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# Imaging the Extracellular pH of Tumors by MRI after Injection of a Single Cocktail of $T_1$ and $T_2$ Contrast Agents

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# Abstract

The extracellular pH (pH<sub>e</sub>) of solid tumors is acidic, and there is evidence that acidic pH<sub>e</sub> is related to invasiveness. Herein, we describe an MRI single infusion method (SIM) to measure pH<sub>e</sub> in gliomas using a cocktail of contrast agents (CA). The cocktail contained Gd-DOTA-4AmP and Dy-DOTP, whose effects on relaxation are sensitive and insensitive to pH, respectively. The Gd-CA dominated the spin-lattice relaxivity,  $\Delta R_1$ , whereas the Dy-CA dominated the spin-spin relaxivity,  $\Delta R_{2}^{*}$ . The  $\Delta R_{2}^{*}$  effects were used to determine the pixelwise concentration of [Dy] which, in turn, were used to calculate a value for [Gd] concentration. This value was used to convert  $\Delta R_1$  values to molar relaxivity,  $\Delta r_1$  and hence, pH<sub>e</sub> maps. Development of the method involved in vivo calibration and measurements in a rat brain glioma model. The calibration phase consisted of determining a quantitative relationship between the  $\Delta R_1$  and  $\Delta R_2^*$  induced by two pHindependent CAs, Gd-DTPA and Dy-DOTP, using Echo Planar Spectroscopic Imaging (EPSI) and  $T_1$  weighted images. Intensity and linewidths of the water peaks in EPSI images were affected by CA and were used to follow pharmacokinetics. These data showed a linear relationship between inner- and outer-sphere relaxation rate constants that were used for CA concentration determination. Non-linearity in the slope of the relationship was observed and ascribed to variations in vascular permeability. In the pHe measurement phase, Gd-DOTA-4AmP was infused instead of Gd-DTPA, and relaxivities were obtained through the combination of interleaved  $T_1$ weighted images ( $R_1$ ) and EPSI for ( $\Delta R_2^*$ ). The resulting  $r_1$  values yielded pH<sub>e</sub> maps with high spatial resolution.

### Keywords

pH; susceptibility; contrast agent cocktail

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Both authors contributed equally to this work.

#### Introduction

The extracellular pH (pH<sub>e</sub>) of tumors is acidic, and there is evidence that this acidity stimulates local invasion (1,2), and plays a role in metastases (3). This low pH<sub>e</sub> is a product of elevated metabolism combined with perfusion limitations. To fully characterize the nature and anatomical extent of this aspect of the altered tumor microenvironment, there is a need for further advances in the ability to accurately map the extracellular pH<sub>e</sub> at high spatial resolution. Furthermore, noninvasive measures of pH<sub>e</sub> have been limited to pre-clinical animal models and there is a real need to develop methods that may eventually be used in humans.

Various approaches have been developed to measure  $pH_e$  maps in tumors with MRI and MRSI. Advances have involved low-resolution single voxel <sup>31</sup>P MRS to medium resolution  $pH_e$  maps using <sup>19</sup>F, <sup>1</sup>H, or <sup>13</sup>C labeled tracers (4–7). However, methods exist to render  $pH_e$  maps with a spatial resolution that is on the same scale as MRI, such as magnetization transfer methods (8–10) or pH-sensitive relaxivity agents (11). Relaxivity-based methods offer the advantage of lower RF energy deposition, which is a significant consideration in the clinical setting. However, a challenge in relaxometric methods is the determination of contrast agent (CA) concentration, which is required to convert relaxation data to  $pH_e$  maps. Methods to date have used sequential injections of pH-insensitive and pH-sensitive agents (12,13). Although these can provide high spatial resolution maps, they lack high temporal resolution and would be impractical in a clinical setting.

Numerous MRI applications require the determination of CA concentrations, such as dynamic contrast enhanced (DCE) MRI. Historically, this has been achieved with either  $T_1$ -weighted (dynamic contrast) or  $T_2^*$ -weighted (dynamic susceptibility) pulse sequences (14–16).  $T_1$  sequences yield contrast and enhancement based on inner sphere relaxation while  $T_2^*$  contrast is based on outer sphere mechanisms. Although it is slower, <sup>1</sup>H Echo Planar Spectroscopic Imaging (EPSI) can be highly linear with CA concentration and has been used to measure spectra in both water-suppressed (17–19) and non-water-suppressed mode (20,21). One of the advantages of using EPSI *in vivo* is the ability to determine  $R_2$  (or  $R_2^*$ ) and  $\Delta B_0$  simultaneously (22). In addition, one may examine the complexity of the lineshape to reveal underlying sub-voxel heterogeneities.

In the current work, we investigate the use of EPSI to measure simultaneously the pHdependent inner sphere effects and the pH-independent outer sphere effects in order to generate quantitative values of pH<sub>e</sub>. This involved infusion of a cocktail containing both DyDOTP<sup>5-</sup> and GdDOTA-4AmP<sup>5-</sup>. While the effects of the Gd-CA on  $T_1$  and  $T_2$  exhibited similar pH<sub>e</sub>-dependence, the Dy-CA induced strong outer sphere effects on  $R_2^*$  that were pHindependent with negligible effects on  $T_1$ . The entire protocol is diagrammed in Fig. 1 and involved measurement of [Dy-CA] through its effects on  $\Delta R_2^*$  and subsequently extrapolating the [Gd-CA] from the known ratio of [Dy-CA] to [Gd-CA]. This relationship assumed that Gd-CA and Dy-CA distributed to the tumors with identical pharmacokinetics. The calculated [Gd-CA] was then used to yield the spin lattice molar relaxivity ( $r_1$ ) and hence, a pH<sub>e</sub> map was generated based on an *in vitro* relaxivity titration curve. We have investigated these relationships *in vivo* in a pharmacokinetic time-series in intracranial rat gliomas, which is the first application of a CA cocktail single infusion method (SIM) for the determination of spin lattice and susceptibility induced transverse relaxation rates.

#### **Materials and Methods**

#### **Cell lines and In Vivo Tumor Model**

C6 glioma cells were stereotactically injected into female Wister rats with  $10^5$  C6 glioma cells in the right caudate nucleus to a depth of 5.5 mm (N = 8). Tumor growth was monitored with MRI to determine when the gliomas were of substantial volume of approximately 50% of the right hemisphere. Typically, the tumors were mature enough to observe enhancement from 10 to 14 days after injection.

#### **Data Acquisition**

Experiments were performed with a Bruker Biospec 4.7 T MRI scanner, with a preemphasis unit. The gradients are capable of 20 mT m<sup>-1</sup> strength, with a maximum slew rate of 110 T m<sup>-1</sup> s<sup>-1</sup>. A 73 mm ID volume coil was used for excitation, and an 18 mm diameter surface coil was used for signal reception. The surface coil was placed 1–2 mm above the rat brain, and active decoupling was used for switching between transmit and receive coils.

In vitro measurements were carried out on 96-well plates cut in half. GdDOTA-4AmP, DyDOTP, and GdDTPA were characterized at various concentrations and pH values in order to determine a titration curve between  $r_1$  and pH. Both PBS (Phosphase Buffered Saline) and FBS (Fetal Bovine Serum) were used as buffers for relaxation studies. Spinlattice relaxation measurements were performed in imaging mode to determine spatially localized  $T_1$  values in each well of the plate. An ROI was drawn for each well where the mean value was used to generate a titration curve.

For the pH sensitive contrast agent, in vitro relaxation experiments were accomplished with variable GdDOTA-4AmP concentrations and pH values. Inversion recovery or progressive saturation experiments were performed to determine a parametric  $T_1$  value. After confirming agreement between the two, only progressive saturation was done. The data were fit to a 3 parameter equation  $I(t_D) = M(1 - Ve^{-t_D/T_1})$ , were V is the inversion (saturation) parameter and  $t_D$  is the variable delay after the initial 180° inversion pulse or the repetition time in the case of progressive saturation.

In vivo  $T_1$ -weighted images were scanned with a  $T_R = 200$  ms, and a  $T_E = 6.4$  ms. Proton density images were acquired with a  $T_E = 6.4$  ms and a  $T_R = 7000$  ms.  $T_2$ -weighted images were acquired using a RARE pulse sequence with a RARE factor of 8, giving an effective  $T_E = 72$  ms. Fat suppression was not used. The EPSI experiments were performed with a single RF excitation pulse and trapezoidal echo planar readout (23), where the  $T_E = 5$  ms. The receiver bandwidth was 123–152 kHz, resulting in a spectroscopic bandwidth of 1.2 to 1.5 ppm. The data were collected with a matrix size of 128×128×128. The resulting in-plane resolution for all of the imaging and spectroscopic imaging experiments was 250 µm/pt on with a Field of View (FOV) of 3.5 cm on each side. A slice thickness of 1.25 mm was used throughout. The isotropic spectroscopic resolution was 1.8–2.3 Hz/pt.

#### **MR Experimental Structure**

Once the animal was placed in the magnet and under anesthesia, a series of pre-infusion images and spectroscopic images was acquired. These included: a scouting FLASH, RARE axial and coronal, proton density,  $T_1$ -weighted spin echo, and EPSI. As a CA cocktail consisting of Magnevist: DyDOTP<sup>5-</sup> at a 1:2 ratio was gradually infused, an interleaved series of two separate pulse sequences,  $T_1$ -weighted images and EPSI, was collected until a steady state was reached (50 – 100 minutes). The rate of i.v. infusion was 0.2 - 0.4 mmol kg<sup>-1</sup> hr<sup>-1</sup> (0.4 – 0.8 mmol kg<sup>-1</sup> hr<sup>-1</sup> for DyDOTP), although it was necessary to lower the infusion rate after 30 minutes to reach a steady state. In a subset of calibration animals,

CPMG was interleaved with  $T_1$ -weighted and EPSI scans. The parameters used for CPMG were:  $T_R = 3$  s,  $T_E = 10.5$  ms, a matrix size of  $128 \times 128$ , and 128 echoes. CPMG was not run on all animals. Instead, a correlation between  $R_2$  and  $R_2^*$  was used to estimate  $R_2$  values.

In the pH measurement experiments, the same sequence of experiments was acquired except without CPMG. The CA cocktail in that case was GdDOTA-4AmP<sup>5-</sup>:DyDOTP<sup>5-</sup>1:2. The infusion was performed as mentioned above.

#### **Data Processing and Analysis**

Reconstruction of  $T_1$ -weighted images, proton density images and EPSI spectroscopic images were performed with in-house programs written in MATLAB (The MathWorks, Inc., Natick, MA). All other images were reconstructed in ParaVision (Bruker BioSpin MRI GmbH, Ettlingen, Germany).  $T_1$ -weighted images were reconstructed by direct Inverse Fast Fourier Transform (IFFT) of the k-space data in two dimensions. Volumes (V) of tumors were obtained by measuring the area (A) of the tumor in a single slice and using V =  $4A^{3/2}/3\pi^{1/2}$ . EPSI data sets were processed by reducing the data in the spectroscopic dimension into odd echoes and even echoes. This yielded two separate 3D data sets that were independently apodized with a Hanning filter in the k-space, and a decaying exponential in the time domain; however, the even echo planar echoes were time reversed preceding apodization. Reconstruction was accomplished with a 2D IFFT and a 1D FFT to yield two spatial- and one spectroscopic dimensions. Zero order auto phasing was performed along the spectroscopic dimension. Finally, the odd-echo and even-echo experiments were added together to form a final data set.

The quantity  $v_{FWHM}$  is the full width at half maximum of the water peak and is directly proportional to  $R_2^*$ .  $v_{FWHM}$  was determined by fitting EPSI spectra with a Lorentzian lineshape on a pixel-by-pixel basis.  $R_2^*$  was calculated directly from the linewidth according to:  $R_2^* = \pi \times LW$ .  $R_2$  values were obtained by a two-parameter fit of pixel intensity in the CPMG experiment to the equation:  $I(T_E) = I_0 e^{-T_E R_2}$ , where  $I_0$  is the proton density. Smoothing of all data sets and parameter maps was accomplished using a 5 × 5 convolution kernel with a center value of 4 (the rest were ones).

#### Calculation of pHe

The spin lattice relaxation rate constant  $R_1$  was determined, as in previous work (12,13), from the proton density and  $T_1$ -weighted images so that its measurement was accomplished throughout the course of the infusion with high temporal resolution. In the current, work we have empirically determined that  $T_E$  is not much less than  $T_2$ . However  $T_2$  was incorporated into the repetition time dependent signal equation to compensate for the apparent saturation of the intensity at higher concentrations of CA:

$$I(T_{e}) = I_0 (1 - e^{-T_R R_1}) e^{-T_E R_2}$$
(1)

where *I* is the  $T_1$ -weighted intensity at any time,  $I_0$  is the intensity of the proton density image,  $T_R$  is the repetition time, and  $T_E$  is the echo time. Rearranging eqn. (1), we obtain the relaxation rate constant  $R_1$ :

$$R_1 = -\ln[1 - I/(I_0 e^{-T_E R_2})]/T_{\kappa} \quad (2)$$

The relaxation rate is a function of the [CA] and is given by:

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$$R_1 = R_{1,0} + r_1 [CA]$$
 (3)

where  $r_1$  is the spin lattice molar relaxivity in units mM<sup>-1</sup>s<sup>-1</sup>.

This rearranges to a form where we can experimentally obtain  $r_1$  given that we have  $R_1$ , and  $R_{1,0}$ , and [CA]:

$$r_1 = (R_1 - R_{1,0}) / [CA]$$
 (4)

Combining eqns (2) and (4), the in vivo contrast agent concentration is given by:

$$[CA] = -\frac{1}{T_R r_1} \ln \frac{1 - I_{\text{Post}} / (I_0 e^{-T_E R_2})}{1 - I_{\text{Post}} / (I_0 e^{-T_E R_2})} \quad (5)$$

where  $I_0$ ,  $I_{\text{Pre}}$ , and  $I_{\text{Post}}$  are the proton density, pre-infusion  $T_1$ -weighted signal, and postinfusion  $T_1$ -weighted signal, respectively. A calibration was established between the two quantities  $\Delta R_2^*$  and [Gd] for a CA cocktail of two pH insensitive agents GdDTPA/DyDOTP (1:2). It should be noted that in vivo calibration was chosen because the  $R_2^*$  effect is highly dependent on the presence of mesoscopic field inhomogeneities in the tissue of interest (24,25). The  $R_2^*$  is determined independently of  $R_1$  by measuring the linewidth of the water peak in an EPSI experiment. The calibration that was obtained is applicable to the current study assuming GdDOTA-4AmP and DyDOTP both perfuse and extravasate equivalently, which is based upon the fact these two molecules are of similar size and have identical charges at physiological pH values. This assumption then yields a linear relationship between [GdDOTA-4AmP] and  $\Delta R_2^*$ .

The relaxometric  $pH_e$  imaging method requires knowledge of  $R_1$  to yield  $pH_e$ . Data from in vitro phantoms (FBS) were fit using a Hill-modified Henderson-Hasselbach equation for multiple titratable groups. In Fig. 2a, a non-linear least squares fitting routine was used to fit the following relation for  $pH_e$ :

$$pH = pK_a - \log_{10}((r_1 - r_{1,\text{base}}) / (r_{1,\text{acid}} - r_1))^n \quad (6)$$

Overall, the  $T_1$ -weighted experiment yields the relaxation rate through eqn. 2, while EPSI yields [GdDOTA-4AmP] from the water linewidths. Based on the apparent linear relationship between tumor volume and the slope of the relationship between concentration and  $\Delta R_2^*$  (p = 2.2×10<sup>-4</sup>), a slope was determined (with zero offset) in order to calculate the concentration. The resulting values have been combined to yield the spin lattice molar relaxivity. Based on eqn. 4 and knowledge of the relaxivity, pH<sub>e</sub> was determined through eqn. 6 as outlined in Fig. 1.

#### Calculation of Error

The overall error in pH values was determined by propagating the error of individual measurements according to the error propagation equation (26). In images, the standard deviation of an ROI outside of the image was used, whereas the standard deviation of a homogeneous part of a parameter map was used to estimate the error for that image. The calculation of error in  $r_1$  in each point in the time-series was accomplished by including all error contributions in quadrature according to the variances in the independent variables in a numerical fashion, rather than using individual analytical error propagation formulae. As the mean value of  $r_1$ , averaged over various time points in the series, was used to calculate pH, a

mean-weighted error was used to calculate the error in  $r_1$ . However, for the final error in pH due to the various parameters in eqn. 6, an analytical error formula was used as the computational method did not yield accurate values. The nonlinear least squares fit yielded the best fit parameters and their corresponding errors: pKa,  $\sigma_{pKa}$ , n,  $\sigma_n$ ,  $r_{1,acid}$ ,  $\sigma_{r1,acid}$ ,  $r_{1,base}$ , and  $\sigma_{r1,base}$ . The overall error is expression is:

$$\sigma_{\rm pH} = \sigma_{\rm pKa} + \sigma_{\rm n}^{2} [\log_{10}((r_{\rm 1} - r_{\rm 1,base})/(r_{\rm 1,acid} - r_{\rm 1}))]^{2} + \sigma_{r_{\rm 1,acid}}^{2} (n/((r_{\rm 1,acid} - r_{\rm 1})\ln 10))^{2} + \sigma_{r_{\rm 1,base}}^{2} (n/((r_{\rm 1,base} - r_{\rm 1})\ln 10))^{2} + \sigma_{r_{\rm 1}}^{2} (n/((r_{\rm 1} - r_{\rm 1,base})\ln 10)) - (1/((r_{\rm 1,acid} - r_{\rm 1})\ln 10))^{2}$$
(7)

The error surface in Fig. 2b, was constructed using best fit parameters while varying  $r_1$  and  $\sigma_{r1}$ . In all computations, covariances were not included in the error calculations. The overall scheme is depicted in Fig. 2c.

#### Results

#### In vitro calibrations

In vitro relaxivities ( $r_1$  and  $r_2$ ) for CAs in this study are summarized in Table 1. Gd showed greater  $r_1$  and  $r_2$  relaxivities than Dy. GdDOTP is shown for reference.

Spin-lattice relaxation data for Gd-DOTA-4AmP as a function of pH were fit to equation (6) and yielded the parameters:  $r_{1,acid} = 5.39 \pm 0.27$ ,  $r_{1,base} = 3.68 \pm 0.10$ , pK<sub>a</sub> = 6.56 ± 0.15, and n = 0.88 ± 0.28, where the square of the correlation coefficient (r<sup>2</sup>) was 0.99. The fit is shown in Fig. 2a. Fig. 2b shows the surface of the total pH error generated by the Hill-modified Henderson-Hasselbach equation as a function of  $r_1$  and  $\sigma_{r1}$ , where the individual errors of all of the fitting parameters were included:  $\sigma_{r1}$ ,  $\sigma_n$ ,  $\sigma_{pKa}$ ,  $\sigma_{r1,acid}$ ,  $\sigma_{r1,base}$ . The total pH error was sensitive to  $r_1$  and  $\sigma_{r1}$ , in that the error is smallest in the part of the titration curve that is steepest, but also depended the value of  $\sigma_{r1}$ . Notably, the  $\sigma_{pH}$  is smallest in the region where tumor pixels are expected to be, which corresponds to pH 6 – 7.

#### In vivo studies

In vivo calibration studies were necessary because the effect of CA on  $R_2^*$  cannot readily be recapitulated *in vitro*. Calibration experiments were performed with the CA cocktail GdDTPA/DyDOTP (1:2). In Fig. 3, the  $T_1$ -weighted images showed an increase in intensity due to infusion of the CA cocktail into the glioma. Concomitant increases in transverse relaxation ( $R_2$ ,  $R_2^*$ , and  $\Delta R_2^*$ ) were also observed in Fig. 3 as a result of CA cocktail infusion.

Fig. 4 shows a spectrum from a single EPSI redundant voxel prior to and after infusion of the CA cocktail. The CA caused an increase in the linewidth of the peak. These data could be fit with a Lorentzian lineshape model to yield  $v_{FWHM}$ . The change in  $v_{FWHM}$  was directly proportional to  $\Delta R_2^*$ . Thus, fits of these data in each voxel were used to generate parametric maps of  $R_2^*$  and  $\Delta R_2^*$  (Fig. 3).

The analysis of the data was performed where CA breached the blood-brain barrier (within the glioma), in a contralateral ROI (control) and in the jaw muscle (ROIs depicted Fig. 5a). The glioma showed the largest relative enhancement, the jaw showed an intermediate enhancement, and the contralateral side showed almost no enhancement (Fig. 5b). This trend

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is mirrored in the response of the other parameter maps:  $R_2$ ,  $R_2^*$ , [GdDTPA], [DyDOTP], and  $\Delta R_2^*$ . The enhancement was largely contained within the glioma. The effect of  $T_2$  on the intensity of  $T_1$ -weighted images was significant. If the  $T_2$  was not used to correct the signal equation, there was an apparent saturation of the intensity as the apparent [CA] reached ca. 0.2 mM.

Figures 6 and 7 show data from the same ROIs depicted in Fig.5. Fig. 6 shows the response of different parameter maps compared to relative enhancement from  $T_1$ -weighted images:  $R_2, R_2^*, \Delta R_2^*$ , and [GdDTPA and DyDOTP]. These plots establish the linearity of these parameters with relative enhancement. Of particular significance is the cross correlations of  $R_2$ -derived parameters (Fig. 6a) and  $R_2^*$ -derived parameters (Fig. 6b and 6c) with relative enhancement ( $T_1$ -weighted spin echo) within the glioma. The linearity of the contrast agent concentration and the change in the transverse relaxation rate constant,  $\Delta R_2^*$ , is fundamental to this method. Given that  $R_1$  and [CA] have been calculated from the same data set, a linear dependence was expected and was observed. In some experiments,  $R_2$  was extracted from CPMG and showed a linear dependence with [CA] in pixels within the glioma. Linearity was also observed for the dependence of  $R_2$ , with  $R_2^*$  in Fig. 6e and was of particular importance as this relationship was used to estimate  $R_2$  values in experiments where CPMG experiments were not conducted. Further correlations were observed between [GdDTPA and DyDOTP] with  $\Delta R_2^*$  in Fig. 6f. The most significant of these was between [GdDTPA, DyDOTP cocktail] and  $\Delta R_2^*$  since this relationship allowed [CA] to be calculated from EPSI spectroscopic imaging experiments.

The Gd concentration remained relatively low throughout the course of the experiment (< 0.1 mM) (Fig. 6). It was consistently observed that for the first few points in the infusion, changes in  $\Delta R_2^*$  were observed prior to any change in  $R_1$ . We interpret this apparent discrepancy to be due to the intravascular localization of the CA in the early time points. If the CA were primarily intravascular, then the inner sphere ( $T_1$ ) effects will be confined to the vascular water and that water that can exchange during the MR lifetime. In contrast, the outer sphere effects are not spatially limited to direct contact and thus influences a much larger number of spin systems through direct susceptibility effects and spin diffusion. As the CA begins to extravasate, the influenced volumes become similar and the relationship is linear.

The images and parameter maps that have been used to determine the relaxivity are summarized in Fig. 7a – f:  $T_1$ -weighted, proton density,  $R_2$ ,  $R_1$ ,  $\Delta R_2^*$ , and [CA] determined from EPSI. That the two observables can be combined to yield an experimental  $r_1$ , with the use of eqn. 4, is demonstrated in Fig. 7g & h, where the numerator was determined from  $R_1$  (pre-and post contrast) and the denominator was calculated from the  $\Delta R_2^*$ .

The variability in the fitting parameters for the relationship between [GdDTPA] and  $\Delta R_2^*$  was analyzed for the calibration cohort (Table 2). The correlation coefficient between tumor volume and slope was 0.91 with a p-value of 0.0002, indicating that there was a statistically significant relationship between tumor burden and slope.

The pH measurement was acquired with the single infusion method. In this case, all of the data were acquired in the presence of GdDOTA-4AmP instead of GdDTPA. The combination of  $T_1$ -weighted- (Fig. 8a) and proton density images (Fig. 8b), was used to determine  $R_1$  (Fig. 8c), where the range of CA concentrations, in which the relaxivity was constant in the [CA] range 0.02 to 0.1 mM. Hence, the  $R_1$  map was calculated using only data when the concentration was in this range. This also corresponds to the linear regime for

the response of the relaxation rate  $R_1$ . Fig. 8d is the  $\Delta R_2^*$  map that was used to obtain the concentration map in Fig. 8e. The maps in Figs. 8c and 8e were used to calculate the relaxivity in Fig. 8f. The values of relaxivity within the ROIs depicted in Fig. 8a were used to generate a histogram in Fig. 8g. These relaxivity values are shown to be within a reasonable range from the pH titration. The values of GdDOTA-4AmP relaxivities are in agreement with phantom measurements of relaxivity (Fig. 2a). Equation (6) is sensitive to pixel drop-out as values outside the limiting relaxivities yielded complex values. The ROI fractions of pixels were calculated, as described in Materials and Methods, and are summarized in Table 3.

From Fig. 8, a pH map was obtained (Fig. 9). The histograms of values within three different gliomas are shown in Fig. 9A, C, and E and are distributed about a mean pH of 6.6. Figs. 9B, D, and F are histograms of uncertainties in the pH values determined by propagation of error from  $r_1$  values on a pixel-by-pixel basis, where  $r_1$  from different time points was used to calculate the uncertainty, which was typically 0.5 or less. Table 3 shows that the mean pH<sub>e</sub> values within the glioma are acidic relative to healthy tissue, and have relatively consistent mean values.

## Discussion

#### In vivo calibration

From the array of images and parameter maps in Fig. 3, it is clear that the blood-brain barrier has been breached allowing CA to extravasate into the extracellular space of the tumor. The most obvious example of this is the  $T_1$ -weighted enhancement. This has been corroborated by  $R_2$  and  $R_2^*$  parameter maps. It is also clear from the images that not much CA entered the brain outside of the glioma, yet enhancement was noticeable in the jaw muscle.

EPSI was chosen for this study because the spatio-temporal resolution is very high for a slow infusion. In addition, EPSI was selected over a multiple gradient echo relaxation experiment because it has better time resolution along the FID due to rapid switching of the gradients in the echo planar readout. It also allowed for the interrogation of the complexity of the water lineshape. The transverse relaxation rate constant  $R_2^*$  is affected by both mesoscopic and macroscopic magnetic field heterogeneity (24,25), as in regions of variable magnetic susceptibility. These two factors affect the relaxation and hence the linewidths. The  $R_2^*$  maps from EPSI demonstrate an increase in linewidth over the time-series (Fig. 3). Upon closer inspection of spectra from individual pixels, it is clear that the CA had a dramatic effect on the width of the line (Fig. 4). It is this direct relationship between [CA] and  $R_2^*$ , that is the essence of the SIM.

The infusion of the CA cocktail was slow and constant. The response of relative enhancement,  $R_1$ , and  $R_2^*$  was linear over the course of the experiment within the glioma (Fig. 5) where [CA] increased at a rate proportional to the total amount infused. The contralateral side showed negligible build-up, while the muscle showed some enhancement. Notably, the  $\Delta R_2^*$  for both the glioma and muscle were on a similar scale over time whereas the muscle showed less relative enhancement compared to the glioma. This was probably due to differences in the extracellular volume fractions and relative vascular permeabilities of the two tissues (27,28). The change in mesoscopic heterogeneity was also mirrored by the bulk magnetic susceptibility changes caused by the CA. However, those changes were dominated by the static contributions, especially the air in the nasal passages, which masked any changes in the glioma. In the calibration phase of the experiment, correlation of the imaging parameters with relative enhancement showed a correspondence with inner sphere relaxation, which is a function of concentration.  $R_2$  and  $R_2^*$  correlations in Fig. 6 show that CPMG and EPSI may be used to determine concentration of a pH-insensitive CA. However, previous *in vitro* experiments with CPMG showed that  $R_2$  tracked closely to  $R_1$  when using GdDOTA-4AmP. Since  $R_2^*$  operates on an outer-sphere mechanism, it is independent of  $R_1$  in the presence of GdDOTA-4AmP and may be used to determine concentration based on the linear response to [CA] in the glioma as observed in Fig. 6, and in particular, Fig. 6f. It is clear that in a rat glioma,  $\Delta R_2^*$  yielded useful concentrations based on its relationship to [Gd].

The effects of transcytolemmel exchange on the intensities and spin lattice relaxation rates have been extensively studied (29,30). The effect of multiple compartments may have profound implications upon CA injection thereby affecting the relaxometric properties of water exchanging between compartments. However, it is important to note that this series of experiments was performed at CA concentrations low enough to remain within the fast exchange limit (29). Thus, the relaxation rates were not significantly affected by transcytolemmel water exchange.

#### **R**<sub>1</sub>-*R*<sup>\*</sup><sub>2</sub>-Permeability Surface

Tumor burden had a linear dependence on the slope of the relationship between  $R_1$  and  $\Delta R_2^*$  (Table 2). This dependence was statistically significant with a p-value of  $2.2 \times 10^{-4}$  (correlation value of 0.91). Experiments were conducted several days after the blood-brain barrier had been breached leading to visual enhancement of the glioma upon infusion of CA. The fact that the tumor burden played a role is probably due to the observation that glioma vascular permeability increases with size (27). In the present study, permeability was not explicitly measured, but is considered to be the likely explanation. We can construct a view where the slope of the line is increasing as the tumor grows due to increased permeability, and hence decreased  $R_2^*$  effect, leading to a useful relationship that is sensitive to  $\Delta R_2^*$  vs. [CA] slope.

#### pH measurement

The  $r_1$  measurement of Fig. 8 demonstrated that this approach yielded consistent results when using GdDOTA-4AmP, where the range of relaxivities was within the pH titration range (Fig. 2). The relaxivities fell in the range where the pH may be obtained according to equation 6.

The pH maps in Fig. 9 reported a mean pH of 6.7 in this tumor, with a range of values from 6.0 to 7.2. The uncertainty in the pH values is typically below the range of pH values in the glioma. The majority of the pixels within the glioma were acidic relative to normal tissue pH. Other tumors have showed a similar mean and distribution of pH values. The standard error of measurement indicated the uncertainty in the mean value. Propagation of error from  $r_1$  to pH measurement showed that the error was typically smaller than the standard deviation of pH values. This tightness in the error distribution is required for meaningful pH values.

The pH could not be reliably measured for some pixels within the central core of the tumor. This was probably due to necrosis where the lack of intact cells largely affected the  $R_2^*$  such that it was well below that observed in tissue. Decreased perfusion of CA to the necrotic core may also be responsible. This is an unfortunate drawback of this approach but, nonetheless, this can be addressed by obtaining an MRI diffusion map prior to infusion of CA that can assess cellularity, or a DCE-MRI map to assess contrast agent perfusion. In any

case, the accurate determination of pH in a necrotic core is not of much interest, since pH plays a role in tumor progression by acidifying the surrounding tissue as it grows. Hence, we are primarily interested in measuring the pH in the viable parts of the tumor. Additionally pixel dropout in the calculation of pH may have been adversely affected where  $\sigma_{pH}$  is large, which are expected to be closer to either of the plateau regions of the titration curve.

Overall the mean pH values from all of these tumors is 6.5. Most of these tumors fell into a relatively tight range of volumes when compared to the set used for the calibration. Likewise the slopes showed a relatively small range in the pH group. Because of these small ranges, these results could not be used to assess a relationships between tumor burden, permeability, and the mean pH value. The approach of using volume as a criterion to localize tumors in the [CA]- $\Delta R_2^*$ -burden space is justified. It yielded consistent mean pH values across the cohort. The 3-D relationship was useful, yet a greater understanding of the role that vascular permeability plays may be obtained with additional work.

The pH maps shown by this work are consistent with the general view that the tumor microenvironment is acidic, which may confer a competitive advantage to cancer cells. The further study of various tumors or pH sensitive CA with this method may provide additional details in cancer invasion and proliferation.

#### Conclusions

A single infusion protocol consisting of slow infusion of a CA cocktail has yielded highresolution pH<sub>e</sub> maps of tumors. The current method is based on a calibration between [Gd] derived from  $T_1$ -weighted SE and  $\Delta R_2^*$ . The linear correlation is also a function of permeability. The primary advantage of this protocol over previous studies (4–6,9,10,12) is the rapidity of generating the pH<sub>e</sub> measurement, after the calibration curve has been obtained. The time-resolution of these experiments is the fastest thus far for a matrix size of 128 × 128. The time required for pre-infusion and infusion give rise to a total time of approximately 1 hour. The measured relaxivity in this method is a hybrid determination from two separate measurements, whereby  $R_1$  values are determined from  $T_1$ -weighted intensities and [Gd] is determined from EPSI linewidths ( $\Delta R2^*$ ). The linearity in these two separate observable quantities during the infusion indicates that the value of  $r_1$  is applicable to the determination of pH<sub>e</sub>, which is the crux of this approach. This high-resolution pH<sub>e</sub> map was achieved with a relatively modest concentration of GdDOTA-4AmP, which is ca. 0.10 - 0.20 mM at 16 minutes after infusion. This method is capable of yielding pH<sub>e</sub> maps within practical times in a clinical setting.

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#### Fig. 1.

A schematic overview of the Single Infusion Protocol. In vitro calibrations (upper panel) are used to define a relationship between the molar relaxivity of GdDOTA-4AmP and pH. In vivo calibrations (lower panel) involve co-injection of pH-independent Gd- DTPA and Dy-DOTP. These data are used to define an in-vivo relationship between [Gd] and the EPSI-measured linewidth. In the in vivo pH<sub>e</sub> experiment (middle panel), the linewidth induced by the co-injected [Dy] is used to calculate the per-pixel [Gd-DOTA-4AmP], which is then combined with  $T_1$  values to calculate a molar relaxivity and hence, pH.

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#### Fig. 2.

(a) in vitro relaxivity titration of GdDOTA-4AmP fit to a Hill-modified Henderson-Hasselbach equation, (b) the corresponding total pH error as a function of  $r_1$  and  $\sigma_{r1}$ , and (c) the error propagation analysis scheme, giving rise to (b). It is based on eqn. 4, where the rounded rectangles represent the numerator and rectangles represent the denominator, and eqn. 6, where the five rounded shapes in the third row represent the five-fit parameters.

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#### Fig. 3.

Time-series of images and parameter-maps following the GdDTPA/DyDOTP infusion. The time from left to right are: 0, 13, 23, 33, 43, 53, 63, 73, 83, and 93 minutes.

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#### Fig. 4.

Representative Lorentzian curve-fits to a pixel of EPSI data before (a) and at a late stage (b) in the CA infusion. A concomitant drop in the intensity is seen in the peak.

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(a) Depiction of three different ROIs in the head: the glioma (red filled circles), contralateral side (green squares), and jaw muscle (blue diamonds). (b)  $R_1$  vs. time, (c)  $R_2$  vs. time, (d)  $R_2^*$  vs. time, (e) [GdDTPA or DyDOTP] vs. time, and (f)  $\Delta R_2^*$  vs. time.

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#### Fig. 6.

Various parameters for the three different ROIs in Fig. 5 denoted as: the glioma (red filled circles), contralateral side (green squares), and jaw muscle (blue diamonds). Parameters in (a) – (d) are versus relative enhancement: (a)  $R_2$ , (b)  $R_2^*$ , (c)  $\Delta R_2^*$ , (d) [GdDTPA/DyDOTP] (1:2), (e)  $R_2$  and  $R_2^*$  (CPMG, EPSI), and (f) [GdDTPA or DyDOTP] vs.  $\Delta R_2^*$  ( $T_1$ -Weighted - EPSI).

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Calibration data overview: (a)  $T_1$ -Weighted, (b) proton density, (c)  $R_2$  Map, (d)  $R_1$  Map (e)  $\Delta R_2^*$  Map, (f) [GdDTPA] from  $\Delta R_2^*$  (g)  $r_1$  Map from (d) & (f), and (h) in vivo  $r_1$  histogram.

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pH data overview: (a)  $T_1$ -Weighted (b) proton density (c)  $R_1$  Map (d)  $\Delta R_2^*$  Map (e) [GdDOTA-4AmP] from  $\Delta R_2^*$  (f) r1 Map from (c) & (e), (g)  $r_1$  histogram.

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#### Fig. 9.

(a) pH maps calculated from Fig. 2 (a) and Fig. 8 (f). (b) and (c) are pH maps from two other subjects. (A), (C), and (E) are histograms of pH values, while (B), (D), and (F) are pH uncertainty histograms calculated by propagation of error from  $r_1$  averaged over several time-points. Pixels that had unreasonable  $r_1$  values yielded pH values that were complex and considered to be unreasonable and thus were set to 0. The percentage of pixels within the glioma that yielded reasonable pH values for these tumors were: 65%, 63%, and 67% respectively.

#### Table 1

Relevant lanthanide CA relaxivities ( $r_1$  and  $r_2$ ) in this study performed at 7 T and 37 °C.

Contrast Agent	$r_{I} ({ m mM^{-1}  s^{-1}})$	$r_2 ({ m mM^{-1}  s^{-1}})$
GdDTPA	2.95	-
GdDOTP	3.17	4.75
DyDOTP	0.16	0.19

# Table 2

Summary of relevant parameters for the calibration tumors investigated in this study. The enhancement is denoted by strong (S) or medium (M).

Tumor	Matrix Size	Enh.	Volume / mm <sup>3</sup>	Slope	Intercept	$\begin{array}{l} \operatorname{Mean} r_1 \pm \operatorname{STD} \\ (\mathrm{m}\mathrm{M}^{-1}  \mathrm{s}^{-1}) \end{array}$
1	128 ×128	S	50.4	0.0059	-0.0145	$1.96 \pm 4.93$
2	128 ×128	S	124	0.0264	-0.0654	$3.04 \pm 0.11$
3	256 ×256	S	73.5	0.0037	0.0111	$3.02 \pm 0.080$
4	256 ×256	М	100	0.0104	0.0018	$3.04 \pm 18.9$
5	256 ×256	М	187	0.0255	0.0127	$12.3 \pm 68.3$
9	256 ×256	М	65.1	0.0066	0.1409	$3.22 \pm 1.49$
7	128 ×128	S	209	0.0386	-0.0626	$3.06 \pm 0.12$
8	128 ×128	М	70.8	0.0105	-0.0329	$3.06 \pm 0.12$
6	128 ×128	S	68.3	0.0099	0.0037	$0.098 \pm 20.1$
10	128 ×128	Μ	41.0	0.0077	0.0039	$3.4 \pm 1.67$
Mean				0.0101	0.0027	

The correlation coefficient between tumor volume and slope is 0.91 with a p-value of  $2.2 \times 10^{-4}$ .

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Summary of relevant parameters including pH values when infusing Gdl	

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		Enh.	ROI Fraction	Volume / mm <sup>3</sup>	Slope	Inter- cept	Mean pH ± STD (mM <sup>-1</sup> s <sup>-1</sup> )
11	128×128	М	0.47	18.8	0.0030	0	$6.65 \pm 0.66$
12	128 ×128	Μ	0.099	45.3	0.0072	0	$6.32 \pm 0.42$
13	128 ×128	Μ	0.083	71.5	0.0114	0	$6.28 \pm 0.54$
14	128 ×128	М	0.18	17.9	0.0028	0	$6.38 \pm 0.57$
15	128 ×128	M	0.18	12.2	0.0019	0	$6.41 \pm 0.66$
16	128 ×128	Μ	0.51	27.3	0.0043	0	$6.58 \pm 0.66$
17	128 ×128	Μ	0.8022	26.5	0.0042	0	$6.61\pm0.55$
18	128×128	S	0.8000	22.9	0.0037	0	$6.66 \pm 0.57$