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## The role of money during the recession in Australia in 1990-92 - Source link

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## THE ROLE OF MONEY DURING THE RECESSION

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What role did money play during the severe recession in Australia in 1990-92? A multivariate time series model of the Australian economy is developed and the influence of each variable - including money - on real GDP is determined. A dramatic fall in the rate of monetary expansion during 1989 accounts for the severity of the recession. Indeed, the recession would have been even more serious without mitigating foreign factors. The Reserve Bank readjusted monetary policy in 1990 and there were no further adverse monetary shocks during the downward phase of the business cycle. The time series technique employed is known as 'historical decomposition'.

## 1. Introduction

The role of money in business fluctuations remains a controversial issue. In the 1980 s, the so-called 'real business cycle economists' started a research program that, to all intents and purposes, dismisses monetary disturbances as a source of business fluctuations. Instead, this group of researchers attributes business fluctuations to technological shocks and other real factors. So far, the real business cycle economists have failed to persuade Keynesian and monetarist macroeconomists alike. Clearly, the majority of economists holds the view that money affects economic activity - although Keynesians and monetarists are sharply divided on the merits of discretionary monetary policy. ${ }^{1}$

What role did money play during the recession in Australia in 1990-92? In this paper the joint dynamics of key macroeconomic variables will be examined. A multivariate time series model of the Australian economy will be developed, and the influence of each variable - including money - on real GDP is determined. The time series technique to be employed is known as 'historical decomposition'. Two questions will be asked: (1) Did monetary factors provoke the recession in 1990? (2) Did monetary factors aggravate the course of the recession during the following two years? The first question is answered by a decomposition of the path of real GDP from the fourth quarter 1989 until the second

[^0]quarter 1992, and the second question by a decomposition from the second quarter 1991 onward.

Since World War II, Australia has experienced only two severe recessions during which real GDP dropped for several consecutive quarters - the most recent one and that of 1982-83. Real GDP fell by 2.5 percent from the peak in the first quarter 1990 to the trough in the third quarter 1991. A dramatic fall in the money growth rate preceded the recession. The money stock M1 grew at an average annual rate of 19.2 percent from the beginning of 1986 until the end of 1988 . In the first quarter 1989 , money growth came to a sudden standstill, and the money stock did not change much for about one year. Figure 1 juxtaposes indices of real GDP and the money stock M1, using logarithmic scales. Although it is suggestive that the start of the recession was preceded by a dramatic drop in money growth, not too much should be made of this bivariate relationship. In this paper the role of money during the recession will be analyzed in a much richer multivariate setting.

The model to be used is a vector autoregression. Macroeconomic modelling with VARs was pioneered by Sims (1980a,b). His three and four variable models have been extensively used in macroeconometric research. The three variable model includes a measure of economic activity, an indicator of the price level and a monetary aggregate, and - in the four variable model - a shortrun interest rate is added. The model in this paper is based upon Sims' three variable model because identification of monetary shocks is difficult in the four variable model (see Sims 1992). The three variable model is augmented by the British three months


Figure 1.

Treasury bill rate and American real GDP to take account of foreign influences on Australian economic activity. Indeed, the variance decompositions of forecast errors indicate that the foreign variables exert a stronger influence on Australian GDP than the domestic ones. The impulse responses confirm that the effect of American GDP is positive and that of the UK Treasury bill rate is negative. The sample period covers the first quarter 1976 to the fourth quarter 1992 and, except for the interest rate, all variables are in logarithmic form. ${ }^{2}$

Macroeconomic modelling of the Australian economy with multivariate time series models is still in its infancy. The model in this paper is designed to assess the effect of monetary shocks on economic activity. Moreno (1992) developed a real business cycle model of the Australian economy that includes aggregate output, the price level, employment and the oil price. Stevens (1992) provides a general discussion of inflation and output in Australia since World War II,
2. There was a break in the trend of real GDP during the oil crisis in 1973-74. The sample period starts two years later to allow for lagged variables. Equation specific Akaike information criteria suggest a VAR with six lags. The Q-values indicate that serial correlation is no problem. The findings in this paper do not depend on the overall lag length of the model. The data are described in appendix $A$.

## 2. Historical Decomposition

The innovations in a VAR process show the dynamics in a group of economic variables. A variable depends on another variable if it is influenced by random shocks to that variable. On the other hand, a variable is statistically exogenous if it is completely determined by its own innovations. Equation 1 expresses each variable as the sum of past innovations:

$$
\begin{equation*}
y_{t}=\sum_{i=0}^{\infty} c_{i} u_{t-i} \tag{1}
\end{equation*}
$$

where $y_{t}$ is a column vector of $n$ endogenous variables, $u_{t}$ is an n-variate white noise process, and $C_{i}$ is a matrix of coefficients. In general, the covariance matrix of innovations $\Sigma=$ $E\left(u_{t} u_{t}^{\prime}\right)$ is not diagonal and shocks are correlated across variables. ${ }^{3}$

In a historical decomposition the sample period is split into two subperiods, say at time $T$, and the dynamics in the second subperiod is analyzed. Each series is decomposed into a base projection that includes all information available in period $T$, and the effect of innovations that have occurred since T. A variable $x$ is an important determinant of another variable $y$ if innovations in $x$ account for a large share of the gap between the base projection of $y$ and the actual value. In equation 2 , the index $j$ runs from 1 until the end of the sample period is
3. The issue of stationarity is unimportant in innovation accounting. The matrix $C_{i}$ can be calculated for stationary and nonstationary VAR processes, although nonstationary processes do nonstationary
not possess a valid moving average representation. See Lütkepohl (1991, pp. 379-382).
reached. During the second subperiod, the vector of endogenous variables $\mathrm{y}_{\mathrm{T}+\mathrm{j}}$ can then be written as:

$$
\begin{equation*}
y_{T+j}=\sum_{i=0}^{j-1} c_{i} u_{T+j-i}+\sum_{i=j}^{\infty} C_{i} u_{T+j-i} \tag{5}
\end{equation*}
$$

The second summation is the base projection which uses information until period $T$, and the first summation adds the effect of innovations since $T$. The first term decomposes the gap between the projection and actual value into shocks to each variable. For example, money was an important determinant of real GDP during the recession if monetary shocks explain most of the gap between the projection of GDP and the actual value.

Historical decompositions are performed with orthogonal and nonorthogonal shocks. In this paper shocks are orthogonalized because the movements in a variable cannot truly be assigned to innovations in specific variables if innovations are correlated across variables. The model with orthogonal innovations is:

$$
\begin{equation*}
y_{T+j}=\sum_{i=0}^{j-1} C_{i} G G^{-1} u_{T+j-i}+\sum_{i=j}^{\infty} C_{i} G G^{-1} u_{T+j-i} \tag{3}
\end{equation*}
$$

Here, $G$ is a lower triangular matrix that provides a Choleski factorization of the covariance matrix of innovations $\Sigma$. If $G$ is chosen in a way that $G^{-1} \Sigma G,-1=I$, the new innovations $v_{t}=u_{t} G^{-1}$ are orthogonal.

The Choleski factorization does not provide a unique orthogonalization of shocks. The contemporaneous correlation between innovations is assigned to the variable that is listed first

Table 1. Covariance/Correlation Matrix of Innovations. *

|  | USGDP | UKTB3 | AUSM1 | AUSDFL | AUSGDP |
| :--- | ---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |
| USGDP | $.35 \mathrm{E}-04$ | -.24 | $.16 \mathrm{E}-01$ | -.33 | .37 |
| UKTB3 | $-.12 \mathrm{E}-02$ | .76 | -.18 | $.55 \mathrm{E}-01$ | $.44 \mathrm{E}-01$ |
| AUSM1 | $.12 \mathrm{E}-05$ | $-.20 \mathrm{E}-02$ | $.16 \mathrm{E}-03$ | $-.43 \mathrm{E}-01$ | -.34 |
| AUSDFL | $-.12 \mathrm{E}-04$ | $.28 \mathrm{E}-03$ | $-.32 \mathrm{E}-05$ | $.35 \mathrm{E}-04$ | -.29 |
| AUSGDP | $.14 \mathrm{E}-04$ | $.25 \mathrm{E}-03$ | $-.28 \mathrm{E}-04$ | $-.11 \mathrm{E}-04$ | $.42 \mathrm{E}-04$ |

* The variance/covariance matrix is on and below the diagonal and the correlation coefficients are above the diagonal.
because the matrix $G$ is lower triangular. In this paper the ordering of variables is: US real GDP - UK three months Treasury bill rate - domestic money stock M1 - domestic GDP deflator domestic real GDP. While it is natural to list foreign variables first in a small open economy, the ordering of domestic variables is less obvious. However, the ordering only matters if innovations are highly correlated. The historical decompositions of real GDP that are shown in the next two sections remain virtually unchanged if money and real GDP are interchanged. The estimated covariance-correlation matrix in table 1 confirms that correlations between innovations are small. In particular, the correlation between shocks to money and real GDP is only -0.34.


## 3. Did Monetary Factors Cause the Recession?

Figure 2 shows the historical decomposition of real GDP in the period from the fourth quarter 1988 to the second quarter 1992. The solid line indicates actual real GDP and the dotted line shows the base projection that includes information until the third quarter 1988. The sample period was split at the end of 1988 because money growth came to a standstill in the first quarter 1989. The solid and dotted lines are the same in each panel. In early 1989, economic activity was largely predetermined and actual and projected GDP match. Afterwards, economic activity was strongly influenced by innovations since the cutoff point at the end of 1988. Actual GDP substantially exceeded the projected value in the first half of 1990 and by a smaller margin in the second half of the year. From the second to the fourth quarter 1991, actual GDP was less than projected.


In each panel a third graph is displayed that adds the effect of innovations since the end of 1988 to the base projection of GDP. A particular variable did not affect GDP if the adjusted projection is close to the base projection. On the other hand, the variable was an important determinant of GDP if the adjusted projection exhibits a strongly different pattern than the base projection. The dashed line shows the adjusted projection. For example, the top-left panel contains the base-plusmoney projection of GDP (ausm1) along with the base projection (prjctn) and the actual value (actual).

Monetary factors accounted for both the economic downturn in 1990 and the severity of the recession during the following 18 months. The fall in the base-plus-money projection matches the actual fall in GDP and the adjusted projection lies below the base projection until the end of 1991. The base-plus-money projection shows that the monetary contraction alone would have led to a much stronger recession if economic activity had not been supported by nonmonetary factors. By the end of 1991 , the positive effect of nonmonetary factors had ceased and the base-plusmoney projection approached actual GDP.

Foreign factors produced the economic boom in the first half of 1990 and they partially offset the adverse effect of money during the recession. Two panels in figure 1 show GDP projections that include the influence of innovations in US real GDP (usgdp) and the three months $U K$ treasury bill rate (uktb3). In the second quarter 1990, American GDP accounted for about two thirds and European interest rates for about one third of the gap between actual and projected domestic GDP. American GDP continued to have
a positive effect until the recession started to bite in the United States in the mid-1991. At the same time, European interest rates rose because of the German unification. The base-plusinterest projection of GDP crosses the base projection in the third quarter 1991

The remaining panels show the effects of innovations in the GDP deflator (ausdfl) and GDP itself (ausgdp). Domestic price shocks were unimportant and the base-plus-price projection stays close to the base projection. The direct shocks to GDP involve an array of nonmonetary domestic shocks, including fiscal and technological shocks. These domestic shocks provided some support to the economy in 1990 and early 1991.

## 4. Did Monetary Factors Prolong the Recession?

In this section the cutoff point for the base projection of real GDP is moved forward to the second quarter 1990. The base projection now includes the effect of the monetary contraction in 1989, and the new cutoff point makes it possible to analyze the role of concomitant monetary shocks during the recession. Figure 3 shows the historical decomposition with the new cutoff point. Again, in each panel the solid line indicates actual GDP (actual), the dotted line the base projection (prjctn), and the dashed line the adjusted projection.

The course of the recession was largely predetermined at the start of 1990. During the downward phase of the business cycle, there were no further negative monetary shocks - or shocks of any



1990
1991


1990
1991

Figure 3.
kind - and actual and projected GDP moved close together. Indeed, actual GDP fell somewhat less rapidly than projected. Inspection of the top-left panel in figure 3 indicates that money slowed down the decline in economic activity. It accounted for about half of the gap between actual and projected GDP in the first half of 1991. Furthermore, money contributed to the economic recovery in the second half of the year. Yet the base-plus-money projection never moved far from the base projection and the monetary stimulus was weak. In particular, the effect of money was negligible during the trough in the third quarter 1991. These findings suggest that concomitant monetary innovations played only a minor role during the recession.

## 5. Monetary Policy

After the stock market crash in 1987, most OECD countries adopted an easy monetary policy in view of the disastrous consequences of the deflationary policy that was necessitated by the gold standard after the crash in 1929. 4 The need for an expansionary monetary policy posed a dilemma for Australia because the Reserve Bank had raised the money growth rate already before the crash, in 1986 (figure 1). In this situation, the Reserve Bank had no choice but to continue the monetary expansion - although it did not engineer a further increase in money growth. By 1988, the rapid monetary expansion had lasted for three years and there
4. Friedman and Schwartz (1963) attribute the severity of the Great Depression in the United States to the decline in the money stock. Burbidge and Harrison (1985) provide a historical decomposition of the Great Depression.
arose substantial inflation and a speculative boom in the real estate market. At the beginning of 1989, the Reserve Bank responded to the inflationary pressure by slashing the money growth rate to zero. This was the most dramatic about-face, in monetary policy since World War II. In 1989, the money stock remained almost unchanged, after an increase by 71.5 percent during the previous three years.

Two major conclusions can be drawn from the historical decompositions of Australian real GDP in the preceding two sections. (1) The abrupt reversal in monetary policy in 1989 accounts for the severity of the recession in Australia in 199092. In fact, the recession would have been even more serious without mitigating foreign factors. (2) The Reserve Bank readjusted monetary policy in 1990, and there were no further adverse monetary shocks during the downward phase of the business cycle.

Today, real business cycle economists are at the frontier of macroeconomic research. At the same time, traditional macroeconomic theories have remained influential in the economic policy debate because real business cycle models fail to explain the short-run trade-off between nominal and real variables. 5 The findings in this paper suggest a monetarist approach to macroeconomics. Monetarists stress that money affects economic activity
5. Robert Lucas is a leading macroeconomist who still calls himself a monetarist (see the interview in McTaggart, Findlay and Parkin, 1992, pp. 605-607)
in the short-run. 6 The findings also support the monetarist notion that monetary policy does not provide a suitable instrument for economic stabilization purposes. The excessively tight monetary policy in 1989 put into motion an economic contraction that lasted for two years and that could not be stopped by a renewed relaxation of monetary policy in 1990. ed VAR model. The sum of the coefficients of money is close to zero in the autoregressive version of the model. This includes the direct and indirect influence of money on GDP in all equations. I owe this observation to Adrian Pagan.

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## Appendix: Data Sources

The data are from the DX data base by EconData. All series are quarterly and, except for the British interest rate, they are seasonally adjusted. The DX file and identifier are shown infthe bracket.

AUSGDP: Australian real gross domestic product (TSS-A: NOQQ. AK85_GDP).

AUSDFL: Implicit price deflator of Australian GDP (TSS-A: NOQQ.AD85_GDP).

AUSM1: Australian money stock M1. This series was calculated by adding currency and current deposits with banks. The entries are quarterly averages of monthly figures (BN-D: DMACSA and DMACDTSA).

USGDP: American real gross domestic product (QNA-USA: USA.SA.GDPEV).

UKTB3: British three months Treasury bill rate. The frequency was changed from monthly to quarterly by averaging (BN-F, FOIRYUKTB3).

The software package RATS 3.11 was used for the econometric work. The package is distributed by Estima, 1800 Sherman Ave., Suite 612, Evanston, IL 60201, USA.
********************** DATA TRANSFORMATIONS *******************
cal 197014
all 0 1992:2
open data \data \macro.rat
data(format=rats) 1970:1 1992:2 usargdp uktb3 qm1s \$
ausdefl ausrgdp
set usgdp $=\log (u s a r g d p(t))$
set ausm1 $=\log (q m 1 s(t))$
set ausdfl $=\log ($ ausdefl $(t))$
set ausgdp $=\log (\operatorname{ausrgdp}(\mathrm{t}))$

system 1 to 5
variables usgdp uktb3 ausm1 ausdfl ausgdp
lags 1 to 6
det constant
end (system)
scratch 5 / resids
estimate(noftests,outsigma=v,sigma) 1976:1 1992:2 resids+1

EQUATION 1

| DEPENDENT VARIABLE | USGDP |  |  |  |
| :--- | :---: | :--- | :--- | ---: |
| FROM 1976: 1 UNTIL | $1992:$ | 2 |  |  |
| TOTAL OBSERVATIONS | 66 | SKIPPED/MISSING | 0 |  |
| USABLE OBSERVATIONS | 66 | DEGREES OF FREEDOM | 35 |  |
| R**2 | 0.99750857 | RBAR**2 | 0.99537306 |  |
| SSR | $0.23210025 E-02$ | SEE | $0.81433627 E-02$ |  |

DURBIN-WATSON $\quad 2.10871156$

| QO. | LABEL | VAR | LAG | COEFFICIENT | STAND. ERROR | T-STATISTIC |
| :--- | :--- | :--- | :--- | :---: | :--- | :--- |
| $* * *$ | $* * * * * * *$ | $* * *$ | $* * *$ | $* * * * * * * * * *$ | $* * * * * * * * * * * *$ | $* * * * * * * * * * *$ |
| 1 | USGDP | 16 | 1 | 1.029332 | 0.1871285 | 5.500668 |
| 2 | USGDP | 16 | 2 | -0.4115268 | 0.2414137 | -1.704654 |
| 3 | USGDP | 16 | 3 | 0.2120193 | 0.2522330 | 0.8405692 |
| 4 | USGDP | 16 | 4 | -0.2255779 | 0.2618785 | -0.8613839 |
| 5 | USGDP | 16 | 5 | 0.3796092 | 0.2475331 | 1.533570 |
| 6 | USGDP | 16 | 6 | -0.1178125 | 0.1852598 | -0.6359316 |
| 7 | UKTB3 | 12 | 1 | $-0.7819841 \mathrm{E}-03$ | $0.1111398 \mathrm{E}-02$ | -0.7036038 |
| 8 | UKTB3 | 12 | 2 | $-0.1055648 \mathrm{E}-02$ | $0.1384374 \mathrm{E}-02$ | -0.7625454 |
| 9 | UKTB3 | 12 | 3 | $0.1827389 \mathrm{E}-04$ | $0.1370433 \mathrm{E}-02$ | $0.1333439 \mathrm{E}-01$ |
| 10 | UKTB3 | 12 | 4 | $-0.2526928 \mathrm{E}-03$ | $0.1256083 \mathrm{E}-02$ | -0.2011752 |
| 11 | UKTB3 | 12 | 5 | $-0.3029643 \mathrm{E}-03$ | $0.1271829 \mathrm{E}-02$ | -0.2382115 |
| 12 | UKTB3 | 12 | 6 | $-0.4426976 \mathrm{E}-03$ | $0.9974342 \mathrm{E}-03$ | -0.4438364 |
| 13 | AUSM1 | 17 | 1 | 0.1370173 | $0.7230938 \mathrm{E}-01$ | 1.894875 |
| 14 | AUSM1 | 17 | 2 | -0.1913558 | 0.1137020 | -1.682959 |
| 15 | AUSM1 | 17 | 3 | 0.1373119 | 0.1100707 | 1.247489 |
| 16 | AUSM1 | 17 | 4 | -0.1322452 | 0.1068962 | -1.237136 |
| 17 | AUSM1 | 17 | 5 | $0.7196666 \mathrm{E}-01$ | 0.1120897 | 0.6420450 |
| 18 | AUSM1 | 17 | 6 | $-0.3122768 \mathrm{E}-01$ | $0.8056430 \mathrm{E}-01$ | -0.3876118 |
| 19 | AUSDFL | 18 | 1 | -0.3581228 | 0.1675393 | -2.137546 |
| 20 | AUSDFL | 18 | 2 | 0.3970807 | 0.2065264 | 1.922663 |
| 21 | AUSDFL | 18 | 3 | $-0.2745341 \mathrm{E}-01$ | 0.2343082 | -0.1171680 |
| 22 | AUSDFL | 18 | 4 | 0.1701999 | 0.2291028 | 0.7428975 |
| 23 | AUSDFL | 18 | 5 | $-0.8142212 \mathrm{E}-01$ | 0.2338583 | -0.3481687 |
| 24 | AUSDFL | 18 | 6 | $-0.7165982 \mathrm{E}-01$ | 0.1844552 | -0.3884944 |
| 25 | AUSGDP | 19 | 1 | 0.2308867 | 0.1591959 | 1.450331 |
| 26 | AUSGDP | 19 | 2 | -0.3318927 | 0.1896253 | -1.750255 |
| 27 | AUSGDP | 19 | 3 | 0.2418251 | 0.1745887 | 1.385113 |
| 28 | AUSGDP | 19 | 4 | $-0.3666151 \mathrm{E}-01$ | 0.1655846 | -0.2214065 |
| 29 | AUSGDP | 19 | 5 | $-0.6549524 \mathrm{E}-01$ | 0.1676371 | -0.3906966 |
| 30 | AUSGDP | 19 | 6 | $0.1465386 \mathrm{E}-01$ | 0.1380593 | 0.1061417 |
| 31 | CONSTANT | 0 | 0 | 0.5276827 | 0.6765062 | 0.7800116 |

DEPENDENT VARIABLE
FROM
TOTAL OBSERVATTONS 66 2. 2 TOTABLE OBSERVATIONS 66 66

$$
\begin{aligned}
& \text { SSR } \quad 50.112374 \\
& \text { DURBIN-WATSON } 1.88479516 \\
& \text { al }
\end{aligned}
$$

SEE

$$
\begin{array}{r}
0.74542 \\
1.1965710
\end{array}
$$

SIGNIFICANCE LEVEL 0.48241690
NO. $\begin{array}{llll}\text { LABEL VAR } & \text { LAG } & \text { COEFFICIENT } \\ * * * * * * * * * ~ & * * * & * * * * * * * * * *\end{array}$ STAND. ERROR T-STATISTIC
***********

USGDP $16 \quad 3 \quad 98.02647$
$\begin{array}{lllr}\text { USGDP } & 16 & 4 & -88.02647 \\ & 16 & 5 & 80909\end{array}$
$\begin{array}{llrr}\text { USGDP } & 16 & 5 & -80.80909 \\ & 16 & 5.18804\end{array}$
$\begin{array}{lllr}\text { USGDP } & 16 & 6 & 4.325878\end{array}$
$\begin{array}{llll}\text { UKTB3 } & 12 & 1 & 0.8721874\end{array}$
$\begin{array}{llll}\text { UKTB3 } & 12 & 2 & -0.1086767\end{array}$
$\begin{array}{llll}\text { UKTB3 } & 12 & 3 & -0.1687114\end{array}$
$\begin{array}{lllr}\text { UKTB3 } & 12 & 4 & 0.1812973\end{array}$
$\begin{array}{llll}\text { UKTB3 } & 12 & 5 & -0.1432968\end{array}$
$\begin{array}{llll}\text { UKTB3 } & 12 & 6 & 0.6175725 \mathrm{E}-01\end{array}$
$\begin{array}{ll}\text { AUSM1 } & 17 \\ \text { AUSM1 } & 17\end{array}$

| AUSM1 | 17 |
| :--- | :--- |

AUSM1 $\quad 17$

| AUSM1 | 17 |
| :--- | :--- |

$\begin{array}{lrrr} & 17 & 3 & 12.02846 \\ \text { AUSM1 } & 17 & 4 & 8.707735\end{array}$

| $* * * * * * * * * * * *$ | $* * * * * * * * * * *$ |
| :--- | :---: |
| 27.49632 | -0.4326956 |
| 35.47289 | $-0.2207144 \mathrm{E}-01$ |
| 37.06267 | -2.644884 |
| 38.47995 | -2.100031 |
| 36.37207 | 0.8024851 |
| 27.22173 | 0.1589127 |
| 0.1633069 | -0.5340788 |
| 0.2034175 | -0.83782224 |
| 0.2013689 | 0.9822866 |
| 0.1845666 | -0.7667839 |
| 0.1868803 | 0.4213752 |
| 0.1465612 | -0.5422881 |
| 10.62501 | -0.3447461 |
| 16.70716 | 0.7437101 |
| 16.17358 | 0.5543806 |
| 15.70714 | $-0.7125819 \mathrm{E}-02$ |
| 16.47026 | 0.3237319 |
| 11.83797 | -1.9081487 |
| 24.61791 | 0.6417371 |
| 30.34661 | 1.409650 |
| 34.42882 | -1.926621 |
| 33.66394 | 0.2203979 |
| 34.36271 | 1.353641 |
| 27.10352 | -1.914586 |
| 23.39196 | 0.3538931 |
| 27.86320 | -1.2414817 |
| 25.65375 | 0.1686721 |
| 24.33071 | 0.7069211 |
| 24.63229 |  |

EQUATION 3
DEPENDENT VARIABLE 17 AUSM1
 USABLE OBSERVATIONS 66 DEGREES OF FREEDOM 35 R**2 OBSERA 0.99930735 RBAP**2 SSR
$0.10719058 \mathrm{E}-01$
SEE
$0.17500252 \mathrm{E}-01$
DURBIN-WATSON 1.96046910
( 24 ) $=26.1078$ SIGNIFICANCE LEVEL 0.3477156

| ****** | $* * *$ | $* * *$ | $* * * * * * * * * * * *$ |
| :--- | ---: | :---: | :---: |
| USGDP | 16 | $1-0.5410311 \mathrm{E}-01$ |  |

## STAND. ERROR

0.4021430
0.518802
0.5420539
0.562782
0.531953
0.3981270
$0.2388418 \mathrm{E}-02$
$0.2975049 \mathrm{E}-02$
$0.2945088 \mathrm{E}-02$
$0.2945088 \mathrm{E}-02$
$0.2699348 \mathrm{E}-02$
$0.2733187 \mathrm{E}-02$
$0.2133187 \mathrm{E}-02$
0.155394
0.24434
0.24434
0.23654
0.2365441
0.2297222
0.2297222
0.2408831
0.1731343
0.3600453
0.4438294
0.5035330
0.5035330
0.4923465
0.5025662
0.5025662
0.3421153
0.3421153
0.4075086
0.4075086
0.3751946 0.3751946
0.3558447 0.355844
0.3602554 0.3602554
0.2966923
1.453826

T-STATISTIC
*****
$-0.1345370$
-0.317466
0.9888536
$-0.9965510$
0.3961155
0.8753372
0.3755842
$-0.5648004$
$-0.4602614$
$-0.2057330$
0.3135857
$-0.3470339$
8.060686
$-1.535237$
0.8101123
-1.600389
2.564610
2.564610
-2.605759
$-1.650558$
1.325492
0.1004510
$-0.1983651 \mathrm{E}-01$
0.5020765
0.5020765
-0.5262049
0.5470634
-0.6751330
$-0.6088760$
$-0.6215267$
$-0.1541128$
0.3665259
$-0.7920791$

EQUATION
DEPENDENT VARIABLE 18 AUSDFL
FROM 1976: 1 UNTI $\qquad$ AUSD
1992: 2
TOTAL OBSERVATIONS 66
66 $\begin{array}{ll}\text { R**2 } & 66 \\ \text { R* OBSERVATIONS } & 66 \\ 0.99973879\end{array}$ $\begin{array}{lrrr}R * * 2 & 0.99973879 & \text { REGREES OF FREEDOM } & 35 \\ \text { SSR } & 0.22988959 \mathrm{E}-02 & \text { REAR } & 0.99951489\end{array}$ SUR 0.22 SEE $0.81044888 \mathrm{E}-02$
QURBIN-WATS 24 ( 18 2685 686108 SIGNIFICANCE LEVEL 0.78979348 Q( $24)=18.268$ LAG COEFFICIENT
*** **********

| LABEL | VAR | LAG | COEFFICIENT | STAND. ERROR | T-STATISTIC |
| :---: | :---: | :---: | :---: | :---: | :---: |
| ****** | *** | *** | *********** | ************ | *********** |
| USGDP | 16 | 1 | -0.2410832 | 0.1862352 | -1.294509 |
| USGDP | 16 | 2 | 0.1021195 | 0.2402613 | 0.4250351 |
| USGDP | 16 | 3 | 0.1701406 | 0.2510290 | 0.6777727 |
| USGDP | 16 | 4 | -0.3023407 | 0.2606283 | -1.160045 |
| USGDP | 16 | 5 | 0.3139065 | 0.2463515 | 1.274222 |
| USGDP | 16 | 6 | 0.1701950E-01 | 0.1843754 | $0.9230897 \mathrm{E}-0$ |
| UKTB3 | 12 | 1 | -0.1390426E-04 | $0.1106093 \mathrm{E}-02$ | -0.1257061E-0 |
| UKTB3 | 12 | 2 | -0.7949067E-03 | $0.1377766 \mathrm{E}-02$ | -0.5769534 |
| UKTB3 | 12 | 3 | $0.3770278 \mathrm{E}-03$ | $0.1363891 \mathrm{E}-02$ | 0.2764354 |
| UKTB3 | 12 | 4 | $0.7367842 \mathrm{E}-03$ | 0.1250087E-02 | 0.5893863 |
| UKTB3 | 12 | 5 | -0.1115358E-02 | $0.1265758 \mathrm{E}-02$ | -0.8811779 |
| UKTB3 | 12 | 6 | $0.4001734 \mathrm{E}-04$ | $0.9926727 \mathrm{E}-03$ | $0.4031272 \mathrm{E}-0$ |
| AUSM1 | 17 | 1 | $0.8362232 \mathrm{E}-01$ | $0.7196420 \mathrm{E}-01$ | 1.161999 |
| AUSM1 | 17 | 2 | -0.1055370 | 0.1131592 | -0.9326415 |
| AUSM1 | 17 | 3 | -0.8345553E-01 | 0.1095452 | -0.7618364 |
| AUSM1 | 17 | 4 | 0.1539376 | 0.1063860 | 1.446973 |
| AUSM1 | 17 | 5 | $0.4634405 \mathrm{E}-01$ | 0.1115547 | 0.4154380 |
| AUSM1 | 17 | 6 | -0.1422275 | $0.8017971 \mathrm{E}-01$ | -1.773859 |
| AUSDFL | 18 | 1 | 0.7019296 | 0.1667395 | 4.209739 |
| AUSDFL | 18 | 2 | 0.5469574 | 0.2055405 | 2.661069 |
| AUSDFL | 18 | 3 | -0.8019788E-01 | 0.2331897 | -0.3439169 |
| AUSDFL | 18 |  | -0.1419155E-01 | 0.2280091 | -0.6224115E-0 |
| AUSDFL | 18 | 5 | -0.7821148E-01 | 0.2327419 | -0.3360438 |
| AUSDFL | 18 | 6 | -0.3830370E-01 | 0.1835747 | -0.2086546 |
| AUSGDP | 19 | 1 | 0.1754847 | 0.1584360 | 1.107607 |
| AUSGDP | 19 | 2 | -0.6142352E-01 | 0.1887201 | -0.3254742 |
| AUSGDP | 19 | 3 | -0.1941415 | 0.1737553 | -1.117327 |
| AUSGDP | 19 | 4 | $0.8024300 \mathrm{E}-01$ | 0.1647942 | 0.4869286 |
| AUSGDP | 19 | 5 | 0.4616969E-01 | 0.1668368 | 0.2767356 |
| AUSGDP | 19 | 6 | -0.6692633E-01 | 0.1374003 | -0.4870902 |

EQUATION 5
DEPENDENT VARIABLE 19 AUSGDP
FROM 1976: 1 UNTIL 1992: 2
TOTAL OBSERVATIONS 66 SKIPPED/MISSING
$\begin{array}{lrll}\text { USABLE OBSERVATIONS } & 66 & \text { DEGREES OF FREEDOM } & 35 \\ \text { R**2 } & 0.99794693 & \text { RBAR**2 } & 0.99618715\end{array}$

| R**2 | 0.99794693 | RBAR**2 | 0.99618715 |
| :--- | ---: | :--- | ---: |
| SSR | $0.27836883 \mathrm{E}-02$ | SEE | $0.89181809 \mathrm{E}-02$ |

DURBIN-WATSON $0.27836883 \mathrm{E}-02$ SEE $0.89181809 \mathrm{E}-02$
Q( 24 ) $=20.4132$ SIGNIFICANCE LEVEL 0.67305358


NO. LABEL VAR LAG COEFFICIENT STAND. ERROR

| $* * *$ | $* * * * * *$ | $* * *$ | $* * *$ | $* * * * * * * * * * * *$ | $* * * * * * * * * * * *$ | $* * * * * * * * * * *$ |
| :---: | :--- | :--- | :--- | :---: | :--- | ---: |
| 1 | USGDP | 16 | 1 | 0.4559893 | 0.2049333 | 2.225062 |
| 2 | USGDP | 16 | 2 | -0.5871353 | 0.2643835 | -2.220771 |
| 3 | USGDP | 16 | 3 | 0.6335300 | 0.2762323 | 2.293830 |
| 4 | USGDP | 16 | 4 | -0.5733536 | 0.2867955 | -1.999173 |
| 5 | USGDP | 16 | 5 | 0.2003624 | 0.2710852 | 0.7391124 |
| 6 | USGDP | 16 | 6 | $-0.8869832 \mathrm{E}-01$ | 0.2028867 | -0.4371815 |
| 7 | UKTB3 | 12 | 1 | $0.7393146 \mathrm{E}-03$ | $0.1217145 \mathrm{E}-02$ | 0.6074171 |
| 8 | UKTB3 | 12 | 2 | $0.9664230 \mathrm{E}-03$ | $0.1516094 \mathrm{E}-02$ | 0.6374428 |
| 9 | UKTB3 | 12 | 3 | $-0.6204367 \mathrm{E}-03$ | $0.1500826 \mathrm{E}-02$ | -0.4133968 |
| 10 | UKTB3 | 12 | 4 | $-0.1365842 \mathrm{E}-02$ | $0.1375596 \mathrm{E}-02$ | -0.9929095 |
| 11 | UKTB3 | 12 | 5 | $-0.1356131 \mathrm{E}-03$ | $0.1392840 \mathrm{E}-02$ | $-0.9736441 \mathrm{E}-01$ |
| 12 | UKTB3 | 12 | 6 | $0.1295717 \mathrm{E}-02$ | $0.1092337 \mathrm{E}-02$ | 1.186188 |
| 13 | AUSM1 | 17 | 1 | 0.1311505 | $0.7918942 \mathrm{E}-01$ | 1.656162 |
| 14 | AUSM1 | 17 | 2 | $0.1351652 \mathrm{E}-01$ | 0.1245204 | 0.1085487 |
| 15 | AUSM1 | 17 | 3 | $-0.2171761 \mathrm{E}-01$ | 0.1205436 | -0.1801640 |
| 16 | AUSM1 | 17 | 4 | $-0.9855192 \mathrm{E}-01$ | 0.1170671 | -0.8418411 |
| 17 | AUSM1 | 17 | 5 | 0.1025866 | 0.1227548 | 0.8357035 |
| 18 | AUSM1 | 17 | 6 | -0.1372931 | $0.8822977 \mathrm{E}-01$ | -1.556086 |
| 19 | AUSDFL | 18 | 1 | $0.4850967 \mathrm{E}-01$ | 0.1834801 | 0.2643865 |
| 20 | AUSDFL | 18 | 2 | $-0.2724497 \mathrm{E}-01$ | 0.2261768 | -0.1204587 |
| 21 | AUSDFL | 18 | 3 | -0.1789594 | 0.2566020 | -0.6974201 |
| 22 | AUSDFL | 18 | 4 | 0.1681481 | 0.2509012 | 0.6701765 |
| 23 | AUSDFL | 18 | 5 | $0.9399053 \mathrm{E}-01$ | 0.2561092 | 0.3669939 |
| 24 | AUSDFL | 18 | 6 | $-0.2869191 \mathrm{E}-01$ | 0.2020056 | -0.1420352 |
| 25 | AUSGDP | 19 | 1 | 0.6674071 | 0.1743430 | 3.828127 |
| 26 | AUSGDP | 19 | 2 | $0.1656899 \mathrm{E}-01$ | 0.2076676 | $0.7978609 \mathrm{E}-01$ |
| 27 | AUSGDP | 19 | 3 | $0.1945170 \mathrm{E}-02$ | 0.1912003 | $0.1017347 \mathrm{E}-01$ |
| 28 | AUSGDP | 19 | 4 | -0.1434479 | 0.1813395 | -0.7910459 |
| 29 | AUSGDP | 19 | 5 | 0.3623904 | 0.1835873 | 1.973941 |
| 30 | AUSGDP | 19 | 6 | -0.1112487 | 0.1511953 | -0.7357946 |
| 31 | CONSTAN | 0 | 0 | 1.653176 | 0.7408739 | 2.231387 |


| COVARIANCE/CORRELATION MATRIX |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| VARIABLE |  | USGDP | UKTb3 | AUSM1 | AUSDFL |
| SERIES | LAG | - 160 | 120 | 170 | 180 |
| USGDP 16 | 0 | 0.35167E-04 | -0.24142 | $0.15817 \mathrm{E}-01$ | -0.33203 |
| UKTB3 12 | 0 | -0.12475E-02 | 0.75928 | -0.18182 | $0.55286 \mathrm{E}-01$ |
| AUSM1 17 | 0 | $0.11953 \mathrm{E}-05$ | -0.20191E-02 | $0.16241 \mathrm{E}-03$ | -0.42971E-01 |
| AUSDFL 18 | 0 | -0.11621E-04 | $0.28432 \mathrm{E}-03$ | -0.32320E-05 | $0.34832 \mathrm{E}-04$ |
| AUSGDP 19 | 0 | $0.14149 \mathrm{E}-04$ | $0.24956 \mathrm{E}-03$ | -0.28021E-04 | -0.11074E-04 |


| VARIABLE |  |  | AUSGDP |  |
| :--- | :--- | :--- | :--- | :---: |
| SERIES |  | LAG | $19 \quad 0$ |  |
| USGDP | 16 | 0 | 0.36737 |  |
| UKTB3 | 12 | 0 | $0.44100 \mathrm{E}-01$ |  |
| AUSM1 | 17 | 0 | -0.33857 |  |
| AUSDFL | 18 | 0 | -0.28892 |  |
| AUSGDP | 19 | 0 | $0.42177 \mathrm{E}-04$ |  |

declare rect $f(5,5)$
ewise $f(i, j)=v(i, j) /(\operatorname{sqrt}(v(i, i)) * \operatorname{sqrt}(v(j, j)))$
declare rect $g(5,5$
ewise $g(i, j)=v(i, j) *(i>=j)+f(i, j) *(i<j$
write(format='(5g12.2)') g

| $.35 \mathrm{E}-04$ | -.24 | $.16 \mathrm{E}-01$ | -.33 | .37 |
| ---: | :---: | ---: | ---: | ---: |
| $-.12 \mathrm{E}-02$ | .76 | -.18 | $.55 \mathrm{E}-01$ | $.44 \mathrm{E}-01$ |
| $.12 \mathrm{E}-05$ | $-.20 \mathrm{E}-02$ | $.16 \mathrm{E}-03$ | $-.43 \mathrm{E}-01$ | -.34 |
| $-.12 \mathrm{E}-04$ | $.28 \mathrm{E}-03$ | $-.32 \mathrm{E}-05$ | $.35 \mathrm{E}-04$ | -.29 |
| $.14 \mathrm{E}-04$ | $.25 \mathrm{E}-03$ | $-.28 \mathrm{E}-04$ | $-.11 \mathrm{E}-04$ | $.42 \mathrm{E}-04$ |

GRAPHS OF RESIDUALS:
labels 1011121314
\# 'rsusgdp', 'rsuktb3' 'rsausm1' 'rsausdfl' 'rsausgdp'
grparm(bold,portrait) keylabeling 8 axislabeling 8
spgraph(vfields=3,hfields=2)
dofor $1=\begin{array}{llll}12 & 14 & 11 & 13 \\ 10\end{array}$
graph (style=bargraph, height $=7.5$, width=6.0, key=loright, $\$$ ybase $=2.0$,xbase $=1.0$ ) 1
\# i
spgraph(done)

## (SEE FIGURE B-1)

AUTOCORRELATIONS OF RESIDUALS:
set upper $117=1.96 /$ sqrt(nobs)
set lower $117=$-upper(t)
labels upper lower
\# 'upper' 'lower'
scratch 5 / corrs
labels $17 \quad 18 \quad 19 \quad 20 \quad 21$
\# 'rsusgdp' 'rsuktb3' 'rsausm1' 'rsausdfl' 'rsausgdp'
grparm(bold, portrait) keylabeling 8 axislabeling 8
spgraph(vfields=3,hfields=2)
dofor $\mathbf{i}=1214111310$
corr(noprint) i / 16 i+7
graph (height $=7.5$, width=6.0, number $=0, \max =1.0$, min $=-1.0$,
nodates, style=bargraph, patterns,key=loright, \$
ybase $=2.0$, xbase $=1.0$ ) 3
\# i+7
\# upper / 2
$\#$ lower / 2
end ${ }^{\#}$ do
spgraph(done)








******************** HISTORICAL DECOMPOSITIONS ***********************)

SUBPERIOD 1988:4 TO 1992:2
smpl 88:4 92:2
scratch 30 / decomp

```
history(noadd) 5 15 88:4 v
# 1 decomp+1
# 2 decomp+7
# 3 decomp+13
# 4 decomp+1
set 46= exp(46(t))
dofor I = 47484950 51
    set I = exp(I(t))*46(t)-46(t)
end set
{
display 'Historical Decomposition of Series RGDP'
display @12 'Actual' @20'Prjctn' @28 'USGDP' @36 'UKTB3'
    @44,AUSM1, @52, AUSDFL' @60,AUSGDP'
copy(unit=output,org=obs,format='(A10,7i8)',dates) / $
    opy(unit=output,org=obs,fo
}
```

| Historical |  | Decomposition of Series RGDP |  |  |  | AUSM1 | AUSDFL | AUSGDP |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Actual | Prjctn | USGDP | UKTB3 |  |  |  |
| 1988: | 4 | 62438 | 61902 | 217 | 2 | -174 | -22 | 512 |
| 1989: | 1 | 63101 | 62962 | 211 | -57 | -120 | 56 | 49 |
| 1989: | 2 | 63984 | 63441 | -54 | -106 | 578 | 43 | 81 |
| 1989: | 3 | 64180 | 63780 | 174 | -137 | 496 | 94 | -227 |
| 1989: | 4 | 63959 | 63899 | -45 | -90 | 372 | 78 | -253 |
| 1990: | 1 | 65137 | 63853 | 409 | 97 | 227 | 220 | 318 |
| 1990: | 2 | 65084 | 63983 | 759 | 381 | -442 | 94 | 305 |
| 1990: | 3 | 64347 | 63959 | 445 | 547 | -1108 | 69 | 447 |
| 1990: | 4 | 64362 | 64057 | 694 | 455 | -1243 | -23 | 439 |
| 1991: | 1 | 64395 | 64016 | 302 | 295 | -792 | 91 | 489 |
| 1991: | 2 | 63882 | 64108 | 384 | 94 | -980 | 132 | 150 |
| 1991: | 3 | 63543 | 64211 | 396 | -59 | -1045 | -64 | 111 |
| 1991: | 4 | 64102 | 64365 | -140 | -187 | -118 | 157 | 26 |
| 1992: | 1 | 64729 | 64667 | -11 | -212 | 470 | 37 | -219 |
| 1992: | 2 | 65054 | 64820 | -254 | -264 | 609 | 219 | -72 |

(Actual real GDP (column 1) is equal to the sum of the projected value (column 2) plus all innovation components (columns 3 to 7 ).

| \# 1 decomp+1 |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| \# 2 decomp+7 |  |  |  |  |  |  |  |  |
| \# 3 decomp+13 |  |  |  |  |  |  |  |  |
| \# 4 decomp+19 |  |  |  |  |  |  |  |  |
| \# 5 decomp+25 |  |  |  |  |  |  |  |  |
| set $46=\exp (46(t))$ |  |  |  |  |  |  |  |  |
| dofor $I=4748495051$ |  |  |  |  |  |  |  |  |
| set $I=\exp (I(t))$ |  |  |  |  |  |  |  |  |
| end do I |  |  |  |  |  |  |  |  |
| \{ |  |  |  |  |  |  |  |  |
| display 'Historical Decomposition of Series RGDP' |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
| copy (unit $=$ output,org=obs, format='(A10,7i8)', dates) / \$5 decomp +25 to decomp+30 |  |  |  |  |  |  |  |  |
| \} |  |  |  |  |  |  |  |  |
| Historical Decomposition of Series RGDP |  |  |  |  |  |  |  |  |
|  |  | Actual | Prjctn | USGDP | UKTB3 | AUSM1 | AUSDFL | AUSGDP |
| 1988: | 4 | 62438 | 61902 | 62120 | 61905 | 61728 | 61879 | 62415 |
| 1989: | 1 | 63101 | 62962 | 63173 | 62904 | 62841 | 63018 | 63011 |
| 1989: | 2 | 63984 | 63441 | 63386 | 63334 | 64019 | 63484 | 63522 |
| 1989: | 3 | 64180 | 63780 | 63954 | 63642 | 64277 | 63875 | 63553 |
| 1989: | 4 | 63959 | 63899 | 63853 | 63809 | 64271 | 63977 | 63645 |
| 1990: | 1 | 65137 | 63853 | 64263 | 63951 | 64081 | 64073 | 64171 |
| 1990: | 2 | 65084 | 63983 | 64743 | 64365 | 63540 | 64078 | 64289 |
| 1990: | 3 | 64347 | 63959 | 64404 | 64507 | 62851 | 64028 | 64406 |
| 1990: | 4 | 64362 | 64057 | 64751 | 64513 | 62813 | 64034 | 64497 |
| 1991: | 1 | 64395 | 64016 | 64318 | 64311 | 63224 | 64107 | 64505 |
| 1991: | 2 | 63882 | 64108 | 64493 | 64203 | 63128 | 64241 | 64259 |
| 1991: | 3 | 63543 | 64211 | 64608 | 64151 | 63165 | 64147 | 64323 |
| 1991: | 4 | 64102 | 64365 | 64224 | 64178 | 64246 | 64523 | 64391 |
| 1992: |  | 64729 | 64667 | 64655 | 64454 | 65137 | 64705 | 64447 |
| 1992 : | 2 | 65054 | 64820 | 64566 | 64556 | 65429 | 65040 | 64747 |

Here, the innovation components are added to the base projection. The following code yields figure 2 in the main text.)
set $5=5(t) / 1000$
dofor $I=464748495051$
set $I=I(t) / 1000$
end do I
labels 5464748495051
\# 'actual' 'prjctn' 'usgdp' 'uktb3' 'ausm1' 'ausdf1' 'ausgdp'

```
grparm(portrait) axislabeling 8 keylabeling 10
spgraph(vfields=3,hfields=2)
    dofor i = 3 5 241
        graph(ybase=1.5,vticks=8,height=8.0,key=loright) 3
        # 5
        # 46
        # 46+i
    end do i
spgraph(done)
```

set $5=5(\mathrm{t}) * 1000$

## SUBPERIOD 1990:2 TO 1992:4

```
smpl 90:2 92:2
```

history 59 90:2 v
\# 1 decomp+1
\# 2 decomp+7
\# 3 decomp+13
\# 4 decomp+19
\# 5 decomp+25
set $46=\exp (46(\mathrm{t}))$
dofor $I=4748495051$
set $I=\exp (I(t)) * 46(t)-46(t)$
end do I
\{
display 'Historical Decomposition of Series RGDP',
display @12 'Actual' @20 'Base' @28, USGDP' @36 'UKTB3' \$

copy(unit=output, org=obs,format='(A10,7i8)',dates)/\$
5 decomp+25 to decomp+30
\}

history(add) $5990: 2 \mathrm{v}$
\# 1 decomp+1
\# 2 decomp+7
\# 3 decomp+13
\# 4 decomp +19
\# 5 decomp+25
set $46=\exp (46(t))$
dofor $I=4748495051$
set $I=\exp (I(t))$
end do I
\{
display 'Historical Decomposition of Series RGDP'
display @12 'Actual' @20 'Base' @28 'USGDP' @36 'UKTB3' \$
@44 'AUSM1' @52 'AUSDFL' @60 'AUSGDP'
copy (unit=output,org=obs, format='(A10,7i8)',dates) / \$
5 decomp+25 to decomp+30
\}

| Historical |  | Decomposition |  | of Series RGDP |  | AUSM1 | AUSDFL | AUSGDP |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Actual | Base | USGDP | UKTB3 |  |  |  |
| 1990: | 2 | 65084 | 64880 | 64955 | 64873 | 64914 | 64908 | 64954 |
| 1990: | 3 | 64347 | 64314 | 64482 | 64341 | 64059 | 64307 | 64413 |
| 1990: | 4 | 64362 | 64078 | 64176 | 64102 | 63989 | 64049 | 64357 |
| 1991: | 1 | 64395 | 63453 | 63378 | 63520 | 63992 | 63479 | 63835 |
| 1991: | 2 | 63882 | 63440 | 63385 | 63483 | 63685 | 63563 | 63524 |
| 1991: | 3 | 63543 | 63686 | 63619 | 63674 | 63671 | 63622 | 63701 |
| 1991: | 4 | 64102 | 64063 | 63695 | 63949 | 64528 | 64270 | 63916 |
| 1992: | 1 | 64729 | 64673 | 64478 | 64533 | 65295 | 64791 | 64325 |
| 1992: | 2 | 65054 | 64993 | 64700 | 64839 | 65421 | 65279 | 64789 |

(Here, the innovation components are added to the base projection. The following code yields figure 3 in the main text.)

```
set 5 = 5(t)/1000
dofor I = 46 4744 49 50 51
    ser I = = I(t)//1000
end do I
```

grparm(portrait) axislabeling 8 keylabeling 10
spgraph(vfields=3,hfields=2)
dofor $i=35441$
(y)
gra
$\# 5$
\# 46
\# $46+i$
end do i
spgraph (done)
set $5=5(t) * 1000$


[^0]:    . Plosser (1989) and Huh and Trehan (1991) summarize the real business cycle approach to macroeconomics. Macfarlane (1993) discusses monetary and real business cycle theories from an Australian perspective.

