

Geometric models for calculating cell biovolume and surface area for phytoplankton

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Phytoplankton biovolume can be measured or calculated through the calculation of similar geometric models. A set of geometric models is suggested for calculating cell biovolume and surface area for 284 phytoplankton genera in China Sea waters. Thirty-one geometric shapes have been assigned to estimate the biovolume and surface area of phytoplankton cells. Reductions of error and microscopic effort are also discussed. The model has been verified by its application in the China Seas regions. The software to make these calculations is available at <http://www.ouc.edu.cn/csmxy/sunjun/biovolume.htm>

INTRODUCTION

The biovolume of marine phytoplankton cells is important to the study of phytoplankton ecology. The related parameters, such as cell size and conversion of carbon content from biovolume, and physiology functions are also important for marine ecosystem studies (Malone, 1980; Sournia, 1981; Chisholm, 1992).

Phytoplankton cell size varies greatly among different genera or even between different individuals. Sizes range from a few micrometres (or even less than 1 μm) to a few millimetres. Hence, there is a wide range of nine orders in magnitude for cell biovolume of phytoplankton. Several automated and semi-automatic methods for biovolume estimation have been described in the literature, such as the Coulter Counter (Hasting *et al.*, 1962; Maloney *et al.*, 1962; Boyd and Johnson, 1995), the micrographic image analysis system (Gordon, 1974; Krambeck *et al.*, 1981; Estep *et al.*, 1986; Verity and Sieracki, 1993; Sieracki *et al.*, 1998), flow cytometry (Olson *et al.*, 1985; Wood *et al.*, 1985; Steen, 1990; Cunningham and Buonaccorsi, 1992) and holographic scanning technology (Brown *et al.*, 1989). However, the general method for calculating phytoplankton cell biovolume is based on geometric assignment (Kovala and Larrance, 1966; Willén, 1976; Sicko-Goad *et al.*, 1977; Smayda, 1978; Edler, 1979; Rott, 1981; Kononen *et al.*, 1984; Vilicic, 1985; Hillebrand *et al.*, 1999). The methods mentioned above have advantages and/or disadvantages.

Microscopic observation is a direct, convenient way to obtain species level information on phytoplankton taxa, whereas biovolume calculation based on geometric models of phytoplankton cells and their related conversion biomass are popular in phytoplankton ecology studies (Kuuppo, 1994; Snoeijs, 1994; Sommer, 1994, 1995; Tang, 1995; Hillebrand, 1997; Young and Ziveri, 2000). Some references (Smayda, 1978; Baltic Marine Environmental Protection Commission–Helsinki Commission, 1988; Hansen, 1992; Kramer *et al.*, 1992) list the biovolume calculations and their conversion biomasses as a routine method when studying phytoplankton.

Phytoplankton cell geometric models for biovolume calculation have been discussed in the literature (Kovala and Larrance, 1966; Willén, 1976; Edler, 1979; Rott, 1981; Kononen *et al.*, 1984; Hansen, 1992; Hillebrand *et al.*, 1999; Sun *et al.*, 2000a; Young and Ziveri, 2000). The method applies the principle of geometric models or shapes that are most similar to the real shape of the organism. Often there is the dilemma of whether to assign a phytoplankton cell shape to a complex but similar geometric model or to a simple, conveniently measurable, but inadequate model or shape. Most of the above studies pay attention to special regions or microalgae classes. Although different geometric equations used in the literature were dependent on dominance of the respective species in the local plankton communities, routine phytoplankton analysis would benefit from a series of standardized geometric models.

Hillebrand *et al.* recommend a standard set of 20 geometric shapes for over 850 genera and provide equations to be used for accurate estimates of cell volume and surface area for phytoplankton and microbenthic algae from linear dimensions measured microscopically (Hillebrand *et al.*, 1999). Its extensive listing of cell shapes will be a valuable resource for experimental and literature-based studies of relationships between cell size, surface area and biovolume for a wide variety of physiological characteristics. This comprehensive study will help set consistent parameters for evaluating the dynamics of phytoplankton standing stocks in terms of biovolume for ecological studies, and will be evaluated as a primary research reference in this field for studies of phytoplankton by physiologists and ecologists (Wheeler, 1999). Although it is comprehensive and extensive, its applicability is in need of expansion.

In the present study, based on earlier work of Hillebrand *et al.* (Hillebrand *et al.*, 1999), and focusing on phytoplankton species in the China Sea, a set of 31 geometric shapes is proposed for routine analysis of marine phytoplankton in China Sea waters. After consultation with the literature on phytoplankton studies in China's seas, we found that nearly 2000 taxa were recorded, belonging to 10 diverse groups and 284 genera (due to the volume of references, they cannot all be cited in this paper). Although the old nomenclature system is still in use in China, the checklist was modified according to Tomas (Tomas, 1997) (Table I). In order to improve the applicability of Hillebrand's geometric models, we reduced the number of microscopically measured line parameters, improving the previous shapes and updating the models. Furthermore, considering the fact that identifications of phytoplankton taxa need expert knowledge,

Table I: Shape codes of phytoplankton genera found in China Sea waters according to the geometric models in Table II

Genera	Shape code	Genera	Shape code
1. Cyanobacteria		<i>Xenococcus</i> Thuret	2
<i>Anabaena</i> Bory de St.-Vincent	1	2. Chrysophyceae	
<i>Aphanothece</i> Näegeli	2	<i>Chromulina</i> Cienkowski	1
<i>Arthrospira</i> Stizenbberger	28	<i>Dictyocha</i> Ehrenberg	1
<i>Borzia</i> Cohn	28	<i>Dinobryon</i> Ehrenberg	2
<i>Calothrix</i> Agardh	28	<i>Mallonmonas</i> Perty	2
<i>Camptylonemopsis</i> Desikachary	28	<i>Ochromonas</i> Wyssotski	9
<i>Chlorogloea</i> Wille	2	<i>Synura</i> Ehrenberg	2
<i>Chroococcus</i> Näegeli	1	3. Bacillariophyceae	
<i>Chroothece</i> Hansgirg	28	<i>Acanthoceras</i> Honigmann	29
<i>Dichothrix</i> Zanardini	28	<i>Achnanthes</i> Bory de St.-Vincent	12
<i>Enthophysalis</i> Kützing	2	<i>Achnantheidium</i> Kützing	11
<i>Gardnerula</i> de Toni	28	<i>Actinocyclus</i> Ehrenberg	4
<i>Gomphosphaeria</i> Kützing	1	<i>Actinoptychus</i> Ehrenberg	4
<i>Homoeothrix</i> (Thuret) Kirchner	28	<i>Amphipleura</i> Kützing	11
<i>Hormathonema</i> Ercegovic	2	<i>Amphiprora</i> Ehrenberg	11
<i>Hydrocoleum</i> Kützing	28	<i>Amphora</i> Ehrenberg ex Kützing	17
<i>Hyella</i> Bornet & Flahault	28	<i>Aneumastus</i> Mann & Stickle	11
<i>Isactis</i> Thuret	28	<i>Anomoeoneis</i> Pfitzer	11
<i>Johannesbaptista</i> de Toni	2	<i>Anorthoneis</i> Grunow	11
<i>Kyrtuthrix</i> Ercegovic	28	<i>Arachnoidiscus</i> Deane ex Pritchard	4
<i>Lyngbya</i> Agardh	28	<i>Arcocellulus</i> Hasle, von Stosch & Syertsen	29
<i>Merismopedia</i> Meyen	10	<i>Ardissonaea</i> De Notaris	10
<i>Microchaete</i> Thuret	28	<i>Asterionella</i> Hassall	10
<i>Microcoleus</i> Desmazières	28	<i>Asterionellopsis</i> Round	10
<i>Microcystis</i> Kützing	1		
<i>Nodularia</i> Mertens	28		

(continued)

Table I: (continued)

Genera	Shape code	Genera	Shape code
<i>Oscillatoria</i> Vaucher	28	<i>Asterolampra</i> Ehrenberg	4
<i>Phormidium</i> Kützing	28	<i>Asteromphalus</i> Ehrenberg	4
<i>Pleurocapsa</i> Thuret ex Hauck	28	<i>Aulacodiscus</i> Ehrenberg	4
<i>Richelia</i> Schmidt	28	<i>Auliscus</i> Ehrenberg	11
<i>Rivularia</i> (Roth) Agardh	28	<i>Auricula</i> Castracane	17
<i>Schizothrix</i> Kützing	28	<i>Azpeitia</i> Peragallo	4
<i>Scytonema</i> Agardh	28	<i>Bacillaria</i> Gmelin	10
<i>Sirocoleum</i> Kützing	28	<i>Bacteriastrum</i> Shadbolt	28
<i>Spirulina</i> Turpin	28	<i>Bellerochea</i> Van Heurck emend. von Stosch	30
<i>Symploca</i> Kützing	28	<i>Biddulphia</i> Gray	29
<i>Synechococcus</i> Näegeli	1	<i>Bleakeleya</i> Round	10
<i>Synechocystis</i> Sauvageau	1	<i>Caloneis</i> Cleve	11
<i>Tolypothrix</i> Kützing	28	<i>Campylodiscus</i> Ehrenberg ex Kützing	11
<i>Trichodesmium</i> Ehrenberg	28	<i>Campyloneis</i> Grunow	11
<i>Campylosira</i> Grunow ex Van Heurck	14	<i>Grammatophora</i> Ehrenberg	10
<i>Cerataulina</i> Peragallo	28	<i>Guinardia</i> Peragallo	28
<i>Cerataulus</i> Ehrenberg	28	<i>Gyrosigma</i> Hassall	13
<i>Chaetoceros</i> Ehrenberg	29	<i>Hantzschia</i> Grunow	10
<i>Chrysanthemodiscus</i> Mann	5	<i>Helicotheca</i> Ricard	29
<i>Cistula</i> Cleve	11	<i>Hemiaulus</i> Ehrenberg	29
<i>Climacodium</i> Grunow	23	<i>Hemidiscus</i> Wallich	17
<i>Climacosphenia</i> Ehrenberg	31	<i>Hyalodiscus</i> Ehrenberg	1
<i>Cocconeis</i> Ehrenberg	11	<i>Hydrosera</i> Wallich	18
<i>Corethron</i> Castracane	5	<i>Isthmia</i> Agardh	29
<i>Coscinodiscus</i> Ehrenberg emend. Hasle & Sims	4	<i>Lauderia</i> Cleve	28
<i>Cyclotella</i> Kützing ex de Brébisson	4	<i>Leptocylindrus</i> Cleve	28
<i>Cymatodiscus</i> Hendey	4	<i>Leudugeria</i> Tempère ex Van Heurck	17
<i>Cymatoneis</i> Cleve	13	<i>Licmophora</i> Agardh	16
<i>Cymatosira</i> Grunow	29	<i>Lioloma</i> Hasle	10
<i>Cymatotheca</i> Hendey	17	<i>Liradiscus</i> Greville	4
<i>Cymbella</i> Agardh	17	<i>Lithodesmium</i> Ehrenberg	30
<i>Dactyliosolen</i> Castracane	28	<i>Luticola</i> Mann	11
<i>Delphineis</i> Andrews	11	<i>Lyrella</i> Karajeva	11
<i>Denticula</i> Kützing	11	<i>Martyana</i> Round	11
<i>Detonula</i> Schütt	28	<i>Mastogloia</i> Thwaites ex Smith	11
<i>Diatoma</i> Bory de St.-Vincent	29	<i>Mastogonia</i> Ehrenberg	11
<i>Dictyoneis</i> Cleve	12	<i>Melosira</i> Agardh	28
<i>Dimeregramma</i> Ralfs	29	<i>Meuniera</i> Silva	29
<i>Diploneis</i> Ehrenberg ex Cleve	12	<i>Minidiscus</i> Hasle	4
<i>Ditylum</i> Bailey ex Bailey	30	<i>Minutocellus</i> Hasle, von Stosch, & Syvertsen	11
<i>Endictya</i> Ehrenberg	4	<i>Navicula</i> Bory de St.-Vincent	11
<i>Entomoneis</i> Ehrenberg	12	<i>Neidium</i> Pfitzer	11
<i>Ethmodiscus</i> Castracane	4	<i>Nitzschia</i> Hassall	13
<i>Eucampia</i> Ehrenberg	29	<i>Nitzschia</i> Rabenhorst	13
<i>Eunotia</i> Ehrenberg	15	<i>Odontella</i> Agardh	29
<i>Eunotogramma</i> Weisse	14	<i>Opephora</i> Petit	29
<i>Eupodiscus</i> Bailey	4	<i>Östrupia</i> Heiden ex Schmidt	11

(continued)

Table I: (continued)

Genera	Shape code	Genera	Shape code
<i>Fallacia</i> Stickle & Mann	11	<i>Palmeria</i> Greville	17
<i>Fragilaria</i> Lyngbye	29	<i>Paralia</i> Heiberg	4
<i>Fragilariopsis</i> Hustedt emend. Hasle	29	<i>Perissonoë</i> Andrews & Stoelzel	10
<i>Frustulia</i> Rabenhorst	11	<i>Petrodictyon</i> Mann	29
<i>Gephyria</i> Arnott	11	<i>Phaeodactylum</i> Bohlin	14
<i>Gomphonema</i> Agardh	21	<i>Pinnularia</i> Ehrenberg	10
<i>Gomphonitzschia</i> Grunow	21	<i>Plagiodiscus</i> Grunow & Eulenstein	14
<i>Gossleriella</i> Schütt	4	<i>Plagiogramma</i> Greville	11
<i>Plagiogrammopsis</i> Hasle, von Stosch & Syvertsen	29	<i>Tabularia</i> (Kützing) Williams & Round	10
<i>Plagiotropis</i> Pfitzer	11	<i>Tetracyclus</i> Ralfs	20
<i>Planktoniella</i> Schütt	4	<i>Thalassionema</i> Grunow	10
<i>Pleurosigma</i> Smith	13	<i>Thalassiosira</i> Cleve emend. Hasle	4
<i>Pleurosira</i> Trevison	28	<i>Thalassiothrix</i> Cleve & Grunow	10
<i>Podocystis</i> Bailey	11	<i>Toxarium</i> Bailey	24
<i>Podosira</i> Ehrenberg	5	<i>Trachyneis</i> Cleve	11
<i>Proboscia</i> Sundström	28	<i>Triceratium</i> Ehrenberg	18
<i>Psammodictyon</i> Mann	12	<i>Trigonium</i> Cleve	18
<i>Psammodiscus</i> Round & Mann	4	<i>Trinacria</i> Heiberg	18
<i>Pseudoeunotia</i> Grunow	4	<i>Tropidoneis</i> Cleve	11
<i>Pseudo-nitzschia</i> Peragallo	13	<i>Tryblionyx</i> Hendey	11
<i>Pseudosolenia</i> Sundström	28	<i>Xanthiopyxis</i> (Ehrenberg) Ehrenberg	11
<i>Pseudostaurosira</i> (Grunow) Williams & Round	20		
<i>Pyxidicula</i> Ehrenberg	11	4. Raphidophyceae	
<i>Rhabdonema</i> Kützing	10	<i>Heterosigma</i> Hada	9
<i>Rhaphoneis</i> Ehrenberg	13	<i>Chattonella</i> Biecheler	9
<i>Rhizosolenia</i> Brightwell	28		
<i>Rhoicosphenia</i> Grunow	21	5. Prymnesiophyceae	
<i>Rhopalodia</i> Müller	17	<i>Acanthoica</i> Lohmann emend. Schiller and Kleijne	2
		<i>Calyptrolithia</i> Heimdal	2
<i>Rocella</i> Hanna	4	<i>Emiliana</i> Hay & Mohler	1
<i>Roperia</i> Grunow ex Pelletan	11	<i>Gephyrocapsa</i> Kamptner	1
<i>Rossia</i> Voigt	11	<i>Hayaster</i> Bukry	2
<i>Schroederella</i> Pavillard	28	<i>Prymnesium</i> Massart ex Conrad	9
<i>Scoliopleura</i> Grunow	11	<i>Syracosphaera</i> Lohmann	1
<i>Sellaphora</i> Mereschkowsky	10		
<i>Skeletonema</i> Greville	5	6. Cryptophyceae	
<i>Stauroneis</i> Ehrenberg	29	<i>Chroomonas</i> Hansgirg	9
<i>Stauropsis</i> Meunier	29	<i>Cryptomonas</i> Ehrenberg	2
<i>Staurosira</i> (Ehrenberg) Williams & Round	29		
<i>Stellarima</i> Hasle & Sims	4	7. Dinophyceae	
<i>Stenopterobia</i> de Brébisson ex Van Heurck	13	<i>Alexandrium</i> Halim	3
<i>Stephanodiscus</i> Ehrenberg	4	<i>Amphidinium</i> Claparède et Lachmann	3
<i>Stephanopyxis</i> (Ehrenberg) Ehrenberg	5	<i>Amphisolenia</i> Stein	4
<i>Stictodiscus</i> Greville	4	<i>Balechina</i> Loeblich J & Loeblich III	2
<i>Striatella</i> Agardh	29	<i>Blepharocysta</i> Ehrenberg	1
<i>Surirella</i> Turpin	11	<i>Ptychodiscus</i> Stein	2
<i>Synedra</i> Ehrenberg	10		

(continued)

Table I: (continued)

Genera	Shape code	Genera	Shape code
<i>Synedrosphenia</i> (Peragallo) Azpeitia	21	<i>Pyrocystis</i> Murray ex Haeckel	3
<i>Tabellaria</i> Ehrenberg	20	<i>Pyrophacus</i> Stein	3
<i>Cladopyxis</i> Stein	1	<i>Scrippsiella</i> Balech ex Loeblich III	9
<i>Dinophysis</i> Ehrenberg	3	<i>Schuetziella</i> Balech	8
<i>Diplopelta</i> Stein ex Jörgensen	3	<i>Spiraulax</i> Kofoid	8
<i>Diplopsalis</i> Bergh	9	<i>Symbiodinium</i> Freudenthal	2
<i>Dissodinium</i> Pascher	3	<i>Triposolenia</i> Kofoid	27
<i>Gambierdiscus</i> Adachi & Fukuyo	3	<i>Centrodinium</i> Kofoid	8
<i>Gloeodinium</i> Klebs	3	<i>Ceratium</i> Schrank	25
<i>Goniodoma</i> Stein	1	<i>Ceratocorys</i> Stein	26
<i>Gonyaulax</i> Diesing	8		
		8. Euglenophyceae	
<i>Gymnodinium</i> Stein	3	<i>Euglena</i> Ehrenberg	22
<i>Gyrodinium</i> Kofoid & Swezy	3	<i>Eutreptia</i> Perty	22
<i>Heteraulacus</i> Diesing	3		
<i>Heterodinium</i> Kofoid	8	9. Prasinophyceae	
<i>Histioneis</i> Stein	3	<i>Halosphaera</i> Schmitz	1
<i>Karenia</i> Daugbjerg, Hansen, Larsen, Moestrup	3	<i>Mantoniella</i> Desikachary	2
<i>Kofoidinium</i> Pavillard	1	<i>Micromonas</i> Manton & Parke	2
<i>Lingulodinium</i> Dodge	3	<i>Nephroselmis</i> Stein	1
<i>Noctiluca</i> Suriray	1	<i>Pyramimonas</i> Schmarda	7
<i>Ornithocercus</i> Stein	26		
<i>Ostreopsis</i> Schmidt	3	10. Chlorophyceae	
<i>Oxytoxum</i> Stein	2	<i>Actinastrum</i> Lagerheim	2
<i>Peridiniopsis</i> Lemmermann	3	<i>Ankistrodesmus</i> Cord	16
<i>Peridinium</i> Ehrenberg	3	<i>Brachiomonas</i> Bohlin	8
<i>Phalacroma</i> Stein	3	<i>Carteria</i> Diesing	1
<i>Podolampas</i> Stein	7	<i>Chlamydomonas</i> Ehrenberg	1
<i>Polykrikos</i> Bütschli	3	<i>Dunaliella</i> Teodoresco	2
<i>Preperidinium</i> Mangin	3	<i>Pediastrum</i> Meyen	11
<i>Prorocentrum</i> Ehrenberg	3	<i>Scenedesmus</i> Meyen	2
<i>Protoperidinium</i> Bergh	8	<i>Tetraëdron</i> Kützing	10

we used the linear dimensions for length, width and height instead of apical axis, transapical axis and perivalvar axis. For example, when phytoplankton samples were observed under the light microscope, in most circumstances, the length (may be the perivalvar axis in some diatoms, e.g. *Leptocylindrus* spp.) and width were measured, then the cell volume and surface area were calculated from the geometric models discussed in this paper. The models were checked with a set of phytoplankton counter data and a Visual Basic for Applications (VBA) program was written in Microsoft Excel for calculations.

METHOD


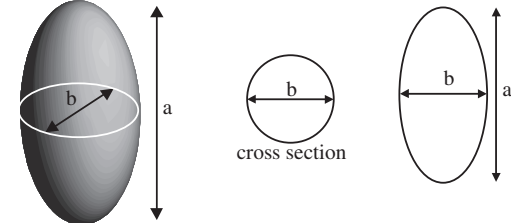
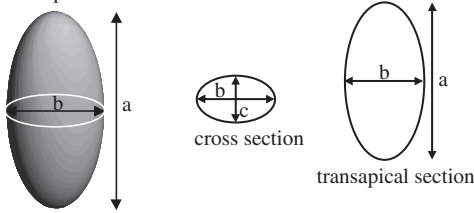
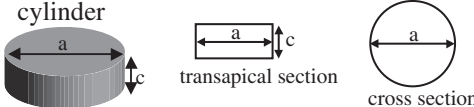
Phytoplankton samples from sample sites covering most of China's seas (with samples collected from the first comprehensive investigation in 1958 up to now) were selected and analysed using a light microscope. Net samples were collected with a standard net III (76 µm mesh size, simple conical tow net, which is a standard phytoplankton tool used in China) and a vertical haul was made from just off the bottom to the surface. These samples were preserved in 2 or 5% neutral formaldehyde (final concentration) in glass or polyethylene bottles. Samples were observed with

an Olympus BH-2 microscope at $\times 200$, $\times 400$ or $\times 1000$ magnification in a phytoplankton counting chamber (a standard tool used in China fabricated in our laboratory, 0.25 ml, similar to a Palmer–Maloney chamber) and identified to species level (Yamaji, 1991; Tomas, 1997). Water samples were preserved initially in 250 ml polyethylene bottles containing 1% Lugol’s iodine solution and ultimately the samples were preserved in 1% neutral formaldehyde (final concentration). Twenty-five millilitres of preserved sample were left for >24 h in settling chambers and then analysed with an American Optical Ltd inverted microscope at $\times 200$, $\times 200$ or $\times 640$ magnification (Utermöhl, 1958) to identify phytoplankton to species level (Yamaji, 1991; Tomas, 1997). The scale bar for the microscopic ocular was calibrated using a

standard scale bar (S22-StageMic; Graticules Ltd, UK) mounted on the microscopic objective.

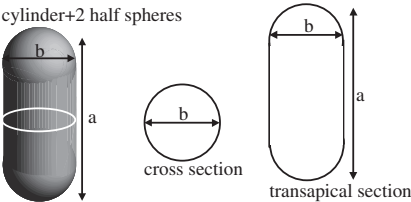
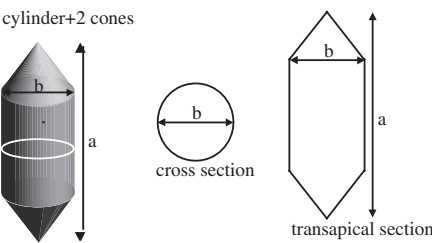
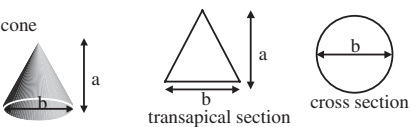
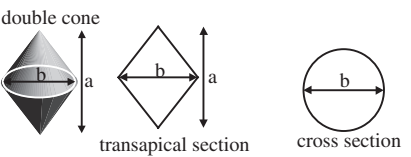
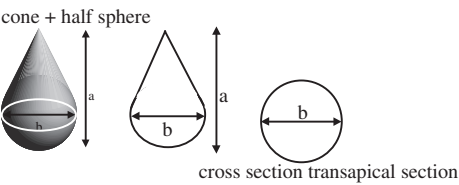
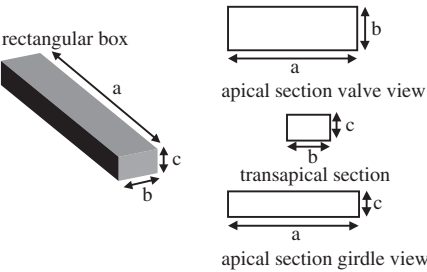
Linear dimensions were measured according to Table II or by obtaining taxonomic information and searching the shape code in Table I. In most cases, it was possible to determine the length and width of the target cell. As the cell settles on the base plate on the posture of synthetic effect of several forces, such as gravitation and buoyancy, the length may not always be the apical axis. The individual analysing the sample need not consider the morphological information when using this set of models, thus the applicability will be improved in the models. The height of the target cell can be measured after rolling the cell by gently touching the coverslip with a pin-like object under routine examination by light microscope.

Table II: Geometric shapes and equations for the calculation of biovolume and surface area

Shape code	Simulated shape	Volume (V) and surface area (A) model
1-H	<p>sphere</p> 	$V = \frac{\pi}{6} \cdot a^3$ $A = \pi \cdot a^2$
2-H	<p>prolate spheroid</p> 	$V = \frac{\pi}{6} \cdot b^2 \cdot a$ $A = \frac{\pi \cdot b}{2} \left(b + \frac{a^2}{\sqrt{a^2 - b^2}} \sin^{-1} \frac{\sqrt{a^2 - b^2}}{a} \right)$
3-H	<p>ellipsoid</p> 	$V = \frac{\pi}{6} \cdot a \cdot b \cdot c$ $A \approx \frac{\pi}{4} \cdot (b + c) \cdot \left[\left(\frac{b + c}{2} \right) + \frac{2a^2}{\sqrt{4a^2 - (b + c)^2}} \sin^{-1} \frac{\sqrt{4a^2 - (b + c)^2}}{2a} \right]$
4-H	<p>cylinder</p> 	$V = \frac{\pi}{4} \cdot a^2 \cdot c$ $A = \pi \cdot a \cdot \left(\frac{a}{2} + c \right)$

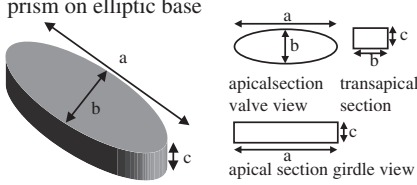
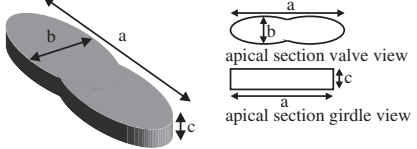
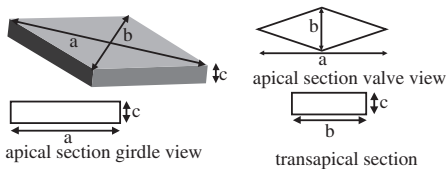
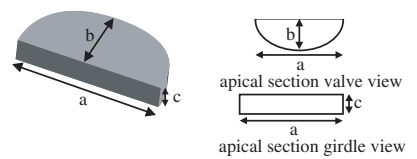
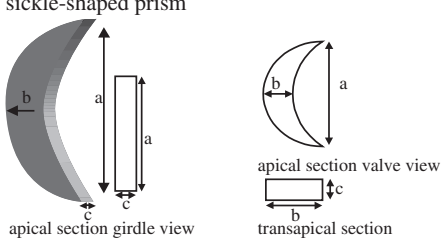
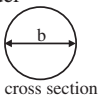
(continued)

Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
5-H	<p>cylinder+2 half spheres</p> 	$V = \pi \cdot b^2 \cdot \left(\frac{a}{4} - \frac{b}{12}\right)$ $A = \pi \cdot a \cdot b$
6-H	<p>cylinder+2 cones</p> 	<p>Suppose the height of cones is half of b :</p> $V = \frac{\pi}{4} \cdot b^2 \cdot \left(a - \frac{b}{3}\right)$ $A = \pi \cdot b \cdot \left(a - \frac{4 - \sqrt{3}}{4} b\right)$
7-H	<p>cone</p> 	$V = \frac{\pi}{12} \cdot a \cdot b^2$ $A = \frac{\pi}{4} \cdot b \cdot \left(b + \sqrt{4a^2 + b^2}\right)$
8-H	<p>double cone</p> 	$V = \frac{\pi}{12} \cdot a \cdot b^2$ $A = \frac{\pi}{2} \cdot b \cdot \sqrt{a^2 + b^2}$
9-H	<p>cone + half sphere</p> 	$V = \frac{\pi}{4} \cdot a \cdot b^2$ $A = \frac{\pi}{2} \cdot b^2 \cdot \left(b + \sqrt{\frac{2a^2 - ab + b^2}{2}}\right)$
10-H	<p>rectangular box</p> 	$V = a \cdot b \cdot c$ $A = 2 \cdot a \cdot b + 2 \cdot b \cdot c + 2 \cdot a \cdot c$

(continued)

Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
11-H	<p>prism on elliptic base</p> 	$V = \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A = \frac{\pi}{2} \cdot (a \cdot b + b \cdot c + a \cdot c)$
12-H	<p>elliptic prism with transapical constriction</p> 	$V \approx \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A \approx \frac{\pi}{2} \cdot (a \cdot b + b \cdot c + a \cdot c)$
13-H	<p>prism on parallelogram-base</p> 	$V = \frac{1}{2} \cdot a \cdot b \cdot c$ $A = a \cdot b + \frac{\sqrt{a^2 + b^2}}{4} \cdot c$
14-H	<p>half-elliptic prism</p> 	$V = \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A = \frac{\pi}{4} \cdot (a \cdot b + b \cdot c + a \cdot c) + a \cdot c$
15-H	<p>sickle-shaped prism</p> 	$V \approx \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A \approx \frac{\pi}{4} \cdot (a \cdot b + b \cdot c + a \cdot c) + a \cdot c$
16-H	<p>sickle-shaped cylinder</p> 	$V \approx \frac{\pi}{6} \cdot a \cdot b^2$ $A \approx \frac{\pi}{2} \cdot b \cdot \sqrt{a^2 + b^2}$

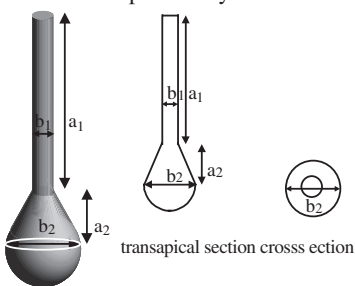
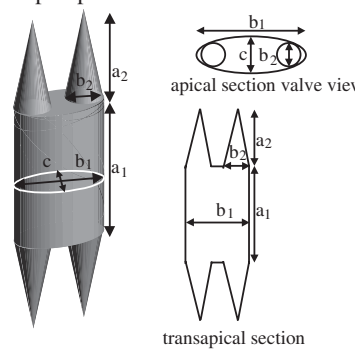
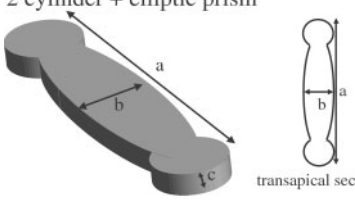
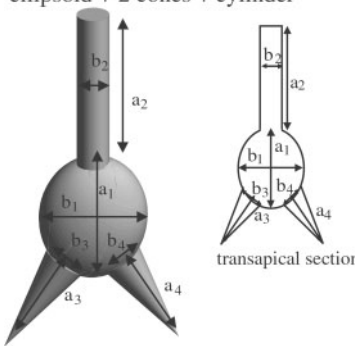
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Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
17-H	<p>cymbelloid</p>	$V = \frac{2}{3} \cdot a \cdot c^2 \cdot \operatorname{asin}\left(\frac{b}{2c}\right)$ $A = \frac{\pi}{2} \cdot a \cdot c + b \cdot \left[c + \frac{a^2}{2\sqrt{a^2 - 4c^2}} \cdot \sin^{-1}\left(\frac{\sqrt{a^2 - 4c^2}}{a}\right) \right]$
18-H	<p>prism on triangle-base</p>	$V = \frac{\sqrt{3}}{4} \cdot c \cdot a^2$ $A = 3a \cdot c + \frac{\sqrt{3}}{2} \cdot a^2$
19-H	<p>pyramid</p>	$V = \frac{1}{6} \cdot a^2 \cdot c$ $A = \frac{1}{2} \cdot a^2 + a \cdot \sqrt{a^2 + 8c^2}$
20-H	<p>elliptic prism with transapical inflation</p>	$V \approx \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A \approx \frac{\pi}{2} \cdot (a \cdot b + b \cdot c + a \cdot c)$
21-H	<p>gomphonemoid</p>	$V \approx \frac{a \cdot b}{4} \cdot \left[a + \left(\frac{\pi}{4} - 1\right) \cdot b \right] \cdot \operatorname{asin}\left(\frac{c}{2a}\right)$ $A \approx \frac{b}{2} \cdot \left(2a + \pi \cdot a \cdot \operatorname{asin}\left(\frac{c}{2a}\right) + \left(\frac{\pi}{2} - 2\right) \cdot b \right)$

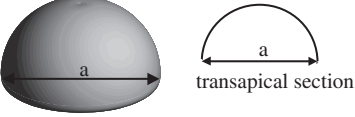
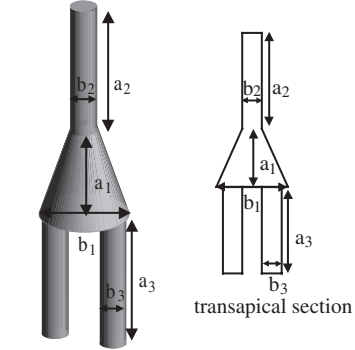
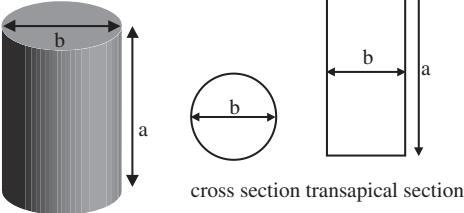
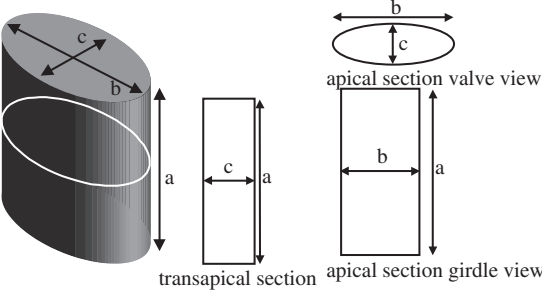
(continued)

Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
22-SL	<p>cone + half sphere + cylinder</p>  <p>transapical section cross ection</p>	$V = \frac{\pi}{3} (a_1 + a_2) \cdot b_1^2 + \frac{\pi}{4} \cdot (a_2 + b_2) \cdot b_2^2 + \frac{\pi}{12} \cdot a_2 \cdot b_1 \cdot b_2$ $A = \pi \cdot a_1 \cdot b_1 + \frac{\pi}{4} \cdot b_1^2 + \frac{\pi}{2} \cdot b_2^2 + \frac{\pi}{2} \cdot b_2^2 \cdot \sqrt{\left(\frac{a_1}{b_1}\right)^2 + \frac{1}{4}}$ $- \frac{\pi}{2} \cdot b_1 \cdot \sqrt{\left(\frac{a_1 \cdot b_2}{b_1} - a_1\right)^2 + \frac{b_1^2}{4}}$
23-SL	<p>elliptic prism + 4 cone</p>  <p>apical section valve view</p> <p>transapical section</p>	$V = \frac{\pi}{4} a_1 \cdot b_1 \cdot c_1 + \frac{\pi}{3} a_2 \cdot b_2^2$ $A = \frac{\pi}{2} a_1 \cdot b_1 + \frac{\pi}{2} b_1 \cdot c_1 + \frac{\pi}{2} a_1 \cdot c_1 + \pi \cdot b_2 \cdot \left(\sqrt{4a_2^2 + b_2^2} - b_2\right)$
24-SL	<p>2 cylinder + elliptic prism</p>  <p>transapical section</p>	$V \approx \frac{\pi}{4} a \cdot b \cdot c$ $A \approx \frac{\pi}{2} \cdot (a \cdot b + b \cdot c + a \cdot c)$
25-SL	<p>ellipsoid + 2 cones + cylinder</p>  <p>transapical section</p>	<p>Suppose : $b_2 = b_3 = b_4$</p> $V = \frac{\pi}{4} \cdot a_2 \cdot b_2^2 + \frac{\pi}{12} \cdot (a_3 + a_4) \cdot b_2^2 + \frac{\pi}{6} \cdot a_1 \cdot b_1 \cdot b_2$ $A \approx \frac{\pi}{4} \cdot (b_1 + b_2) \cdot \left[\frac{b_1 + b_2}{2} + \frac{a_1^2}{\sqrt{a_1^2 - \left(\frac{b_1 + b_2}{2}\right)^2}} \cdot \sin^{-1} \frac{\sqrt{a_1^2 - \left(\frac{b_1 + b_2}{2}\right)^2}}{a_1} \right]$ $+ \frac{\pi}{2} \cdot b_2 \cdot \left(2a_2 + \sqrt{a_3^2 + \frac{b_2^2}{4}} + \sqrt{a_4^2 + \frac{b_2^2}{4}} - b_2 \right)$

(continued)

Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
26-SL	<p>half sphere</p> 	$V = \frac{\pi}{12} \cdot a^3$ $A = \frac{3\pi}{4} \cdot a^2$
27-SL	<p>cone + 3 cylinder</p> 	$V = \frac{\pi}{4} \cdot a_2 \cdot b_2^2 + \frac{\pi}{2} \cdot a_3 \cdot b_3^2 + \frac{\pi}{12} \cdot a_1 \cdot (b_1^2 + b_1 \cdot b_2 + b_2^2)$ $A = \frac{\pi}{2} \cdot (b_1 + b_2) \cdot \sqrt{a_1^2 + \left(\frac{b_1 - b_2}{2}\right)^2} + \frac{\pi}{4} \cdot (b_1^2 + b_2^2) + 2\pi \cdot (a_2 \cdot b_2 + a_3 \cdot b_3)$
28-H	<p>cylinder girdle view</p> 	$V = \frac{\pi}{4} \cdot b^2 \cdot a$ $A = \pi \cdot b \cdot \left(\frac{b}{2} + a\right)$
29-H	<p>prism on elliptic base girdle view</p> 	$V = \frac{\pi}{4} \cdot a \cdot b \cdot c$ $A = \frac{\pi}{2} \cdot (a \cdot b + b \cdot c + a \cdot c)$

(continued)

Table II: (continued)

Shape code	Simulated shape	Volume (V) and surface area (A) model
30-H	<p>prism on triangle-base girdle view</p> <p>apical section valve view</p> <p>transapical section</p>	$V = \frac{\sqrt{3}}{4} \cdot a \cdot b^2$ $A = 3a \cdot b + \frac{\sqrt{3}}{2} \cdot b^2$
31-SL	<p>box + elliptic prism</p> <p>transapical section</p>	$V \approx c \cdot \left(a_1 \cdot b_1 + \frac{\pi}{4} \cdot a_2 \cdot b_2 \right)$ $A \approx c \cdot \left(2a_1 + b_1 + \frac{\pi}{2} \cdot a_2 + \frac{\pi}{2} \cdot b_2 \right) + 2a_1 \cdot b_1 + \frac{\pi}{2} \cdot a_2 \cdot b_2$

Simulated shapes were given by a three-dimensional image with a cross-section view or a transapical section view. In the shape code column, H = models from Hillebrand *et al.* (Hillebrand *et al.*, 1999), amended by ourselves; SL = models from Sun & Liu in this paper; V = volume; A = surface area; a = length; b = width; c = height. Other symbols are marked in the table.

Twenty or more individual cells should be measured to avoid biasing results (Sournia, 1978; Hillebrand *et al.*, 1999). The information on taxa and linear dimensions were then input into a Microsoft Excel worksheet; cell and community biovolume and surface areas were calculated by a VBA program which compiled data according to the shape code in Table I and the equation in Table II. History samples from which the cell abundance and community information to species level have been derived can also be converted from cell counts to biovolume and surface area. When linear dimensions of 20 typical cells in the sample were measured, individual cells of chain-forming species were measured and calculated. Software enabling these calculations is available from the first author, or at <http://www.ouc.edu.cn/csmxy/sunjun/biovolume.htm>.

RESULTS AND DISCUSSION

Measurement of phytoplankton cell height

Measuring the height of phytoplankton cells under the microscope can be difficult for some species. The algal

cell usually keeps a definite position on the slide when the centre of gravity is low, making it difficult to measure the cell height. In most instances, an algal species will keep a fixed position, but on rare occasions the side view of the cell is visible, providing the opportunity to measure the height. If the cell is rotated, it will increase the chances of getting a side view. Using a pin-like object to tip the coverslip, algal cells will roll with the movement of the surrounding medium.

Usually it is not possible to rotate the cell using a pin in order to measure the cell height, either when the sample is examined by the Utermöhl method or when special counting slides such as Sedgwick-Rafter or Palmer-Maloney slides are used. There are two ways to solve the problem: one is to concentrate the sample after observation and follow up with a standard compound microscope; the other is to estimate the height from the width of the cell, because the height of small algal cells is usually approximately equal to the width. Verity *et al.* also pointed out that there is little variation between the depth and width of nanoplankton cells (Verity *et al.*, 1992). However, as Hillebrand *et al.* (Hillebrand *et al.*, 1999) suggest, the height of large cells should be measured.

Error sources in the models

For each genus, the error sources within these models come from the choice of geometric shapes assigned to the algal cell, in addition to the accuracy of measurement and consequent estimation of biovolume.

The selection of geometric shapes in this model was similar to Hillebrand's model (Hillebrand *et al.*, 1999). It was based on an assumption of similar shapes within each genus. In general, this principle applies, but there are some exceptions within genera, as pointed out by Hillebrand *et al.* (Hillebrand *et al.*, 1999). The main distinguishing feature between these two models is that some geometric shapes were divided into two similar models for convenience of measurement, each one being the side view of the opposite one, such as 'prism on elliptic base' and 'prism on elliptic base girdle view' (cf. Table II). Meanwhile, six additional geometric shapes were assigned to additional morphologically complex genera.

The measurement procedure can potentially be the largest error source when estimating biovolume if the sampler does not follow the standard protocol accurately. The scale bar must be calibrated for each magnification. Light halos affect the measurement of small-sized cells (Montagne *et al.*, 1994), but can be overcome by increasing the magnification of the microscope.

Between the initial field sampling and final interpretation of data, there are several potential sources of bias or variability. They include initial sampling methods, preservation (primary samples), subsampling (including concentration or dilution), counting use of tertiary subsamples, or random field selection, and statistical analyses. Some of these can be minimized or eliminated by following a strictly standardized procedure (Sournia, 1978; Hallegraeff *et al.*, 1995).

It is not possible to measure every cell during routine analysis. Subsamples for line dimension measurement should consider phytoplankton assemblages. For each phytoplankton assemblage, at least 25 randomly selected cells of each species should be measured (Smayda, 1978), and the mean biovolume should be calculated from the mean value of these individual cell biovolumes. Hillebrand *et al.* propose that biovolume should be calculated from the mean of measured linear dimensions, not as a mean of a set of individually calculated biovolumes (Hillebrand *et al.*, 1999). When the two methods for mean biovolume calculation were compared, we found that although the latter method usually underestimated the variability, its trend has better agreement with increased measurements (Figure 1). Thus, the mean measured linear dimension can be used to calculate biovolume in routine analysis. Although, under most circumstances, the standard error (SE) is <5% of the mean biovolume

after the measurement of 10 cells (cf. Figure 1), we suggest that taking as many measurements as possible is better.

Comparison with other models

A comparison between this study and the other three models, Hansen (Hansen, 1992), HELCOM (Helsinki Commission, 2000) and BIOVOL (Kirschtel, 1992), is shown in Figure 2. Five typical species were assigned to five different geometric shapes with a length/width ratio from 1.2 to 25. Sample measurements were conducted under the microscope as described previously. Compared with these models, Hansen's model underestimated the volume and the BIOVOL model overestimated the biovolume. The HELCOM model had similar results to our study. However, most results have a SE of not more than 30%. With the exception of *Ceratium furca*, the calculation equations of the other four species in this study were equal to the Hillebrand *et al.* model (Hillebrand *et al.*, 1999). Hillebrand *et al.* (Hillebrand *et al.*, 1999) also compared their results with Edler's model (Edler, 1979), Rott's model (Rott, 1981) and Kovala-Larrance's model (Kovala and Larrance, 1966). They pointed out that there were some genera without a geometric model for calculating biovolume. In each model mentioned in this paper, including this study, none can give every phytoplankton species/genera a geometric model for calculating biovolume. Because of the diversity of phytoplankton morphology, it is impossible to calculate biovolume according to a set of geometric models, but all the models determine biovolume by simulation. It is important to focus on how to attain more accurate and available data when we choose appropriate models to calculate biovolume. Thus, for resolving a specific problem we can use different biovolume models. For example, Young and Ziveri use a cubic function, $V = K_s \times l^3$, to calculate cocolithophorids (Young and Ziveri, 2000). They assigned a specific shape constant, K_s , to a definite cocolithophorid species, thus they can get a more accurate value of biovolume for the species. If a phytoplankton assemblage is dominated by a microalga that has a more complex geometric shape, such as *C. furca*, it is important to produce a more complex geometric model or employ the models mentioned above to calculate this particular species.

Related ecological parameters

Biovolume and surface area calculations for phytoplankton cells are important for many related ecological parameters (Malone, 1980; Sournia, 1981; Chisholm, 1992), such as biomass, growth, photosynthesis, respiration, assimilation, sinking, grazing, etc. Most relationships between these parameters and biovolume follow the allometric theory, i.e. $R = a \times V^b$, where R is a specific

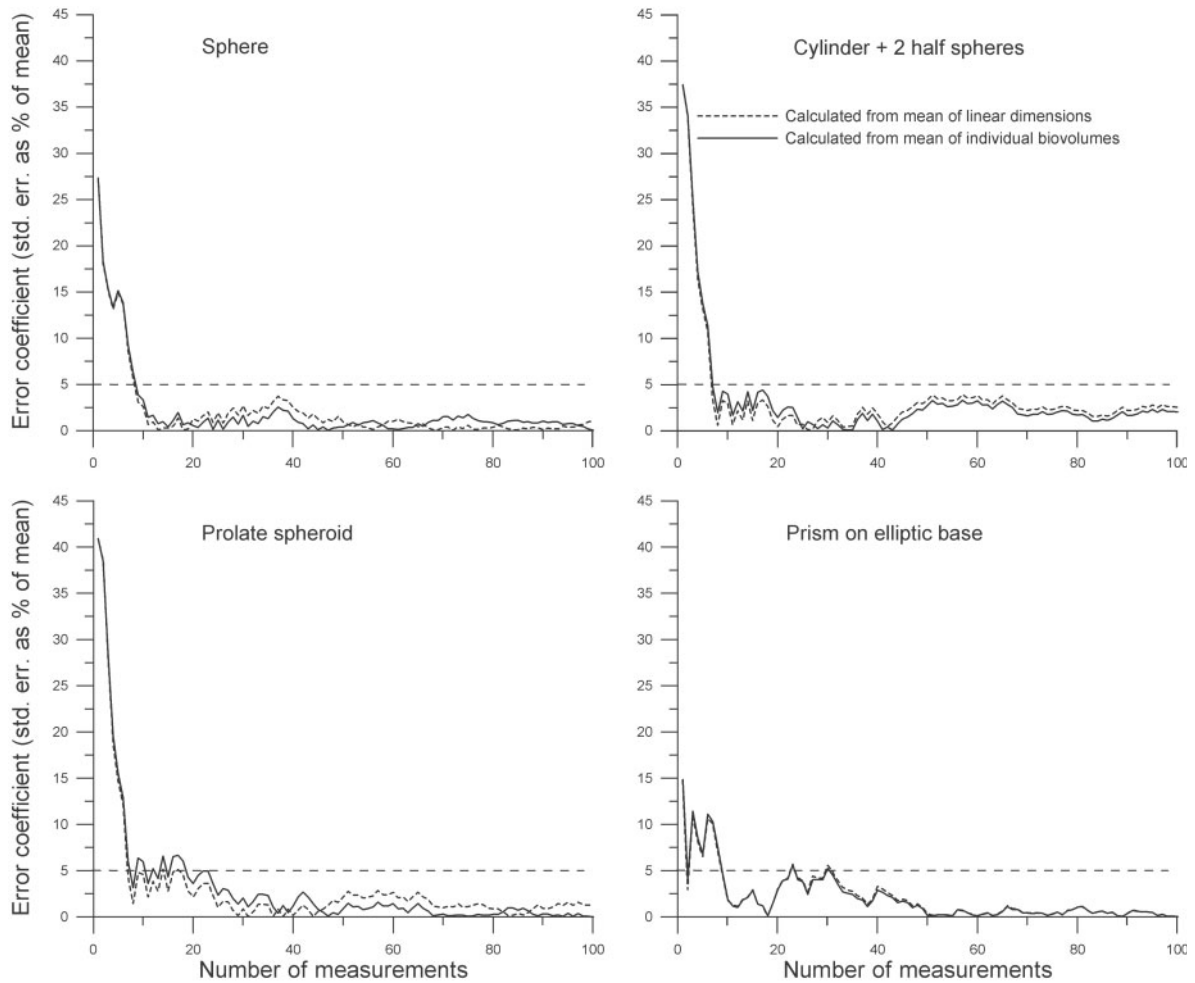


Fig. 1. Comparison of the mean biovolume of four species calculated from the mean of the linear dimension (dashed line) or the mean of individual biovolumes (solid line).

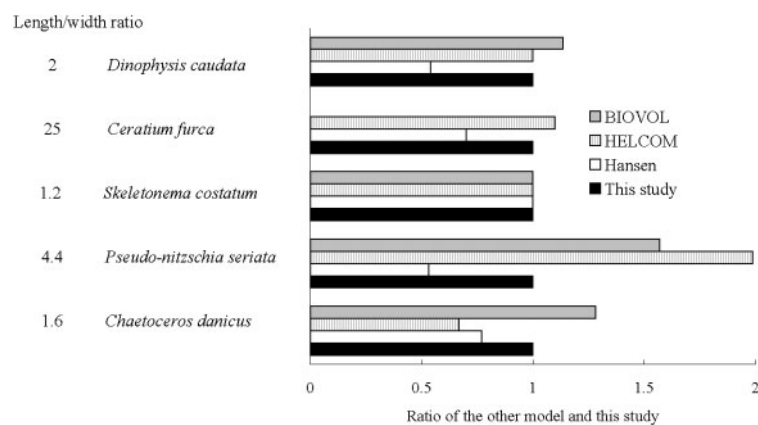


Fig. 2. Comparison of calculated biovolume by four models for five typical phytoplankton species.

rate process or biomass, V is biovolume, and a and b are constants. So the biovolume and surface area of phytoplankton cells are used for conversion of cell counts

into many related parameters. Although this procedure is complex and tedious, the conversion parameters provide the opportunity of differentiating between the con-

tribution of different taxonomic groups which cannot be calculated accurately in 'bulk measurement'.

In these biovolume-related parameters, carbon conversion is obviously important to phytoplankton studies, and is becoming a routine quantity derived from phytoplankton sample analyses. Several relationships between carbon and biovolume have been established in the literature (Mullin *et al.*, 1966; Strathmann, 1967; Eppley *et al.*, 1970; Taguchi, 1976; Rocha and Duncan, 1985; Verity *et al.*, 1992; Montagne *et al.*, 1994; Menden-Deuer and Lessard, 2000). The different phytoplankton assemblages have their own special carbon-biovolume relationship, but this measurement has not been carried out in the China Sea waters until now. Following the calculation of biovolume for 87 commonly found phytoplankton species in China Sea waters, Sun *et al.* (Sun *et al.*, 2000a) compared four carbon-biovolume relationships (Mullin *et al.*, 1966; Strathmann, 1967; Eppley *et al.*, 1970; Taguchi, 1976) for carbon estimation of net phytoplankton, and proposed using Eppley's method (Eppley *et al.*, 1970) for carbon conversion in China Sea waters.

Model applications in China

There are few biovolume studies on phytoplankton in China (Sun *et al.*, 2000a,b,c 1980). In these studies, Jiaozhou Bay was chosen as a case study area, and phytoplankton cell biovolume was calculated for each species by assigning one or several combinations of regular geometric shapes. This is not easily done as we required to consider each species' morphological information. The new model, as described above, was established at the end of 1999. According to the convenient feature of inputting data in Microsoft Excel, we compiled a VBA program for this model. This model was tested using the conversion carbon estimates from elsewhere (Sun *et al.*, 2001).

In conclusion, the geometric model for estimating phytoplankton cell biovolume is applicable in China and easier to use in routine phytoplankton analyses. It provides taxonomic information while calculating biovolume-related parameters. Its application should be extended to other regions, and should be attempted in many other related fields, such as historical data assimilations, studies on carbon flux at the species level, studies on biovolume and surface area relationship with related parameters, etc.

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