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# Solving Routing and Spectrum Allocation Related Optimization Problems

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# Outline

- I. RSA Basics**
- II. Solving Techniques**
- III. Advanced RSA**
- IV. Off-line Network Planning**
- V. In-operation Network Planning**



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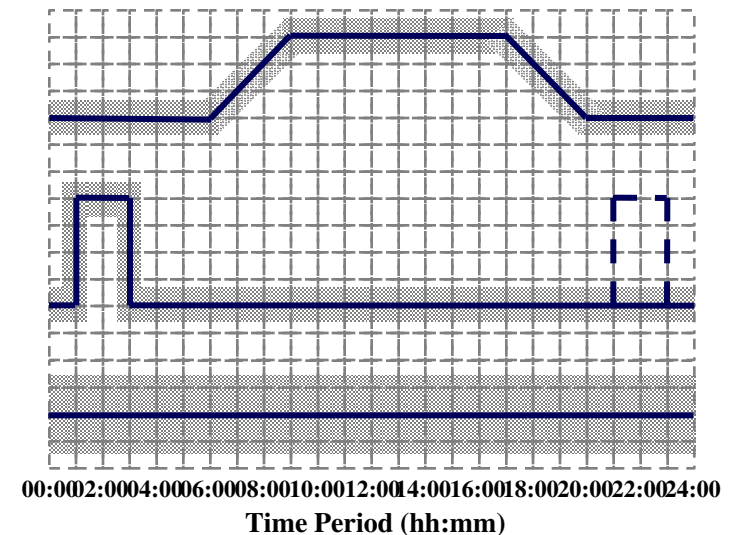
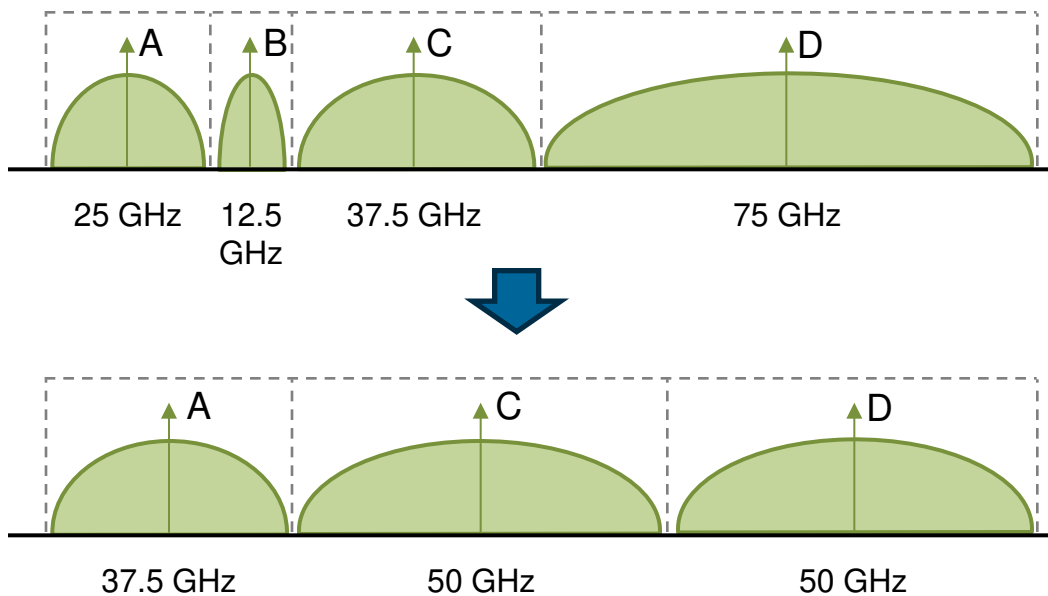
# Part I

## RSA basics

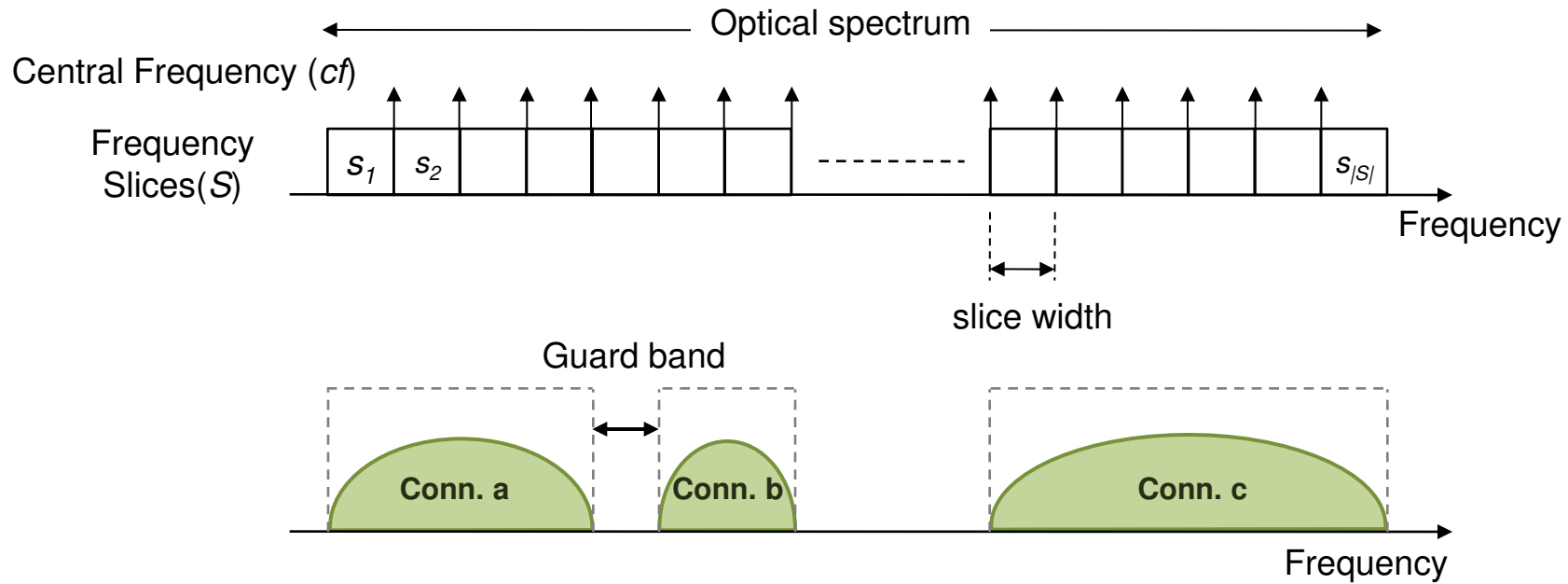
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# Flexgrid

- Flexgrid uses a finer spectrum granularity.
  - The optical spectrum is divided into frequency slices (e.g. 6.25GHz).
- It brings features that are not offered by the fixed grid networks, such as
  - **flexible** bandwidth allocation.
  - transporting optical connections with a capacity **beyond 100Gb/s**
  - **elasticity** against time-varying traffic.



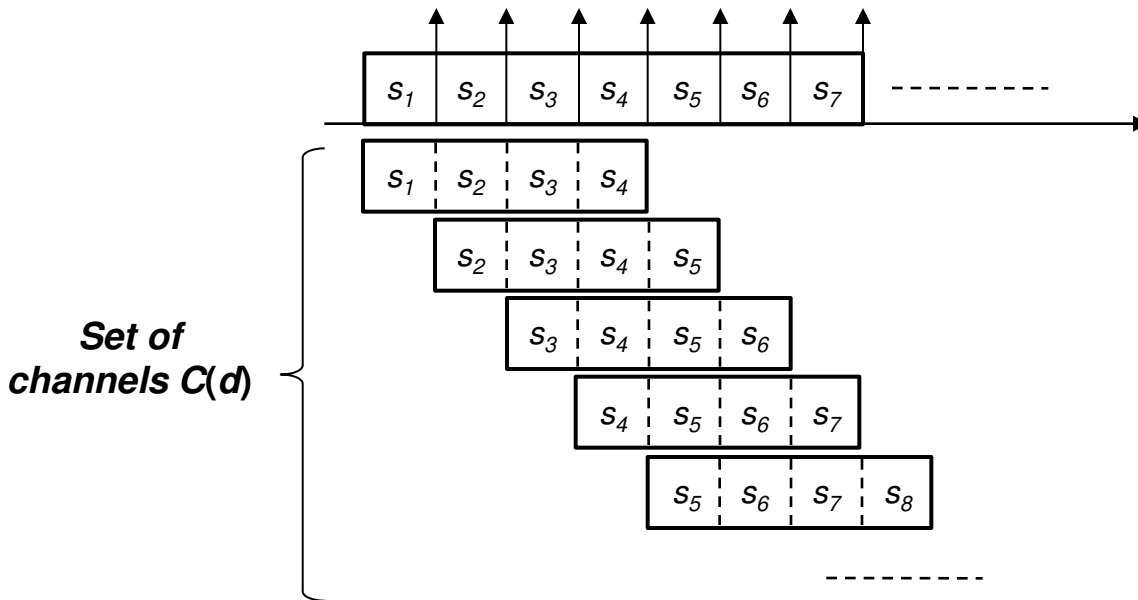
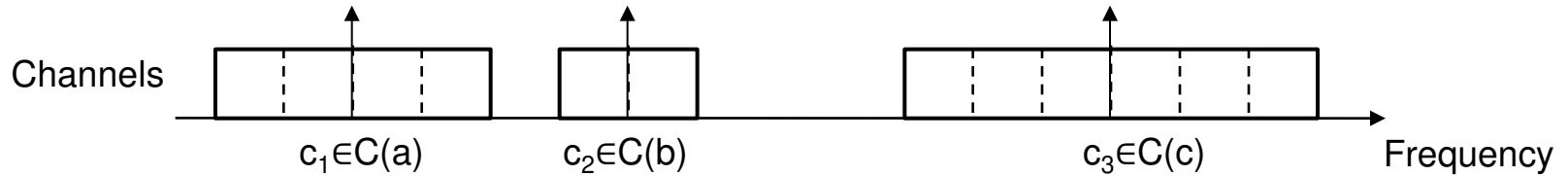
# Spectrum allocation



Spectrum allocation entail dealing with two constraints:

- **spectrum continuity** along the links of a given routing path: the same slices must be used in all links of the path,
- **spectrum contiguity**: the allocated slices must be contiguous in the spectrum.

# Slices and Channels



## $C(d)$ pre-computation

**INPUT**  $S, d$

**OUTPUT**  $C(d)$

```

1: Initialize:  $C(d) \leftarrow 0_{[|S|-n_d+1 \times |S|]}$ 
2: for each  $i$  in  $[0, |S|-n_d]$  do
3:   for each  $s$  in  $[i, i+n_d-1]$  do
4:      $C(d)[s]=1$ 
5: return  $C(d)$ 
  
```

# Basic RSA Problem Statement

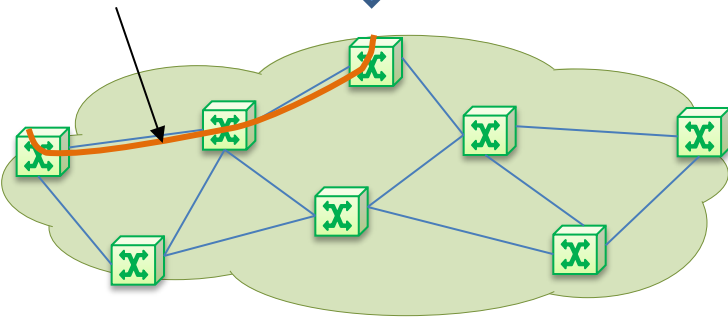
- Given:
  1. a set  $N$  of locations and a set of optical fibers  $E$  connecting those locations;
  2. the characteristics of the optical spectrum (i.e., spectrum width, frequency slice width) and the set of modulation formats;
  3. a traffic matrix  $D$  with the amount of bitrate exchanged between each pair of locations in  $N$ ;
- Output: the **Route and Spectrum Allocation** for each demand in  $D$ .
- Objective: one or more among:
  - Minimize the amount of bitrate blocked,
  - Minimize the total amount of used slices,
  - Minimize the total number of links used,
  - etc.

Demand Matrix

From	To	BW



Lightpaths



Flexgrid

# Link-path Channel Assignment Formulation

## Pre-computed Parameters

$P(d)$	Set of predefined candidate paths for demand $d$ .	$\delta_{pe}$	Equal to 1 if path $p$ uses link $e$ , 0 otherwise.
$C(d)$	Set of channels for demand $d$ .	$\gamma_{cs}$	Equal to 1 if channel $c$ includes slice $s$ , 0 otherwise.

## Variables

$x_d$	Binary. Equal to 1 if demand $d$ is rejected, 0 otherwise.
$y_{pc}$	Binary. Equal to 1 if channel $c$ is assigned to path $p$ and 0 otherwise

$$(LP - CA) \quad \min \sum_{d \in D} x_d \cdot b_d$$

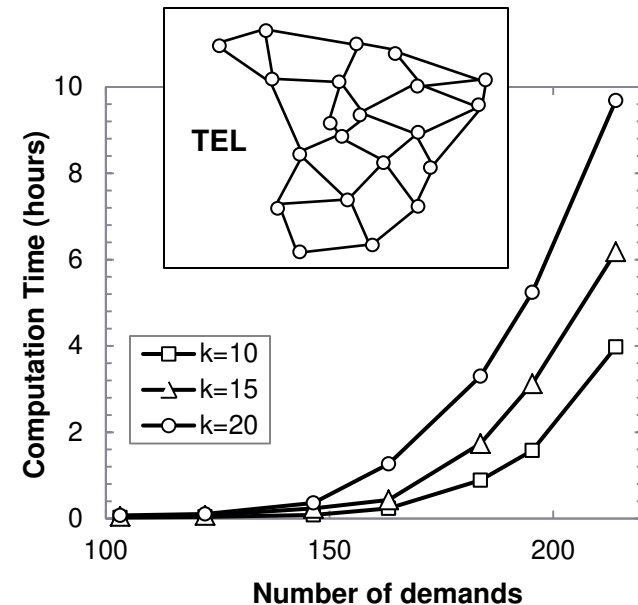
subject to:

$$\sum_{p \in P(d)} \sum_{c \in C(d)} y_{pc} + x_d = 1 \quad \forall d \in D$$

$$\sum_{d \in D} \sum_{p \in P(d)} \sum_{c \in C(d)} \gamma_{cs} \cdot \delta_{pe} \cdot y_{pc} \leq 1 \quad \forall e \in E, s \in S$$

$O(|P(d)| \cdot |D| \cdot |C|)$  variables  
 $O(|D| + |E| \cdot |S|)$  constraints

Solved using CPLEX



\* L. Velasco, et al., "Modeling the Routing and Spectrum Allocation Problem for Flexgrid Optical Networks," Springer Photonic Network Communications, 24, 177-186, 2012



# Topology Design as a RSA Problem

- Given:

1. a connected graph  $G(N,E)$ , where  $N$  is the set of locations and  $E$  the set of optical fibers;
2. the characteristics of the optical spectrum and modulation formats;
3. a traffic matrix  $D$ ;

- Output:

1. The route and spectrum allocation for each demand in  $D$ .
2. **The links that need to be equipped;**

- Objective: **Minimize number of links to be equipped** to transport the given traffic matrix.

# Node-link CA Formulation

## Variables

- $w_{dec}$  Binary. Equal to 1 if demand  $d$  uses channel  $c$  in link  $e$ , 0 otherwise
- $z_e$  Binary. Equal to 1 if link  $e$  is opened, 0 otherwise

$$(NL - CA) \quad \min \quad \sum_{e \in E} z_e$$

subject to:

$$\sum_{e \in E(v)} \sum_{c \in C(d)} w_{dec} = 1 \quad \forall d \in D, v \in \{s_d, t_d\}$$

$$\sum_{e \in E(v)} \sum_{c \in C(d)} w_{dec} \leq 2 \quad \forall d \in D, v \notin \{s_d, t_d\}$$

$$\sum_{\substack{e' \in E(v) \\ e' \neq e}} w_{de'c} \geq w_{dec} \quad \forall d \in D, c \in C(d), v \notin \{s_d, t_d\}, e \in E(v)$$

$$\sum_{d \in D} \sum_{c \in C(d)} \gamma_{cs} \cdot w_{dec} \leq 1 \quad \forall e \in E, s \in S$$

$$\sum_{d \in D} \sum_{c \in C(d)} w_{dec} \leq |S| \cdot z_e \quad \forall e \in E$$

$O(|D| \cdot |E| \cdot |C|)$  variables

$O(|D| \cdot |C| \cdot |V| \cdot |E|)$  constraints

\* L. Velasco, et al., "Modeling the Routing and Spectrum Allocation Problem for Flexgrid Optical Networks," Springer Photonic Network Communications, 24, 177-186, 2012

# Network Dimensioning as a RSA Problem

- Given:

1. a connected graph  $G(N,E)$ , where  $N$  is the set of locations and  $E$  the set of optical fibers;
2. the characteristics of the optical spectrum and modulation formats;
3. a traffic matrix  $D$ ;
4. **the cost of every component, such as optical cross-connects (OXC) and transponder (TP) types specifying its capacity and reach.**

- Output:

1. The route and spectrum allocation for each demand in  $D$ .
2. **Network dimensioning including the type of OXC and TPs in each location;**

- Objective: **Minimize the total cost** to transport the given traffic matrix.



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# Part II

## Solving Techniques

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# Heuristics

- RSA problems are *NP-hard*, so there is little hope of ever finding efficient exact solution procedures for them.
- Un-tractability of MILP formulations appears when instances to be solved involve a large number of variables.
  - Tens of nodes x Tens of links x Hundreds of slots x Hundreds of demands = Millions of binary variables.
- Heuristics, i.e., **approximate solution techniques**, can be used to tackle RSA-based (combinatorial) problems.

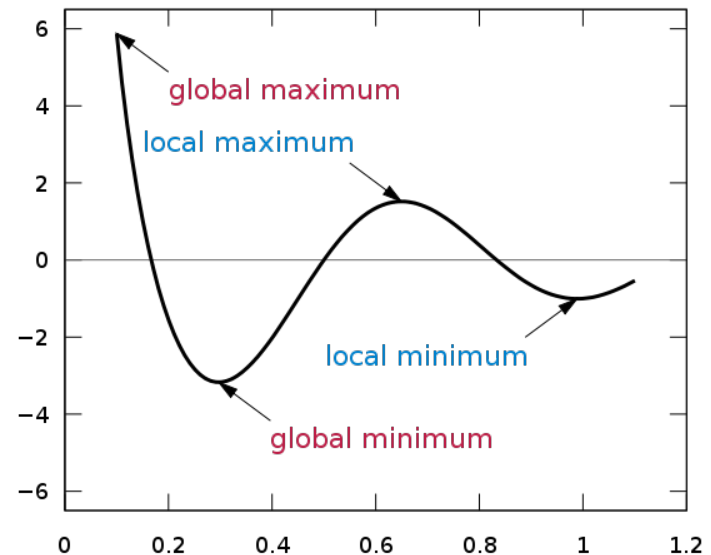
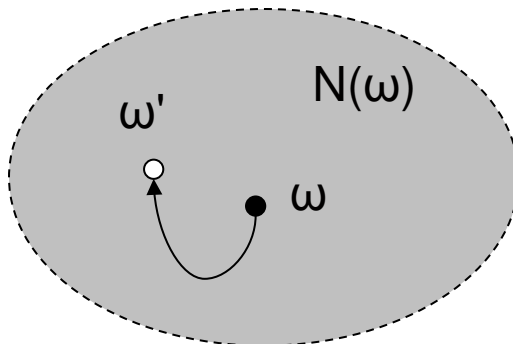
$\Omega$                   Solution space

$f: \Omega \rightarrow \mathbb{R}$         Objective function defined on the solution space

goal:                find  $\omega^* \in \Omega$ ,  $f(\omega) \geq f(\omega^*) \forall \omega \in \Omega$

# Heuristics

- Heuristic algorithms usually consists on two phases:
  - Constructive Phase, where a solution is built.
  - Local search, where the solution is improved.
- During the **Constructive phase**, greedy algorithms may be used.
- During the **local search** phase, exchanges among elements in the solution and not in the solution are done.

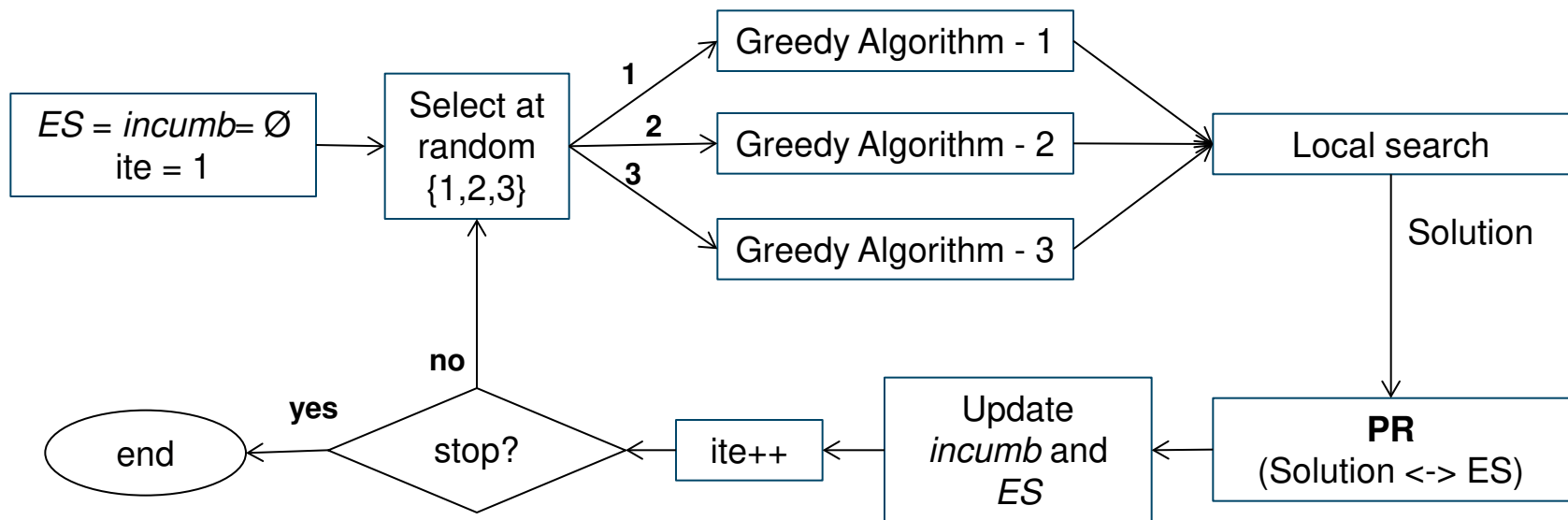


# Meta-heuristics

- Meta-heuristics allow go beyond heuristics by:
  - adding variability (randomize)
  - allowing escaping from local optima, at risk of cycling
- Some well-known meta-heuristics are:
  - **GRASP** (Feo and Resende): a multi-start metaheuristic for combinatorial problems.
  - Evolutionary algorithms (genetics). **BRKGA** (M. Resende)
  - **Simulated Annealing**, probabilistic metaheuristic often used when the search space is discrete
  - **Tabu Search** (Fred W. Glover): Enhances the performance of Local search by using memory structures.
  - **Ant colony**: probabilistic technique (Marco Dorigo)
  - **Path relinking**: an *intensification* method.

# Hybrid meta-heuristics

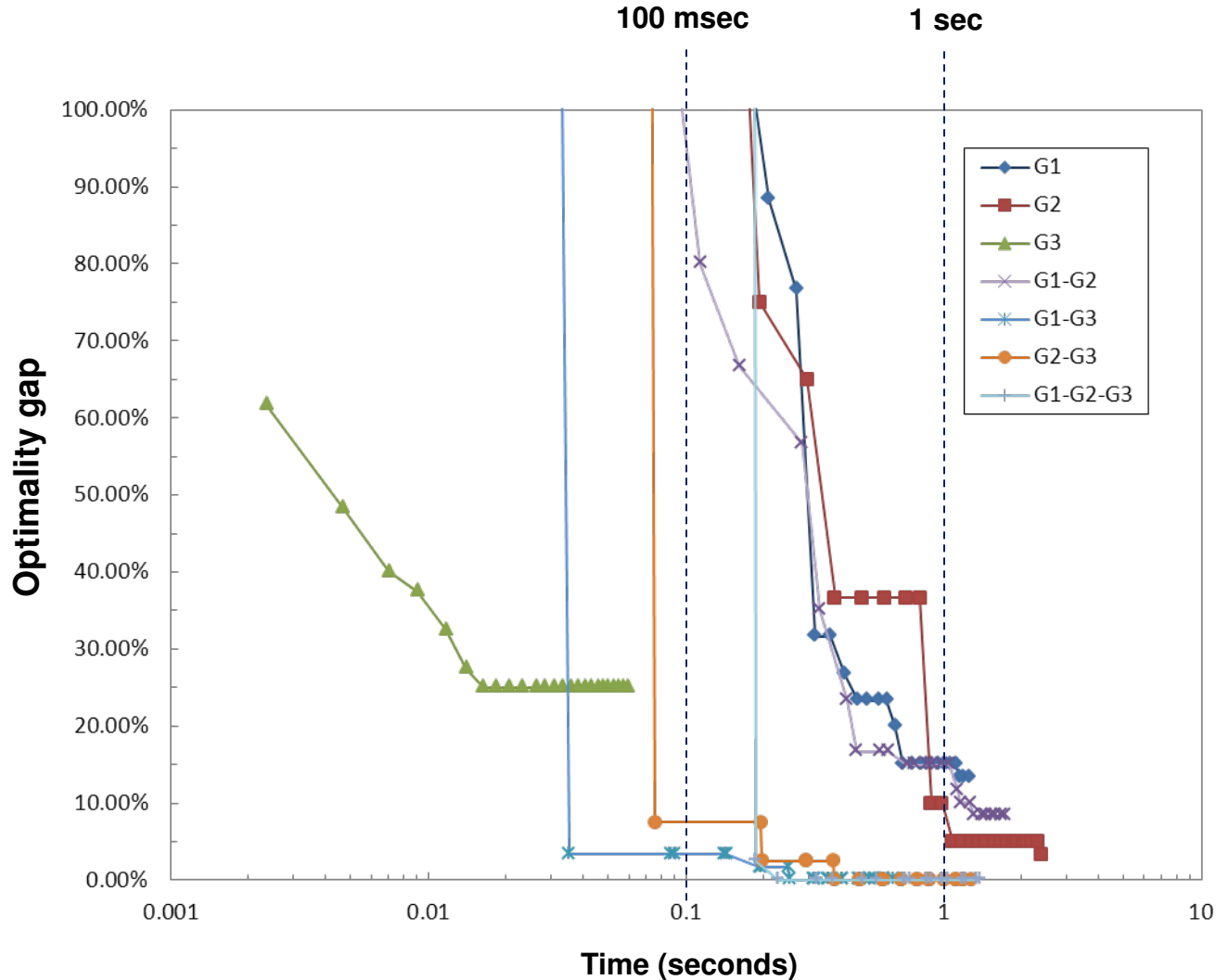
- Heuristic hybridization: Combine several of the previous techniques.
  - GRASP + PR  $\rightarrow$  Diversification + Intensification
- Example: multi-greedy + PR
  - **Three different constructive** algorithms to provide diversification.
  - **Path Relinking** finds new solutions in the path connecting two solutions.



\* M. Ruiz, et al., "Ultra-fast meta-heuristic for the spectrum re-allocation problem in flexgrid optical networks", 25th European Conference on Operational Research (EURO XXV), 2012



# Hybrid meta-heuristics: Solving Time



G3 provides feasible solutions in few milliseconds (20-50 msec)

G1 and G2 provide better solutions but at the expense of higher computation time

Multi-start with PR provides the best results:

- (G1 + G3)
- (G2 + G3)
- (G1 + G2 + G3)

# Large Scale Optimization (LSO)

- The objective of LSO methods is to extend the exact methodology (Branch & Bound) for MILP formulations.
- Among different methods, decomposition methods have been successfully used for solving communications network design problems
  - **Lagrangian relaxation** aims at improving lower bounds on the objective function, a decisive factor for the effectiveness of Branch & Bound.
  - **Column generation** consists in finding a reduced set of variables (columns) to solve the linear relaxation of the link-path MILP formulations, providing high quality integer solutions in an efficient way.
  - **Benders decomposition** is an iterative procedure based on projecting out a subset of variables from the original problem with the whole set of variables and creating new constraints (cuts) from the projected ones.

# Lagrangian Relaxation

- Some (*difficult*) constraints are moved to the objective function and penalized by **Lagrange multipliers** ( $\lambda$ )

$$\begin{aligned}
 &\min \sum_{d \in D} x_d \cdot b_d \\
 &\text{s.t.} \\
 &\sum_{p \in P(d)} \sum_{c \in C(d)} y_{pc} + x_d = 1 \quad \forall d \in D \\
 &\boxed{\sum_{d \in D} \sum_{p \in P(d)} \sum_{c \in C(d)} \gamma_{cs} \cdot \delta_{pe} \cdot y_{pc} \leq 1} \quad \forall e \in E, s \in S
 \end{aligned}$$

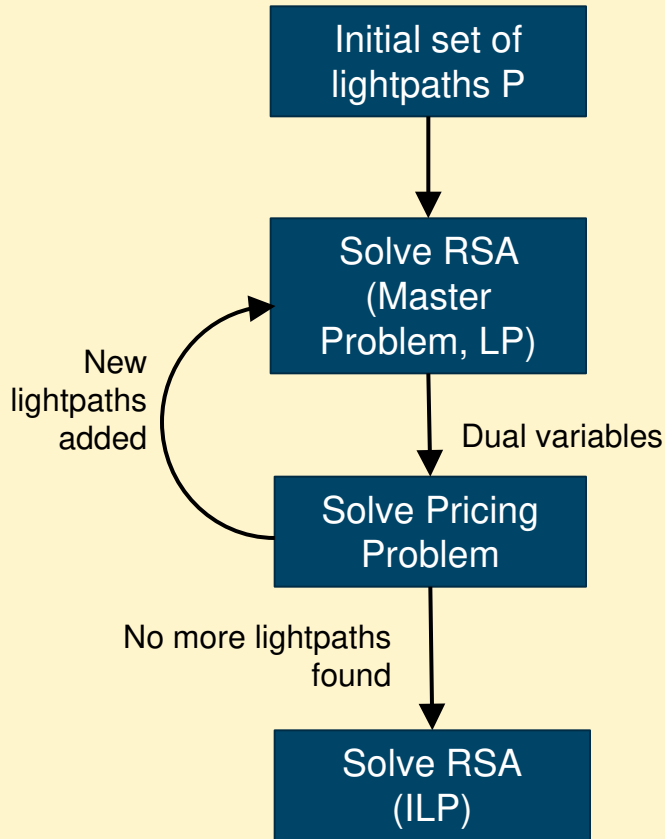


$$\begin{aligned}
 &\min \sum_{d \in D} x_d \cdot b_d + \boxed{\sum_{e \in E} \sum_{s \in S} \lambda_{es} \cdot \left( \sum_{d \in D} \sum_{p \in P(d)} \sum_{c \in C(d)} \gamma_{cs} \cdot \delta_{pe} \cdot y_{pc} - 1 \right)} \\
 &\text{s.t.} \\
 &\sum_{p \in P(d)} \sum_{c \in C(d)} y_{pc} + x_d = 1 \quad \forall d \in D
 \end{aligned}$$

- It allows obtaining **lower bounds** for the original problem for any positive Lagrange multipliers.
- Those Lagrange multipliers that provide the optimal solution of the original problem can be found by **solving the Lagrangian dual problem**.
  - Iterative methods such as **sub-gradient optimization** methods are commonly used for solving the Lagrangian dual problem.

# Column Generation Algorithm

## Main Algorithm



## Lightpath set initialization

For each demand  $d$ :

- 1) Compute the shortest (hops) path in the network
- 2) Generate a lightpath with the shortest path and the first channel for demand  $d$ .

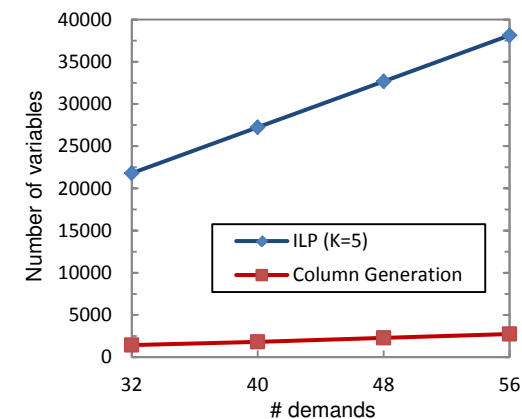
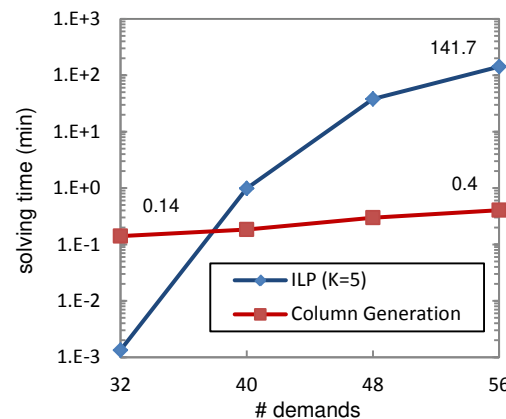
## Pricing Problem

- 1) For each demand  $d$  and each channel in  $C_d$ , compute the shortest path in the network with link metrics:

$$f_e(c) = \sum_{s \in S(c)} \pi_{es} \quad c \in C_d$$

- 2) Return those lightpaths (route + channel) with the highest positive reduced costs (if any)

Exhaustive search of channels optimized by means of Floyd-Warshall algorithm



\* M. Ruiz, et al., "Column Generation Algorithm for RSA Problems in Flexgrid Optical Networks," Springer Photonic Network Communications, 2013.

# The Dijkstra's Shortest Path algorithm

```
Procedure Dijkstra (N, E, source)
begin
   $S := \{\text{source}\}, T = N - \{\text{source}\}$ 
   $d(\text{source}) = 0$  and  $\text{pred}(\text{source}) = 0$ 
   $d(j) = \infty$  for each  $j \neq \text{source}$ 
  update(source)
  while  $S \neq N$  do
    let  $i \in T$  be a node for which
       $d(i) = \min \{d(j) : j \in T\}$ 
     $S = S \cup \{i\}, T = T - \{i\}$ 
    update( $i$ )
end
```

```
Procedure Update ( $i$ )
  for each  $(i, j) \in E(i)$  do
    if  $d(j) > d(i) + c_{ij}$  then
       $d(j) = d(i) + c_{ij}$ 
       $\text{pred}(j) = i$ 
```

- Each node  $i$  is labeled with the aggregated metric  $d(i)$  from the source node and with its predecessor  $\text{pred}(i)$ .
- the route *source-i* (subset of links  $E(\text{source}, i) \subseteq E$ ) can be computed visiting the predecessor node starting from  $i$ , until source node is reached.

# Dijkstra-based RSA (1/2)

```

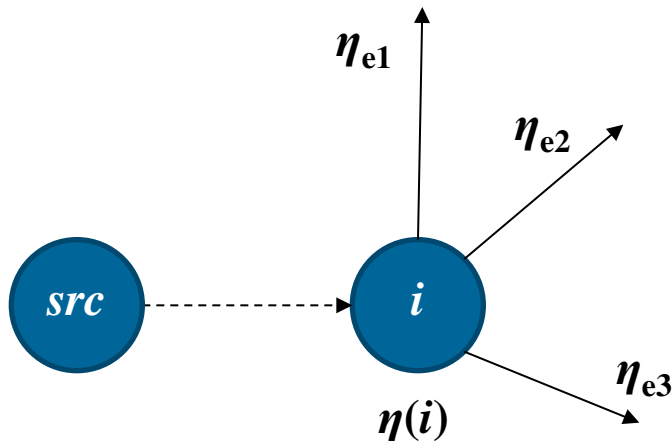
Procedure Update (i)
  for each (i, j) ∈ E(i) do
    if  $\pi(i, j) == 1$  and  $d(j) > d(i) + c_{ij}$ 
    then
       $d(j) = d(i) + c_{ij}$ 
       $\text{pred}(j) = i$ 
  
```

- The label also contains  $\eta_s(i)$ , the aggregated state of frequency slice  $s$

$$\eta_s(i) = \prod_{e \in E(\text{source}, i)} \eta_{es} \quad \forall s \in S$$

- The downstream node  $j$  of node  $i$  updates the label only if at least one channel is available, computing:

$$\pi(e = (i, j)) = \begin{cases} 1 & \exists c \in C(d) : \eta_s(i) \cdot \eta_{es} = 1 \quad \forall s \in S(c) \\ 0 & \text{otherwise} \end{cases}$$



## Dijkstra-based RSA (2/2)

- Spectrum allocation can be done implementing any heuristic, such:
  - First Fit
  - Random
  - Least fragmented spectrum
  - etc.
- Modulation formats, reachability, etc, can be easily included.



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# **Part III**

## **Advanced RSA**

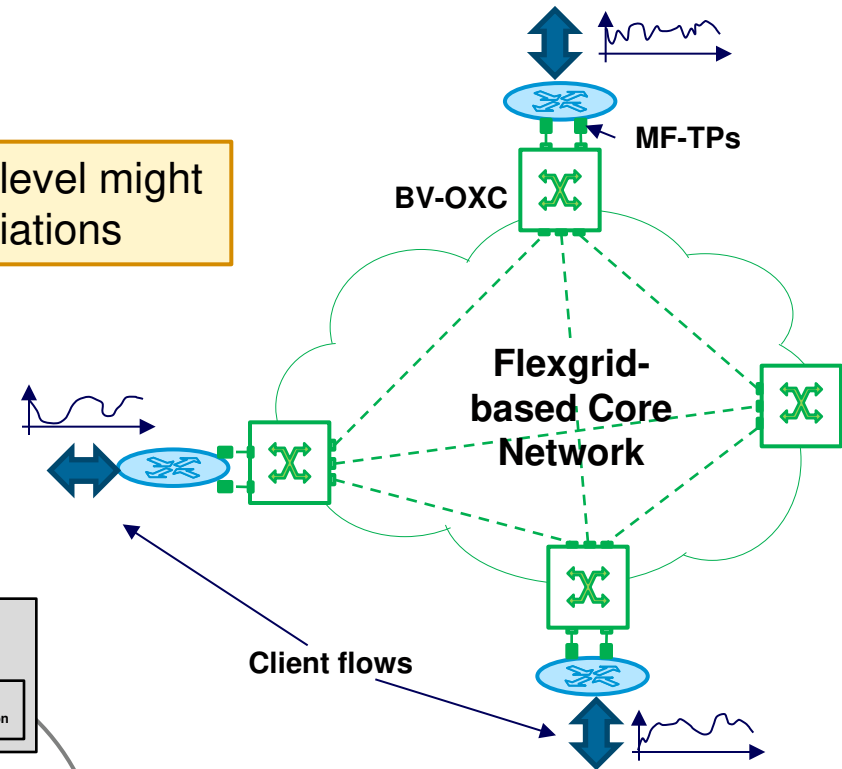
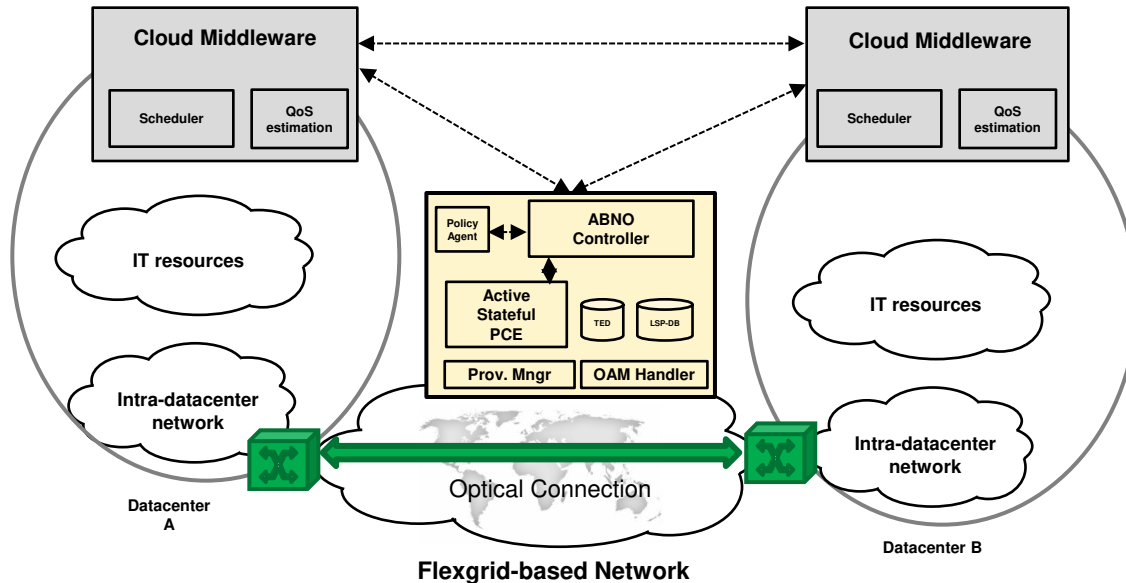
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# Source of traffic variations

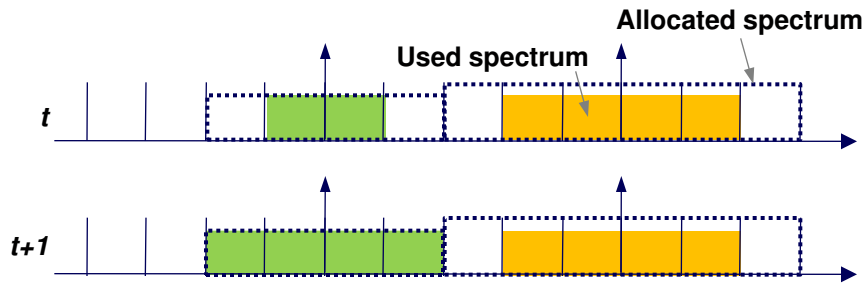
Reducing aggregation level might increase traffic variations

Datacenter interconnection to transfer bulk data

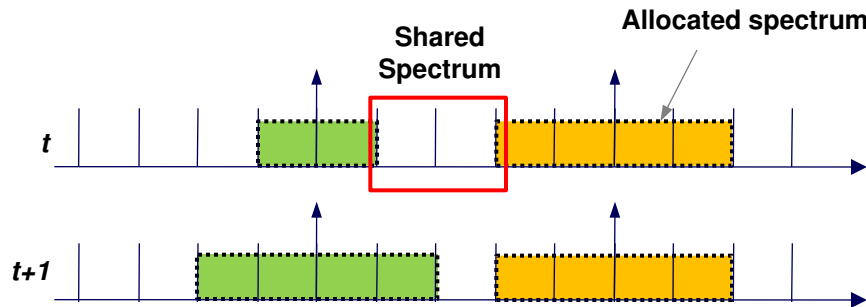


\* L. Velasco, et al., "Cross-Stratum Orchestration and Flexgrid Optical Networks for Datacenter Federations," accepted in IEEE Network Magazine, 2013.

# Elastic Spectrum Allocation Policies

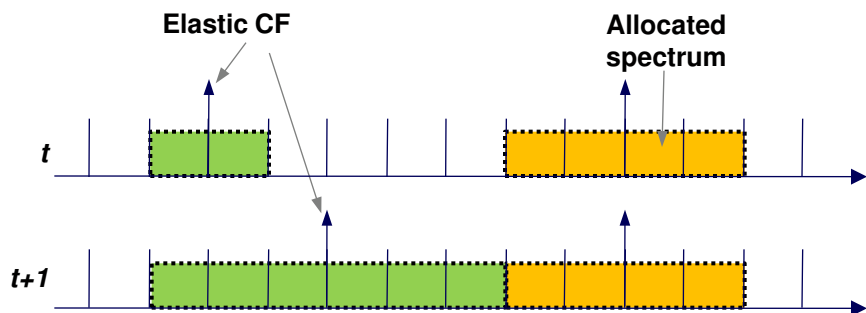


**Fixed:** both the assigned CF and spectrum width do not change in time.



**Semi-Elastic:** the assigned CF is fixed but the allocated spectrum may vary.

- At each time interval, the allocated spectrum corresponds to the utilized spectrum.
- Spectrum increments/decrements are achieved by allocating/releasing frequency slices.
- The frequency slices can be shared between neighboring demands, but used by, at most, one demand in a time interval.



**Elastic:** both the assigned CF and the spectrum width can be subject to change in each time interval.

\* M. Klinkowski, et al., "Elastic Spectrum Allocation for Time-Varying Traffic in Flexgrid Optical Networks," IEEE Journal on Selected Areas in Communications (JSAC), vol. 31, pp. 26-38, 2013

# Multi-period RSA

- Find, for each demand in  $D$ :
  - a route and
  - a **SA for each time period in  $T$** , constraining SA changes to a certain policy.
- Complexity depends on SA policy
  - SA between consecutive time periods is constrained by the chosen policy

## RSA

$$\sum_{p \in P(d)} \sum_{c \in C(d)} y_{pc} + x_d = 1 \quad \forall d \in D$$

$$\sum_{d \in D} \sum_{p \in P(d)} \sum_{c \in C(d)} \gamma_{cs} \cdot \delta_{pe} \cdot y_{pc} \leq 1 \quad \forall e \in E, s \in S$$

## MP-RSA

$$\sum_{p \in P(d)} x_p + x_d = 1 \quad \forall d \in D$$

$$\sum_{d \in D} \sum_{p \in P(d)} \sum_{c \in C(d)} \gamma_{cs} \cdot \delta_{pe} \cdot y_{pc}^t \leq 1 \quad \forall t \in T, e \in E, s \in S$$

# Dynamic lightpath adaptation

- Given:
  - a core network topology represented by a graph  $G(N, E)$ ;
  - a set  $S$  of available slices of a given spectral width for every link in  $E$ ;
  - a set  $L$  of lightpaths already established on the network; each lightpath  $l$  is defined by the tuple  $\{R_l, f_l, s_l\}$ , where the ordered set  $R_l \subseteq E$  represents its physical route,  $f_l$  its central frequency and  $s_l$  the amount of frequency slices.
  - a lightpath  $p \in L$  for which spectrum adaptation request arrives and the required number of frequency slices,  $(s_p)^{req}$ .
- Output:
  - the new values for the spectrum allocation of the given lightpath  $p$ :  $\{R_p, f_p, (s_p)'\}$  and  $\{R_p, (f_p)', (s_p)'\}$ , respectively, if the *Semi-Elastic* and *Elastic* policy is used.
- Objective: maximize the amount of bit-rate served.

# On-line Algorithms for Elastic SA

<b>INPUT:</b> $G(N,E), S, L, p, (s_p)^{req}$
<b>OUTPUT:</b> $(s_p)'$
<b>1:</b> if $(s_p)^{req} \leq s_p$ then $(s_p)' \leftarrow (s_p)^{req}$ <b>2:</b> else <b>3:</b> $L^+ \leftarrow \emptyset, L^- \leftarrow \emptyset$ <b>4:</b> for each $e \in R_p$ do <b>5:</b> $L^- \leftarrow L^- \cup \{l \in L: e \in R_l, \text{adjacents}(l, p), f_l < f_p\}$ <b>6:</b> $L^+ \leftarrow L^+ \cup \{l \in L: e \in R_l, \text{adjacents}(l, p), f_l > f_p\}$ <b>7:</b> $s_{max} \leftarrow 2 * \min\{\min\{f_p - f_l - s_l, l \in L^-\}, \min\{f_l - f_p - s_l, l \in L^+\}\}$ <b>8:</b> $(s_p)' \leftarrow \min\{s_{max}, (s_p)^{req}\}$ <b>9:</b> return $(s_p)'$

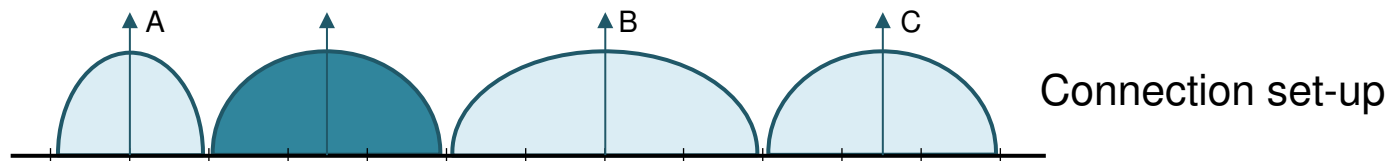
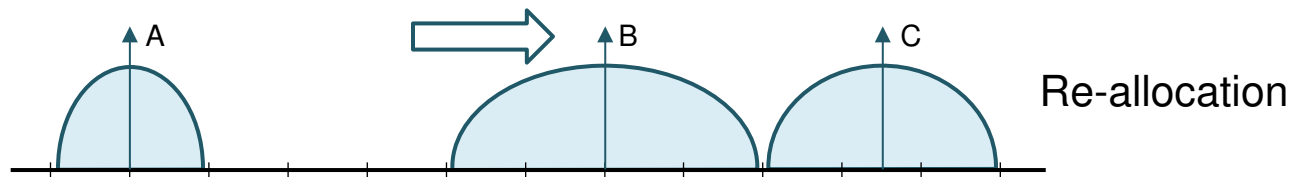
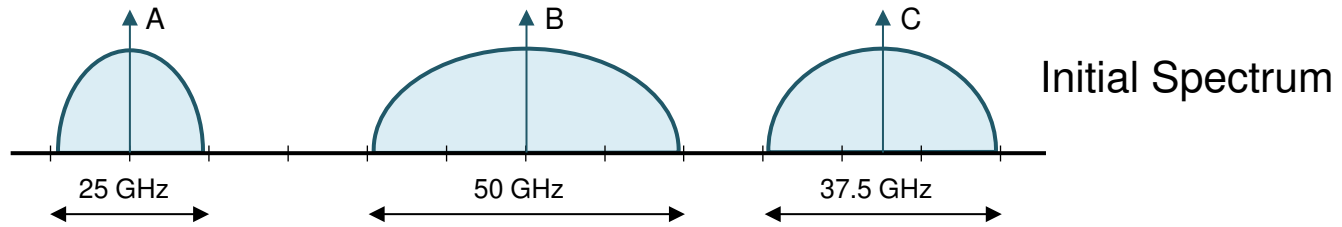
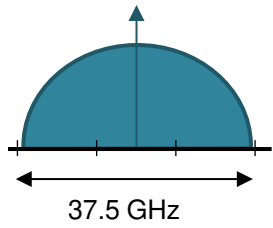
**Algorithm for the  
*semi-elastic* policy**

**Algorithm for the  
*elastic* policy**

<b>INPUT:</b> $G(N,E), S, L, p, (s_p)^{req}$
<b>OUTPUT:</b> $(f_p)', (s_p)'$
<b>1:</b> if $(s_p)^{req} \leq s_p$ then $(s_p)' \leftarrow (s_p)^{req}; (f_p)' \leftarrow f_p$ <b>2:</b> else <b>3:</b> $L^+ \leftarrow \emptyset, L^- \leftarrow \emptyset$ <b>4:</b> for each $e \in R_p$ do <b>5:</b> $L^- \leftarrow L^- \cup \{l \in L: e \in R_l, \text{adjacents}(l, p), f_l < f_p\}$ <b>6:</b> $L^+ \leftarrow L^+ \cup \{l \in L: e \in R_l, \text{adjacents}(l, p), f_l > f_p\}$ <b>7:</b> $s_{max} \leftarrow \min\{f_p - f_l - s_l, l \in L^-\} + \min\{f_l - f_p - s_l, l \in L^+\}$ <b>8:</b> $(s_p)' \leftarrow \min\{s_{max}, (s_p)^{req}\}$ <b>9:</b> $(f_p)' \leftarrow findSA\_MinCFShifting(p, (s_p)', L^+, L^-)$ <b>10:</b> return $\{(f_p)', (s_p)'\}$

\* A. Asensio, et al., "Impact of Aggregation Level on the Performance of Dynamic Lightpath Adaptation under Time-Varying Traffic," in Proc. IEEE International Conference on Optical Network Design and Modeling (ONDM), 2013.

# Example of Re-optimisation (Defragmentation)



# Spectrum Reallocation (SPRESSO)

## Parameters

$Pm$  subset of  $P$  with the candidate paths, including  $newP$ .  $Pm = P(newP) \cup \{newP\}$ .

## Variables

$x_{pc}$  binary, 1 if channel  $c$  is assigned to path  $p$ , 0 otherwise.

$y_p$  binary, 1 if path  $p$  is reallocated, 0 otherwise.

$r$  integer with the number of already established paths to reallocate.

(SPRESSO) minimize  $r$

subject to:

$$r = \sum_{p \in Pm \setminus \{newP\}} y_p$$

$$\sum_{c \in C(p)} x_{pc} = 1 \quad \forall p \in Pm$$

$$x_{pc} - \omega_{pc} \leq y_p \quad \forall p \in Pm, c \in C(p)$$

$$\sum_{p \in P(e)} \sum_{c \in C(p)} \delta_{cs} \cdot x_{pc} \leq \eta_{es} \quad \forall e \in E, s \in S$$

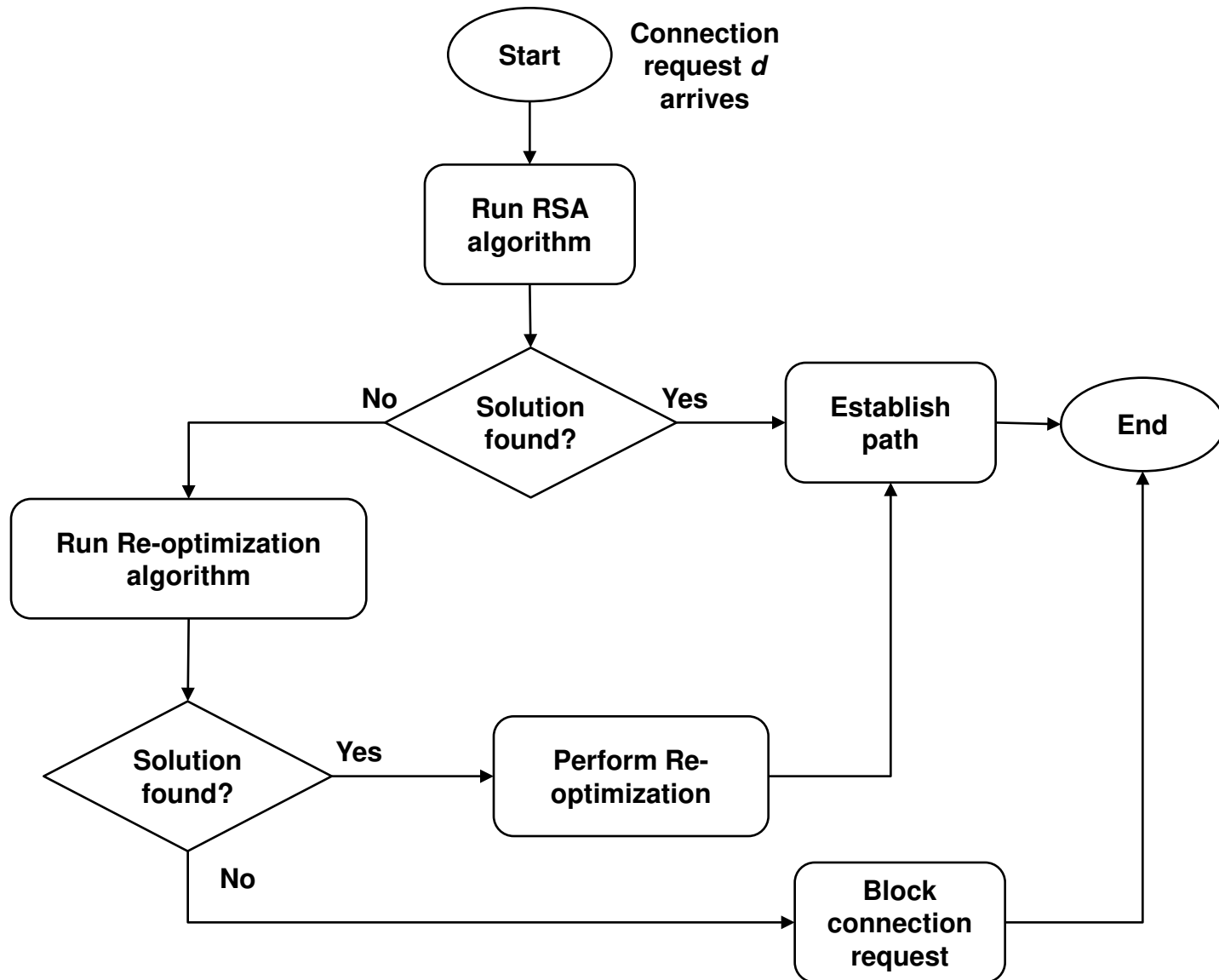
$$r \leq \max R$$

$O(|Pm| \cdot |C|)$  variables

$O(|Pm| \cdot |C| + |E| \cdot |S|)$  constraints

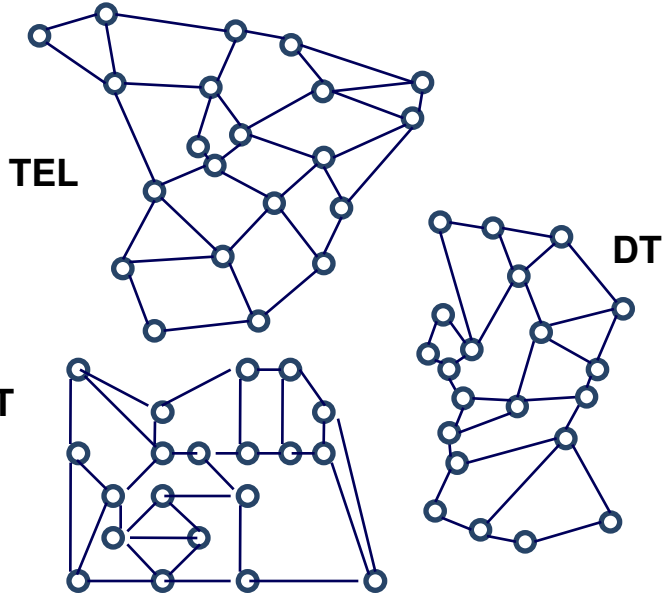
\* A. Castro, et al., "Dynamic Routing and Spectrum (Re)Allocation in Future Flexgrid Optical Networks," Elsevier Computers Networks, vol. 56, pp. 2869-2883, 2012.

# Provisioning-triggered re-optimization

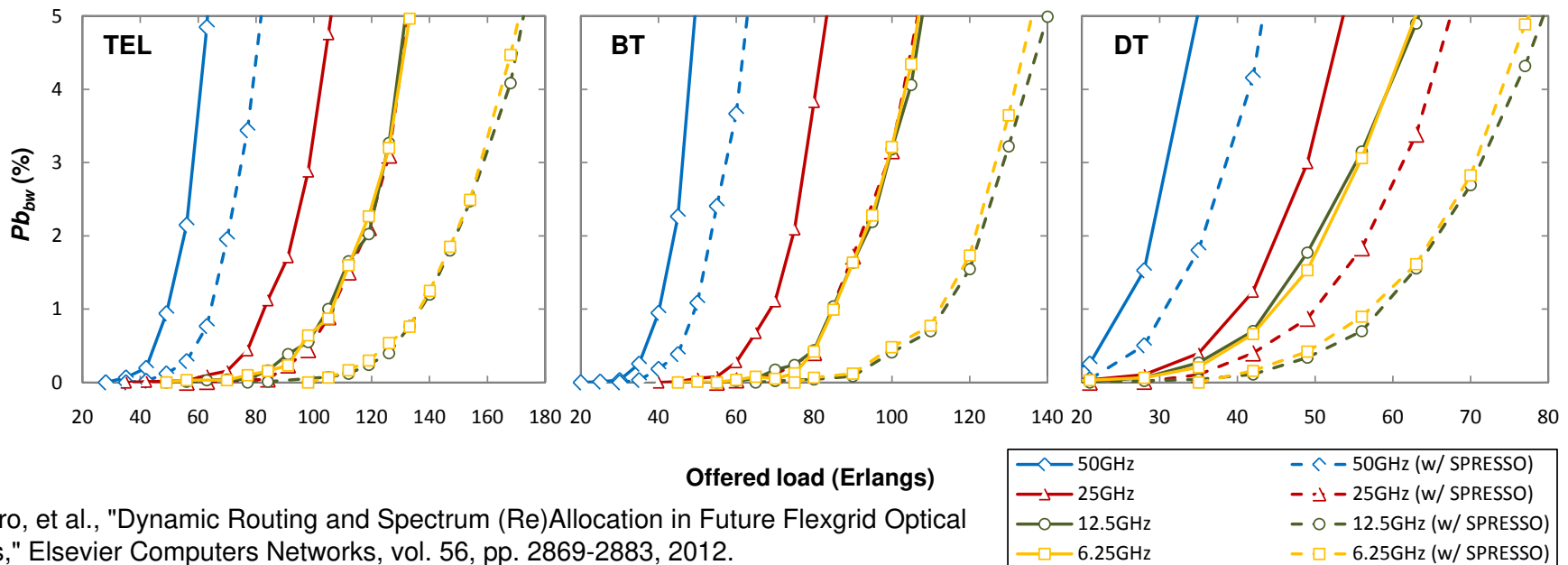




# Gains of Using SPRESSO



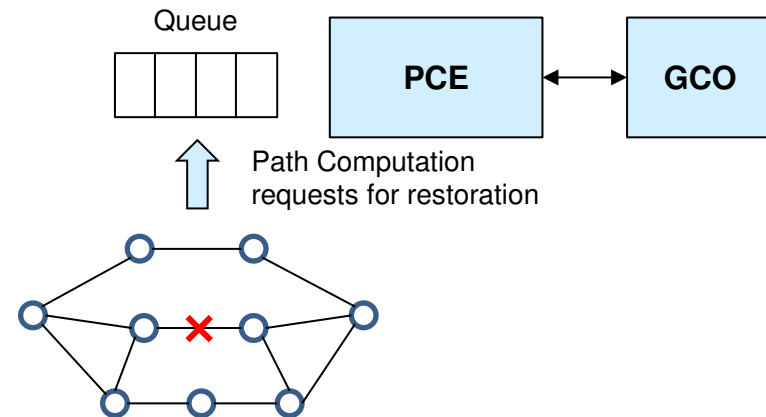
Network	25 GHz	12.5 GHz	6.25 GHz
TEL	30,4%	28,4%	30,3%
BT	22,9%	23,0%	34,1%
DT	22,2%	24,8%	33,0%



\* A. Castro, et al., "Dynamic Routing and Spectrum (Re)Allocation in Future Flexgrid Optical Networks," Elsevier Computers Networks, vol. 56, pp. 2869-2883, 2012.

# Bulk path computation

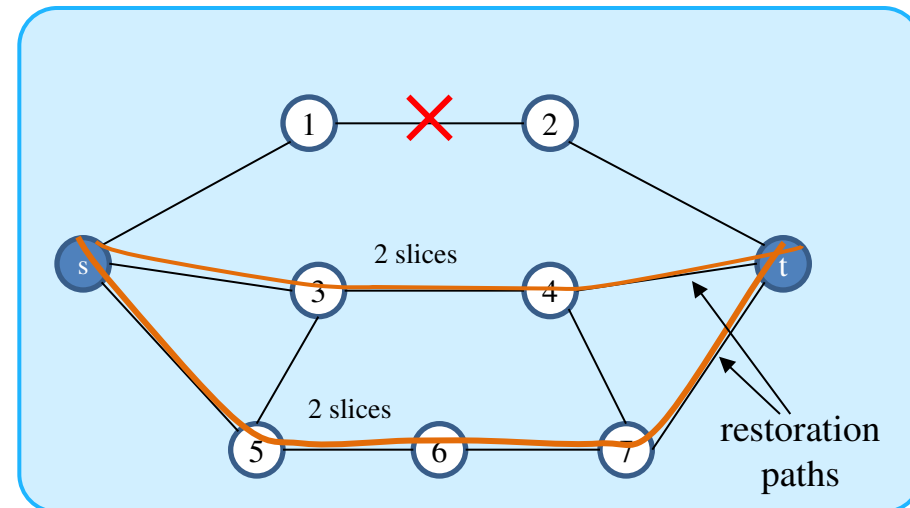
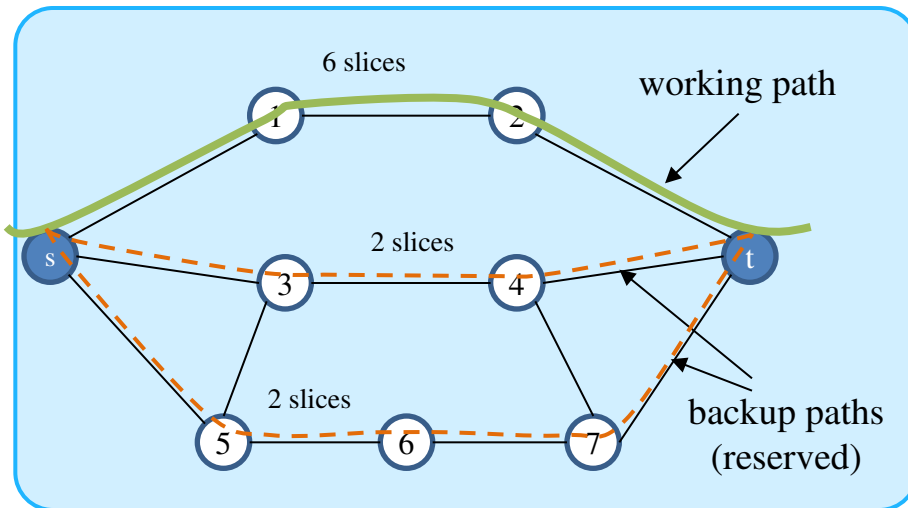
- Path computation for a set of connection requests.
  - the bulk of path requests is computed attaining the optimal solution for the whole set.
  - Increases optimality but increases also provisioning time.
- Bulk path computation can be used for restoration.
  - Reduces resource contention.
  - Increases resource utilization, specially in MLN.
  - Stringent computation times require heuristic algorithms.



\* R. Martínez, et al., "Experimental Validation of Dynamic Restoration in GMPLS-controlled Multi-layer Networks using PCE-based Global Concurrent Optimization," in Proc. IEEE/OSA Optical Fiber Communication Conference (OFC), 2013.

# Bitrate Squeezed and Multi-path Recovery

Path Recovery	Description
<b>Protection</b>	Protection routes are known in advance: <ul style="list-style-type: none"> <li>Dedicated Protection</li> <li>Shared Protection</li> </ul>
<b>Restoration</b>	Restoration routes are found adaptively based on the failure and the state of the network at the time of failure.



\* A. Castro et al., "Single-path Provisioning with Multi-path Recovery in Flexgrid Optical Networks," International Workshop on Reliable Networks Design and Modeling (RNDM), 2012



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# Part IV

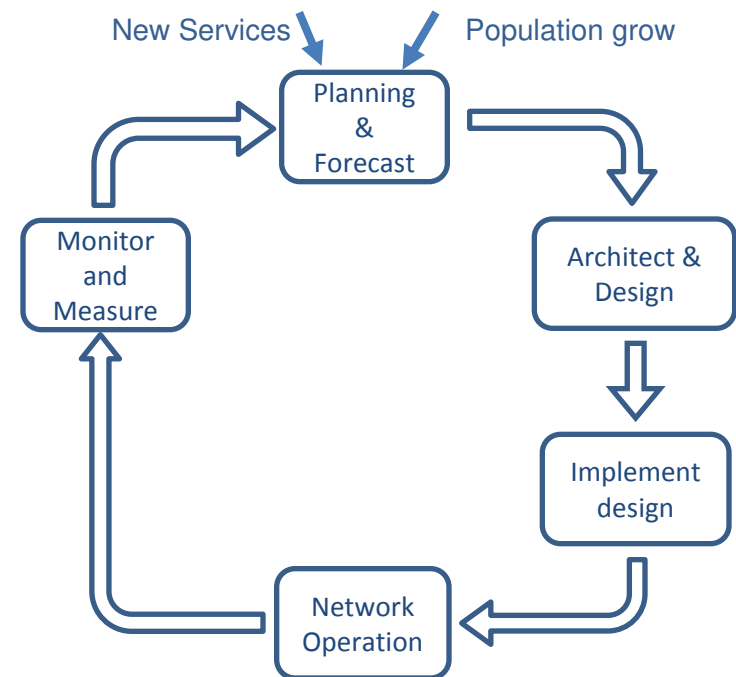
## Off-line Network Planning

Luis Velasco

# Network Life Cycle

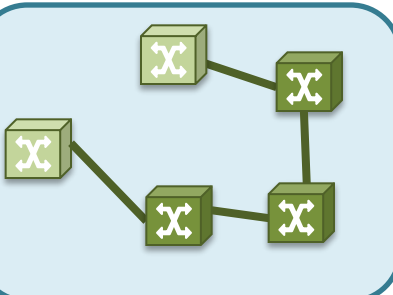
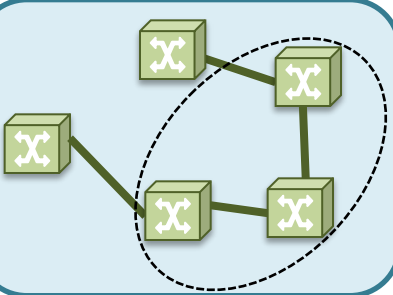
- Network planning is performed periodically:

- **Capacity** is installed to guarantee that the network can support the forecast traffic.
- **Long planning cycles** are used to upgrade the network and prepare it for the next planning period.
- Results from network capacity planning are **manually deployed** in the network.

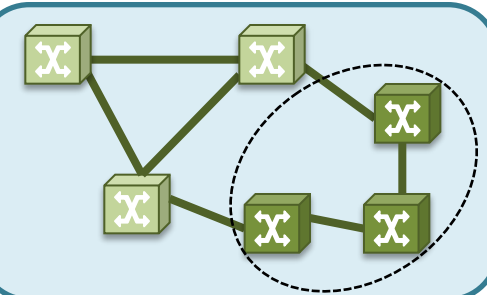
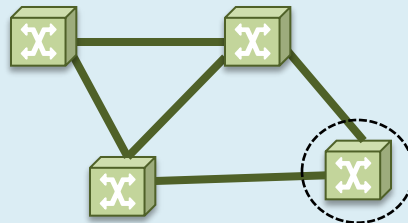


# Migrating Towards Flexgrid Technology

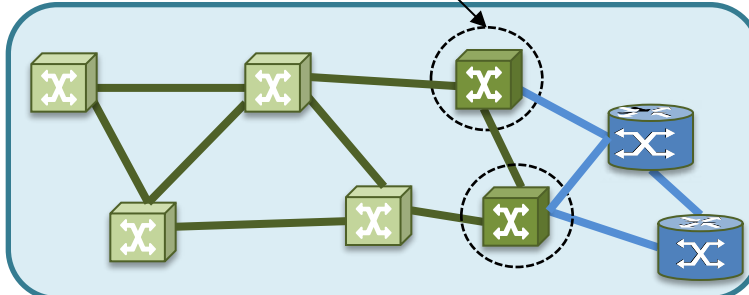
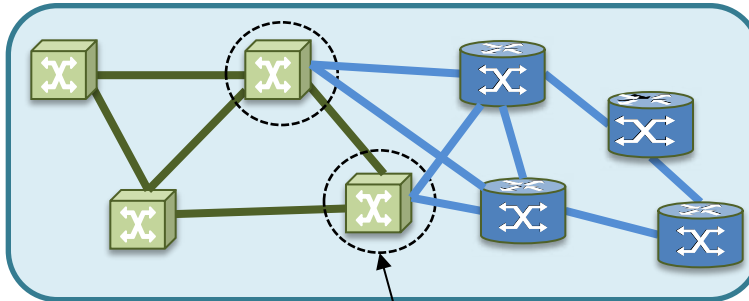
## 1 Sub-network Upgrading



## 2 Enlarging the core



## 3 Extending the core towards the metro

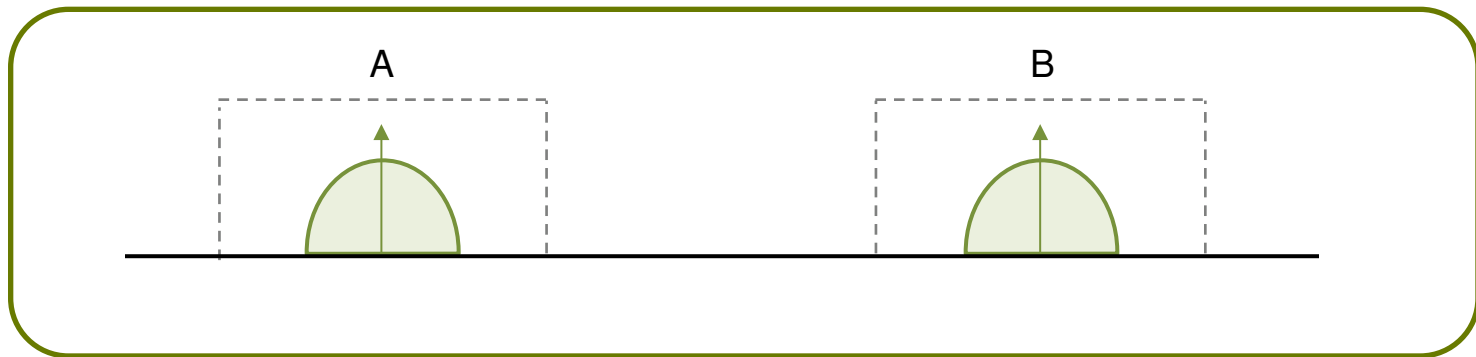
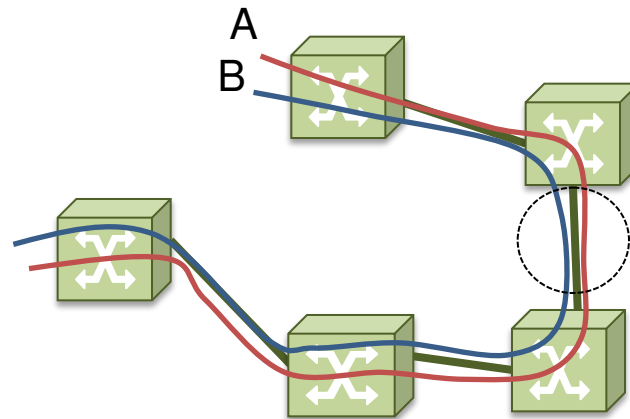


core border nodes metro

\* M. Ruiz, et al, "Planning Fixed to Flexgrid Gradual Migration: Drivers and Open Issues," submitted to IEEE Communications Magazine, 2014.

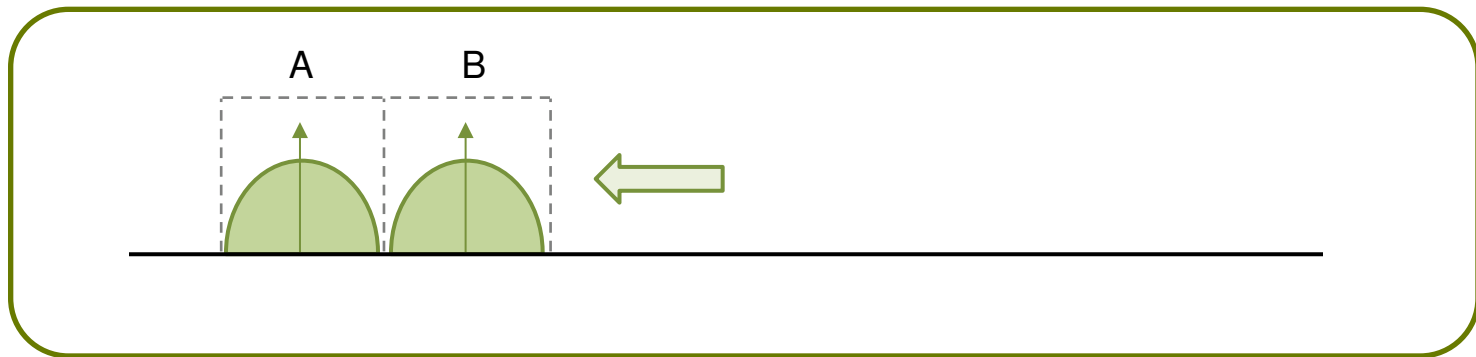
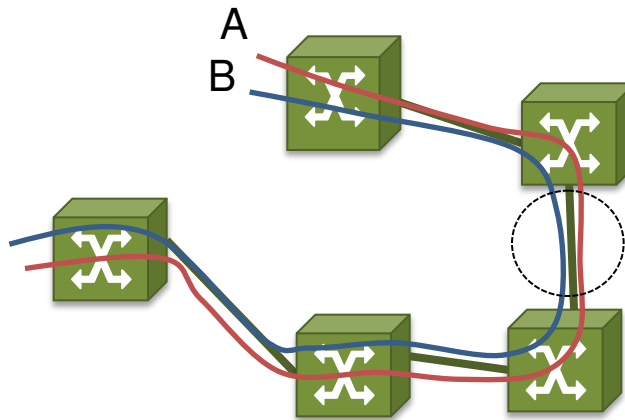
# Migrating connections (1/4)

Fixed grid



# Migrating connections (2/4)

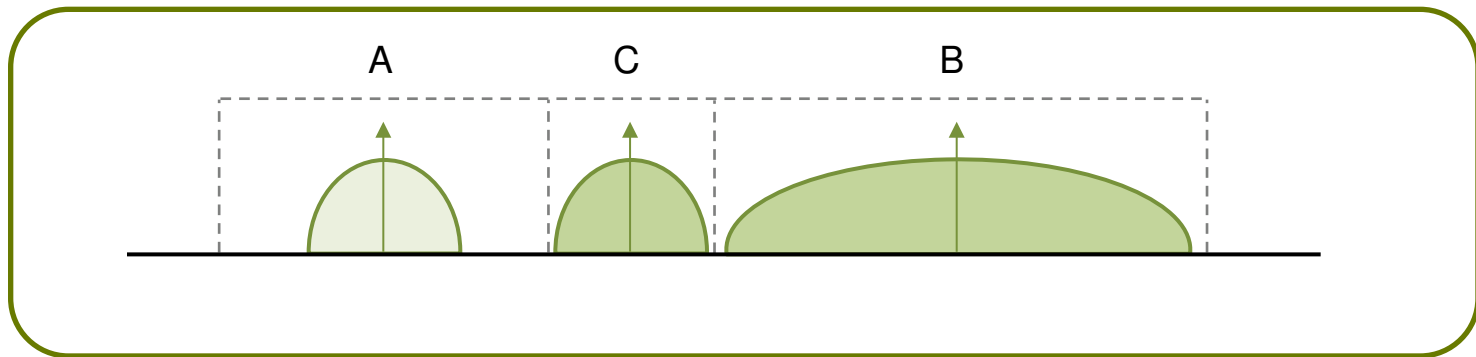
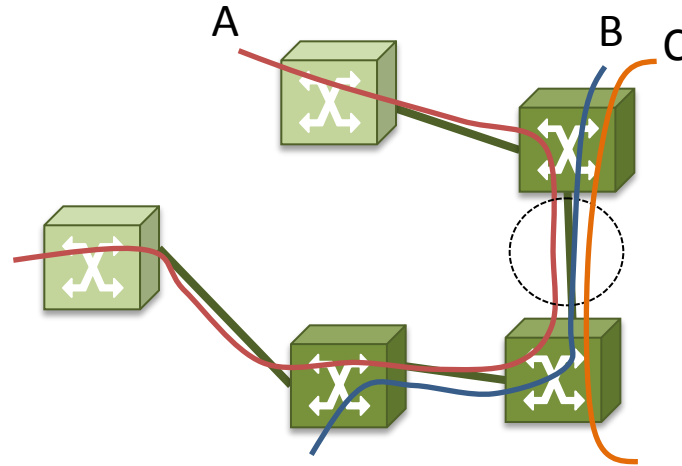
Flexgrid





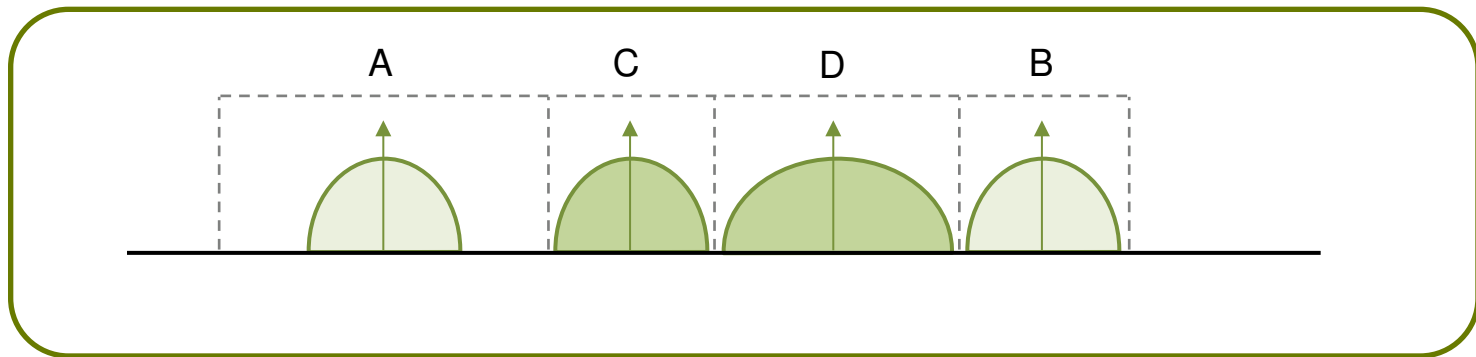
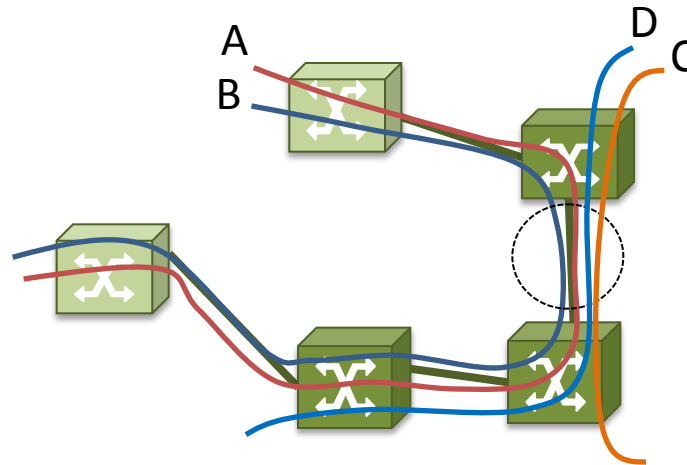
# Migrating connections (3/4)

Mixed grid

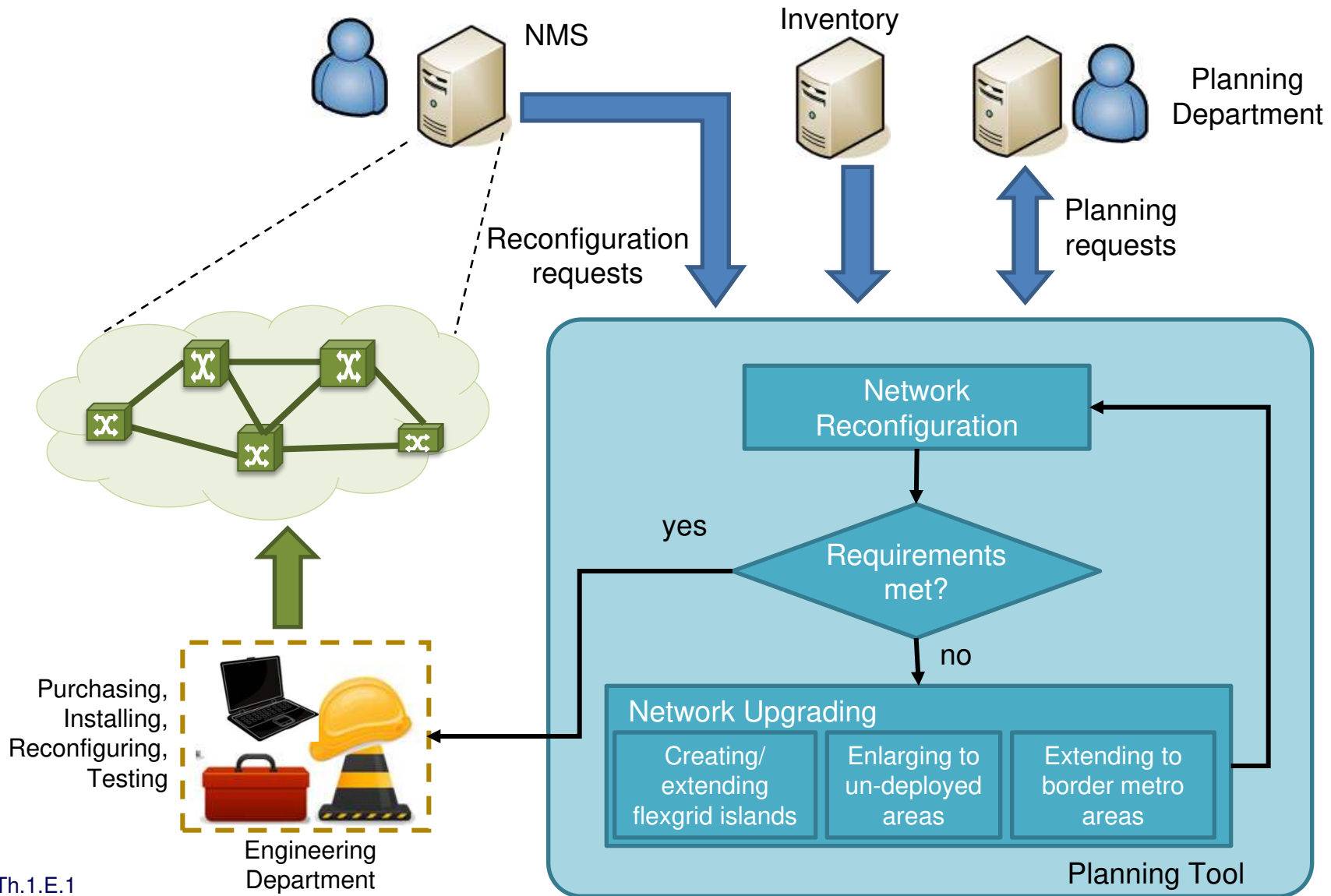


# Migrating connections (4/4)

Mixed grid



# Migration flow chart





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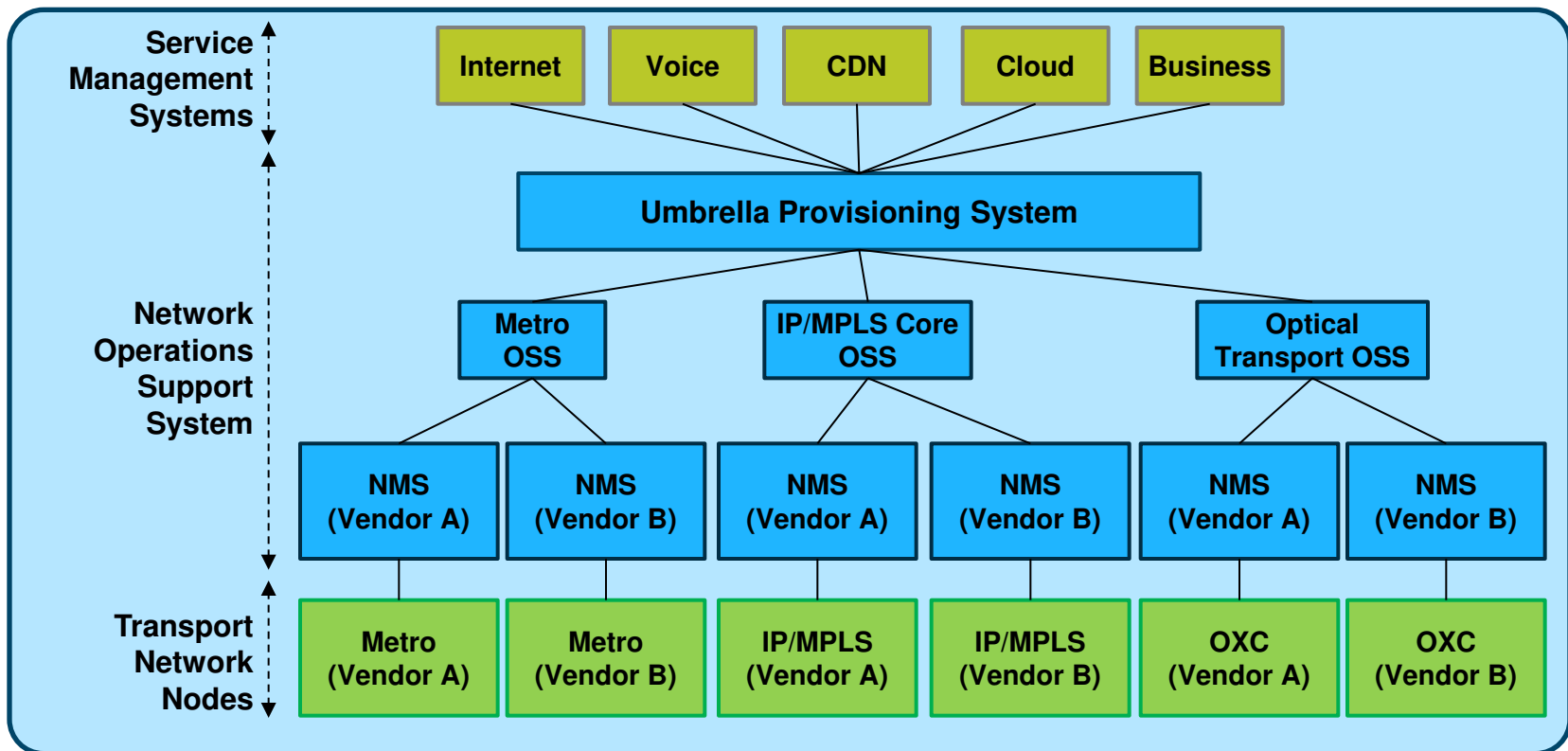


# **Part V**

## **In-operation Network Planning**

Luis Velasco

# Static Network Operation



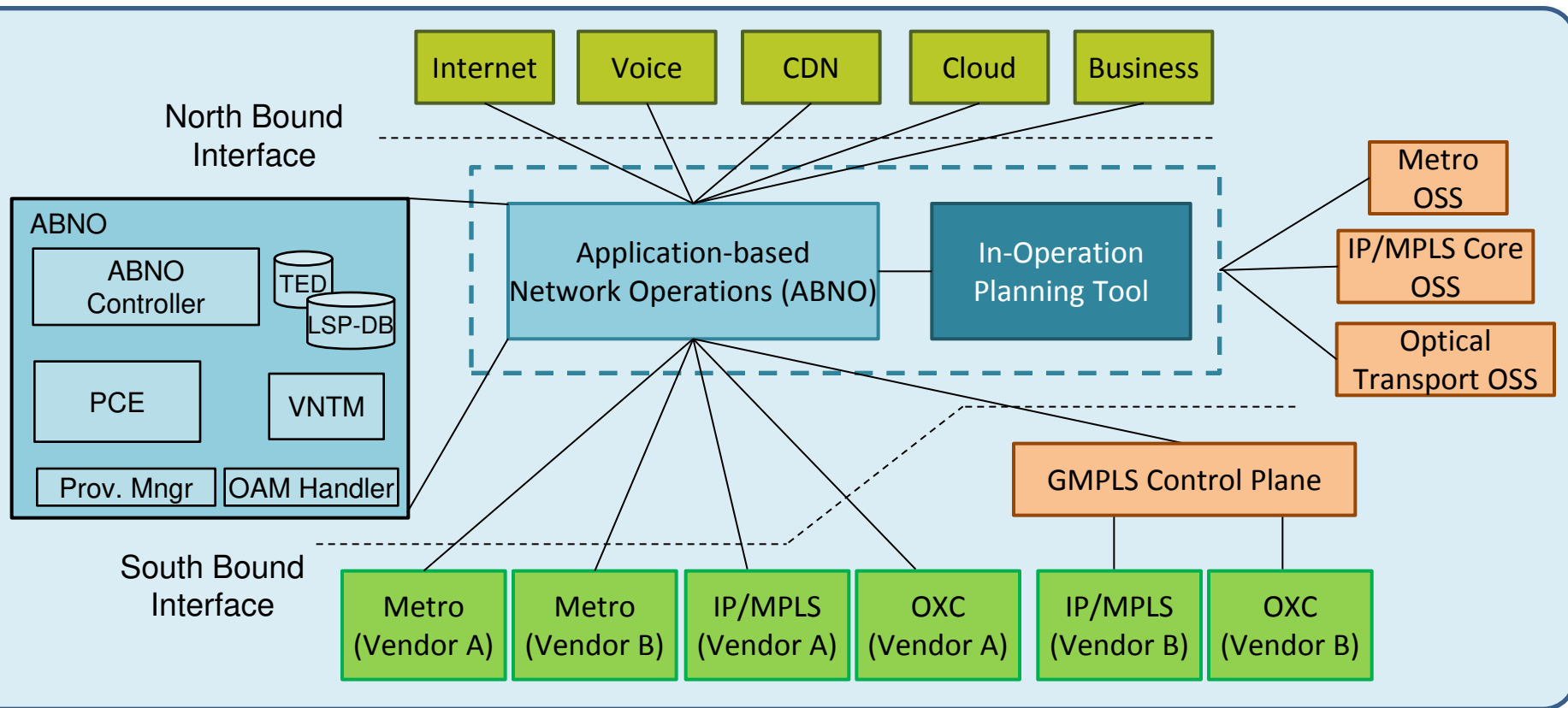
# IETF architectures supporting in-operation Planning (1/2)

Architecture	Strengths	Weaknesses
Stateless PCE	<ul style="list-style-type: none"> <li>• <b>Path computation</b> can be off-loaded onto a dedicated entity capable of complex computations with tailored algorithms and functions.</li> <li>• Has a <b>standard</b> and <b>mature</b> interface and protocol.</li> <li>• Supports <b>simple optimisation</b>, such as bulk path computation.</li> </ul>	<ul style="list-style-type: none"> <li>• Is <b>unaware of existing LSPs</b> and has no view of the current network resource utilisation and key choke points.</li> <li>• <b>Cannot configure</b> by itself any <b>LSP</b> in the network.</li> <li>• Delays need to be introduced to sequence LSP set-up.</li> </ul>
Stateful PCE	<ul style="list-style-type: none"> <li>• Maintains a <b>database of LSPs</b> that are active in the network, i.e. so that new requests can be more efficiently placed optimising network resources.</li> <li>• <b>Supports optimization</b> involving already established LSPs.</li> </ul>	<ul style="list-style-type: none"> <li>• <b>More complex</b> than a stateless PCE, requires additional database and synchronization.</li> <li>• <b>No existing LSPs can be modified</b>, e.g. for network re-configuration purposes.</li> </ul>

# IETF architectures supporting in-operation Planning (2/2)

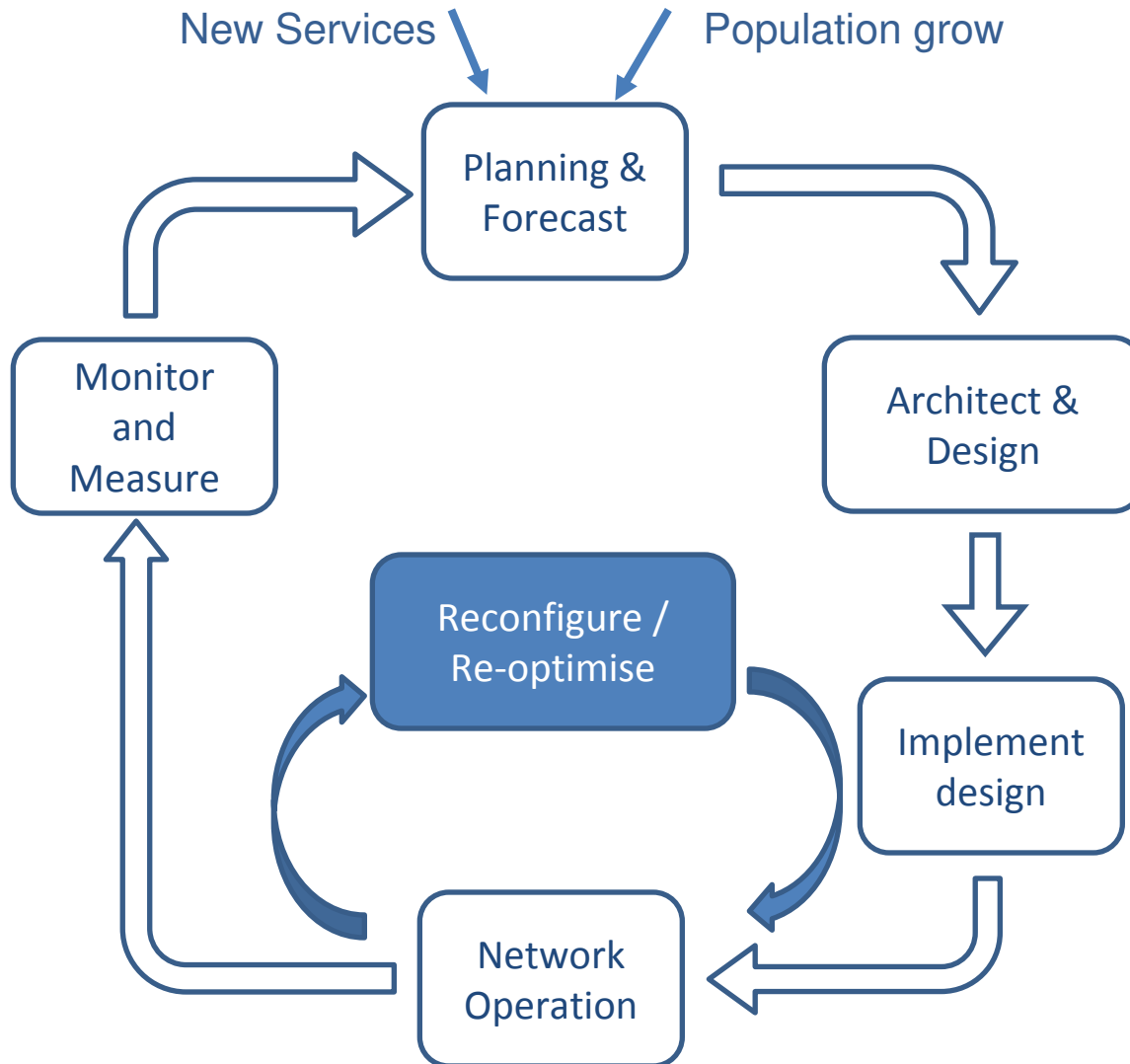
Architecture	Strengths	Weaknesses
Active Stateful PCE	<ul style="list-style-type: none"> <li>• <b>Capable of responding to changes</b> in network resource availability and predicted demands and reroute existing LSPs for increased network resource efficiency.</li> <li>• Supports <b>complex reconfiguration and re-optimization</b>, even in multilayer networks.</li> </ul>	<ul style="list-style-type: none"> <li>• <b>No new LSPs can be created</b>, e.g. for VNT re-optimisation purposes.</li> <li>• Requires <b>protocol extensions</b> to modify and/or instantiate (if the capability is available) LSPs.</li> </ul>
ABNO	<ul style="list-style-type: none"> <li>• Provides a <b>network control system</b> for coordinating OSS and NMS requests to compute paths, enforce policies, and manage network resources for the benefit of the applications that use the network.</li> <li>• New <b>LSPs can be created</b> for in-operation planning. VNTM in charge of VNT re-configuration.</li> <li>• Supports deployment of solutions in <b>multi-technology scenarios</b> (NetConf, OpenFlow, control plane, etc.)</li> </ul>	<ul style="list-style-type: none"> <li>• Requires <b>implementation of a number of key components</b> in addition to the PCE function.</li> <li>• Some <b>interfaces</b> still need to be defined and <b>standardized</b>.</li> </ul>

# Migration towards in-operation network planning

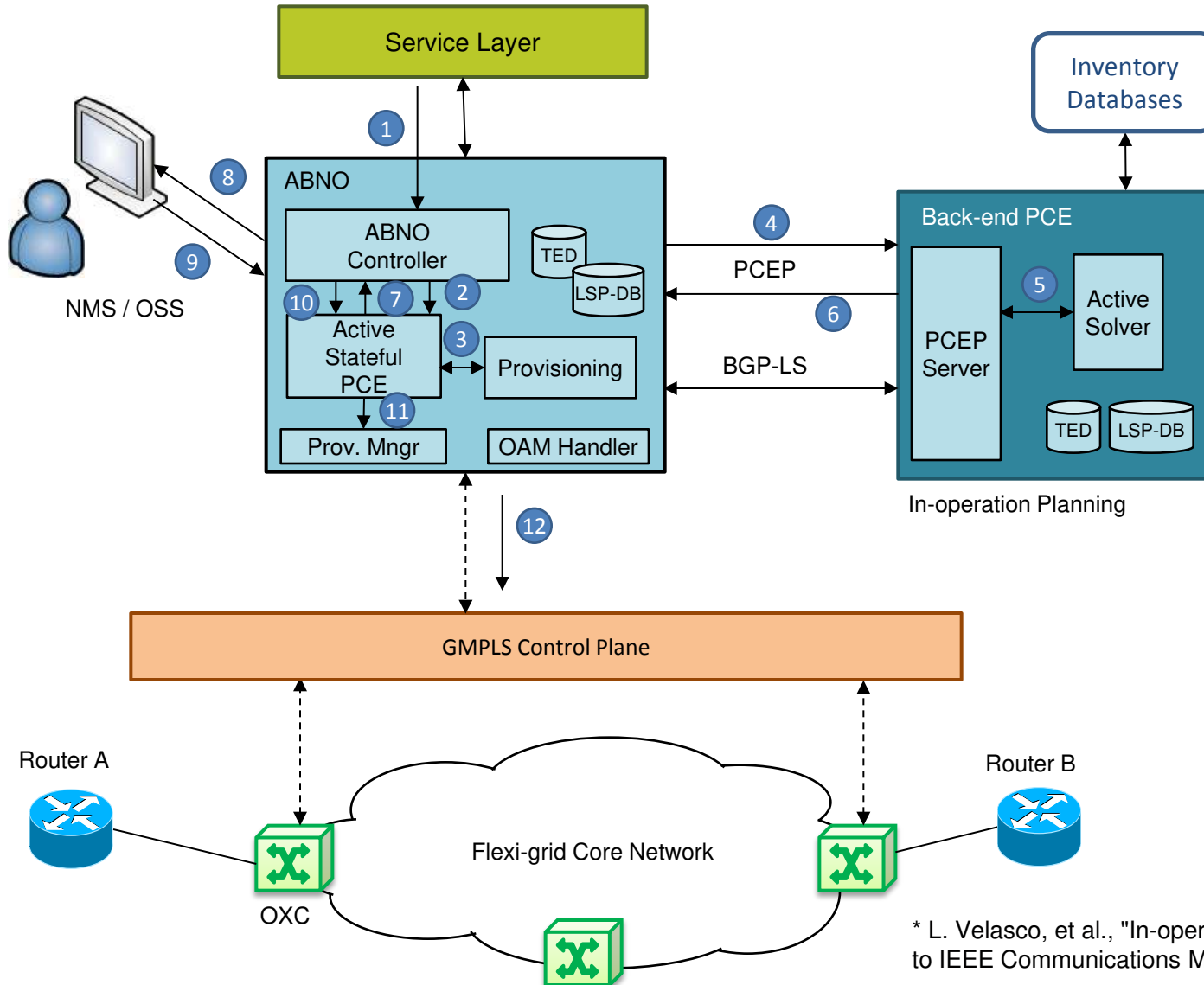




# Extended Networks Life Cycle

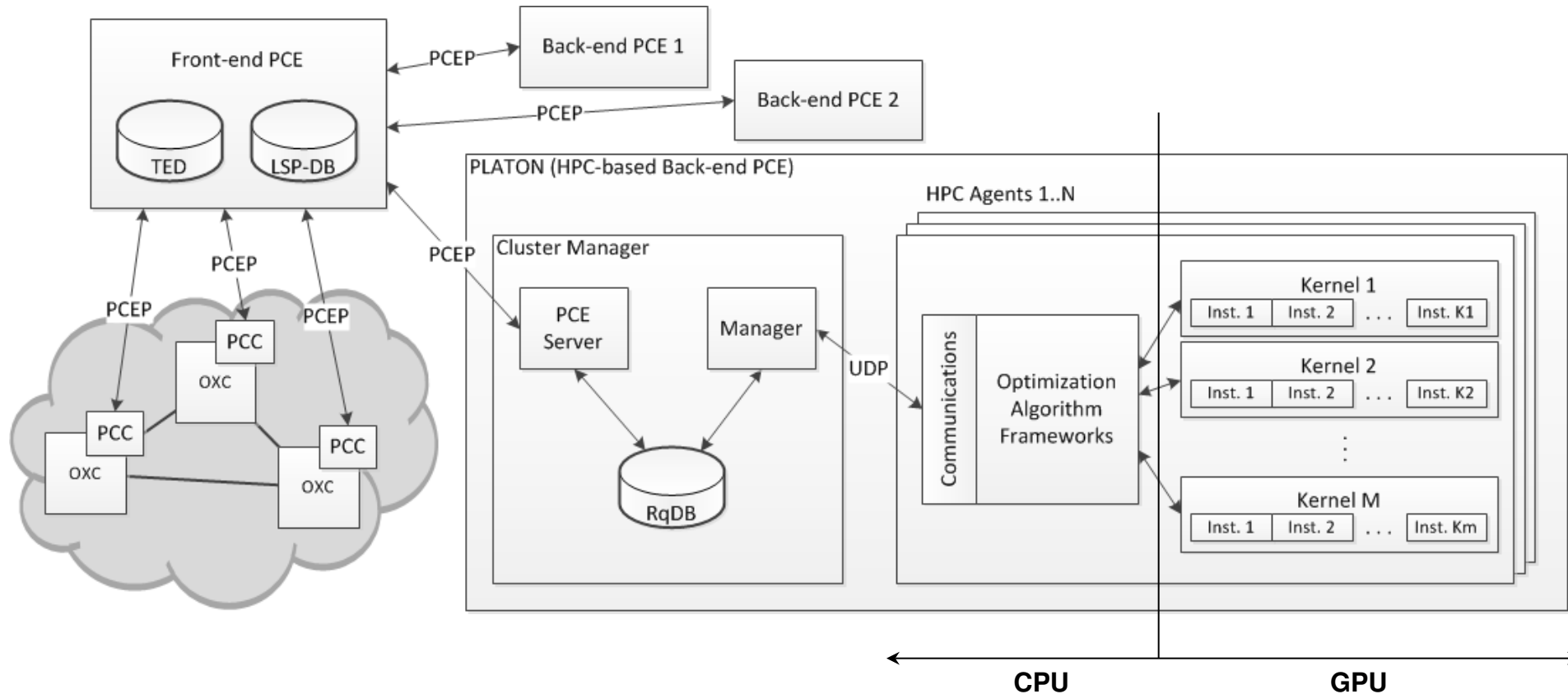


# Re-optimisation Process



\* L. Velasco, et al., "In-operation Network Planning," submitted to IEEE Communications Magazine, 2014.

# In-Operation Planning Tool: PLATON



\* L. Gifre, et al. "Architecture of a Specialized Back-end High Performance Computing-based PCE for Flexgrid Networks," in Proc. IEEE International Conference on Transparent Optical Networks (ICTON), 2013.

# Conclusions

- **Basic RSA algorithms have been reviewed**
- **Elastic SA:** Semi-elastic and Elastic policies
- **Off-line planning:** and example for gradual migration process from fixed to Flexgrid has been presented.
- **Re-optimization** can be performed to increase network performance.
- A control and management architecture to support **in-operation planning**.
  - The architecture allows dynamic network operation and to reconfigure and re-optimize the network near real-time in response to changes.
  - Networks life cycle is extended achieving better resource utilization.
  - Process automation reduces manual interventions and, consequently, OPEX.
- **PLATON:** an In-Operation Planning Tool has been presented.



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# Thank you for your attention!

## Solving Routing and Spectrum Allocation Related Optimization Problems

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