAT(1H .4X,
> 40H LUMPING INDICATOR, ILUMP. . . . . // 15/ 5X,
> 40H TIME-DIFFERENCE INDICATOR, IMID. . . . . // 15)
10100 FORMAT(5X,40H TIME INCREMENT. . . . . // F10.5/ 5X,
> 40H MULTIPLIER FOR INCREASING DELT. . . . . // F10.6/ 5X,
> 40H MAXIMUM VALUE OF DELT. . . . . // D10.4/ 5X,
> 40H MAXIMUM VALUE OF TIME. . . . . // D10.4/ 5X,
> 40H DEGREES OF PRIN-AXIS INCLINATION. . . . . // F10.6/ 5X,
> 40H STEADY-STATE TOLERANCE. . . . . // F10.6/ 5X,
> 40H TRANSIENT STATE TOLERANCE. . . . . // F10.6/ 5X,
> 40H DENSITY OF WATER. . . . . // F10.6/ 5X,
> 40H ACCELERATION OF GRAVITY. . . . . // F10.3/ 5X,
> 40H VISCOSITY OF WATER. . . . . // F10.6/ 5X,
> 40H TIME-INTEGRATION PARAMETER. . . . . // F10.6)
10200 FORMAT(//6X,14HOUTPUT CONTROL)
10201 FORMAT(//6X,15HDISK OUTPUT CONTROL)
10300 FORMAT(36H1INPUT TABLE 2.. MATERIAL PROPERTIES// 9H MAT. V).. 9(
> 3A4))

```

```

DATA2755
DATA2760
DATA2765
DATA2770
DATA2775
DATA2780
DATA2785
DATA2790
DATA2795
DATA2800
DATA2805
DATA2810
DATA2815
DATA2820
DATA2825
DATA2830
DATA2835
DATA2840
DATA2845
DATA2850
DATA2855
DATA2860
DATA2865
DATA2870
DATA2875
DATA2880
DATA2885
DATA2890
DATA2895
DATA2900
DATA2905
DATA2910
DATA2915
DATA2920
DATA2925
DATA2930
DATA2935
DATA2940
DATA2945
DATA2950
DATA2955
DATA2960
DATA2965
DATA2970
DATA2975
DATA2980
DATA2985
DATA2990
DATA2995
DATA3000

```


Appendix C (continued)

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10400 FORMAT(53HINPUT TABLE 3.. SOIL-PROPERTIES INTERPOLATION VALUES//
> 9H MAT. NO.,9X,2HPRESSURE,13X,16HMOISTURE CONTENT,4X,
> 25HCONDUCTIVITY/PERMEABILITY,6X,14HWATER CAPACITY)
10500 FORMAT(44HINPUT TABLE 3.. MOISTURE-CONTENT PARAMETERS//
> 9H MAT. NO.,8(3A4))
10600 FORMAT(40HINPUT TABLE 4.. CONDUCTIVITY PARAMETERS// 9H MAT. NO..
> 2(3A4))
10700 FORMAT(32HINPUT TABLE 5. NODAL POINT DATA//2X,
> 4HNODE,10X,1HX,10X,1HZ,4X,4HNODE,10X,1HX,13X,1HZ,4X,4HNODE,
> 10X,1HX,10X,1HZ,4X,4HNODE,10X,1HX,10X,1HZ/
> 27H*****
> 3X,27H*****
*/)
10800 FORMAT(29HINPUT TABLE 6.. ELEMENT DATA// 11X,
> 31HGLOBAL INDICES OF ELEMENT NODES/7X,7HELEMENT,3X,1H1,7X,1H2,
> 7X,1H3,7X,1H4,6X,8HMATERIAL,4X,9HNODE DIFF.)
10900 FORMAT(64H CORRECTIONS TO MATERIAL TYPES AND CLASSES FOR SELECTED
> ELEMENTS)
11000 FORMAT(45HINPUT TABLE 7.. STEADY-STATE B.C. PARAMETERS// 5X,
> 40H NUMBER OF BOUNDARY CONDITIONS . . . . .15/ 5X,
> 40H NUMBER OF SURFACE TERMS . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL PROFILES . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL PARAMETERS . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL-SEEPAGE ELEMENTS . . .15/ 5X,
> 40H NUMBER OF RAINFALL-SEEPAGE NODES . . .15)
11100 FORMAT(53HINPUT TABLE 8.. STEADY-STATE BOUNDARY CONDITIONS OF
> 9HFORM H=BB//6H NODE,7X,2HBB)
11200 FORMAT(43HINPUT TABLE 9.. STEADY-STATE SURFACE TERMS,
> 33H E=EI AT NODE NI, E=EJ AT NODE NJ//8X,2HNI,8X,2HNJ,13X,2HEI,
> 13X,2HEJ/)
11300 FORMAT(43HINPUT TABLE 10.. TRANSIENT B.C. PARAMETERS// 5X,
> 40H NUMBER OF BOUNDARY CONDITIONS . . . . .15/ 5X,
> 40H NUMBER OF SURFACE TERMS . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL PROFILES . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL PARAMETERS . . . . .15/ 5X,
> 40H NUMBER OF RAINFALL-SEEPAGE ELEMENTS . . .15/ 5X,
> 40H NUMBER OF RAINFALL-SEEPAGE NODES . . .15)
11400 FORMAT(31HINPUT TABLE 11.. RAINFALL DATA)
11500 FORMAT(/8H PROFILE,15/8X,4HTIME,11X,4HRATE)
11600 FORMAT(51HINPUT TABLE 12.. RAINFALL DISTRIBUTION AND PONDING//
> 6X,4HNODE,6X,4HTYPE,5X,3HDEPTH)
11700 FORMAT(54HINPUT TABLE 13.. RAINFALL-SEEPAGE SURFACE INFORMATION//
> 5X,7HELEMENT,2X,6HNODE 1,2X,6HNODE 2)
11701 FORMAT(54HINPUT TABLE 13A. NATURAL DRAINAGE SURFACE INFORMATION//
> 5X,7HELEMENT,2X,6HNODE 1,2X,6HNODE 2)
11800 FORMAT(50HINPUT TABLE 14.. BOUNDARY CONDITIONS OF FORM H=BB//
> 6H NODE,7X,2HBB)
11900 FORMAT(31HINPUT TABLE 15.. SURFACE TERMS,
> 33H E=EI AT NODE NI, E=EJ AT NODE NJ// 5H NI,5H NJ,6X,2HEI,
> 12X,2HEJ/)

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DATA3005
DATA3010
DATA3015
DATA3020
DATA3025
DATA3030
DATA3035
DATA3040
DATA3045
DATA3050
DATA3055
DATA3060
DATA3065
DATA3070
DATA3075
DATA3080
DATA3085
DATA3090
DATA3095
DATA3100
DATA3105
DATA3110
DATA3115
DATA3120
DATA3125
DATA3130
DATA3135
DATA3140
DATA3145
DATA3150
DATA3155
DATA3160
DATA3165
DATA3170
DATA3175
DATA3180
DATA3185
DATA3190
DATA3195
DATA3200
DATA3205
DATA3210
DATA3215
DATA3220
DATA3225
DATA3230
DATA3235
DATA3240
DATA3245
DATA3250

```

Appendix C (continued)

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12000 FORMAT(1G15)
12100 FORMAT(80I1)
12200 FORMAT(10X,10I11)
12300 FORMAT(8F10.0)
12400 FORMAT(2(1PD15.4))
12500 FORMAT(1E,5D12.4)
12600 FORMAT(1E,019.4,3D25.4/(2X,4D25.4))
12700 FORMAT(1E,9D12.4/(8X,9D12.4))
12800 FORMAT(15,2F10.3)
12900 FORMAT(1H,1E,2D11.3,3X,15,2D11.3,3X,15,2D11.3,3X,15,2D11.3)
13000 FORMAT(110,4I8,110,113)
13100 FORMAT(110,32X,110,32X,110)
13200 FORMAT(1E,015.4)
13300 FORMAT(21E,2F10.0)
13400 FORMAT(31E,5X,2F10.0)
13500 FORMAT(2110,2(1PD15.4))
13600 FORMAT(15,5X,F10.0)
14300 FORMAT(///37H CHECK BOUNDARY CONDITIONS, MAXIMUM =,15///)
14800 FORMAT(///43H TOO MANY RAINFALL-SEEPAGE NODES, MAXIMUM =,15///)
14900 FORMAT(///34H ERROR IN SURFACE CARD FOR ELEMENT,15///)
15000 FORMAT(///28H EXECUTION HALTED BECAUSE OF,15,13H FATAL ERRORS///)
15100 FORMAT(///30H ERROR IN NODAL-POINT CARD NO.,15///)
15200 FORMAT(///26H ERROR IN ELEMENT CARD NO.,15///)
15300 FORMAT(///36H ERROR IN INITIAL-CONDITION CARD NO.,15///)
15400 FORMAT(///49H ERROR IN FIRST H=BB TYPE BOUNDARY-CONDITION CARD //
> //)
15500 FORMAT(///48H ERROR IN FIRST RAINFALL-TYPE-PONDING-DEPTH CARD///)
15600 FORMAT(///45H ERROR IN FIRST RAINFALL-SEEPAGE ELEMENT CARD///)
15700 FORMAT(///33H ERROR IN FIRST SURFACE-TERM CARD///)
15800 FORMAT(///45H ASSEMBLY AND SOLUTION WILL NOT BE PERFORMED.,15,
> 15H FATAL CARD ERRORS///)
15900 FORMAT(///40H ERROR IN MATERIAL TYPE CODE FOR ELEMENT,15///)
20000 FORMAT(1H1,5X,'CHECK ALL BOUNDARY NODAL AND ELEMENT INFORMATION'//
> /5X,'TOTAL NUMBER OF BOUNDARY NODES ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
21000 FORMAT(1H0,4X,'TOTAL NUMBER OF BOUNDARY ELEMENTS ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
22000 FORMAT(1H0,4X,'TOTAL NUMBER OF RAINFALL-SEEPAGE BOUNDARY NODES ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
23000 FORMAT(1H0,4X,'TOTAL NUMBER OF RAINFALL-SEEPAGE BOUNDARY ELEMENTS ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
26000 FORMAT(1H0,4X,'TOTAL NUMBER OF SURFACE TERM BOUNDARY ELEMENTS ='15/5X,
> 'TOTAL NUMBER OF SURFACE TERM BOUNDARY NODES ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
27000 FORMAT(1H0,4X,'TOTAL NUMBER OF DIRICHLET NODES ='15/5X,
> 'THEY ARE LISTED BELOW:'/(5X,10I5))
END

```

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DATA3255
DATA3260
DATA3265
DATA3270
DATA3275
DATA3280
DATA3285
DATA3290
DATA3295
DATA3300
DATA3305
DATA3310
DATA3315
DATA3320
DATA3325
DATA3330
DATA3335
DATA3340
DATA3345
DATA3350
DATA3355
DATA3360
DATA3365
DATA3370
DATA3375
DATA3380
DATA3385
DATA3390
DATA3395
DATA3400
DATA3405
DATA3410
DATA3415
DATA3420
DATA3425
DATA3430
DATA3435
DATA3440
DATA3445
DATA3450
DATA3455
DATA3460
DATA3465
DATA3470
DATA3475
DATA3480
DATA3485

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Appendix C (continued)

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SUBROUTINE SURF(X,Z,IE,DLB,DCOSXB,DCOSZB,NBE,ISB,NPB,
> MAXNP,MAXEL,MAXBEL,MAXBNP)
C
C
C FUNCTION OF SUBROUTINE--TO IDENTIFY BOUNDING SIDES THROUGH THE ARRAY
C ISB(MP,4), TO CALCULATE THEIR LENGTHS DLB(MP), AND TO DETERMINE THE
C DIRECTION COSINES DCCSX(MP) AND DCOSZ(MP) OF THE OUTWARDLY DIRECTED
C UNIT NORMAL VECTOR FOR EACH BOUNDARY ELEMENT NBE(MP).
C
C
C   IMPLICIT REAL*8(A-H,O-Z)
C
C   DIMENSION X(MAXNF),Z(MAXNP),IE(MAXEL,5)
C   DIMENSION DLB(MAXBEL),DCOSXB(MAXBEL),DCOSZB(MAXBEL),NBE(MAXBEL),
C   > ISB(MAXBEL,4),NPB(MAXBNP)
C
C   COMMON /GEOM/ SNFE,CSFE,ANP,NEL,IBAND
C   COMMON /BRSD/ NBEL,NBN,NRSEL,NRSN,NRFPR,NRFPA
C
C   FIND SURFACE SIDES BY LOCATING NONDUPLICATED SIDES
C
C   NBEL=0
C   NBN=0
C   DO 40 MI=1,NEL
C     DO 30 IQ=1,4
C       IQ1=IQ+1
C       IF (IQ.EQ.4) IQ1=1
C       DO 20 MJ=1,NEL
C         IF (MJ.EQ.MI) GO TO 20
C         DO 10 JQ=1,4
C           JQ1=JQ+1
C           IF (JQ.EQ.4) JQ1=1
C           IF (IE(MI,IQ).EQ.IE(MJ,JQ).AND.IE(MI,IQ1).EQ.IE(MJ,
C           > JQ1)) GO TO 30
C           IF (IE(MI,IQ).EQ.IE(MJ,JQ1).AND.IE(MI,IQ1).EQ.IE(MJ,
C           > JQ1)) GO TO 30
C           CONTINUE
C         CONTINUE
C       CONTINUE
C     CONTINUE
C   CONTINUE
C
C   NI=IE(MI,IQ)
C   NJ=IE(MI,IQ1)
C   NBEL=NBEL+1
C   NBE(NBEL)=MI
C   ISB(NBEL,1)=NI
C   ISB(NBEL,2)=NJ
C   ISB(NBEL,3)=IQ
C   ISB(NBEL,4)=IQ1
C   IF(NBEL.GT.1) GO TO 25
C   NBN=NBN+1
C   NPB(NBN)=NI

```

```

SURF 005
SURF 010
SURF 015
SURF 020
SURF 025
SURF 030
SURF 035
SURF 040
SURF 045
SURF 050
SURF 055
SURF 060
SURF 065
SURF 070
SURF 075
SURF 080
SURF 085
SURF 090
SURF 095
SURF 100
SURF 105
SURF 110
SURF 115
SURF 120
SURF 125
SURF 130
SURF 135
SURF 140
SURF 145
SURF 150
SURF 155
SURF 160
SURF 165
SURF 170
SURF 175
SURF 180
SURF 185
SURF 190
SURF 195
SURF 200
SURF 205
SURF 210
SURF 215
SURF 220
SURF 225
SURF 230
SURF 235
SURF 240
SURF 245
SURF 250

```

Appendix C (continued)

	NBN=NBN+1	SURF 255
	NPB(NBN)=NJ	SURF 260
25	DO 26 I=1,NBN	SURF 265
	IJ=NPB(I)	SURF 270
	IF(IJ.EQ.NI) GC TO 27	SURF 275
26	CONTINUE	SURF 280
	NBN=NBN+1	SURF 285
	NPB(NBN)=NI	SURF 290
27	DO 28 J=1,NBN	SURF 295
	IJ=NPB(J)	SURF 300
	IF(IJ.EQ.NJ) GC TC 29	SURF 305
28	CONTINUE	SURF 310
	NBN=NBN+1	SURF 315
	NPB(NBN)=NJ	SURF 320
29	CONTINUE	SURF 325
30	CONTINUE	SURF 330
40	CONTINUE	SURF 335
C		SURF 340
C	CALCULATE SIDE LENGTHS AND DIRECTION COSINES	SURF 345
C		SURF 350
	DO 70 MP=1,NBEL	SURF 355
	M=NBE(MP)	SURF 360
	NI=ISB(MP,1)	SURF 365
	NJ=ISB(MP,2)	SURF 370
C	DX=X(NI)-X(NJ)	SURF 375
C	DZ=Z(NI)-Z(NJ)	SURF 380
	DX=X(NJ)-X(NI)	SURF 385
	DZ=Z(NJ)-Z(NI)	SURF 390
C	DLB(MP)=DSQRT(DX*DX+DZ*DZ)	SURF 395
		SURF 400
	BETA=DATAN2(DZ,DX)	SURF 405
	DCOSXB(MP)=DSIN(BETA)	SURF 410
	DCOSZB(MP)=-DCCS(BETA)	SURF 415
70	CONTINUE	SURF 420
	RETURN	SURF 425
	END	SURF 430

Appendix C (continued)

```

SUBROUTINE VELT(X,Z,IE, C,H,HT,VX,VZ,AKX,AKZ, MAXEL,MAXNP,MAXHBP)
FUNCTION OF SUBROUTINE TO COMPUTE DARCY VELOCITY VX AND VZ
IMPLICIT REAL*8(A-H,O-Z)
DIMENSION X(MAXNP),Z(MAXNP),IE(MAXEL,5)
DIMENSION C(MAXNP,MAXHBP),H(MAXNP),HT(MAXNP),VX(MAXNP),VZ(MAXNP),
> AKX(MAXEL,4),AKZ(MAXEL,4)
DIMENSION QQ(4,4),RQ(4),XQ(4),ZQ(4),HTQ(4),AKXQ(4),AKZQ(4)
COMMON /GEOM/ SNFE,CSFE,INP,NEL,IBAND
IHALFB=(IBAND-1)/2
IHBP=IHALFB+1
INITIAZE THE DARCY VELOCITY VX(NP) AND VZ(NP)
DO 100 NP=1,INP
VX(NP)=0.0
100 VZ(NP)=0.0
CALCULATE THE TOTAL HEAD HT(NP)
DO 105 NP=1,INP
105 HT(NP)=H(NP)-X(NP)*SNFE+Z(NP)*CSFE
COMPUTE DARCY VELOCITIES BY APPLYING FINITE ELEMENT METHOD TO DARCY
EQUATIONS. IXZ=1 FOR COMPUTING VX, IXZ=2 FOR COMPUTING VZ.
DO 300 IXZ=1,2
INITIALIZE MATRIX C(NP,IB)
DO 110 NP=1,INP
DO 110 IB=1,IHBP
110 C(NP,IB)=0.0
COMPUTE THE ELEMENT MATRIX QQ(IO,JO) AND RQ(IO)
DO 120 M=1,NEL
DO 120 IO=1,4
NP=IE(M,IO)
XQ(IO)=X(NP)
ZQ(IO)=Z(NP)
HTQ(IO)=HT(NP)
AKXQ(IO)=AKX(M,IO)

```

```

VELT 005
VELT 010
VELT 015
VELT 020
VELT 025
VELT 030
VELT 035
VELT 040
VELT 045
VELT 050
VELT 055
VELT 060
VELT 065
VELT 070
VELT 075
VELT 080
VELT 085
VELT 090
VELT 095
VELT 100
VELT 105
VELT 110
VELT 115
VELT 120
VELT 125
VELT 130
VELT 135
VELT 140
VELT 145
VELT 150
VELT 155
VELT 160
VELT 165
VELT 170
VELT 175
VELT 180
VELT 185
VELT 190
VELT 195
VELT 200
VELT 205
VELT 210
VELT 215
VELT 220
VELT 225
VELT 230
VELT 235
VELT 240
VELT 245
VELT 250

```

Appendix C (continued)

C	120 AKZQ(IQ)=AKZ(M,IG)	VELT 255
C	CALL Q4D(QQ,RQ,XQ,ZQ,AKXQ,AKZQ,HTQ,SNFE,CSFE,IXZ)	VELT 260
C		VELT 265
C	ASSEMBLE QQ(IQ,JQ) INTO THE GLOBAL MATRIX C(NP,IB) AND	VELT 270
C	FORM THE LOAD VECTOR VX(NP) OR VZ(NP)	VELT 275
C		VELT 280
C	DO 140 IQ=1,4	VELT 285
	NI=IE(M,IQ)	VELT 290
	DO 130 JQ=1,4	VELT 295
	NJ=IE(M,JQ)	VELT 300
	IF(NJ.LT.NI) GO TC 130	VELT 305
	IB=NJ-NI+1	VELT 310
	C(NI,IB)=C(NI,IB)+QQ(IQ,JQ)	VELT 315
C	130 CONTINUE	VELT 320
		VELT 325
	IF(IXZ.EQ.2) GO TC 135	VELT 330
	VX(NI)=VX(NI)+RQ(IQ)	VELT 335
	GO TO 140	VELT 340
	135 VZ(NI)=VZ(NI)+RQ(IQ)	VELT 345
	140 CONTINUE	VELT 350
C		VELT 355
	180 CONTINUE	VELT 360
C		VELT 365
C	SOLVE THE MATRIX EQUATION CX=B	VELT 370
C		VELT 375
	IF(IXZ.EQ.2) GO TC 200	VELT 380
	CALL BANSCL(1,C,VX,NNP,IHBP,MAXNP,MAXHBP)	VELT 385
	CALL BANSCL(2,C,VX,NNP,IHBP,MAXNP,MAXHBP)	VELT 390
	GO TO 300	VELT 395
	200 CALL BANSOL(1,C,VZ,NNP,IHBP,MAXNP,MAXHBP)	VELT 400
	CALL BANSOL(2,C,VZ,NNP,IHBP,MAXNP,MAXHBP)	VELT 405
C	300 CONTINUE	VELT 410
		VELT 415
	RETURN	VELT 420
	END	VELT 425
		VELT 430
		VELT 435

Appendix C (continued)

C	SUBROUTINE Q4D(QQ,RQ,XQ,ZQ,AKXQ,AKZQ,HTQ,SNFE,CSFE,IND)	Q4D 005
C	FUNCTION OF SUBROUTINE-TO EVALUATE THE MATRIX QUADRATURE OVER THE	Q4D 010
C	AREA OF ONE ELEMENT. THESE INTEGRALS ARISE THROUGH THE	Q4D 015
C	APPLICATION OF THE GALERKIN INTEGRATION SCHEME	Q4D 020
C		Q4D 025
C		Q4D 030
C		Q4D 035
C	IMPLICIT REAL*8 (A-H,O-Z)	Q4D 040
C	REAL*8 N(4)	Q4D 045
C		Q4D 050
C	DIMENSION QQ(4,4),RQ(4),XQ(4),ZQ(4),HTQ(4),AKXQ(4),AKZQ(4)	Q4D 055
C	DIMENSION S(4),T(4),DNX(4),DNZ(4)	Q4D 060
C	DIMENSION PJAB(2,2),DNSS(4),DNNT(4)	Q4D 065
C		Q4D 070
C	DATA P / 577350269189626 /, S / -1.0D+00, 1.0D+00, 1.0D+00, -	Q4D 075
C	> 1.0D+00 /, T / -1.0D+00,-1.0D+00, 1.0D+00, 1.0D+00 /	Q4D 080
C	INITIALIZE MATRICES QQ(IQ,JQ) AND RQ(IQ)	Q4D 085
C		Q4D 090
C	DO 100 IQ=1,4	Q4D 095
C	RQ(IQ)=0.0	Q4D 100
C	DO 100 JQ=1,4	Q4D 105
C	100 QQ(IQ,JQ)=0.0	Q4D 110
C		Q4D 115
C		Q4D 120
C		Q4D 125
C	SUMMATION OF THE INTEGRAND OVER THE GAUSSIAN POINTS	Q4D 130
C		Q4D 135
C		Q4D 140
C	DO 400 KG=1,4	Q4D 145
C		Q4D 150
C		Q4D 155
C	DETERMINE LOCAL COORDINATE (SS,TT) OF	Q4D 160
C	GAUSS-INTEGRATION POINT KG	Q4D 165
C		Q4D 170
C	SS=P*S(KG)	Q4D 175
C	TT=P*T(KG)	Q4D 180
C		Q4D 185
C	CALCULATE VALUES OF THE BASIS FUNCTIONS N(IQ) AND THEIR DERIVATIVES	Q4D 190
C	DNX(IQ) AND DNZ(IQ) WITH RESPECT TO X AND Z, RESPECTIVELY, AT	Q4D 195
C	THE GAUSS POINT KG	Q4D 200
C		Q4D 205
C	CALL BASE(N,DNSS,DNNT,SS,TT)	Q4D 210
C		Q4D 215
C	DO 11 I=1,2	Q4D 220
C	DO 11 J=1,2	Q4D 225
C	PJAB(I,J)=0.0	Q4D 230
C	11 DO 12 I=1,4	Q4D 235
C	PJAB(1,1)=PJAB(1,1)+ZQ(I)*DNNT(I)	Q4D 240
C	PJAB(1,2)=PJAB(1,2)-ZQ(I)*DNSS(I)	Q4D 245
C	PJAB(2,1)=PJAB(2,1)-XQ(I)*DNNT(I)	Q4D 250

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Appendix C (continued)

<pre> 12 PJAB(2,2)=PJAB(2,2)+XQ(I)*DNSS(I) DJAC=PJAB(2,2)*PJAB(1,1)-PJAB(1,2)*PJAB(2,1) DJACI=1.0/DJAC DO 13 I=1,2 DO 13 J=1,2 13 PJAB(I,J)=PJAB(I,J)*DJACI DO 14 I=1,4 14 DNX(I)=DNSS(I)*PJAB(1,1)+DNTT(I)*PJAB(1,2) DNZ(I)=DNSS(I)*PJAB(2,1)+DNTT(I)*PJAB(2,2) C AKXX=0.0 AKZK=0.0 C C C ACCUMULATE THE SLMS TO OBTAIN THE MATRIX INTEGRALS QQ(IQ,JQ) AND RQ(IQ) DO 150 IQ=1,4 AKXX=AKXX+AKXQ(IQ)*N(IQ) 150 AKZK=AKZK+AKZQ(IQ)*N(IQ) DO 300 IQ=1,4 DO 300 JQ=1,4 QQ(IQ,JQ)=QQ(IQ,JQ)+ N(IQ)*N(JQ)*DJAC IF(IND.EQ.2) GO TO 200 RQ(IQ)=RQ(IQ)-AKXX*N(IQ)*(HTQ(JQ)*DNX(JQ))*DJAC GO TO 300 200 RQ(IQ)=RQ(IQ)-AKZK*N(IQ)*(HTC(JQ)*DNZ(JQ))*DJAC 300 CONTINUE 400 CONTINUE RETURN END </pre>	<pre> 040 255 040 260 040 265 040 270 040 275 040 280 040 285 040 290 040 295 040 300 040 305 040 310 040 315 040 320 040 325 040 330 040 335 040 340 040 345 040 350 040 355 040 360 040 365 040 370 040 375 040 380 040 385 040 390 040 395 040 400 </pre>
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Appendix C (continued)

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SUBROUTINE SPRCP(IE, H, TH, DTH, AKX, AKZ, PROP, THPROP, A(CPROP, HSP)),
> CAPROP, MAXEL, MAXNP, MAXMAT, MXMPPM, MXSPPM, NEL, KSP)

FUNCTION OF SUBROUTINE—TO CALCULATE SOIL PROPERTIES, I.E. THE
WATER CONTENTS TH(M,IQ), WATER CAPACITIES DTH(M,IQ), AND
PRINCIPAL VALUES OF THE CONDUCTIVITY TENSOR AKX(M,IQ) AND AKZ(I, IQ).

      IMPLICIT REAL*8(A-H,O-Z)

      DIMENSION IE(MAXEL,5), H(MAXNP), TH(MAXEL,4), DTH(MAXEL,4),
> AKX(MAXEL,4), AKZ(MAXEL,4)

      DIMENSION PROP(MAXMAT, MXMPPM), THPROP(MAXMAT, MXSPPM),
> AKPROP(MAXMAT, MXSPPM), HPROP(MAXMAT, MXSPPM),
> CAPROP(MAXMAT, MXSPPM)

      COMMON /MTL/ NMAT, NMPPM, NSPPM

----- TH, DTH/DH, AKX, AND AKZ ARE OBTAINED BY TABLE

      IF(KSP.EQ.0) GO TO 80
      DO 70 M=1, NEL
        MTYP=IE(M,5)
        SATKX=PROP(MTYP,4)
        SATKZ=PROP(MTYP,5)
        DO 60 IQ=1,4
          NP=IE(M,IQ)
          HNP=H(NP)
          IF (HNP.GT.HPROP(MTYP,1)) GO TO 10
          JL=1
          JU=2
          A=0.
          GO TO 50
10         IF (HNP.LT.HPROP(MTYP,NSPPM)) GO TO 2)
          JL=NSPPM
          JU=1
          A=C.
          GO TO 50
20         DO 30 J=2, NSPPM
          JU=J
          IF (HPROP(MTYP,J).GT.HNP) GO TO 40
          CONTINUE
30         JL=JU-1
40         A=(HNP-HPROP(MTYP,JL))/(HPROP(MTYP,JU)-HPROP(MTYP,JL))
50         TH(M,IQ)=THPROP(MTYP,JL)+A*(THPROP(MTYP,JJ)-THPROP(MTYP,JL))
          DTH(M,IQ)=CAPROP(MTYP,JL)+A*(CAPROP(MTYP,JJ)-CAPROP(MTYP,JL))

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Appendix C (continued)

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    )
    USKFCT=AKPROP(MTYP,JL)+A*(AKPROP(MTYP,JJ)-AKPROP(MTYP,J_))
    AKX(M,IQ)=SATKX*USKFCT
    AKZ(M,IQ)=SATKZ*USKFCT
60   CONTINUE
70   CONTINUE
    RETURN

CCCC ----- TH, DTH/DH, AKX, AND AKZ ARE OBTAINED BY ANALYTICAL FORM
CCCC ----- THE READER MUST SUPPLY THE FUNCTIONAL FORM OF FKX, FCZ, AND
CCCC ----- FTH BELOW

    80 DO 95 N=1,NEL
      MTYP=IE(N,5)
      SATKX=PROP(MTYP,4)
      SATKZ=PROP(MTYP,5)

CCCC ----- WCR= THPROP(MTYP,1)=0.065, 0.050 FOR TWO SAMPLE MATERIALS
CCCC ----- WCS= THPRCF(MTYP,2)=0.364, 0.341 FOR TWO SAMPLE MATERIALS
CCCC ----- RN=THPROP(MTYP,3)=1.092217, 1.546937 FOR TWO SAMPLE MATERIALS
CCCC ----- ALPH=THPRCF(MTYP,4)=0.109, 0.002166 FOR TWO SAMPLE MATERIALS

      WCR=THPROP(MTYP,1)
      WCS=THPROP(MTYP,2)
      RN=THPROP(MTYP,3)
      ALPH=THPRCF(MTYP,4)
      RM=1.000-1.000/RN
      DO 90 IQ=1,4
        NP=IE(N,IQ)
        HNP=H(NP)
        HNP=-HNP

CCCC ----- SATURATED CONDITION

      IF(HNP.GT.0.0) GO TO 85
      TH(M,IQ)=WCS
      DTH(M,IQ)=0.000
      AKX(M,IQ)=SATKX
      AKZ(M,IQ)=SATKZ
      GO TO 90

CCCC ----- UNSATURATED CASE

    85   THMIQ=WCR+(WCS-WCR)/(1.000+(ALPH*HNP)**RN)**RM
      TH(M,IQ)=THMIQ
      RWC=(THMIQ-WCR)/(WCS-WCR)
      TERM=(1.0-RWC**((1.0/RN)**RM))
      RK=DSORT(RWC)*((1.0-TERM)**(1.-TERM))
      AKX(M,IQ)=SATKX*RK
  
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Appendix C (continued)

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      AKZ(M,IG)=SATKZ*RK  
      DTH(M,IQ)=ALPH*(RN-1.0)*TERM*RWCM*(1.)/RM)  
C  
  SO  CONTINUE  
  SS  CONTINUE  
      RETURN  
      END
```

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SPRO 530  
SPRO 535
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Appendix C (continued)

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SUBROUTINE BCPREP(IE, H, VX, VZ, DL, DCOSX, DCOSZ, DCYFLX, FLX, RSF, X,
> HCON, NRSE, IS, NPRS, NPCON, NPFLX, IRFTYP, TRF, RF, RFALL, MAXEL, 4XNP,
> MXRSEL, MXRSNP, MXRFPR, MXRPAR, TIME, NCHG)
C
C
C FUNCTION OF SUBROUTINE--TO PREPARE BOUNDARY CONDITIONS FOR THE
C RAINFALL-SEEPAGE NODES. IF THE PRESSURE H(NP) BECOMES GREATER THAN
C THE PUDDLING DEPTH HCON(NP), THEN THE RAINFALL RATE IS GREATER
C THAN THAT WHICH CAN BE ABSORBED BY THE SOIL AND EITHER INWARD F, UX
C CONTINUES AT A REDUCED RATE OR SEEPAGE, OUTWARD F, JX, BEGINS.
C IN EITHER EVENT THE BOUNDARY CONDITION IS CHANGED TO THE
C CONSTANT PUDDLING DEPTH HCON(NP). ON THE OTHER HAND, SHOULD THE
C INTERIOR DARCY FLUX DCYFLX(NP) BECOME GREATER THAN CAN BE MAINTAINED
C BY THE EXTERNAL FLUX, A CHANGE TO A FLUX BOUNDARY CONDITION IS
C EFFECTED.
C
C
C      IMPLICIT REAL*8 (A-H,O-Z)
C
C      DIMENSION IE(MAXEL,5), H(MAXNP), VX(MAXNP), VZ(MAXNP)
C
C      DIMENSION DL(MXRSEL), DCOSX(MXRSEL), DCOSZ(MXRSEL), DCYFLX(4XNP),
C > FLX(MXRSNP), RSFLX(MXRSNP), HCCN(MXRSNP), NRSE(MXRSEL),
C > IS(MXRSEL,4), NPRS(MXRSNP), NPCON(MXRSNP), NPFLX(MXRSNP),
C > IRFTYP(MXRSNP), TRF(MXRFP, MXRPAR), RF(MXRFP, MXRPAR), RFALL(4XRFPR)
C
C      COMMON /GEOM/ SNFE, CSFE, ANP, NEL, IBAND
C      COMMON /BRSD/ NBEL, NBN, NRSEL, NRSN, NRFPR, NRPFR
C
C      CALCULATE THE RAINFALL RFALL(I) FROM EACH PROFILE
C
C      IF (NRFPR.EQ.0) GO TO 40
C      DO 30 I=1, NRFPR
C        DO 20 J=2, NRPFR
C          IF (TRF(I, J-1).LE.TIME.AND.TIME.LE.TRF(I, J)) GO TO 10
C          GO TO 20
C10      RFALL(I)=RF(I, J-1)+(TIME-TRF(I, J-1))*(RF(I, J)-RF(I, J-1))/
C > (TRF(I, J)-TRF(I, J-1))
C          GO TO 30
C20      CONTINUE
C30
C
C      DETERMINE THE NORMAL RAINFALLS FLX(NP) AND DARCY FLUXES DCYFLX(NP)
C      FOR EACH RAINFALL-SEEPAGE NODAL POINT
C
C40 DO 50 NP=1, NRSN
C      FLX(NP)=0.
C50 DCYFLX(NP)=0.
C      DO 70 NP=1, NRSEL

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Appendix C (continued)

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M=NRSE(MP)
NI=IS(MP,1)
NJ=IS(MP,2)
DO 60 I=1,NRSH
  IJ=NPRS(I)
  IF(IJ.NE.NI) GO TO 60
  NII=I
  GO TO 62
60 CONTINUE
62 DO 65 J=1,NRSH
  IJ=NPRS(J)
  IF(IJ.NE.NJ) GO TO 65
  NJJ=J
  GO TO 67
65 CONTINUE
67 CONTINUE
NITYP=IRFTYP(NII)
NJTYP=IRFTYP(NJJ)
RFNI=0.
RFNJ=0.
IF (NITYP.GT.0) RFNI=RFALL(NITYP)
IF (NJTYP.GT.0) RFNJ=RFALL(NJTYP)

C
C
C OBTAIN RAINFALL RATES RFNI AND RFNJ AT POINTS NI AND NJ NORMAL TO
C THE SIDE SUBTENDED BY THESE POINTS
C
  MYP=IE(M,S)
  PROJ=-DCOSX(M)*SNFE+DCOSZ(MP)*CSFE
  RFNI=-RFNI*PROJ
  RFNJ=-RFNJ*PROJ

C
C
C CALCULATE RAINFALL FLUX PASSING THROUGH SIDE (NI,NJ) AND DIVIDE IT
C INTO TWO PARTS FLX(NI) AND FLX(NJ). PERFORM A SIMILAR OPERATION TO
C OBTAIN DARCY FLUXES DCYFLX(NI) AND DCYFLX(NJ)
C
  FLX(NII)=FLX(NII)+RFNI*DL(MP)/3.0+RFNJ*DL(MP)/6.0
  FLX(NJJ)=FLX(NJJ)+RFNI*DL(MP)/6.0+RFNJ*DL(MP)/3.0

C
C
C COMPUTE THE FLUX THROUGH POINT NI USING THE WHOLE BOUNDARY LENGTH
C AND THE FLUX THROUGH POINT NJ USING THE WHOLE BOUNDARY SIDE LENGTH
C
  FNI=(VX(NI)*DCCSX(MP)+VZ(NI)*DCOSZ(MP))*DL(MP)
  FNJ=(VX(NJ)*DCCSX(MP)+VZ(NJ)*DCOSZ(MP))*DL(MP)

C
C
C DISTRIBUTE THE ABOVE FLUXES TO TWO END POINTS OF THE SIDE
C
  DCYFLX(NII)=DCYFLX(NII)+FNI/3.0+FNJ/6.0
  DCYFLX(NJJ)=DCYFLX(NJJ)+FNJ/3.0+FNI/6.0

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Appendix C (continued)

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70 CONTINUE
C CHANGE TO FLUX OR CONSTANT-HEAD CONDITIONS, AS NECESSARY, AND 3)
C INDICATE IN THE ARRAYS NPFLX(NPP) AND NPCCN(NPP)
C
      IF (NCHG.NE.(-1)) GO TO 80
      NCHG=0
      RETURN
80 NCHG=0
      DO 100 NPP=1,NRSH
C CHECK IF THE CHANGING FROM RAINFALL-FLUX (NEUMANN) CONDITION TO
C PONDING (DIRICHLET) CONDITION IS NECESSARY
C
      NP=NPFLX(NPP)
      IF (NP.EQ.0) GO TO 90
      IF (HCCN(NPP).GE.H(NP)) GO TO 100
      NPCCN(NPP)=NPFLX(NPP)
      NPFLX(NPP)=0
      NCHG=NCHG+1
      GO TO 100
C CHECK IF THE CHANGING FROM PONDING (DIRICHLET) CONDITION TO
C RAINFALL-FLUX (NEUMANN) CONDITION IS NECESSARY
C
80 NP=NPCCN(NPP)
      IF (FLX(NPP).LE.DCYFLX(NPP)) GO TO 100
      NPFLX(NPP)=NPCCN(NPP)
      NPCCN(NPP)=0
      NCHG=NCHG+1
100 CONTINUE
      RETURN
      END

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BCPR 660
BCPR 665

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Appendix C (continued)

	SUBROUTINE ASEMBL(X,Z,IE, C,R,H,HP,TH,DTH,AKX,AKZ, PROP,	ASEM 005
	> MAXNP,MAXEL,MAXHBP, MAXMAT, MXMPPM, KSS,W,DELT)	ASEM 010
C		ASEM 015
C	FUNCTION OF SUBROUTINE--TO ASSEMBLE THE TOTAL COEFFICIENT MATRIX	ASEM 020
C	C(NP,IB) AND LOAD VECTOR R(NP) FROM THE ELEMENT MATRICES QA(IQ,JQ),	ASEM 025
C	QB(IQ,JQ), AND RC(IC).	ASEM 030
C		ASEM 035
	IMPLICIT REAL*8(A-H,O-Z)	ASEM 040
C		ASEM 045
	DIMENSION X(MAXNP),Z(MAXNP),IE(MAXEL,5)	ASEM 050
	DIMENSION C(MAXNP,MAXHBP),R(MAXNP),H(MAXNP),HP(MAXNP),	ASEM 055
	> TH(MAXEL,4),DTH(MAXEL,4),AKX(MAXEL,4),AKZ(MAXEL,4)	ASEM 060
	DIMENSION PROP(MAXMAT,MXMPPM)	ASEM 065
C		ASEM 070
	DIMENSION QA(4,4),QB(4,4),RQ(4),THQ(4),DTHQ(4),AKXQ(4),AKZQ(4),	ASEM 075
	> XQ(4),ZQ(4),IEM(4)	ASEM 080
C		ASEM 085
	COMMON /GEOM/ SNFE,CSFE,NNP,NEL,IBAND	ASEM 090
	COMMON /G4PAR/ ALF,BETAP,POR,SINFE,COSFE	ASEM 095
	COMMON /OPT/ ILUMP,INID	ASEM 100
C		ASEM 105
	SINFE=SNFE	ASEM 110
	COSFE=CSFE	ASEM 115
	IHALFB=(IBAND-1)/2	ASEM 120
	IHBP=IHALFB+1	ASEM 125
C		ASEM 130
	DELT=1./DELT	ASEM 135
	W1=W	ASEM 140
	W2=1.-W	ASEM 145
	IF (KSS.GT.0) GO TO 10	ASEM 150
	DELT=0.	ASEM 155
	W1=1.	ASEM 160
	W2=0.	ASEM 165
C		ASEM 170
C	INITIALIZE MATRICES C(NP,IB) AND R(NP)	ASEM 175
C		ASEM 180
	10 DO 20 NP=1,NAP	ASEM 185
	R(NP)=0.0	ASEM 190
	DO 20 IB=1,IHBP	ASEM 195
	C(NP,IB)=0.0	ASEM 200
C		ASEM 205
C	START TO ASSEMBLE OVER ALL ELEMENTS	ASEM 210
C		ASEM 215
	DO 60 M=1,NEL	ASEM 220
C		ASEM 225
C	COMPUTE MATRICES QA(IQ,JQ), QB(IQ,JQ), AND RQ(IQ) FOR ELEMENT 4	ASEM 230
C		ASEM 235
	MTYP=IE(M,5)	ASEM 240
		ASEM 245
		ASEM 250

Appendix C (continued)

	ALP=PROP(MTYP,1)	ASEM 255
	BETAP=PROP(MTYP,2)	ASEM 260
	POR=PROP(MTYP,3)	ASEM 265
	DO 30 IQ=1,4	ASEM 270
	NP=IEM(IQ)	ASEM 275
	IEN(IQ)=NP	ASEM 280
	XQ(IQ)=X(NP)	ASEM 285
	ZQ(IQ)=Z(NP)	ASEM 290
	THQ(IQ)=TH(M,IQ)	ASEM 295
	DTHQ(IQ)=DTH(M,IQ)	ASEM 300
	AKXQ(IQ)=AKX(M,IQ)	ASEM 305
	AKZQ(IQ)=AKZ(M,IQ)	ASEM 310
C	30	ASEM 315
	CALL Q4(QA,QB,RQ,THQ,DTHQ,AKXQ,AKZQ,XQ,ZQ)	ASEM 320
C		ASEM 325
C		ASEM 330
C	ASSEMBLE QA(IQ,JQ) AND QB(IQ,JQ) INTO THE TOTAL MATRIX	ASEM 335
C	C(NP,IB) :: B + A/DELT AND FORM THE LOAD VECTOR R(NP).	ASEM 340
C	SINCE C IS SYMMETRIC, ONLY THE UPPER HALF BAND IS STORED	ASEM 345
C		ASEM 350
	IF(IMID.EQ.1) GO TO 51	ASEM 355
C	40	ASEM 360
	DO 50 IQ=1,4	ASEM 365
	NI=IEM(IQ)	ASEM 370
	R(NI)=R(NI)-RQ(IQ)	ASEM 375
	DO 50 JQ=1,4	ASEM 380
	NJ=IEM(JQ)	ASEM 385
	QA(IQ,JQ)=QA(IQ,JQ)*DELT I	ASEM 390
	R(NI)=R(NI)+(QA(IQ,JQ)-W2*QB(IQ,JQ))*HP(NJ)	ASEM 395
	IF (NJ.LT.NI) GO TO 50	ASEM 400
	IB=NJ-NI+1	ASEM 405
	C(NI,IB)=C(NI,IB)+QA(IQ,JQ)+W1*QB(IQ,JQ)	ASEM 410
	CONTINUE	ASEM 415
C	50	ASEM 420
	GO TO 60	ASEM 425
C	51	ASEM 430
	DO 53 IQ=1,4	ASEM 435
	NI=IEM(IQ)	ASEM 440
	R(NI)=R(NI)-RQ(IQ)	ASEM 445
	DO 52 JQ=1,4	ASEM 450
	NJ=IEM(JQ)	ASEM 455
	QA(IQ,JQ)=2.000*QA(IQ,JQ)*DELT I	ASEM 460
	R(NI)=R(NI) + QA(IQ,JQ)*HP(NJ)	ASEM 465
	IF (NJ.LT.NI) GO TO 52	ASEM 470
	IB=NJ-NI+1	ASEM 475
	C(NI,IB)=C(NI,IB)+QA(IQ,JQ)+QB(IQ,JQ)	ASEM 480
	CONTINUE	ASEM 485
	CONTINUE	ASEM 490
	52	ASEM 495
	53	ASEM 500
	60	ASEM 505
	RETURN	ASEM 510
	END	ASEM 515

Appendix C (continued)

C	SUBROUTINE Q4(QA,QB,RQ,THQ,DTHQ,AKXQ,AKZQ,XQ,ZQ)	04	005
C		04	010
C		04	015
C	FUNCTION OF SUBROUTINE--TO EVALUATE THE MATRIX QJADRATJRES OVER THE	04	020
C	AREA OF ONE ELEMENT OF WATER CONTENT AND COMPRESSIBILITY QA(IQ,JQ)	04	025
C	AND OF CONDUCTIVITY QB(IQ,JQ) AND RQ/IQ, THE LATTER ARISING FROM THE	04	030
C	GRAVITY TERM IN THE MOISTURE-FLOW EQUATION. THESE INTEGRALS ARISE	04	035
C	THROUGH APPLICATION OF THE GALERKIN INTEGRATION SCHEME.	04	040
C		04	045
C		04	050
C	IMPLICIT REAL*8 (A-H,O-Z)	04	055
C	REAL*8 N(4)	04	060
C		04	065
C	COMMON /Q4PAR/ ALF,BETAP,POR,SMFE,CSFE	04	070
C	COMMON /OPT/ ILLMF,IMID	04	075
C		04	080
C	DIMENSION QA(4,4),QB(4,4),RQ(4),THQ(4),DTHQ(4),AKXQ(4),AKZQ(4),	04	085
C	> XQ(4),ZQ(4)	04	090
C	DIMENSION S(4),T(4),DNX(4),DNZ(4)	04	095
C	DIMENSION PJAB(2,2),DNSS(4),DNNT(4)	04	100
C		04	105
C	DATA P / 0.577350269189626 /, S / -1.0D+00, 1.0D+00, 1.0D+00, -	04	110
C	> 1.0D+00 /, T / -1.0D+00,-1.0D+00, 1.0D+00, 1.0D+00 /	04	115
C		04	120
C	INITIALIZE MATRICES QA, QB, AND RQ	04	125
C		04	130
C	DO 10 IQ=1,4	04	135
C	RQ(IQ)=0.	04	140
C	DO 10 JQ=1,4	04	145
C	QB(IQ,JQ)=0.0	04	150
C	10 QA(IQ,JQ)=0.0	04	155
C		04	160
C	DO 40 KG=1,4	04	165
C		04	170
C	DETERMINE LOCAL COORDINATES (SS,TT) OF GAUSS-INTEGRATION POINT KG	04	175
C		04	180
C	SS = P*S(KG)	04	185
C	TT = P*T(KG)	04	190
C		04	195
C	CALCULATE VALUES OF THE BASIS FUNCTIONS N(IQ) AND THEIR DERIVATIVES	04	200
C	DNX AND DNZ W.R.T X AND Z, RESPECTIVELY, AT THE GAUSS POINT KG	04	205
C		04	210
C	CALL BASE(N,DNDS,DNNT,SS,TT)	04	215
C		04	220
C		04	225
C	DO 11 I=1,2	04	230
C	DO 11 J=1,2	04	235
C	PJAB(I,J)=0.0	04	240
C	11 DO 12 I=1,4	04	245
C	PJAB(1,I)=PJAB(1,I)+ZQ(I)*DNNT(I)	04	250

Appendix C (continued)

	PJAB(1,2)=PJAB(1,2)-ZQ(I)*DNSS(I)	04	255
	PJAB(2,1)=PJAB(2,1)-XQ(I)*DNST(I)	04	260
12	PJAB(2,2)=PJAB(2,2)+XQ(I)*DNSS(I)	04	265
	DJAC=PJAB(2,2)*PJAB(1,1)-PJAB(1,2)*PJAB(2,1)	04	270
	DJACI=1.0/DJAC	04	275
	DO 13 I=1,2	04	280
	DO 13 J=1,2	04	285
13	PJAB(I,J)=PJAB(I,J)*DJACI	04	290
	DO 14 I=1,4	04	295
	DNX(I)=DNSS(I)*PJAB(1,1)+DNST(I)*PJAB(1,2)	04	300
14	DNZ(I)=DNSS(I)*PJAB(2,1)+DNST(I)*PJAB(2,2)	04	305
C	AKXQP=0.	04	310
	AKZQP=0.	04	315
	THQP=C.	04	320
	DTHQP=0.	04	325
C		04	330
C	ACCUMULATE THE SUMS TO EVALUATE THE MATRIX INTEGRALS QA(IQ,JQ),	04	335
C	QB(IQ,JQ), AND RC(IG)	04	340
		04	345
	DO 20 IQ=1,4	04	350
	AKXQP=AKXQP+AKXQ(IQ)*N(IQ)	04	355
	AKZQP=AKZQP+AKZQ(IQ)*N(IQ)	04	360
	THQP=THQP+THQ(IQ)*N(IQ)	04	365
20	DTHQP=DTHQP+DTHQ(IQ)*N(IQ)	04	370
	FHP=ALP*THQP/PCR+BETAP*THQP+DTHQP	04	375
	AKXQP=AKXQP+DJAC	04	380
	AKZQP=AKZQP+DJAC	04	385
	FHP=FHP+DJAC	04	390
	DO 30 IQ=1,4	04	395
	RQ(IQ)=RQ(IQ)-DNX(IQ)*AKXQP*SNFE+DNZ(IQ)*AKZQP*CSFE	04	400
	DO 30 JQ=1,4	04	405
	QA(IQ,JQ)=QA(IQ,JQ)+FHP*N(IQ)*N(JQ)	04	410
	QB(IQ,JQ)=QB(IQ,JQ)+DNX(IQ)*AKXQP*DNX(JQ) +	04	415
	DNZ(IQ)*AKZQP*DNZ(JQ)	04	420
30	CONTINUE	04	425
40	CONTINUE	04	430
	IF(ILUMP.NE.0) GO TO 50	04	435
C		04	440
	RETURN	04	445
50	CONTINUE	04	450
	DO 52 I=1,4	04	455
	SUM=0.C	04	460
	DO 52 J=1,4	04	465
	SUM=SUM+QA(I,J)	04	470
51	QA(I,J)=0.0	04	475
	QA(I,I)=SUM	04	480
52	CONTINUE	04	485
	RETURN	04	490
	END	04	495
		04	500

Appendix C (continued)

```

C
C
C
C
C
C
SUBROUTINE BASE(A,DNSS,DNTT,SS,TT)
FUNCTION OF THE SUBROUTINE-TO COMPUTE THE VALUES OF BASIS FUNCTIONS

IMPLICIT REAL*8 (A-H,O-Z)
REAL*8 N(4)
DIMENSION DNSS(4),DNTT(4)

SM=1.0-SS
SP=1.0+SS
TM=1.0-TT
TP=1.0+TT
N(1)=0.25*SM*TM
N(2)=0.25*SP*TM
N(3)=0.25*SP*TP
N(4)=0.25*SM*TP
DNSS(1)=0.25*TM
DNSS(2)=0.25*TM
DNSS(3)=0.25*TP
DNSS(4)=0.25*TP
DNTT(1)=0.25*SM
DNTT(2)=0.25*SP
DNTT(3)=0.25*SP
DNTT(4)=0.25*SM
RETURN
END

```

```

BASE 005
BASE 010
BASE 015
BASE 020
BASE 025
BASE 030
BASE 035
BASE 040
BASE 045
BASE 050
BASE 055
BASE 060
BASE 065
BASE 070
BASE 075
BASE 080
BASE 085
BASE 090
BASE 095
BASE 100
BASE 105
BASE 110
BASE 115
BASE 120
BASE 125
BASE 130
BASE 135
BASE 140

```

Appendix C (continued)

	SUBROUTINE BC(C,R,FLX,HCON,NPCON,NPFLX,RP,NPST, BB,NN, > MAXNP,MAXHBP, MXRSNP,MXSTNP,MAXBCN, KSS)	BC	005
		BC	010
		BC	015
C		BC	020
C	FUNCTION OF SUBROUTINE--TO APPLY BOTH CONSTANT AND TIME-VARYING (RAINFALL-SEEPAGE) FLUX-TYPE NEUMANN AND PRESSURE-TYPE DIRICHLET BOUNDARY CONDITIONS.	BC	025
C		BC	030
C		BC	035
C		BC	040
C	IMPLICIT REAL*8(A-H,O-Z)	BC	045
C		BC	050
C	DIMENSION C(MAXNP,MAXHBP),R(MAXNP)	BC	055
C	DIMENSION FLX(MXRSNP),HCON(MXRSNP),NPCON(MXRSNP),NPFLX(MXRSNP)	BC	060
C	DIMENSION RP(MXSTNP),NPST(MXSTNP),BB(MAXBCN),NN(MAXBCN)	BC	065
C		BC	070
C	COMMON /GEOM/ SNFE,CSFE,NNP,NEL,IBAND	BC	075
C	COMMON /BRSND/ NBEL,NBN,NRSEL,NRSN,NRFPR,NRFPR	BC	080
C	COMMON /BCST/ NBC,NST,NSTN	BC	085
C		BC	090
C	IHALFB=(IBAND-1)/2	BC	095
C	IHBP=IHALFB+1	BC	100
C	IF (NBC.EQ.0) GO TO 90	BC	105
C		BC	110
C	APPLY CONSTANT DIRICHLET BOUNDARY CONDITIONS	BC	115
C		BC	120
C	DO 80 NPP=1,NBC	BC	125
C		BC	130
C	MODIFY LOAD VECTOR FOR NON-ZERO BB	BC	135
C		BC	140
C	NI=NN(NPP)	BC	145
C	IF (BB(NPP).EQ.0.0) GO TO 40	BC	150
C	DO 10 IB=1,IHALFB	BC	155
C	NJ=NI-IB	BC	160
C	IF (NJ.LT.1) GO TO 20	BC	165
C	JB=IB+1	BC	170
C	R(NJ)=R(NJ)-BB(NPP)*C(NJ,JB)	BC	175
10		BC	180
20	DO 30 IB=1,IHALFB	BC	185
C	NJ=NI+IB	BC	190
C	IF (NJ.GT.NNP) GO TO 40	BC	195
C	JB=IB+1	BC	200
30	R(NJ)=R(NJ)-BB(NPP)*C(NI,JB)	BC	205
40	R(NI)=BB(NPP)	BC	210
C		BC	215
C	ZERO COLUMN NN	BC	220
C		BC	225
C	DO 50 IB=1,IHALFB	BC	230
C	NJ=NI-IB	BC	235
C	IF (NJ.LT.1) GO TO 60	BC	240
C	JB=IB+1	BC	245
50	C(NJ,JB)=0.0	BC	250

Appendix C (continued)

C		BC	255
C	MODIFY ROW NN	BC	260
C		BC	265
	60 DO 70 KB=1,IHBP	BC	270
	70 C(NI,KB)=0.0	BC	275
	C(NI,1)=1.0	BC	280
	80 CONTINUE	BC	285
C	MODIFY LOAD VECTOR FOR CONSTANT SURFACE TERMS OF THE FORM DR/DI=C	BC	290
C		BC	295
	90 IF (NST.EQ.0) GO TO 110	BC	300
	DO 100 NPP=1,NSTN	BC	305
	NP=NPST(NPP)	BC	310
	100 R(NP)=R(NP)-RF(NPP)	BC	315
	110 IF (NRSN.EQ.0) GO TO 210	BC	320
C	APPLY DIRICHLET TIME-VARIABLE (RAINFALL-SEEPAGE) CONDITIONS	BC	325
C		BC	330
	DO 190 NPP=1,NRSN	BC	335
C	MODIFY LOAD VECTOR FOR NON-ZERO HCON	BC	340
C		BC	345
	NI=NPCON(NPP)	BC	350
	IF (NI.EQ.0) GO TO 190	BC	355
	IF (HCON(NI).EQ.0.0) GO TO 150	BC	360
	DO 120 IB=1,IHALFB	BC	365
	NJ=NI-IB	BC	370
	IF (NJ.LT.1) GO TO 130	BC	375
	JB=IB+1	BC	380
	120 R(NJ)=R(NJ)-HCON(NPP)*C(NJ,JB)	BC	385
	130 DO 140 IB=1,IHALFB	BC	390
	NJ=NI+IB	BC	395
	IF (NJ.GT.NNP) GO TO 150	BC	400
	JB=IB+1	BC	405
	140 R(NJ)=R(NJ)-HCON(NPP)*C(NI,JB)	BC	410
	150 R(NI)=HCON(NPP)	BC	415
C	ZERO COLUMN NPCON	BC	420
C		BC	425
	DO 160 IB=1,IHALFB	BC	430
	NJ=NI-IB	BC	435
	IF (NJ.LT.1) GO TO 170	BC	440
	JB=IB+1	BC	445
	160 C(NJ,JB)=0.0	BC	450
C	MODIFY ROW NPCON	BC	455
C		BC	460
	170 DO 180 KB=1,IHBP	BC	465
	180 C(NI,KB)=0.0	BC	470
	C(NI,1)=1.0	BC	475
		BC	480
		BC	485
		BC	490
		BC	495
		BC	500

Appendix C (continued)

```
190 CONTINUE
C
C APPLY NEUMANN TIME-VARIABLE (RAINFALL-SEEPAGE) CONDITIONS
C
C   DO 200 NPP=1,NRSM
C     NP=NPFLX(NPP)
C     IF (NP.EQ.0) GC TO 200
C     R(NP)=R(NP)-FLX(NPP)
200 CONTINUE
210 RETURN
END
```

```
BC 505
BC 510
BC 515
BC 520
BC 525
BC 530
BC 535
BC 540
BC 545
BC 550
BC 555
```

Appendix C (continued)

C	SUBROUTINE BANSCL(KKK,C,R,NNP,IHBP,MAXNP,MAXHBP)	BANS 005
C	FUNCTION OF SUBROUTINE—TO SOLVE THE MATRIX EQUATION $CX = R$,	BANS 010
C	RETURNING THE SOLUTION X IN R. IT IS ASSUMED THAT THE ARRAY	BANS 015
C	C(NP,IB) CONTAINS ONLY THE UPPER HALF BAND OF A SYMMETRIC MATRIX.	BANS 020
C		BANS 025
C		BANS 030
C	IMPLICIT REAL*8(A-H,O-Z)	BANS 035
C	DIMENSION C(MAXNP,MAXHBP),R(MAXNP)	BANS 040
C		BANS 045
C	IHALFB=IHBP-1	BANS 050
C	NNP1=NNP-1	BANS 055
C		BANS 060
C	IF KKK = 1, THEN TRIANGULARIZE THE BAND MATRIX C(NP,IB), BUT	BANS 065
C	IF KKK = 2, THEN SIMPLY SOLVE WITH THE NEW RIGHT-HAND SIDE R(NP)	BANS 070
C		BANS 075
C		BANS 080
C	IF (KKK.EQ.2) GO TO 50	BANS 085
C		BANS 090
C	TRIANGULARIZE MATRIX C	BANS 095
C		BANS 100
C	NU=NNP-IHALFB	BANS 105
C	DO 20 NI=1,NU	BANS 110
C	NJ=NI-1	BANS 115
C	PIVOTI=1./C(NI,1)	BANS 120
C	DO 20 LB=2,IHBP	BANS 125
C	A=C(NI,LB)*PIVOTI	BANS 130
C	NK=NJ+LB	BANS 135
C	JB=0	BANS 140
C	DO 10 KB=LB,IHBP	BANS 145
C	JB=JB+1	BANS 150
C	C(NK,JB)=C(NK,JB)-A*C(NI,KB)	BANS 155
C	10 C(NI,LB)=A	BANS 160
C	20 NL=NU+1	BANS 165
C	DO 40 NI=NL,NNP1	BANS 170
C	NJ=NI-1	BANS 175
C	MB=NNP-NJ	BANS 180
C	PIVOTI=1./C(NI,1)	BANS 185
C	DO 40 LB=2,MB	BANS 190
C	A=C(NI,LB)*PIVOTI	BANS 195
C	NK=NJ+LB	BANS 200
C	JB=0	BANS 205
C	DO 30 KB=LB,MB	BANS 210
C	JB=JB+1	BANS 215
C	C(NK,JB)=C(NK,JB)-A*C(NI,KB)	BANS 220
C	30 C(NI,LB)=A	BANS 225
C	40 RETURN	BANS 230
C		BANS 235
C	MODIFY LOAD VECTOR R	BANS 240
C		BANS 245
C	50 NU=NNP-IHALFB	BANS 250

Appendix C (continued)

	DO 60 NI=1,NL	BANS 255
	NJ=NI-1	BANS 260
	A=R(NI)	BANS 265
	R(NI)=A/C(NI,1)	BANS 270
	DO 60 LB=2,IHBP	BANS 275
	NK=NJ+LB	BANS 280
60	R(NK)=R(NK)-C(NI,LB)*A	BANS 285
	NL=NL+1	BANS 290
	DO 70 NI=NL,NNP1	BANS 295
	NJ=NI-1	BANS 300
	MB=NNP-NJ	BANS 305
	A=R(NI)	BANS 310
	R(NI)=A/C(NI,1)	BANS 315
	DO 70 LB=2,MB	BANS 320
	NK=NJ+LB	BANS 325
70	R(NK)=R(NK)-C(NI,LB)*A	BANS 330
	BACK-SOLVE	BANS 335
	R(NNP)=R(NNP)/C(NNP,1)	BANS 340
	DO 80 IB=1,IHALFB	BANS 345
	NI=NNP-IB	BANS 350
	NJ=NI-1	BANS 355
	MB=IB+1	BANS 360
	DO 80 KB=2,MB	BANS 365
	NK=NJ+KB	BANS 370
80	R(NI)=R(NI)-C(NI,KB)*R(NK)	BANS 375
	DO 90 IB=IHBP,NNP1	BANS 380
	NI=NNP-IB	BANS 385
	NJ=NI-1	BANS 390
	DO 90 KB=2,IHBP	BANS 395
	NK=NJ+KB	BANS 400
90	R(NI)=R(NI)-C(NI,KB)*R(NK)	BANS 405
	RETURN	BANS 410
	END	BANS 415
		BANS 420
		BANS 425

Appendix C (continued)

```

SUBROUTINE SFLOW(X,Z,IE, TH,VX,VZ, DLB,DCOSXB,DCOSZB,BFLX,B2,X2,
> ISB,NBE,NPB,NPRS, NPST,NN, FRATE,FLOW,TFLOW, MAXNP,MAXEL,
> MAXBEL,MAXBNP, MXRSNP, MXSTNP,MAXBCN,KFLOW,DELT,DTH,D,H,
> PROP,MAXMAT,MXMPM)

```

```

FUNCTION OF SUBROUTINE--TO COMPUTE BOUNDARY FLUXES, FLUX RATES,
INCREMENTAL FLOWS OCCURRING DURING TIME DELT, TOTAL FLOWS SINCE
TIME ZERO, AND THE CHANGE IN MOISTURE CONTENT FOR THE ENTIRE
SYSTEM DURING TIME DELT.

```

```

IMPLICIT REAL*8(A-H,O-Z)

```

```

DIMENSION X(MAXNP),Z(MAXNP),IE(MAXEL,5)
DIMENSION TH(MAXEL,4),VX(MAXNP),VZ(MAXNP)
DIMENSION DTH(MAXEL,4),H(MAXNP),HP(MAXNP)
DIMENSION DLB(MAXBEL),DCOSXB(MAXBEL),DCOSZB(MAXBEL),BF,X(MAXNP),
> BFLXP(MAXBNP),NBE(MAXBEL),ISB(MAXBEL,4),NPB(MAXBNP)
DIMENSION NPRS(MXRSNP), NPST(MXSTNP),NN(MAXBCN)
DIMENSION PROP(MAXMAT,MXMPM)
DIMENSION FRATE(10),FLOW(10),TFLOW(10)

```

```

DIMENSION XQ(4),ZQ(4),THQ(4)

```

```

COMMON /GEOM/ SNFE,CSFE,NNP,NEL,IBAND
COMMON /BRSD/ NBEL,NBN,NRSEL,NRSN,NRFPR,NRFPR
COMMON /BCST/ NBC,NST,NSTN

```

```

KKFLOW=0

```

```

CALCULATE NODAL FLOW RATES

```

```

DO 10 NP=1,NBN
  BFLXP(NP)=BFLX(NP)
  BFLX(NP)=0.

```

```

DO 30 NP=1,NBEL
  N=NBE(NP)
  NI=ISB(NP,1)
  NJ=ISB(NP,2)
  DO 20 I=1,NBN
    IJ=NPB(I)
    IF(IJ.NE.NI) GO TC 20
    NI=I
    GO TC 22
  20 CONTINUE
  22 DO 25 J=1,NBN
    IJ=NPB(J)

```

```

SFLO 0005
SFLO 0010
SFLO 0015
SFLO 0020
SFLO 0025
SFLO 0030
SFLO 0035
SFLO 0040
SFLO 0045
SFLO 0050
SFLO 0055
SFLO 0060
SFLO 0065
SFLO 0070
SFLO 0075
SFLO 0080
SFLO 0085
SFLO 0090
SFLO 0095
SFLO 0100
SFLO 0105
SFLO 0110
SFLO 0115
SFLO 0120
SFLO 0125
SFLO 0130
SFLO 0135
SFLO 0140
SFLO 0145
SFLO 0150
SFLO 0155
SFLO 0160
SFLO 0165
SFLO 0170
SFLO 0175
SFLO 0180
SFLO 0185
SFLO 0190
SFLO 0195
SFLO 0200
SFLO 0205
SFLO 0210
SFLO 0215
SFLO 0220
SFLO 0225
SFLO 0230
SFLO 0235
SFLO 0240
SFLO 0245
SFLO 0250

```

Appendix C (continued)

```

                IF(IJ.NE.NJ) GO TO 25
                NJJ=J
                GO TO 27
25             CONTINUE
27             CONTINUE

C             COMPUTE THE FLUX THROUGH POINT NI USING THE WHOLE BOUNDARY LENGTH
C             AND THE FLUX THROUGH POINT NJ USING THE WHOLE BOUNDARY SIDE LENGTH
C
                FNI=(VX(NI)*DCCSX(B(MP))+VZ(NI)*DCOSZ(B(MP))*DLB(MP)
                FNJ=(VX(NJ)*DCCSX(B(MP))+VZ(NJ)*DCOSZ(B(MP))*DLB(MP)

C             DISTRIBUTE THE ABOVE FLUXES TO TWO END POINTS OF THE SIDE
C
                BFLX(NII)=BFLX(NII)+FNI/3.0+FNJ/6.0
                BFLX(NJJ)=BFLX(NJJ)+FNJ/3.0+FNI/6.0

C
30             CONTINUE
                IF (KFLOW.EQ.0) GO TO 60
                DO 40 NP=1,NBN
34             BFLXP(NP)=BFLX(NP)
                DO 50 I=1,6
36             TFLOW(I)=0.
                IF (KFLOW.EQ.(-1)) TFLOW(7)=0.
                IF (KFLOW.EQ.(-1)) GTH=0.
                IF(KFLOW.EQ.(-1)) KKFLOW=-1
                KFLOW=0

C             DETERMINE FLOWS AND FLOW RATES THROUGH THE VARIOUS
C             TYPES OF BOUNDARY NODES, STARTING WITH THE
C             NET FLOWS THROUGH ALL BOUNDARY NODES.
C
60             SUM=0.
                SUMP=0.
                DO 70 NP=1,NBN
                SUM=SUM+BFLX(NP)
70             SUMP=SUMP+BFLXP(NP)
                FRATE(6)=SUM
                FLOW(6)=.8*(SUM+SLNP)*DELTA

C             CONSTANT DIRICHLET BOUNDARY NODES
C
                FRATE(1)=0.
                FLOW(1)=C.
                IF (NBC.LE.0) GO TO 90
                SUM=0.
                SUMP=0.
                DO 80 NPP=1,NBC
                NP=NN(NPP)
                DO 75 I=1,NBN

```

```

5750
5760
5770
5780
5790
5800
5810
5820
5830
5840
5850
5860
5870
5880
5890
5900
5910
5920
5930
5940
5950
5960
5970
5980
5990
6000
6010
6020
6030
6040
6050
6060
6070
6080
6090
6100
6110
6120
6130
6140
6150
6160
6170
6180
6190
6200
6210
6220
6230
6240
6250
6260
6270
6280
6290
6300
6310
6320
6330
6340
6350
6360
6370
6380
6390
6400
6410
6420
6430
6440
6450
6460
6470
6480
6490
6500

```


Appendix C (continued)

```

115     CONTINUE
116     CONTINUE
      BFLXA=.5*(BFLX(NII)+BFLXP(NII))
      IF (BFLXA.LT.0.00) GC TO 120
      SUMS=SUMS+BFLX(NII)
      SUMSP=SUMSP+BFLXA
      GO TO 130
120     SUMR=SLMR+BFLX(NII)
      SUMRP=SUMRP+BFLXA
130     CONTINUE
      FRATE(3)=SLMS
      FLOW(3)=SUMSP*DELT
      FRATE(4)=SUMR
      FLOW(4)=SUMRP*DELT
C
C     NUMERICAL FLOW THROUGH UNSPECIFIED BOUNDARY NODES
C
140     SUM=0.
      SUMP=0.
      DO 150 I=1,4
        SUM=SUM+FRATE(I)
        SUMP=SUMP+FLOW(I)
150     FRATE(5)=FRATE(6)-SUM
      FLOW(5)=FLOW(6)-SUMP
C
C     FINALLY, CALCULATE THE INCREASE IN THE INTEGRATED WATER CONTENT
C
      QTHP=QTH
      QTH=0.
      DO 170 M=1,NEL
        MTYP=IE(M,5)
        ALP=PROP(MTYP,1)
        BETAP=PROP(MTYP,2)
        POR=PROP(MTYP,3)
C
        DO 160 IO=1,4
          NP=IE(M,IO)
          XQ(IO)=X(NP)
          ZQ(IO)=Z(NP)
          THQ(IO)=TH(M,IO)
          IF(KKFLOW.GE.0) THQ(IO)=(DTH(M,IO)+THQ(IO)*ALP)/POR+BETAP)
          (H(NP)-HP(NP))
160     CONTINUE
C
      CALL Q4TH(QTHM,THQ,XQ,ZQ)
C
      QTH=QTH+QTHM
170     CONTINUE
      FLOW(7)=QTH
      IF(KKFLOW.LT.0) FLOW(7)=0.0

```

```

$FLO 755
$FLO 760
$FLO 765
$FLO 770
$FLO 775
$FLO 780
$FLO 785
$FLO 790
$FLO 795
$FLO 800
$FLO 805
$FLO 810
$FLO 815
$FLO 820
$FLO 825
$FLO 830
$FLO 835
$FLO 840
$FLO 845
$FLO 850
$FLO 855
$FLO 860
$FLO 865
$FLO 870
$FLO 875
$FLO 880
$FLO 885
$FLO 890
$FLO 895
$FLO 900
$FLO 905
$FLO 910
$FLO 915
$FLO 920
$FLO 925
$FLO 930
$FLO 935
$FLO 940
$FLO 945
$FLO 950
$FLO 955
$FLO 960
$FLO 965
$FLO 970
$FLO 975
$FLO 980
$FLO 985
$FLO 990
$FLO 995
$FLO 1000

```

Appendix C (continued)

SFLO1005
SFLO1010
SFLO1015
SFLO1020
SFLO1025

```
FRATE(7)=FLOW(7)/DELT  
DO 100 I=1,7  
  TFLOW(I)=TFLOW(I)+FLOW(I)  
100 RETURN  
END
```

Appendix C (continued)

```

C      SUBROUTINE Q4TH(QTHM,THQ,XQ,ZQ)
C      FUNCTION OF SUBROUTINE--TO EVALUATE THE WATER-CONTENT INTEGRA.
C      OVER THE AREA OF ONE ELEMENT.
C      IMPLICIT REAL*8 (A-H,O-Z)
C      REAL*8 N(4)
C      DIMENSION THQ(4),S(4),T(4),XQ(4),ZQ(4)
C      DIMENSION PJAB(2,2),DNSS(4),DNNT(4)
C      DATA P / 0.577350269189626 /, S / -1.0D+00, 1.0D+00, 1.0D+00, -
C      > 1.0D+00 /, T / -1.0D+00,-1.0D+00, 1.0D+00, 1.0D+00 /
C      QTHM=0.
C      DO 20 KG=1,4
C      DETERMINE LOCAL COORDINATES (SS,TT) OF GAUSS-INTEGRATION POINT <G
C      SS = P*S(KG)
C      TT = P*T(KG)
C      CALCULATE VALUES OF THE BASIS-INTERPOLATION FUNCTIONS V(IQ)
C      CALL BASE(N,DNSS,DNNT,SS,TT)
C      DO 11 I=1,2
C      DO 11 J=1,2
C      PJAB(I,J)=0.0
C      DO 12 I=1,4
C      PJAB(1,1)=PJAB(1,1)+ZQ(I)*DNNT(I)
C      PJAB(1,2)=PJAB(1,2)-ZQ(I)*DNSS(I)
C      PJAB(2,1)=PJAB(2,1)-XQ(I)*DNNT(I)
C      PJAB(2,2)=PJAB(2,2)+XQ(I)*DNSS(I)
C      DJAC=PJAB(2,2)*PJAB(1,1)-PJAB(1,2)*PJAB(2,1)
C      INTERPOLATE TO OBTAIN THE WATER CONTENT THQP AT THE GAUSS POINT <G
C      THQP=C.
C      DO 10 IQ=1,4
C      THQP=THQP+THQ(IQ)*N(IQ)
C      ACCUMULATE THE SLM TO EVALUATE THE INTEGRAL
C      QTHM=QTHM+THQP*DJAC
C      CONTINUE
C      20 RETURN
C      END

```

```

Q4TH 005
Q4TH 010
Q4TH 015
Q4TH 020
Q4TH 025
Q4TH 030
Q4TH 035
Q4TH 040
Q4TH 045
Q4TH 050
Q4TH 055
Q4TH 060
Q4TH 065
Q4TH 070
Q4TH 075
Q4TH 080
Q4TH 085
Q4TH 090
Q4TH 095
Q4TH 100
Q4TH 105
Q4TH 110
Q4TH 115
Q4TH 120
Q4TH 125
Q4TH 130
Q4TH 135
Q4TH 140
Q4TH 145
Q4TH 150
Q4TH 155
Q4TH 160
Q4TH 165
Q4TH 170
Q4TH 175
Q4TH 180
Q4TH 185
Q4TH 190
Q4TH 195
Q4TH 200
Q4TH 205
Q4TH 210
Q4TH 215
Q4TH 220
Q4TH 225
Q4TH 230
Q4TH 235
Q4TH 240

```


Appendix C (continued)

```

KLINE=-1
PRINT 10200,KOUT,TIME,DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
DO 40 NI=1,NNP,8
  NJMN=NI
  NJMX=MINO(NI+7,NN)
  KLINE=KLINE+1
  IF(MOD(KLINE,50).EQ.0.AND.KLINE.GE.1) PRINT 10200,KOUT,TIME,
>   DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
40 PRINT 10000,NI,(H(NJ),NJ=NJMN,NJMX)
   IF (KPR.EQ.2) RETURN

C
C
C
PRINT TOTAL HEADS
KOUT=KOUT+1
KLINE=-1
PRINT 10300,KOUT,TIME,DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
DO 50 NI=1,NNP,8
  NJMN=NI
  NJMX=MINO(NI+7,NNP)
  KLINE=KLINE+1
  IF(MOD(KLINE,50).EQ.0.AND.KLINE.GE.1) PRINT 10300,KOUT,TIME,
>   DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
50 PRINT 10000,NI,(HT(NJ),NJ=NJMN,NJMX)
   IF (KPR.EQ.3) RETURN

C
C
C
PRINT WATER CONTENTS
KOUT=KOUT+1
KLINE=-1
PRINT 10400,KOUT,TIME,DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
DO 60 M=1,NEL,2
  KLINE=KLINE+1
  IF(MOD(KLINE,50).EQ.0.AND.KLINE.GE.1) PRINT 10400,KOUT,TIME,
>   DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
  NJMN=M
  NJMX=MINO(M+1,NEL)
60 PRINT 10103,(MJ,(TH(MJ,IQ),IQ=1,4),MJ=NJMN,NJMX)
   IF (KPR.EQ.4) RETURN

C
C
C
PRINT DARCY VELOCITIES
KOUT=KOUT+1
KLINE=-1
PRINT 10500,KOUT,TIME,DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
DO 70 NP=1,NNP,4
  KLINE=KLINE+1
  IF(MOD(KLINE,50).EQ.0.AND.KLINE.GE.1) PRINT 10500,KOUT,TIME,
>   DELT,IBAND,ITIM,(SUBHD(I),I=1,8)
  NJMN=NP
  NJMX=MINO(NP+3,NNP)

```

```

PRIN 255
PRIN 260
PRIN 265
PRIN 270
PRIN 275
PRIN 280
PRIN 285
PRIN 290
PRIN 295
PRIN 300
PRIN 305
PRIN 310
PRIN 315
PRIN 320
PRIN 325
PRIN 330
PRIN 335
PRIN 340
PRIN 345
PRIN 350
PRIN 355
PRIN 360
PRIN 365
PRIN 370
PRIN 375
PRIN 380
PRIN 385
PRIN 390
PRIN 395
PRIN 400
PRIN 405
PRIN 410
PRIN 415
PRIN 420
PRIN 425
PRIN 430
PRIN 435
PRIN 440
PRIN 445
PRIN 450
PRIN 455
PRIN 460
PRIN 465
PRIN 470
PRIN 475
PRIN 480
PRIN 485
PRIN 490
PRIN 495
PRIN 500

```


Appendix C (continued)

```

70 PRINT 11000. (NJ,VX(NJ),VZ(NJ),NJ=NJMN,NJMX)
RETURN
C
10000 FORMAT(17,8(1PD15.4))
10100 FORMAT(8D15.4)
10101 FORMAT(1H0,'VALUES OF NFFCON'/(8I15))
10102 FORMAT(1H0,'VALUES OF NPFLX'/(8I15))
10103 FORMAT(1H ,2(1X,17,2X,1PD12.4,1PD12.4,1PD12.4,1PD12.4,2X,))
10200 FORMAT(13H10LTPLT TABLE,I4,27H.. PRESSURE HEADS AT TIME =,
> 1PD12.4,5H ,(DELT =,1PD12.4,15H),(BAND WIDTH =,I4,1H),6H IT =,
> 15//1X,8A4/1X,7H NODE 1,5X,36HPRESSURE HEAD OF NODES 1,1+1,...,1+7
> /)
10300 FORMAT(13H10OUTPUT TABLE,I4,24H.. TOTAL HEADS AT TIME =, 1PD12.4,
> 9H ,(DELT =,1PD12.4,15H),(BAND WIDTH =,I4,1H),6H IT =,15//1X,8A4
> /1X,7H NODE 1,5X,33HTOTAL HEAD OF NODES 1,1+1,...,1+7//)
10400 FORMAT(13H10LTPUT TABLE,I4,27H.. WATER CONTENTS AT TIME =,
> 1PD12.4,5H ,(DELT =,1PD12.4,15H),(BAND WIDTH =,I4,1H),6H IT =,
> 15//1X,8A4/3CX,5HNODES/2(17X,1H1,11X,1H2,11X,1H3,11X,1H4,6X)/
> 2(3X,7HELEMENT,2X,
> 46H*****2X//)
10500 FORMAT(13H10OUTPUT TABLE,I4,29H.. DARCY VELOCITIES AT TIME =,
> 1PD12.4,5H ,(DELT =,1PD12.4,15H),(BAND WIDTH =,I4,1H),6H IT =,
> 15//1X,8A4/2X,4HNODE,9X,2HVX,9X,2HVZ,4X,4HNODE,9X,2HVX,9X,2HVZ,
> 4X,4HNODE,9X,2HVX,9X,2HVZ,4X,4HNODE,9X,2HVX,9X,2HVZ/
> 27H*****3X,27H*****
> 3X,27H*****3X,27H*****
> /)
10600 FORMAT(1H1,32H TABLE OF SYSTEM-FLOW PARAMETERS,2X,7HTABLE: ,I4,
> 12H.. AT TIME =,1PD12.4,9H ,(DELT = 1PD12.4,1H)//5X,,
> 13H TYPE OF FLOW,35X,4HHRATE,8X,9HINC. FLOW,7X,10HTOTAL FLOW/5X
> 40H CONSTANT-PRESSURE-NODE FLOW . . . . .3(E12.4,5X)/5X
> 40H CONSTANT-FLLX-NODE FLOW . . . . .3(E12.4,5X)/5X
> 40H SEEPAGE . . . . .3(E12.4,5X)/5X
> 40H RAINFALL . . . . .3(E12.4,5X)/5X
> 40H NUMERICAL LOSSES . . . . .3(E12.4,5X)/5X
> 40H NET FLOW . . . . .3(E12.4,5X)/5X
> 40H INCREASE IN VOLUMETRIC WATER CONTENT . .3(E12.4,5X))
10700 FORMAT(/29H RAINFALL-SEEPAGE NODAL FLOWS)
11000 FORMAT(1H ,15,2D11.3,3X,15,2D11.3,3X,15,2D11.3,3X,15,2D11.3)
END

```

```

PRIN 505
PRIN 510
PRIN 515
PRIN 520
PRIN 525
PRIN 530
PRIN 535
PRIN 540
PRIN 545
PRIN 550
PRIN 555
PRIN 560
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PRIN 570
PRIN 575
PRIN 580
PRIN 585
PRIN 590
PRIN 595
PRIN 600
PRIN 605
PRIN 610
PRIN 615
PRIN 620
PRIN 625
PRIN 630
PRIN 635
PRIN 640
PRIN 645
PRIN 650
PRIN 655
PRIN 660
PRIN 665
PRIN 670
PRIN 675
PRIN 680
PRIN 685
PRIN 690
PRIN 695
PRIN 700

```

Appendix C (continued)

```

SUBROUTINE STORE(X,Z,IE,H,HT,TH,VX,VZ,DLB,DCOSXB,DCOSZB,VBE,ISB,
> NPB,TITLE,TIME,MAXNP,MAXEL,MAXBNP,MAXBEL,NPROB,NNP,NEL,NBN,NBEL,
> NTI,NPCON,NPFLX,MXRSNP,NRSN,NSTRT)

```

```

FUNCTION OF SUBROUTINE--TO STORE PERTINENT QUANTITIES ON AUXILIARY
DEVICE FOR FUTURE USE BY EITHER PLOTTING OR MATERIAL-TRANSPORT
CODES. WHAT DEVICE IS TO BE USED MUST BE SPECIFIED BY APPROPRIATE
JOB-CONTROL CARDS.

```

```

IMPLICIT REAL*8(A-H,O-Z)

```

```

DIMENSION TITLE(5)
DIMENSION X(MAXNF),Z(MAXNP),IE(MAXEL,5)
DIMENSION H(MAXNP),HT(MAXNP),VX(MAXNP),VZ(MAXNP),TH(MAXEL,4)
DIMENSION DLB(MAXBEL),DCOSXB(MAXBEL),DCOSZB(MAXBEL),NBE(MAXBEL),
> ISB(MAXBEL,4),NPB(MAXBNP)
DIMENSION NPCON(MXRSNP),NPFLX(MXRSNP)

```

```

DATA NPPROB/-1/

```

```

IF (NSTRT.GT.0) GO TO 10
IF (NPPROB.EQ.(-1)) REWIND
IF (NPPROB.EQ.NPCRB) GO TO 10
WRITE(1) (TITLE(I),I=1,9),NPCRB,NNP,NEL,NBN,NBEL,NTI,NRSN
WRITE(1) (X(NP),NP=1,NNP),(Z(NP),NP=1,NNP),((IE(M,IQ),M=1,NEL),IQ=
> 1,4),(DLB(M),M=1,NBEL),(DCOSXB(M),M=1,NBEL),(DCOSZB(M),M=1,
> NBEL),(NBE(M),M=1,NBEL),(ISB(M,IQ),M=1,NBEL),IQ=1,4),
> (NPB(NP),NP=1,NBN)
NPPROB=NPROB

```

```

DUE TO CHANGES IN THE MATERIAL-TRANSPORT CODE, DARCY VELOCITIES MAY
BE USED DIRECTLY, AND IT IS UNNECESSARY TO COMPUTE PORE QUANTITIES

```

```

10 WRITE(1) TIME,(H(NP),NP=1,NNP),(HT(NP),NP=1,NNP),((TH(M,IQ),M=1,
> NEL),IQ=1,4),(VX(NP),NP=1,NNP),(VZ(NP),NP=1,NNP),
> (NPCON(NP),NP=1,NRSN),(NPFLX(NP),NP=1,NRSN)
RETURN
END

```

```

STOR 005
STOR 010
STOR 015
STOR 020
STOR 025
STOR 030
STOR 035
STOR 040
STOR 045
STOR 050
STOR 055
STOR 060
STOR 065
STOR 070
STOR 075
STOR 080
STOR 085
STOR 090
STOR 095
STOR 100
STOR 105
STOR 110
STOR 115
STOR 120
STOR 125
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STOR 145
STOR 150
STOR 155
STOR 160
STOR 165
STOR 170
STOR 175
STOR 180
STOR 185
STOR 190
STOR 195
STOR 200

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