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## Tunable Asymmetric Transmission via Lossy Acoustic Metasurfaces

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11	(Dated: May 22, 2017)
12	In this study, we show that robust and tunable acoustic asymmetric transmission can be achieved
13	through gradient-index metasurfaces by harnessing judiciously tailored losses. We theoretically prove

that the asymmetric wave behavior stems from loss-induced suppression of high order diffraction. We further experimentally demonstrate this novel phenomenon. Our findings could provide new routes to broaden applications for lossy acoustic metamaterials and metasurfaces.

Ongoing development of acoustic metamaterials and 17 metasurfaces has opened up new possibilities for con-18 trolling the behavior of sound in different acoustic me-19 dia [1-6]. In most acoustic metamaterial or metasur-20 face designs, the inherent loss is either intentionally min-21 imized or ignored and the corresponding systems are con-22 23 sequently treated as Hermitian systems [7]. Indeed, losses have been conventionally considered to have an adverse 24 effect on the performance of the acoustic material under 25 study [8]. Losses, however, are ubiquitous in the process 26 of acoustic wave propagation due to thermal and viscous 27 28 boundary layers [9, 10] and dissipative losses [11]. Recently, there has been a growing interest in exploring new 29 physics by embracing the losses in acoustic systems. For 30 example, parity-time symmetric acoustic materials with 31 carefully tailored loss and/or gain have been theoreti-32 cally and experimentally demonstrated for their ability 33 of unidirectional cloaking [12, 13], nonreciprocal reflec-34 tion [14, 15], unidirectional transmission [16], topological 35 characteristics [17] and others [18, 19]. 36

This study, for the first time, theoretically and experi-37 mentally demonstrates asymmetric wave transmission in 38 lossy acoustic gradient-index metasurfaces (GIM). While 39 the theory of lossless or quasi-lossless GIMs is well stud-40 41 ied and they have shown extraordinary ability in manipulating reflected and transmitted waves [5, 20–28], lossy 42 GIMs are largely unexplored. This study will reveal how 43 judiciously tailored acoustic GIMs can give rise to robust 44 asymmetric wave transmission. In recent years, lossless 45 46 passive systems or active systems also have been exten-<sup>47</sup> sively investigated to achieve asymmetrical transmission [29–38]. However, they are in general either bulky or 48 based on complicated designs, in which usually two func-49 tional devices (a wave vector/frequency converter and a 50 filter) or active control is needed [29–36]. This work, in 51 54 Finally, since the asymmetrical behavior of the proposed 50 the *p*th order diffracted wave can be obtained [see Sup-

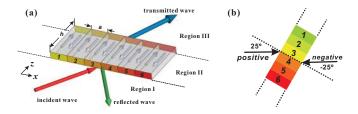
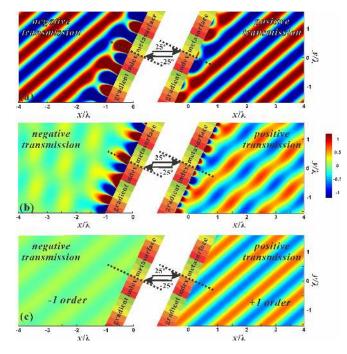


FIG. 1. (a) Schematic of wave transmitted through a gradient-index metasurface. (b) Sketch of positive and negative incidence of  $\pm 25^{\circ}$ .

<sup>55</sup> metasurface is highly dependent on the angle of incidence 56 as will be shown in this paper, the "asymmetry" of the 57 metasurface can be conveniently tuned via simple rota-58 tion.

First consider a classical, lossless GIM with six unit  $_{60}$  cells per period, as depicted in Fig. 1(a), with air as the 61 background medium. The effective refractive index of <sub>62</sub> the *i*th unit cell is  $n_i = 1 + (i-1)\lambda_0/mh$ , where  $\lambda_0$  $_{63}$  is the wavelength at the operating frequency, m = 6 is the number of unit cells per period, h is the thickness 64 <sup>65</sup> of each unit cell. The transmitted phase across the unit <sub>66</sub> cells  $\Phi_i = \omega h n_i / c_0$  will thus cover a complete  $2\pi$  range <sup>67</sup> of phase shift within a period, with  $\omega$  and  $c_0$  being the angular frequency and sound speed in air, respectively. 68

An analytical method based on mode-coupling [26, 39, 69 <sup>70</sup> 40] is used to calculate the transmission and reflection co-71 efficients. The entire domain is divided into three regions  $_{72}$  as illustrated in Fig. 1(a). For the *p*th order of diffraction <sup>73</sup> mode, the *x*-component of wave vector along the meta-<sup>74</sup> surface is expressed as  $G_p = k_x + 2\pi p/d$ , with  $k_x$  being the  $_{75}$  wave vector of the incident wave in the x-direction and  $_{76}$  d being the length of one period. By expressing the in-77 cident, reflected and transmitted waves as summation of contrast, provides a new route for achieving asymmetric 78 different modes and matching the boundary conditions, sound transmission by harnessing losses in metasurfaces.  $_{79}$  the transmission and reflection coefficients  $t_p$  and  $r_p$  for



Calculated acoustic pressure fields at  $\pm 25^{\circ}$  of inci-FIG. 2. dence. The left shows the transmitted field with negative incidence  $(-25^{\circ})$  and the right shows the transmitted field with positive incidence  $(+25^{\circ})$ . The axes are normalized with  $\lambda$ . (a) Without loss in the GIM. (b) With a 0.14 loss factor in the GIM. (c) The calculated normalized transmission of  $\pm 1$ propagating modes when a  $\gamma = 0.14$  loss is induced.

plemental Material [41]]. 81

82 83 cident angle is measured from the positive (negative) z84 85 86 ure 2(a) shows the acoustic pressure field immediately 87 88 89 90 91 92 93 94 95 96 97 98 is only moderately decreased. 99

100 101 102 <sup>104</sup> structive interference among the unit cells [42]. We note <sup>158</sup> flections become negligible for negative incident waves <sup>105</sup> that, at an angle of incidence of  $\pm 25^{\circ}$ , the dominant prop-<sup>159</sup> [43]. It should also be pointed out that  $\theta_c$ , which is the  $_{106}$  agating modes are of the +1 and -1 diffraction orders,  $_{160}$  critical angle for asymmetric transmission, can be tuned

<sup>107</sup> respectively, as  $k_{z,p} = \sqrt{k_0^2 - G_p^2}$  has to be a real value for propagating waves, or equivenlently,  $k_0^2 - G_p^2 > 0$ . 108 Other modes, such as the  $\pm 2$  orders, are evanescent and 109 do not contribute to the far field transmission except at 110 very large angles of incidence. These results, therefore, are not shown here. The corresponding acoustic pressure 112 field for each diffraction order is presented in Fig. 2(c). 113 The propagating mode (-1 order) is greatly suppressed 114 for the negative direction whereas it (+1 order) is not 115 significantly affected in the positive direction case. We 116 further analyze why this has occurred. The generalized 117 <sup>118</sup> Snells law of gradient-index metasurfaces with phase gra-<sup>119</sup> dient and periodic gratings reads [20, 24]:

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 $(\sin\theta_t - \sin\theta_i) k_0 = \xi + nG$ (1)

where  $\theta_t$  and  $\theta_i$  are angles of refraction and incidence, <sup>122</sup> respectively.  $\xi = d\Phi/dx$  is the phase gradient of the 123 metasurface, n is the order of diffraction associated with 124 the grating (not to be confused with the diffraction order  $_{125}$  p in Eqs. S(4)-S(7) in the Supplemental Material[41]), <sup>126</sup> and  $G = 2\pi/d$  is the reciprocal lattice vector. Eq. 1 implies that the overall diffraction (the one associated with 127  $_{128} p$ ) is a result of the interplay of the phase gradient and <sup>129</sup> periodic grating. Since for the current configuration of 130 the metasurface, we have  $\xi = G$ , the diffraction orders 131 can be related by n = p - 1. The diffraction orders as-<sup>132</sup> sociated with the gratings thus take values as n = 0 and  $_{133}$  n = -2 for the positive and negative directions, respec-134 tively (because p = 1 for positive direction and p = -1<sup>135</sup> for negative direction), which implies that the diffraction We begin with the lossless case as depicted in Fig. 1(b) 136 caused by the periodic gratings only takes place for the with positive and negative angles of incidence. The in- $_{137}$  negative direction since n = 0 indicates that the grat-138 ing term in Eq. 1 vanishes. Transient simulations of the axis. Six different types of unit cells with width  $a = 0.2\lambda_0$  <sub>139</sub> transmitted fields through the GIM with/without loss and various refractive indices are used for the GIM. Fig- 140 are also performed to help reveal the underlying physics <sup>141</sup> [see Supplemental Material [41]]. Remarkably, it is found behind the GIM for oblique incidences at  $\pm 25^{\circ}$ . It can be 142 that multiple reflections are enforced within the GIM for seen that the overall transmission in the far-field is almost 143 the negative direction case and are absent/negligible in the same for these two cases in terms of the magnitude. 144 the positive direction case. Since diffraction produced by Now we introduce an isotropic loss in the metasurface 145 the grating only takes place in the negative direction,, unit cells, such that  $n_i = (1 + (i-1)\lambda_0/mh)(1+\gamma j)$ . 146 it is believed that the multiple reflections are associated The corresponding acoustic pressure fields for a loss fac- $_{147}$  with grating-induced high order (p = -1) diffractions. tor  $\gamma = 0.14$  are displayed in Fig. 2(b). In this case, there 148 The multiple reflection process accumulates the energy a stark difference between the transmission in the neg- 149 density inside the unit cells and increases the time that ative direction  $(-25^{\circ})$  and positive direction  $(25^{\circ})$ : the 150 wave travels therein, thus loss-induced suppression of the transmission is dramatically reduced in the negative di-151 diffraction can be strongly enhanced and in turn gives rise rection whereas the transmission in the positive direction 152 to asymmetric transmission. While the above statement <sup>153</sup> is true for the angle of incidence we trialed in Fig. 2, To understand the mechanism of this peculiar asym- 154 at smaller angles (those smaller than a critical angle, metric transmission, individual calculations for different  $155 \theta_c = \sin^{-1}(1-\xi/k_0)$ , which is 9.6° in this case), the diffraction orders were first performed. For the 0th order  $_{156}$  0th order diffraction (n = 0) dominates for both positive wave, the amplitude is extremely small due to the de- 157 and negative directions [24] and therefore the multiple re-

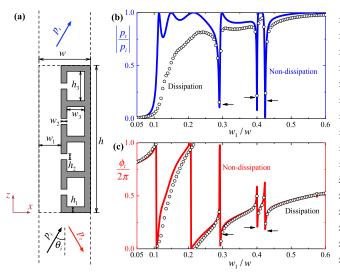


FIG. 3. (a) The schematic of the proposed metasurface unit  $^{\ 207}$ The solid lines represent amplitude and phase shift in nondissipative case while the open circles refer to the case with dissipation. The fluctuating peaks and dips (black arrows) stem from the resonant elastic response of the solid materi $w_3 = w - w_1 - w_2 - h_1.$ 

ing condition of the unit cells is imposed thus far, asym- 220 be found in the Supplemental Material [41]. 162 metric acoustic transmission can also be observed with 221 164 Material [41]. 165

166 167 168 169 170 171 greater than  $15^{\circ}$ . 173

174 175 176 the loss and to possess high transmitted energy. How- 234 through the GIM. 177 ever, since loss is essential here for asymmetric trans- 235 178 179 180 181 <sup>182</sup> straight channel on the top [27, 28], is shown in Fig. 3(a). <sup>239</sup> tic intensity along a line parallel to the GIM with distance 183 184 fect can be effectively tuned by the size of the HR neck, 241 presented in Fig. 5. The experimental result shows good  $h_{2}$ , and the width of the channel,  $w_1$ . The loss from 242 agreement with the simulation result. The peak contrast <sup>186</sup> viscous friction and thermal dissipation can significantly <sup>243</sup> is greater than 10 times (10 dB) at an incident angle of <sup>187</sup> be enhanced by reducing  $w_1$  and  $h_2$ , since the ratio be-<sup>244</sup> 25°. The strongly asymmetric incidence angles, defined 188 tween the thickness of the viscous boundary layer and 245 by their contrast being greater than 6, range approxi-

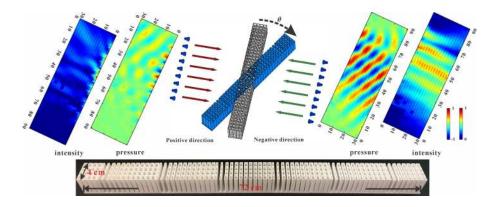
189 the width of the channel will increase and consequently more energy will be dissipated inside the channel and 190 neck. The choice of the GIM structure is not restricted; 191 other existing metasurface unit cells in principle can also be adopted here [24, 44].

195 The corresponding transmission spectra (amplitude,  $|p_t/p_i|$ , and phase shift,  $\phi_t/2\pi$ ) of the unit cell is shown 196 <sup>197</sup> in Fig. 3(b) and they are computed using the com-<sup>198</sup> mercial finite element package COMSOL Multiphysics <sup>199</sup> [41]. The phase shift (red line) covers a  $2\pi$  range when  $_{200}$  0.15 <  $w_1/w$  < 0.6. Compared with the amplitude pro-<sup>201</sup> file (blue line) in the non-dissipative case, the transmitted 202 amplitude (open circles) drops with the decrease of  $w_1$ , 203 providing solid proof of the existence of dissipation. The Fano-like resonance (black arrow) exhibited in Fig. 3 is 204 the coupling resonance between the solid resonant states 205 of the thin walls and Helmholtz resonance. 206

According to the phase profile [cf. Fig. 3(b)], 6 units cell consisting of four Helmholtz resonators in series connec- 208 are selected with a step-size of  $\pi/3$  to construct the GIM. tion and a straight channel. The transmission (b) amplitude 209 The average effective loss factor of these unit cells is esand (c) phase shift of the proposed unit cell at 3430 Hz. 210 timated to be around 0.14 [41]. The phase gradient is 211 selected as  $\xi = \pi/6h$  (each unit repeats once within <sup>212</sup> a period, so that 12 units form a period) and subse-<sup>213</sup> quently the GIM can be established based on the desired als. The geometrical parameters for the simulations are h = 4 <sup>214</sup> phase profile. The spatial resolution of each element is cm, w = 1 cm,  $w_2 = h_1 = h_2 = 1$  mm,  $h_3 = (h - 5h_1)/4$  and  ${}_{215} w = a/2 = \lambda_0/10$ , which is sufficiently fine to ensure <sup>216</sup> accurate phase modulation. Full wave simulations with 217 and without losses were performed to validate the pro-<sup>218</sup> posed GIM. The asymmetric pressure fields of the GIM by the phase gradient  $\xi$ . Although the impedance match- <sub>219</sub> under the positive and negative incidence directions can

Measurements of the 3D printed GIM were conducted impedance mismatched metasurfaces [see Supplemental 222 in a 2D waveguide. The experimental setup is shown in <sup>223</sup> Fig. 4 and  $\theta$  is the rotation angle of the GIM relative To shed light on the optimal loss and angle-dependence 224 to the original position (normal to the wavefront). The of the asymmetric sound transmission, a series of numer- 225 acoustic field is scanned using a moving microphone with ical simulations have been carried out [41]. The results 226 a step size of 2 cm behind the GIM. The measured acousindicate that the optimal loss for the specific gradient 227 tic fields are depicted in Fig. 4 at the angle of incidence of index under study is around 0.12-0.15, and appreciable  $_{228} \pm 25^{\circ}$ . Good agreement is found between the simulations asymmetric transmission occurs for angles of incidence 229 [See Fig. S5 in the Supplemental Material [41]] and the 230 measurements, which are both consistent with the the-A majority of acoustic GIM designs consist of sub- 231 ory. For the negative direction case, most of the acoustic wavelength channels and conventionally their sizes are 232 energy is concentrated on the surface of the GIM, condesigned to be as large as possible in order to reduce 233 firming the strong attenuation of the propagating wave

To quantify the performance of the prototype, we furmission, the GIM is intentionally designed to introduce 236 ther examine the transmitted energy contrast (the ratio optimal losses. Our selected unit cell, comprised of four <sup>237</sup> between the transmitted energy from the positive direc-Helmholtz resonators (HRs) in parallel connection and a <sup>238</sup> tion and the negative direction) by integrating the acous-The advantage of this type of structure is that the loss ef- 240 two wavelengths away. The corresponding results are



Measured transmitted acoustic fields at  $\theta = 25^{\circ}$ . The left and right panels show the measured acoustic fields of FIG. 4. negative direction  $(-25^{\circ})$  and positive direction  $(+25^{\circ})$ , respectively. The middle panel shows the experiment setup. The left (right) incidence corresponds to the positive (negative) direction case. A photo of the fabricated prototype is shown in the bottom panel. Axes unit: cm.

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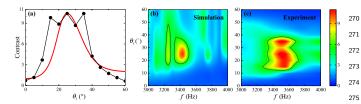


FIG. 5. (a) Energy contrast with different angles of incidence at 3430 Hz (red curve: simulation; black circles: measurement). (b) Simulated and (c) experimentally obtained energy contrast as a function of frequency, f, and the angle of incidence,  $\theta_i$ . The black curves represent the region in which contrast is greater than 6 (7.8 dB).

 $_{246}$  mately from  $15^{\circ}$  to  $40^{\circ}$  as observed from experiments. <sup>247</sup> At small angles of incidence (e.g.,  $0-5^{\circ}$ ), the energy <sup>285</sup> 248 contrast is close to unity and the sound transmission is 286 versity Research Initiative grant from the Office of Naval <sup>249</sup> symmetrical. Consequently, tunable sound transmission <sup>287</sup> Research (N00014-13-1-0631) and an Emerging Frontiers 250 251 der to adjust the angle of incidence. To investigate the 200 edges a stat-up fund from Tongji University. <sup>253</sup> frequency-dependence of the asymmetrical transmission behavior, 2D maps of the energy contrast (energy con-254 trast vs. angle of incidence vs. frequency) are generated 255 <sup>256</sup> from both the simulation and experiment, where reason-<sup>257</sup> able agreements are observed. The area of high energy contrast is confined to a region with frequencies ranging 258 approximately from 3.4–3.6 kHz and angles ranging from 259  $15-40^{\circ}$ . The contrast ratio is around 1 at small angles of 260 incidence and gradually increases with the incident angle. 261 At large angles of incidence  $(> 45^{\circ})$ , the contrast ratio 262 drops because the transmission for the positive direction 298 263 decreases due to impedance mismatch [45]. 264

To conclude, we have theoretically and experimentally 265 demonstrated asymmetric transmission through lossy <sup>267</sup> GIMs with tailored internal losses. We show that the <sup>268</sup> asymmetric wave behavior is due to loss-induced suppres-269 sion of high order diffractions. In both theoretical pre- 305

<sup>270</sup> diction and measurements, asymmetric transmission can be clearly observed within a range of incident angles and 272 frequencies. The asymmetrical behavior is also tunable by adjusting the orientation of the metasurface since it is 273 highly dependent on the angles of incidence. The useful-<sup>275</sup> ness of losses in acoustic metamaterials/metasurfaces for <sup>276</sup> sound transmission manipulation is largely unexplored, 277 and it is shown here that, losses can be harnessed to 278 create robust asymmetric transmission. It is hoped that this study could open up new possibilities in the family 280 of lossy acoustic metamaterials and metasurfaces as it <sup>281</sup> adds another degree of freedom to the control of sound <sup>282</sup> transmission. The theory presented here can be possibly <sup>283</sup> extended to benefit other areas of lossy physical systems, <sup>284</sup> such as electromagnetic waves.

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