

Tapping mode atomic force microscopy in liquid

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We show that standard silicon nitride cantilevers can be used for tapping mode atomic force microscopy (AFM) in air, provided that the energy of the oscillating cantilever is sufficiently high to overcome the adhesion of the water layer. The same cantilevers are successfully used for tapping mode AFM *in liquid*. Acoustic modes in the liquid excite the cantilever. On soft samples, e.g., biological material, this tapping mode AFM is much more gentle than the regular contact mode AFM. Not only is the destructive influence of the lateral forces minimized, but more important, the intrinsic viscoelastic properties of the sample itself are effectively used to “harden” the soft sample.

Recently, a new imaging mode in air, a hybrid form of contact and noncontact mode atomic force microscopy (AFM), was introduced.^{1,2} In this so-called tapping mode, the cantilever (driven by a piezoelectric actuator) vibrates at its resonance frequency. Upon approaching the sample, the tip briefly touches, or taps, the surface at the bottom of each swing, resulting in a decrease in oscillation amplitude. The feedback loop keeps this decrease at a preset value and a topographic image of the sample surface can be obtained. The restoring cantilever force should be higher than the adhesion force due to the water film present on samples under ambient conditions.³ For this reason stiff cantilevers⁴ with force constants ranging from 10 to 100 N/m and oscillation amplitudes between 50 and 100 nm are used. In tapping mode AFM, the destructive influence of the lateral forces, due to the relative movement of the tip with respect to the sample, is virtually eliminated, as is the case in noncontact mode AFM, because the duration of tip-sample contact is short. The lateral resolution, however, is as high as in contact mode AFM, being determined by the tip sharpness. A soft viscoelastic polymer can now be imaged without discernible damage.¹

The disruption of soft samples, e.g., biological samples, reduces significantly when imaging under liquid and removing the high adhesion forces due to the water film on samples under ambient conditions.³ However, the lateral forces are still there and tend to wipe away and smear out surface features on soft samples, such as living cells. The operation of tapping mode AFM under liquid could potentially reduce the disruptive influence of the lateral forces and give less deformation on soft samples.

In this letter we show that tapping mode AFM can be operated in air using standard V-shaped silicon nitride cantilevers² with force constants of 0.38 and 0.58 N/m. Moreover, with those same cantilevers we have performed tapping mode AFM successfully *in liquid*.

An existing stand-alone AFM in which the tip is scanned,^{5,6} has been modified by positioning a piezo actuator (AE0203D08, NEC, Japan) in the cantilever holder. Raising the driving frequency from 10 to 100 kHz gives the frequency characteristics in air as shown in Fig. 1(a) (dashed line). Many resonances can be observed including the cantilever resonance at 52 kHz with a Q factor of about 40. Driv-

ing the cantilever at 52 kHz, while nearing a glass surface, gives an approach curve as shown in Fig. 1(b). Up till point *A*, the cantilever oscillates free from the surface with an amplitude of 450 nm. Beyond *A*, the tip starts touching the surface, causing a shift of the resonance frequency and a decrease in amplitude. Between *A* and *B*, the amplitude decreases linearly and a feedback loop can be activated, enabling topographic imaging of soft surfaces. From *B* on, the tip is continuously in contact with the glass surface.⁷ At that point there is not enough energy stored in the cantilever oscillation to overcome the adhesion force exerted on the tip by the water layer [90 nN in Fig. 1(b)].

The V-shaped silicon nitride cantilevers used for tapping mode AFM in air have force constants k of 0.38 and 0.58 N/m and are 100 μm long. The 200 μm cantilevers, most frequently used in contact mode AFM, are too weak (0.06 and 0.12 N/m) to obtain stable imaging in tapping mode AFM in our setup. There is no fundamental limitation, however, to use these cantilevers in tapping mode AFM in air. In that case, oscillation amplitudes of several micrometers are required. Typically, the oscillation amplitudes are 10 times larger than the amplitudes used in tapping mode AFM with the stiffer silicon cantilevers.¹ In light of the energy stored in the cantilever movement, $\frac{1}{2}ka^2$ (with a the oscillation amplitude), it is clear that a should be 10 times greater if k is roughly 100 times smaller.

Immersing the cantilever in liquid (also the piezo actuator is partially immersed) and raising the driving voltage again from 10 to 100 kHz, results in the frequency characteristics as shown in Fig. 1(a) (solid line). The cantilever resonance in air at 52 kHz is damped, but the overall signal level has increased when compared to the situation of air (dashed line). More important, new resonances appear, especially in the 10 to 20 kHz range. Changing the layout of the liquid cell—e.g., larger diameter—or changing the liquid level significantly, results in a shift of the positions of the resonances and a change in their magnitude. The same holds for changing from water to alcohol. These observations point into the direction of the presence of acoustic modes in the medium and the acoustic excitation of the cantilever.

Driving the cantilever at a resonance of 14.1 kHz, while approaching a glass surface, gives the curve of Fig. 2(a). Starting with a free oscillation of 30 nm, the cantilever starts

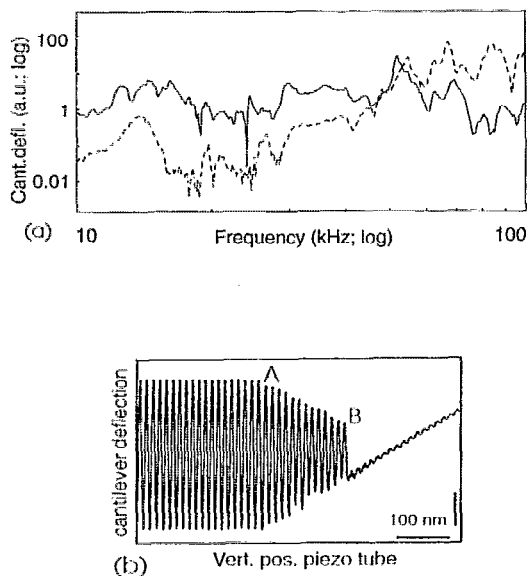


FIG. 1. (a) Cantilever deflection as a function of the driving frequency (10–100 kHz) in air (dashed line) and liquid (solid line) for a 100 μm V-shaped silicon nitride cantilever ($k=0.58$ N/m). (b) Tip-sample (glass slide) approach curve in air while oscillating the cantilever at 52 kHz. It shows the cantilever deflection as function of the vertical position of the piezotube used for scanning (a voltage ramp is supplied by the z electrode). A and B; see text.

tapping the surface at point A. From A to B the oscillation amplitude decreases, and a feedback loop can be operated. Comparing this approach curve with Fig. 1(b), shows that in air the amplitude decreases symmetrically in the tapping region (A to B), whereas under liquid only the bottom envelope of the oscillation changes. This indicates that in air the cantilever oscillates at its fundamental harmonic resonance frequency. In liquid on the other hand, the AFM is basically operated in a mode taking force-vs-distance curves³ at a high rate. From point B on the tip is permanently in contact with the glass surface.⁷ The amplitude between A and B does not decrease linearly as expected, but a contribution from the angular deflection during the period of contact builds up on the decreased amplitude of free oscillation. This is more clearly visualized in Fig. 2(b), where arrows indicate the

transitions from free cantilever movement to the pivoting movement during contact. Selecting another resonance from Fig. 1(a) (at 23.6 kHz) can result in an approach curve as shown in Fig. 2(c). Since there is no region of amplitude decrease before there is an upward shift of the top envelope of oscillation, this resonance mode cannot be used for tapping.

In the region between A and B [Fig. 2(a)] a setpoint can be selected to operate the feedback loop. Since there is no continuous contact between tip and sample as in regular contact AFM, maximum and average loading forces (F_{max} resp. F_{av}) during imaging have to be determined. On the basis of Fig. 2(b) and the assumption that the amplitude of free cantilever movement decreases linearly from A to B, we calculate F_{max} and F_{av} in point C. The rest amplitude of free cantilever movement at C is about 20 nm. Starting out with an amplitude of 30 nm, this implies that the cantilever is deflected 10 nm (Δx) yielding an F_{max} equal to 3.8 nN (k is 0.38 N/m). The free movement of the cantilever can be described by a harmonic oscillation with period T and amplitude A_0 . During the period τ the tip is in contact with the sample. It can be derived that during τ

$$F_{\text{av}} = kA_0 \left\{ \frac{T}{2\pi\tau} \sin(2\pi\tau/T) - \cos(2\pi\tau/T) \right\}. \quad (1)$$

In approximation this becomes

$$F_{\text{av}} = kA_0 \frac{4\pi^2}{3} \left(\frac{\tau}{T} \right)^2 \quad (2)$$

with $\tau/T = \arccos[(A_0 - \Delta x)/A_0]/2\pi$. With $A_0 = 15$ nm, $\Delta x = 10$ nm and $k = 0.38$ N/m, this results in an average loading force F_{av} of 2.8 nN at point C. This force can be compared with the loading forces in contact mode AFM if the duty cycle (τ/T ; equals 0.2 in point C) is taken into account. The effective average loading force is then 0.55 nN.

In Fig. 3(a) a tapping mode AFM image of part of a living monkey kidney cell is shown. The image shows nice details on the cellular surface. The lateral resolution is currently a few tens of nanometers (data not shown). Changing the damping, i.e., shifting setpoint C from A to B [Fig. 2(a)], results in a significant decrease in imaged height of a cell, and a visualization of subsurface features, such as cytoskeletal fibers.⁸ In Fig. 3(b) this is illustrated by line scans on a

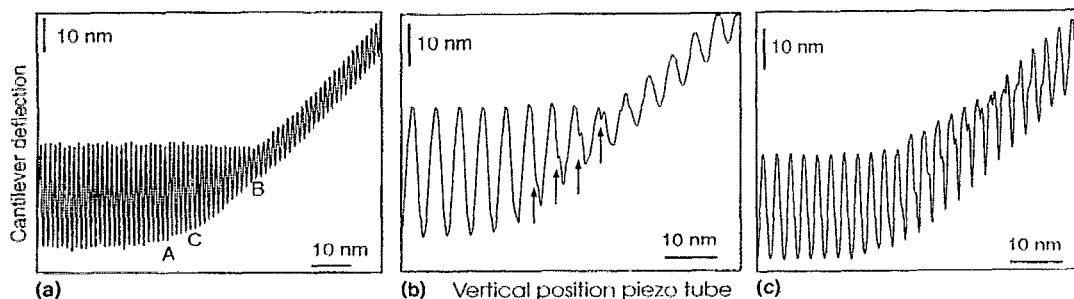


FIG. 2. (a) Tip-sample (glass slide) approach curve obtained by lowering the frequency of the ramping voltage supplied to the piezotube. It shows the transitions (arrows) from free cantilever movement to the pivoting movement while in contact. (c) Tip-sample approach curve in liquid while oscillating the cantilever at 23.6 kHz. Here also transitions from free cantilever movement are evident, but the upper envelope shifts upward simultaneously and no feedback loop (based on amplitude detection) can be operated.

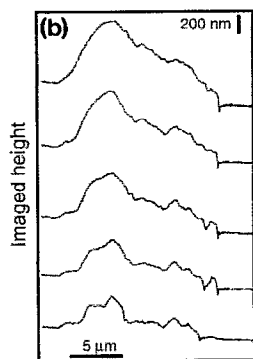
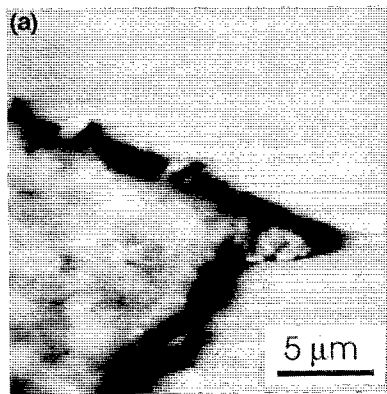


FIG. 3. (a) Tapping mode AFM image of a living monkey kidney cell on glass in growth medium. The tapping amplitude was 25 nm, the resonance frequency was 14.1 kHz and the average loading force during contact was about 2 nN. The data has been high-pass filtered to enhance surface features. Image area: $20 \times 20 \mu\text{m}^2$. (b) Imaged cell height upon increasing the damping (upper curve: low damping; lower curve: high damping), i.e., shifting the setpoint from A to B [see Fig. 2(a)].

cell monitored under an increasing damping. Recently we have shown that this behavior can be explained by the viscoelastic properties of biological materials.⁸ Under a tapping motion at high frequencies the soft biological materials, such as cell surfaces, behave as “hard” materials. As a direct consequence it becomes less susceptible to deformation. This may be the major reason for the success of the tapping mode AFM and seems as important as the reduction of influence of the lateral forces. Although the lateral forces in tapping mode AFM are comparable to those in contact mode AFM, the energy dissipation by the lateral forces (causing sample degradation) in tapping mode AFM is much smaller. In our case the lateral movement during the period of contact is less than 1 nm (scan range: $20 \mu\text{m}$; 500 pixels; 10 cycles per pixel; duty cycle: 0.2). It is hard to imagine that any damage can be

done by the lateral forces during this brief contact.

In contact mode AFM, the loading force is continuous and the sample relaxes under this load. Although in contact mode AFM the loading force may be lower than in tapping mode AFM the deformation will be higher. In tapping mode AFM one can mimic this situation by taking a setpoint close to B [lower scan line in Fig. 3(b)]. In that case the tip is in contact with the sample most of the time.

Experiments showed that the $200\text{-}\mu\text{m}$ -long cantilevers do not meet the feedback requirements discussed above. This could possibly be due to the physical characteristics of the cantilever, which do not match the acoustic excitation modes present in our liquid cell. So routinely the $100\text{-}\mu\text{m}$ -long cantilevers are currently being used with oscillation amplitudes of 200 to 1000 nm in air and 20–200 nm in liquid. Most of the resonances in Fig. 1(a) (solid line) cannot be used in tapping mode AFM, but there are always a few resonances in the 10 to 20 kHz range which do meet the feedback requirements. Although the stiff single crystal silicon cantilevers ($117 \mu\text{m}$ long)⁴ can also be used in tapping mode AFM in liquid, their high force constants give high loading forces and tend to damage biological materials; the increase in sample stiffness (at approximately 200 kHz) cannot compensate the increase in cantilever stiffness. Further experiments are needed to evaluate the potential application of silicon cantilevers with lower force constants (comparable to those of the cantilevers used in this study) in tapping mode AFM on soft samples in liquid. Higher lateral resolution will probably be obtained, because the tips are sharper than the pyramidal tips on the silicon nitride cantilevers (10 nm vs 20–50 nm). Supertips on top of the pyramidal tips⁹ can also be used to increase the resolution.

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⁷In our setup the cantilever displacement is detected by optical beam deflection [G. Meyer and N. M. Amer, *Appl. Phys. Lett.* **53**, 2400 (1988)]. This technique detects *angular* deflections of the cantilever which are translated to *vertical* tip displacements. Obviously, there is no vertical tip displacement while in contact, but there still is an angular deflection of the cantilever with the tip as the pivoting point.

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