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> = SPECTROSCOPY OF ATOMS AND MOLECULES

# Interpretation of Vibrational IR Spectrum of Uracil Using Anharmonic Calculation of Frequencies and Intensities in Second-Order Perturbation Theory

G. N. Ten<sup>a</sup>, V. V. Nechaev<sup>a</sup>, and S. V. Krasnoshchekov<sup>b</sup>

<sup>a</sup> Saratov State University, Saratov, 410026 Russia <sup>b</sup> Chemical Faculty, Moscow State University, Moscow, 119899 Russia e-mail: TenGN@info.sgu.ru Received May 28, 2009

**Abstract**—The anharmonic frequencies of fundamental vibrations, overtones, and combination vibrations, as well as the intensities of absorption bands in the IR spectrum of uracil, are calculated. The anharmonic quartic force field and the third-order dipole moment surface calculated by the DFT quantum-mechanical method (B3LYP/6-31+G(d,p)) are taken as the initial parameters. The anharmonic frequencies and intensities of vibrations are determined using the second-order perturbation theory in the form of contact transformations. Multiple Fermi resonances and polyads are determined by the diagonalization of a small interaction matrix of vibrations of different types (fundamental, combination, and overtone frequencies). The total experimental IR spectrum of matrix-isolated uracil is interpreted. It is shown that the used method of calculating anharmonic frequencies and intensities can form a basis for anharmonic calculations of vibrations of moderate molecules.

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#### **INTRODUCTION**

Vibrational spectra of uracil (Ura), the simplest nucleic acid base, have been studied in a large number of theoretical and experimental works. The IR and Raman spectra of gaseous [1], dissolved [2, 3], polycrystalline [4-6], and matrix-isolated [7-15] Ura were measured. In [16-20], the vibrational spectra of Ura were analyzed by semiempirical and ab initio quantum-chemical methods. This analysis showed that calculations using the methods used in these works do not reproduce the band intensities of C=O stretching vibrations and cannot interpret all the experimental absorption bands in the vibrational spectrum of Ura. For example, the authors of [8] attributed the vibrations with the frequencies 1389 and 1525  $cm^{-1}$ to fundamental tones of Ura [8]. However, according to the calculations of [10, 12], these vibrations are not the fundamental vibrations of this molecule. At present, there is no common opinion on the interpretation of the vibrational spectrum of isolated Ura [7– 15]. The main reason for the disagreement between the experimental data and theoretical models used is that the spectrum of Ura contains overtones and combination frequencies whose intensities are comparable with the intensities of fundamental vibrations. This is the consequence of the occurrence of Darling-Dennison and Fermi resonances, which leads to the redistribution of intensities between fundamental, combination, and overtone vibrations.

Previously, the authors of [10] attempted to explain the influence of the Fermi resonance on the intensity redistribution of v(C=O) stretching vibrations using a simplified model. They showed that the intensity of one of the three absorption bands of Ura in the range  $1700-1800 \text{ cm}^{-1}$ , namely, of the band at  $1730 \text{ cm}^{-1}$ , considerably increases due to the Fermi resonance between the v(C=O) stretching vibration and a combination vibration whose shape is determined by changes in the exterior angles formed by the NH and OH bonds. The authors of [14] believe that there are at least nine absorption bands in this range that are caused by Fermi resonances. This fact is confirmed by comparison of the spectra of Ura recorded in different matrices (Kr, Ar, Ne) and analysis of shifts of absorption bands [13].

Clearly, to adequately interpret the experimentally observed frequencies and intensities of the vibrational spectrum of Ura, it is necessary to calculate this spectrum in the anharmonic approximation. It is also should be noted that previous calculations in the approximation of the B3LYP hybrid density functional were performed in [20, 21] without determining the intensities of overtones and combination frequencies.

## METHOD OF CALCULATION

The geometric structure of Ura and all its molecular parameters were calculated in the B3LYP approximation with the 6-31+G(d,p) basis set [22]. The quar-



Fig. 1. Molecular diagram of Ura with the enumeration of atoms.

tic force field and cubic surface of the dipole moment were obtained by numerical differentiation of the total energy and electronic matrix elements for the components of the dipole moment with respect to normal coordinates using the following finite-difference formulas [23, 24]:

$$\begin{split} f_{ijr} &= [f_{ij}(+\Delta Q_r) - f_{ij}(-\Delta Q_r)]/2\Delta Q_r, \\ f_{ijrr} &= [f_{ij}(+\Delta Q_r) + f_{ij}(-\Delta Q_r) - 2f_{ij}(0)]/(\Delta Q_r)^2, \end{split}$$

where  $\Delta Q_r$  is the increment of the *r*th normal coordinate, and  $f_{ij}(\pm \Delta Q_r)$  and  $f_{ij}(0)$  are the quantities in the displaced and equilibrium molecular configurations to be differentiated.

A method for taking into account multiple resonances based on the second-order perturbation theory with an additional numerical diagonalization of the interaction matrix of resonant vibrational states of different types (fundamental tones, overtones, and combination tones) for moderate molecules was previously considered in [25]. In this work, this method is supplemented by the anharmonic calculation of the absorption band intensities, and the vibrational IR spectrum of isolated Ura in the range  $\sim 400-3500 \text{ cm}^{-1}$  is interpreted.

The anharmonic intensities are calculated based on the approach described in [26]. The theoretical analysis performed makes it possible to clarify the possibility of applying the used scheme of taking into account resonances to the calculations of anharmonic vibrational spectra of polyatomic molecules.

### **RESULTS AND DISCUSSION**

The table presents the harmonic frequencies and intensities ( $v_h$ ,  $I_{IR,h}$ ) of the IR spectrum of Ura, as well as the anharmonic frequencies and intensities calculated without ( $v_a$ ,  $I_{IR,a}$ ) and with ( $v_F$ ,  $I_{IR,F}$ ) taking into account the Fermi resonance. In addition, the table indicates exactly which unperturbed fundamental tones, overtones, and combination tones and with which coefficients take part in resultant mixed tones (polyads). The schematic diagram of the Ura molecule with the enumeration of the ring atoms is presented in Fig. 1.

The calculation shows that seven of the nine outof-plane vibrations of Ura do not interact with other vibrations, and that the Fermi resonance is observed only for two vibrations,  $\nu_{26}$  and  $\nu_{25},$  which correspond to the displacement of the N<sub>3</sub>H and C<sub>2</sub>O bonds out of the plane of the pyrimidine ring. In both cases, the fundamental tones resonantly interact with the combination vibrations  $v_{18} + v_{30}$  and  $v_{19} + v_{30}$ , and the mutual influence of the vibrations  $v_{26}$  and  $(v_{18} + v_{30})$ can be neglected (the coefficient of interaction is 0.1). Although the shift of resonant frequencies is no more than  $1-2 \text{ cm}^{-1}$ , the intensity redistribution is ~10-30%. This is related to the fact that the differences between the anharmonic frequencies of the stretching vibrations  $v_{26}$  and  $v_{25}$  and the combination vibrations  $v_{18} + v_{30}$  and  $v_{19} + v_{30}$  are small and equal to 25 and 8 cm<sup>-1</sup>, respectively. Therefore, as a result of resonance, the intensity of the combination vibrations increases, and the two vibrations  $v_{18} + v_{30}$  and  $v_{19} + v_{30}$ are observed in the experimental spectrum as vibrations with the frequencies 682 and 685  $cm^{-1}$  (Fig. 2).

In the low-frequency range  $\sim 300-600 \text{ cm}^{-1}$ , there are three Fermi resonances for out-of-plane vibrations, one of which occurs between the fundamental tone  $v_{21}$  and the overtones of the out-of-plane vibrations  $2v_{30}$  and  $2v_{29}$ , and the remaining two resonances are observed between the fundamental tones  $v_{19}$ ,  $v_{18}$ and the combination vibration  $v_{28} + v_{29}$ . As a result of the resonance interaction, the frequency of the vibration  $v_{21}$  is shifted toward higher frequencies by 3 cm<sup>-1</sup>, and the intensity redistribution between the components of the triplet is no more than 5%; therefore, as a result of the resonance interaction, the intensity of the absorption band of the  $v_{21}$  vibration differs little compared to the intensity of the harmonic vibration. In the experimental vibrational spectrum of the isolated Ura molecule, two closely located absorption bands with the frequencies 393 and 401 cm<sup>-1</sup> correspond to the vibrations  $v_{21}$  and  $v_{28}$  (Fig. 2). The intensity of the combination vibration  $v_{28} + v_{29}$  increases due to the resonance interaction; as a result, this vibration is experimentally observed as a weak absorption band at  $557 \text{ cm}^{-1}$ .

In contrast, the intensities of the vibrations  $v_{17}$  and  $v_{16}$  decrease due to the resonance intensity redistribution between the components of resonant vibrations. As a result, the vibration  $v_{17}$  becomes so weak that it can hardly be observed in the experimental IR spectrum.

The Fermi resonance between the fundamental vibration  $v_{15}$  and combination vibration  $v_{27} + v_{28}$  is characterized by a close arrangement of the levels; thus, the anharmonic frequencies of the resonant

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	$I_{\mathrm{IR,F}}$	0.9	0.3	20.5	25.8	20.4	4.9	6.5	0.2	43.7	82.1	3.6	0.0	6.2	48.2	2.6	55.6	7.8	0.5	1.0	11.4	I.I	3.9	17 2	2.8	98.9	6.6	2.0	8.9	20.1	1.9	8.6	70	0.0 29.4	9 09
	$I_{\mathrm{IR,a}}$								0.8			0.1	0.3							5.5	5.5				0.6		0.8		1.1		0.2			1.5	
Calculation	Interaction coefficients in polyads	[ <sup>06</sup> A]	[V <sub>20</sub> ]	$0.98[v_{21}], 0.16[2v_{30}], 0.13[2v_{20}]$	[V <sub>38</sub> ]		$0.98[v_{19}], 0.19[v_{28} + v_{29}]$	$0.94[v_{18}], 0.31[v_{28} + v_{20}], 0.12[v_{10}]$	$0.93[v_{28} + v_{29}], 0.33[v_{18}], 0.16[v_{19}]$	[V <sub>27</sub> ]	$0.98[v_{26}], 0.19[v_{19} + v_{30}], 0.11[v_{18} + v_{30}]$	$0.98[v_{19} + v_{30}], 0.19[v_{26}]$	$0.93[v_{18} + v_{30}], 0.34[v_{25}], 0.11[v_{26}]$	$0.94[v_{25}], 0.34[v_{18} + v_{30}]$	[V <sub>24</sub> ]	$0.94[v_{17}], 0.27[2v_{28}], 0.19[v_{27} + v_{29}]$	[V <sub>23</sub> ]	$0.94[v_{16}], 0.21[v_{18} + v_{21}], 0.18[v_{27} + v_{28}], 0.14[v_{24} + v_{29}]$	[V <sub>22</sub> ]	$0.68[v_{15}], 0.63[v_{27} + v_{28}], 0.34[v_{23} + v_{29}], 0.14[v_{16}]$	$0.71[v_{15}], 0.67[v_{27} + v_{28}], 0.17[v_{23} + v_{29}]$	$0.64[2v_{19}], 0.47[v_{14}], 0.47[v_{18} + v_{20}], 0.37[v_{26} + v_{28}]$	$0.74[2v_{19}], 0.57[v_{14}], 0.24[v_{26} + v_{28}], 0.22[v_{18} + v_{20}], 0.10[v_{12} + v_{21}]$	$0.10[v_{25} \pm v_{28}]$	$2[V_{2/1}]$ 0.98[V_{2/1} + V_{28}]. 0.21[V_{12}]	$0.97[v_{13}], 0.21[v_{24} + v_{28}]$	$0.84[v_{23} + v_{28}], 0.53[v_{12}]$	$0.84[v_{12}], 0.53[v_{23} + v_{28}]$	$0.93[v_{24} + v_{27}], 0.25[v_{10}], 0.18[2v_{26}], 0.16[v_{17} + v_{18}]$	$0.89[2v_{26}], 0.27[v_{11}], 0.22[v_{16} + v_{21}], 0.20[v_{24} + v_{27}], 0.13[2v_{24}], 0.20[v_{24} + v_{27}], 0.13[2v_{24}], 0.20[v_{24} + v_{27}], 0.13[2v_{24}], 0.20[v_{24} + v_{27}], 0.20[v_{24} + v$	$0.89[v_{22} + v_{23}], 0.40[v_{11}], 0.13[v_{15} + v_{21}], 0.12[2v_{25}]$	$0.77[v_{11}], 0.44[v_{22} + v_{28}], 0.24[v_{15} + v_{21}], 0.24[v_{25} + v_{26}],$	$0.18[v_{16} + v_{21}], 0.16[2v_{26}], 0.14[v_{10}]$	$0.50[v_{15} + v_{211}, 0.52[v_{111}, 0.10[v_{10}], 0.10]$ $0.65[v_{25} + v_{26}], 0.55[v_{9}], 0.43[v_{10}], 0.17[v_{11}], 0.13[v_{24} + v_{26}].$	0.10[2V <sub>26</sub> ]
	$\nu_{\rm F}$	155	167	385	398	515	534	550	569	567	666	691	707	715	749	756	803	947	950	961	984	1069	1073	1141	1148	1171	1197	1210	1317	1325	1346	1353	1251	1382	
	$v_{\rm a}$	155	167	382	398	515	535	552	566	567	668	690	707	714	749	758	803	947	950	973	972	1/01	1069	1139	1149	1172	1200	1207	1320	1331	1347	1353	1251	1383	
	Interpretation	χ	× ×	[β(C,0), β(C₄0)	× × × ×	~ ~	β(C,0), β(C₄0)	λ	-	$\rho(N_1H)$	$\rho(N_3H)$			$p(C_2O)$	$p(C_4O)$	Q(CC, CN)	$\rho(C_5H), \rho(C_6H)$	$\mathcal{Q},\gamma$	$\rho(C_5H), \rho(C_6H)$	λ			$Q, \beta(C_5H)$			$Q, \beta(C,H), \beta(C,H)$		$Q, \beta(C,H)$				$Q, \beta(N_3H), \beta(C_5H),$	β(C <sub>6</sub> H)		
	$I_{\mathrm{IR,h}}$	0.9	0.3	21.3	25.8	20.4	5.7	5.4		44.8	88.3			9.6	48.2	2.9	55.6	9.6	0.5	6.8			6.3			105.3		5.2				35.6			u Q
	$\nu_{\rm h}$	149	167	391	395	516	537	562	562	562	675	069	706	724	743	759	811	958	696	980	957	10/4	1075	1125	1138	1200	1206	1233	1305	1349	1364	1385	1274	1399	
	Vibration	30 A"	29 A"	21 A'	28 A"	20 A'	19 A'	18 A'	28 + 29	27 A"	26 A"	19 + 30	18 + 30	25 A"	24 A"	17 A'	23 A"	16 A	22 A"	15 A'	27 + 28	2 × 19	14 A'	$7 \times 77$	24 + 28	13 A'	23 + 28	12 A'	24 + 27	$2 \times 26$	22 + 28	11 A'	10 - 21	$13 \pm 21$ $25 \pm 26$	

$v_h$ $I_{IR, h}$ InterpretationCalculation $1420$ $14.1$ $0.6N, H$ ). $6(N, H)$ . $6(N, H)$ $1390$ $1394$ $0.75Iv_{ol}$ . $0.62Iv_{25} + v_{26}l$ . $0.10Iv_{11}l$ . $0.10I2$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	CalculationInterpretation $v_a$ $v_F$ O. $B(N,H)$ . $B(N_2H)$ 139013940.751 $v_{ol}$ 0.621 $v_{25}$ + $v_{26}$ 0.101 $v_{11}$ 0.1012	CalculationvavF139013940.751val.0.621vas + vasl.0.1012	Calculation     Interaction coefficients in pc       VF     Interaction coefficients in pc       1394     0.75[Vol.0.62[Vos.+Vos.]. 0.10[V.1.]. 0.10[2	Calculation Interaction coefficients in pc 0.75[vol. 0.62[vos + vos]. 0.10[vol.]. 0.10[2	lyads	$I_{IR, a}$ $I_{II}$	t, F V <sub>exp</sub>	. [8, 9, 14]	I <sub>IR</sub>
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1302 93.9 $Q$ , $\beta(N_1H)$ [1404 1401 0.06[ $v_{81}$ , 0.01[ $v_{24} + v_{251}$ , 0.39[ $v_{14}$ - 0.12[ $v_{16} + v_{18}$ ]	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\mathcal{Q}, \beta(\mathbf{N}_1\mathbf{H})$ [1464 ] 1461 ] 0.60[vgl, 0.60[v_{24} + v_{25}], 0.39[v_{14} - 0.12[v_{16} + v_{18}]	$\frac{1464}{0.12[v_{16} + v_{18}]} = \frac{1464}{0.12[v_{16} + v_{18}]}$	$\begin{vmatrix} 1461 \\ 0.12[v_{16} + v_{18}] \\ 0.12[v_{16} + v_{18}] \end{vmatrix}$	$0.06[v_{81}, 0.61[v_{24} + v_{251}, 0.39[v_{14} - 0.12[v_{16} + v_{18}]]$	+ v <sub>21</sub> ], 0.12[2v <sub>24</sub> ],	4	8.1	(1405) 1473	83
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$1498    1503   1506   0.81[2v_{24}], 0.45[2v_{17}], 0.32[v_{15} + v_{18}], 0.18[v_8], 0.11[2v_2 + 0.11[2v_2 + 0.11][2v_2 + 0.11][2v_2$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$1503 \left  1506 \right  0.81[2v_{24}], 0.45[2v_{17}], 0.32[v_{15} + 0.12[v_{16} + v_{18}], 0.18[v_8], 0.11[2v_2 + 0.12[v_{16} + v_{18}], 0.18[v_8], 0.11[2v_2 + 0.11] \right  $	$1506 \begin{array}{ c c c c c c c c c c c c c c c c c c c$	$0.81[2v_{24}], 0.45[2v_{17}], 0.32[v_{15} + 0.12[v_{16} + v_{18}], 0.18[v_{8}], 0.11[2v_{2}]$	$v_{19}$ ], 0.13[ $v_8$ ], 6]		1.1	I	I
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$1519 \begin{array}{ c c c c c c c c c c c c c c c c c c c$	$0.85[2v_{17}], 0.45[2v_{24}], 0.18[v_8], 0.0411, 1.0, 1811, 0.1811, 0.0411, 1.0, 0.0411, 0.0$	$.17[v_{23} + v_{25}]$	v	5.3	1525	25
$\begin{bmatrix} 10/7 & 00.4 \\ 0.12[2V_{23}] \end{bmatrix} = \underbrace{0.124}_{0.12} \begin{bmatrix} 104.5 \\ 0.12[2V_{23}] \end{bmatrix} = \underbrace{0.12[2V_{23}]}_{0.12} + \underbrace{0.24}_{0.12} \begin{bmatrix} 0.12[2V_{23}] \end{bmatrix}$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\mathcal{Q}(C_5 = C_6)$ [1041] 1043 [0.54][ $V_{71}$ , 0.18[ $V_{22} + V_{251}$ , 0.10[ $V_1$ ] 0.12[ $2V_{23}$ ]	$\begin{bmatrix} 1041 \\ 0.12[2V_{23}] \\ 0.12[2V_{23}] \end{bmatrix}$	$\begin{bmatrix} 1042 \\ 0.14[2v_{7]}, 0.10[v_{22} + v_{25}], 0.10[v_{1}] \\ 0.12[2v_{23}] \end{bmatrix}$	$0.34[v_{1}], 0.16[v_{22} + v_{25}], 0.16[v_{1}], 0.12[2v_{23}]$	$4 \pm v_{18}$ ], 0.14[ $v_{14} \pm v_{19}$ ],	0	c.c	1044	cc
$1720 \qquad 1686   1684   0.99[v_{13} + v_{20}], 0.13[v_5]$	$1686   1684   0.99[v_{13} + v_{20}], 0.13[v_5]$	$1686$ $1684$ $0.99[v_{13} + v_{20}], 0.13[v_5]$	$1686 \left  1684 \right  0.99[v_{13} + v_{20}], 0.13[v_5]$	$1684 \mid 0.99[v_{13} + v_{20}], 0.13[v_5]$	$0.99[v_{13} + v_{20}], 0.13[v_5]$		0.6 1	1.3		
$1739 \qquad 1704 1698 0.78[v_{16} + v_{17}], 0.47[v_{13} + v_{19}], 0.100 1000 1000 1000 1000 1000 1000 10$	$\begin{vmatrix} 1704 \\ 1698 \\ 10.78 \\ 10.78 \\ 16^{-1} \\ 10$	$\begin{bmatrix} 1704 \\ 1204 \end{bmatrix} \begin{bmatrix} 1698 \\ 0.78 \begin{bmatrix} v_{16} + v_{17} \end{bmatrix}, 0.47 \begin{bmatrix} v_{13} + v_{19} \end{bmatrix}, 0$	$1704   1698   0.78[v_{16} + v_{17}], 0.47[v_{13} + v_{19}], (v_{13} + v_{19}], (v_{13} + v_{19})   0.100   0$	$1698 \left  \begin{array}{c} 0.78 \left[ v_{16} + v_{17} \right], \ 0.47 \left[ v_{13} + v_{19} \right], \ 0.28 \left[ v_{13} + v_{1$	$0.78[v_{16} + v_{17}], 0.47[v_{13} + v_{19}], (0.12)$	$0.37[v_6], 0.15[v_{13} + v_{18}]$	0.1 13	8.7	1600	
$1741 \qquad 1706   1706   0.82[v_{13} + v_{19}], 0.55[v_{16} + v_{17}] \\ 0.000   $	$\begin{vmatrix} 1706 & 1705 \\ 1706 & 1702 $	$\begin{bmatrix} 1706 \\ 1706 $	$1706   1705   0.82[v_{13} + v_{19}], 0.55[v_{16} + v_{17}]$	$1705 \left[ \begin{array}{c} 0.82[v_{13} + v_{19}], \ 0.55[v_{16} + v_{17}] \\ 0.000 \end{array} \right]$	$0.82[v_{13} + v_{19}], 0.55[v_{16} + v_{17}]$		0.03	5.6	1099	100
$\frac{1722}{0.14[v_{15} + v_{17}]} = \frac{1722}{0.14[v_{15} + v_{17}]} = \frac{1722}{0.14[v_{15} + v_{17}]}$	$\begin{bmatrix} 1/22 & 1/20 & 0.89[v_{12} + v_{20}], 0.33[v_{13} + v_{18}], \\ 0.14[v_{15} + v_{17}] \end{bmatrix}$	$\begin{bmatrix} 1/22 \\ 0.89 \\ 0.14 $	$\frac{1/22}{0.142} = \frac{1}{0.84} \frac{1}{0.12} + \frac{1}{0.23} \frac{1}{0.13} + \frac{1}{0.13} \frac{1}{0.13} + \frac{1}{0.13} \frac{1}{0.14} \frac{1}{0.1$	$\frac{1720}{0.14} \left[ \frac{0.89}{v_{15}} + \frac{v_{201}}{v_{17}}, \frac{0.33}{v_{13}} + \frac{v_{181}}{v_{181}}, \frac{v_{181}}{v_{171}} \right]$	$0.89[v_{12} + v_{20}], 0.33[v_{13} + v_{18}], 0.14[v_{15} + v_{17}]$	$0.19[v_{6}], 0.15[v_{13} + v_{19}],$	1.04	5.9	1720	167
1758 $1721 \ 0.87[v_{13} + v_{18}], 0.39[v_{12} + v_{20}], 0.13[v_{13} + v_{19}], 0.13[v_{13} + v_{19}]$	$\begin{bmatrix} 1723 & 1721 \\ 0.87[v_{13} + v_{18}], 0.39[v_{12} + v_{20}], \\ 0.14[v_5], 0.13[v_{13} + v_{19}] \end{bmatrix}$	$\begin{bmatrix} 1723 & 1721 & 0.87[v_{13} + v_{18}], 0.39[v_{12} + v_{20}], \\ 0.14[v_5], 0.13[v_{13} + v_{19}] \end{bmatrix}$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	1721 0.87[ $v_{13} + v_{18}$ ], 0.39[ $v_{12} + v_{20}$ ], 0.14[ $v_{13}$ , $v_{19}$ ]	$\begin{array}{l} 0.87[v_{13}+v_{18}], 0.39[v_{12}+v_{20}],\\ 0.14[v_5], 0.13[v_{13}+v_{19}] \end{array}$	$0.16[v_{16} + v_{17}], 0.15[v_6],$	0.1 4	3.8		
$1760 \qquad 1729 \qquad 0.94[v_{15} + v_{17}], \\ 0.19[v_{12} + v_{20}], $	$ 1730 1729 0.94[v_{15} + v_{17}], 0.19[v_{12} + v_{20}],$	$ 1730 1729 0.94[v_{15} + v_{17}], 0.19[v_{12} + v_{20}],$	$1730   1729   0.94[v_{15} + v_{17}], 0.19[v_{12} + v_{20}],$	$1729 0.94 [v_{15} + v_{17}], 0.19 [v_{12} + v_{20}],$	$0.94[v_{15} + v_{17}], 0.19[v_{12} + v_{20}],$	$0.17[v_6], 0.12[v_5]$	0.1 1	3.7		
$1770 \qquad 1735 \qquad 1734 \qquad 0.93[v_{11} + v_{21}], 0.19[v_6], 0.18[v_{13} + v_{21}], 0.19[v_6], 0.18[v_{13} + v_{21}], 0.19[v_6], 0.18[v_{13} + v_{21}], 0.19[v_{13} $	$\begin{bmatrix} 1735 & 1734 & 0.93[v_{11} + v_{21}], 0.19[v_6], 0.18[ \\ 0.131[v_{11} + v_{21}], 0.19[v_6], 0.18] \end{bmatrix}$	$1735   1734   0.93[v_{11} + v_{21}], 0.19[v_6], 0.18[v_{12}], 0.18[v_{13}], 0.18[v_{$	$1735 \left  1734 \right  0.93[v_{11} + v_{21}], 0.19[v_6], 0.18[v_{121}, 0.18] $	$1734 \left[ \begin{array}{c} 0.93[v_{11} + v_{21}], \ 0.19[v_{6}], \ 0.18[ \\ 0.121 \\ 0.121 \\ \end{array} \right]$	$0.93[v_{11} + v_{21}], 0.19[v_6], 0.18[0, 121], 0.18[0, 121], 0.18[0, 121], 0.131]$	$v_{15} + v_{17}$ ], 0.17[ $v_{12} + v_{19}$ ],	0.3 2	5.0		
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{bmatrix} 0.12] v_{13} + v_{18} \end{bmatrix}$	$\begin{bmatrix} 0.12 \\ 1742 \\ 1772 \\ 1773 \\ 0.80 \\ 0.80 \\ 0.80 \\ 0.21 \\ 0.31 \\ 0.31 \end{bmatrix}$	$\begin{array}{c c} 17.13 \\ 17.29 \\ 17.29 \\ 0 \\ 80 \\ 0 \\ 17.13 \\ \pm \cdots \\ 1 \\ 0 \\ 27 \\ \cdots \\ 1 \\ 0 \\ 21 \\ 0 \\ 31 \\ 0 \\ 0 \\ 31 \\ 0 \\ 0 \\ 31 \\ 0 \\ 31 \\ 0 \\ 31 \\ 0 \\ 31 \\ 0 \\ 31 \\ 0 \\ 31 \\ 0 \\ $	$\begin{array}{c} 11230 \\ 1730 \\ 0 \\ 80[ \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ $	$0.13[v_{13} \pm v_{18}]$ 0.80[ $\pm$ ] 0.37[] 0.31F	······································	-	0		
$\frac{11.74}{0.18[v_{15} + v_{17}], 0.12[v_{15} + v_{17}], 0.12[v_{13} + v_{19}], 0.12[v_{15} + v_{17}], 0.12[v_{13} + v_{19}], 0.12[v_{15} + v_{17}], 0.12[v_{15} + v_{17}], 0.12[v_{15} + v_{19}], 0.12[v_{15} + v_{17}], 0.12[v_{15} + v_{15}], 0.12[v_{15}$	$\begin{bmatrix} 1.739 \\ 0.001 \\ 0.18 \\ 0.18 \\ 0.18 \\ 0.12 \\ 0.1$	11.74 $1.74$ $1.74$ $1.74$ $1.74$ $1.74$ $1.71$ $1.71$ $1.12$	$\frac{1.745}{0.18[v_{15} + v_{17}], 0.12[v_{13} + v_{17}]} = \frac{1.745}{0.18[v_{15} + v_{17}], 0.12[v_{13} + v_{19}]}$	$\frac{17.29}{0.18} \left[ \frac{v_{12} + v_{19}}{0.18} \right], \frac{v_{12} + v_{17}}{0.18} \right], \frac{v_{13} + v_{19}}{0.18} \right],$	$0.301v_{12} + v_{19}$ , $0.371v_{61}$ , $0.311v_{13} + v_{19}$ , $0.18[v_{15} + v_{17}]$ , $0.12[v_{13} + v_{19}]$ ,	$v_{11} + v_{21}$ , $v_{.10}   v_{13} + v_{18}$ , $0.12 [v_{16} + v_{17}], 0.12 [v_{12} + v_{18}]$	1	+. <i>ب</i>	1733	
$1780 \qquad   1751   1750   0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$1751$ $1750$ $0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$ 1751 1750 0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$1751   1750   0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$1750   0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$0.80[v_{22} + v_{23}], 0.37[v_{12} + v_{19}]$	$(0.35[v_6], 0.25[v_{12} + v_{18}])$	2.3 12	3.9	1758	680
$1790 \qquad   1758   1753   0.59[v_{22} + v_{23}], 0.50[v_{12} + v_{18}], 0.12[v_{13} + v_{16}], 0.11[v_{13} + v_{16}], 0.11[v_{16} + v_{16}], 0.11[v_{16} + v_{16}], 0.11[v_{16} + v_{16}$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\begin{bmatrix} 1753 & 1753 \\ 0.59[v_{22} + v_{23}], 0.50[v_{12} + v_{18}], \\ 0.12[v_{13} + v_{16}], 0.11[v_{13} + v_{16}]. \end{bmatrix}$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$1753 \left[ 0.59[v_{22} + v_{23}], 0.50[v_{12} + v_{18}], 0.111[v_{12} + v_{16}], 0.111[v_{12} + v_{16}], 0.111[v_{12} + v_{16}], 0.111[v_{13} + v_{16}]$	$0.59[v_{22} + v_{23}], 0.50[v_{12} + v_{18}], 0.12[v_{13} + v_{18}], 0.11[v_{13} + v_{16}].$	$0.46[v_6], 0.36[v_{12} + v_{19}], 0.10[v_{16} + v_{17}]$	9.4 15	8.2	1762 1774	000
$1792 \qquad 1756   1755   0.97[v_{10} + v_{21}], 0.22[v_{5}]$	$ 1756 1755 0.97[v_{10} + v_{21}], 0.22[v_{5}]$	$ 1756   1755   0.97[v_{10} + v_{21}], 0.22[v_5]$	$1756   1755   0.97[v_{10} + v_{21}], 0.22[v_{5}]$	$1755 0.97[v_{10} + v_{21}], 0.22[v_5]$	$0.97[v_{10} + v_{21}], 0.22[v_{5}]$		0.7 2	9.2	-	
$1774 779.2 Q(C_4=0)$ $1742 1762 0.81[v_{12} + v_{18}], 0.50[v_{6}], 0.20[v$	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$Q(C_4=0)$ [1742] 1762 0.81[ $v_{12} + v_{18}$ ], 0.50[ $v_{6}$ ], 0.20[ $v$	1742 1762 0.81[ $v_{12} + v_{18}$ ], 0.50[ $v_{6}$ ], 0.20[ $v$	$1762 \mid 0.81[v_{12} + v_{18}], 0.50[v_6], 0.20[v$	$0.81[v_{12} + v_{18}], 0.50[v_6], 0.20[v$	$_{12} + v_{19}$ ], 0.10[ $v_{22} + v_{23}$ ]	9.4 14	8.4		
$1807   627.8   Q(C_2=0)   1773   1776   0.93[v_5], 0.24[v_{10} + v_{21}], 0.13[v_{10} + v_{21}]   0.$	7.8 $Q(C_2=0)$ 1773 1776 0.93[v <sub>5</sub> ], 0.24[v <sub>10</sub> + v <sub>21</sub> ], 0.13[v	$Q(C_2=0)$   1773   1776   0.93[v_5], 0.24[v_{10} + v_{21}], 0.13[v_{10} + v_{21}], 0.13[v	$1773   1776   0.93[v_5], 0.24[v_{10} + v_{21}], 0.13[v_{10} + v_{2$	$1776 \mid 0.93[v_5], 0.24[v_{10} + v_{21}], 0.13[v_{10} + v_{21}], 0.$	$0.93[v_5], 0.24[v_{10} + v_{21}], 0.13[v_{10} + v_{21}], 0.13[v_{1$	$v_{13} + v_{18}$ ], 0.12[ $v_{15} + v_{17}$ ],	56	8.4		
$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$	$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$	$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$	$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$	$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$	$0.11[v_{13} + v_{20}], 0.11[v_{12} + v_{20}]$			,		
3061 2984 0.93[v <sub>7</sub> + v <sub>11</sub> ], 0.28[v <sub>4</sub> ], 0.21[v <sub>7</sub> .	$2984 0.93[v_7 + v_{11}], 0.28[v_4], 0.21[v_7]$	$2984 0.93[v_7 + v_{11}], 0.28[v_4], 0.21[v_7]$	$2984   0.93[v_7 + v_{11}], 0.28[v_4], 0.21[v_7]$	$2984 \mid 0.93[v_7 + v_{11}], 0.28[v_4], 0.21[v_7]$	$0.93[v_7 + v_{11}], 0.28[v_4], 0.21[v_7]$	[6v +	).3	0.6	2970	×
3222 2.9 $q(C_6H)$ 3081 3082 0.64[v <sub>4</sub> ], 0.64[v <sub>7</sub> + v <sub>8</sub> ], 0.39[v <sub>7</sub> +	$2.9   q(C_6H)   3081   3082   0.64[v_4], 0.64[v_7 + v_8], 0.39[v_7 + v_8]   0.39[v$	$q(C_6H)$   3081   3082   0.64[v_4], 0.64[v_7 + v_8], 0.39[v_7 + 0.000]	3081 3082 0.64[v <sub>4</sub> ], 0.64[v <sub>7</sub> + v <sub>8</sub> ], 0.39[v <sub>7</sub> +	$3082   0.64[v_4], 0.64[v_7 + v_8], 0.39[v_7 + v_8]   0.39[v_7 + $	$0.64[v_4], 0.64[v_7 + v_8], 0.39[v_7 + v_8]$	$-v_{9}$ ], 0.14[ $v_{7} + v_{11}$ ]	).6	0.0	I	I
3263 1.1 $q(C_5H)$ 3128 3140 0.68[ $v_{31}$ , 0.64[ $v_6 + v_9$ ], 0.26[ $v_7$ -	$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$q(C_{5}H)$ = $3128   3140   0.68 [v_{3}], 0.64 [v_{6} + v_{9}], 0.26 [v_{7} - v_{7}], $	3128 3140 0.68[v <sub>3</sub> ], 0.64[v <sub>6</sub> + v <sub>9</sub> ], 0.26[v <sub>7</sub> -	$3140 \left[ 0.68 \left[ v_{31} \right], 0.64 \left[ v_6 + v_9 \right], 0.26 \left[ v_7 - v_8 \right] \right]$	$0.68[v_{31}, 0.64[v_6 + v_9], 0.26[v_7 - 0.26]v_7 - 0.26[v_7 - 0$	+ $v_8$ ], 0.24[ $v_4$ ], 0.14[ $v_7$ + $v_9$ ],		1.4	3130	4
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	$\begin{bmatrix} 0.12[V_6 + V_{11}] \\ 2426 & 2426 \\ 2426 & 0.06[1 & 0.15[1] \\ 0.12[V_6 + V_{11}] \\ 0$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c c} 3.126 \\ 3.126 \\ 3.126 \\ 3.126 \\ 0.081 \\ 0.081 \\ 0.151 \\ 0.1512 \\ 0.1512 \\ 0.081 \\ 0.0$	$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	0.12[v <sub>6</sub> + v <sub>11</sub> ] 0.0011.0.15131		4	_	2222	100
3547 0.15[v] 9470 0.9470 0.99[2vc] 0.15[v]	$3470 \left[ 3470 \right] 0.99[2v_{c}], 0.15[v_{c}]$	3470 0.99[2vc] 0.15[v.]	3469 3470 0.9912vc]. 0.15[v,]	3470 0.99[2vc], 0.15[v,]	$0.99[2v_{6}], 0.15[v_{5}]$		) —	0.2	(3477)	
$3649   104.5   q(N_1H) = 3480   3480   v_1$	$4.5   q(N_1H) = 3480   3480   v_1$	$q(N_1H)$ 3480 3480 $v_1$	3480 3480 v <sub>1</sub>	3480 v <sub>1</sub>	V <sub>1</sub>		10	0.5	3482	166



**Fig. 2.** Experimental (top) [9] and theoretical (bottom) IR spectra of the isolated Ura molecule in the range  $400-800 \text{ cm}^{-1}$ . The theoretical spectrum was calculated taking into account Fermi resonances.

vibrations are 973 and 972 cm<sup>-1</sup>. As a result of the resonance interaction, the levels are split by 23 cm<sup>-1</sup>, while the intensities are redistributed such that the fundamental tone becomes very weak, whereas the intensity of the long-wavelength component increases almost twofold. Taking into account this redistribution, the experimental absorption band at 963 cm<sup>-1</sup> should be attributed to the combination vibration  $v_{27} + v_{28}$ , rather than to the fundamental vibration  $v_{15}$ , as was previously believed in [8, 9].

The calculation shows that the degree of mixing of the fundamental vibration  $v_{14}$  and overtone  $2v_{19}$  is approximately the same. The experimental spectrum shows a clearly pronounced doublet in the range 1070–1080 cm<sup>-1</sup>, whose components have weak intensities, as in the calculation.

According to the calculation, the experimental absorption band at  $1102 \text{ cm}^{-1}$  is attributed to the overtone  $2v_{27}$ , which corresponds to the displacement of the N<sub>1</sub>H bond out of the plane.

The fundamental vibrations  $v_{13}$  and  $v_{12}$  have Fermi resonances with the combination frequencies  $v_{24} + v_{28}$  and  $v_{23} + v_{28}$ , whose unperturbed frequencies of anharmonic vibrations differ by 23 and 7 cm<sup>-1</sup>, respec-

tively. The proximity of the levels and, as a consequence, a considerable interaction of the vibrations  $v_{12}$ and  $v_{23} + v_{28}$  (in contrast to the vibrations  $v_{13}$  and  $v_{24} + v_{28}$ ) determined both a large change in the frequency (17 cm<sup>-1</sup> for the pair  $v_{13}$  and  $v_{23} + v_{28}$  and 13 cm<sup>-1</sup> for the pair  $v_{12}$  and  $v_{24} + v_{28}$ ) and an increase in the intensity of the combination vibration  $v_{23} + v_{28}$ .

The vibrations  $v_{10}$  and  $v_{11}$  are mixed with nine and seven other vibrations (combinations and overtones). which considerably complicates their interpretation. It should be noted that, in the range  $\sim 1300-1450$  cm<sup>-1</sup>. anharmonic vibrations are shifted toward lower frequencies by  $\sim 30-40$  cm<sup>-1</sup> compared to harmonic vibrations, since their shapes contain changes in the exterior bending angles formed by the NH and CH bonds. As a result, the bands of combination vibrations and overtones are shifted closer to the bands of fundamental vibrations. For example, the difference between the harmonic frequencies of the combination vibration  $v_{24} + v_{27}$  and vibration  $v_{10}$  is 102 cm<sup>-1</sup>, whereas, in the anharmonic approximation, this difference decreases to 54 cm<sup>-1</sup>, i.e., by two almost times. The repulsion between closely located levels can lead to an error of  $\sim 10$  cm<sup>-1</sup> in calculations of resonant frequencies, which is observed for the vibrations  $v_9$ ,  $v_{10}$ , and  $v_{25} + v_{26}$ .

The frequencies  $v_{11}$  and  $v_{15} + v_{21}$  differ by only 1 cm<sup>-1</sup>; therefore, they are not resolved in the experiment and are attributed to the single absorption band at 1366 cm<sup>-1</sup>.

As a result of the intensity redistribution between the fundamental vibrations  $v_9$  and  $v_{10}$  and the combination vibration  $v_{25} + v_{26}$ , the band of the vibration  $v_9$ , whose intensity is reduced due to the Fermi resonance, cannot be observed in the experimental spectrum, while the combination vibration  $v_{25} + v_{26}$ , whose intensity, in contrast, increases many times, was attributed by many authors to fundamental vibrations.

The vibration  $v_8$  forms a polyad with the combination vibrations  $v_{14} + v_{21}$  and  $v_{24} + v_{25}$ . Without taking into account the interaction, the frequencies of the resonant vibrations differed by 14 and 1 cm<sup>-1</sup>, whereas, with allowance for the interaction, this differences became 13 and 7 cm<sup>-1</sup>. The proximity of the levels and considerable interaction coefficients determine a substantial intensity redistribution. Both the experimental and the calculated spectra show the splitting of lines in the range of ~1470 cm<sup>-1</sup>, the most intense of which are referred to as the fundamental vibration  $v_8$  (Fig. 3).

The interaction of the overtones  $2v_{24}$  and  $2v_{17}$  corresponds to the Darling–Dennison resonance. Since the intensity of one of the absorption bands of this doublet is very low (the vibration with the resonant frequency 1506 cm<sup>-1</sup>), the experimental vibrational spectrum exhibits only one absorption band, which is located at 1525 cm<sup>-1</sup>, rather than the two components.

The resonance interactions of the vibration  $v_7$  with other vibrations can be neglected, which is confirmed by the fact that, in the range ~1550–1650 cm<sup>-1</sup>, the experimental spectrum exhibits only one vibration with a medium intensity and a frequency of 1644 cm<sup>-1</sup>.

The range  $\sim 1700-1800 \text{ cm}^{-1}$  is the most complicated to interpret because the number of intense absorption bands in this range considerably exceeds the number of fundamental vibrations. In this case, the character of interactions is analyzed based on the fact that, in polyatomic molecules (including Ura), fundamental and combination tones (or overtones) can simultaneously participate in several Fermi resonances.

Consider the interactions of the fundamental tones  $v_5$  and  $v_6$ , which correspond to the stretching vibrations  $v(C_2=O)$  and  $v(C_4=O)$ , with combination vibrations that take into account the occurrence of several Fermi resonances.

Our calculation showed that the fundamental tone  $v_6$  is at Fermi resonance with the combination vibrations  $v_{12} + v_{18}$ ,  $v_{12} + v_{19}$ , and  $v_{22} + v_{23}$ , for which the

frequency differences without taking into account the resonance are 16, 9, and 1 cm<sup>-1</sup>, respectively. Due to the interaction, the frequencies of the combination vibrations  $v_{12} + v_{18}$ ,  $v_{12} + v_{19}$ , and  $v_{22} + v_{23}$  decrease by 4, 1, and 5 cm<sup>-1</sup>, while the frequency of the resonant fundamental vibration  $v_6$  increases by 20 cm<sup>-1</sup>. The resonant interaction led to the redistribution of intensity between the components of the quartet; as a result of which the intensities of all four absorption bands became approximately the same.

Next, the fundamental vibration  $v_6$  is at resonance with other vibrations,  $v_{13} + v_{18}$ ,  $v_{13} + v_{19}$ , and  $v_{16} + v_{17}$ . The calculation shows that the interaction between the fundamental tone  $v_6$  and the combination vibration  $v_{16} + v_{17}$  is the strongest, which leads to a considerable increase in the intensity of the combination vibration.

In a similar way, three other doublets of bands are formed in the spectrum at the expense of interacting vibrational states. As a result of the resonant interaction of the combination vibration  $v_{12} + v_{19}$  with the fundamental vibration  $v_6$ , the Fermi resonance occurs and two doublets between the fundamental tone and combination vibrations  $v_{11} + v_{21}$  and  $v_{15} + v_{17}$  are formed. Similarly, the interaction of the combination vibration  $v_{13} + v_{18}$  with the  $v_6$  vibration leads to the formation of the doublet between the fundamental tone and combination vibration  $v_{12} + v_{20}$ .

The fundamental vibration  $v_5$  is characterized by the formation of a sextet with the combination vibrations  $v_{10} + v_{21}$ ,  $v_{13} + v_{18}$ ,  $v_{15} + v_{17}$ ,  $v_{13} + v_{20}$ , and  $v_{12} + v_{20}$ . Because the frequency difference between the resonant vibrations is large, achieving ~50 cm<sup>-1</sup>, and the interaction coefficients are small; only 10% or less of the intensity of the fundamental tone is redistributed.

In the experimental absorption spectrum of Ura in the range ~1700–1800 cm<sup>-1</sup>, two or three frequency intervals are commonly distinguished that contain intense absorption bands. These intervals are either ~1700–1720 and ~1730–1770 cm<sup>-1</sup> or ~1700–1720, ~1720–1740 cm<sup>-1</sup>, and ~1750–1770 cm<sup>-1</sup>. The calculation shows that the sum of the absolute intensities of all the absorption bands in this range is 1399 km/mol, which is 70% of the experimental value [8]. Taking into account that the absolute intensities of the absorption bands of Ura measured in different matrices (Kr, Ar, Ne) differ by at least 10% [13], we can state that the experimental and calculated spectra agree well with each other (Figs. 2–4).

The calculation showed that the previously proposed interpretation of the vibrational spectrum of Ura in the range of stretching C=O vibrations is considerably simplified and that this range contains complex (multiple) Fermi resonances.

In this case, it should be noted that, although the intensities of the vibrations  $v_5$  and  $v_6$  are very strong and both vibrations lie in the same spectral range,



**Fig. 3.** Experimental (top) [9] and theoretical (bottom) IR spectra of the isolated Ura molecule in the range  $900-1500 \text{ cm}^{-1}$ . The theoretical spectrum was calculated taking into account Fermi resonances.



**Fig. 4.** Experimental (top) [9] and theoretical (bottom) IR spectra of the isolated Ura molecule in the range  $1650-1800 \text{ cm}^{-1}$ . Theoretical spectrum was calculated taking into account Fermi resonances.

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unlike vibration  $v_6$ , vibration  $v_5$  interacts with a considerably smaller number of combination vibrations and overtones. Clearly, the reason for the disagreement between the experimental and calculated intensities of the vibration  $v_5$  is an insufficiently high accuracy of the used quantum-mechanical method of calculation, which overestimates the frequency of this mode by 30 cm<sup>-1</sup>.

In the range of stretching vibrations of the CH and NH bonds, resonances between fundamental tones, combination tones, and overtones do not cause significant intensity redistributions. On the whole, we can state that the theoretical and experimental spectra in the range  $\sim 3000-3500$  cm<sup>-1</sup> agree well with each other.

## CONCLUSIONS

According to our calculations, interactions between vibrations should be considered taking into account multiple Fermi resonances, i.e., the participation of fundamental and combination tones (or overtones) in several Fermi resonances.

Our calculation showed that only eight of the 30 fundamental vibrations of Ura (seven out-of-plane vibrations and one in-plane vibration) do not interact with other vibrations.

Taking into account multiple resonances leads to a noticeable spectral manifestation of combination vibrations and overtones, whose intensities in the anharmonic approximation are comparable with the intensities of fundamental vibrations in the harmonic approximation. The resonant interaction manifests itself the most strongly in interactions of combination tones and overtones with the very intense fundamental tone of the stretching v(C=O) vibration of Ura.

Thus, the application of the second-order perturbation theory to the calculation of anharmonic frequencies and intensities of the isolated Ura molecule and taking into account multiple resonances allowed us to achieve good agreement between the experimental and calculated spectra of this molecule and to interpret its total IR spectrum.

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