

# **Learning Geographical Preferences for Point-of-Interest Recommendation**

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- Background and Motivation
- Geographical Probabilistic Factor Model
- Experimental Results
- Conclusion

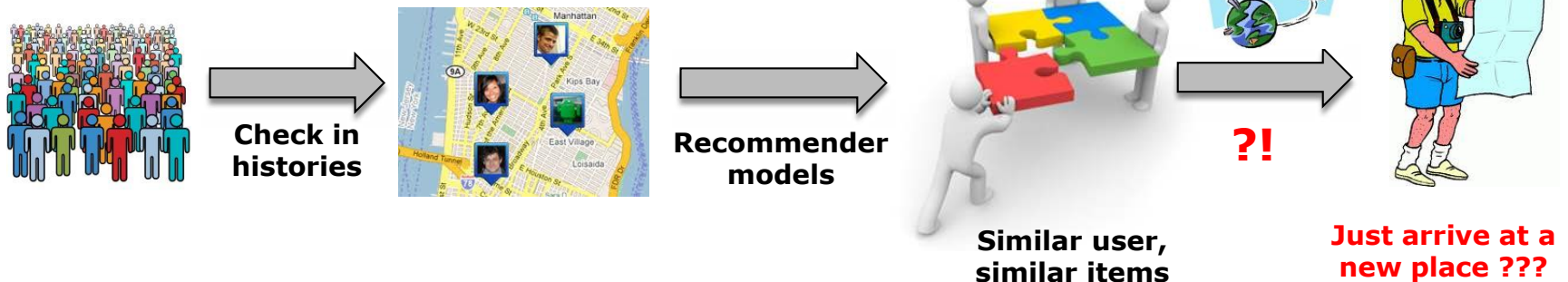
# Location based Services

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- Location-based service becomes increasingly popular
- Develop rapidly, e.g., as 2011, Foursquare ( **15 million** users) made over **3 million** check-ins per day; as Jan 2013, over **30 million** people
- Users share check-in experiences, opinions, comments on a point-of-interest (a specific point location that someone may find useful or interesting, eg., restaurant, bar)



- ❑ **Task:** to recommend POIs based users' check-in history and community opinions
- ❑ Existing solutions
  - ❑ Method: collaborative filtering based method to fuse information
  - ❑ Failed to consider the multiple factors in decision process of a user choose a POI ; lack of integrated analysis of the joint effect of the factors if considered part of them
- ❑ Various factors can influence POI check-in: user preferences, geographical influences, popularity and dynamic user mobility patterns



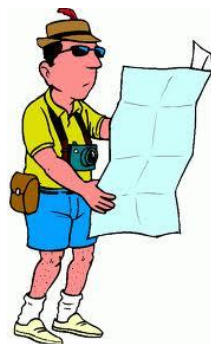
- ❑ **Law of geography:** everything is related to everything else, but near things are more related than distant things
- ❑ **Regional popularity:** two POIs with similar semantic topics can have different popularity if located differently
- ❑ **Dynamic user mobility:** user may travel to different cities or even regions
- ❑ **Implicit user feedback:** need to infer user preferences from implicit user feedback in terms of user check-in count data

Everything is related to everything else, but near things are more related than distant things.

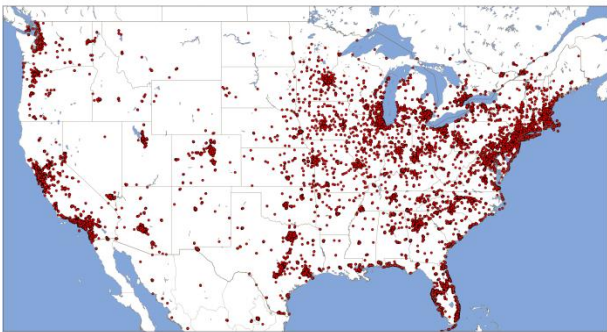
-Waldo Tobler



- Geographical distance, the propensity of a user choose a POI is inversely proportional to the distance
- Utility matters, a user may prefer a far away POI than a nearby one for better satisfaction
- Popularity affects check-in behaviors, decision is largely affected by the word-of-mouth about the POI
- Dynamic mobility patterns: the check-in pattern may vary when people travel from one region to another



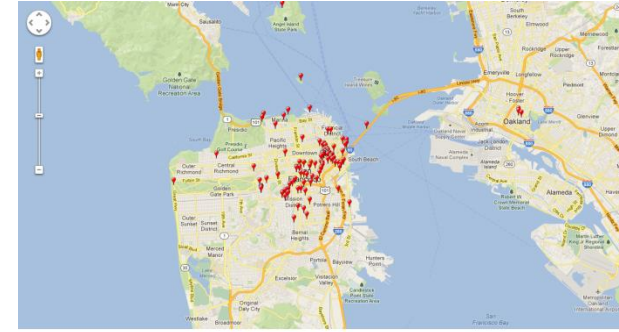
# How Is a Typical User's Check-in Pattern



All POIs in different regions



A user's check-ins in different regions



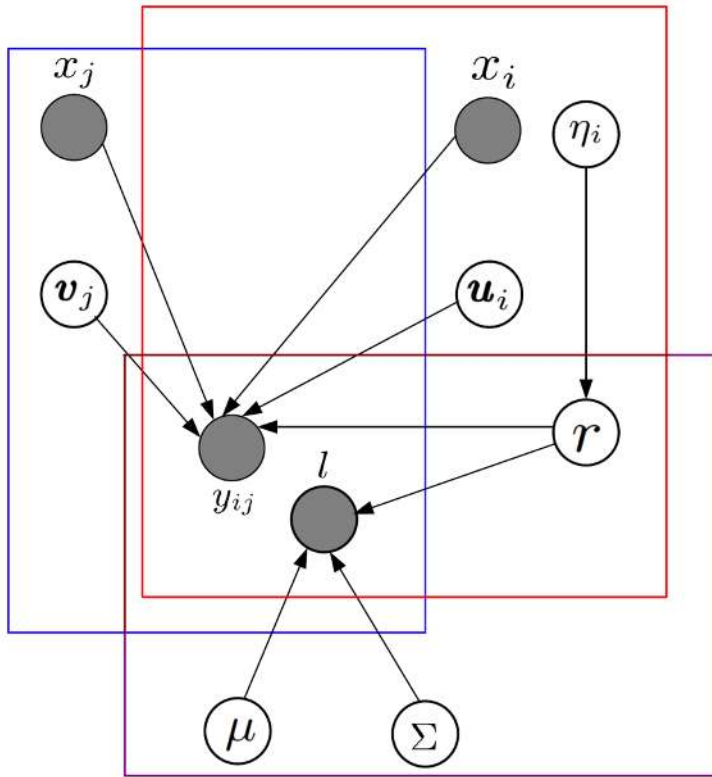
User check-ins in San Francisco

- Need a model that jointly encodes the **personalized preferences**, **spatial influence**, **user mobility** and **popularity** into the user check-in decision process to learn geographical user preferences for effective POI recommendation

- By Tobler's first law of geography, POIs with similar services are likely to be clustered into the same geographical area  $l_j \sim \mathcal{N}(\mu_r, \Sigma_r)$
- Users are most likely to check in a number of POIs and these POIs are usually limited to some geographical regions  $r \sim \text{Multinomial}(\eta_i)$
- A user's propensity for a POI
  - Personalized interest
  - Regional popularity  $p(i, j) \propto \alpha(i, j)\rho(j)(d_0 + d(i, j))^{-\tau}$
  - Distance

Best personalization, maximum satisfaction, at lowest distance cost





1. Draw a region  $r \sim \text{Multinomial}(\eta_i)$ . **Mobility**
2. Draw a location  $l_j \sim \mathcal{N}(\mu_r, \Sigma_r)$ . **Law of geography**
3. Draw a user preference **Personalized Preference**
  - a Generate user latent factor  $\mathbf{u}_i \sim P(\mathbf{u}_i; \Psi_{\mathbf{u}_i})$ .
  - b Generate item latent factor  $\mathbf{v}_j \sim P(\mathbf{v}_j; \Psi_{\mathbf{v}_j})$ .
  - c User-item preference  $\alpha(i, j) = \mathbf{u}_i^\top \mathbf{v}_j + x_i^\top W x_j$ .
4.  $y_{ij} \sim P(f_{ij})$  where **Check-in decision**

$$f_{ij} = \left( \mathbf{u}_i^\top \mathbf{v}_j + x_i^\top W x_j \right) \cdot \rho(j) \cdot (d_0 + d(i, j))^{-\tau}$$

Table 1: Mathematical Notations

Symbol	Size	Description
$R$	$1 \times \mathbb{R}$	latent region set, $r$ is a region in $R$
$\boldsymbol{\eta}$	$M \times \mathbb{R}$	user level region distribution
$\boldsymbol{\rho}$	$1 \times N$	item popularity
$\boldsymbol{\mu}$	$\mathbb{R}^2$	mean location of a latent region
$\boldsymbol{\Sigma}$	$\mathbb{R}^{2 \times 2}$	covariance matrix of a latent region
$\mathbf{U}$	$M \times K$	user latent factor
$\mathbf{V}$	$N \times K$	item latent factor
$\mathbf{x}$	$(\cdot) \times \mathbb{K}$	user or item observable prosperities
$\boldsymbol{\theta}, \boldsymbol{\pi}$	$(\cdot) \times \mathbb{K}$	user or item topic distribution

## □ User mobility model

□ A user samples a region from all R regions following a multinomial distribution  $r \sim \text{Multinomial}(\eta_i)$

□ An POI is assigned a normal distribution  $l_j \sim \mathcal{N}(\mu_r, \Sigma_r)$

## □ Distance factor

□ Distance from region center to the POI  $d(i, j) = \|\mu_r - l_j\|_2$

□ the prob. a user choose a POI decays as the power-law of the distance between them  $(d_0 + d(i, j))^{-\tau}$

## □ Regional popularity

□ Given a region

$$\rho_j = \frac{1}{2} \left\{ \frac{\text{totalPeo}_j - 1}{\max_{j \in r} \{\text{totalPeo}_j\} - 1} + \frac{\text{totalCk}_j - 1}{\max_{j \in r} \{\text{totalCk}_j\} - 1} \right\}$$

# Geographical-Topical Bayesian Non-negative Matrix Factorization

- Latent factor model: cold-start problem; normal assumption
- Poisson factor model for count data, and closely related to NMF
- GT-BNMF model: (1) encode the personalized preferences, spatial influence and popularity; (2) count data; (3) cold-start

$$y_{ij} \sim \mathcal{N}^R(y_{ij} | f_{ij}, \sigma^2), f_{ij} = (\mathbf{u}_i^\top \mathbf{v}_j + \theta_i^\top W \pi_j) \cdot \rho(j) \cdot (d_0 + d(i, j))^{-\tau}$$

- Generate user latent factor  $u_{ik} \sim \text{Exp}(\alpha_k)$ .
- Generate item latent factor  $v_{jk} \sim \text{Exp}(\beta_k)$ .
- User-item preference  $\alpha(i, j) = \mathbf{u}_i^\top \mathbf{v}_j + \theta_i^\top W \pi_j$ .
- $\sigma^2 \sim \text{Inv} - \text{Gamma}(a, b)$ .

- Given  $\mathcal{D} = \{y_{ij}, l_j\}^{I_{ij}}$  where  $y_{ij}$  is the user check-in count and  $l_j$  is the location
- To maximize posterior  $P(\Psi, \alpha, \beta; \mathcal{D}) = \prod_{\mathcal{D}} P(y_{ij}, l_j | \Psi, \Omega)$   
parameter  $\Psi = \{U, V, \sigma^2, W, \eta, \mu, \Sigma\}$ , priors  $\Omega = \{\alpha, \beta, a, b\}$
- Mixing Expectation Maximization (EM) and sampling algorithm to learn all the parameters by treating latent region  $r$  as a latent variable and introduce the hidden variable  $P(r | l_j, \Psi)$ 
  - Geo-clustering updates the latent regions base on both location and check-in behaviors
  - GT-BNMF learns the graphical preference factors

# Experimental Data

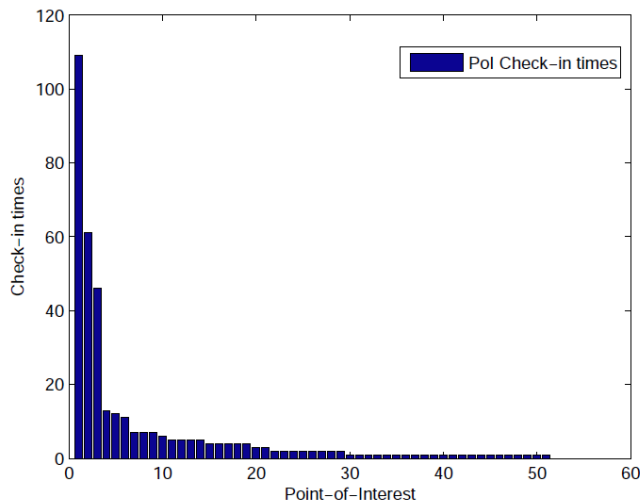
- 12,422 users for 46, 194 POIs with 738,445 check-in observations from Foursquare with sparsity of 99.87%
- Wide range user check-in count data

Name: Otto Enoteca Pizzeria

Address: 1 5th Ave, New York, NY 10003

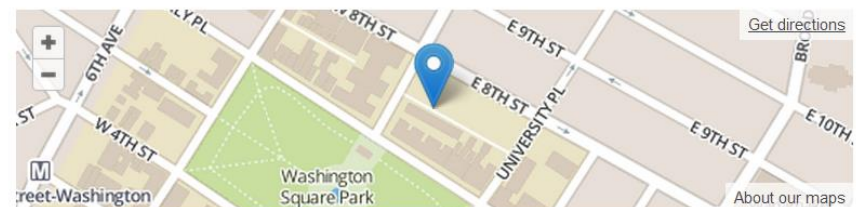
Tags: pizza wine bar italian olive oil cheese mario batali meat wine pasta gelato gluten free menu zagat rated pizza

Total people: 3,127, Total check-ins: 4,770.



## Otto Enoteca Pizzeria

1 5th Ave (at E 8th St), New York, NY 10003  
Pizza Place, Wine Bar, Italian Restaurant



- Baselines: SVD, PMF, NMF, BNMF, F-BNMF
- Metrics:
  - Recall and precision

$$\text{Precision@}N = \frac{|S_{N,\text{rec}} \cap S_{\text{visited}}|}{N}$$

$$\text{Recall@}N = \frac{|S_{N,\text{rec}} \cap S_{\text{visited}}|}{|S_{\text{visited}}|}$$

- Relative recall and relative precision, measure the improvement over a random recommendation

$$\text{rPrecision@}N = \frac{\text{Precision@}N}{|S_{\text{visited}}|/|C|} = \frac{|S_{N,\text{rec}} \cap S_{\text{visited}}| \cdot |C|}{|S_{\text{visited}}| \cdot N}$$

$$\text{rRecall@}N = \frac{\text{Recall@}N}{N/|C|} = \frac{|S_{N,\text{rec}} \cap S_{\text{visited}}| \cdot |C|}{|S_{\text{visited}}| \cdot N}$$

- Initialize the algorithm with K-means

K	Pre	SVD	PMF	NMF	BNMF	F-BNMF	GT-BNMF
10	@1	0.0041	0.0034	0.0125	0.0181	0.0192	<b>0.0347</b>
	@5	0.0066	0.0062	0.0169	0.0197	0.0208	<b>0.0288</b>
	@10	0.0081	0.0080	0.0202	0.0224	0.0237	<b>0.0306</b>
20	@1	0.0052	0.0029	0.0126	0.0147	0.0166	<b>0.0326</b>
	@5	0.0067	0.0059	0.0163	0.0160	0.0177	<b>0.0278</b>
	@10	0.0088	0.0079	0.0202	0.0197	0.0210	<b>0.0304</b>

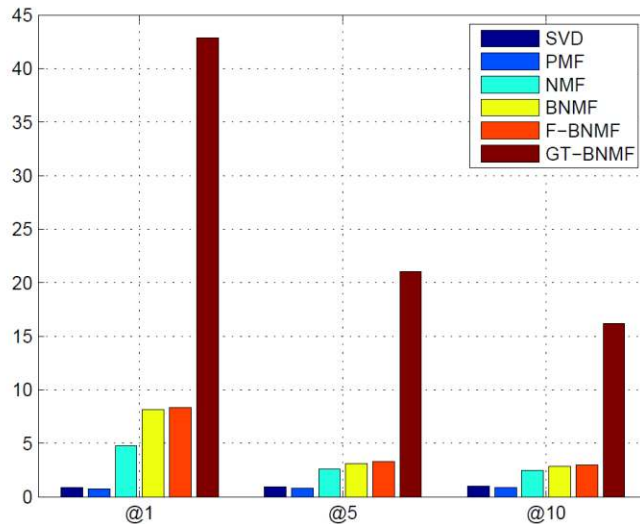
Table 3: Precision @N with different latent dimensions  $K$ .

K	Recall	SVD	PMF	NMF	BNMF	F-BNMF	GT-BNMF
10	@1	0.0008	0.0008	0.0049	0.0077	0.0081	<b>0.0061</b>
	@5	0.0038	0.0036	0.0103	0.0121	0.0127	<b>0.0147</b>
	@10	0.0060	0.0060	0.0153	0.0167	0.0176	<b>0.0212</b>
20	@1	0.0011	0.0006	0.0046	0.0059	0.0068	<b>0.0060</b>
	@5	0.0037	0.0034	0.0098	0.0097	0.0107	<b>0.0144</b>
	@10	0.0065	0.0059	0.0151	0.0148	0.0158	<b>0.0210</b>

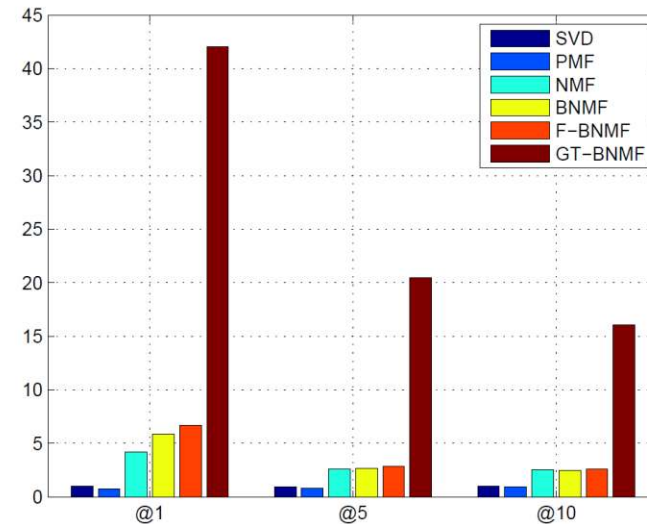
Table 4: Recall @N with two different latent dimensions  $K$ .

# Relative Performances

The relative performance @N measures the improvement over a random recommendation



(a)  $K = 10$ .



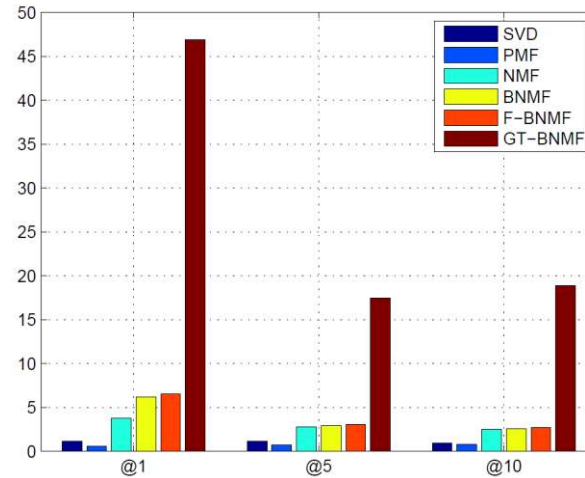
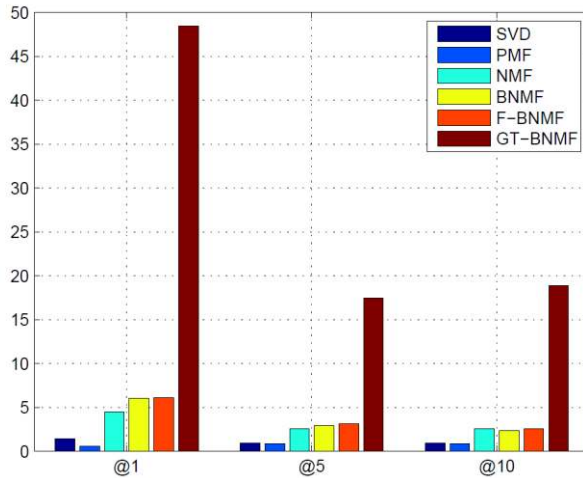
(b)  $K = 20$ .

K	@N	SVD	PMF	NMF	BNMF	F-BNMF	GT-BNMF
10	@1	0.8729	0.7280	4.7736	8.1243	8.3408	<b>42.8835</b>
	@5	0.9345	0.8251	2.5871	3.0713	3.2956	<b>21.0357</b>
	@10	0.9829	0.8856	2.4480	2.8588	2.9585	<b>16.1661</b>
20	@1	1.0148	0.7124	4.1618	5.8585	6.6864	<b>42.0183</b>
	@5	0.9287	0.8271	2.6095	2.6219	2.8506	<b>20.4742</b>
	@10	1.0084	0.9067	2.5131	2.4717	2.6043	<b>16.0662</b>

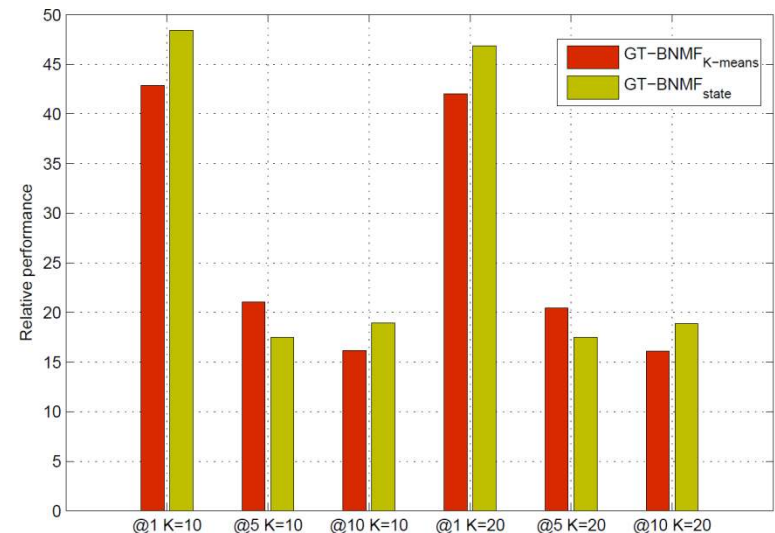


# Implications of Latent Regions

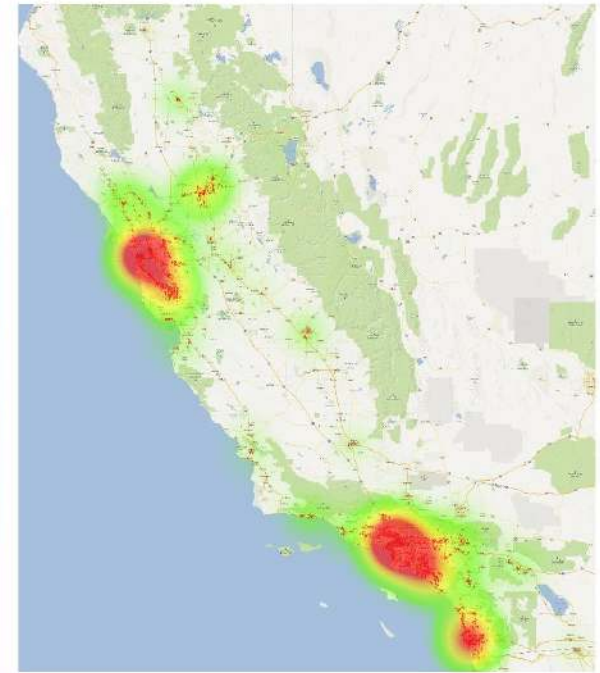
□ How about initialize the algorithm by states



□ Robust to region initiations



# Latent Region Analysis



(a)  $K$ -means.

(b) Latent region.

(c) Ground truth.

- Voronoi visualization of POI segmentation in California area. (b) latent regions learned from our model and (a) initiation by  $K$ -means. (c) true user collaborative activity clusters. Deeper color (red) indicates more check-ins for a POI, as contrary to light color (green).
- Latent regions learned from our model is more coherent to real user activity

- Proposed a general framework to learn geographical preferences for POI recommendation
  - Captured the geographical influence on a user's check-in behavior by taking into consideration of geographical factors
  - Effectively modeled the user mobility patterns
  - Extended the latent factor in explicit rating recommendation to implicit feedback recommendation settings
  - Proposed model is flexible and could be extended to incorporate different latent factor models
- The proposed model not only improves recommendation performances, but also provides an interesting perspective on POI segmentation

# Questions?

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# Thank You !