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Synthetic aperture radar in geosynchronous orbit
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Radar images of the earth can be taken with a synthetic aperture radar (SAR) from geosynchronous orbital ranges by utilizing satellite motion relative to a geostationary position. See Figure 1. A suitable satellite motion can be obtained by having an orbit plane inclined relative to the equatorial plane and by having an eccentric orbit. Potential applications of these SAR images are topography, water resource management and soil moisture determination. Preliminary calculations show that the United States can be mapped with $100-\mathrm{m}$ resolution cells in about 4 hours. With the use of microwave signals the mapping can be performed day or night, through clouds and during adverse weather.

Synthetic aperture radars have been flown in aircraft [3] and one is schedused to be flown in the low-orbit NASA SEASAT satellite [1]. The antenna beam is usually oriented broadside (normal) to the radar platform velocity vector, although the beam can be oriented at other oblique angles [s]. The SAR image plane is defined by the platform velocity vector and radar antenna beam axis. A geometrical constraint requires that the normal of the object scene plane must not lie in the SAR image plane. In vector notation,*

$$
(\bar{v} \times \bar{R}) \cdot \hat{n} \neq 0
$$

where $\bar{v}=$ radar platform velocity vector
$\overline{\mathrm{R}}=$ radar range vector along antenna beam axis
$\mathrm{n}=$ object scene plane normal
The track of a satellite in geosynchronous orbit depends on the orbit inclination angle and orbit eccentricity. In Figure Ra, a track is shown for an example of orbit inclination angle only. The long dimension is oriented in the North-South direction. If a small amount of orbit

* Other identities are $\overline{\mathrm{v}} \cdot(\overline{\mathrm{R}} \times \hat{\mathrm{n}})$ and $\overline{\mathrm{R}} \cdot(\hat{\mathrm{n}} \times \overline{\mathrm{v}})$.
eccentricity is added the track will tilt as shown in Figure $2 b$, and a greater eccentricity will produce the track shown in Figure 2c. With an inclination angle of $\pm 1^{\circ}$, an orbit eccentricity of 0.009 , and an argument of perigee of $90^{\circ}$, a near circular subsatellite track [2] can be produced as shown in Figure 2d, and the satellite scanning speed is about $48 \mathrm{~m} / \mathrm{se}$ relative to a nominal geostationary position. The maximum range rate is about $30.4 \mathrm{~m} / \mathrm{sec}$ to a $40^{\circ}$ latitude ground location at the same longitude. A radar frequency of 2450 MHz , an antenna beanwidth of $1^{\circ}$ and a ground resolution of 100 meters are assumed.

The following values were computed:

| antenna diameter | 7.3 m |
| :--- | :--- |
| incidence angle | $46.3^{\circ}$ |
| beam footprint | $1063 \mathrm{~km} \mathrm{N-S}$ by $654 \mathrm{~km} \mathrm{E-W}$ |
| differential slant range | 690 km |
| across footprint |  |
| range ambiguity | $217 \mathrm{pulses} / \mathrm{sec}, \max$ |
| azimuth ambiguity | $13 \mathrm{pulses} / \mathrm{sec}, \min$ |
| radar PRF | $54 \mathrm{pulses} / \mathrm{sec}$, nominal |
| integration time | $476 \mathrm{secs}, \mathrm{min}$ |
| radar bandwidth | 2.08 MHz |
| radar Doppler shift | 500 Hz, max |

Depending on the viewing angle, an integration time of up to 700 seconds per beam footprint mey be required. To achieve $100-\mathrm{m}$ azimuth resolution to cover the United States, 3 East-West rows and 7 North-South columns of footprints will be required and this will take about 4 hours. The number of pixels is $10^{9}$. An ambiguity due to a rad 1 . Doppler shift of 500 Hz can be removed by ground processing which relies upon accurate ephemerides data. An oscillator stahili-y of better than 1 part in $10^{11}$ is required over the integration time. The time-delay Doppler shift signal processing technique required to produce images is quite similar to that used in radar astronomy [4].

The transmitter power was calculated assuming a system noise temperature of $600^{\circ} \mathrm{K}$, a system loss of 6 dB and a re $1^{\prime \cdot}$ tant $\mathrm{S} / \mathrm{N}=10 \mathrm{~dB}$. The average powers as a function of normalized ridar crcis uection $\sigma^{\circ}$ are:

| $\sigma^{\circ}, \mathrm{dB}$ | $\mathrm{P}_{\text {ave, }}$ watts <br> -10 <br> -20 <br> -30 |
| :---: | ---: |
| 8,000 |  |
| 80,600 |  |

Other sets of parametric values can be assumed to wchieve different performance characteristics.

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FIG. 1 SAR GEOMETRY


FIG. 2 SUBSATELLITE TRACK

