# Gap Filling as Exact Path Length Problem RECOMB 2015 

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## Gap filling

- Gap filling is the last phase in genome assembly
- Input: Scaffolds (=linearly ordered contigs) and reads
- Output: Scaffolds where gaps between contigs have been filled



## Previous work

- Gap filling module in many popular assemblers:
- Allpaths-LG
- ABySS
- EULER
- ...
- Standalone gap filling tools:
- SOAPdenovo's GapCloser
- GapFiller (Boetzer \& Pirovano 2012)
- General idea:
- Identify reads potentially filling the gap
- Local assembly


## Our contribution

- Problem formulation as Exact Path Length problem
- Gap Filling is NP-complete
- Pseudopolynomial algorithm for Gap Filling
- Implementation of the algorithm in a tool called Gap2Seq


## Gap filling: Problem definition

Given

- an (overlap or de Bruijn) graph $G=(V, E)$ of the whole read set
- a cost function c : $E \mapsto \mathbb{Z}_{+}$
- two vertices $s$ and $t$ representing the flanks of the contigs
- estimate of the gap length $\left[d^{\prime}, d\right]$
find for all $x \in\left[d^{\prime}, d\right]$ the number of paths $P=v_{1}, v_{2}, \ldots, v_{k}$ such that

$$
\operatorname{cost}(P)=\sum_{i=1}^{k-1} c\left(v_{i}, v_{i+1}\right)=x
$$



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> NP-complete

$$
\sum_{i=1}
$$



## Dynamic programming algorithm

- For each $v \in V(G)$ and $\ell \in[0, d]$ define:

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- Recurrence: $a(v, \ell)=\sum_{u \in N^{-}(v)} a(u, \ell-c(u, v))$ where $\mathrm{N}^{-}(v)$ is the set of in-neighbors of $v$



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Pseudopolynomial algorithm running in $O(d m)$ time ( $d$ : length of gap, $m$ : number of arcs)



## Choosing the path

- If there are several paths:

1. Choose the one closest to $\left(d^{\prime}+d\right) / 2$
2. If several such paths, choose one at random.

- Backtracing in the DP matrix gives the path



## Implementation: Gap2Seq

- Build a de Bruijn graph of the reads
- We use GATB for efficient implementation of the DBG
- Use a hash table to link reachable vertices to their DP table rows
- DP table rows are sparse
$\Longrightarrow$ List only non-zero entries
- k-mers flanking gaps can have errors
$\Longrightarrow$ Allow paths to start/end at up to e flanking $k$-mers
- Parallelisation on the scaffold level
- Limit the memory usage of the DP table
$\Longrightarrow$ Abandon search on a gap if limit exceeded


## Experimental results: S. aureus GAGE data



- Experiments run on all 8 GAGE assemblies.
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## Further work

- Scaling to larger genomes
- Improving runtime and memory usage
- Meet-in-the-middle: start the search from both flanks of the gap



## Thanks!

## Questions?

http://www.cs.helsinki.fi/u/lmsalmel/Gap2Seq/

