

# The influence of large-scale wind power on global climate

David W. Keith<sup>\*†</sup>, Joseph F. DeCarolis<sup>‡</sup>, David C. Denkenberger<sup>§</sup>, Donald H. Lenschow<sup>¶</sup>, Sergey L. Malyshev<sup>||</sup>, Stephen Pacala<sup>||</sup>, and Philip J. Rasch<sup>¶</sup>

<sup>\*</sup>Departments of Chemical and Petroleum Engineering and Economics, University of Calgary, 2500 University Drive NW, Calgary, AB, Canada T2N 1N4; <sup>‡</sup>Department of Engineering and Public Policy, Carnegie Mellon University, Pittsburgh, PA 15213; <sup>§</sup>Departments of <sup>§</sup>Mechanical and Aerospace Engineering and <sup>||</sup>Ecology and Evolutionary Biology, Princeton University, Princeton, NJ 08544; and <sup>¶</sup>National Center for Atmospheric Research, P.O. Box 3000, Boulder, CO 80307

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**Large-scale use of wind power can alter local and global climate by extracting kinetic energy and altering turbulent transport in the atmospheric boundary layer. We report climate-model simulations that address the possible climatic impacts of wind power at regional to global scales by using two general circulation models and several parameterizations of the interaction of wind turbines with the boundary layer. We find that very large amounts of wind power can produce nonnegligible climatic change at continental scales. Although large-scale effects are observed, wind power has a negligible effect on global-mean surface temperature, and it would deliver enormous global benefits by reducing emissions of CO<sub>2</sub> and air pollutants. Our results may enable a comparison between the climate impacts due to wind power and the reduction in climatic impacts achieved by the substitution of wind for fossil fuels.**

**G**lobal wind-power capacity is growing by  $\approx 8 \text{ GW}\cdot\text{yr}^{-1}$ , making wind the fastest growing nonfossil source of primary energy (1). The cost of electricity from wind power is now  $\approx 40$  dollars per  $\text{MW}\cdot\text{h}^{-1}$  at the best sites, and costs are declining swiftly (2). Wind power could play a substantial role in global energy supply when CO<sub>2</sub> emissions are strongly constrained to limit anthropogenic climatic change. Although the local environmental and aesthetic impacts of wind power have been explored, there has been little assessment of the climatic impacts of wind turbines.

Wind power is a renewable resource, but the rate of its renewal is finite and, in some respects, comparatively small. The yearly average horizontal flux of kinetic energy at the  $\approx 100\text{-m}$  hub heights of large wind turbines can be  $> 1 \text{ kW}\cdot\text{m}^{-2}$ . These large power fluxes enable the economic extraction of wind power, but an array of wind turbines cannot extract this power arbitrarily because turbines interfere with their neighbors by slowing local winds. Most of the kinetic energy that drives wind turbines originates with the generation of available potential energy at planetary scales, which fuels winds throughout the atmosphere. Within the atmospheric boundary layer, turbulent mixing transports momentum downward to the surface and converts kinetic energy to heat by means of viscous (frictional) dissipation. The downward flux of kinetic energy averages  $\approx 1.5 \text{ W}\cdot\text{m}^{-2}$  over the global land surface (3). Ultimately, this small downward flux of kinetic energy limits the power that can be extracted by wind-turbine arrays (4).

Although the generation and dissipation of kinetic energy is a minor ( $\approx 0.3\%$ ) component of global energy fluxes, the winds mediate much larger energy fluxes by transporting heat and moisture. Therefore, alteration of kinetic energy fluxes can have much greater climatic effects than alteration of radiative fluxes by an equal magnitude (3, 5).

## Methods

We explored the climatic impact of wind turbines by altering surface drag coefficients in a suite of numerical experiments using two different general circulation models, one of which was developed at the National Center for Atmospheric Research (NCAR) and the other of which was developed at the Geophysical Fluid Dynamics Laboratory (GFDL; Princeton). In each

experiment, the drag coefficients were perturbed uniformly over an area defined by one of three wind-farm arrays, denoted A, B, and C (outlined in black in Figs. 1, 5A, and 5B, respectively). The reason for choosing these arrays is discussed below.

We used two methods to parameterize the additional drag due to the turbines. The first method was a modification of the roughness length,  $z_0$ . In the boundary-layer parameterizations of the models (6, 7),  $z_0$  determines the drag coefficient  $C_D$ , and ultimately, the surface fluxes through the following:

$$C_D = f(Ri) \frac{k^2}{\ln(z_1/z_0)^2}, \quad [1]$$

where  $z_1$  is the height of the first-layer midpoint,  $k = 0.4$  is the von Karman constant, and  $f$  is function that modifies  $C_D$  because of the influence of buoyancy on shear-driven turbulent mixing, which is parameterized by the Richardson number  $Ri$ . To simulate the effect of a uniform increase in drag,  $\delta C_D$ , we inverted the equation, treating  $f$  as constant, to solve for a  $z'_0$  such that  $C_D(z'_0) - C_D(z_0) = \delta C_D$ . This approximation is reasonable because, on average,  $f$  departs only slightly from unity, and it departs the least when winds (and drag forces) are strongest.

Heat, momentum, and moisture have different surface-exchange coefficients, which are parameterized by using three different roughness lengths. In all of the results shown here, we made the same change in each coefficient. We tested the effect of changing  $z_0$  for momentum only in a separate 20-yr run using the NCAR model. The results differed little from a run in which all roughness lengths were changed. However, because the B wind-farm array was used, the results cannot be compared quantitatively with the A results used throughout most of this article.

The second parameterization was an explicit drag scheme. Although the specifics differed, the result in both models was to add the following new component:

$$\frac{\partial \vec{v}}{\partial t} = - \frac{C_{ED}}{\Delta z} |\vec{v}| \vec{v} + \dots \quad [2]$$

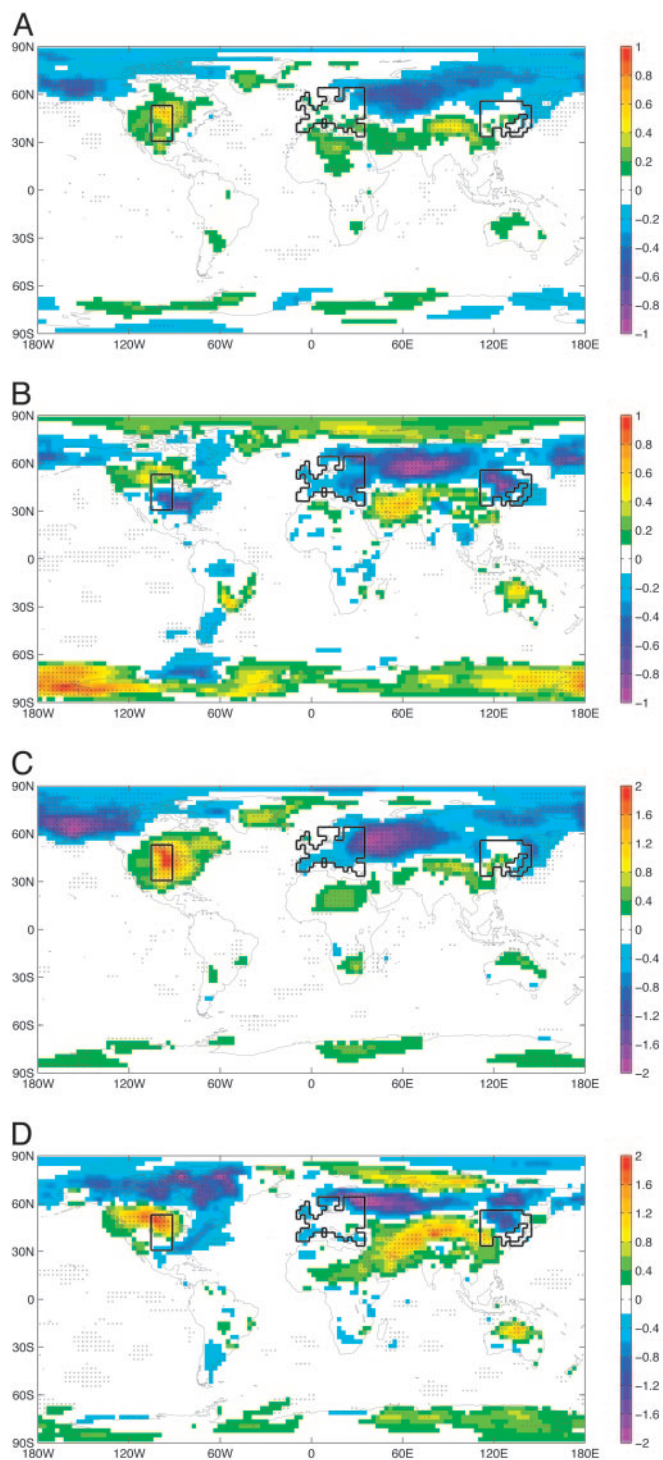
to the model physics in the lowest two layers, where  $C_{ED}$  is the explicit drag coefficient and  $\Delta z$  is the layer thickness. In the NCAR model, the drag was applied to the lowest two layers with midpoints at 65 and 250 m, with a  $C_{ED}/\Delta z$  quotient of  $17 \times 10^{-5}$  and  $0.8 \times 10^{-5} \text{ m}^{-1}$ , respectively. In the GFDL model, the midpoints are at 37 and 180 m, with a  $C_{ED}/\Delta z$  of  $0.8 \times 10^{-5}$  and  $1.6 \times 10^{-5} \text{ m}^{-1}$ . These values were chosen to represent an array of wind turbines, 2.8 turbines per  $\text{km}^2$ , each with 100-m-diameter rotors and 100-m hub heights that remove 40% of kinetic energy of the resolved flow.

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Abbreviations: NCAR, National Center for Atmospheric Research; GFDL, Geophysical Fluid Dynamics Laboratory.

<sup>†</sup>To whom correspondence should be addressed. E-mail: keith@ucalgary.ca.

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**Fig. 1.** Wind-farm array and temperature response. Data are surface (2 m) air temperature, experiment minus control. Drag perturbation,  $\delta C_D$ , was 0.005 over the A wind-farm array outlined in black. Points that are significant at  $P > 0.9$  by using a binary  $t$  test on annual/seasonal means are indicated ( $\times$ ). NCAR data are 37 yr of perturbed run composed of two runs with differing initial conditions and 108 yr of control composed of five independent runs. GFDL perturbed and control runs are both 20 yr long. NCAR (A) and GFDL (B) annual means are given, as well as NCAR (C) and GFDL (D) winter (December–February) means.

Experiments at NCAR used the Community Atmospheric model CAM (version 2.0.1), which was run at its standard resolution (26 hybrid vertical layers, with T42 dynamics mapped to a  $2.8 \times 2.8^\circ$

horizontal grid) (7). Experiments at GFDL used the new AM2 Atmospheric Model (version p10), which was run at its standard resolution [18 hybrid vertical layers with grid-point dynamics on a  $2.0 \times 2.5^\circ$  (latitude  $\times$  longitude) horizontal grid] (8).

For the NCAR model, the perturbed model runs were compared with 108 yr of control integration composed of five control runs of various lengths, each initiated with a random perturbation of the initial temperature field to assure independence. For the GFDL model, a single 20-yr control run was used. All model runs used climatological sea-surface temperatures.

### The Relationship Between Large-Scale Drag and Wind-Farm Properties

Large increases in drag coefficient will certainly alter climate; the challenge is to relate the drag perturbation and resulting climate response to the amount of power generated by the wind turbines.

The increased drag coefficient,  $\delta C_D$ , removes energy from the resolved flow with an areal flux of  $\rho v^3 \delta C_D$ . We call the global integral of this flux  $\delta P$ , the additional power dissipated by surface friction due to the additional drag. In both models,  $\delta P$  was computed by running the surface physics of the model twice at each time step once with original  $z_0$  and once with the perturbed  $z_0'$  to compute the change in surface stress  $\vec{\tau}$  and then computing  $(\vec{\tau}(z_0') - \vec{\tau}(z_0)) \cdot \vec{v}$  at the lowest model layer, which is a direct measure of the additional kinetic energy dissipation at the surface.

Only a fraction of  $\delta P$  goes into electricity. A turbine removes resolved kinetic energy at a rate given by the force on the turbine times the free-stream velocity. Normalizing this quantity by the power flowing through a disk the size of the rotor at free-stream velocity yields the drag coefficient for the turbine,  $C_D$ . Normalizing the electricity produced by this same quantity yields the power coefficient,  $C_P$ . Therefore, the fraction of energy removed from the atmosphere ( $\delta P$ ) that is converted into electricity is  $C_P/C_D$ . In practice, at typical velocities,  $C_P$  ranges (9, 10) from 0.35 to 0.4 and  $C_D$  ranges from 0.7 to 0.75, yielding an atmospheric efficiency of 47–57%. Including the effects of turbine-generated turbulence might significantly lower the effective atmospheric efficiency by increasing turbulent momentum transport and thus inducing additional drag on the ground downstream of the turbines. Additional turbulence will also increase turbulent transport of heat and moisture (11). Both effects are ignored here, and thus, we may underestimate the climate impacts per unit electricity.

Measurements at the San Geronio Pass wind farm in California show average  $\delta C_D = 0.007$  at hub height (Neil Kelley, National Wind Technology Center, Golden, CO, personal communication). These measurements are for a wind farm with  $\approx 20$ -m turbine hub heights, and they may underestimate the drag that would be produced by large wind farms built during the next decades in which mean hub heights are likely to be  $> 100$  m. A recent analytic model of the interaction of wind turbines arrays with the boundary-layer flow predicts a  $\delta C_D$  (at 80 m) of 0.013–0.005 for average turbine spacings of five to eight rotor diameters, assuming a 100-m turbine hub height (12).

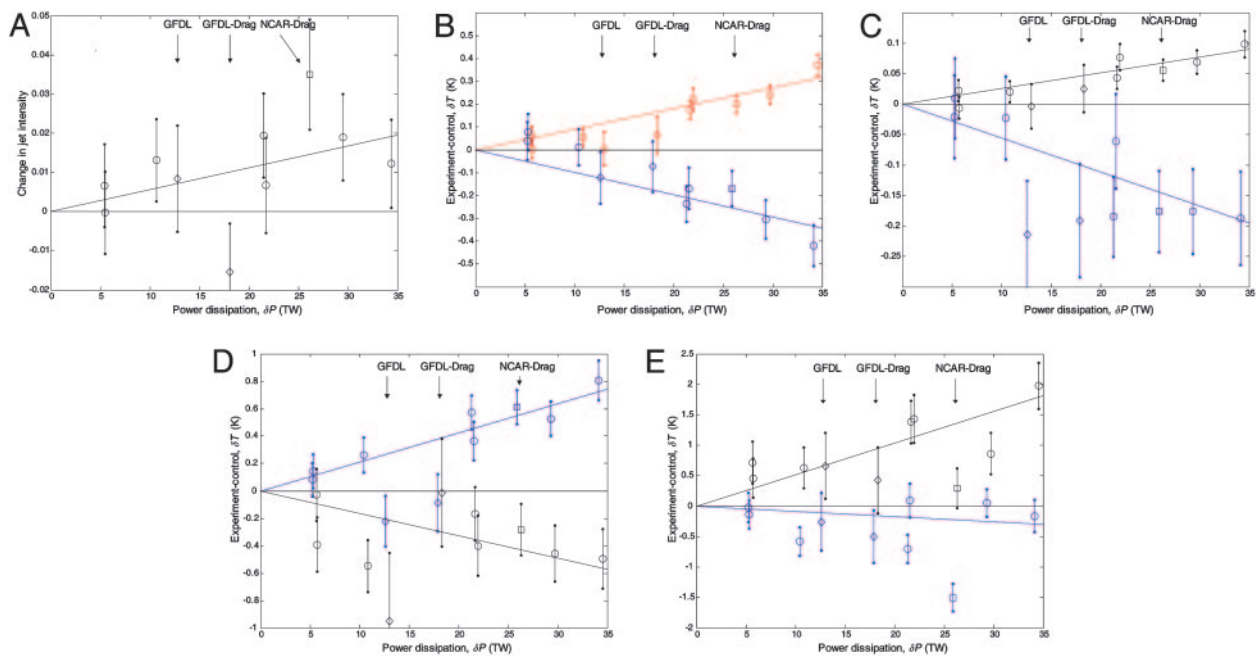
We used drag perturbations of 0.0006–0.016 at the 80-m reference height of the model. Wind farm  $\delta C_D$  values greater than  $\approx 0.003$  are likely to be unrealistic when averaged over the scale of a general circulation models grid cell; we used larger  $\delta C_D$  values only to test the climate response of the model and to improve the signal/noise ratio. The smallest  $\delta C_D$  values used here were approximately one order of magnitude less than the value of  $\delta C_D$  that was expected from typical wind farms, equivalent to filling  $\approx 1/10$ th of a grid cell with wind farms.

### Results

Fig. 1 shows the response of near-surface temperature to an increase in  $z_0$  adjusted to produce a nearly uniform increase of 0.005 in drag coefficient,  $\delta C_D$ , over the wind-farm array outlined in black. This array was chosen to (i) be simple; (ii) be near areas of high







**Fig. 4.** Mean climatic response over various masks versus  $\delta P$ . In each plot, the x axis is  $\delta P$ , corresponding to the y axis of Fig. 2. For each point, the seasonal means of a given model run are first integrated over a mask, and differences and standard errors are then computed by using the set of mask integrals for all model years in the experiment and control runs. Results from 10 model runs are shown, all of which use the A array shown in Fig. 1.  $\circ$ , Data from the seven elements of the NCAR ensemble;  $\square$ , NCAR drag physics run; and  $\diamond$ , data from the two GFDL runs in which the 13 and 18 TW points indicate the roughness length and drag physics runs, respectively. (A) Relative decrease in intensity of the northern-hemisphere jet over a mask that extends from 40–60°N and 100–30 kPa. (B) Annual mean  $\delta T_{2-m \text{ air}}$  averaged over two separate masks. The red and blue points use a mask defined by the points that are positive and negative, respectively, as well as significant in Fig. 3A. (C) Annual mean  $\delta T_{2-m \text{ air}}$  over zonal land-surface masks at 25–45°N (black) and 55–65°N (blue). (D) Summer (June–August)  $\delta T_{2-m \text{ air}}$  for the North American (black) and European (blue) areas of the A wind-farm array shown in Fig. 1. (E) Same as for D, but for winter (December–February).

outside the wind-farm array are slowed so that dissipation outside the array area decreases to compensate for the increased dissipation within the array. The reason that the compensation is so complete is likely that the generation of available kinetic energy, as well as its dissipation outside the boundary layer, depend on a large-scale atmospheric structure that varies only slightly in response to the changes in surface drag; also, near-surface sink must equal atmospheric source.

Assessments of wind-power capacity assume that regional or global capacity can be estimated by summing the local wind resource (15, 16). Our results suggest that large-scale atmospheric dynamics provide a rough upper bound on the power that can be extracted by wind farms over a specific region, just as wind-shadowing effects constrain the distribution of turbines in existing wind farms (17).

We estimated the climatic response to  $\delta P$  by regressing observed climatic change against  $\delta P$  over the ensemble (Fig. 3). In addition to providing a clean measurement of climatic response across the ensemble, this method provides a test of significance that is uncontaminated by assumptions about the temporal noise spectrum that are embedded in the significance test shown in Figs. 1 and 5.

We compared response across models and parameterizations by plotting various integrated measurements of response versus  $\delta P$  (Fig. 4). Responses are generally similar across models and parameterizations, with a couple of obvious exceptions (i.e., the difference between the two GFDL parameterizations in Fig. 4A). In particular, the climatic response to a change in  $\delta P$  with the roughness parameterization was not systematically either lower or higher than it was with the drag parameterization.

The roughness-length modification is perhaps the more robust of the two parameterizations because, in changing a model parameter, we left the self-consistency of the model physics unaltered. How-

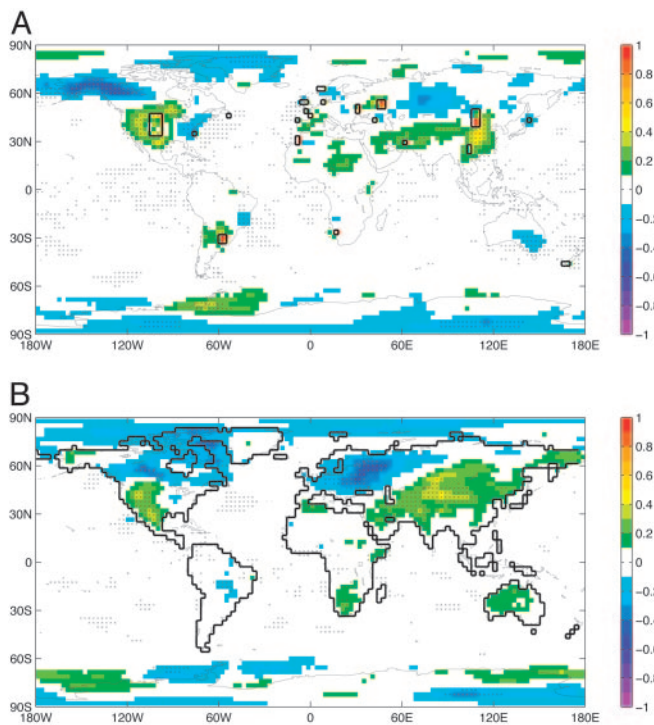
ever, it is not yet clear how accurately wind turbines are represented by a change in surface roughness. The explicit drag formulation is perhaps more physically realistic, but the results must be treated with caution because we have not thoroughly explored the interaction of the new drag term with existing model physics. Moreover, the drag parameterization excludes important processes, such as the direct effects of wind turbines on turbulence. Results from a mesoscale model suggest that including the generation of turbulence by wind farms greatly increases their climatic influence (11).

Over the northern midlatitudes, the wind-farms increase mean  $C_D$  over land by  $\approx 20\%$  for  $\delta C_D = 0.005$ . The added drag slows midlatitude winds by a few percentage points (Fig. 4A), shifts the jet toward the pole (Fig. 3C), and increases surface stress by  $\approx 5\%$  (Fig. 6A). Collectively, these results demonstrate that increased drag in areas comprising only 10% of global land surface can produce statistically significant changes in the general circulation. Given that  $\tau \propto C_D v^2$ , these changes are consistent with the assumption that winds slow sufficiently to approximately conserve surface dissipation in response to increasing drag.

The ensemble results allow a rough assessment of the functional form of the climatic response for  $\delta P$  up to 25 TW (see the points marked with  $\circ$  in Fig. 4). The 25-TW perturbation is an  $\approx 4\%$  alteration of global surface energy dissipation, or an  $\approx 20\%$  change in drag over northern-hemisphere land. Within the limits of the experimental error, the results suggest that the climatic response is often approximately linear for  $\delta P$  up to 25 TW (Fig. 4A; C, black; and D, blue and black) but might be saturating (Fig. 4D, black) or sigmoid with a threshold (Fig. 4C, blue), at least in some cases.

A useful quantity for assessing the climatic impacts of wind power is the derivative of climatic response with respect to wind-power-induced dissipation ( $\delta P$ ) for small amounts of dissipation ( $\delta P \rightarrow 0$ ). The point-by-point linear fits to  $\delta P$  described above (Fig. 3) provide an estimate of this derivative. Uncertainty in our estimate of the



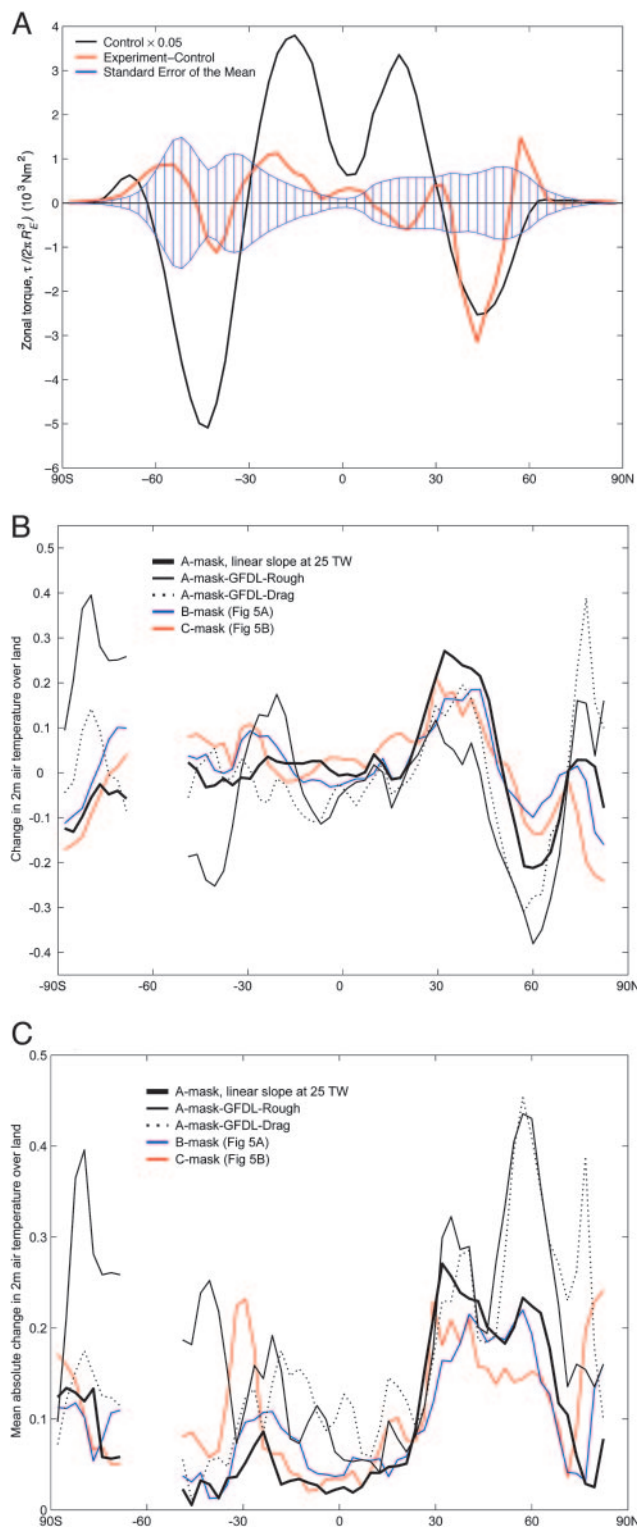


**Fig. 5.** Surface-temperature response ( $\delta T_{2\text{-m air}}$ ) to various configurations of wind-farm array and  $\delta C_D$ . (A) The B array covered 2.5% of global land surface. The roughness length  $z_0$  was set to 5 m everywhere within the array, equivalent to  $\delta C_D \cong 0.016$  at the original 0.12-m areal-mean-roughness length of the array. Data are given for 50 yr of integration,  $\delta P = 15$  TW. (B) Same as for A, but for the C array, with  $\delta C_D = 0.0006$  globally (excepting Antarctica), 30 yr of integration, and  $\delta P = 30$  TW.

derivative at  $\delta P \rightarrow 0$  will arise from three sources, (i) nonlinearity in climate response, (ii) errors due to random climate variability in the individual model runs, and (iii) systematic error due to deficiencies in the model physics.

Climatic response will be increasingly linear (18, 19) as  $\delta P \rightarrow 0$  because, while we are interpreting changes in  $\delta C_D$  as a variation in wind power from zero, the climate model is in fact responding to small changes in drag from the prescribed background  $C_D$ . Therefore, the rough linearity observed at large  $\delta P$  suggests that nonlinearity introduces comparatively small errors in our estimate of the response as  $\delta P \rightarrow 0$ . Errors due to random climate variability are similarly small. The dominant error in estimating the small-signal response almost certainly arise from deficiencies in the physics of the model and our parameterization of wind-turbine-induced drag. The differences between responses in the two models and the two parameterizations suggests that these model-related systematic errors may be of order unity.

The patterns of climatic response shown in Figs. 1–4 result from the particular configuration (A) of wind-farm array shown in Fig. 1. The response to alternative B and C configurations are shown in Fig. 5. One might suppose that the effects depended strongly on the high density of turbines in the wind farms and that a uniform global distribution of  $\delta C_D$  that generated similar  $\delta P$  would produce a much smaller climatic response. We tested this hypothesis in the NCAR model by setting  $\delta C_D = 0.0006$  over all land except Antarctica (the C configuration). The resulting  $\delta P$  was 30 TW, which is approximately five times larger than the 6-TW dissipation produced by using the same  $\delta C_D$  in the A configuration that covers 10% of the land surface (see the  $\delta C_D = 0.0006$  points in Fig. 4). The surface-temperature response to distributed  $\delta C_D$  (Fig. 5B) was of approximately similar peak magnitude to that resulting from a  $\delta P$  of 21 TW generated in the A configuration (Fig. 1), suggesting that a uniform



**Fig. 6.** Zonal measurements of climatic response. (A) Torque. Data are given from the NCAR model as described in Fig. 1A. [The plotted quantity is  $F(\theta)\cos^2(\theta)$ , which is torque per radian of latitude divided by  $2\pi R_E^3$ , where  $R_E$  is the earth's radius and  $F(\theta)$  is the zonal stress.] Note how the torque added by the wind-farm drag at  $\approx 30\text{--}60^\circ\text{N}$  is redistributed so that total torque remains at zero. (B) Zonal and annual mean  $\delta T_{2\text{-m air}}$  over land. Black lines show response to the A array shown in Fig. 1. Red and blue lines show data from the experiments using different wind farm configurations shown in Fig. 5. All lines correspond to single-model runs except the thick black line, which is derived from the linear response data of Fig. 3A scaled with an arbitrary 25 TW  $\delta P$ . (C) Same as for B, but for zonal means of the absolute magnitudes.

