# Mutual effect of groove size and anisotropy of cylinder liner honed textures on engine performances

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**Abstract.** The cylinder liner surface texture, widely generated by the honing technique, contributes a lot on engine functional performances (friction, oil consumption, running-in, wear etc.). In order to improve these functional performances, different honing processes are being developed. These different honing processes generate surfaces with various texture features characteristics (roughness, valleys depth, valley width, cross hatch angle, etc.). This paper addresses a comparison of ring-pack friction for cylinder texture with different cross-hatch angles and valley sizes. It takes in consideration the mutual effect of valley depth and honing angle. A numerical model is developed to predict friction within the cylinder ring-pack system in mixed lubrication regime and a morphological method is used to characterize groove depth. The results show the effect of different honing variables (rotation speed, stroke speed and indentation pressure) on cylinder bore surface textures and hydrodynamic friction of the ring-pack system.

## Introduction

In the automotive industry, in order to respect environmental regulations, manufacturing engine with lower greenhouse gas emissions is a major objective. Cylinder liner texture has a high influence on friction losses and oil consumption in an engine [1], [2] and is generated by a finishing process called honing [3]. The honing process consists of two or three successive operations. The first stage, rough honing, allows improvement in the cylindricality of the bore using coarse abrasive stones. The subsequent stages generate the surface with the desired roughness and texture features (plateau and valley size, groove cross-hatch angle, etc.). The axial motion of the honing tool combined with rotation generates grooves with a specific cross-hatch angle.

Different honing techniques (plateau honing, helical slide honing, slide honing, etc.) are used in industry [4]. The main differences between the processes are generally due to roughness or/and cross-hatch angle [4], [5].

As shown in [1], friction in the piston ring-liner interface is increased with a higher average roughness of the cylinder liner surface. Mezghani et al [3], [6] demonstrated, in the case of plateau honing process, that texture with lower plateau roughness and valley depth contribute to reduce frictional performance of honed surfaces. Another influential parameter is the groove valley depth/width ratio which is generally equal or lower than 10% to reduce friction in lubricated contacts [7], [8].

Concerning the groove orientation, a study based on a numerical hydrodynamic contact model explained the choice of honing cross-hatch in some industrial processes [9]. It determined two optimal ranges of crosshatch angles  $(40^{\circ}-60^{\circ} \text{ and } 120^{\circ}-140^{\circ})$  in hydrodynamic lubrication condition for lower friction performances. Nevertheless, other studies have shown good frictional behavior for low groove orientations  $(15^{\circ}-25^{\circ})$  [10], [9]. Moreover, according to [1], oil consumption is reduced with increasing cross-hatch angle of the cylinder liner texture.

In general, it was demonstrated in the literature that groove size and orientation are two influential texture features on engine functional performances (friction, lubrication, wear, etc.). However the mutual effect of both groove orientation and size on engine functionality is still unknown.

In this paper, the mutual influence of honing angle and groove size was studied through honing experiments at different rotational and axial velocities and indentation conditions in order to generate textures that consist of grooves at different cross-hatch angles and sizes (depth and width). Then, frictional performance of the obtained textures were evaluated in order the establish a link between size, orientation of valleys and functionality. Finally, a comparative strategy concerning friction reduction in ring-pack system is discussed.

# **Experimental procedure**

**Honing experiments.** In this study, instrumented honing experiments have been undertaken on a vertical honing machine with an expandable tool (NAGEL no. 28-8470) (Fig. 1). The considered part is a crankcase that consists of four lamellar grey cast iron cylinder liners. First, during the rough and finish stages, all of the process parameters are similar for all the honed bores. After these stages, the obtained texture consists of cross-hatched grooves with an angle of  $50^{\circ}$ . Then, in the third honing stage, different rotational and axial velocities were used to generate different groove orientations (30, 50, 80,110 and 130°). Moreover, in this stage, two different expansion modes were used: an electromechanical and a hydraulic expansion. The details of the most important applied process condition are represented in Table 1.

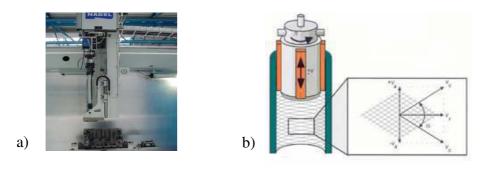


Fig. 1. (a)Vertical honing machine with an expansible tool ; (b) Schematic representation of a honing head and its motion.

. Honing parameters	Finish honing	Super-finish honing step	
		Mechanical expansion (finish)	Hydraulic expansion (plateau)
Axial speed (m/min)	18	11, 18, 27, 29	11, 18, 27, 29
Rotation speed (rpm)	160	58, 85, 135, 160, 170	58, 85, 135, 160, 170
Honing duration (sec)	20	12	7
Expansion type	Mechanical	Mechanical	Hydraulic
Expansion speed (µm/s)	2-4	1.7	-
Contact pressure (bar)	-	-	6
Number of stones	6	6	6
Abrasive grit type	Silicon Carbide	Silicon Carbide	Silicon Carbide
Grain size (µm)	107	107	30
Bond type	Vitrified	Vitrified	Vitrified
Abrasive stone Dimensions (mm x mm x mm)	6x6x70	6x6x70	6x6x70

Table 1. Honing operating condition in the second and third honing stages.

**Surface topography measurements.** First, the honed crankcases were cut in order to extract portions of honed bores and to facilitate optical measurements. A three-dimensional analysis was then undertaken in the mid-height of liner samples. Measurements were performed in three

locations by a three-dimensional white light interferometer, WYKO 3300 NT (WLI). The surface was sampled at 640x480 points with the same step scale of 1.94  $\mu$ m in the -x and -y directions. The form component is removed from acquired 3D data using least square method based on a cubic Spline function. Examples of 3D measured surfaces after the third honing stage generating 130° cross-hatched grooves using hydraulic and mechanical expansion modes are shown in Fig. 2.  $\theta_1$  and  $\theta_2$  represent groove cross-hatch angles obtained after the second and third honing stages respectively.

Furthermore, a morphological decomposition method to extract valley depth (Svq) is used on the 3D measured surfaces as described in [6], [11]. The size of generated grooves (width and depth) is also evaluated from 3D measurements in order to compare the impact of finish, plateau and superfinish stages on the surface topography.

In order to focus only on the effect of groove size on functionality, the three dimensional topography of each surface was scaled numerically at a similar mean roughness Sa (ISO 25178-2 standard) using the same method as described in [5]. In order to obtain a Sa roughness equal to  $1\mu m$  the following formula is used:

$$Z_{f}(x, y) = \frac{Z_{i}(x, y) \times 1.0 \times 10^{-6}}{Sa_{i}}$$
(1)

Where  $Z_f$  is the topography of the surface (with Sa=1µm),  $Z_i$  the topography of the initial surface and  $Sa_i$  the mean initial roughness.

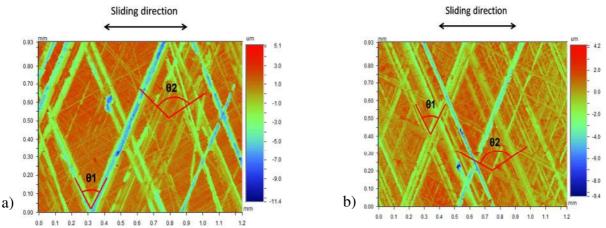


Fig. 2. Topography of a honed surface with 130° cross-hatched grooves (a) generated after a hydraulic expansion (plateau) and (b) after a mechanical expansion (super-finish).

#### Numerical model

A deterministic model has been used to predict frictional performances of each type of honed surface in the mixed lubrication regime.

**Elastohydrodynamic equation.** The Reynolds' equation has been used to estimate the pressure distribution, *P*, film thickness, *H*, and the friction coefficient,  $\mu_f$ , considering the non-Newtonian behaviour of the fluid.

The equation in dimensionless form is given by:

$$\frac{\partial}{\partial X} \left( \frac{\overline{\rho}H^3}{\lambda \overline{\eta}_X} \frac{\partial P}{\partial X} \right) + \frac{\partial}{\partial Y} \left( \frac{\overline{\rho}H^3}{\lambda \overline{\eta}_Y} \frac{\partial P}{\partial Y} \right) = \frac{\partial \overline{\rho}H}{\partial X}$$
(2)

Where  $\lambda = \frac{12\mu_0 \times a \times U_m}{h_0^2 \times p_h}$ ,  $\overline{\eta_X}$  and  $\overline{\eta_Y}$  are the effective viscosities in the x and directions

respectively according to the Eyring model [12], *a* the contact radius (m),  $\mu_0$  the ambient temperature zero-pressure viscosity (Pa.s) and  $h_0$  is the film thickness constant parameter (m).

The boundary condition P = 0 and the cavitation  $P(X,Y) \ge 0 \forall X, Y$  must be satisfied during the simulation

The lubricant's viscosity and density are chosen to depend on pressure following the Dowson and Higginson formula [13] and Roelands law [14].

The considered ring is a wiper ring, which the bottom part, in the contact zone, is cylindrical with a high radius of curvature.

The film thickness equation is given in dimensionless form by the following equation (parabolic approximiton):

$$H(X,Y) = H_0 + \frac{X^2}{2} \times \left(\frac{a^2}{h_0 R_x}\right) + \overline{\delta}(X,Y) - \overline{Z_h}(X,Y)$$
(3)

Where,  $Z_h$  is the height surface topography at each position (X, Y),  $R_x$  the ring radius of curvature and  $\overline{\delta}(X,Y)$  the elastic displacement of the two contact bodies in the normal direction. The elastic deformation is mainly due to roughness that generates pressure peaks in the oil film [15]. The unknown constant  $H_0$  in the  $\Omega_c$  domain is determined by the force balance equation:

$$\frac{w \times Ly_{1p}}{p_h \times a^2} = \iint_{\Omega_C} P(X, Y) dX dY$$
(4)

Where w is the load per unit length (N/mm) and  $Ly_{1p}$  the real contact length (mm).

Numerical analysis. The Reynolds equation was solved by the finite difference method in order to obtain the film pressure distribution. The solution domain was determined as  $-3 \le X \le 3$  and  $-4.5 \le Y \le 4.5$ . The computational grid covering the domain consisted of equally spaced 512x512 nodes. For more precision and validation, the reader can refer to the model described in [16]. The applied load *w* per unit length is equal to 200N/mm. The sliding speed is equal to 0.05 m.s<sup>-1</sup>. The total friction  $\mu_f$  in mixed lubrication regime is evaluated by summing up the boundary friction contributed by the contacted areas and the traction in the hydrodynamic regions:

$$\mu_f = \frac{\iint_{\Omega_C} \tau_c dx dy + \iint_{\Omega_C} \tau_e dx dy}{w \times Ly_{1p}}$$
(5)

where  $\tau_c$  is the shear stress between the contacting asperities at contact zone  $\Omega_c$  and  $\tau_e$  is the shear stress of hydrodynamic films within the lubricated zone  $\Omega_c$ .  $\tau_e$  is calculated at each iteration.  $\tau_c$  is considered to be the shear stress of the boundary film which occurs when the local film thickness is less than 1 nm in the present study. 1 nm corresponds to the magnitude of a lubricant molecule, which is considered as negligible to generate hydrodynamic pressure flow, according to [17] and [18]. Hence  $\tau_c$  can be determined by the Rabinowicz formula [19]:

$$\tau_c = \sqrt{\tau_{s0}^2 + (\gamma_s p)^2} \tag{6}$$

Where,  $\tau s0$  is the initial shear strength of the boundary film and  $\gamma_s$  is the pressure coefficient corresponding to the friction coefficient in boundary lubrication. In the present study  $\gamma_s$  and  $\tau_{s0}$  are equal to 0.15 and 2 MPa, respectively.  $\gamma_s$  is determined experimentally, trough tribometer tests and  $\tau_{s0}$  is from literature [20].

### Results

From three-dimensional measurement, the valley root mean square height (Svq) was evaluated using the morphological decomposition (Fig. 3). It showed that the global valley depth is sensibly similar between surfaces from the two honing processes, the plateau process (hydraulic expansion at the third stage) and the double finish process (mechanical expansion at the third stage). Nevertheless, the global valley depth is quite higher for surfaces obtained by plateau process for some cross-hatch angles (50 and 110°).

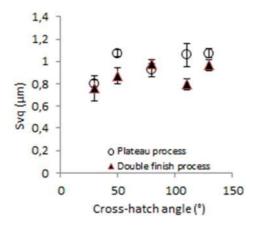


Fig. 3. Evolution of Svq parameter with cross-hatch angle for surfaces generated with plateau process and double finish process.

In order to evaluate the influence of grooves generated during the second and the third honing stages, the valley size (depth and width) of grooves from each honing stage was evaluated directly using 3D measurement.

The size of grooves generated during the second stage (Fig. 4) is very similar for both double finish and plateau processes.

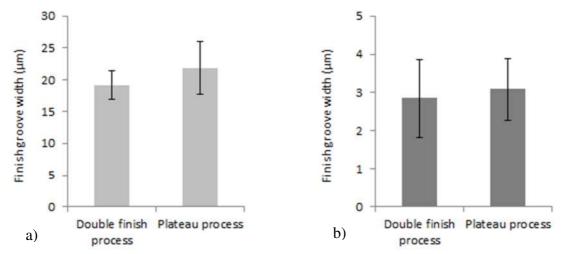


Fig. 4. (a) Valley width and (b) valley depth for grooves generated during the second honing stage (finish stage) after plateau process and double finish process.

Concerning the grooves generated during the third honing stage, a significant difference is noticed between plateau stage (plateau process) and super-finish (double finish process) groove size (Fig. 5). Super-finish stage grooves are deeper than plateau stage groove especially for a cross-hatch angle  $\theta_2$  equal to 50, 110 and 130° (Fig. 5a). The same remarks are applicable for groove depth/width ratio behaviour (Fig. 5b). From these results, because of the similarities of finish grooves, the main differences of the generated surfaces are due to the third honing stage (plateau stage and/or super-finish stage).

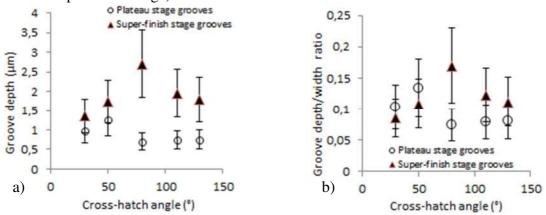


Fig. 5. (a) Depth and (b) depth/width ratio for grooves generated during the third honing stage.

Afterwards, the numerical model described in Section 3 was used to establish a correlation between the generated groove size during the third honing stage and frictional performances.

Fig. 6 represents the mutual effect of cross hatch angle and groove depth on the predicted friction in the ring-liner-piston contact. The amplitude of friction coefficients is in the range [0.04-0.085], which correspond to the mixed lubrication regime. It shows that the friction coefficient decreases mainly with groove depth reduction. However, the lowest [ $30-40^{\circ}$ ] and highest [ $120-130^{\circ}$ ] cross-hatch contribute the most to improve frictional performances. An angle equal to  $130^{\circ}$  combined with a groove depth in the range [0.8-1.8], which is the widest, allows to obtain the best frictional surface behavior.

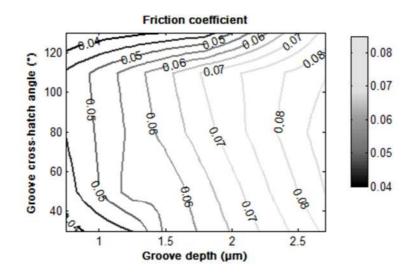


Fig. 6. Predicted friction coefficient vs depth and gross hatch-angle of grooves generated during the third honing stage.

Fig. 7 represents the mutual effect of cross hatch angle and groove depth/width ratio on the predicted friction in the ring-liner-piston contact. It shows that the friction coefficient decreases mainly with the decrease of groove depth/width ratio. Here the lowest friction coefficients are obtained with surfaces that consist of [120-130°] and [50-60°] groove cross-hatch angles combined with a depth/ratio depth lower than 11% or equal to 8% respectively.

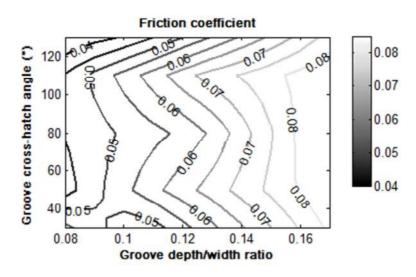


Fig. 7. Predicted friction coefficient vs depth/width ratio and gross hatch-angle of grooves generated during the third honing stage.

# Conclusion

Grooves generated during the third honing stage influence a lot on frictional performances of honed surfaces in mixed lubrication regime. This study demonstrated the mutual effect of size and cross-hatch angle of this type of grooves on the predicted friction coefficient in the ring-piston-liner contact.

Finally results from friction numerical analysis show that:

Both groove depth and depth/width ratio allow to reduce the most significantly friction coefficient. Grooves with a depth lower than  $1\mu m$  and a depth/width ratio lower than 10% contribute to obtain the lowest friction coefficient.

Cross-hatch angle allows reducing friction coefficient in the range [120-130°]. For this range, higher depth (up to 1.8 $\mu$ m) and depth/width ratio (up to 12%) values can be used to obtain the lowest friction coefficients.

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