# Verb Class Disambiguation Using Informative Priors 

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Levin's (1993) study of verb classes is a widely used resource for lexical semantics. In her framework, some verbs, such as give, exhibit no class ambiguity. But other verbs, such as write, have several alternative classes. We extend Levin's inventory to a simple statistical model of verb class ambiguity. Using this model we are able to generate preferences for ambiguous verbs without the use of a disambiguated corpus. We additionally show that these preferences are useful as priors for a verb sense disambiguator.

## 1. Introduction

Much research in lexical semantics has concentrated on the relation between verbs and their arguments. Many scholars hypothesize that the behavior of a verb, particularly with respect to the expression and interpretation of its arguments, is to a large extent determined by its meaning (Talmy 1985; Jackendoff 1983; Goldberg 1995; Levin 1993; Pinker 1989; Green 1974; Gropen et al. 1989; Fillmore 1965). The correspondence between verbal meaning and syntax has been extensively studied in Levin (1993), which argues that verbs which display the same diathesis alternations-alternations in the realization of their argument structure-can be assumed to share certain meaning components and to form a semantically coherent class.

The converse of this assumption is that verb behavior (i.e., participation in diathesis alternations) can be used to provide clues about aspects of meaning, which in turn can be exploited to characterize verb senses (referred to as classes in Levin's [1993] terminology). A major advantage of this approach is that criteria for assigning senses can be more concrete than is traditionally assumed in lexicographic work (e.g., WordNet or machine-readable dictionaries) concerned with sense distinctions (Palmer 2000). As an example consider sentences (1)-(4), taken from Levin. Examples (1) and (2) illustrate the dative and benefactive alternations, respectively. Dative verbs alternate between the prepositional frame "NP1 V NP2 to NP3" (see (1a)) and the double-object frame "NP1 V NP2 NP3" (see (1b)), whereas benefactive verbs alternate between the doubleobject frame (see (2a)) and the prepositional frame "NP1 V NP2 for NP3" (see (2b)). To decide whether a verb is benefactive or dative it suffices to test the acceptability of the for and to frames. Verbs undergoing the conative alternation can be attested either as transitive or as intransitive with a prepositional phrase headed by the word $a t .{ }^{1}$ The role filled by the object of the transitive variant is shared by the noun phrase complement of at in the intransitive variant (see (3)). This example makes explicit that class assignment depends not only on syntactic facts but also on judgments about

[^0]semantic roles. Similarly, the possessor object alternation involves a possessor and a possessed attribute that can be manifested either as the verbal object or as the object of a prepositional phrase headed by for (see (4)).
a. Bill sold a car to Tom.
b. Bill sold Tom a car.
a. Martha carved the baby a toy.
b. Martha carved a toy for the baby.
(3) a. Paula hit the fence.
b. Paula hit at the fence.
(4)
a. I admired his honesty.
b. I admired him for his honesty.

Observation of the semantic and syntactic behavior of pay and give reveals that they pattern with sell in licensing the dative alternation. These verbs are all members of the Give class. Verbs like make and build behave similarly to carve in licensing the benefactive alternation and are members of the class of Build verbs. The verbs beat, kick, and hit undergo the conative alternation; they are all members of the Hit verb class. By grouping together verbs that pattern together with respect to diathesis alternations, Levin (1993) defines approximately 200 verb classes, which she argues reflect important semantic regularities. These analyses (and many similar ones by Levin and her successors) rely primarily on straightforward syntactic and syntactico-semantic criteria. To adopt this approach is to accept some limitations on the reach of our analyses, since not all semantically interesting differences will have the appropriate reflexes in syntax. Nevertheless, the emphasis on concretely available observables makes Levin's methodology a good candidate for automation (Palmer 2000).

Therefore, Levin's (1993) classification has formed the basis for many efforts that aim to acquire lexical semantic information from corpora. These exploit syntactic cues, or at least cues that are plausibly related to syntax (Merlo and Stevenson 2001; Schulte im Walde 2000; Lapata 1999; McCarthy 2000). Other work has used Levin's classification (in conjunction with other lexical resources) to create dictionaries that express the systematic correspondence between syntax and meaning (Dorr 1997; Dang, Rosenzweig, and Palmer 1997; Dorr and Jones 1996). Levin's inventory of verbs and classes has been also useful for applications such as machine translation (Dorr 1997; Palmer and Wu 1995), generation (Stede 1998), information retrieval (Levow, Dorr, and Lin 2000), and document classification (Klavans and Kan 1998).

Although the classification provides a general framework for describing verbal meaning, it says only which verb meanings are possible, staying silent on the relative likelihoods of the different meanings. The inventory captures systematic regularities in the meaning of words and phrases but falls short of providing a probabilistic model of these regularities. Such a model would be useful in applications that need to resolve ambiguity in the presence of multiple and conflicting probabilistic constraints.

More precisely, Levin (1993) provides an index of 3,024 verbs for which she lists the semantic classes and diathesis alternations. The mapping between verbs and classes is not one to one. Of the 3,024 verbs which she covers, 784 are listed as having more than one class. Even though Levin's monosemous verbs outnumber her polysemous verbs by a factor of nearly four to one, the total frequency of the former $(4,252,715)$

Table 1
Polysemous verbs according to Levin.


Figure 1
Relation between number of classes and alternations.
is comparable to the total frequency of the latter $(3,986,014)$. This means that close to half of the cases processed by a semantic tagger would manifest some degree of ambiguity. The frequencies are detailed in Table 1 and were compiled from a lemmatized version of the British National Corpus (BNC) (Burnard 1995). Furthermore, as shown in Figure 1, the level of ambiguity increases in tandem with the number of alternations licensed by a given verb. Consider, for example, verbs participating in one alternation only: Of these, $90.4 \%$ have one semantic class, $8.6 \%$ have two classes, $0.7 \%$ have three classes, and $0.3 \%$ have four classes. In contrast, of the verbs licensing six different alternations, $14 \%$ have one class, $17 \%$ have two classes, $12.4 \%$ have three classes, $53.6 \%$ have four classes, $2 \%$ have six classes, and $1 \%$ have seven classes. As ambiguity increases, so does the availability and potential utility of information about diathesis alternations.

Palmer (2000) and Dang et al. (1998) argue that syntactic frames and verb classes are useful for developing principled classifications of verbs. We go beyond this, showing that they can also be of assistance in disambiguation. Consider, for instance, the verb serve, which is a member of four Levin classes: Give, Fit, Masquerade, and Fulfilling. Each of these classes can in turn license four distinct syntactic frames.

As shown in the examples ${ }^{2}$ below, in (5a) serve appears ditransitively and belongs to the semantic class of GIVE verbs, in (5b) it occurs transitively and is a member of the class of Fit verbs, in (5c) it takes the predicative complement as minister of the interior and is a member of the class of Masquerade verbs. Finally, in sentence (5d) serve is a Fulfilling verb and takes two complements, a noun phrase (an apprenticeship) and a prepositional phrase headed by to (to a still-life photographer). In the case of verbs like serve, we can guess their semantic class solely on the basis of the frame with which they appear.
(5) a. I'm desperately trying to find a venue for the reception which can serve our guests an authentic Italian meal. NP1 V NP2 NP3
b. The airline serves 164 destinations in over 75 countries. NP1 V NP2
c. Jean-Antoine Chaptal was a brilliant chemist and technocrat who served Napoleon as minister of the interior from 1800 to 1805. NP1 V NP2 as NP3
d. Before her brief exposure to pop stardom, she served an apprenticeship to a still-life photographer. NP1 V NP2 to NP3

But sometimes we do not have the syntactic information that would provide cues for semantic disambiguation. Consider example (6). The verb write is a member of three Levin classes, two of which (Message Transfer, Performance) take the doubleobject frame. In this case, we have the choice between the Message Transfer reading (see (6a)) and the Performance reading (see (6b)). The same situation arises with the verb toast, which is listed as a Prepare verb and a Judgment verb; both these classes license the prepositional frame "NP1 V NP2 for NP3." In sentence (7a) the preferred reading is that of Prepare rather than that of Judgment (see sentence (7b)). The verb study is ambiguous among three classes when attested in the transitive frame: LEARN (see example (8a)), Sight (see example (8b)), and Assessment (see example (8c)). The verb convey, when attested in the prepositional frame "NP1 V NP2 to NP3," can be ambiguous between the SAY class (see example (9a)) and the SEnd class (see example (9b)). In order to correctly decide the semantic class for a given ambiguous verb, we would need not only detailed semantic information about the verb's arguments, but also a considerable amount of world knowledge. Admittedly, selectional restrictions are sufficient for distinguishing (7a) from (7b) (one normally heats up inanimate entities and salutes animate ones), but selectional restrictions alone are probably not enough to disambiguate (6a) from (6b), since both letter and screenplay are likely to be described as written material. Rather, we need fine-grained world knowledge: Both scripts and letters can be written for someone: only letters can be written to someone.
(6) a. A solicitor wrote him a letter at the airport.
b. I want you to write me a screenplay called "The Trip."
(7) a. He sat by the fire and toasted a piece of bread for himself.
b. We all toasted Nigel for his recovery.

[^1]a. Chapman studied medicine at Cambridge.
b. Romanov studied the old man carefully, looking for some sign that he knew exactly what had been awaiting him at the bank.
c. The alliance will also study the possibility of providing service to other high-volume products, such as IBM and multi-vendor workstations.
a. By conveying the news to her sister, she would convey by implication something of her own anxiety.
b. The judge signed the committal warrant and the police conveyed Mr . Butler to prison, giving the warrant to the governor.

This need for world knowledge (or at least a convenient way of approximating this knowledge) is not an isolated phenomenon but manifests itself across a variety of classes and frames (e.g., double object, transitive, prepositional frame: see examples (6)-(9)). We have argued that the concreteness of Levin-style verb classes is an advantage, but this advantage would be compromised if we tried to fold too much world knowledge into the classification. We do not do this. Instead, Section 5 of the current article describes disambiguation experiments in which our probabilistic Levin classes are used in tandem with proxies for appropriate world knowledge.

It is important to point out that Levin's (1993) classification is not intended as an exhaustive description of English verbs, their meanings, and their likelihood. Many other classifications could have been built using the same principles. A different grouping might, for example, have occurred if finer or coarser semantic distinctions were taken into account (see Merlo and Stevenson [2001] and Dang, Rosenzweig, and Palmer [1997] for alternative classifications) or if the containment of ambiguity was one of the classification objectives. As pointed out by Kipper, Dang, and Palmer (2000), Levin classes exhibit inconsistencies, and verbs are listed in multiple classes, some of which have conflicting sets of syntactic frames. This means that some ambiguities may also arise as a result of accidental errors or inconsistencies. The classification was created not with computational uses in mind, but for human readers, so it has not been necessary to remedy all the errors and omissions that might cause trouble for machines. Similar issues arise in almost all efforts to make use of preexisting lexical resources for computational purposes (Briscoe and Carroll 1997), so none of the above comments should be taken as criticisms of Levin's achievement.

The objective of this article is to show how to train and use a probabilistic version of Levin's classification in verb sense disambiguation. We treat errors and inconsistencies in the classification as noise. Although all our tests have used Levin's classes and the British National Corpus, the method itself depends neither on the details of Levin's classification nor on parochial facts about the English language. Our future work will include tests on other languages, other classifications, and other corpora.

The model developed in this article takes as input a partially parsed corpus and generates, for each combination of a verb and its syntactic frame, a probability distribution over the available verb classes. The corpus itself does not have to be labeled with classes. This makes it feasible to use large corpora. Our model is not immediately useful for disambiguation, because it cannot discriminate among different occurrences of the same verb and frame, but it can (as we show in Section 5) be used as a prior in a full disambiguation system that does take appropriate account of context. The model relies on several gross simplifications; it does not take selectional restrictions, discourse, or pragmatic information into account but is demonstrably superior to simpler priors that make no use of subcategorization.

The remainder of this article is organized as follows. In Section 2 we describe the probabilistic model and the estimation of the various model parameters. In Sections 3 and 4 we report on the results of two experiments that use the model to derive the dominant class for polysemous verbs. Sections 5 and 6 discuss our verb class disambiguation experiments. We base our results on the BNC, a 100-million-word collection of samples of written and spoken language from a wide range of sources designed to represent a wide cross-section of current British English, both spoken and written (Burnard 1995). We discuss our results in Section 7 and review related work in Section 8.

## 2. The Prior Model

Consider again the sentences in (6). Assuming that we more often write something to someone rather than for someone, we would like to derive Message Transfer as the prevalent class for write rather than Performance. We view the choice of a class for a polysemous verb in a given frame as maximizing the joint probability $P(c, f, v)$, where $v$ is a verb subcategorizing for the frame $f$ and inhabiting more than one Levin class $c$ :

$$
\begin{equation*}
P(c, f, v)=P(v) \cdot P(f \mid v) \cdot P(c \mid v, f) \tag{10}
\end{equation*}
$$

Although the terms $P(v)$ and $P(f \mid v)$ can be estimated from the BNC $(P(v)$ reduces to the number of times a verb is attested in the corpus, and $P(f \mid v)$ can be obtained through parsing), the estimation of $P(c \mid v, f)$ is somewhat problematic, since it relies on the frequency $F(c, v, f)$. The latter could be obtained straightforwardly if we had access to a parsed corpus annotated with subcategorization and semantic-class information. Lacking such a corpus we will assume that the semantic class determines the subcategorization patterns of its members independently of their identity (see (11)):

$$
\begin{equation*}
P(c \mid v, f) \approx P(c \mid f) \tag{11}
\end{equation*}
$$

The independence assumption is a simplification of Levin's (1993) hypothesis that the argument structure of a given verb is a direct reflection of its meaning. The rationale behind the approximation in (11) is that since class formation is determined on the basis of diathesis alternations, it is the differences in subcategorization structure, rather than the identity of the individual verbs, that determine class likelihood. For example, if we know that some verb subcategorizes for the double object and the prepositional "NP1 V NP2 to NP3" frames, we can guess that it is a member of the Give class or the Message Transfer class without knowing whether this verb is give, write, or tell.

Note that the approximation in (11) assumes that verbs of the same class uniformly subcategorize (or not) for a given frame. This is evidently not true for all classes of verbs. For example, all Give verbs undergo the dative diathesis alternation, and therefore we would expect them to be attested in both the double-object and prepositional frame, but only a subset of CREATE verbs undergo the benefactive alternation. For example, the verb invent is a CREATE verb and can be attested only in the benefactive prepositional frame (I will invent a tool for you versus ?I will invent you a tool; see Levin [1993] for details). By applying Bayes' law we write $P(c \mid f)$ as

$$
\begin{equation*}
P(c \mid f)=\frac{P(f \mid c) \cdot P(c)}{P(f)} \tag{12}
\end{equation*}
$$

By substituting (12) into (10), we can write $P(c, f, v)$ as

$$
\begin{equation*}
P(c, f, v)=\frac{P(v) \cdot P(f \mid v) \cdot P(f \mid c) \cdot P(c)}{P(f)} \tag{13}
\end{equation*}
$$

Table 2
Estimation of model parameters.
(a) $\hat{P}(v)=\frac{F(v)}{\sum_{i} F\left(v_{i}\right)}$
(b) $\quad \hat{P}(f \mid v)=\frac{F(f, v)}{F(v)}$
(c) $\quad \hat{P}(f \mid c)=\frac{F(f, c)}{F(c)}$
(d) $\quad \hat{P}(c)=\frac{F(c)}{\sum_{i} F\left(c_{i}\right)}$
(e) $\quad \hat{P}(f)=\frac{F(f)}{\sum_{i} F\left(f_{i}\right)}$
(f) $\quad F(f, c)=\sum_{i} F\left(c, f, v_{i}\right)$
(g) $F(c)=\sum_{i}^{i} F\left(v_{i}, c\right)$
(h) $\quad F(v, c)=F(v) \cdot P(c \mid v)$

It is easy to obtain $P(v)$ from the lemmatized BNC (see (a) in Table 2). In order to estimate the probability $P(f \mid v)$, we need to know how many times a verb is attested with a given frame. We acquired Levin-compatible subcategorization frames from the BNC after performing a coarse-grained mapping between Levin's frame descriptions and surface syntactic patterns without preserving detailed semantic information about argument structure and thematic roles. This resulted in 80 frame types that were grossly compatible with Levin. We used Gsearch (Corley et al. 2001), a tool that facilitates the search of arbitrary part-of-speech-tagged corpora for shallow syntactic patterns based on a user-specified context-free grammar and a syntactic query. We specified a chunk grammar for recognizing the verbal complex, NPs, and PPs and used Gsearch to extract tokens matching the frames specified in Levin. We discarded all frames with a frequency smaller than five, as they were likely to be unreliable given our heuristic approach. The frame probability $P(f)$ (see the denominator in (13) and equation (e) in Table 2) was also estimated on the basis of the Levin-compatible subcategorization frames that were acquired from the BNC.

We cannot read off $P(f \mid c)$ in (13) directly from the corpus, because the corpus is not annotated with verb classes. Nevertheless Levin's (1993) classification records the syntactic frames that are licensed by a given verb class (for example, Give verbs license the double object and the "NP1 V NP2 to NP3" frame) and also the number and type of classes a given verb exhibits (e.g., write inhabits two classes, Performance and Message Transfer). Furthermore, we know how many times a given verb is attested with a certain frame in the corpus, as we have acquired Levin-compatible frames from the BNC (see (b) in Table 2). We first explain how we obtain $F(f, c)$, which we rewrite as the sum of all occurrences of verbs $v$ that are members of class $c$ and are attested in the corpus with frame $f$ (see (c) and (f) in Table 2).

For monosemous verbs the count $F(c, f, v)$ reduces to the number of times these verbs have been attested in the corpus with a certain frame. For polysemous verbs, we additionally need to know the class in which they were attested in the corpus. Note that we don't necessarily need an annotated corpus for class-ambiguous verbs whose classes license distinct frames (see example (5)), provided that we have extracted verb frames relatively accurately. For genuinely ambiguous verbs (i.e., verbs licensed by classes that take the same frame), given that we don't have access to a corpus annotated with verb class information, we distribute the frequency of the verb and its frame evenly across its semantic classes:

$$
\begin{equation*}
F(c, f, v)=\frac{F(f, v)}{|\operatorname{classes}(v, f)|} \tag{14}
\end{equation*}
$$

Here $F(f, v)$ is the co-occurrence frequency of a verb and its frame and $|\operatorname{classes}(v, f)|$ is the number of classes verb $v$ is a member of when found with frame $f$. The joint

Table 3
Estimation of $F(c, f, v)$ and $F(v, c)$.

| Give | $F($ Give, NPVNPNP, $v)$ | $F($ Give,NPVNPtoNP, $v)$ | $F(v$, Give $)$ |
| :--- | :--- | :--- | :--- |
| feed | $\frac{98}{2}$ | $\frac{40}{2}$ | $\frac{3,263}{4}$ |
| give | 25,705 | 7,502 | 126,894 |
| lend | 343 | 648 | 2,650 |
| rent | $\frac{6}{2}$ | 10 | $\frac{1,060}{2}$ |
| pass | $\frac{181}{3}$ | $\frac{256}{3}$ | $\frac{19,459}{4}$ |
| serve | 85 | $\frac{58}{2}$ | $\frac{15,457}{4}$ |

frequency of a class and its frame $F(f, c)$ is then the sum of all verbs that are members of the class $c$ and are attested with frame $f$ in the corpus (see (f) in Table 2). Table 3 shows the estimation of the frequency $F(c, f, v)$ for six verbs that are members of the Give class. Consider for example feed, which is a member of four classes: Give, Gorge, Feeding, and Fit. Of these classes, only Feeding and Give license the double-object and prepositional frames. This is why the co-occurrence frequency of feed with these frames is divided by two. The verb serve inhabits four classes. The double-object frame is licensed by the Give class, whereas the prepositional frame is additionally licensed by the Fulfilling class, and therefore the co-occurrence frequency $F$ (NPVNPtoNP, serve) is equally distributed between these two classes. This is clearly a simplification, since one would expect $F(c, f, v)$ to vary for different verb classes. However, note that according to this estimation, $F(f, c)$ will vary across frames reflecting differences in the likelihood of a class being attested with a certain frame.

Both terms $P(f \mid c)$ and $P(c)$ in (13) rely on the class frequency $F(c)$ (see (c) and (d) in Table 2). We rewrite $F(c)$ as the sum of all verbs attested in the corpus with class $c$ (see (g) in Table 2). For monosemous verbs the estimate of $F(v, c)$ reduces to the count of the verb in the corpus. Once again we cannot estimate $F(v, c)$ for polysemous verbs directly. The task would be straightforward if we had a corpus of verbs, each labeled explicitly with class information. All we have is the overall frequency of a given verb in the BNC and the number of classes it is a member of according to Levin (1993). Since polysemous verbs can generally be the realization of more than one semantic class, counts of semantic classes can be constructed by dividing the contribution from the verb by the number of classes it belongs to (Resnik 1993; Lauer 1995). We rewrite the frequency $F(v, c)$ as shown in (h) in Table 2 and approximate $P(c \mid v)$, the true distribution of the verb and its classes, as follows:

$$
\begin{equation*}
P(c \mid v) \approx \frac{F(v)}{|\operatorname{classes}(v)|} \tag{15}
\end{equation*}
$$

Here, $F(v)$ is the number of times the verb $v$ was observed in the corpus and $|\operatorname{classes}(v)|$ is the number of classes $c$ it belongs to. For example, in order to estimate the frequency of the class Give, we consider all verbs that are listed as members of this class in Levin (1993). The class contains thirteen verbs, among which six are polysemous. We will obtain $F$ (Give) by taking into account the verb frequency of the monosemous verbs $(|\operatorname{classes}(v)|$ is one in this case) as well as distributing the frequency of the polysemous verbs among their classes. For example, feed inhabits the classes Give, Gorge,

Feeding, and Fit and occurs in the corpus 3,263 times. We will increment the count of $F$ (Give) by $\frac{3,263}{4}$. Table 3 illustrates the estimation of $F(v, c)$ for six members of the Give class. The total frequency of the class is obtained by summing over the individual values of $F(v, c)$ (see equation ( $g$ ) in Table 2).

The approach in (15) relies on the simplifying assumption that the frequency of a verb is distributed evenly across its semantic classes. This is clearly not true for all verbs. Consider, for example, the verb rent, which inhabits classes Give (Frank rented Peter his room) and GET (I rented my flat for my sister). Intuitively speaking, the Give sense of rent is more frequent than the GET sense, however, this is not taken into account in (15), primarily because we do not know the true distribution of the classes for rent. An alternative to (15) is to distribute the verb frequency unequally among verb classes. Even though we don't know how likely classes are in relation to a particular verb, we can approximate how likely classes are in general on the basis of their size (i.e., number of verbs that are members of each class). So then we can distribute a verb's frequency unequally, according to class size. This time we approximate $P(c \mid v)$ (see (h) in Table 2) by $P\left(c \mid a m b \_c l a s s\right)$, the probability of class $c$ given the ambiguity class ${ }^{3}$ amb_class. The latter represents the set of classes a verb might inhabit:

$$
\begin{equation*}
F(v, c) \approx F(v) \cdot P\left(c \mid a m b \_c l a s s\right) \tag{16}
\end{equation*}
$$

We collapse verbs into ambiguity classes in order to reduce the number of parameters that must be estimated; we certainly lose information, but the approximation makes it easier to get reliable estimates from limited data. We simply approximate $P$ (c|amb_class) using a heuristic based on class size:

$$
\begin{equation*}
P\left(c \mid a m b \_c l a s s\right) \approx \frac{|c|}{\sum_{c \in a m b \_c l a s s}|c|} \tag{17}
\end{equation*}
$$

For each class we recorded the number of its members after discarding verbs whose frequency was less than one per million in the BNC. This gave us a first approximation of the size of each class. We then computed, for each polysemous verb, the total size of the classes of which it was a member. We calculated $P$ (c|amb_class) by dividing the former by the latter (see equation (17)). We obtained the class frequency $F(c)$ by multiplying $P\left(c \mid a m b \_c l a s s\right)$ by the observed frequency of the verb in the BNC (see equation (16)). As an example, consider again F(GIVE), which is calculated by summing over all verbs that are members of this class (see ( g ) in Table 2). In order to add the contribution of the verb feed, we need to distribute its corpus frequency among the classes Give, Gorge, Feed, and Fit. The respective $P$ (c|amb_class) values for these classes are $\frac{15}{38}, \frac{8}{38}, \frac{3}{38}$, and $\frac{12}{38}$. By multiplying these by the frequency of feed in the BNC $(3,263)$, we obtain the values of $F(v, c)$ given in Table 4. Only the frequency $F($ feed, Give) is relevant for $F$ (Give).

The estimation process just described involves at least one gross simplification, since $P\left(c \mid a m b \_c l a s s\right)$ is calculated without reference to the identity of the verb in question. For any two verbs that fall into the same set of classes, $P$ (c|amb_class) will be the same, even though one or both may be atypical in its distribution across the classes. Furthermore, the estimation tends to favor large classes, again irrespectively of the identity of the verb in question. For example, the verb carry has three classes, Carry,

[^2]Table 4
Estimation of $F(v, c)$ for the verb feed.

| $c$ | $\|c\|$ | $P(c \mid$ amb_class $)$ | $F(v, c)$ |
| :--- | ---: | :---: | ---: |
| GIVE | 15 | .39 | $1,272.57$ |
| GORGE | 8 | .21 | 685.23 |
| FEED | 3 | .08 | 261.04 |
| FIT | 12 | .32 | $1,044.16$ |

Table 5
Ten most frequent classes using equal distribution of verb frequencies.

| $c$ | $F(c)$ |
| :--- | :---: |
| Characterize | $601,647.4$ |
| GET | $514,308.0$ |
| SAY | $450,444.6$ |
| CONJECTURE | $390,618.4$ |
| FUTURE HAVING | $369,229.3$ |
| DECLARE | $264,923.6$ |
| AmuSE | $258,857.9$ |
| DIRECTED MOTION | $252,775.6$ |
| MESSAGE TRANSFER | $248,238.7$ |
| GIVE | $208,884.1$ |

Table 6
Ten most frequent classes using unequal distribution of verb frequencies.

| $c$ | $c(c)$ |
| :--- | :---: |
| GET | $453,843.6$ |
| SAY | $447,044.2$ |
| CHARACTERIZE | $404,734.2$ |
| CONJECTURE | $382,193.8$ |
| FUTURE HAVING | $370,717.7$ |
| DECLARE | $285,431.7$ |
| DIRECTED MOTION | $255,821.6$ |
| POCKET | $247,392.7$ |
| AMUSE | $205,729.4$ |
| GIVE | $197,828.8$ |

Fit, and Cost. Intuitively speaking, the CARRY class is the most frequent (e.g., Smoking can impair the blood which carries oxygen to the brain; I carry sugar lumps around with me). However, since the Fit class (e.g., Thameslink presently carries 20,000 passengers daily) is larger than the CARRY class, it will be given a higher probability (. 45 versus .4 ). Our estimation scheme is clearly a simplification, but it is an empirical question how much it matters. Tables 5 and 6 show the ten most frequent classes as estimated using (15) and (16). We explore the contribution of the two estimation schemes for $P(c)$ in Experiments 1 and 2.

The probabilities $P(f \mid c)$ and $P(f \mid v)$ will be unreliable when the frequencies $F(f, v)$ and $F(f, c)$ are small and will be undefined when the frequencies are zero. Following Hindle and Rooth (1993), we smooth the observed frequencies as shown in Table 7. When $F(f, v)$ is zero, the estimate used is proportional to the average $\frac{F(f, V)}{F(V)}$ across

Table 7
Smoothed estimates.
(a) $P(f \mid v) \approx \frac{F(f, v)+\frac{F(f, V)}{F(V)}}{F(v)+1}$
(b) $\quad F(f, V)=\sum_{i} F\left(f, v_{i}\right)$
(c) $\quad P(f \mid c) \approx \frac{F(f, c)+\frac{F f, C)}{F(C)}}{F(c)+1}$
(d) $\quad F(C)=\sum_{i} F\left(f, c_{i}\right)$
all verbs. Similarly, when $F(f, c)$ is zero, our estimate is proportional to the average $\frac{F(f, C)}{F(C)}$ across all classes. We do not claim that this scheme is perfect, but any deficiencies it may have are almost certainly masked by the effects of approximations and simplifications elsewhere in the system.

We evaluated the performance of the model on all verbs listed in Levin (1993) that are polysemous (i.e., members of more than one class) and take frames characteristic of the widely studied dative and benefactive alternations (Pinker 1989; Boguraev and Briscoe 1989; Levin 1993; Goldberg 1995; Briscoe and Copestake 1999) and of the less well-known conative and possessor object alternations (see examples (1)-(4)). All four alternations seem fairly productive; that is, a large number of verbs undergo these alternations, according to Levin. A large number of classes license the frames that are relevant for these alternations and the verbs that inhabit these classes are likely to exhibit class ambiguity: 20 classes license the double object frame, 22 license the prepositional frame "NP1 V NP2 to NP3," 17 classes license the benefactive "NP1 V NP2 for NP3" frame, 118 (out of 200) classes license the transitive frame, and 15 classes license the conative "NP1 V at NP2" frame.

In Experiment 1 we use the model to test the hypothesis that subcategorization information can be used to disambiguate polysemous verbs. In particular, we concentrate on verbs like serve (see example (5)) that can be disambiguated solely on the basis of their frame. In Experiment 2 we focus on verbs that are genuinely ambiguous; that is, they inhabit a single frame and yet can be members of more than one semantic class (e.g., write, study, see examples (6)-(9)). In this case, we use the probabilistic model to assign a probability to each class the verb inhabits. The class with the highest probability represents the dominant meaning for a given verb.

## 3. Experiment 1: Using Subcategorization to Resolve Verb Class Ambiguity

### 3.1 Method

In this experiment we focused solely on verbs whose meaning can be potentially disambiguated by taking into account their subcategorization frame. A model that performs badly on this task cannot be expected to produce any meaningful results for genuinely ambiguous verbs.

We considered 128 verbs with the double-object frame ( 2.72 average class ambiguity), 101 verbs with the prepositional frame "NP1 V NP2 to NP3" ( 2.59 average class ambiguity), 113 verbs with the frame "NP1 V NP2 for NP3" (2.63 average class ambiguity), 42 verbs with the frame "NP1 V at NP3" ( 3.05 average class ambiguity), and 39 verbs with the transitive frame ( 2.28 average class ambiguity). The task was the following: Given that we know the frame of a given verb, can we predict its semantic class? In other words by varying the class $c$ in the term $P(c, f, v)$, we are trying to see whether the class that maximizes it is the one predicted by the lexical semantics and

Table 8
Model accuracy using equal distribution of verb frequencies for the estimation of $P(c)$.

| Frame | Baseline | Model |
| :--- | ---: | ---: |
| NP1 V NP2 NP3 | $60.9 \%$ | $93.8 \%$ |
| NP1 V NP to NP3 | $63.3 \%$ | $95.0 \%$ |
| NP1 V NP for NP3 | $63.6 \%$ | $98.2 \%$ |
| NP1 V at NP2 | $2.4 \%$ | $83.3 \%$ |
| NP1 V NP2 | $43.6 \%$ | $87.2 \%$ |
| Combined | $55.8 \%$ | $93.9 \%$ |

Table 9
Model accuracy using unequal distribution of verb frequencies for the estimation of $P(c)$.

| Frame | Baseline | Model |
| :--- | ---: | ---: |
| NP1 V NP2 NP3 | $62.5 \%$ | $93.8 \%$ |
| NP1 V NP to NP3 | $67.3 \%$ | $95.0 \%$ |
| NP1 V NP for NP3 | $66.4 \%$ | $98.2 \%$ |
| NP1 V at NP2 | $2.4 \%$ | $85.7 \%$ |
| NP1 V NP2 | $41.0 \%$ | $84.6 \%$ |
| Combined | $56.7 \%$ | $93.9 \%$ |

the argument structure of the verb in question. The model's responses were evaluated against Levin's (1993) classification. The model's performance was considered correct if it agreed with Levin in assigning a verb to an appropriate class given a particular frame. Recall from Section 2 that we proposed two approaches for the estimation of the class probability $P(c)$. We explore the influence of $P(c)$ by obtaining two sets of results corresponding to the two estimation schemes.

### 3.2 Results

The model's accuracy is shown in Tables 8 and 9. The results in Table 8 were obtained using the estimation scheme for $P(c)$ that relies on the even distribution of the frequency of a verb across its semantic classes (see equation (15)). The results in Table 9 were obtained using an alternative scheme that distributes verb frequency unequally among verb classes by taking class size into account (see equation (16)). As mentioned in Section 3.1, the results were based on comparison of the model's performance against Levin's (1993) classification. We also compared the results to the baseline of choosing the most likely class $P(c)$ (without taking subcategorization information into account). The latter was determined on the basis of the approximations described in Section 2 (see equation (9) in Table 2, as well as equations (15), (16), and (17)).

The model achieved an accuracy of $93.9 \%$ using either type of estimation for $P(c)$. It also outperformed the baseline by $38.1 \%$ (see Table 8 ) and $37.2 \%$ (see Table 9). One might expect an accuracy of $100 \%$, since these verbs can be disambiguated solely on the basis of their frame. However, the performance of our model achieves a lesser accuracy, mainly because of the way we estimate the terms $P(c)$ and $P(f \mid c)$ : We overemphasize the importance of class information without taking into account how individual verbs distribute across classes. Furthermore, we rely on frame frequencies acquired from the BNC, using shallow syntactic analysis, which means that the correspondence between

Levin's (1993) frames and our acquired frames is not one to one. Except for the fact that our frames do not preserve much of the linguistic information detailed Levin, the number of frames acquired for a given verb can be a subset or superset of the frames available in Levin. Note that the two estimation schemes yield comparable performances. This is a positive result given the importance of $P(c)$ in the estimation of $P(c, f, v)$.

A more demanding task for our probabilistic model will be with genuinely ambiguous verbs (i.e., verbs for which the mapping between meaning and subcategorization is not one to one). Although native speakers may have intuitions about the dominant interpretation for a given verb, this information is entirely absent from Levin (1993) and from the corpus on which our model is trained. In Experiment 2 we show how our model can be used to recover this information.

## 4. Experiment 2: Using Corpus Distributions to Derive Verb Class Preferences

### 4.1 Method

We evaluated the performance of our model on 67 genuinely ambiguous verbs, that is, verbs that inhabit a single frame and can be members of more than one semantic class (e.g., write). These verbs are listed in Levin (1993) and undergo the dative, benefactive, conative, and possessor object alternations. As in Experiment 1, we considered verbs with the double-object frame ( 3.27 average class ambiguity), verbs with the frame "NP1 V NP2 to NP3" (2.94 average class ambiguity), verbs with the frame "NP1 V NP2 for NP3" (2.42 average class ambiguity), verbs with the frame "NP1 V at NP3" ( 2.71 average class ambiguity), and transitive verbs ( 2.77 average class ambiguity). The model's predictions were compared against manually annotated data that was used only for testing purposes. The model was trained without access to a disambiguated corpus. More specifically, corpus tokens characteristic of the verb and frame in question were randomly sampled from the BNC and annotated with class information so as to derive the true distribution of the verb's classes in a particular frame. We describe the verb selection procedure as follows.

Given the restriction that these verbs be semantically ambiguous in a specific syntactic frame, we could not simply sample from the entire BNC, since this would decrease the chances of finding the verb in the frame we are interested in. Instead, a stratified sample was used: For all class-ambiguous verbs, tokens were randomly sampled from the parsed data used for the acquisition of verb frame frequencies. The model was evaluated on verbs for which a reliable sample could be obtained. This meant that verbs had to have a frame frequency larger than 50 . For verbs exceeding this threshold 100 tokens were randomly selected and annotated with verb class information. For verbs with frame frequency less than 100 and more than 50, no sampling took place; the entire set of tokens was manually annotated. This selection procedure resulted in 14 verbs with the double-object frame, 16 verbs with the frame "NP1 V NP2 to NP3," 2 verbs with the frame "NP1 V NP2 for NP3," 1 verb with the frame "NP1 V at NP3," and 80 verbs with the transitive frame. From the transitive verbs we further randomly selected 34 verbs; these were manually annotated and used for evaluating the model's performance. ${ }^{4}$

The selected tokens were annotated with class information by two judges, both linguistics graduate students. The classes were taken from Levin (1993) and augmented

4 Although the model can yield predictions for any number of verbs, evaluation could not be performed for all 80 verbs, as to perform such evaluation, our judges would have had to annotate 8,000 corpus tokens.
with the class OTHER, which was reserved for either corpus tokens that had the wrong frame or those for which the classes in question were not applicable. The judges were given annotation guidelines (for each verb) but no prior training (for details on the annotation study see Lapata [2001]). The annotation provided a gold standard for evaluating the model's performance and enabled us to test whether humans agree on the class annotation task. We measured the judges' agreement on the annotation task using the kappa coefficient (Cohen 1960). In general, the agreement on the class annotation task was good, with kappa values ranging from .66 to 1.00 (the mean kappa was $.80, S D=.09$ ).

### 4.2 Results

We counted the performance of our model as correct if it agreed with the "most preferred," that is, the most frequent, verb class, as determined in the manually annotated corpus sample by taking the average of the responses of both judges. As an example, consider the verb feed, which in the double-object frame is ambiguous between the classes Feed and Give. According to the model, Feed is the most likely class for feed. Out of 100 instances of the verb feed in the double-object frame, 61 were manually assigned the Feed class, 32 were assigned the Give class, and 6 were parsing mistakes (and therefore assigned the class OTHER). In this case the model's outcome is considered correct given that the corpus tokens also reveal a preference for the FEED (i.e., the FEED instances outnumber the Give ones).

As in Experiment 1, we explored the influence of the parameter $P(c)$ on the model's performance by obtaining two sets of results corresponding to the two estimation schemes discussed in Section 2. The model's accuracy is shown in Tables 10 and 11.
The results in Table 10 were obtained using the estimation scheme for $P(c)$ that relies on the even distribution of a verb's frequency across its semantic classes (see

Table 10
Model accuracy using equal distribution of verb frequencies for the estimation of $P(c)$.

| Frame | Baseline | Model |
| :--- | ---: | ---: |
| NP1 V NP2 NP3 | $50.0 \%$ | $78.6 \%$ |
| NP1 V NP to NP3 | $43.8 \%$ | $68.8 \%$ |
| NP1 V NP for NP3 | $00.0 \%$ | $100.0 \%$ |
| NP1 V at NP2 | $100.0 \%$ | $100.0 \%$ |
| NP1 V NP2 | $47.1 \%$ | $73.5 \%$ |
| Combined | $46.2 \%$ | $74.6 \%$ |

Table 11
Model accuracy using unequal distribution of verb frequencies for the estimation of $P(c)$.

| Frame | Baseline | Model |
| :--- | ---: | ---: |
| NP1 V NP2 NP3 | $50.0 \%$ | $78.6 \%$ |
| NP1 V NP to NP3 | $43.8 \%$ | $75.0 \%$ |
| NP1 V NP for NP3 | $00.0 \%$ | $100.0 \%$ |
| NP1 V at NP2 | $100.0 \%$ | $100.0 \%$ |
| NP1 V NP2 | $47.1 \%$ | $67.6 \%$ |
| Combined | $46.2 \%$ | $73.1 \%$ |

Table 12
Semantic preferences for verbs with the double-object frame.

equation (15)). The results in Table 11 were obtained using a scheme that distributes verb frequency unequally among verb classes by taking class size into account (see equation (16)). As in Experiment 1, the results were compared to a simple baseline that defaults to the most likely class without taking verb frame information into account (see equation (g) in Table 2 as well as equations (15), (16), and (17)).

The model achieved an accuracy of $74.6 \%$ using the estimation scheme of equal distribution and a accuracy of $73.1 \%$ using the estimation scheme of unequal distribution. The difference between the two estimation schemes is not statistically significant $\left(\chi^{2}(67)=2.17, p=.84\right)$. Table 12 gives the distribution of classes for 12 polysemous verbs taking the double-object frame as obtained from the manual annotation of corpus tokens together with interannotator agreement $(\kappa)$. We also give the (log-transformed) probabilities of these classes as derived by the model. ${ }^{5}$ The presence of the symbol $\sqrt{ }$ indicates that the model's class preference for a given verb agrees with its distribution in the corpus. The absence of $\sqrt{ }$ indicates disagreement. For the comparison shown in Table 12, model class preferences were derived using the equal-distribution estimation scheme for $P(c)$ (see equation (15)).

As shown in Table 12, the model's predictions are generally borne out in the corpus data. Misclassifications are due mainly to the fact that the model does not take verb class dependencies into account. Consider, for example, the verb cook. According to the model the most likely class for cook is Build. Although it may generally be the case that Build verbs (e.g., make, assemble, build) are more frequent than Prepare verbs

[^3](e.g., bake, roast, boil), the situation is reversed for cook. The same is true for the verb shoot, which when attested in the double-object frame is more likely to be a Throw verb (Jamie shot Mary a glance) rather than a Get verb (I will shoot you two birds).

Notice that our model is not context sensitive; that is, it does not derive class rankings tailored to specific verbs, primarily because this information is not readily available in the corpus, as explained in Section 2. However, we have effectively built a prior model of the joint distribution of verbs, their classes, and their syntactic frames that can be useful for disambiguating polysemous verbs in context. We describe our class disambiguation experiments as follows.

## 5. Class Disambiguation

In the previous sections we focused on deriving a model of the distribution of Levin classes without relying on annotated data and showed that this model infers the right class for genuinely ambiguous verbs $74.6 \%$ of the time without taking the local context of their occurrence into account. An obvious question is whether this information is useful for disambiguating tokens rather than types. In the following we report on a disambiguation experiment that takes advantage of this prior information.

Word sense disambiguation is often cast as a problem in supervised learning, where a disambiguator is induced from a corpus of manually sense-tagged text. The context within which the ambiguous word occurs is typically represented by a set of linguistically motivated features from which a learning algorithm induces a representative model that performs the disambiguation. A variety of classifiers have been employed for this task (see Mooney [1996] and Ide and Veronis [1998] for overviews), the most popular being decision lists (Yarowsky 1994, 1995) and naive Bayesian classifiers (Pedersen 2000; Ng 1997; Pedersen and Bruce 1998; Mooney 1996; Cucerzan and Yarowsky 2002). We employed a naive Bayesian classifier (Duda and Hart 1973) for our experiments, as it is a very convenient framework for incorporating prior knowledge and studying its influence on the classification task. In Section 5.1 we describe a basic naive Bayesian classifier and show how it can be extended with informative priors. In Section 5.2 we discuss the types of contextual features we use. We report on our experimental results in Section 6.

### 5.1 Naive Bayes Classification

A naive Bayesian classifier assumes that all the feature variables representing a problem are conditionally independent, given the value of the classification variable. In word sense disambiguation, the features $\left(a_{1}, a_{2}, \ldots, a_{n}\right)$ represent the context surrounding the ambiguous word, and the classification variable $c$ is the sense (Levin class in our case) of the ambiguous word in this particular context. Within a naive Bayes approach, the probability of the class $c$ given its context can be expressed as

$$
\begin{equation*}
P\left(c \mid a_{i}\right)=\frac{P(c) \prod_{i=1}^{n} P\left(a_{i} \mid c\right)}{P\left(a_{i}\right)} \tag{18}
\end{equation*}
$$

where $P\left(a_{i} \mid c\right)$ is the probability that a test example is of class $c$ given the contextual features $a_{i}$. Since the denominator $P\left(a_{i}\right)$ is constant for all classes $c$, the problem reduces to finding the class $c$ with the maximum value for the numerator:

$$
\begin{equation*}
P\left(c \mid a_{i}\right) \approx P(c) \prod_{i=1}^{n} P\left(a_{i} \mid c\right) \tag{19}
\end{equation*}
$$

If we choose the prior $P(c)$ to be uniform $\left(P(c)=\frac{1}{|c|}\right.$ for all $\left.c \in C\right)$, (19) can be further simplified to

$$
\begin{equation*}
P(c \mid a) \approx \prod_{i=1}^{n} P\left(a_{i} \mid c\right) \tag{20}
\end{equation*}
$$

Assuming a uniform prior, a basic naive Bayesian classifier is as follows:

$$
\begin{equation*}
* c=\prod_{i=1}^{n} P\left(a_{i} \mid c\right) \tag{21}
\end{equation*}
$$

Note, however, that we developed in the previous section two types of nonuniform prior models. The first model derives $P(c)$ heuristically from the BNC, ignoring the identity of the polysemous verb and its subcategorization profile, and the second model estimates the class distribution $P(c, v, f)$ by taking the frame distribution into account. So, the naive Bayesian classifier in (21) can be extended with a nonuniform prior:

$$
\begin{gather*}
* c=P(c) \prod_{i=1}^{n} P\left(a_{i} \mid c\right)  \tag{22}\\
* c=P(c, v, f) \prod_{i=1}^{n} P\left(a_{i} \mid c, f, v\right) \tag{23}
\end{gather*}
$$

where $P(c)$ is estimated as shown in $(\mathrm{d})-(\mathrm{g})$ in Table 2 and $P(c, v, f)$, the prior for each class $c$ corresponding to verb $v$ in frame $f$, is estimated as explained in Section 2 (see (13)). As before, $a_{i}$ are the contextual features. The probabilities $P\left(a_{i} \mid c\right)$ and $P\left(a_{i} \mid c, f, v\right)$ can be estimated from the training data simply by counting the cooccurrence of feature $a_{i}$ with class $c$ (for (22)) or the co-occurrence of $a_{i}$ with class $c$, verb $v$, and frame $f$ (for (23)). For features that have zero counts, we use add-k smoothing (Johnson 1932), where $k$ is a number less than one.

### 5.2 Feature Space

As is common in word sense disambiguation studies, we experimented with two types of context representations, collocations and co-occurrences. Co-occurrences simply indicate whether a given word occurs within some number of words to the left or right of an ambiguous word. In this case the contextual features are binary and represent the presence or absence of a particular word in the current or preceding sentence. We used four types of context in our experiments: left context (i.e., words occurring to the left of the ambiguous word), right context (i.e., words occurring to the right of the ambiguous word), the current sentence (i.e., words surrounding the ambiguous word), and the current sentence together with its immediately preceding sentence. Punctuation and capitalization were removed from the windows of context; noncontent words were included. The context words were represented as lemmas or parts of speech.

Collocations are words that are frequently adjacent to the word to be disambiguated. We considered 12 types of collocations. Examples of collocations for the verb write are illustrated in Table 13. The L columns in the table indicate the number of words to the left of the ambiguous words, and the R columns, the number of words to the right. So for example, the collocation 1L3R represents one word to the left and three words to the right of the ambiguous word. Collocations again were represented as lemmas (see Table 13) or parts of speech.

Table 13
Features for collocations.


## 6. Experiment 3: Disambiguating Polysemous Verbs

### 6.1 Method

We tested the performance of our naive Bayesian classifiers on the 67 genuinely ambiguous verbs on which the prior models were tested. Recall that these models were trained without access to a disambiguated corpus, which was used only to determine for a given verb and its frame its most likely meaning overall (i.e., across the corpus) instead of focusing on the meaning of individual corpus tokens. The same corpus was used for the disambiguation of individual tokens, excluding tokens assigned the class Other. The naive Bayes classifiers were trained and tested using 10-fold crossvalidation on a set of 5,002 examples. These were representative of the frames "NP1 V NP2," "NP1 V NP2 NP3," "NP1 V NP2 to NP3," and "NP1 V NP2 for NP3." The frame "NP1 V at NP2" was excluded from our disambiguation experiments as it was represented solely by the verb kick (50 instances).

In this study we compare a naive Bayesian classifier that relies on a uniform prior (see (20)) against two classifiers that make use of nonuniform prior models: The classifier in (22) effectively uses as prior the baseline model $P(c)$ from Section 2, whereas the classifier in (23) relies on the more informative model $P(c, f, v)$. As a baseline for the disambiguation task, we simply assign the most common class in the training data to every instance in the test data, ignoring context and any form of prior information (Pedersen 2001; Gale, Church, and Yarowsky 1992a). We also report an upper bound on disambiguation performance by measuring how well human judges agree with one another (percentage agreement) on the class assignment task. Recall from Section 4.1 that our corpus was annotated by two judges with Levin-compatible verb classes.

### 6.2 Results

The results of our class disambiguation experiments are summarized in Figures 2-5. In order to investigate differences among different frames, we show how the naive Bayesian classifiers perform for each frame individually. Figures 2-5 ( $x$-axis) also reveal the influence of collocational features of different sizes (see Table 13) on the classification task. Panel (b) in the figures presents the classifiers' accuracy when the collocational features are encoded as lemmas; in panel (c) of the figures, the context is represented as parts of speech, whereas in panel (a) of the figures, the context is represented by both lemmas and parts of speech.

As can be seen in the figures, the naive Bayesian classifier with our informative prior $(P(c, f, v)$, IPrior in Figures 2-5) generally outperforms the baseline prior $(P(c)$, BPrior in Figures $2-5$ ), the uniform prior (UPrior in Figures $2-5$ ), and the baseline (Baseline in Figures 2-5) for all frames. Good performances are attained with


Figure 2
Word sense disambiguation accuracy for "NP1 V NP2" frame.


Figure 3
Word sense disambiguation accuracy for "NP1 V NP2 NP3" frame.


Figure 4
Word sense disambiguation accuracy for "NP1 V NP2 to NP3" frame.
lemmas, parts of speech, and combination of the two. The naive Bayesian classifier (IPrior) reaches the upper bound (UpBound in Figures 2-5) for the ditransitive frames "NP1 V NP2 NP3," "NP1 V NP2 to NP3," and "NP1 V NP2 for NP3."

The best accuracy ( $87.8 \%$ ) for the transitive frame is achieved with the collocational features 0L2R, 1L2R, and 1L3R (see Figures 2(a)-(c)). For the double-object frame, the highest accuracy ( $90.8 \%$ ) is obtained with features 0LR1 and 0L3R (see Figures 3(b) and 3(c)). Similarly, for the ditransitive "NP1 V NP2 to NP3" frame, the features 0L3R and 0L1R yield the best accuracies (88.8\%, see Figures 4(a)-(c)). Finally, for the "NP1 V NP2 for NP3" frame, accuracy ( $94.4 \%$ ) is generally good for most features when an informative prior is used. In fact, neither the uniform prior nor the baseline $P(c)$ outperforms the baseline for this frame.


Figure 5
Word sense disambiguation accuracy for "NP1 V NP2 for NP3" frame.

The context encoding (lemmas versus parts of speech) does not seem to have a great influence on the disambiguation performance. Good accuracies are obtained with either parts of speech or lemmas; combination of the two does not yield better results.

The classifier with the informative prior $P(c, f, v)$ outperforms the baseline prior $P(c)$ and the uniform prior also when co-occurrences are used. However, the cooccurrences never outperform the collocational features, for all four types of context. The classifiers (regardless of the type of prior being used) never beat the baseline for the frames "NP1 V NP2" and "NP1 V NP2 to NP3". Accuracies above the baseline are achieved for the frames "NP1 V NP2 NP3" and "NP1 V NP2 for NP3" when an informative prior is used. Detailed results are summarized in the Appendix. Cooccurrences and windows of large sizes traditionally work well for topical distinctions (Gale, Church, and Yarowsky 1992b). Levin classes, however, typically capture differences in argument structure, that is, the types of objects or subjects that verbs select for. Argument structure is approximated by our collocational features. For example, a verb often taking a reflexive pronoun as its object is more likely to be a Reflexive Verb of Appearance than a verb that never subcategorizes for a reflexive object. There is not enough variability among the wider contexts surrounding a polysemous verb to inform the class-disambiguation task, as the Levin classes often do not cross topical boundaries.

## 7. Discussion

In this article, we have presented a probabilistic model of verb class ambiguity based on Levin's (1993) semantic classification. Our results show that subcategorization information acquired automatically from corpora provides important cues for verb class disambiguation (Experiment 1). In the absence of subcategorization cues, corpus-based distributions and quantitative approximations of linguistic concepts can be used to derive a preference ordering on the set of verbal meanings (Experiment 2). The semantic preferences that we have generated can be thought of as default semantic knowledge, to be used in the absence of any explicit contextual or lexical semantic information to the contrary (see Table 12). We have also shown that these preferences are useful for disambiguating polysemous verbs within their local contexts of occurrence (Experiment 3).

The approach is promising in that it achieves satisfactory results with a simple model that has a straightforward interpretation in a Bayesian framework and does not
rely on the availability of annotated data. The model's parameters are estimated using simple distributions that can be extracted easily from corpora. Our model achieved an accuracy of $93.9 \%$ (over a baseline of $56.7 \%$ ) on the class disambiguation task (Experiment 1) and an accuracy of $74.6 \%$ (over a baseline of $46.2 \%$ ) on the task of deriving dominant verb classes (Experiment 2). Our disambiguation experiments reveal that this default semantic knowledge, when incorporated as a prior in a naive Bayes classifier, outperforms the uniform prior and the baseline of always defaulting to the most frequent class (Experiment 3). In fact, for three out of the four frames under study, our classifier with the informative prior achieved upper-bound performance.

Although our results are promising, it remains to be shown that they generalize across frames and alternations. Four types of alternations were investigated in this study. However, Levin lists 79 alternations and approximately 200 classes. Although distributions for different class/frame combinations can easily be derived automatically, it remains to be shown that these distributions are useful for all verbs, frames, and classes. Also note that the models described in the previous sections crucially rely on the acquisition of relatively accurate frames from the corpus. It is a matter of future work to examine how the quality of the acquired frames influences the disambiguation task. Also, the assumption that the semantic class determines the subcategorization patterns of its class members independently of their identity may not be harmless for all classes and frames.

Although our original aim was to develop a probabilistic framework that exploits Levin's (1993) linguistic classification and the systematic correspondence between syntax and semantics, a limitation of the model is that it cannot infer class information for verbs not listed in Levin. For these verbs, $P(c)$, and hence $P(c, f, v)$, will be zero. Recent work in computational linguistics (e.g., Schütze 1998) and cognitive psychology (e.g., Landauer and Dumais 1997) has shown that large corpora implicitly contain semantic information, which can be extracted and manipulated in the form of co-occurrence vectors. One possible approach would be to compute the centroid (geometric mean) of the vectors of all members of a semantic class. Given an unknown verb (i.e., a verb not listed in Levin), we can decide its semantic class by comparing its semantic vector to the centroids of all semantic classes. For example, we could determine class membership on the basis of the distance to the closest centroid representing a semantic class (see Patel, Billinaria, and Levy [1998] for a proposal similar in spirit). Another approach put forward by Dorr and Jones (1996) utilizes WordNet (Miller and Charles 1991) to find similarities (via synonymy) between unknown verbs and verbs listed in Levin. Once we have chosen a class for an unknown verb, we are entitled to assume that it will share the broad syntactic and semantic properties of that class.

## 8. Related Work

Levin's (1993) seminal study on diathesis alternations and verb semantic classes has recently influenced work in dictionary creation (Dorr 1997; Dang et al. 1998; Dorr and Jones 1996) and notably lexicon acquisition on the basis of the assumption that verbal meaning can be gleaned from corpora using cues pertaining to syntactic structure (Merlo and Stevenson 2001; Schulte im Walde 2000; Lapata 1999; McCarthy 2000). Previous work in word sense disambiguation has not tackled explicitly the ambiguity problems arising from Levin's classification, although methods for deriving informative priors in an unsupervised manner have been proposed by Ciaramita and Johnson (2000) and Chao and Dyer (2000) within the context of noun and adjective sense disambiguation, respectively. In this section we review related work on classification and lexicon acquisition and compare it to our own work.

Dang et al. (1998) observe that verbs in Levin's (1993) database are listed in more than one class. The precise meaning of this ambiguity is left open to interpretation in Levin, as it may indicate that the verb has more than one sense or that one sense (i.e., class) is primary and the alternations for this class should take precedence over the alternations for the other classes for which the verb is listed. Dang et al. augment Levin's semantic classes with a set of "intersective" classes that are created by grouping together sets of existing classes that share a minimum of three overlapping members. Intersective classes are more fine-grained than the original Levin classes and exhibit more-coherent sets of syntactic frames and associated semantic components. Dang et al. further argue that intersective classes are more compatible with WordNet than the broader Levin classes and thus make it possible to attribute the semantic components and associated sets of syntactic frames to specific WordNet senses as well, thereby enriching the WordNet representation and providing explicit criteria for word sense disambiguation.

Most statistical approaches, including ours, treat verbal-meaning assignment as a semantic classification task. The underlying question is the following: How can corpus information be exploited in deriving the semantic class for a given verb? Despite the unifying theme of using corpora and corpus distributions for the acquisition task, the approaches differ in the inventory of classes they employ, in the methodology used for inferring semantic classes, and in the specific assumptions concerning the verbs to be classified (e.g., can they be polysemous or not).

Merlo and Stevenson (2001) use grammatical features (acquired from corpora) to classify verbs into three semantic classes: unergative, unaccusative, and object drop. These classes are abstractions of Levin's (1993) classes and as a result yield a coarser classification. For example, object-drop verbs comprise a variety of Levin classes such as Gesture verbs, Caring verbs, Load verbs, Push-Pull verbs, Meet verbs, Social Interaction verbs, and Amuse verbs. Unergative, unaccusative, and object-drop verbs have identical subcategorization patterns (i.e., they alternate between the transitive and intransitive frame), yet distinct argument structures, and therefore differ in the thematic roles they assign to their arguments. For example, when attested in the intransitive frame, the subject of an object-drop verb is an agent, whereas the subject of an unaccusative verb is a theme. Under the assumption that differences in thematic role assignment uniquely identify semantic classes, numeric approximations of argument structure are derived from corpora and used in a machine-learning paradigm to place verbs in their semantic classes. The approach is evaluated on 59 verbs manually selected from Levin ( 20 unergatives, 20 object drops, and 19 unaccusatives). It is assumed that these verbs are monosemous, that is, they can be ergative, unergative, or object drop. A decision-tree learner achieves an accuracy of $69.8 \%$ on the classification task over a chance baseline of $34 \%$.

Schulte im Walde (2000) uses subcategorization information and selectional restrictions to cluster verbs into Levin (1993)-compatible semantic classes. Subcategorization frames are induced from the BNC using a robust statistical parser (Carroll and Rooth 1998). The selectional restrictions are acquired using Resnik's (1993) informationtheoretic measure of selectional association, which combines distributional and taxonomic information (e.g., WordNet) to formalize how well a predicate associates with a given argument. Two sets of experiments are run to evaluate the contribution of selectional restrictions using two types of clustering algorithms: iterative clustering and latent-class clustering (see Schulte im Walde [2000] for details). The approach is evaluated on 153 verbs taken from Levin, 53 of which are polysemous (i.e., belong to more than one class). The size of the derived clusters is restricted to four verbs and compared to Levin: Verbs are classified correctly if they are members of a nonsingleton cluster
that is a subset of a Levin class. Polysemous verbs can be assigned to distinct clusters only using the latent-class clustering method. The best results achieve a recall of $36 \%$ and a precision of $61 \%$ (over a baseline of $5 \%$, calculated as the number of randomly created clusters that are subsets of a Levin class) using subcategorization information only and iterative clustering. Inclusion of information about selectional restrictions yields a lower accuracy of $38 \%$ (with a recall of $20 \%$ ), again using iterative clustering.

Dorr and Jones (1996) use Levin's (1993) classification to show that there is a predictable relationship between verbal meaning and syntactic behavior. They create a database of Levin verb classes and the sentences exemplifying them (including both positive and negative examples, i.e., examples marked with asterisks). A parser is used to extract basic syntactic patterns for each semantic class. These patterns form the syntactic signature of the class. Dorr and Jones show that $97.9 \%$ of the semantic classes can be identified uniquely by their syntactic signatures. Grouping verbs (instead of classes) with identical signatures to form a semantic class yields a $6.3 \%$ overlap with Levin classes. Dorr and Jones's results are somewhat difficult to interpret, since in practice information about a verb and its syntactic signature is not available, and it is precisely this information that is crucial for classifying verbs into Levin classes. Schulte im Walde's study and our own study show that acquisition of syntactic signatures (i.e., subcategorization frames) from corpora is feasible; however, these acquired signatures are not necessarily compatible with Levin and in most cases will depart from those derived by Dorr and Jones, as negative examples are not available in real corpora.

Ciaramita and Johnson (2000) propose an unsupervised Bayesian model for disambiguating verbal objects that uses WordNet's inventory of senses. For each verb the model creates a Bayesian network whose architecture is determined by WordNet's hierarchy and whose parameters are estimated from a list of verb-object pairs found in a corpus. A common problem for unsupervised models trained on verb-object tuples is that the objects can belong to more than one semantic class. The class ambiguity problem is commonly resolved by considering each observation of an object as evidence for each of the classes the word belongs to. The formalization of the problem in terms of Bayesian networks allows the contribution of different senses to be weighted via explaining away (Pearl 1988): If $A$ is a hyponym of $B$ and $C$ is a hyponym of $B$, and $B$ is true, then finding that $C$ is true makes $A$ less likely.

Prior knowledge about the likelihoods of concepts is hand coded in the network according to the following principles: (1) It is unlikely that any given class will be a priori selected for; (2) if a class is selected, then its hyponyms are also likely to be selected; (3) a word is likely as the object of a verb, if at least one of its classes is selected for. Likely and unlikely here correspond to numbers that sum up to to one. Ciaramita and Johnson show that their model outperforms other word sense disambiguation approaches that do not make use of prior knowledge.

Chao and Dyer (2000) propose a method for the disambiguation of polysemous adjectives in adjective-noun combinations that also uses Bayesian networks and WordNet's taxonomic information. Prior knowledge about the likelihood of different senses or semantic classes is derived heuristically by submitting queries (e.g., great hurricane) to the AltaVista search engine and extrapolating from the number of returned documents the frequency of the adjective-noun pair (see Mihalcea and Moldovan [1998] for details of this technique). For each polysemous adjective-noun combination, the synonyms representative of each sense are retrieved from WordNet (e.g., \{great, large, big\} vs. \{great, neat, good\}). Queries are submitted to AltaVista for each synonym-noun pair; the number of documents returned is used then as an estimate of how likely the different adjective senses are. Chao and Dyer obtain better results when prior knowledge is factored into their Bayesian network.

Our work focuses on the ambiguity inherently present in Levin's (1993) classification. The problem is ignored by Merlo and Stevenson (2001), who focus only on monosemous verbs. Polysemous verbs are included in Schulte im Walde's (2000) experiments: The clustering approach can go so far as to identify more than one class for a given verb without, however, providing information about its dominant class. We recast Levin's classification in a statistical framework and show in agreement with Merlo and Stevenson and Schulte im Walde that corpus-based distributions provide important information for semantic classification, especially in the case of polysemous verbs whose meaning cannot be easily inferred from the immediate surrounding context (i.e., subcategorization). We additionally show that the derived model is useful not only for determining the most likely overall class for a given verb (i.e., across the corpus), but also for disambiguating polysemous verb tokens in context.

Like Schulte im Walde (2000), our approach relies on subcategorization frames extracted from the BNC (although using a different methodology). We employ Levin's inventory of semantic classes, arriving at a finer-grained classification than Merlo and Stevenson (2001). In contrast to Schulte im Walde, we do not attempt to discover Levin classes from corpora; instead, we exploit Levin's classification and corpus frequencies in order to derive a distribution of verbs, classes, and their frames that is not known a priori but is approximated using simplifications. Our approach is not particularly tied to Levin's exact classification. We have presented in this article a general framework that could be extended to related classifications such as the semantic hierarchy proposed by Dang et al. (1998). In fact the latter may be more appropriate than Levin's original classification for our disambiguation experiments, as it is based on a tighter correspondence between syntactic frames and semantic components and contains links to the WordNet taxonomy.

Prior knowledge with regard to the likelihood of polysemous verb classes is acquired automatically in an unsupervised manner by combining corpus frequencies estimated from the BNC and information inherent in Levin. The models proposed by Chao and Dyer (2000) and Ciaramita and Johnson (2000) are not directly applicable to Levin's classification, as the latter is not a hierarchy (and therefore not a DAG) and cannot be straightforwardly mapped into a Bayesian network. However, in agreement with Chao and Dyer and Ciaramita and Johnson, we show that prior knowledge about class preferences improves word sense disambiguation performance.

Unlike Schulte im Walde (2000) and Merlo and Stevenson (2001), we ignore information about the arguments of a given verb in the form of either selectional restrictions or argument structure while building our prior models. The latter information is, however, indirectly taken into account in our disambiguation experiments: The verbs' arguments are features for our naive Bayesian classifiers. Such information can be also incorporated into the prior model in the form of conditional probabilities, where the verb is, for example, conditioned on the thematic role of its arguments if this is known (see Gildea and Jurafsky [2000] for a method that automatically labels thematic roles). Unlike Stevenson and Merlo, Schulte im Walde, and Dorr and Jones (1996), we provide a general probabilistic model that assigns a probability to each class of a given verb by calculating the probability of a complex expression in terms of the probability of simpler expressions that compose it. We further show that this model is useful for disambiguating polysemous verbs in context.

## Appendix: Disambiguation Results with Co-occurrences

Figures 6-9 show the performances of our naive Bayesian classifier when co-occurrences are used as features. We experimented with four types of context: left context (Left),
right context (Right), sentential context (Sentence), and the sentence within which the ambiguous verb is found together with its immediately preceding sentence (PSentence). The context was encoded as lemmas or parts of speech.


Figure 6
Word sense disambiguation accuracy for "NP1 V NP2" frame.


Figure 7
Word sense disambiguation accuracy for "NP1 V NP2 NP3" frame.
(a)

(b)


Figure 8
Word sense disambiguation accuracy for "NP1 V to NP2 NP3" frame.


Figure 9
Word sense disambiguation accuracy for "NP1 V for NP2 NP3" frame.

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    1 At is the most likely choice, but for some conative verbs the preposition is instead on or onto.

[^1]:    2 Unless otherwise stated, our example sentences were taken (possibly in simplified form) from the BNC

[^2]:    3 Our use of ambiguity classes is inspired by a similar use in hidden Markov model-based part-of-speech tagging (Kupiec 1992).

[^3]:    5 No probabilities are given for the Other class; this is not a Levin class, however, it was used by the annotators, mainly to indicate parsing errors.

