# A systematic variation of the stellar initial mass function in early-type galaxies 

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#### Abstract

Much of our knowledge of galaxies comes from analysing the radiation emitted by their stars. It depends on the stellar initial mass function (IMF) describing the distribution of stellar masses when the population formed. Consequently knowledge of the IMF is critical to virtually every aspect of galaxy evolution. More than half a century after the first IMF determination ${ }^{11}$, no consensus has emerged on whether it is universal in different galaxies ${ }^{2}$. Previous studies indicated that the IMF and the dark matter fraction in galaxy centres cannot be both universal ${ }^{3 / 7,7}$, but they could not break the degeneracy between the two effects. Only recently indications were found that massive elliptical galaxies may not have the same IMF as our Milky Way ${ }^{8 /}$. Here we report unambiguous evidence for a strong systematic variation of the IMF in early-type galaxies as a function of their stellar mass-to-light ratio, producing differences up to a factor of three in mass. This was inferred from detailed dynamical models of the two-dimensional stellar kinematics for the large ATLAS ${ }^{3 D}$ representative sample ${ }^{90}$ of nearby early-type galaxies spanning two orders of magnitude in stellar mass. Our finding indicates that the IMF depends intimately on a galaxy's formation history.


As part of the ATLAS $^{3 \mathrm{D}}$ project ${ }^{9,}$, we obtained integral-field maps of stellar kinematics for a volume-limited sample of 260 early-type (elliptical and lenticular) galaxies. They were selected to be closer than 42 Mpc and to have a $K_{s}$-band total magnitude $M_{K}<-21.5 \mathrm{mag}$ ( $M \gtrsim 6 \times 10^{9} \mathrm{M}_{\odot}$ ), as determined from the Two Micron All Sky Survey (2MASS) at our adopted distances. Homogeneous imaging for all the galaxies in the $r$-band was obtained in major part from the Sloan Digital Sky Survey (SDSS) DR8 and completed with our own photometry.】

For all galaxies, we constructed six sets of dynamical models $\sqrt{10}$, which include an axisymmetric stellar component and a spherical dark

[^0]halo, and fit the details of both the projected stellar distributior ${ }^{[12]}$ and the two-dimensional stellar kinematics ${ }^{9}$ (Fig. 1). While the shape of the stellar component can be inferred directly from the galaxy images, the dark halo shape must be a free parameter of the models. We explored with the models a variety of plausible assumptions for the halo to test how these can affect our result. Our halo models include as limiting cases a maximum-ignorance one, where the halo parameters are directly fitted to the stellar kinematics, and some completely fixed ones, where the halo follows the predictions of numerical simulations $s^{[11[13] 14}$. A detailed description of the model parameters is provided in Table 1. The key parameter we extract from all the models is the ratio $(M / L)_{\text {stars }}$ between the luminosity (in the $r$-band) and the mass of the stellar component. As illustrated in Fig. 1, the availability of integral-field data is the key to accurately separate the stellar mass from the possible dark matter using dynamical models and determine $(M / L)_{\text {stars }}$. In fact changes in $(M / L)_{\text {stars }}$ at the level expected for IMF variations cause dramatic changes to the quality of the model fits.

We also measured the $(M / L)_{\text {pop }}$ of the stellar population by fitting ${ }^{16}$ the observed spectra using a linear combination of single stellar population synthetic spectra ${ }^{[17}$ of different ages $(t)$ and metallicities $([M / H])$, adopting for reference a Salpeter ${ }^{11} \operatorname{IMF}\left(\xi(m) \propto m^{x}=\right.$ $\left.m^{-2.3}\right)$. The models adopt standard lower and upper mass cut-offs for the IMF of 0.1 and $100 \mathrm{M}_{\odot}$, respectively. We used linear regularization to reduce noise and produce smooth $M(t,[M / H])$ solutions consistent with the observations. The resulting $(M / L)_{\mathrm{pop}}$ is that of the composite stellar population, and excludes the gas lost during stellar evolution. If all this gas was retained in the galaxies in gaseous form, it would systematically increase $(M / L)_{\text {pop }}$ by about $30 \%$. However most of it is likely recycled into stars or expelled to larger radii. Although the results are cleaner using our full spectrum fitting approach ${ }^{16}$, similar conclusions are reached when the galaxies are approximated as one single stellar population, or when $(M / L)_{\text {pop }}$ is computed using different population codes ${ }^{177 \cdot 19}$ and with a more traditional approach which only focuses on the strength of a few stellar absorption spectral lines. Systematic offsets of about $10 \%$ in $(M / L)_{\text {pop }}$ exist between the predictions of different population models, for an identical set of assumed population parameters, with the adopted one being in the middle of the others. This sets the uncertainty in the absolute normalization of our plots. The random errors for our adopted population code ${ }^{[17}$ were estimated by applying the same spectral fitting approach to our integralfield spectroscopy data and to independent spectra obtained for a subset of 57 of our galaxies by the SDSS survey. We inferred an rms scatter of $12 \%$ in each individual $(M / L)_{\text {pop }}$ determination.

The ratio between the dynamically-derived $(M / L)_{\text {stars }}$ and the population-derived $(M / L)_{\text {Salp }}$, using a fixed Salpeter IMF, is shown in Fig. 2 as a function of $(M / L)_{\text {stars }}$. We compare the observed ratio with


Figure $1 \mid$ Disentangling the stellar and dark mass with integral-field stellar kinematics. The top panels show the symmetrized SAURON stellar kinematics $V_{\mathrm{rms}}=\sqrt{V^{2}+\sigma^{2}}$ for five galaxies representing a variety of shapes of the kinematics fields, and spanning a range in $(M / L)_{\text {stars }}$ values. Here $V$ is the mean stellar velocity and $\sigma$ is the stellar velocity dispersion. The middle panel is the best-fitting dynamical mode with a standard dark halo (model $\mathbf{b}$ in Table 1 ). The bottom panel is a dynamical model where the $(M / L)_{\text {stars }}$ was fixed to be 0.65 times the best-fitting one. Where this decrease in $(M / L)_{\text {stars }}$ represents the change in mass between a Salpeter and Kroupa IMF. The other three model parameters, the galaxy inclination $i$, the orbital anisotropy $\beta_{z}$ and the halo total mass $M_{200}$, were optimized to fit the data, but cannot provide an acceptable description of the observations. This plots shows that, for a standard halo profile, the data tightly constrain both the dark matter fraction and $(M / L)_{\text {stars. }}$. The effect would be even more dramatic if we had assumed a more shallow inner halo profile. The contours show the observed and modelled surface brightness respectively. The values of $(M / L)_{\text {stars }}$ and the fraction of dark matter within a sphere with radius equal to the projected half-light radius $R_{\mathrm{e}}$ are printed next to each panel. The galaxy names are given at the top.


Figure $2 \mid$ The systematic variation of the IMF in early-type galaxies. The six panels show the ratio between the $(M / L)_{\text {stars }}$ of the stellar component, determined using dynamical models, and the $(M / L)_{\text {Salp }}$ of the stellar population, measured via stellar population models with a Salpeter IMF, as a function of $(M / L)_{\text {stars }}$. The black solid line is a loess smoothed version of the data. Colours indicate the galaxies' stellar velocity dispersion $\sigma_{\mathrm{e}}$, which is related to the galaxy mass. The horizontal lines indicate the expected values for the ratio if the galaxy had (i) a Chabrier IMF (red dash-dotted line); (ii) a Kroupa IMF (green dashed line); (iii) a Salpeter IMF ( $x=-2.3$, solid magenta line) and two additional power-law IMFs with (iv) $x=-2.8$ and (v) $x=-1.5$ respectively (blue dotted line). Different panels correspond to different assumptions for the dark matter halos employed in the dynamical models as written in the black titles. Details about the six sets of models are given in Table 1. A clear curved relation is visible in all panels. Panels $\mathbf{a}, \mathbf{b}$ and $\mathbf{e}$ look quite similar, as for all of them the dark matter contributes only a small fraction (zero in $\mathbf{a}$ and a median of $12 \%$ in $\mathbf{b}$ and $\mathbf{e}$ ) of the total mass inside a sphere with the projected size of the region where we have kinematics (about one projected half-light radius $R_{\mathrm{e}}$ ). Panel $\mathbf{f}$ with a fixed contracted halo, still shows the same IMF variation, but it is almost systematically lower by $35 \%$ in $(M / L)_{\text {stars }}$ reflecting the increase in dark matter fraction. The two black thick ellipses plotted on top of the smooth relation in panel $\mathbf{d}$ show the representative $1 \sigma$ error for one measurement at the given locations. We excluded from the plot the galaxies with very young stellar population (selected as having $\mathrm{H} \beta>2.3 \AA$ absorption). These galaxies have strong radial gradients in their population, which break our assumption of spatially constant $M / L$ and makes both $(M / L)_{\text {Salp }}$ and $(M / L)_{\text {stars }}$ inaccurate.

Table 1 | The axisymmetric dynamical models

| Panel in Fig. 2 | Description of the model | Fitted model parameters |
| :---: | :---: | :---: |
| a | Galaxy model in which the total mass traces the observed galaxy light distribution. Any dark matter, if present, follows the stellar distribution. | $i, \beta_{z},(M / L)_{\text {total }}$ |
| b | Galaxy stellar component embedded in a spherical standard dark matter halo ${ }^{11}$ with inner density $\rho(r) \propto r^{-1}$ for radii $r \ll r_{s}$ and outer density $\rho(r) \propto r^{-3}$ for $r \gg r_{s}$. The halo total mass $M_{200}$ is fitted, while $r_{s}$ is uniquely specified ${ }^{[13]}$ by $M_{200}$. | $i, \beta_{z},(M / L)_{\text {stars }}, M_{200}$ |
| c | Model with a standard ${ }^{11}$ halo contracte ${ }^{144}$ according to the observed galaxy stellar density. The halo mass is fitted, while $r_{s}$ is specified ${ }^{[13]}$ by $M_{200}$. | $i, \beta_{z},(M / L)_{\text {stars }}, M_{200}$ |
| d | Model with a general halo inner density $\rho(r) \propto r^{\gamma}$ with fitted slope $(-1.6<\gamma<0)$ and total mass. The outer density becomes $\rho(r) \propto$ $r^{-3}$ as in the standard hald ${ }^{11}$ at radii $r \gg r_{s}=20 \mathrm{kpc}$. | $i, \beta_{z},(M / L)_{\text {stars }}, \gamma, M_{200}$ |
| e | Model with a fixed standard hald ${ }^{11}$ with $M_{200}$ specified ${ }^{15}$ by the measured galaxy stellar mass and $r_{s}$ specified ${ }^{[13}$ by $M_{200}$. | $i, \beta_{z},(M / L)_{\text {stars }}$ |
| f | Model with a fixed standard hal ${ }^{[11}$ contracte $d^{[14]}$ according to the observed galaxy stellar density. $M_{200}$ is specifie ${ }^{[15}$ by the measured galaxy stellar mass and $r_{s}$ is specified ${ }^{[13}$ by $M_{200}$. | $i, \beta_{z},(M / L)_{\text {stars }}$ |

the expected one if the galaxy had the 'light' Kroupa ${ }^{20}$ or Chabrie ${ }^{211}$ IMFs, which are similarly deficient in low mass stars; the 'standard' Salpeter IMF, which is described by a simple power-law in stellar mass with exponent $x=-2.3$; and two additional 'heavy' power-law IMFs with $x=-2.8$ and $x=-1.5$ respectively. The last two IMFs predict the same $(M / L)_{\text {pop }}$. But while in the first case the stellar population is dominated by dwarf stars, in the second case the large $(M / L)_{\text {pop }}$ is due to stellar remnants: black holes, neutron stars and white dwarfs. The dynamical mass measurements do not constrain the shape of the IMF directly, but only the overall mass normalization, and for this reason cannot distinguish between the two cases.

The results from all sets of dynamical models are consistent with a similar systematic variation of the IMF normalization, by up to a factor of three in mass. A clear trend is visible in particular for the most general of our set of models (panel d of Fig. 2), which makes virtually no assumptions on the halo shape but fits it directly to the data. However similar trends are visible for all our plausible assumptions for the dark halo mass and profile as predicted by numerical simulations. This shows that, although our result does not depend on the correctness of the assumed halo model, it is entirely consistent with standard model predictions for the halo. For increasing $(M / L)_{\text {stars }}$ the normalization of the inferred IMF varies from the one of Kroupa/Chabrier up to an IMF more massive than Salpeter. The trend in IMF is still clearly visible when selecting a subset of 60 galaxies lying outside the Virgo galaxy cluster, with the most accurate distances and the best models fits. This shows that it cannot be due to biases in the models, distances, or to effects related to the cluster environment. The knee in the relation at $(M / L)_{\text {stars }} \approx 6$ (r-band) shows that the lowest $(M / L)_{\text {stars }}$ values mainly reflect the age and metallicity of the population (with younger ages or lower $[\mathrm{M} / \mathrm{H}]$ decreasing $\left.(M / L)_{\text {pop }}\right)$, while the largest $(M / L)_{\text {stars }}$ values mainly reflect their dwarf or remnants dominated IMF. The models with contracted halos show the same IMF trend as the other models. However contracted halos predict too little stellar mass for many of the galaxies with low $(M / L)_{\text {stars }}$, even for the 'lightest' Kroupa/Chabrier IMF. This suggests that contraction may not happen in most real galaxies, in agreement with recent numerical simulations $\sqrt{22]}$.

Our result reconciles a number of apparently contradictory results on the normalization of the IMF accumulated in the past decade. The Kroupa/Chabrier-like normalization at low $(M / L)_{\text {stars }}$ agrees with the one inferred for spiral galaxies ${ }^{[23}$. The ATLAS ${ }^{3 D}$ project discovered
that early-type galaxies with the lowest $(M / L)_{\text {pop }}$ resemble spiral galaxies with their gas and dust removed ${ }^{\sqrt{24}}$ and thus a similarity of IMF should be expected. The Kroupa/Chabrier normalization is also consistent with previous findings that this normalization is required not to over-predict the mass of early-type galaxies as a class ${ }^{3 / 25 \sqrt{26}}$. A Salpeter normalization at larger $(M / L)_{\text {stars }}$ is consistent on average with results from strong gravitational lensing ${ }^{[5]}$, which are restricted to the galaxies with the largest velocity dispersions ( $\sigma \gtrsim 200 \mathrm{~km} \mathrm{~s}^{-1}$ ). Finally, the normalization more massive than Salpeter for some of the galaxies with large $(M / L)_{\text {stars }}$ is broadly consistent with the finding from the depth of spectral features of eight massive galaxies ${ }^{[8]}$ that indicate they must be dominated by a population of dwarf stars.

If instead the largest $(M / L)_{\text {pop }}$ were due to stellar remnants, our results would be consistent with indirect arguments based on the relation between the colour of a stellar population and its fraction of ionizing photons, suggesting an IMF slope becoming flatter for more massive and star forming galaxies ${ }^{2728}$. However our result is difficult to compare directly, due to the large difference in the sample selections. Moreover these studies ${ }^{[27 / 28}$ measure the instantaneous IMF, when the stars are forming, while all previous studies we mentioned, including the one in this Letter, measure the 'integrated' galaxy IMF (IGIMF) resulting from the cumulative history of star formatior ${ }^{29}$ and evolutionary mechanisms that the galaxy has experienced.

The discovered trend in IMF is also consistent with previous findings that the total $M / L$ in the centre of galaxies varies by at least a factor of two more than one would expect for a stellar population with constant dark matter fraction and a universal IMF ${ }^{\sqrt{3}}$. But various previous attempts could not distinguish whether the mass discrepancy was due to non-universality of dark matter or IMF ${ }^{4 / 730}$. The studies were limited either by small samples or non optimal data ${ }^{\sqrt{366}}$ or employed simplified galaxy models that could bias the quantitative interpretation of the results ${ }^{[45 / 7] 30}$. We finally resolve both of these limitations.

Our study convincingly demonstrates that the assumption of a universal IMF, which is still adopted in nearly every aspect of galactic astrophysics, stellar populations and cosmology, is inconsistent with real galaxies. The results presented pose an interesting challenge to galaxy formation models, which will have to explain how stars 'know' what kind of galaxy they will end up inside. A possible explanation would be for the IMF to depends on the prevailing physical conditions when the galaxy formed the bulk of their stars. Although galaxies
merge hierarchically, there is growing evidence that present-day massive early-type galaxies formed most of their stars in more intense starbursts and at higher redshift than spiral galaxies. This could lead to the observed difference in IMF. Unfortunately there is no consensus in the theoretical models for how the IMF should vary with physical conditions. A new generation of theoretical and observational studies will have to provide insight into which physical mechanisms are responsible for the systematic IMF variation we find.

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