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### Short communications

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#### On partitions of $N$ into summands coprime to $N$

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Let  $R(n)$  and  $R'(n)$  denote the number of partitions of  $n$  into summands and distinct summands respectively that are relatively prime to  $n$ . Erdős obtained the first results concerning the asymptotic behaviour of these functions showing that

$$\log R(n) \sim \pi\sqrt{\frac{2}{3}} \phi^{1/2}(n)$$

$$\log R'(n) \sim \pi\sqrt{\frac{1}{3}} \phi^{1/2}(n)$$

where  $\phi(n)$  denotes Euler's function. Richmond showed that the error terms in the above result are  $O\{\exp((1+\epsilon)\log 2 \log n/\log \log n)\}$  by showing that the asymptotic results of Roth and Szekeres hold for this problem. In this note previous results are improved and a certain set of integers is exhibited for which asymptotic expansions in terms of standard number-theoretic functions may be obtained.

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#### About orthogonal permutations of the group $G = G(2)XG(k)$

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Let the group  $G = G(2)XG(k)$  of order  $n = 2k$ ,  $k$  even, such that:

$$G = \{(0, 0), (0, 1), \dots, (0, k-1), (1, 0), (1, 1), \dots, (1, k-1)\} [1],$$

with

$$a \pm b = (a_1, a_2) \pm (b_1, b_2) = ((a_1 \pm b_1)(\text{mod } 2), (a_2 \pm b_2)(\text{mod } k)), a, b \in G$$