# MSBVH: An Efficient Acceleration Data Structure for Ray Traced Motion Blur 

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## Principles of Accelerated Ray Tracing

Hierarchical culling

- object list partitioning $\Rightarrow$ BVH


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- nodes do not overlap, but reference duplication


## SBVH

Best of both worlds

- object list partitioning whenever overlap is small
- spatial partitioning otherwise


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How to support motion blur?

## Multiple BVHs Sharing Identical Topology

Convex combination of bounding boxes yields conservative BVH


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Example: linear interpolation at leaf level


- acceptable memory overhead
- allows for very tight bounding boxes for every ray time $t$


## Interpolation and Spatial Splits

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- thus node references change!
- hierarchy over convex hulls is inefficient
- splitting along time-axis requires lots of memory


## Our Contribution

Extend the SBVH to handle motion blur (MSBVH)

- by computing multiple bounding volumes per node
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- by computing multiple bounding volumes per node
- using classic bounding volume interpolation traversal
- which includes spatial splits
> memory-efficient (MSBVH)
- reduced bounding volume overlap (MSBVH)

Note: we assume the hierarchy is rebuilt per frame

## Algorithm



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1. Build the SBVH for $t=0.5$ to determine topology

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4. Propagate bounds to the parent nodes
5. Interpolate these bounds during traversal

## Triangles and AABB-Hierarchies under Linear Motion



1. Use Sutherland-Hodgman to clip against leaf AABB
2. Results in barycentric coordinates of polygon vertices

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2. Results in barycentric coordinates of polygon vertices
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4. Bound the transformed polygon
5. No extra storage necessary
nVIDIA.

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1. Subdivide along surface parametrization
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## Clipping Displaced Subdivision Surfaces



1. Subdivide along surface parametrization
2. Bound individual elements, e.g. using interval arithmetic
3. Clip resulting bounding boxes
4. The union conservatively bounds the clipped primitive

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- two-level hierarchy: animated instances


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- multiple motion segments
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- higher-order interpolation
- refitting over multiple frames



## Results

BVH traversal with linear interpolation

- reduced SAH cost
- significantly less intersection tests

$\Rightarrow$ Video


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BVH traversal with linear interpolation

- reduced SAH cost
- significantly less intersection tests

- often less traversal steps
- about $20 \%$ rendering speed-up for many scenes


## Summary

In practice, works well for single frames

- helps well whenever SBVH helps
- increased build times (between BVH and kd-tree)
- prototype implemention in OptiX


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In practice, works well for single frames

- helps well whenever SBVH helps
- increased build times (between BVH and kd-tree)
- prototype implemention in OptiX
- spatial splits only avoid overlap for $t=0.5$
- topology determined for $t=0.5$
- problematic for incoherent motion


## Weta Digital is hiring!

http://wetafx.co.nz/siggraph2011

