



This is an electronic reprint of the original article. This reprint may differ from the original in pagination and typographic detail.

Mustonen, K.; Laiho, P.; Kaskela, A.; Susi, T.; Nasibulin, A.G.; Kauppinen, E.I.

Uncovering the ultimate performance of single-walled carbon nanotube films as transparent conductors

Published in: **Applied Physics Letters**

DOI: 10.1063/1.4932942

Published: 01/01/2015

Document Version Publisher's PDF, also known as Version of record

Please cite the original version: Mustonen, K., Laiho, P., Kaskela, A., Susi, T., Nasibulin, A. G., & Kauppinen, E. I. (2015). Uncovering the ultimate performance of single-walled carbon nanotube films as transparent conductors. *Applied Physics Letters*, 107(14), 143113. https://doi.org/10.1063/1.4932942

This material is protected by copyright and other intellectual property rights, and duplication or sale of all or part of any of the repository collections is not permitted, except that material may be duplicated by you for your research use or educational purposes in electronic or print form. You must obtain permission for any other use. Electronic or print copies may not be offered, whether for sale or otherwise to anyone who is not an authorised user.

Uncovering the ultimate performance of single-walled carbon nanotube films as transparent conductors

K. Mustonen, P. Laiho, A. Kaskela, T. Susi, A. G. Nasibulin, and E. I. Kauppinen

Citation: Appl. Phys. Lett. **107**, 143113 (2015); doi: 10.1063/1.4932942 View online: https://doi.org/10.1063/1.4932942 View Table of Contents: http://aip.scitation.org/toc/apl/107/14 Published by the American Institute of Physics

Articles you may be interested in

Gas phase synthesis of non-bundled, small diameter single-walled carbon nanotubes with near-armchair chiralities Applied Physics Letters **107**, 013106 (2015); 10.1063/1.4926415

Conductivity scaling with bundle length and diameter in single walled carbon nanotube networks Applied Physics Letters **89**, 133112 (2006); 10.1063/1.2356999

The relationship between network morphology and conductivity in nanotube films Journal of Applied Physics **104**, 044302 (2008); 10.1063/1.2968437

Understanding the doping effects on the structural and electrical properties of ultrathin carbon nanotube networks Journal of Applied Physics **118**, 215305 (2015); 10.1063/1.4937137

Effect of tetrahedral amorphous carbon coating on the resistivity and wear of single-walled carbon nanotube network Journal of Applied Physics **119**, 185306 (2016); 10.1063/1.4948672

Atomic layer etching of gallium nitride (0001) Journal of Vacuum Science & Technology A **35**, 060603 (2017); 10.1116/1.4993996





Uncovering the ultimate performance of single-walled carbon nanotube films as transparent conductors

K. Mustonen,¹ P. Laiho,¹ A. Kaskela,¹ T. Susi,² A. G. Nasibulin,^{1,3} and E. I. Kauppinen^{1,a)} ¹Department of Applied Physics, Aalto University School of Science, P.O. Box 15100, FI-00076 Aalto, Finland ²Faculty of Physics, University of Vienna, Boltzmanngasse 5, A-1090 Vienna, Austria ³Skolkovo Institute of Science and Technology, 100 Novaya St., Skolkovo, Odintsovsky District, Moscow Region 143025, Russia

(Received 7 August 2015; accepted 26 September 2015; published online 9 October 2015)

The ultimate performance—ratio of electrical conductivity to optical absorbance—of single-walled carbon nanotube (SWCNT) transparent conductive films (TCFs) is an issue of considerable application relevance. Here, we present direct experimental evidence that SWCNT bundling is detrimental for their performance. We combine floating catalyst synthesis of non-bundled, high-quality SWCNTs with an *aggregation chamber*, in which bundles with mean diameters ranging from 1.38 to 2.90 nm are formed from identical 3 μ m long SWCNTs. The as-deposited TCFs from 1.38 nm bundles showed sheet resistances of 310 Ω/\Box at 90% transparency, while those from larger bundles of 1.80 and 2.90 nm only reached values of 475 and 670 Ω/\Box , respectively. Based on these observations, we elucidate how networks formed by smaller bundles perform better due to their greater interconnectivity at a given optical density. Finally, we present a semi-empirical model for TCF performance as a function of SWCNT mean length and bundle diameter. This gives an estimate for the ultimate performance of non-doped, random network mixed-metallicity SWCNT TCFs at ~80 Ω/\Box and 90% transparency. © 2015 AIP Publishing LLC. [http://dx.doi.org/10.1063/1.4932942]

Single-walled carbon nanotubes (SWCNTs) are an appealing material for replacing widely used metal oxides as transparent conducting films (TCFs) due to their relatively high conductivity, excellent flexibility, and low refractive index.¹ The superb conductivity of individual nanotubes originates from the exceptionally high charge carrier mobility in the SWCNT quantum channel, allowing them to carry current densities one thousand times higher than copper.² Nevertheless, the sheet conductivity of even dense networks³ of high-quality SWCNTs falls far short of expectations based on the electronic properties of individual tubes.⁴ This disparity has led to a consensus that the conductivity of SWCNT networks is not limited by the resistance of the nanotubes, but rather by the barriers, or junction resistances, between them.^{5–8} The other defining factor in TCF performance, the absorption of visible light, follows the Beer-Lambert law and is directly proportional to the number of carbon atoms in the tubes' graphitic lattices,⁹ along a minor contribution from optical transitions of metallic tubes that fall in the visible range.

Hence, the issue of TCF performance can be approached as an optimization problem for the ratio *K* between the sheet conductance (σ_{DC}) and light absorbance (*A*), usually measured for 550 nm light

$$K = \frac{\sigma_{DC}}{A} = 1/(R_s \log_{10}[T]),$$
 (1)

where the second equality is an alternative expression using transmittance (*T*) and sheet resistance (R_s). The goal therefore is to achieve the highest possible σ_{DC} with as little absorption, and thus as few carbon atoms, as possible. We

have earlier postulated,¹⁰ together with Lyons *et al.* and Hecht *et al.*,^{3,11} that this can be achieved by minimizing the nanotube average bundle diameter $\langle d_b \rangle$, maximizing the number of parallel conduction paths. So far, these proposals have remained speculative, since available samples have differed also in SWCNT lengths and other confounding factors, which could not be completely accounted for.^{3,10–12}

Here, we directly test the bundle diameter effect by combining our recently developed floating catalyst chemical vapour decomposition (FC-CVD) synthesis route of intrinsically non-bundled SWCNTs¹³ with an *aggregation chamber*, in which the nanotubes are allowed to controllably bundle. Inside the chamber, tube-tube collisions and gas phase aggregation (bundling) are caused by Brownian diffusion.¹⁴ Hence, the time dependence of $\langle d_b \rangle$ in the gas-phase is governed by diffusion theory and, assuming monodisperse aggregation, the aerosol number concentration evolves in time as¹⁴

$$N(t) = \frac{N_0}{(1 + N_0 K_\phi(D_M, T, \eta)t)},$$
(2)

where K_{ϕ} is the aggregation coefficient depending on particle mobility diameter (D_M) , surrounding gas temperature (T), and viscosity (η) , and N_0 is the number concentration at t_0 .

The average number of nanotubes per bundle $\langle n(t) \rangle$, increasing by aggregation due to the collisions described in Eq. (2), can be expressed as

$$\langle n(t) \rangle = \langle n_0 \rangle + \left(\frac{N_0}{N(t)}\right) - 1 = \langle n_0 \rangle + N_0 K_{\phi} t,$$
 (3)

where $\langle n_0 \rangle$ is the number of nanotubes at t_0 , and the term -1 is necessary for consistency with Eq. (2). Assuming an

^{a)}Electronic mail: esko.kauppinen@aalto.fi

average tube diameter $\langle d_{CNT} \rangle$, geometrically $\langle d_b \rangle \approx \langle d_{CNT} \rangle \sqrt{\langle n \rangle}$.¹¹ When colliding, SWCNTs pack closely due to the van der Waals interaction,¹⁵ and thus the evolution of $\langle d_b \rangle$ in time can be approximated as

$$\langle d_b(t) \rangle \approx \langle d_{CNT} \rangle \sqrt{\langle n(t) \rangle} = \langle d_{CNT} \rangle \left(\sqrt{\langle n_0 \rangle + K_{\phi} N_0 t} \right).$$
 (4)

To achieve a predictable increase in bundle diameter, the aggregation chamber provides a residence time of 360 s under a laminar flow of 500 cm³ min⁻¹ (Reynolds number ~0.06, Figure 1). The chamber has a circular cross-section with a diameter of 6 cm, total length of 120 cm, and is connected to a 1/4 in. stainless steel line with two conical endpieces to maintain turbulence-free gas flow. Most of the nanotube aggregation takes place in the chamber, but at higher number concentrations, some bundles are also formed inside the synthesis reactor.¹³

The SWCNTs were grown in the FC-CVD reactor (Figure 1) heated to 880 °C in a flow of carbon monoxide (CO), hydrogen (H₂), and nitrogen (N₂) at mole fractions of 0.7, 0.1, and 0.2, respectively.¹³ The total volumetric flow rate through the reactor was 500 cm³ min⁻¹. Individual tubes were synthesized at low catalyst concentration, i.e., at a spark recharge voltage of 2.5 kV, effectively inhibiting bundling during synthesis. A higher number concentration was achieved by setting the voltage to 7 kV, leading to slight bundle formation also during synthesis. Samples were thus deposited from three conditions: (i) minimizing $\langle d_h \rangle$ during synthesis using a recharge voltage of 2.5 kV, followed by deposition directly at the reactor outlet; (ii) increasing $\langle d_b \rangle$, taking place during synthesis using 7 kV, followed by direct deposition; and (iii) maximizing $\langle d_b \rangle$ by synthesis using 7 kV, followed by deposition after an additional residence time of 360 s in the aggregation chamber. The number size distributions (NSDs) from different conditions were measured using a combination of a differential mobility analyser (DMA, Vienna-type) and a condensation particle counter (CPC model 5414, Grimm Aerosol Technik GmbH, Germany). Figure 2(a) shows the NSDs, indicating that the number



FIG. 1. Experimental system for the synthesis and aggregation of SWCNTs and TCF deposition. The catalyst particles were formed in a spark discharge generator¹³ and fed to the FC-CVD reactor at different number concentrations (*N*) to form SWCNTs. The nanotubes were either directly collected at reactor outlet (spark voltage of 2.5 kV or 7 kV), or, additionally, at the 7 kV voltage passed through the aggregation chamber to promote bundle growth prior to deposition. A combination of a DMA and a CPC was used to acquire number size distributions (NSDs).

concentration increases almost 5-fold (from 2.35×10^5 cm⁻³ to 1.14×10^6 cm⁻³) by increasing the operating voltage from 2.5 kV to 7.0 kV. After an additional 360 s of bundling in the aggregation chamber, the collisions again reduce the number concentration down to 3.24×10^5 cm⁻³, clearly indicating the effect of aggregation. The electrical mobility geometric mean diameter, $\langle D_{ME} \rangle$, related to the physical mobility of floating bodies under the influence of a static electric field, concurrently increases from 33 to 41 nm from condition (i) to condition (iii).

This NSD analysis is corroborated by the $\langle d_h \rangle$ statistics (Figure 2(c)), with an increasing trend with higher N and bundling time. The statistics shown were gathered using an atomic force microscope (AFM, Veeco Dimension 5000, Switzerland; operated in tapping mode), showing a significant increase in the mean bundle diameter from 1.38 to 2.90 nm from conditions (i) to (iii). Considering that the mean tube diameter $\langle d_{CNT} \rangle$ is 1.1 nm as shown previously,¹³ the largest bundles contain more than four times more carbon per unit length than the smallest ones. For AFM observations, the SWCNTs were deposited on mica substrates using a custom thermophoretic precipitator;¹⁶ representative micrographs can be found in Ref. 17. To draw conclusions from the SWCNT mobility diameter, D_M , Eqs. (2) and (4) were numerically solved using the initial values $N = 1.12 \times 10^6 \text{ cm}^{-3}$ from the DMA + CPC measurement and $\langle d_b \rangle = 1.80 \,\mathrm{nm}$ from the AFM measurements. The calculation was separately run for $D_M = 10, 20, \text{ and } 30 \text{ nm}, \text{ of}$ which 20 nm provided the closest match to observations with $\langle d_b \rangle = 2.91$ nm and $N = 4.04 \times 10^5$ cm⁻³, as depicted in Figure 2(d). The predicted bundle diameter closely matches our observations, but the final N is over-estimated by $\sim 20\%$. This discrepancy likely arises from the omission of particle diffusion to the chamber walls from the calculation.

Importantly, TCF performance can only be comprehensively analysed with respect to $\langle d_b \rangle$ when the SWCNT lengths $\langle L_{CNT} \rangle$ are invariant from sample to sample. The bundle length statistics shown in Figure 2(b) were gathered using a scanning electron microscope (SEM) (Zeiss Sigma VP, Carl Zeiss AG, Germany) to image SWCNTs deposited on Si/SiO₂ chips using the thermophoretic precipitator. Between conditions (i) and (ii), $\langle L_{bundle} \rangle$ remains relatively unchanged, (3.0 μ m and 3.1 μ m, respectively) whereas in condition (iii) the apparent bundle length increases to 3.8 μ m. Since the temperature, gas composition, and residence time in the synthesis conditions are identical, the observed slight increase in $\langle L_{bundle} \rangle$ between conditions (i) and (iii) must arise solely from the formation of bundles.

For optical and electrical characterization, SWCNT films were filtered from the gas flow onto membrane filters (pore size 0.47 μ m, Millipore, France) and press-transferred¹² onto clean quartz substrates. The TCF thickness was varied by adjusting the deposition time and the transmittance at 550 nm determined using a UV/Vis-NIR spectrophotometer (PerkinElmer, Inc., Lambda 950, USA), in which the substrate contribution was subtracted via a clean reference sample in the secondary beam path. The sheet resistances (*R*_S) were determined using a 4-point probe (Jandel Engineering Ltd., UK) at a 60 g needle loading.

The sheet resistances vs. transmittances of SWCNT films deposited from conditions (i) to (iii) are shown in Figure 3, together with trendlines fitted according to Eq. (1).



FIG. 2. (a) The SWCNT number size distributions (NSDs) as measured with a combination of DMA and CPC from conditions (i) to (iii) (b). Bundles deposited from condition (i) exhibit a mean length $\langle L_{bundle} \rangle$ of 3.0 μ m, whereas conditions (ii) and (iii) result in slightly longer bundles of 3.1 and $3.8 \,\mu m$, respectively. (c) Correspondingly, bundles from condition (i) exhibit a mean bundle diameter $\langle d_b \rangle$ of 1.38 nm, whereas conditions (ii) and (iii) yield 1.80 and 2.9 nm, respectively. (d) Numerically solved Eqs. (2) and (4) provide N(t) and $\langle d_b(t) \rangle$ using mean tube diameter $\langle d_{CNT} \rangle$ of 1.1 nm (Ref. 13) and mobility diameters (D_M) of 10, 20, and 30 nm at ambient conditions.

Remarkably, these show that the films' conductivity at a certain optical density has an inverse relation to $\langle d_h \rangle$: asdeposited TCFs fabricated from 1.38 nm bundles achieve a much higher as-deposited performance, 310 Ω/\Box at $T_{550\,nm} = 90\%$ (K = 32.80 k Ω^{-1}), than TCFs deposited from larger 1.80 and 2.90 nm bundles, which reach values of 475 and 670 Ω/\Box (K = 21.90 k Ω^{-1} and 15.50 k Ω^{-1}), respectively. If the largest diameter sample would actually contain longer tubes, this should decrease its resistance compared to the other two conditions, which is not seen. As additional supporting evidence of bundling, a 20 nm redshift is observed for the E_{ii} optical transitions (E₁₁ in the inset of Figure 3, the rest in Ref. 17) between conditions (i) and (iii). According to Wang et al., such a redshift can be attributed to increased dielectric screening in bundled tubes, slightly decreasing the exciton lifetimes through intra-bundle coupling.¹



FIG. 3. Transmittance vs. sheet resistance for TCFs fabricated from SWCNTs with different bundle diameters $\langle d_b \rangle$; trendlines fitted according to Eq. (1). The smallest 1.38 nm bundles give the lowest $\langle R_s \rangle$ of 310 Ω/\Box at $T_{550 \text{ nm}} = 90\%$. By comparison, larger bundles yield only 475 Ω/\Box and 670 Ω/\Box at $T_{550 \text{ nm}} = 90\%$. The lower right inset shows the observed redshift of the E₁₁ optical transitions.

Since all TCFs in this work were fabricated from identical SWCNTs, the performance variation must emerge solely from the organization of the nanotubes in the networklarger diameter bundles simply absorb more than individual tubes at the same conductivity. This implies that larger bundles do not conduct much better to compensate for their increased absorption. This could be attributed to least a few different factors: Delaney et al. and Oyuang et al. reported the formation of pseudo band gaps in bundles of metallic tubes, which would increase barrier heights between bundles and directly impact the conductivity of the junctions.¹⁹ This, however, seems unlikely here, since Znidarsic et al. reported the opposite effect using conductive tip AFM (C-AFM) of bundles deposited with a method similar to ours.' A more likely explanation is provided by the anomalous conduction effect reported by Radosavljević et al. for mixed-metallicity bundles and Han and Strano for bundles of semiconducting tubes.²⁰ Their observations suggest that charge carrier transport mainly occurs on the outermost layer of tubes, leaving the bundle core as effectively "dead mass," contributing only to optical absorption. In agreement with this argument, the mentioned C-AFM study found only modest variation, between 3 and 16 k $\Omega \ \mu m^{-1}$, in the length-wise resistances of bundles of different sizes. Previously, we proposed that when possible variations in junction resistances with $\langle d_b \rangle$ are not accounted, larger bundles should be detrimental for the TCF quality through increasing absorption.¹⁰ However, we were previously unable to simultaneously maintain SWCNT lengths, adding a source of uncertainty to the analysis.

To refine this idea, we define an *ideal quality factor* K_0 of SWCNT TCFs, which is the quality factor K of a network fabricated from 100% individual tubes ($\langle n \rangle = 1$). Due to absorption being related to the amount of carbon, we find $K \propto \langle d_b \rangle^{-2} \approx \langle d_{CNT} \rangle^{-2} \langle n^{-1} \rangle$. As some bundling will always

occur at least during deposition, $K_0 > K$, making $K/K_0(n)$ a monotonically decreasing function, with a maximum of $K/K_0(1) = 1$. For the 3 μ m tubes presented in this study, K_0 can be approximated by assuming K and $\langle n \rangle$ are roughly linearly proportional near $\langle n \rangle = 1$, giving $K_0 = 34.2 \pm 3.5 \text{ k}\Omega^{-1}$ (details in Ref. 17).

Thus, while by definition K/K_0 decreases with increasing $\langle n \rangle$, their exact relationship needs more clarification. As we mentioned earlier, junction resistances R_{jct} seem to be lower for bundles than for individual tubes.⁷ Based on the seminal work of Fuhrer et al.,⁶ we know that junctions between metallic tubes may exhibit resistances orders of magnitudes lower than junctions between mixed or semiconducting tubes. In a dense random network of SWCNTs, we can thus assume for the purposes of the following formulation that current conduction is dominated by metallic pathways. The probability of forming a junction between two metallic tubes or bundles is a function of the metallic-tosemiconducting ratio (1:2 in typical CVD processes) and the average number of tubes per bundle $\langle n \rangle$.²¹ This can be written as $P_M(n) = 1 - 2/3^{\langle n \rangle}$, which is the probability of one tube in the bundle being metallic (derivation presented in Ref. 17). Taking into account that R_s is dominated by junction resistances, and that $K \propto R_s^{-1}$ (Eq. (1)), an alternate definition for the quality factor K using $\langle n \rangle$ and K_0 can be expressed as

$$K = K_0 \beta \left(\frac{1}{\langle n \rangle}\right) \left(1 - \left[\frac{2}{3}\right]^{\langle n \rangle}\right), \tag{5}$$

where β is a dimensionless fitting parameter. Figure 4(b) plots the prediction provided by $K/K_0 = (\beta/\langle n \rangle)(1 - [2/3]^{\langle n \rangle})$, set to intersect the point $K/K_0(1) = 1$. Equation (5) fits very well to the data with the parameter $\beta = 2.67$.

Finally, we compare the prediction of Eq. (5) with our earlier published results. We chose to use our own data since both the bundle lengths and diameters were known and, due to the same fabrication method, we can assume the tubes are mostly unaffected by contaminants such as surfactants.^{10,12} However, since the SWCNT lengths and $\langle n \rangle$ were not directly known, those needed to be approximated on available data. $\langle n \rangle$ was estimated using the relation $\langle d_b \rangle \approx \langle d_{CNT} \rangle \sqrt{\langle n \rangle}$, while the SWCNT lengths were estimated using the published



FIG. 4. The scaling of K/K_0 as a function of $\langle n \rangle$ according to Eq. (5) shows that larger bundles provide lower performance compared to small bundles or individual tubes. The black circles are data from this work, and the blue and red are estimates from Refs. 10 and 12.

bundle diameters and lengths, with the approximations: $\langle d_b \rangle = 3-5 \text{ nm} \rightarrow \langle L_{CNT} \rangle = 3/4 \langle L_{bundle} \rangle$; $\langle d_b \rangle = 5-9 \text{ nm} \rightarrow \langle L_{CNT} \rangle = 3/5 \langle L_{bundle} \rangle$; and $\langle d_b \rangle = 9-12 \text{ nm} \rightarrow \langle L_{CNT} \rangle = 1/2 \langle L_{bundle} \rangle$. (The uncertainty of this approximation is estimated to be about 20%.) Based on the previous studies, SWCNT mean lengths and sheet conductivity relate linearly, $\sigma_{DC} \propto K \propto \langle L_{CNT} \rangle$.^{3,22} The *ideal quality factors* for SWNCTs of any length can thus be calculated as $K_0' = K_0 (\langle L_{CNT}' \rangle / \langle L_{CNT0} \rangle)$, where $\langle L_{CNT0} \rangle$ and K_0 are 3 μ m and 34.2 k Ω^{-1} , respectively. These additional estimated data points are plotted in Figure 4, where we see that the model fits the additional data well.

We can thus provide a semi-empirical formula that can be used to predict TCF performance: by combining the relation $K \propto \langle L_{CNT} \rangle$ with Eq. (5), the quality factor can be expressed in terms of $\langle n \rangle$ and $L_{\langle L_{CNT} \rangle}$ as

$$K(n, L_{CNT}) = \Pi\left(\frac{\left(1 - [2/3]^{\langle n \rangle}\right) \langle L_{CNT} \rangle}{\langle n \rangle}\right), \qquad (6)$$

where $\Pi = \beta K_0 / \langle L_{CNT0} \rangle = 30.4 \pm 5.8 \,\mu \text{m}^{-1} \text{ k} \Omega^{-1}$. However, increasing $\langle L_{CNT} \rangle$, which at constant optical density corresponds to decreasing the junction density, can only improve the performance until the lengthwise resistances between junctions reach the same magnitude as the junction resistances themselves.²³ According to Purewal et al.⁸ and Znidarsic et al.,⁷ who provide direct measurements of these quantities, that point is reached somewhere between 10 and $20 \,\mu m$. Importantly, this will also set the ultimate conduction limit for pristine, mixed-metallicity percolating SWCNT networks; should the scaling law apply until, say, a conservative estimate of $\langle L_{CNT} \rangle = 10 \,\mu\text{m}$, the highest achievable quality factor would be roughly $114 \text{ k}\Omega^{-1}$, corresponding to $80 \pm 15 \Omega / \Box$ at 90% transparency (assuming our model holds, an allmetallic network could reach $\sim 25 \Omega / \Box$). Treatment with strong chemical dopants such as nitric acid (HNO₃) may be used to push this limit further, though how much improvement can be achieved likely depends on the network morphology, chiral distribution, and the selected dopant.

To summarize, we have by experimental design demonstrated the detrimental influence single-walled carbon nanotube bundling has on the performance of transparent conducting films. We explain the decrease in sheet conductivity at a certain optical density through geometric factors: current transport mainly takes place on the surfaces of bundles, while the nanotubes inside the bundles continue to contribute to light absorption. In addition, based on our experimental results and analysis, we have formulated a semi-empirical model that predicts the optimal TCF conductivity at a certain optical density ($80 \pm 15 \ \Omega/\Box$ at 90% transparency) for arbitrarily large bundles, and nanotube lengths up to $10-20 \ \mu m$. No SWCNT TCF reported in the literature has exceeded this limit, which we suggest is the ultimate goal for process optimization.

The research leading to these results has received funding from the European Union Seventh Framework Programme (FP7/2007-2013) under Grant Agreement No. 604472 (IRENA Project) and No. 314068 (TREASORES Project), by the Aalto Energy Efficiency (AEF) program through the MOPPI project, and from TEKES projects CARLA and USG and Academy of Finland (HISCON and 276160). A.G.N. was partially supported by the Ministry of Education and Science of the Russian Federation (Project DOI: RFMEFI58114X0006), and T.S. by the Austrian Science Fund (FWF) through grant M 1497-N19, by the Finnish Cultural Foundation, and by the Walter Ahlström Foundation. This work made use of the Aalto University Nanomicroscopy Center (Aalto-NMC) premises. The personnel of the National Nanomicroscopy Center of Aalto University are gratefully acknowledged for useful discussions and assistance.

- ¹Z. Wu, Z. Chen, X. Du, J. M. Logan, J. Sippel, M. Nikolou, K. Kamaras, J. R. Reynolds, D. B. Tanner, A. F. Hebard, and A. G. Rinzler, Science **305**(5688), 1273 (2004).
- ²H. Seunghun and M. Sung, Nat. Nanotechnol. 2(4), 207 (2007).
- ³P. E. Lyons, D. Sukanta, F. Blighe, V. Nicolosi, L. F. C. Pereira, M. S. Ferreira, and J. N. Coleman, J. Appl. Phys. **104**(4), 044302 (2008).
- ⁴T. W. Ebbesen, H. J. Lezec, H. Hiura, J. W. Bennett, H. F. Ghaemi, and T. Thio, Nature **382**(6586), 54 (1996); H. Dai, E. W. Wong, and C. M. Lieber, Science **272**(5261), 523 (1996).
- ⁵P. N. Nirmalraj, P. E. Lyons, S. De, J. N. Coleman, and J. J. Boland, Nano Lett. 9(11), 3890 (2009).
- ⁶M. S. Fuhrer, J. Nygård, L. Shih, M. Forero, Y. Yoon, M. S. C. Mazzoni, H. J. Choi, J. Ihm, S. G. Louie, A. Zettl, and P. L. McEuen, Science **288**(5465), 494 (2000).
- ⁷A. Znidarsic, A. Kaskela, P. Laiho, M. Gaberscek, Y. Ohno, A. G. Nasibulin, E. I. Kauppinen, and A. Hassanien, J. Phys. Chem. C **117**(25), 13324 (2013).
- ⁸M. S. Purewal, B. H. Hong, A. Ravi, B. Chandra, J. Hone, and P. Kim, Phys. Rev. Lett. **98**(18), 186808 (2007).

- ⁹J. Blancon, M. Paillet, H. N. Tran, X. T. Than, S. A. Guebrou, A. Ayari, A. S. Miguel, N. Phan, A. Zahab, J. Sauvajol, N. D. Fatti, and F. Vallée, Nat. Commun. 4, 2542 (2013).
- ¹⁰K. Mustonen, T. Susi, A. Kaskela, P. Laiho, Y. Tian, A. G. Nasibulin, and E. I. Kauppinen, Beilstein J. Nanotechnol. 3, 692 (2012).
- ¹¹D. S. Hecht, L. Hu, and G. Gruner, Appl. Phys. Lett. 89(13), 133112 (2006).
- ¹²A. Kaskela, A. G. Nasibulin, M. Y. Timmermans, B. Aitchison, A. Papadimitratos, Y. Tian, Z. Zhu, H. Jiang, D. P. Brown, A. Zakhidov, and E. I. Kauppinen, Nano Lett. **10**(11), 4349 (2010).
- ¹³K. Mustonen, P. Laiho, A. Kaskela, Z. Zhu, O. Reynaud, N. Houbenov, Y. Tian, T. Susi, H. Jiang, A. G. Nasibulin, and E. I. Kauppinen, Appl. Phys. Lett. **107**(1), 013106 (2015).
- ¹⁴W. C. Hinds, Aerosol Technology: Properties, Behavior, And Measurement of Airborne Particles. (Wiley-Interscience, 1999).
- ¹⁵S. Cranford, H. Yao, C. Ortiz, and M. J. Buehler, J. Mech. Phys. Solids **58**(3), 409 (2010).
- ¹⁶D. Gonzalez, A. G. Nasibulin, A. M. Baklanov, S. D. Shandakov, D. P. Brown, P. Queipo, and E. I. Kauppinen, Aerosol Sci. Technol. **39**(11), 1064 (2005).
- ¹⁷See supplementary material at http://dx.doi.org/10.1063/1.4932942 for AFM and SEM micrographs and optical absorption spectra.
- ¹⁸F. Wang, M. Y. Sfeir, L. Huang, X. M. H. Huang, Y. Wu, J. Kim, J. Hone, S. O'Brien, L. E. Brus, and T. F. Heinz, Phys. Rev. Lett. **96**(16), 167401 (2006).
- ¹⁹P. Delaney, H. J. Choi, J. Ihm, S. G. Louie, and M. L. Cohen, Nature **391**(6666), 466 (1998); M. Ouyang, J. Huang, C. L. Cheung, and C. M. Lieber, Science **292**(5517), 702 (2001).
- ²⁰M. Radosavljević, J. Lefebvre, and A. T. Johnson, Phys. Rev. B 64(24), 241307 (2001); J. Han and M. S. Strano, MRS Bull. 58(0), 1 (2014).
- ²¹S. Seppälä, E. Häkkinen, M. J. Alava, V. Ermolov, and E. T. Seppälä, Europhys. Lett. **91**(4), 47002 (2010).
- ²²T. Susi, A. Kaskela, Z. Zhu, P. Ayala, R. Arenal, Y. Tian, P. Laiho, J. Mali, A. G. Nasibulin, H. Jiang, G. Lanzani, O. Stephan, K. Laasonen, T. Pichler, A. Loiseau, and E. I. Kauppinen, Chem. Mater. 23(8), 2201 (2011).
- ²³L. F. C. Pereira, C. G. Rocha, A. Latgé, J. N. Coleman, and M. S. Ferreira, Appl. Phys. Lett. **95**(12), 123106 (2009).