Self-Constructive High-Rate System Energy Modeling for Battery-Powered Mobile Systems

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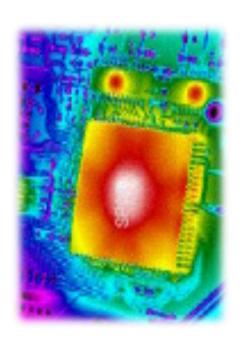


System Energy Model

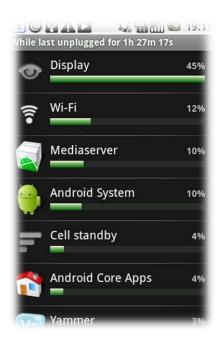
$$y(t) = f(x_1(t), x_2(t), ..., x_p(t))$$

Response *y*(*t*): Energy consumed by the system in *t* Predictors $x_i(t)$:
System status variables in t

Rate (1/t)



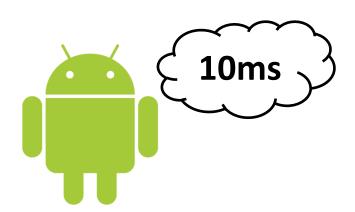


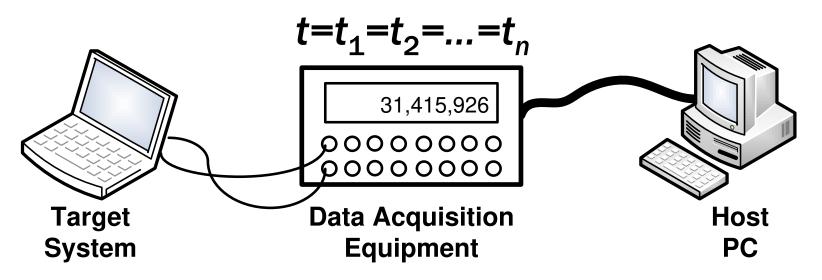


0.01Hz 1Hz 100Hz

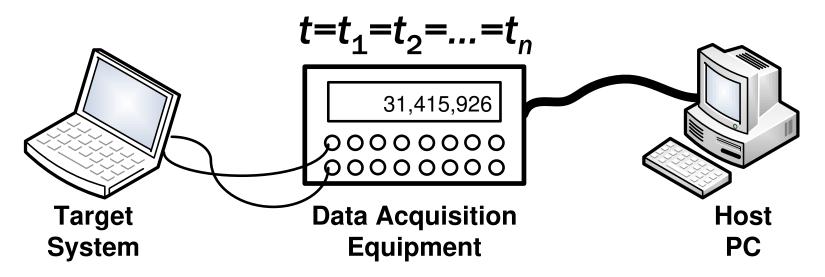
A High-Rate Energy Model

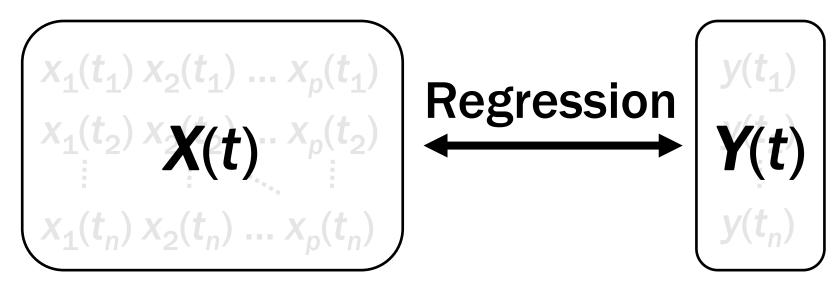
is needed to provide an energy reading at each OS scheduling interval

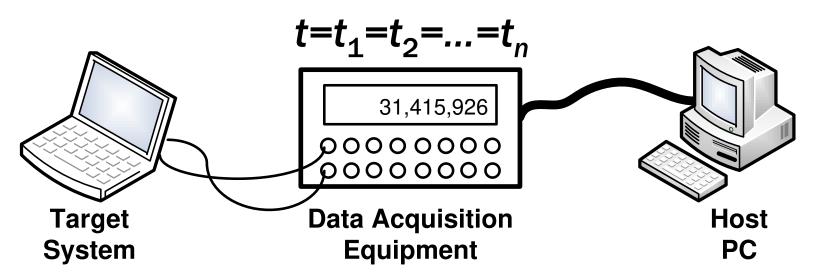




$$x_1(t_1) x_2(t_1) \dots x_p(t_1)$$
 $y(t_1)$
 $x_1(t_2) x_2(t_2) \dots x_p(t_2)$ $y(t_2)$
 $\vdots \qquad \vdots \qquad \vdots$
 $x_1(t_n) x_2(t_n) \dots x_p(t_n)$ $y(t_n)$



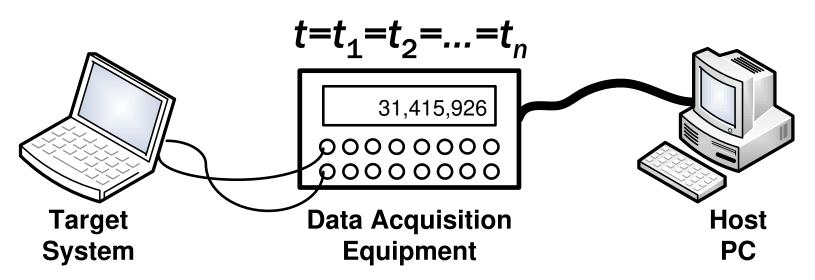




Linear Model:

$$y(t) = \beta_0 + \beta_1 x_1(t) + ... + \beta_p x_p(t)$$

$$\hat{\boldsymbol{\beta}} = \operatorname{argmin}_{\boldsymbol{\beta}}(\|\mathbf{Y}(t) - [\mathbf{1} \ \mathbf{X}(t)]\boldsymbol{\beta}\|_{2})$$



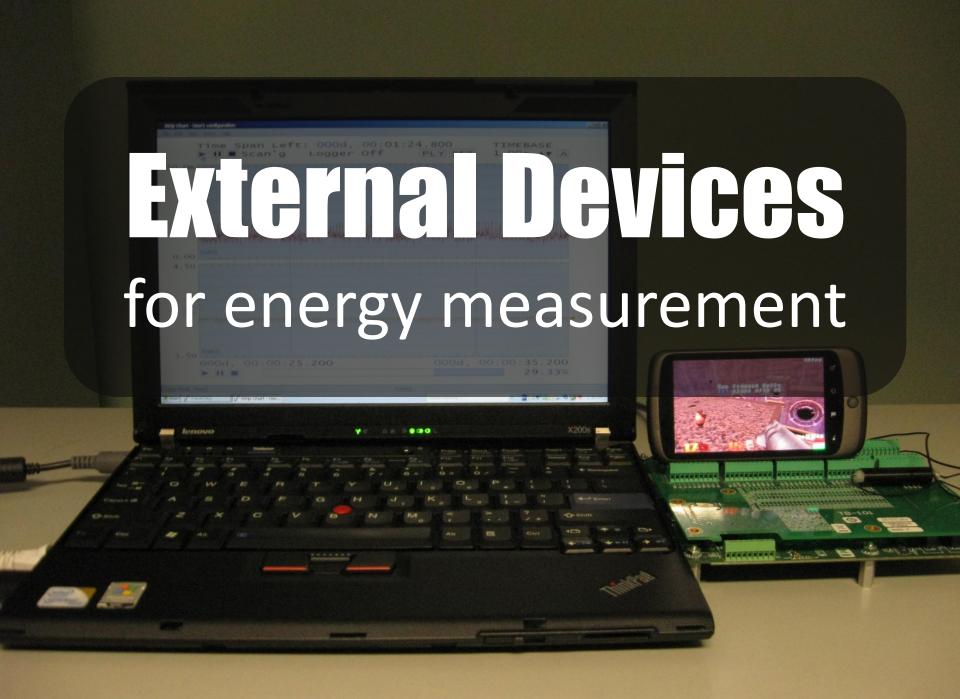
Linear Model:

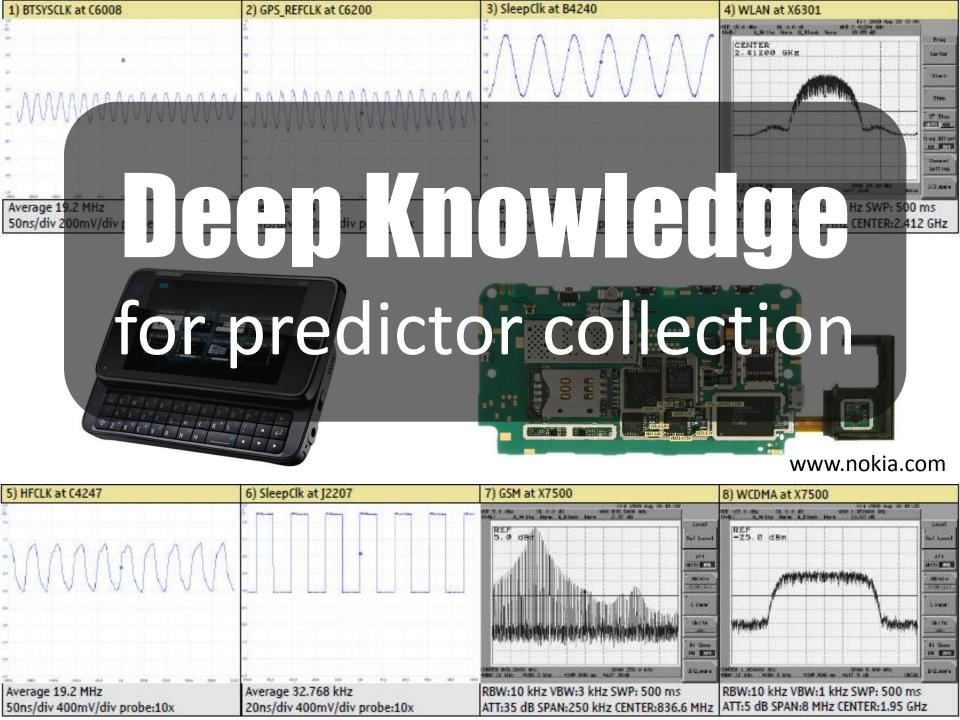
$$\hat{y}(t) = \hat{\beta}_0 + \hat{\beta}_1 x_1(t) + ... + \hat{\beta}_p x_p(t)$$

$$err(t_i) = \frac{\hat{y}(t_i) - y(t_i)}{y(t_i)}$$

Mean Absolute Root-Mean-Square

What are the limitations?











Dependencies of system energy models on

Hardware & Usage

suggest "personalized" models be constructed for a mobile system



Self-Constructive

System Energy Modeling

External Devices

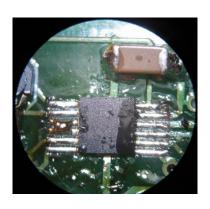
Deep Knowledge

Exclusive Model

Fixed Model

Battery Interface Statistical Learning Personalized Model

Battery Interface







State-of-the-art battery Interfaces are

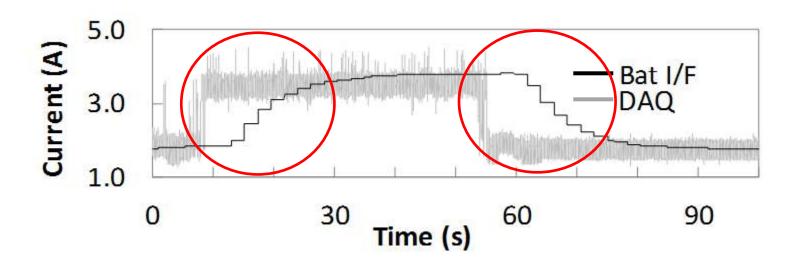
Low-rate/Inaccurate

	N85	T61	N900
Max Rate	4Hz	0.5Hz	0.1Hz
Accuracy	67%	82%	58%

Accuracy = 100% - Root_Mean_Square(Instant_Relative_Error)

Errors in battery interface readings

are Non-Gaussian



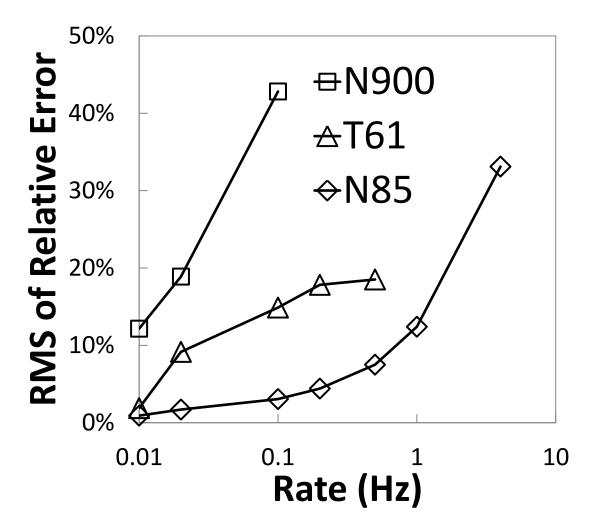
Low-Rate/Inaccurate Battery Interface



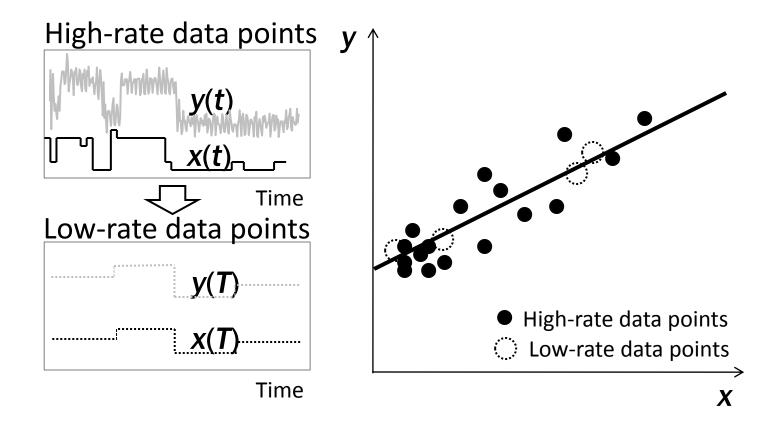
High-Rate/Accurate
System Energy Model

Averaged battery interface readings

have Higher Even Lower Solve S



Linear models are **Independent on Time**



1. Model Molding

$$Y(t_{VL})$$
 $\P(t_L)$ $\hat{Y}(t_H)$

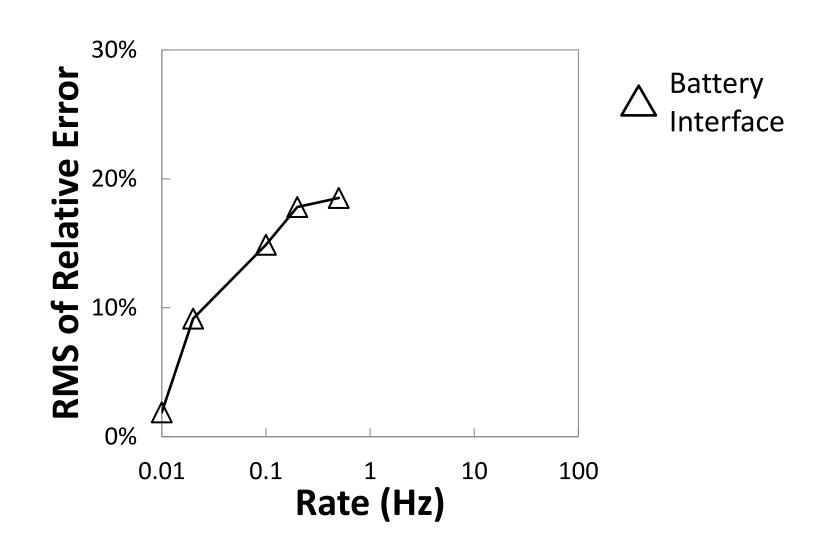
$$X(t_{VL})$$
 $M(t_{VL})$ $M(t_H)$

$$M(t_{VL})$$
 $M(t_H)$

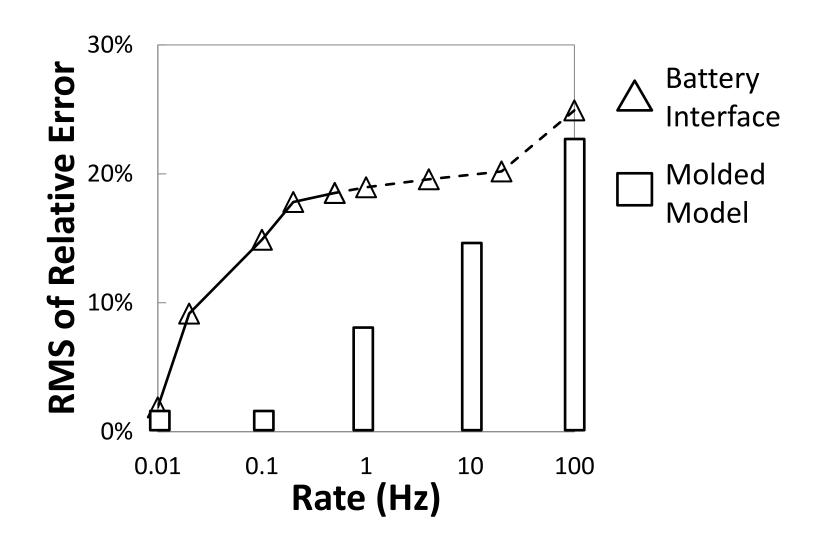
$$M(t_{VL})$$
 $M(t_H)$

$$M(t_{VL})$$
 $M(t_H)$

$$M(t_{VL})$$
 $M(t_H)$

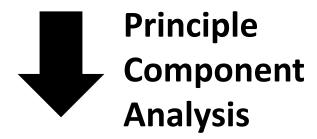


Model Molding improves rate



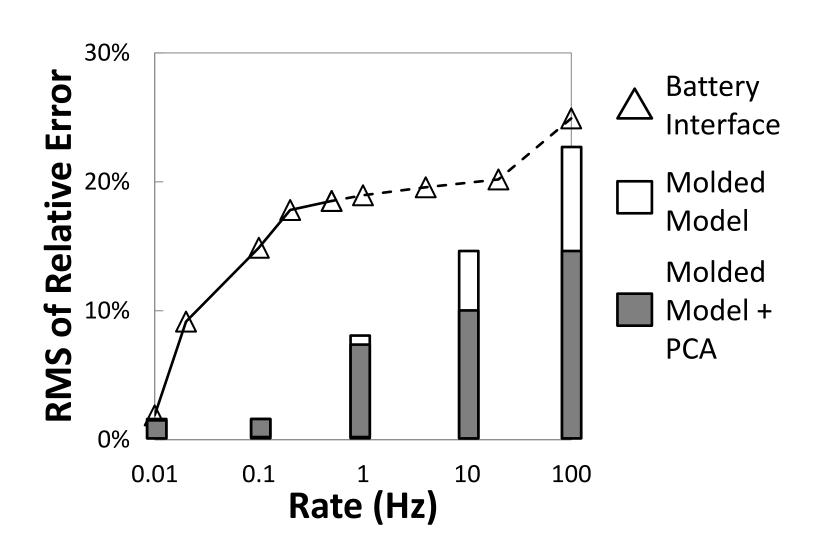
2. Predictor Transformation

$$X_1(t), X_2(t), ..., X_p(t)$$

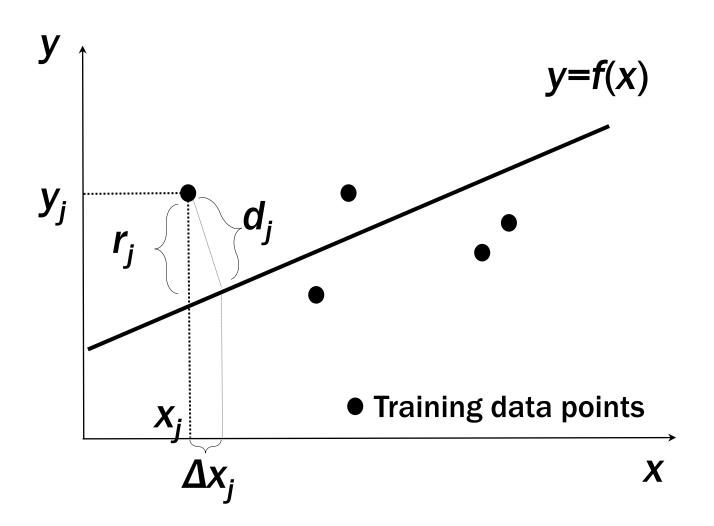


$$Z_1(t), Z_2(t), ..., Z_L(t) \ L \le p$$

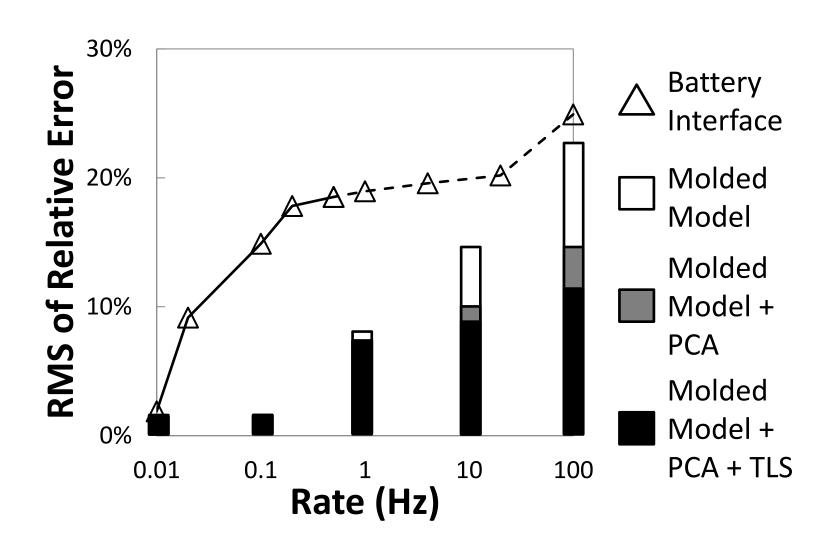
PCA improves accuracy

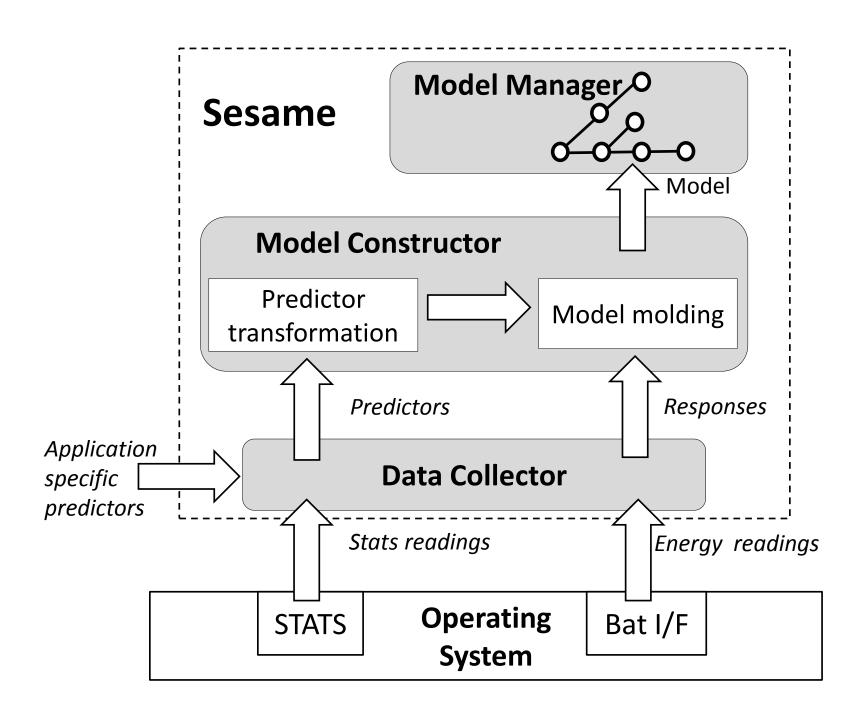


3. Total-Least-Square



TLS improves accuracy at high rate





Implementation



N900



Sesame is able to generate energy models with a rate up to 100HZ

	T61	N900
1Hz	95%	86%
100Hz	88%	82%

Accuracy = 100% - Root_Mean_Square(Instant_Relative_Error)

Field Study



Day 1-5:

Model Construction

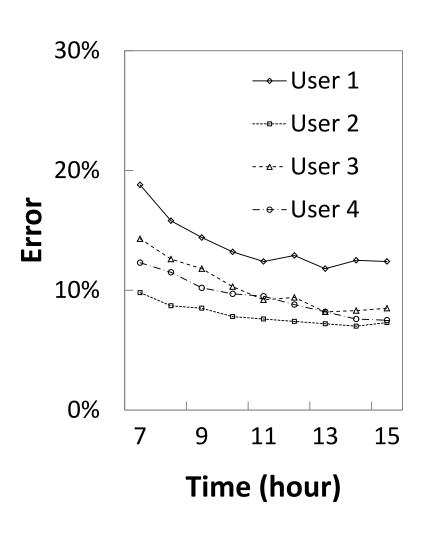
Day 6:

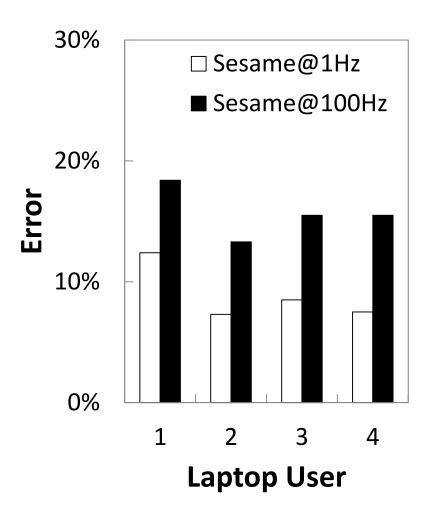
Model Evaluation





Models were generated within 15 hours





Sesame is able to construct models of high accuracy because of

- 1. Sophisticated Statistical Methods
 2. Conchility to Adopt Models
- 2. Capability to Adapt Models

Sesame is a high-rate/accurate Virtual Power Meter

and creates new opportunities in Energy Optimization & Management

Software Optimization

$$y(t) = \beta_0 + \beta_1 x_1(t) + \dots + \beta_p x_p(t)$$

$$\downarrow$$

"Knob" provided by target software

Energy Accounting

$$y(t) = \beta_0 + \beta_1 x_1(t) + ... + \beta_p x_p(t)$$

n Processes

Energy Accounting

$$y(t) = \beta_0 + \beta_1 x_1(t) + \dots + \beta_p x_p(t)$$

$$x_1(t) = x_{1,1}(t) + \dots + x_{1,n}(t)$$

$$\vdots$$

$$x_p(t) = x_{p,1}(t) + \dots + x_{p,n}(t)$$

Energy Contribution by Process j

$$y_j(t) = \beta_1 x_{1,j}(t) + ... + \beta_p x_{p,j}(t)$$

Sesame can be also used for **Servers and Workstations**

Conclusions

 Self-Modeling is necessary to adapt to the changes in hardware and usage

 Statistical methods help to construct high-rate /accurate models from low-rate/inaccurate battery interfaces

 Sesame creates new opportunities in system energy optimization and management