

# Towards a Formal Approach for Object Database Design

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## Abstract

This paper focuses on a formal approach\* for advanced database modeling and design. It is based on the IFO<sub>2</sub> model, an extension of the semantic model IFO defined by S. Abiteboul and R. Hull. It preserves the acquired strengths of the semantic approaches, whilst integrating concepts of the object paradigm. To model an IFO<sub>2</sub> schema, the structural part of the model including concepts such as alternative, composition, grouping for building complex objects and semantic constraints is formally specified. Furthermore, the definitions of update facilities necessary to modify and perfect IFO<sub>2</sub> schemas are specified through change rules. Finally, in order to design a database schema, an IFO<sub>2</sub> schema is translated, in an automatic way, into an existing target (implementable) model. As an illustration, we present a translation from the IFO<sub>2</sub> model into the O<sub>2</sub> one. The result is a new coherent and formal approach which is useful in overcoming some of the difficulties in the specification and design of object-oriented applications.

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\* This work, supported by the PRC-BD3 and an External European Research Project in collaboration with Digital Equipment, comes within the scope of a larger project whose aim is to realize an aided system for advanced application modeling and design.

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Proceedings of the 19th VLDB Conference,  
Dublin, Ireland, 1993.

## 1 Introduction

Modeling needs for new applications and flaws in the relational model have led to the definition of more powerful models which are extended relational [1] or object-oriented [5], [6] and [15]. The generic term for associated systems, of which certain prototypes are described in [26], is Advanced Database Management Systems. As a consequence, current research work is focusing on the definition of new modeling and design approaches able to satisfy the needs of both traditional and advanced applications [7], [11] and [13]. The presented research work fits into this context: a new approach whose three main aspects are the following ones. Firstly, a formal object model IFO<sub>2</sub> [28] is defined for advanced database modeling as an extension of the semantic model IFO proposed by S. Abiteboul and R. Hull [2]. Its objective is actually to reconcile apparently opposed ideas: an optimal data representation and a complete real world modeling. IFO<sub>2</sub> attempts to preserve the acquired strengths of semantic approaches, whilst integrating concepts of the object paradigm [4]. Secondly, structural update primitives are formally proposed through change functions to offer an incremental specification of IFO<sub>2</sub> schemas. They are crucial for they assist the designer to take into account real world evolutions or to rectify a part of his schema without redefining the whole. They also play a part in the merging of existing sub-schemas and so they may be seen as one important element in a view-integration process. Finally, in order to design object database schema, a set of transformation rules translates an IFO<sub>2</sub> schema into an implementable one.

The aim of this paper is to describe our approach in contrast with the related works and particularly to present:

1. The structural part of the IFO<sub>2</sub> model.
2. The associated structural update facilities through change rules.
3. The formalization of the translation rules from an IFO<sub>2</sub> schema to an O<sub>2</sub> one (according to the

established O<sub>2</sub> model [16]) to justify (and illustrate) our approach.

Finally, we briefly give some aspects of the implementation of the system.

## 2 Related Works and Proposal

Before presenting our approach and in order to highlight its contributions, it would be interesting to provide a brief survey of modeling and design approaches. Among them, there are two main trends.

The first group involves semantic currents. They are based on conceptual (or semantic) models for real representation. Their principle is to offer the users concepts powerful enough to achieve, from the real world, the most complete specification possible. The resulting schema is then translated into a logical or implementable one. We may quote [11], [17], [27] and [30]. However, the classical models in this group generally suffer from the lack of concepts (object-identity, reusability,...) which are efficient for advanced application modeling. Furthermore, in this trend, structural updating capacities are not always proposed, and when they exist, they are described in an intuitive way.

The second class encompasses object-oriented currents. Their major goal is to capture the dynamic aspects of applications [21] and [25]. In contrast with the first class, these approaches do not offer enough structural concepts (often limited to those of implementable object models) for a complete real world modeling. Generally, additional methods are used to express semantic structural constraints. These trends do not respect the independence between the source and target models. Furthermore, they involve an optimized representation of data, i.e. type-oriented, when an attribute-oriented modeling is advisable for the conceptual level [13]. The implication for the database designer is the necessity of specifying preliminary representation choices. These choices sometimes cut off parts of the real world being modelled.

The object models provide database evolution mechanisms (three trends have been defined in [3]) but they do not deal with conceptual schemas, and their objectives differ from ours. However, they are interesting for they pinpoint two levels to be taken into consideration: the IS\_A hierarchy and the composition hierarchy. For instance, we may quote: the Mosaico system where algorithms are defined for type insertions into a lattice [19]; the Esse project where algorithms ensure consistent updates of an O<sub>2</sub> database schema [9] [32]; the Gemstone [22] and Orion [14] systems, the Sherpa [20], Farandole2 [3] and Cocoon [29] projects where rules for the schema evolution are stated.

We would suggest an approach based on the formal model IFO<sub>2</sub> which is both type and attribute oriented. The IFO<sub>2</sub>

model objective is to integrate the object paradigm whilst retaining IFO modeling strengths. It boosts modeling abilities and appears more suitable for advanced application design than object models.

To modify and perfect an IFO<sub>2</sub> schema, formal structural update facilities are offered. These changes are formally taken into consideration through update functions [23].

When the schema seems to be complete for the designer, it would be carried out, automatically, into a target model, by using a transformation function.

We assert that it is essential to have a really rigorous approach as IFO<sub>2</sub>. The object paradigm allows and encourages a modular modeling of the real world. So, object modeling can sometimes look "anarchistic" and therefore difficult to handle [31]. In order to avoid such problems, a formal approach leads to a schema which is non-ambiguous, without omissions, modifiable and easily reusable. Moreover, it has the advantage of facilitating not only the comparison of different designs but also the verification of updates on specifications without further validations.

First of all, we present the IFO<sub>2</sub> model. Update facilities are then explained and defined through change rules.

## 3 The IFO<sub>2</sub> Model

IFO<sub>2</sub> adopts the philosophy of the semantic model IFO. Two main extensions are realized. Firstly, an explicit definition of the object identifier which is object value independent, is integrated. To achieve this, all manipulated elements of IFO are re-defined to consider the object paradigm. Secondly, to fully meet our "conceptual" objectives, the modeling power of IFO must be enhanced. Then, the concepts of alternative, composition and grouping for building complex objects have been integrated. The connectivity and existency constraints are explicitly specified.

In the next sections, we propose a part of formal definitions of the IFO<sub>2</sub> model. Instance and attached object concepts are not presented, the interested reader can refer to [28]. Firstly, the object and type concepts are described as well as the different constructors. The fragment notion and IFO<sub>2</sub> schema are then detailed.

### 3.1 Object and Type

In the IFO<sub>2</sub> model, an object has a unique identifier which is independent of its value. Furthermore, the domain of a type describes the possible values for its objects. The figure 1 shows the components of the type 'Name'.

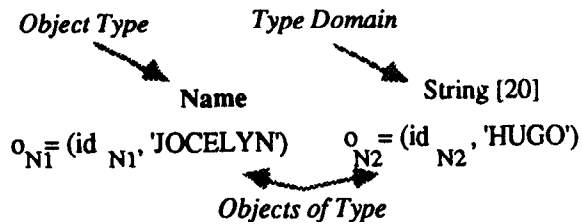


Figure 1 - Object Type Example

**Definition 1:**  $\mathcal{TO}$  is an infinite set of object types such that:

$\forall \tau \in \mathcal{TO}$ ,  $\text{Dom}(\tau)$  is an infinite set of symbols, including the empty set, called the value domain of  $\tau$ ,  $\text{Did}(\tau)$  is an infinite set of symbols called the identifier domain of  $\tau$ . Objects of type  $\tau$  are defined by a pair (id, value) such that:

$\forall o, o'$  of type  $\tau$ ,  $\exists (id, id') \in \text{Did}(\tau)^2$ ,  $\exists (value, value') \in \text{Dom}(\tau)^2$  such that: if  $o = (id, value)$ ,  $o' = (id', value')$  and  $id \neq id'$  then  $o \neq o'$ .

The infinite set of objects of type  $\tau$  is called  $\text{Obj}(\tau)$ .

### 3.1.1 Printable and Abstract Types

There are three basic types (shown in the figure 2):

1. A **printable type (TOP)**, used for I/O application (Input/Output are therefore environment-dependent: String, Integer, Picture, Sound, ...), which are comparable to attribute type of the Entity/Relationship model [27];
2. An **abstract type (TOA)** which would be perceived as entity in the Entity/Relationship model;
3. A **represented type (TOR)**, defined in the section 3.1.3, which handles another type through the IS\_A specialization link. This concept is particularly interesting when considering modularity and reusability goals. The designer may defer a type description or entrust it to somebody else, while using this type for modeling a part of the application schema.

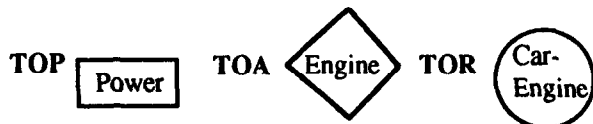


Figure 2 - Basic Type Examples

**Definition 2:** Let  $\mathcal{TOP}$  be an infinite set of printable types, let  $\mathcal{TOA}$  be an infinite set of abstract types, two disjoint subsets of  $\mathcal{TO}$ , such that:

1.  $\forall \tau \in \mathcal{TOP}$ ,  $\text{dom}(\tau)$  is an infinite set of symbols;
2.  $\forall \tau \in \mathcal{TOA}$ ,  $\text{dom}(\tau) = \{\emptyset\}$ .

An abstract type actually represents an entity without internal structure but nevertheless identifiable and having properties, hence its value domain is empty.

### 3.1.2 Complex Types

The IFO<sub>2</sub> model takes into account five type constructors and makes a distinction between an exclusive and a non-exclusive building. These constructors may be recursively applied according to specified rules for building more complex types.

For example (see the figure 3), 'Address' is built up from 'Street', 'Number' and 'Zipcode' types and 'Wheels' is composed with the 'Wheel' type obtained from 'Axle' and 'Tyre' types.

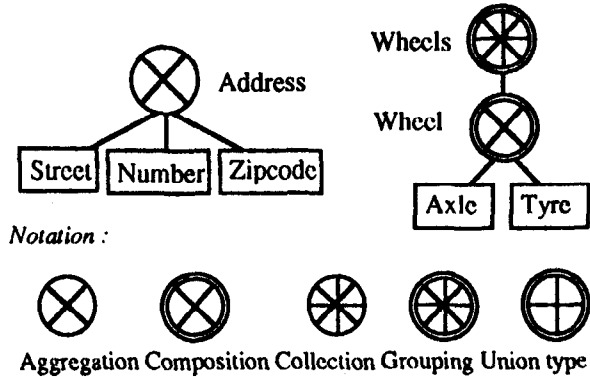


Figure 3 - Type constructors

#### Aggregation and Composition Types

Aggregation and composition represent the aggregation abstraction of semantic models [12] defined by the Cartesian product. It is a composition, if and only if, each object of an aggregated type occurs only once in an object construction of aggregation type.

**Definition 3:** Let  $\mathcal{TOTA}$  be an infinite set of aggregation types, let  $\mathcal{TOTC}$  be an infinite set of composition types, two disjoint subsets of  $\mathcal{TO}$ , such that:

$\forall \tau \in \mathcal{TOTA} \cup \mathcal{TOTC}$ ,  $\exists \tau_1, \tau_2, \dots, \tau_n \in \mathcal{TO}$ ,  $n > 1$ , such that:

$\text{Dom}(\tau) \subseteq \text{Obj}(\tau_1) \times \text{Obj}(\tau_2) \times \dots \times \text{Obj}(\tau_n)$ ,

$\tau$  is structurally defined as:

$\forall o \in \text{Obj}(\tau)$ ,  $\exists o_1 \in \text{Obj}(\tau_1), o_2 \in \text{Obj}(\tau_2)$ ,

$\dots, o_n \in \text{Obj}(\tau_n)$  such that:

$o = (id, [o_1, o_2, \dots, o_n])$ ;

if  $\tau \in \mathcal{TOTC}$  then  $\forall o' \in \text{Obj}(\tau)$  with  $o \neq o'$

$\exists o'_1 \in \text{Obj}(\tau_1), o'_2 \in \text{Obj}(\tau_2), \dots, o'_n \in$

$\text{Obj}(\tau_n)$  such that  $o' = (id', [o'_1, o'_2, \dots, o'_n])$

with  $\forall i \in [1..n], o_i \notin \{o'_1, o'_2, \dots, o'_n\}$ .

#### Collection and Grouping Types

They represent the set-of constructor of object models with an exclusivity constraint for the grouping.

**Definition 4:** Let  $\mathcal{JOSC}$  be an infinite set of *collection types*, let  $\mathcal{JOSG}$  be an infinite set of *grouping types*, two disjoint subsets of  $\mathcal{JO}$ , such that:

- $\forall \tau \in \mathcal{JOSC} \cup \mathcal{JOSG}, \exists ! \tau' \in \mathcal{JO}$  such that:
- $\text{Dom}(\tau) \subseteq \mathcal{P}(\text{Obj}(\tau'))$  where  $\mathcal{P}(\text{Obj}(\tau'))$  is the powerset of  $\text{Obj}(\tau')$ ,
- $\tau$  is structurally defined as:
- $\forall o \in \text{Obj}(\tau), \exists o_1, o_2, \dots, o_n \in \text{Obj}(\tau')$  such that:
- $o = (\text{id}, \{o_1, o_2, \dots, o_n\})$
- if  $\tau \in \mathcal{JOSG}$  then  $\forall o' \in \text{Obj}(\tau)$  with  $o \neq o'$
- $\exists o'_1, o'_2, \dots, o'_n \in \text{Obj}(\tau')$  such that:
- $o' = (\text{id}', \{o'_1, o'_2, \dots, o'_n\})$  with  $\forall i \in [1..n],$
- $o_i \notin \{o'_1, o'_2, \dots, o'_n\}$ .

**Alternative Types (Union Types)**

Structurally different types can be handled in a uniform way through the alternative type concept. This constructor represents the IS\_A generalization link enhanced with a disjunction constraint between the generalized types.

**Definition 5:** Let  $\mathcal{JOUT}$  be an infinite set of *union type types*, a subset of  $\mathcal{JO}$ , such that:

- $\forall \tau \in \mathcal{JOUT}, \exists \tau_1, \tau_2, \dots, \tau_n \in \mathcal{JO}, n > 0$  such that:
- $\text{Dom}(\tau) \subseteq \text{Dom}(\tau_1) \cup \text{Dom}(\tau_2) \cup \dots \cup \text{Dom}(\tau_n),$
- $\tau$  is structurally defined as:
- $\forall i, j \in [1..n]$  if  $i \neq j$  then
- $\text{Obj}(\tau_i) \cap \text{Obj}(\tau_j) = \emptyset, \text{Obj}(\tau) = \text{Obj}(\tau_1) \cup$
- $\text{Obj}(\tau_2) \cup \dots \cup \text{Obj}(\tau_n),$
- with  $\forall o \in \text{Obj}(\tau), \exists ! k \in [1..n]$  such that:
- $o = o_k, o_k \in \text{Obj}(\tau_k).$

**3.1.3 Represented Types**

The definition of represented types takes into account the multiple inheritance since a represented type may have several sources.

**Definition 6:** Let  $\mathcal{JOR}$  be an infinite set of *represented types*, a subset of  $\mathcal{JO}$ , such that:

- $\forall \tau \in \mathcal{JOR}, \exists \tau_1, \tau_2, \dots, \tau_n \in \mathcal{JO}, n > 0$  called source(s) of  $\tau$  such that ,  $\text{Obj}(\tau) \subseteq \text{Obj}(\tau_1) \cup \text{Obj}(\tau_2) \cup \dots \cup \text{Obj}(\tau_n)$  with  $\forall o \in \text{Obj}(\tau), \exists o_i \in \text{Obj}(\tau_i)$  such that  $o = o_i.$

**3.1.4 Types**

From basic types and constructors, it is possible to define a type, as a tree, in a general way.

**Definition 7:** A type  $T \in \mathcal{JO}$  is a directed tree  $T = (S_T, E_T)$ , where  $E_T$  is a set of type edges.  $T$  is such that:

1. The set of vertices  $S_T$  is the disjoint union of eight sets  $\mathcal{TOP}, \mathcal{TOA}, \mathcal{TOR}, \mathcal{TOT}, \mathcal{TOTC}, \mathcal{JOSC}, \mathcal{JOSG}, \mathcal{JOUT}.$
2. If  $T \in \mathcal{TOA}$  then  $T$  is root of type.
3. The leaves of the tree are printable or represented types.

An abstract type cannot be used in a built type since its role is to describe a real world entity which is not defined by its internal structure but through its specified fragment properties.

**3.2 IFO2 Fragment**

The types could be linked by functions (simple, complex (i.e. multi-valued), partial (0:N link) or total (1:N link)) through the fragment concept. The aim of the fragment is to describe properties (attributes) of the principal type called heart. The figure 4 describes the fragment of heart 'Person' having 'Name', 'Address' and 'Vehicle' as properties. For each vehicle associated to a person, there is a contract insurance number, this is called a nested fragment. First Names are not always known for a person.

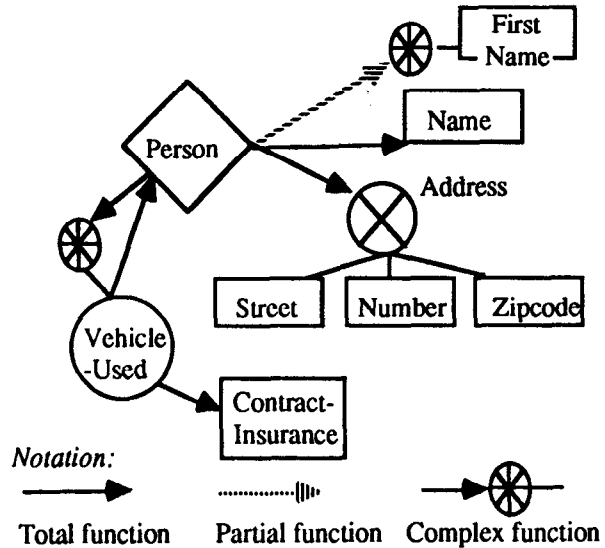


Figure 4 - The Fragment 'Person'

**Conventions:** we call partial a function in which some elements of the domain have no associated elements in the codomain. Otherwise, it is called total. The kind of handled graph is:  $G = (X, U)$  where the set of vertices  $X$  is the set of types  $T$  of  $\mathcal{JO}$  and the set of edges  $U$  is composed with: simple edges (simple functions) and complex edges (functions applied on a  $\mathcal{JOSC}$ , called complex functions: an image of an object is a set). The edge is called either partial or total if the associated function is either partial or total.

**Definition 8:** An IFO<sub>2</sub> fragment is a graph  $F = (V_F, L_F)$ , with  $V_F$  the set of types  $T \in \mathcal{TO}$  and  $L_F$  the set of fragment links, defined such that:

1. There is a direct tree  $H = (V_F, A)$  such that:
  - 1.1. The root of  $H$  is called heart of fragment.
  - 1.2. The source of an edge is either the heart root or the root of a target type of a complex edge whose source is the heart root.
2. For each edge linking the heart to a represented type, there is a reciprocal total edge.

The IFO<sub>2</sub> fragment is called by its heart.

### 3.3 IFO<sub>2</sub> Schema

An IFO<sub>2</sub> schema is composed of  $n$  IFO<sub>2</sub> fragments:  $F_1, F_2, \dots, F_n, n > 0$ , related by IS\_A links according to two rules. The figure 11 illustrates one IFO<sub>2</sub> schema made up with five fragments 'Person', 'Employee', 'Vehicle', 'Car' and 'Engine'. They are linked with IS\_A links through the represented types ('Vehicle\_Used', 'Employee', 'V\_Car', 'Truck\_Engine' and 'Car\_Engine').

#### 3.3.1 Specialization Link

The IS\_A link in the IFO<sub>2</sub> model is the specialization link of the semantic models [12]. It represents either the subtyping (inheritance) if the target is a fragment heart or the client/supplier concept [18].

**Definition 9:** Let  $\tau'$  be a type of  $\mathcal{TOR}$  and let  $T$  be a type of  $\mathcal{TO}$ , such that it is the (or one) source of  $\tau'$  and a heart of a fragment, the link of head  $T$  and queue  $\tau'$  is called an IS\_A link.  $T$  is called the source of the IS\_A link and  $\tau'$  the target.

The figure 5 illustrates the specialization link between 'Vehicle' and 'Vehicle\_Used'.

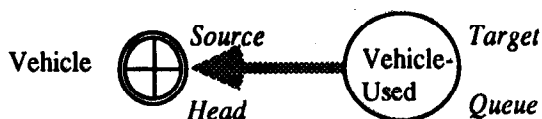


Figure 5 - Notation for Specialization Link

#### 3.3.2 IFO<sub>2</sub> schema

**Definition 10:** An IFO<sub>2</sub> schema is defined as a graph  $G_S = (S_S, L_S)$  with  $S_S$  the set of types  $T \in \mathcal{TO}$  of the graph such that:

1.  $L_S$  is the disjoint union of two sets  $L_{S\_A}$  (fragment links) and  $L_{S\_IS\_A}$  (IS\_A links).
2.  $(S_S, L_{S\_A})$  is a forest of IFO<sub>2</sub> fragments, called the IFO<sub>2</sub> fragments for  $G_S$ .
3.  $(S_S, L_{S\_IS\_A})$  follows these two schema rules:
  - 3.1. There is no IS\_A cycle in the graph.

3.2. Two directed paths of IS\_A links sharing the same origin have to be extended to a common vertex.

The structural part of the IFO<sub>2</sub> model having now been formalized, we examine the supplied update facilities.

## 4 Updates on IFO<sub>2</sub> Schema

Due to space limitation, we just present updates on IFO<sub>2</sub> schema in an informal way. The interested reader may find more details in [23] where a functional approach is defined to formally ensure the structural consistency of IFO<sub>2</sub> updates.

### 4.1 Motivation

The problem with schema updates can be summarized by: how to modify a given schema whilst preserving a coherent representation? In other terms, our aim is to ensure that updates retain the schema consistency. In object model, consistency can be classified in structural consistency which refers to the static part of the database and in behavioral consistency relating with the dynamic part [32]. In this paper, we only deal with the structural case.

An IFO<sub>2</sub> schema is a couple  $(S_S, L_S)$  where  $L_S$  is composed by both fragment and IS\_A links but not every arbitrary couple  $(S_S, L_S)$  is a correct schema. Thus, we have to make sure that the result of modifications is an updated schema which verifies the IFO<sub>2</sub> schema definition (*correctness*). Therefore, we give a set of schema invariants which are conditions to be satisfied by any valid schema. A similar approach is adopted by models such as Orion, O<sub>2</sub>, Gemstone, Cocoon and Sherpa.

Some schema changes are quite simple, whereas others need a complete reorganization of the database. The latter can often be decomposed into a sequence of more elementary changes. The following taxonomy, figure 6, presents the schema update primitives in IFO<sub>2</sub>, which is minimal and complete in the sense that all possible schema transformation can be built up by a combination of these elementary operations (*completeness*). Such a taxonomy can be found in models like Orion, Sherpa and Cocoon. The two former give three categories of operations: changing class definitions, i.e. instance variable or methods, modifying the class lattice by changing the relationships between classes and adding or deleting classes in the lattice. As the latter is based on type, function and classes, schema changes are respectively: type updates, function updates and class updates.

All schema structure changes, as for instance, a fragment insertion into the directed acyclic graph, may be expressed by a sequence of basic updates. For example, the fragment

insertion may be done by: <(1.1) a type insertion, (3.1) zero or more IS\_A link insertion and finally, (3.2) zero or more IS\_A link deletion (in the case of a node insertion into the direct acyclic graph)>. The primitive (1.4) is necessary to preserve the schema in a valid state for it is not equivalent to the sequences <(1.2) (1.1)> or <(1.1) (1.2)> when the type has to be related to other ones. The consequence of applying such sequences may occur in a temporary invalid state: as instance, if we want to substitute a grouping component using <(1.2) (1.1)> or <(1.1) (1.2)>, the application of (1.2) (respectively (1.1)) carries out the schema in a forbidden state: a grouping without component (respectively a grouping with two components).

(1) Types updates
(1.1) Add a new type
(1.2) Delete a type
(1.3) Change a type
(1.3.1) its name
(1.3.2) its domain for printable type only
(1.4) Substitute a type

(2) Fragment link updates	(3) IS_A link updates
(2.1) Add a new fragment link	(3.1) Add a new IS_A link
(2.2) Delete a fragment link	(3.2) Delete an IS_A link
(2.3) Change the sort of fragment link	

Figure 6 - Taxonomy of possible updates in IFO2

Intuitively, in IFO2, a schema update is either a type insertion or a type modification in a fragment. The former case is defined as a type insertion which must be related to the schema. We can create a fragment, add a type to a fragment or relate a type to others. The latter is described with one or more operations on the concerned fragments which are themselves modifications on types. Operations like insertion of a sub-type into an existing one, deletion of a type and substitution of one type by another are thus possible.

## 4.2 Presentation

We present the schema invariants that the transformation process must maintain, and the necessary rules to provide a guidelines for supporting schema modifications. As we have just discussed, two rule categories have to be taken into consideration: insertion and modification.

In this section, we illustrate the introduced concepts using the following schema which is a sub-part of the figure 11.

### 4.2.1 Evolution Schema Invariants

The following schema invariants ensure that the change does not leave the updated schema in an inconsistent state. If the change would violate the invariants, it is rejected.

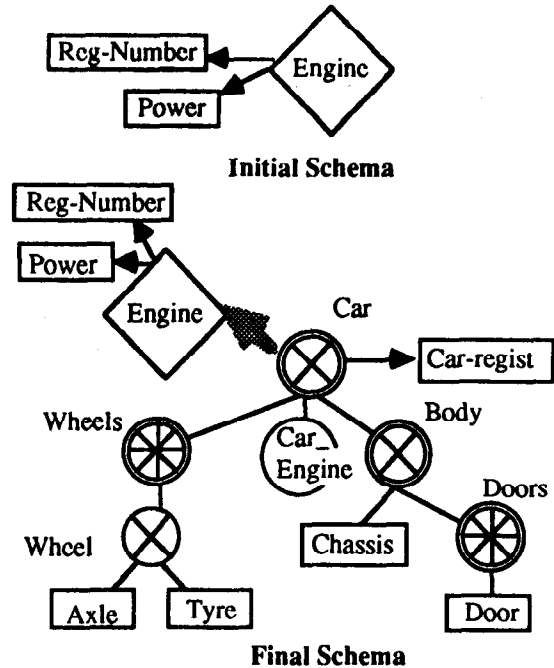


Figure 7 - An IFO2 fragment creation example

#### Invariants:

- I.1: a type T has to follow the definitions 1 to 7 of an IFO2 type.
- I.2: in the graph:
  1. There is no IS\_A cycle.
  2. Two directed paths of IS\_A links sharing the same origin have to be extended to a common vertex.
- I.3: the source of an IS\_A link must be a fragment heart and the target a represented type.
- I.4: the source of an edge is either the heart root or the root of a target type of a complex edge whose source is the heart root and for each edge linking the heart to a represented type, there is a reciprocal total fragment edge.
- I.5: a fragment cannot be isolated (except if it is the unique one), i.e. it has to be related to other ones through IS\_A links.

For example, the type insertion of a Wheel's brother could not be possible because the invariant I.1 is not satisfied (a grouping has only one component).

### 4.2.2 Insertion Rules

A type insertion into a schema is either a fragment creation or a property insertion into an existing fragment. The insertion rules have to respect the schema invariants and therefore, some insertions are forbidden. For instance, the addition of the type 'Car' without adding the IS\_A link from 'Engine' to 'Car-Engine' violates the invariants I.3 and I.5. The fragment properties may often be modified, so the following rules provide a guideline for supporting changes into the fragment.

### Rule 1: Addition of a type into a fragment

R1.1: addition of the type (primitive 1.1).

R1.2: addition of the fragment link relating the fragment heart to the type (primitive 2.1).

### Rule 2: Addition of a represented type or a type built up with represented types

R2.1: addition of the type into the appropriate fragment (rule 1).

R2.2: if the type is a represented one, addition of the reciprocal total fragment link (primitive 2.1).

R2.3: addition of the IS\_A link(s) whose represented type(s) is(are) target(s) (primitive 3.1).

R2.4: if the type is a represented one and a fragment heart, addition of the IS\_A link(s) which it is the source of (primitive 3.1).

R2.5: if the type is a represented one and a fragment heart, deletion of the IS\_A link(s) relating the R2.3 source vertices to the R2.4 target vertices (primitive 3.2).

For example, the type insertion of 'Car' has to connect the type 'Car-Engine' to 'Engine'. As 'Car' is a leaf of the directed acyclic graph, there are no represented types whose source is 'Car' (rule 2). The schema components are thus obtained as follows. The original set of schema vertices {Engine, Power, Reg-Number} is increased with the 'Car' vertices {Car, Car\_Engine, Wheels, Wheel, Axle, Tyre, Body, Chassis, Doors, Door} applying the R.1.1 statement. The fragment link set is not modified because the inserted type is a fragment heart. The application of R2.3 provides the IS\_A link set composed by the link relating 'Car-Engine' to 'Engine'.

Now, the addition of 'Car-regist' as a 'Car' fragment property, following the rule 1, updates schema components such as: the type 'Car-regist' increases the set of schema vertices according to the R1.2 statement; the fragment link set is updated for 'Car-regist' is related to 'Car' and the IS\_A link set is not modified because the inserted type is not a represented one.

### 4.2.3 Modification Rules

Schema invariant constraints can be violated by modifications. It is thus necessary to define rules to obtain a valid updated schema.

The following rule is used to prevent that the invariant I.5 is controlled.

#### Rule 3: IS\_A link deletion condition

R3.1: an IS\_A link can be deleted if and only it does not carry out one isolated part in the resulting schema.

#### Rule 4: Deletion of a type vertex

R4.1: if the vertex is a represented type, deletion of IS\_A link(s) which it is the target of (primitive 3.2) and (rule 3).

R4.2: if the father is a grouping or a collection then deletion of the father vertex (rule 4) else if the father is an aggregation, a type union or a composition and there is a unique brother then substitution of the father type by the brother one (primitive 1.4) else deletion of the type whose root is the vertex (primitive 1.2).

Consider the deletion of the type 'Tyre'. As 'Wheel' is a composition of two elements, the deletion of 'Wheel' would provide an inconsistent type (a composition of a unique element violates the invariant I.1). The updates have thus to be sent back in the 'Wheel' father level substituting the father type by the Tyre's brother (R.4.2). The schema vertex set is thus decreased with {Wheel, Tyre}. The following figure shows the updated type:

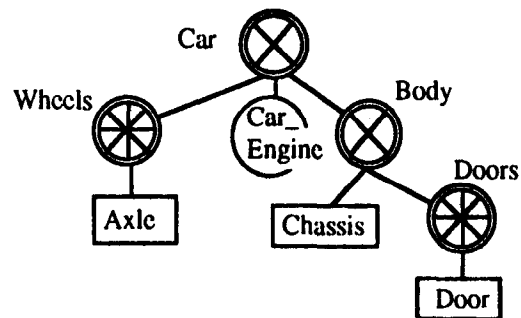


Figure 8 - The resulting type after type deletion

#### Rule 5: Deletion of a type into a fragment

R5.1: deletion of its related types which are not fragment heart (rule 4).

R5.2: deletion of the fragment links relating it to the previous types R5.1 (primitive 2.2).

R5.3: deletion of the fragment link relating the fragment heart to the type (primitive 2.2).

R5.4: deletion of the type (primitive 1.2).

A type deletion provides necessary operations deleting fragment links related to and related from the type (rule 5). For instance, the 'Car-regist' deletion needs to delete the fragment link from 'Car' to 'Car-regist' (R5.3) of the schema fragment link set.

#### Rule 6: Deletion of a represented type or a type built up with represented types into a fragment

R6.1: deletion of the IS\_A link(s) whose represented type(s) is/are target(s) (primitive 3.2).

R6.2: if the type is a represented one and a fragment heart, deletion of the IS\_A link(s) which it is the source of (primitive 3.2) and (rule 3).

R6.3: if the type is a represented one and a fragment heart, addition of the IS\_A link(s) relating the R6.1 source vertices to the R6.2 target vertices (primitive 3.1).

R6.4: if the type is a represented one, deletion of the fragment links relating it to the fragment heart (primitive 2.2).

R6.5: deletion of the type in the appropriate fragment (rule 5).

When a type is a represented one or is built up with represented ones, its deletion changes the schema IS\_A links. This is done through the rule 6. For example, the deletion of the type 'Car' has to delete the IS\_A link between 'Car\_Engine' and 'Engine' (R.6.1).

As the IFO<sub>2</sub> model and its update capacities are now defined, we will examine the IFO<sub>2</sub> translation into the O<sub>2</sub> model [16].

## 5 Mapping an IFO<sub>2</sub> Schema to an O<sub>2</sub> Schema

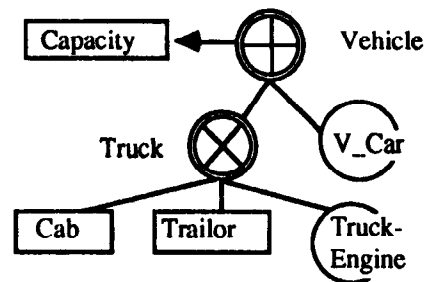
This mapping follows the same principle as the realized transformation from MORSE to O<sub>2</sub> [7]. As this application of a principle frame is on the "whole-object" from the "source" model level, the ways of translation are different. Therefore, we define checking methods and associated classes for composition, grouping and union type. We also consider multiple inheritance generically. The formalization of the mapping will be given after having introduced it through an example.

### 5.1 Illustration

An IFO<sub>2</sub> schema is translated into an O<sub>2</sub> schema. Each fragment generates at least one O<sub>2</sub> class (more if they are composition, grouping or alternative types).

We translate a part of the IFO<sub>2</sub> schema described in figure 11 into an O<sub>2</sub> schema. Therefore, we work successively on the two fragments "Vehicle" and "Engine".

The "Vehicle" fragment is mapped into a particular class. It represents either a "Truck" element or a "Car" element. To do this, adopting a similar principle as in [8], we use two boolean attributes "is\_Truck" and "is\_Car" which indicate the object type. We also need to define the classes "C\_Truck", "C\_Cab" and "C\_Trailor" so that each object of these types has an identifier. Furthermore, a method checks the exclusive composition constraint in the class "C\_Truck". As the represented types are not fragment heart, they are translated using the O<sub>2</sub> composition. Otherwise, the associated class has to inherit the generic class: for instance, the class employee inherits the class Person.



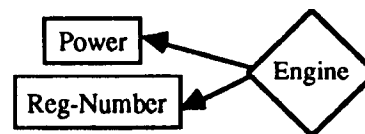
```

class C_Vehicle
public type tuple (
  Vehicle : tuple (
    is_Truck : boolean, Truck : C_Truck,
    is_V_Car : boolean, V_Car : C_Car),
    Capacity : integer)
end;
class C_Truck
public type tuple (
  Truck : tuple ( Cab : C_Cab, Trailor : C_Trailor,
    Truck-Engine : C_Engine))
method Check_Compo_Truck : boolean
end;
class C_Trailor
public type tuple (Trailor : string) end;
class C_Cab
public type tuple (Cab : string) end;

```

Figure 9 - The fragment "Vehicle" and the associated O<sub>2</sub> Classes

The "Engine" fragment is translated into a class with two attributes:



```

class C_Engine
public type (Power : string,
  Reg-Number : integer);

```

Figure 10 - The fragment "Engine" and the associated O<sub>2</sub> Class

## 5.2 Transformation Functions

We suggest to define the transformation function which carries out an O<sub>2</sub> schema from an IFO<sub>2</sub> schema.

### 5.2.1 Transformation Function

*Definition 11:* Let  $T$  be the transformation function from the IFO<sub>2</sub> model to the O<sub>2</sub> one:

$$T: \text{IFO}_2 \rightarrow \text{O}_2$$

$$T(\text{IFO}_2 \text{ schema}) = \bigcup_{j=1}^m T(\text{Fragment}_j)$$

where  $m$  is the fragment number of the IFO<sub>2</sub> schema.



This transformation uses a  $\mathcal{F}$  function (with three parameters: the function source type, the function target type and the kind of function (simple (partial or total) or complex (partial or total)<sup>\*</sup>) which translates each fragment edge into the  $O_2$  model. We adopt the following notation: for each  $t$  type of  $\mathcal{TO}$ ,  $C\_t$  is a class name and  $t$  is an attribute name in the  $O_2$  model.

**Definition 12:** Let  $n$  be the edge number whose source is the fragment heart,  $\mathcal{T}$  is defined as:

$\mathcal{T}$  (Fragment) =

1. if heart  $\in \mathcal{TOA} \cup \mathcal{TOR}$ :  
class  $C\_heart$   
public type tuple ( heart:  $\mathcal{F}(heart, \square, \square)$ )
  2. if heart  $\in \mathcal{TOA}$ :  
class  $C\_heart$  public type tuple (
  3. if heart  $\in \mathcal{TOR}$ :  
/\*  $s$  is the number of IS\_A links \*/  
class  $C\_heart$  inherit  $C\_t_1, \dots, C\_t_s$   
public type tuple (
- ◇  $n$   
target <sub>$i$</sub> :  $\mathcal{F}(heart, target_i, simple|complex)$   
 $i=1$
- ◇ if heart  $\in \mathcal{TOTC}$ :  
method public Check\_Compo\_heart : boolean
- ◇ if heart  $\in \mathcal{TOTG}$ :  
method public Check\_Set\_heart : boolean
- ◇ if target <sub>$i$</sub>   $\in \mathcal{TOR} \wedge (target_i, heart, simple)$   
method public Check\_Simple\_target <sub>$i$</sub> (  
 $\mathcal{F}(target_i, \square, \square)$ ): boolean
- $\wedge (target_i, heart, complex)$ :  
method public Check\_Complex\_target <sub>$i$</sub> (  
 $\mathcal{F}(target_i, \square, \square), integer$ ): boolean
- ◇ if target <sub>$i$</sub>   $\in \mathcal{TOTC}$   
method public Check\_Compo\_target <sub>$i$</sub> : boolean
- ◇ if target <sub>$i$</sub>   $\in \mathcal{TOTG}$ :  
method public Check\_Set\_target <sub>$i$</sub> : boolean
- ◇ end;

<sup>\*</sup> For the general case, partial and total terms will be omitted.

## 5.2.2 Types and Edges Transformation Function

**Definition 13:** The  $\mathcal{F}$  function translates fragment types either in  $O_2$  type or in  $O_2$  class. It is defined as:

- ◇ if  $t \in \mathcal{TOP}$ :  
 $\mathcal{F}(t, \square, \square) = dom(t)$
- ◇ if  $t \in \mathcal{TOR} \wedge t$  has only one source:  
 $\mathcal{F}(t, \square, \square) = C\_t'$  /\*  $t'$  is the source of the IS\_A link \*/
- $\wedge t$  has  $m$  sources:  
 $\mathcal{F}(t, \square, \square) = C\_t$  /\* there are  $m$  sources of IS\_A links \*/  
 $\wedge$  class  $C\_t$  inherit  $C\_t_1, \dots, C\_t_m$   
/\* in case of name conflict,  $O_2$  is able to solve it by adding a prefix to the class name \*/
- ◇ if  $t \in \mathcal{TOA}$ :  
$$\mathcal{F}(t, \square, \square) = tuple ( t_i: \mathcal{F}(t_i, \square, \square) )$$
  
 $i=1$  /\*  $k$  is the number of related types \*/
- ◇ if  $t \in \mathcal{TOTA}$ :  
$$\mathcal{F}(t, \square, \square) = tuple ( t_i: C\_t_i, t_j: \mathcal{F}(t_j, \square, \square) )$$
  
 $i=1$  /\*  $k$  is the number of aggregated types and  $n$  the number of  $\mathcal{TOR}$  types \*/
- $\wedge$   $k$   
class  $C\_t_i$  public type tuple (  $t_j: \mathcal{F}(t_j, \square, \square)$  )  
 $i=1$
- if  $t_i \in \mathcal{TOTC}$ :  
method public Check\_Compo\_t <sub>$i$</sub> : boolean
- if  $t_i \in \mathcal{TOTG}$ :  
method public Check\_Set\_t <sub>$i$</sub> : boolean  
end;
- ◇ if  $t \in \mathcal{TOTC}$ :  
 $\mathcal{F}(t, \square, \square) = set ( \mathcal{F}(t', \square, \square) )$  /\*  $t'$  is the collected type \*/
- ◇ if  $t \in \mathcal{TOTG}$ :  
 $\mathcal{F}(t, \square, \square) =$  /\*  $t'$  is the collected type \*/  
if  $t' \in \mathcal{TOR}$ : set (  $\mathcal{F}(t', \square, \square)$  )  
if  $t' \notin \mathcal{TOR}$ : set (  $C\_t'$  )  
 $\wedge$   
class  $C\_t'$  public type tuple (  $t': \mathcal{F}(t', \square, \square)$  )  
if  $t' \in \mathcal{TOTC}$ :  
method public Check\_Compo\_t': boolean  
if  $t' \in \mathcal{TOTG}$ :  
method public Check\_Set\_t': boolean  
end;

◇ if  $t \in \text{TOTJ}$ :

$$\mathcal{F}(t, \square, \square) = \text{tuple} \left( \underset{i=1}{\overset{k}{is\_t_i: \text{boolean}}, \underset{i=1}{\overset{k}{t_i: C\_t_i}} \right)$$

```

^   class C_t_i      /* k is the number of associated types */
    i=1

    public type tuple ( t_i: F(t_i, □, □ )
    if t_i ∈ TOTJ:
    method public Check_Comp_o_t_i: boolean
    if t_i ∈ TOTG:
    method public Check_Set_t_i: boolean
    end;

```

◇  $\mathcal{F}(\text{heart}, \text{target}, \text{simple}) = \mathcal{F}(\text{target}, \square, \square)$

For a complex edge, the target can be the source of  $p$  other edges (nested fragment) with  $\text{target2}_i \neq \text{heart} \forall i \in [1, \dots, p]$  (edges whose target is the heart, have already been translated):

◇  $\mathcal{F}(\text{heart}, \text{target}, \text{complex}) =$   
 $\text{set}(\text{tuple}(\text{target}: \mathcal{F}(\text{target}, \square, \square),$   
 $\underset{i=1}{\overset{p}{\text{target2}_i: \mathcal{F}(\text{target}, \text{target2}_i, \text{simple} | \text{complex})}}))$

◇ if  $\mathcal{F}(\text{heart}, \text{target}, \text{simple total} | \text{complex total})$   
then add an existence test for attribute target value in the Init heart method.

◇  $\mathcal{F}(\text{target}, \text{target2}, \text{simple}) = \mathcal{F}(\text{target2}, \square, \square)$   
 $\mathcal{F}(\text{target}, \text{target2}, \text{complex}) =$   
 $\text{set}(\mathcal{F}(\text{target2}, \square, \square))$

◇ if  $\mathcal{F}(\text{target}, \text{target2}, \text{simple total} | \text{complex total})$   
then add an existence test for attribute target2 value in the Init heart method.

### 5.2.3 Structures of Generated Methods

This part describes the structure of some generated methods. These methods are added into classes as semantics constraint checkers.

Generally, the method checking the exclusive constraint for composition of a type  $t \in \text{TOTJ}$  is:

```

method body Check_Comp_o_t boolean in class C_t {
/* k is the number of component types */
if (!(self->Test_compo_1(self->t.compo_1)))
return false; ...

```

```

if (!(self->Test_compo_k(self->t.compo_k)) return false;
return true;};

```

The method verifying that one element belongs to an object of class  $C\_Class$  is \*:

```

method body Test_compo_j (object: C_compo_j):
boolean in class C_Classe
{o2 C_Classe obj; /* compo_j is a component of type t */
o2 boolean result=true;
for (obj in C_Classe_s where obj->C_Classe.compo_j
== object) {result=false;}; return result;};

```

In the same way, the following method verifies the grouping of a type  $t$  whose collected type is  $t'$ :

```

method body Check_Set_t : boolean in class C_t
{o2 C_t obj, C_t' obj_t'; /* test member of the set */
o2 boolean result=true;
for (obj in C_t_s)
{for (obj_t' in obj->t where obj_t' in self->t )
{result=false;};
return result;};

```

The other checking methods are defined in the same way.

## 6 Implementation

In this section, we briefly indicate some aspects of the implementation of the IFO<sub>2</sub> system.

A first version of the IFO<sub>2</sub> editor is currently developed under Unix/XWindow (X11R5), with the help of the Aida/Masai (Release 1.5) programming environment, developed in object-oriented Le-Lisp (Release 15.24). This editor, as illustrated in figure 11, is made up of three tools:

1. A graphical view consisting of an editing panel, a tool panel and a workspace;
2. A selection panel of object types and existing link types;
3. An object editor enabling the textual representation of textual object as well as information which does not appear on the schema.

\* For a  $C\_Classe$  class, the  $C\_Classe\_s$  value is the instances set of the  $C\_Classe$  class. For each new instance of  $C\_Classe$ , it is necessary to modify the set which is defined as:  $\text{Name } C\_Classe\_s: \text{set}(C\_Classe)$ .

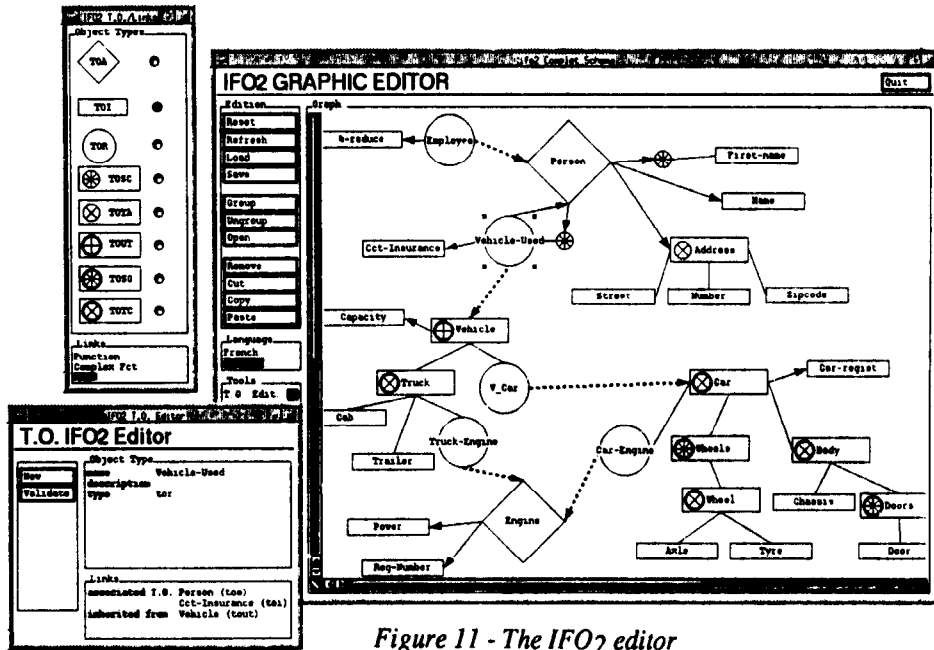


Figure 11 - The IFO2 editor

The type definitions achieved with the editor are converted by a translator into O2 descriptions. The descriptions may thus be used in the O2 system. For instance, the methods described in the previous section have been implemented in the O2 Database Management System (Release 3.3). The following example shows some generated methods associated to the class C\_Truck:

```

method body Check_Compo_Truck: boolean in class C_Truck
{ if (!self->Test_Cab(self->Truck.Cab))) return false;
  if (!self->Test_Trailor(self->Truck.Trailor))) return false;
  if (!self->Test_Truck_Engine(self->Truck.Truck_Engine)))
  return false; return true; };
method body Test_Cab (object: C_Cab): boolean in class
C_Truck
{ o2 C_Truck obj;
  o2 boolean result=true;
  for (obj in C_Truck_s where obj->Truck.Cab == object)
  {result=false;}; return result; };
/* named values declaration */
name C_Truck_s: set (C_Truck);

```

## 7 Conclusion

In this paper, we have formally defined an object model IFO2 as well as its transformation into the O2 model. We have also presented the offered updates facilities in an informal way. As a conclusion, first of all we would like to highlight its contributions so as to indicate the prospects of this work.

The first contribution, that of the IFO2 whole-object, is the coherent and rigorous definition of the component elements of the model through the object identity concept.

The second strength of the model is the integration of constructors which are indispensable to the development of advanced applications, such as composition and grouping. The latter enables the constituent sets to be "physically" taken into account.

The most original aspect of IFO2 is that it draws upon both elements which may be said conceptual, such as fragments and represented types, and implementable such as object identifiers. The case of multiple inheritance is a special case given that, at the conceptual level, no conflicts are involved while at the system level, all conflicts generated are explicitly processed. We have seen that IFO2 inheritance may be multiple but does not require any prior management. The conflicts are processed according to the target model while the translation rules are defined. Another advantage of IFO2 is the way it can modulate and reuse parts of schema that have been developed, through the fragment concept. Therefore, it is possible to focus on only one part of the schema while reusing, through represented types, the already defined and validated components.

The fragment concept represents another advantage of IFO2: namely the ease of integrating application dynamic through this structure. It enables the behavior of the heart type to be described naturally and above all makes it possible for behavior to be inherited through represented types.

Finally, IFO2 is totally independent in relation to implementable models, while providing an ease of transformation rule definition towards different models due to its genericity. The translation of an IFO2 schema into an O2 one is a prime example of this. The formal rule definitions reduce data-loss and misinterpretation.

The presented update capacities is a strength of our approach. They ensure the integrity of the updated schemas. The result is a coherent and formal approach. The ambiguities and contradictions are then detected and different schemas may be compared. Furthermore, in a reusability goal, the security obtained through the consistency of handled informations is crucial.

The prospects of the presented work begin with the integration of modeling abilities for the application dynamic. The conceptual rules associated with the IFO<sub>2</sub> model advocate an attribute-oriented modeling and are principally based on the object behavior. Moreover, through "process" specification associated with the fragment, the most suitable optimized representation can be determined. According to us, dynamic and behavior will be integrated in the model using a formal approach based on the temporal logic [10] and [24]. Such an approach automatically validates the specified constraints whilst being easily understood by the users.

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