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Gaussian Weighted Histogram Intersection for License Plate Classification

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Abstract

The conventional histogram intersection (HI) algorithm computes the intersected section of the corresponding color histograms in order to measure the matching rate between two color images. Since this algorithm is strictly based on the matching between bins of identical colors, the final matching rate can be easily affected by color variation caused by various environment changes. In this paper, a Gaussian weighted histogram intersection (GWHI) algorithm is proposed to facilitate the histogram matching via taking into account matching of both identical and similar colors. The weight is determined by the distance between two colors. The algorithm is applied to license plate classification. Experimental results show that the proposed algorithm produces a much lower intra-class distance and a much higher inter-class distance than previous HI algorithms for tested images which are captured under various illumination conditions.

1. Introduction

Using color histogram as a stable representation over change in view for object recognition was explored by Swain and Ballard [1][2]. They introduced the color indexing technique to efficiently recognize objects by matching their color histograms using histogram intersection (HI) method. This algorithm did not address the issue of illumination variation.

Towards an illumination-insensitive histogram-based image matching algorithm, many alternations have been suggested. These methods can be divided into two groups. The first group, instead of using color directly, aims to generate histograms from other features. This includes Funt et al.'s [3] ratio of color RGB triples, and Nayar et al.'s [4] color reflection ratios. Gevers et al. [5], Jia et al. [6], and Zhang et al. [7] further developed the color ratio gradient to make it insensitive to the geometry and position change of the object, shadows, illuminations, and other imaging conditions. The second group tries to improve the defini-

tion of histogram intersection. Wong et al. [8] proposed a merged palette histogram matching (MPHM) method. Using this method, two perceptually similar colors, rather than identical colors, are able to be intersected.

The idea proposed in the paper belongs to the second group. Note that, in the MPHM method, the weight, which describes the contribution of a set of similar colors used to matching the given color, is the same. This, however, does not well reflect the matching contributed by different colors. In this paper, a Gaussian weighted histogram intersection (GWHI) algorithm is proposed, where a weight function is used to differentiate the contributions by different colors.

The proposed GWHI algorithm is applied to license plate classification. During our research on automatic license plate recognition [9], it is found that there are different classes of license plates with quite different features. Our aim is to differentiate license plates which belong to different classes for the benefit of further recognition. Due to variant environment under which the license plate images were taken, there are unavoidably big variations between license plates of same classes in their color. A robust feature and matching method is hence needed.

The remaining parts of the paper are organized as follows. The conventional HI method is introduced in Sect. 2. In Sect. 3, Gaussian weighted HI is illustrated in details. In Sect. 4, the proposed algorithm is tested and the results are compared with the conventional HI and the MPHM. Conclusions are given in Sect. 5.

2. Conventional histogram intersection

Histogram-based image retrieval algorithms try to measure the similarity in contents via their histograms between a model image and any images in database, i.e., target images, in order to properly classify or retrieve images. Histogram intersection (HI), proposed by Swain and Ballard [1][2], is a straightforward method to calculate the matching rate between two histograms for this purpose.

2.1. Histogram intersection (HI)

Assuming the histograms of the model image and target image are H_M and H_T respectively, and each contains n bins, Swain and Ballard [2] defined the intersection HI of two histograms as:

$$HI = \sum_{i=1}^n \min(h_M(i), h_T(i)) \quad (1)$$

where both H_M and H_T are normalized by the total number of pixels in corresponding images.

It can be seen that the resultant fractional matching value between 0 and 1 is actually the proportion of pixels from the target image that have corresponding pixels of the same color in the model image. A higher matching rate indicates a higher similarity.

2.2. Problems with existing HI algorithms

The conventional HI algorithm has a limitation due to the fact that it assumes *identical* color matching, i.e., only corresponding bins of identical colors can be matched. In practice, however, the colors of real world images can be distorted both in the scene itself and in the image capturing process. Hence, images with same visual information but with slight color variation may degrade the similarity level significantly when the conventional HI is used.

In Fig. 1, two small “yellow” images are taken as an extreme example to illustrate this problem. The model image is a uniform image where all pixels take the color of $(R, G, B) = (230, 215, 50)$. Perceptually, a target image, as shown in the figure, is expected to give a good matching with this model image, even though there are slight color variations. As a matter of fact, however, the value for the corresponding bin of color $(230, 215, 50)$ in the target histogram is zero. Consequently, a null matching will be returned with the conventional HI method.

In order to overcome this problem, Wong et al. [8] proposed a merged palette histogram matching (MPHM) method. The essence of the method is to extend the intersection from bins of *identical* colors to bins of *similar* colors. In their algorithm, as long as the distance between two colors is less than a fixed threshold, the intersection between the bins of these two colors will be calculated. This algorithm has produced more robust image retrieval results for images captured under various illumination conditions. However, it assumes an identical weight of the contribution between colors which have different similarities with the given color. When applied to license plate image matching, the algorithm exhibited to be very sensitive to color variation. This is shown in Fig. 3(b), where the

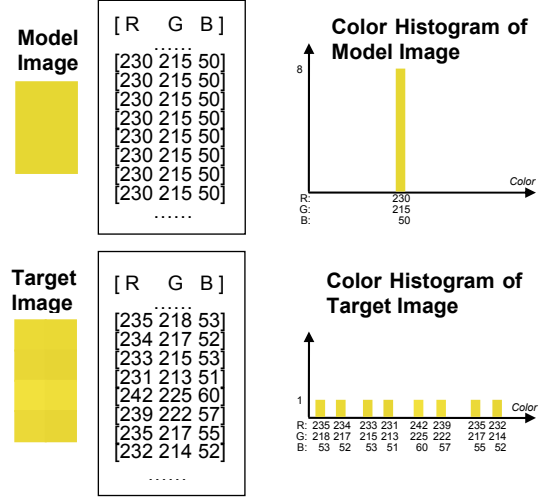


Fig. 1 An example of the problem with the conventional HI algorithm.

matching rates of same class of plate images vary greatly with the variation of colors.

In this paper, a Gaussian weight function is used to differentiate the contribution between colors which have different distance to the given color.

3. Gaussian weighted HI (GWHI)

Let us denote the distance between two colors \vec{C}_1 and \vec{C}_2 as $\|\vec{C}_1 - \vec{C}_2\|$, and the weight as $w(\|\vec{C}_1 - \vec{C}_2\|)$, which is a function of the distance between two colors. A generalized histogram intersection can be written as:

$$HI = \sum_{i=1}^n \sum_{j=1}^n \min(h_M(\vec{C}_i), h_T(\vec{C}_j)) \cdot w(\|\vec{C}_i - \vec{C}_j\|) \quad (2)$$

With this definition, the weight function in HI and MPHM algorithm corresponds to:

$$w(\|\vec{C}_i - \vec{C}_j\|) = \begin{cases} 1 & \text{if } \|\vec{C}_i - \vec{C}_j\| \leq Th \\ 0 & \text{otherwise} \end{cases} \quad (3)$$

where Th is zero for the conventional HI algorithm and a non-zero constant for the MPHM algorithm.

A Gaussian function is used to describe the relationship between the color distance and the contribution as:

$$w(\|\vec{C}_i - \vec{C}_j\|) = \begin{cases} f(\|\vec{C}_i - \vec{C}_j\|) & \text{if } \|\vec{C}_i - \vec{C}_j\| \leq BW \\ 0 & \text{otherwise} \end{cases} \quad (4)$$

where BW is the bandwidth of the weight function. The Gaussian function $f(x)$ in (4) is:

$$f(x) = \frac{A}{\sqrt{2\pi}\sigma} \exp\left(-\frac{x^2}{2\sigma^2}\right) \quad -\infty < x < \infty \quad (5)$$

In our practice, we take 99.9% energy to approximate the total energy in the infinite space and truncate the tail of the Gaussian function. Note that for a Gaussian function, when $x^* = 3.3\sigma$, we have:

$$\int_{-x^*}^{x^*} f(x)dx = 99.9\% \int_{-\infty}^{\infty} f(x)dx \quad (6)$$

So, the bandwidth of the Gaussian function in (4) is set as $BW = 3.3\sigma$.

The parameter σ in (5) can be selected empirically. In order to compare the experimental results with the MPH algorithm, we set the following restrictions on the selection of σ :

(1) $f(x)|_{x=0} = 1$;

(2) $\int_{-\infty}^{\infty} f(x)dx = 2Th$; and

(3) Using $99.9\% \int_{-\infty}^{\infty} f(x)dx$ to approximate $\int_{-\infty}^{\infty} f(x)dx$.

where Th is the threshold set in the MPH method. Condition (1) sets the contributions of identical colors in two methods as the same. Condition (2) and (3) makes sure the overall weights between two different methods are approximately same.

It can be worked out from above restrictions that, $\sigma \doteq 0.8Th$ and $BW \doteq 2.64Th$. The bandwidth in our experiment is set as $Th=15$, which is the same as that used in [8]. Thus, $\sigma = 12$ and $BW = 40$.

The definition of color distance is measured by the perceptual difference as:

$$\|\bar{C}_1 - \bar{C}_2\| = \sqrt{(l_1 - l_2)^2 + (u_1 - u_2)^2 + (v_1 - v_2)^2} \quad (7)$$

where $\bar{C}_1 = (l_1, u_1, v_1)$ and $\bar{C}_2 = (l_2, u_2, v_2)$ are two colors represented in CIE_{luv} color space.

4. Experiments

4.1. Experiment setup

In this experiment, the GWHI algorithm is applied to vehicle license plate images. Our aim is to find a robust classification between different classes of license plate images. We say two license plate images belong to the same class when they have similar foreground and background colors, but they may have quite different contents (characters), size and viewing conditions. Two classes of license plates are frequently used in NSW, Australia. Without loss of generality, these two classes of vehicle license plate images are tested, namely, plates with yellow background and plates with white background.

We select a yellow license plate image as the model image. Then, the color histogram of the model image,

in CIE_{luv} color space, is computed and matched with those of total 91 various license plate images (target images), which belong to either same class or different classes. The model image and some examples of yellow and white target images are shown in Fig. 2. It can be seen that, due to various environment changes, images that belong to same class may have quite different appearance.

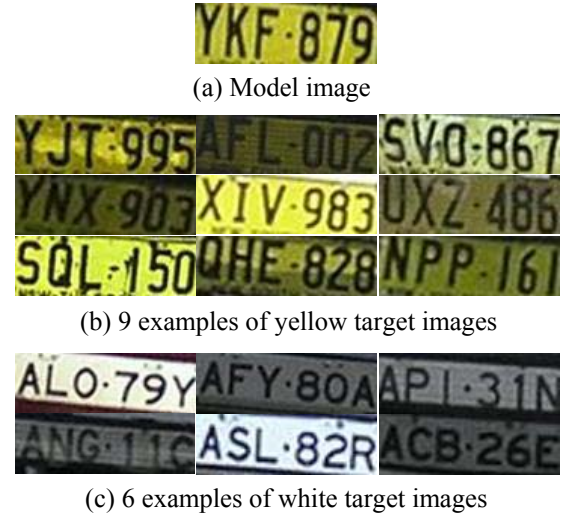


Fig. 2 The model image and some examples of the yellow and white target images used in our experiments. All images are of 120×40 size.

4.2. Experimental results and discussion

The matching rates between the yellow model image and total 91 target images using the three HI algorithms mentioned in Sect. 3 are plotted in Fig. 3. Matching rates of yellow plates are painted in red dots and white plates in blue dots (darker if viewed in black-white picture).

As seen in Fig. 3(a) that, using the conventional HI, it is impossible to separate two classes of license plate images via their color histograms. Actually, even though the matching rates of white plates are very low ($\leq 0.17\%$), the matching rates of the tested yellow plates may also be very low. For instance, the matching rate of the yellow plate #85 is only 0.21%.

Using the MPH algorithm, this problem has been improved a lot. As shown in Fig. 3(b), the distance between the matching rates of two classes of plates has increased greatly. However, though using MPH can separate two classes given that a proper threshold is carefully selected, the matching rates of same class license plates are still very sensitive to color variations. As demonstrated, the data of yellow images still spread in a wide range (from 31.65% to 99.73%).

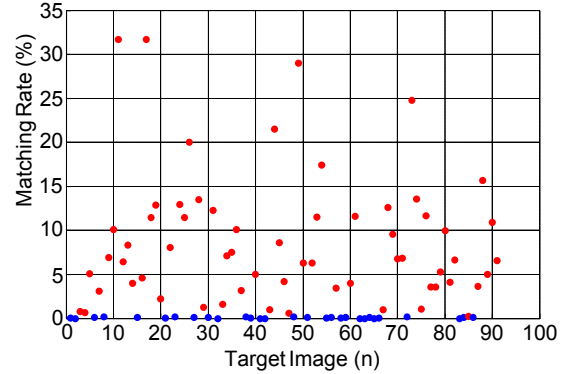
Using the proposed GWHI algorithm, it can be seen from Fig. 3(c) that, matching rates of both same class and different classes of plates have increased. This is due to the fact that a wider bandwidth has been used than that in the MPH algorithm. At the same time, the matching rates of same class license plates are much more stable compared to the results of using HI and MPH algorithm. There are 47 of 62 (75.8%) yellow plates with a matching rate larger than 90% and only 5 of 62 (8%) yellow plates with a matching rate less than 80%. This is because we introduce a weight function rather than simply adding up all intersections contributed by different colors. Even though the matching rates between the yellow model and white target plates have increased at the same time, the distance between the matching rates of two classes is extended greatly.

5. Conclusions

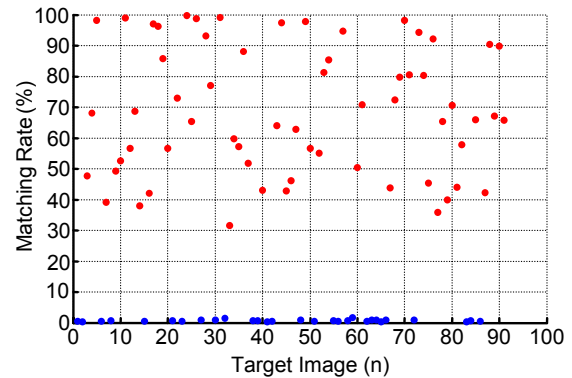
In this paper, a new histogram intersection method, Gaussian weighted histogram intersection (GWHI), is proposed. A Gaussian function is used to weight the contribution to the matching by colors which have different distance with the given color. Our aim is to differentiate license plate images which belong to different classes. Experimental results show that using the proposed method, there are following benefits: (1) the intra-class distance becomes much smaller; and (2) the inter-class distance becomes much larger. In conclusion, the matching of color histogram using our GWHI method is less sensitive to color variation than previous HI methods.

6. References

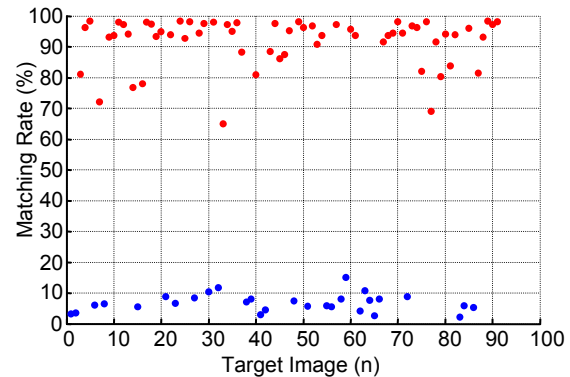
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(a) Matching rates using conventional HI.



(b) Matching rates using MPH.



(c) Matching rates using GWHI.

Fig. 3 Histogram matching results using three HI algorithms.

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