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# Wave Buoy Measurements at Short Fetches in the Black Sea Nearshore: Mixed Sea and Energy Fluxes

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Abstract: Wave buoy measurements were carried out near the northeastern Black Sea coast at the natural reserve Utrish in 2020–2021. In total, about 11 months of data records were collected during two stages of the experiment at 600 and 1500 m offshore and depths of 18 and 42 m. The measured waves propagate almost exclusively from the seaward directions. Generally, the waves do not follow the local wind directions, thus, implying a mixed sea state. Nevertheless, dimensionless wave heights and periods appears to be quite close to the previously established empirical laws for the wind-driven seas. The results of the wave turbulence theory are applied for estimates of spectral energy fluxes and their correspondence to the energy flux from the turbulent wind pulsations. These estimates are consistent with today's understanding of wind–wave interaction. It is shown that the main fraction of the wind energy flux is sent to the direct Kolmogorov–Zakharov cascade to high wave frequencies and then dissipates in small amounts. Less than 1% of the wind energy flux is directed to the low frequency band (the so-called inverse Kolmogorov–Zakharov cascade), thus, providing wave energy growth.

**Keywords:** nearshore; wind-driven waves; swell; mixed (crossing) sea; wave spectra; Kolmogorov–Zakharov spectra; Black Sea; Utrish Nature Reserve

## 1. Introduction

Experimental in situ measurements of sea surface parameters are extremely important for sea state monitoring, forecasting and marine safety. Understanding significant wave heights and characteristic periods is recognized as essential for many problems with wave forecasting (see [1]), marine safety (e.g., [2]), calibration of satellite altimeters [3,4], etc. Spectral characteristics measured by wave buoys are of special value both for operational needs and for fundamental studies of the ocean environment (e.g., [5,6]). Being an inherently point-wise tool, wave buoys, with their capability to measure wave field directionality and energy distribution in wave scales, can provide information on the wave field at large distances from their location. Potentially, partitioning of the experimentally obtained spectra [7] allows one to identify positions and physical characteristics of wave sources, e.g., distant storms (e.g., [8]). Thus, long enough measurements from even a single wave buoy can provide essential information on the dynamics of a rather large water area.

Waves in the Black Sea region can be regarded as well-studied. The numerical modeling with WaveWatchIII, WAM, and SWAN (e.g., [9–14], etc.) reflects general features of wave dynamics in the whole area of the Black Sea. The authors of [15] studied climate variations of wave parameters at the inlet of Novorossiysk bay using the DHI MIKE 21 SW spectral wave model. Field measurements were carried out in the nearshore areas of the



Citation: Rybalko, A.; Myslenkov, S.; Badulin, S. Wave Buoy Measurements at Short Fetches in the Black Sea Nearshore: Mixed Sea and Energy Fluxes. *Water* **2023**, *15*, 1834. https://doi.org/10.3390/w15101834

Academic Editor: Diego Vicinanza

Received: 6 April 2023 Revised: 2 May 2023 Accepted: 9 May 2023 Published: 11 May 2023



**Copyright:** © 2023 by the authors. Licensee MDPI, Basel, Switzerland. This article is an open access article distributed under the terms and conditions of the Creative Commons Attribution (CC BY) license (https:// creativecommons.org/licenses/by/ 4.0/). cities of Anapa, Novorossiysk, Gelendzhik, and Sochi (e.g., [16–20], etc.) at 5–10 km distances. Shorter distances are critical because of intensive navigation near the cities. The steep bottom slope in the area (8–10 km from the coastline) limits longer distances. There are fewer works on wind spectra in the Black Sea (e.g., [21,22], etc.). The data of the NATO TU-WAVES Project obtained with the DATAWELL buoy for the years 1996–2003 represent a unique long-term record that provide a solid basis for studies of climate variability and extreme events in the area affected by strong offshore winds (bora) (data are available in [23]).

The Utrish buoy data of this study can be regarded as a specific case because of their very short distances from the coast. Attempts to assess the quality of wave models [24–27] with these data showed a deficiency of the models and the necessity of special tuning of both wind and wave blocks for the nearshore conditions. Wave modeling in inner water bodies also faces these problems [28,29]. One can see a similar deficiency in understanding wave physics at very short fetches in experimental studies (e.g., [30–32]).

Results of extensive wave buoy measurements in a close vicinity to the Iranian coast have been presented recently [33–36]. These experiments fixed two essential features. First, the mixed sea state is dominating in the region. Secondly, the wind-driven and swell wave systems can be discriminated easily by the difference of wave periods (see Figure 3 in [33]). The formal fit by a superpositions of a number of JONSWAP-like (e.g., [33]) and/or Gaussian distributions [36] can be carried out successfully because of the essential difference in periods of swell and wind-driven wave systems. This is not present in our case where the ubiquitous mixed sea state of the nearshore zone cannot be decomposed easily. Close scales of wind waves and swell and rather fast switching between different wind directions make the physical analysis difficult. Mismatch of wave and wind directions becomes the main criterion of wave system discrimination.

In this paper, we present an analysis of wave buoy measurements in the northeastern Black Sea nearshore (Caucasian coast) for about a one-year period in 2020–2021. Rather short distances from the mountainous coast (600 and 1500 m) impose specific difficulties in acquiring the data, as well as their analysis and interpretation. Wind speed measurements at the site were not carried out because of technical issues of the gauge installation in the harsh sea state conditions of the nearshore area. The corresponding parameters, wind speed and direction, were taken from the nearest weather station, located in Anapa city, about 20 km from the buoy site. Different orography of buoy and the weather station location and significant distance between these two points prompted us to use additional wind data from the results of the numerical model (reanalysis). The nearest marine node about 16 km off the buoy site was taken. The wind shading by the coastal orography requires an accurate account in this case. The dominating mixed sea state in the area under study also contributes to uncertainties in the analysis and interpretation. Possible effects of wave refraction on the coastal currents and bathymetry are found to be quite weak but still observable in the wave buoy records. In our study, all the listed problems are resolved by synthesizing theoretical knowledge of dynamics of wind-driven seas and data from different sources: experimental data (buoy wave data and weather station wind data) and reanalysis data. The wind reanalysis data was taken from the NCEP/CFSRv2, and wave reanalysis was computed with the wave model WavewatchIII (see Materials and Methods section). The synthesis of different approaches is essential for this study.

The experimental site is located at the natural reserve Utrish [37]. The issues of coastal environment safety, climate changes, and minimizing risks of nearshore navigation are additional challenges.

This paper is aiming to fill the gap in understanding of wave physics at very short distances from the coast by analyzing the unique data of the Utrish wave buoy. The existing concepts of wind-driven seas are based on the idea of a balance of different physical mechanisms. Empirical laws of wave growth for integral parameters, significant wave height ( $H_s$ ), and characteristic period, play an important role in providing a reference for new experimental studies and verification of the forecasting models. More detailed

consideration of spectral distributions gives another reference in wave studies: widely used parameterizations of wave spectra (e.g., JONSWAP spectrum [38]). The idea of shape-invariance of wave spectra [39] appears quite naturally but cannot find its explanation within conventional concept of wind–wave balance. Further development of the idea within the theory of weak turbulence leads to the concept of self-similarity of wave growth (e.g., [40,41]) under certain physical constraints. The very important question of our study is whether these conditions can be realized at relatively short spatial and temporal scales of the experimental nearshore site. The synthesis of available experimental data and theoretical analysis allows one to propose answers to this question.

The paper is organized as follows. In Section 2, we summarize available data on wind and wave conditions in the study area. The experimental setup and the collected data structure are described. Basic theoretical relationships for dimensionless parameters of sea waves are presented following the similarity approach by Kitaigorodskii [42]. The recent idea to use wave spectra for retrieval wind speed characteristics [43] is treated within the recent advances of the weak turbulence theory [44].

Section 3 presents data analysis within two paradigms. The conventional approach based on wind speed scaling allows one to relate results with previously established semiempirical relationships between dimensionless wave height and period. The recent results of the theory of weak turbulence provide estimates of energy spectral fluxes that do not imply empirical parameters and, thus, give new essential physical results.

The discussion section summarizes the results and overviews the prospects of further studies.

# 2. Materials and Methods

In this section, we present the description of experimental and historical data on features of wind–wave coupling in the study area of the northeastern part of the Black Sea. The theoretical background is recapitulated for further synthesis of different types of data.

#### 2.1. Study Area General Description

The study area is situated in the northeastern part of the Black Sea (see Figure 1a). The northern part of the Main Caucasian Ridge is an important climate-forming factor that controls the land–sea exchange of air masses. An extreme manifestation of the complex air circulation system in this area is known as the Novorossiysk bora [17]. During these events, local winds can exceed 40 m/s with wind gusts up to 100 m/s [45].

The coast between the cities Anapa and Novorossiysk is hilly and strongly dissected (see Figure 1a). There is an alternation of low eroded capes and pebble beaches. Low mountains in the coastal zone have heights from 320 m to 550 m. There is a steep cliff 30–50 m high, which can create a wind shadow. The underwater coastal slope is a rocky bench with numerous banks and depressions [46]. Approximately one-third of the coast belongs to the Utrish reserve where the measurements were carried out. Near the buoy site, the bottom forms an area of relatively large depth (see Figure 1b). From the southeastern side, this area is approached by a rocky ridge, which was discovered during a high-resolution sounding from a small vessel.

Northeastern winds dominate in this part of the Black Sea, especially in the cold seasons. In springtime, southeastern and southern winds become more frequent. Then, winds change for east and southeast directions during summer time [17,47]. The mean wind speed in the Anapa–Novorossiysk region is about 6 m/s. As mentioned above, a distinctive feature of the Anapa–Novorossiysk–Tuapse region is a strong northeast wind, which is called bora. The number of days with bora annually is 21, most of which occur in the cold half of the year [47].

Breeze, especially during summer, is another feature of the Caucasian coast. Breezes are usually well-expressed in stable anticyclonic weather. The coastal breeze is weaker than the sea breeze since the nighttime temperature contrast between the shore and the sea is much less than the daytime one. In the sea, the coastal breeze extends to a distance of 8–10 km [47].

As to the wave climate in the study area, the mean  $H_s$  is 0.6–0.9 m and mean wave periods are about 3.5 s, which correspond to rather short waves of about 15 m. Extreme values of winter storms reach 7–8 m for  $H_s$  and 10 s for wave period (about 150 m wavelength) [13]. Higher waves are observed in autumn and winter and lower ones in summer [13].

It should be stressed that the dominant directions of winds and waves are different (see [17] p. 141, Figure 3.11). Thus, the mixed sea state appears to be an essential feature of the study area.





**Figure 1.** The research area. (**a**) The general features of the study area and its location within the Black Sea boundaries. (**b**) The bathymetry at the buoy location. S1 and S2 are the buoy locations at different experiment stages (see Section 2).

## 2.2. Wave Buoy Data

Wave data were obtained from Directional Waverider Datawell DWRG-4, which operated intermittently from late January 2020 to mid-July 2021. The total operating time covered all seasons for approximately 11 months. There were two stages of the experiment, referred to as stages I and II in the text. For stage I (31 January 2020–18 February 2021) the buoy was set 600 m offshore at 18 m depth. On 15 March 2021, the buoy was relocated 1500 m offshore at a 42 m depth to operate for another 3 months (spring–early summer) (stage II). Thus, differences in season, depth, and fetch (distance from the coast) should be accounted for when analyzing these two data subsets. Table 1 presents general information on buoy coordinates, operation time, etc.

| Stage | Coord.                  | Depth, m | Fetch, m | Dates   | Data Type  | Number of<br>Records |
|-------|-------------------------|----------|----------|---|--|----------------------|
| 1     | 44.7191 N,<br>37.4343 E | 18       | 600      | 31 January 2020–21 February 2020;<br>17 July 2020–2 October 2020;<br>27 October 2020–18 February 2021 | wave height,<br>zero-crossing<br>period, spectra | 11,143               |
| 2     | 44.716 N,<br>37.428 E   | 42       | 1500     | 15 March 2021–17 June 2021  | wave height,<br>zero-crossing<br>period, spectra | 4569                 |

Table 1. General information about buoy locations and received data.

The Datawell DWRG-4 wave buoy measures wave motions with help of the Global Positioning System (GPS) only. It can measure directional waves with periods from 1.6 to 100 s, and the accuracy of the water surface elevation is 2 cm. The raw data are processed onboard by the built-in software and as a result, frequency spectra with an average direction for each frequency and directional frequency spectra are available. Specifications of the buoy are provided in Table 2.

In this study, we used significant height  $H_s$ , zero-crossing period  $T_z$ , and mean wave direction angle  $\Theta_m$  (off-direction measured from the north) as standard statistical information collected by the buoy and averaged for the time window 30 min. Frequency spectra of energy [48] were estimated in the band 0.025–0.58 Hz for 64 logarithmically spaced frequency bins. By "wave height" we mean significant wave height unless otherwise stated.

Table 2. Buoy specifications.

| Wave Motion Sensor | Precision<br>Periods                    | 1–2 cm, all directions (1σ)<br>1.6–20 s                                       |  |
|--------------------|---|---|--|
| Wave data          | Resolution                              | 1 cm (north 2 cm, LSB "north"<br>is GPS data gap indicator)                   |  |
|                    | Range                                   | $-20\pm20$ m)   |  |
|                    | Rate                                    | 1.28 Hz   |  |
|                    | Reference                               | WGS84   |  |
| Spectral data      | Frequency resolution                    | 0.005 Hz below 0.10 Hz and<br>0.010 Hz above frequency<br>range 0.025–0.60 Hz |  |
|                    | Direction resolution<br>Direction range | $1.5^{\circ}$<br>0–360°   |  |
|                    | 0                                       |   |  |

#### 2.3. Auxiliary In Situ and Reanalysis Data

Unfortunately, as mentioned above, simultaneous wind speed measurements were impossible because of technical issues and specific environmental conditions of the nearshore area. This is why auxiliary data have been used for the buoy data processing and interpretation.

## 2.3.1. Anapa Weather Station

The Anapa weather station about 20 km north-northwest from the experimental site (44.97° N, 37.3° E, Figure 1a) is the nearest to the buoy site. The station is located within the boundaries of Anapa city. It provides standard meteorological information every 3 h, which is available in the database of Obninsk World Data Center [49]. In this work, we used wind speed and direction measured at a 10 m height above the ground.

## 2.3.2. Wind Reanalysis Data

One more source of wind data was the NCEP Climate Forecast System Reanalysis (CFSR) v2 [50], which is a product of The Climate Forecast System Version 2 (CFSv2) produced by the NOAA National Centers for Environmental Prediction (NCEP). CFSv2 is a global, high resolution, and fully coupled model representing the interaction between the

land, oceans, and atmosphere. The CFSv2 assimilates satellite-based wind speed above the sea. Wind data points have a 1 h time step with a  $0.2^{\circ}$  horizontal resolution grid. We took the point (44.64° N, 37.38° E) 16 km seaward from the buoy position (Figure 1a).

## 2.3.3. Wave Model Data

Within this study, wind wave parameters were calculated using the WAVEWATCH III model [51] with wind forcing from the NCEP/CFSRv2 and the source term ST6 [52]. Nonlinear wave–wave interactions were modeled using the discrete interaction approximation (DIA [53]). Besides wave energy dissipation due to whitecapping, in the shallow coastal zone, the model reproduced an increase in the wave height when approaching the shore and the associated collapse upon reaching the wave steepness critical value. Standard JONSWAP parameterization [38] is used for bottom friction. The directional resolution was 10°, and the frequency range of 0.03–0.84 Hz was binned in 36 bins. The WAVE-WATCH III model is widely used for wind wave simulation in the Black Sea (e.g., [54–57]). Implementation of the wave model used in this study has shown the root mean square error *RMSE* = 0.25–0.35 m and correlation coefficient *R* = 0.85–0.9. As a result, we obtained the following wave parameters: wave height, wavelength, period, wave direction, and peak frequency.

#### 2.4. Theoretical Background of the Data Analysis

Currently, the theoretical basis for wind wave monitoring and forecasting is a statistical description in terms of spectral energy density  $E(\mathbf{k}, \mathbf{x}, t)$ . The corresponding kinetic equation for wind-driven water waves, the so-called Hasselmann Equation [58]

$$\frac{dE(\mathbf{k}, \mathbf{x}, t)}{dt} = S_{nl} + S_{in} + S_{diss},\tag{1}$$

describes changes of  $E(\mathbf{k}, \mathbf{x}, t)$  in time t and horizontal coordinate  $\mathbf{x} = (x, y)$  as the result of wind generation (term  $S_{in}$ ), dissipation under the action of various physical processes ( $S_{diss}$ ), and nonlinear interactions among waves of different scales ( $S_{nl}$ ). The total derivative

$$\frac{d}{dt} = \frac{\partial}{\partial t} + \nabla_{\mathbf{k}}\omega\nabla_{\mathbf{k}} + \nabla_{\mathbf{x}}\omega\nabla_{\mathbf{x}}$$
(2)

reflects variation with time  $(\partial/\partial t)$ , spatial dispersion due to wave propagation  $(\nabla_k \omega \nabla_k)$  and wave refraction in a spatially inhomogeneous medium  $(\nabla_x \omega \nabla_x)$ . The local dispersion relation for water waves (e.g., [59,60])

$$\omega(\mathbf{k}) = \sqrt{(g|\mathbf{k}|\tanh(|\mathbf{k}|d))} + \mathbf{k}\mathbf{V}$$
(3)

is a function of coordinate-dependent depth  $d(\mathbf{x})$  and of the background current velocity  $\mathbf{V}(\mathbf{x})$ . Subscripts in (2) denote gradients in space and wave vectors.

The Directional Waverider DWRG-4 provides directional energy spectra  $E(\omega, \theta)$  as a function of wave frequency and direction, which is related to  $E(\mathbf{k})$  by well-known relations (e.g., [61]). The conventional physical analysis based on wind speed scaling and semi-empirical parameterizations (e.g., [42,61,62]) mostly relies upon local features of the spectra, say, on spectral peaks that emphasize specific directions and, thus, allows one to identify wave systems by synthesizing wind and wave data. The asymptotic theory of weak turbulence (e.g., [44]) does not address the wind speed explicitly. Spectral fluxes and the associated energy transfer between different wave scales are considered as key physical quantities and lead to the concept of non-local balance of spectral shapes (see, e.g., [39] on shape-invariance of wave spectra).

### 2.4.1. Similarity Approach by Kitaigorodskii [42] for Analysis of Wind–Wave Coupling

The similarity approach had been proposed by Kitaigorodskii [42] without any reference to a mathematical model before the kinetic equation for water waves was derived [58] and

exact solutions for this equation were found [63,64]. Despite serious doubts about the prospects of the approach specifically for wind waves [65], Kitaigorodskii fixed many important results by constructing a series of models with a small number of "essential" physical parameters. Wave age (dimensionless wave period)

$$a = \frac{gT}{2\pi U_{10}} \tag{4}$$

and wave pseudo-age (dimensionless wave height)

$$\xi = \frac{gH_s}{U_{10}^2} \tag{5}$$

in the words of Sverdrup and Munk [1], are "essential for purpose of forecasting". In Equations (4) and (5), *g* is the acceleration of gravity and *T* is a characteristic wave period. Below, *T* is the spectral peak period if not otherwise stated. Wind speed  $U_{10}$  implies measurement at or extrapolation to a standard horizon of 10 m.

Numerous dimensionless arguments of the problem can be constructed in a general case. First of all, there are dimensionless time  $\tau = gt/U_{10}$  and dimensionless distance (fetch) of wave evolution  $\chi = gx/U_{10}^2$ . The dependencies on  $\tau$  and  $\chi$  are hard to use in our study. First, 30 min intervals of buoy measurements are too long for relatively short durations of local storms. Secondly, wave and wind data are not synchronized in time and space. One can hypothesize that relationship between wave age *a* and pseudo-age  $\xi$  can be more robust. We show below that this relationship realizes the idea of Kitaigorodskii's similarity approach (see comments to Equations (6)–(8) [42]) and appears to be quite close to the previous experimental dependencies for the fetch-limited wave development.

The ratio between wave age and pseudo-age is usually approximated by power law dependencies

$$=Ba^{T_B}$$
(6)

Semi-empirical Toba [66] law states  $T_B = 3/2$  and the constant  $B \approx 0.171$  in terms of a wind speed  $U_{10}$  ( $U_{10} \approx 28u_*$  where  $u_*$  is friction velocity) and a spectral peak period. A consistent theoretical analysis of the Hasselmann equation [58] solutions, confirmed by the results of numerical simulations [67,68] and experimantal results [39,64], showed dependence of dimensionless parameters B,  $T_B$  on the stage of wave development, i.e., on wave age a. For young waves, at  $a \leq 1/2$ , the dependence is steeper,  $T_B \approx 5/3$ , and  $T_B \approx 4/3$  for waves close to the fully developed sea [41,69,70]. In this way, we obtain the dependence (6) for treatment experimental results on integral parameters of the wave field.

#### 2.4.2. Theory of Wave Turbulence for the Analysis of Wind-Wave Coupling

Kitaigorodskii [42] was the first who drew attention to wave spectra as indicators of dynamical features of a random wave field. The Phillips asymptotic spectral shape

$$E(\omega) = \alpha_5 g^2 \omega^{-5} \tag{7}$$

 $(\alpha_5 \approx 0.0081$  is the universal Phillips constant [71]) has been treated as one related to the state of a fully developed sea (see Equation (5) and, for further consideration, [42]), "steady wave motion" in the words of Kitaigorodskii. For the "unsteady wave motion" (the corresponding section title), an alternative asymptotic solution has been also derived from the principles of dimensional analysis,

$$\mathsf{E}(\omega) = \alpha_4 g u_* \omega^{-4}. \tag{8}$$

Consistent mathematical interpretations of this spectral shape have been proposed in theoretical works [63,72]. Two decades after, experimental estimates of ranges where solutions to (7) and (8) have been realized were carried out (e.g., [61,62,73–75]). Generally,

the spectral shape follows dependency  $\omega^{-4}$  (8) in the range  $1.5\omega_p \leq \omega \leq 3\omega_p$ . At higher frequencies, wave spectra demonstrate steeper law  $\omega^{-5}$  (7).

While the very existence of the spectrum  $E(\omega) \sim \omega^{-4}$  is generally recognized, its physical interpretation by different authors may vary significantly. Kitaigorodskii [42] obtained this dependence within the dimensional analysis; however, he connected it with a relatively high-frequency range, where dissipation dominates. In contrast, Toba [66,72] associated the (-4) exponent with wave generation, and determined the corresponding factor proportional to the friction velocity. In the classic work [76], Phillips obtained the spectrum (8) as a result of the balance between wind generation, wave dissipation, and nonlinear interactions. Under some additional assumptions, Phillips' result is similar to Toba [72]. The constancy of the Toba's coefficient  $\alpha_4$  corresponds to the constancy of wave steepness.

$$\alpha_4 = \langle (\nabla \eta)^2 \rangle = \langle E(\omega) | \mathbf{k} |^2 \rangle = \text{const}$$
(9)

The angle brackets indicate averaging over the selected frequency range.

The theory of wave turbulence [77,78] proposes an alternative treatment of the equilibrium range where the spectrum (8) holds. The dominance of wave–wave interactions in this range provides a balance of fluxes rather than a static balance of all the constituents (wind input, wave dissipation, wave–wave interactions) for every frequency [79,80]. Two stationary solutions of the conservative kinetic Equation (no sources, no sinks) that realize constant spectral fluxes form a basis of analytical results.

The so-called Kolmogorov–Zakharov direct cascade solution [63]

$$E(\omega) = C_p g^{4/3} P^{1/3} \omega^{-4} \tag{10}$$

realizes the physical idea of Kolmogorov developed for the strong hydrodynamical turbulence [81]; the energy coming to a frequency from large-scale motions is compensated by the energy leakage to smaller scales. The Kolmogorov–Zakharov constant  $C_p \approx 0.203$  can be obtained analytically [82]. The exponent 1/3 of the constant energy flux *P* comes from the power of nonlinearity in the kinetic Equation (1).

For deep water waves, there is another, inverse cascade solution [64,83,84]

$$E(\omega) = C_q g^{4/3} Q^{1/3} \omega^{-11/3}$$
(11)

with constant flux Q of wave action and the corresponding Kolmogorov–Zakharov constant  $C_q \approx 0.194$  and the exponent (-11/3). The wave action transfers from short to long waves according to (11). Sometimes it is treated as a mechanism of wave spectra downshifting. Such a treatment is not correct; the corresponding flux of energy is plain zero in this case. The energy flux to longer waves occurs when the spectra exponent is less than 11/3 (e.g., [85]).

The direct cascade solution (10) gives a new vision of the experimentally based dependence (8); the linear dependence of the pre-exponent on wind speed looks like an approximation of the physically essential quantity of energy flux *P*. With the approximation relations, (8) and (10) can be used for solving the inverse problem of retrieval characteristics of wind–wave coupling from wave spectral parameters.

## 3. Results

Data presented in the above section have their specific advantages and shortcomings. The goal of our work is to construct a consistent scheme of wind–wave coupling in the study area based on existing concepts of sea wave dynamics.

One can specify two general approaches. We regard the similarity approach based on the wind speed scaling as a conventional one. An advantage of the approach is its transparent physical meaning; wind speed can be measured (e.g., the Anapa weather station) or derived from a numerical model.

An alternative approach of wave turbulence refers to spectral fluxes for which direct estimates are not straightforward and which require accurate interpretation of spectral distributions. A general description precedes the physical analysis within the two concepts mentioned above.

#### 3.1. Utrish Buoy Time Series for Nearshore Wave Dynamics

Wave heights and periods measured by the buoy for the full experimental period are shown in Figure 2. Waves less than 0.5 m height dominate: they make up more than 60% of the total. Waves higher than 2.5 m account for less than 1%. The maximum wave height of 3.18 m was recorded on 2 November 2020. Zero-crossing periods of 3–4 s predominate, which is consistent with earlier measurements in this area. A deeper comparison of interannual and seasonal wave statistics with the buoy data is meaningless because of the buoy relocation (stages I and II) and the lack of data for March–July 2020.



**Figure 2.** Buoy time series. Height (**a**) and zero-crossing period (**b**) recorded by the buoy. The vertical line shows the beginning of the stage II.

Figure 3 shows wind and wave directions measured and calculated at different sites: Anapa weather station, buoy data, wind data from NCEP/CFSRv2, and wave model data (see Figure 1).

The wind directions at the Anapa station (Figure 3a) were concentrated in two narrow sectors. The northeast (from the shore) winds occurred most frequently, but their speeds were low, mainly up to 6 m/s with extremes of 9–12 m/s. Less frequent southern winds were stronger and sometimes exceeded 15 m/s. This is a typical annual pattern for winds at the Anapa station [17].

The probability distributions of wind speed and direction from the NCEP/CFSRv2 point are shown in Figure 3b for January 2020–June 2021. These distributions are more smooth as compared to the ones from the Anapa station. Nevertheless, two general directions prevail: (i) 20–60°, i.e., from the coast, and (ii) 120–210°, i.e., southern winds. Generally, wind speeds are up to 10 m/s, but sometimes can exceed 18 m/s.

Figure 3c shows buoy wave height and mean-over-spectrum direction defined as follows:

$$\Theta_m = \frac{\sum_{0.09}^{0.54} \stackrel{\text{Hz}}{\text{Hz}} E(w) \cdot \Theta(w)}{\sum_{0.09}^{0.54} \stackrel{\text{Hz}}{\text{Hz}} E(w)}$$
(12)

The lower integration limit filters out wavelengths of more than 180 m, which are rare in the Black Sea. The high-frequency cutoff 0.54 Hz (about 6 m) partially solves the problem of poor measurements of short waves by the buoy 0.4 m in diameter. Waves came from the sea (150–290°). The offshore sector was not even visible in the diagram. Southwest waves were on average higher than waves from other directions, while the southern waves were more frequent.



**Figure 3.** Wind and wave directions. (**a**) Wind speed and direction at the Anapa station. (**b**) Wind speed and direction from NCEP/CFSRv2. (**c**) Buoy wave heights and directions. (**d**) Wave model heights and directions.

Finally, Figure 3d shows the wave heights and directions of wave model data. There were very few cases of offshore waves. The southeastern waves were the most frequent and highest.

It is noticeable that Anapa wind directions and wind directions from NCEP/CFSRv2 do not coincide exactly, but they have some patterns in common. The same is true for waves; directions from the wave model and buoy measurements show similarities in general directions. However, the main wind and wave directions in both pairs of Figure 3a,c and Figure 3b,d, differ significantly. Thus, in terms of probabilities waves do not follow the wind direction in the area. The same effect was observed in previous works (e.g., [17]); the difference may indicate a mixed sea.

Directionality of Wind and Waves as a Key Feature of Wave Dynamics

Figure 3 shows visible differences in patterns of wind speed and wave height probability. Partially, this inconsistency could be related to experimental uncertainties due to the mismatch of wind and wave measurements. Another essential part of these differences should be carefully analyzed and associated with certain physical mechanisms of wind–wave coupling and wave transformation in the nearshore zone.

Figure 4 compares wind directions from the Anapa weather station and from NCEP/CFSRv2 for two experimental stages. Two datasets show high correspondence in the whole range of angles. The gap at 80–150° corresponds to the direction from the coast. This gap becomes "cleaner" when setting a lower threshold for wind speed  $U_{thr} = 4 \text{ m/s}$  (see Figure 4c,d). Unexpectedly, the shadow from the nearshore relief appears deeper for stronger winds. The airflow over the coast is smoother for milder winds and extends into the sea for longer distances. Another explanation for the effect of onshore and offshore weak winds is the presence of daily sea breezes [47].



**Figure 4.** Wind directions from the Anapa station and from NCEP/CFSRv2. Left—stage I, right—stage II. (**a**,**b**) Comparison of all data with  $H_s > 0.25$  m. (**c**,**d**) Comparison for winds higher than 4 m/s.

Wave directions measured by the buoy and wind directions are essentially different (Figures 5 and 6). Waves propagating from the coast are almost absent both for spectral peak (Figures 5 a,b,e,f and 6a,b,e,f) and mean-over-spectrum (Figures 5 c,d,g,h and 6c,d,g,h) directions, while two main clusters are strongly localized near the dominant winds (north-eastern and southern) where the distributions of wave directions are essentially wider. Additionally, buoy data show a secondary clustering with a "valley" near 200°, especially for peak directions. Clustering for the Anapa station winds in Figure 5 is more pronounced than one from NCEP/CFSRv2 in Figure 6.

The wind and wave directions mismatch in Figures 5 and 6 can be interpreted as the merging of different wave systems [86,87]. Rapid switching between two dominating wind directions leads to the occurrence of a mixed sea state in the area. The scatterplots in Figures 5 and 6 clearly show this switching as a mirroring of the southern wind direction cluster with stronger winds (circle 1 in Figure 5a) to the northeastern direction of waves (circle 2 in Figure 5a). As a result, the former wind-generated along-wind waves become swell co-existing with the newborn wind-driven waves of the northeastern direction. Such a scheme can explain the deviation of the resulting wave directions to the right relative to the instant wind.

We should draw attention to the effect of wind speed. Figures 5e–h and 6e–h show the same scatter plots for winds higher than 4 m/s. One can see the same effect of "wiping out" of directions from the coast as in Figure 4; a gap in the range 80–150° becomes free of waves which are mostly associated with the sea breeze.

The occurrence of the mixed sea can be indirectly confirmed by analysis of the spectral width of the wave spectra. In our study, the spectral spread provided by buoy data and the results of the Wavewatch III simulations have been used.



**Figure 5.** Wind directions from the Anapa station vs. buoy wave directions. (**a**,**b**) Spectral peak wave direction. (**c**,**d**) Mean-over-spectrum direction. (**e**,**f**) Spectral peak wave direction for winds higher than 4 m/s. (**g**,**h**) Mean-over-spectrum direction for winds higher than 4 m/s. Left—stage I, right—stage II. Circles in panel (**a**) illustrate a possible sequence of wave system conversion: (1) purely wind-driven waves generated along a dominating wind direction (close to the diagonal of the scatter plot); (2) swell as a possible result of the wind-driven system after a switching wind direction.



**Figure 6.** Wind directions from NCEP/CFSRv2 vs. buoy wave directions. Left—stage I, right—stage II. (**a**,**b**) Mean wave directions for all data. (**c**,**d**) Wave spectral peak directions for all data. (**e**,**f**) Mean wave direction for winds higher than 4 m/s. (**g**,**h**) Wave spectral peak directions for winds higher than 4 m/s.

Buoy data provides directional spread and direction as a function of frequency. Figure 7 shows the wave direction vs. spread for the range 0.09–0.54 Hz. Spectra are significantly wider in the "gap", i.e., for the coast-shadowed directions where we suspect pronounced breeze. One more piece of evidence of the mixed sea state can be likely found when comparing wave directions measured by the buoy and calculated at the point using the WavewatchIII model. The pattern in Figure 7b differs from one of the buoy-to-wind (Figures 5 and 6). The "gap" of the coast shadow in the wave model direction is less pronounced relative to the buoy but is visibly deeper than for the wind (Figures 5 and 6). Beyond the coast shadow ( $\Theta > 110^{\circ}$ ), the directions from the buoy and wave model are closer to each other but differ, sometimes significantly, from the NCEP/CFSRv2 wind direction. The pronounced clustering of wind directions near two dominant directions in Figures 5 and 6 is absent for wave directions. The seaward swell starts to play an important role and determine the directionality of wave fields. One can hypothesize that the seaward swell can effectively absorb the wind-driven waves as described, e.g., in [88,89]. The wave model results are counter-intuitive, in a sense; at a relatively far distance from the coast, the wave field clearly shows features of the mixed sea similar to those in the nearshore area.





# 3.2. Conventional Analysis of Wind Speed, Wave Heights, and Periods as Essential *Physical Parameters*

One can extend the mostly qualitative diagnostics given above by quantitative consideration within the conventional concept of wind–wave coupling. The reanalysis data provide a complete set of physical variables: wind speed and wave parameters (heights, periods).

Figure 8 shows the comparison of wave heights and periods measured by the buoy and calculated in the reanalysis point with the WaveWatch III model. Generally, buoy wave heights are lower, as illustrated by the linear fit equations. Thus, the transformation of waves in frequency can be regarded as weak. There are probably no essential effects of the interaction of waves with currents and bottom depth. The decay of wave energy in the nearshore area can be likely related to the reduction in wind input.



Figure 8. Comparison of wave heights (a,b) and periods (c,d). Left—stages I, right—stage II.

Dimensional analysis, developed by Kitaigorodskii [42], makes it possible to significantly advance the wind wave study without the explicit use of mathematical laws, and even without formulation of physical laws. The dependencies of wave age on wave pseudoage are shown in Figures 9 and 10. Two upper rows (panels a-d) present buoy data scaled by the wind speed of the Anapa station (a,b) and one taken at the point of reanalysis from NCEP/CFSRv2 (c,d). The bottom row (panels e,f) shows wave model data scaled with wind speed from NCEP/CFSRv2. The lower limit of wave height  $H_s = 0.25$  m is set in Figure 9. All the data show their correspondence with the widely known experimental power law dependencies [90–92]. Setting up limits  $H_s > 0.5$  m and  $U_{10} > 4$  m/s leads to noise reduction from small waves (breeze, etc.) and collapsing of the data to the reference dependencies in Figure 10. One should stress good agreement not only with the exponents close to Toba (3/2) but also with the pre-exponents of the corresponding power law parameterizations. The effect of data limitations has a simple physical explanation. By increasing the wave height threshold, we obtain data with well-pronounced effects of nonlinear interactions. By increasing the wind speed threshold, we consider data with strong wave generation by the wind. The data collapse to dependencies of the Toba type can be interpreted as saturation of balance between wave nonlinearity, generation, and dissipation.

This result can be seen as unexpected; the sea state is far from an idealized theoretical model of fetch-limited wave development and previous experimental setups. Nevertheless, for relatively strong winds and high waves the wave age and pseudo-age keep a robust dependence. This experimental result is in line with the concept of the weakly turbulent nature of wind-driven seas.



**Figure 9.** Wave age vs. pseudo-age,  $H_s > 0.25$  m, no wind speed restrictions. Left column—stage I, right—stage II.(**a**,**b**) Buoy measurements with the wind speed scaling from Anapa station. (**c**,**d**) Buoy measurements with the wind speed scaling from NCEP/CFSRv2. (**e**,**f**) Wave model data with with the wind speed scaling from NCEP/CFSRv2.

# 3.3. Theory of Wave Turbulence for Wind–Wave Coupling Diagnostics

The conventional approach to the wind–wave study operates with wind speed as a governing physical parameter, thus implying a dominant role of wind input and wave dissipation. The issue of "shape-invariance of wind-sea spectra" [39] cannot be adequately explained within the conventional approach. Since the JONSWAP experiment, an important or even a critical role of the nonlinear wave–wave interactions is discussed (see [38] pp. 48,52). Phillips [76] tried to resolve the problem of the so-called equilibrium range where frequency spectra show a universal dependence  $E(\omega) \sim \omega^{-4}$ . All the terms, wind input, wave dissipation, and wave–wave interactions compete on equal terms in this model that lead to essential physical constraints which are not fully resolved so far (e.g., [76]

Section 5). Nevertheless, the idea of the universality of spectral shaping is widely used in empirical parameterizations and can be effectively used for experimental diagnostics of wind–wave coupling (see, e.g., [43]).



**Figure 10.** Wave age vs. pseudo-age,  $H_s > 0.5$  m, wind speed  $U_{10} > 4$  m/s. Left column—stage I, right—stage II. (**a**,**b**) Buoy measurements with the wind speed scaling from Anapa station. (**c**,**d**) Buoy measurements with wind speed scaling from NCEP/CFSRv2. (**e**,**f**) Wave model data with with the wind speed scaling from NCEP/CFSRv2.

3.3.1. The Equilibrium Range in the Wave Spectra Measured Using the Buoy

In our treatment of wave spectra, we follow the concept of the dominating role of wavewave interactions that allows one to use the results of the theory of wave turbulence [44]. The essential outcome of this theory is the so-called Kolmogorov–Zakharov solutions (10,11) governed by spectral fluxes of wave energy *P* and wave action *Q*. The first solution describes the energy flux *P* directed to the high-frequency range. This solution can be associated with the observed dependence of frequency spectra  $\omega^{-4}$  in the range  $1.5\omega_p < \omega < 3\omega_p$  (e.g., [61,73,75]). In the upper panels of Figures 11 and 12, frequency spectra  $E(\omega)$  are shown as functions of dimensionless frequency  $\omega/\omega_p$ . Two cases of local storms of 5–6 h duration and wave heights of about 2 (Figure 11) and 3 m (Figure 12) demonstrate robustness of the spectral tail power-like dependence  $\omega^{-4}$  (the plots are on log–log axes). The bottom panels of Figures 11 and 12 show the compensated spectra normalized following [43]

$$S(\omega) = \frac{E(\omega)\omega^4}{gU_{10}}$$
(13)

Equation (13) can be used for estimating the counterpart of  $\alpha_4$  in (8) for parameterization by  $U_{10}$ . The coefficient  $\alpha_4$  was calculated by averaging  $S(\omega)$  in the range  $(1.5 \div 3.0)\omega/\omega_p$ . The result is close to [43], Figure 12,  $\alpha_B = 0.0045$ , and shown by horizontal dashed lines in Figures 11 and 12. In contrast to the cited paper [43] and recent report [93], the estimated  $\alpha_4$  varies significantly, as seen in Figures 11 and 12. Figure 13 shows the scatterplot of the retrieved wind speed as proposed by [93] vs. the wind speed from NCEP/CFSRv2. Rather high scattering does not support the idea of this method unconditionally in our specific case. At the same time, one can see a cluster of points near the diagonal (measurements and retrieval match) and a less pronounced cloud of measurements at the level above 0.8 of maximal probability where the retrieved wind speed is underestimated by 50–70%. One can hypothesize the effect of the mixed sea state to be responsible for the two-phase distribution. The conversion from the swell sea to the wind-driven state after relatively abrupt switching to high winds can be responsible for this effect, which is similar to the wave system conversion in the direction scatter plot in Figure 5a. We leave this challenging issue for further study.



**Figure 11.** Period of measurements 1 February 2020 11:43:00–1 February 2020 16:13:00 ( $H_s \approx 1.88$ –2.10 m). (a) Buoy frequency spectra  $E(\omega)$ . (b) Bottom panel—compensated dimensionless spectra with the wind from NCEP/CFSRv2 scaling  $E(\omega)\omega^4/(gU_{10})$ , horizontal line corresponds to estimates of  $\alpha_4 = 0.0045$  of Bjorkvist et al. (see, e.g., [43]).



**Figure 12.** Period of measurements 3 June 2021 19:44:00–4 June 2021 00:14:00 ( $H_s = 2.58-2.94$  m). (a) Buoy frequency spectra  $E(\omega)$ . (b) Compensated dimensionless spectra with the wind from NCEP/CFSRv2 scaling  $E(\omega)\omega^4/(gU_{10})$ , horizontal line corresponds to estimates of  $\alpha_4 = 0.0045$  of (see, e.g., Bjorkvist et al. [43]).



**Figure 13.** Scatter density plot (normalized by the distribution maximum) of the wind speed from NCEP/CFSRv2 vs. the retrieved one. Cluster 1 of the probability excess correspond to the validity of the wind speed retrieval algorithm [93]. Cluster 2 can be treated as the effect of wave system conversion, see Figure 5a and the corresponding comments.

## 3.3.2. Energy Flux in the Spectral Equilibrium Range

The wave turbulence approach provides an alternative treatment of the spectral equilibrium range. One obtains from the direct cascade solution (10) the energy flux

$$P_{dir} = \frac{1}{g} \left( \frac{E(\omega)\omega^4}{C_p g} \right)^3.$$
(14)

One should stress that this flux governed by the direct cascade mechanism is just a part of energy flux coming to waves from wind. The remainder goes to the wave growth associated with the second Kolmogorov–Zakharov solution (11) and the mechanism of spectral downshift, the inverse cascading. As shown in [85,94–96] the direct cascade accumulates the main part of the wind energy flux, at about 90% or more, while the inverse cascade constitutes just very few percent.

Energy flux of turbulent wind can be written as follows [96]

$$P_{wind} = \frac{\rho_a}{\rho_w} \frac{U_{10} u_*^2}{g} \approx 0.036 \frac{u_*^3}{g}$$
(15)

(here we let  $U_{10} = 28u_*$  as acceptable approxiamtion). Note, that if we assume the direct cascade flux  $P_{dir}$  to be proportional to  $P_{wind}$  we immediately come to the parameterizaton (8), i.e., to proportionality of spectra magnitude to the wind speed. Actually, the ratio  $P_{dir}/P_{wind}$  depends on the stage of wave growth. This trivial statement can be illustrated by the experimental data.

Figure 14 shows the probability density of data as a function of wave age and the ratio of energy fluxes  $P_{dir}/P_{wind}$  calculated with (14,15). The exceeding  $P_{dir}/P_{wind} > 100\%$  looks acceptable for the accuracy of measurements and, mostly, because of errors in estimates of wind speed and resulting flux  $F_{dir}$ . The ratio reaches its maximum for the wave age close to unity. The low ratio for "old" waves with a > 1 is a result of low energy flux from wind to fast waves and swell. Moreover, waves running faster than wind can transfer their energy to the wind [89,97].



**Figure 14.** The probability density of data as function of wave age  $a = gT/(2\pi U_{10})$  and ratio  $P_{dir}/P_{wind}$  (in percent). The tricolor curve is dependence of inverse cascade energy flux on wave age from [70,85].

A similar decay of the ratio occurs for young waves a < 0.5. The relatively short and slowly propagating waves cannot absorb a high flux of energy from the wind. This flux is redistributed between many physical processes including the generation of drift current, small-scale turbulence, etc.

The tricolor curve in Figure 14 is taken from [70,85] and shows a similar dependence of the inverse cascade flux associated with the wave growth. Green is related to young waves and follows the experimental data and parametric model of [39]. The Toba law (red) of wave growth [66] gives a saturation of the inverse cascade flux. The flux decay corresponds to the transition of wind-driven waves to the regime of sea swell (blue line) close to the classic regime of constant wave action flux [84]. One should draw attention to the mismatch of maxima of fluxes of direct and inverse cascades. The maximum of the inverse cascade flux, i.e., the energy growth rate occurs for younger waves than the maximal direct cascade, i.e., maximal transfer of energy by waves to small-scale turbulence.

In our opinion, Figure 14 represents the essential physics of wind–wave coupling for the experimental data. Our data are obtained in the nearshore zone and, thus, are associated with rather complex dynamics. The comparison of Figure 14 with a similar one obtained in a "simpler" environment is seen as a challenging problem of wave studies.

#### 4. Discussion and Conclusions

The work considers experimental data of wave measurements in the northeast of the Black Sea. One should stress the uniqueness of these data. First, they cover a rather long period of about one year. Secondly, all the measurements were carried out at very short distances of less than 1500 m from the shoreline. Physical conditions where high-quality wave data were previously obtained at short fetches (see, e.g., [28,33–36,95]) differ dramatically from those of the northeastern Black Sea nearshore. The mountainous relief with a height of up to 550 m and cliff on the coast modify the wind flow significantly. Both experimental sites are set at steep bottom slopes surrounded by underwater cliffs. Harsh weather conditions of cold seasons also contribute to the specific wind–wave coupling of the area under study.

An apparent flaw of our experimental setup is the absence of on-site measurements of wind as it is very difficult and expensive to realize measurements in proximity to the chosen experimental points. In this study, we operate with remote data of the Anapa weather station and the reanalysis from NCEP CFSR v. The correctness of such data usage requires proper account of local conditions. The wind field is not homogeneous in this area as is clearly seen from Figure 3. At the same time, the dominant winds in the Anapa station are very close to the ones in the reanalysis point. An additional issue is a modification of the atmospheric boundary layer in the nearshore area. In other words, the wind–wave coupling is not fully characterized by wind speed. This is why we are trying to construct a consistent scheme of wind–wave coupling based on different types of data and existing theoretical approaches.

Analysis of the directionality of the wave field showed the dominance of the mixed sea state. Dominant directions of wind and waves do not coincide (Figure 3c,d). The southwestern winds are very rare in the area, while the waves of this direction in buoy data and reanalysis results predominate. These waves are associated with remote swell rather than with local wave transformation, as seen from the reanalysis data (Figure 3d). On the other hand, the pronounced offshore winds do not generate visible waves from the coast. The effect of the coast shadowing may likely explain this effect. Unexpectedly, the shadowing (if our explanation is true) affects the wave in the reanalysis point almost 10 km offshore.

Conventional analysis of dimensionless dependencies of wave heights and periods gives us one more unexpected result: these dependencies follow rather well the previous experimental results [74,98,99]. This coincidence becomes closer for wind speeds higher than 4 m/s and wave heights exceeding 0.5 m. One should note that in the studies mentioned above, the authors tried to achieve an idealized setup and to eliminate undesirable factors such as the mixed sea state.

Under specific conditions the mixed sea state does not impose difficulties in treatment of different wave systems. Wave measurements in the Oman Bay [33–36] showed remarkably reliable separation of wave systems; wave periods shorter than 8 s could be definitely related to the wind-driven seas. There is no need to relate wind and wave data in this case. This feature has been successfully used for constructing multi-peaked models of regional wave spectra.

Difficulties of wind measurements in the nearshore area motivated our attention to the theory of wave turbulence. This theory operates with fluxes of physical quantities when treating spectra of deep water waves. Wind speed appears, in a sense, a secondary physical parameter that is related to these fluxes in some way. An ambiguity of the link of wind speed to energy flux has been demonstrated in our attempts to retrieve local wind speed from wave spectra measured by the buoy (see Figure 13). This method has been recently used in [93] in the Baltic Sea where experimental conditions better fit an idealized setup of wave growth.

We made a conceptual step in the application results of wave turbulence theory to experimental data. Energy fluxes have been estimated from the levels of equilibrium ranges of wave spectra. The wave spectra keep asymptotics  $E(\omega) \sim \omega^{-4}$  quite well in the range 1.5–3 of peak frequencies and allow one to estimate the spectral flux of direct cascading of wave energy to small-scale turbulence. This flux is just a part of the energy flux to waves. This understanding motivates us to quantify the ratio of the wave spectral flux to the wind energy one. Despite the uncertainty of our measurements of wind speed, we obtain a consistent illustration of the present-day knowledge of the "energy cycle" of the wind-driven sea (see title [96] and related works [70,85]). Figure 14 shows the nonmonotonical dependence of the fraction of turbulent wind energy because of their inability to effectively interact with relatively large-scale airflow. The old waves whose celerity significantly exceeds a characteristic wind speed, likewise can absorb just a small part of the turbulent wind energy flux.

The energy cycle analysis of other experimental data in the spirit of this study would provide a good perspective.

**Author Contributions:** Conceptualization, S.B. and S.M.; methodology, S.B.; software, A.R., S.B. and S.M.; validation, S.M.; formal analysis, S.B. and A.R.; investigation, A.R. and S.B.; resources, A.R., S.B. and S.M.; data curation, S.M. and A.R.; writing—original draft preparation, A.R. and S.B.; writing—review and editing, A.R., S.B. and S.M.; visualization, A.R. and S.B.; supervision, S.B.; project administration, S.B. and S.M. All authors have read and agreed to the published version of the manuscript.

**Funding:** Data collection and data processing were funded by Russian Foundation for Basic Research (RFBR) with project number 20-55-46007 (S. Badulin, S. Myslenkov). The data analyses and interpretation were supported by Ministry of Science and Higher Education of the Russian Federation under the program FMWE-2022-0002 (A. Rybalko).

Data Availability Statement: Data available on request.

**Acknowledgments:** The authors are thankful to the National Reserve Utrish team, and especially to O.N. Bykhalova for help in organizing measurements.

Conflicts of Interest: The authors declare no conflict of interest.

#### References

- 1. Sverdrup, H.V.; Munk, W.H. *Wind, Sea, and Swell: Theory of Relations for Forecasting*; Hydrographic Office Pub. 60; U.S. Navy: Washington, DC, USA, 1947.
- Li, L.; Haver, S.; Berlin, N. Assessment of operational limits: Effects of uncertainties in sea state description. *Mar. Struct.* 2021, 77, 102975. [CrossRef]
- Bonnefond, P.; Haines, B.; Watson, C. In situ Absolute Calibration and Validation: A link from coastal to open-ocean altimetry. In *Coastal Altimetry*; Vignudelli, S., Kostianoy, A., Cipollini, P., Benveniste, J., Eds.; Springer: Berlin/Heidelberg, Germany, 2011; pp. 259–296. [CrossRef]

- Abdalla, S.; Abdeh Kolahchi, A.; Ablain, M.; Adusumilli, S.; Aich Bhowmick, S.; Alou-Font, E.; Amarouche, L.; Andersen, O.B.; Antich, H.; Aouf, L.; et al. Altimetry for the future: Building on 25 years of progress. *Adv. Space Res.* 2021, 68, 319–363. [CrossRef]
- Gelci, R.; Cazalé, H.; Vassal, J. Prévision de la houle. La méthode des densités spectroangulaires. Bull. D'Inf. Comité d'Oceanogr. d'Etude Côtes 1957, 9, 416–435.
- Cavaleri, L.; Alves, J.H.G.M.; Ardhuin, F.; Babanin, A.; Banner, M.; Belibassakis, K.; Benoit, M.; Donelan, M.; Groeneweg, J.; Herbers, T.H.C.; et al. Wave modelling—The state of the art. *Progr. Ocean.* 2007, 75, 603–674. [CrossRef]
- Hanson, J.L.; Phillips, O.M. Automated analysis of ocean surface directional wave spectra. J. Atmos. Ocean. Technol. 2001, 18, 277–293. [CrossRef]
- 8. Munk, W.H.; Miller, G.R.; Snodgrass, F.E.; Barber, N.F. Directional Recording of Swell from Distant Storms. *Phil. Trans. R. Soc. Lond.* **1963**, 255, 505–584. [CrossRef]
- 9. Rusu, L. Assessment of the wave energy in the Black Sea based on a 15-year hindcast with data assimilation. *Energies* 2015, *8*, 10370–10388. [CrossRef]
- 10. Akpinar, A.; Bingölbali, B. Long-term variations of wind and wave conditions in the coastal regions of the Black Sea. *Nat. Hazards* **2016**, *84*, 69–92. [CrossRef]
- 11. Myslenkov, S.; Shestakova, A.; Toropov, P. Numerical simulation of storm waves near the northeastern coast of the Black Sea. *Russ. Meteorol. Hydrol.* **2016**, *41*, 706–713. [CrossRef]
- 12. Onea, F.; Rusu, L. A long-term assessment of the Black Sea wave climate. Sustainability 2017, 9, 1875. [CrossRef]
- 13. Gippius, F.N.; Myslenkov, S.A. Black Sea wind wave climate with a focus on coastal regions. *Ocean. Eng.* **2020**, *218*, 108–199. [CrossRef]
- 14. Divinsky, B.V.; Fomin, V.V.; Kosyan, R.D.; Ratner, Y.D. Extreme wind waves in the Black Sea. *Oceanologia* 2020, *62*, 23–30. [CrossRef]
- 15. Divinsky, B.; Kuklev, S. Climate Variations of Certain Wave Parameters at the Inlet of Novorossiysk Bay. *Oceanology* **2022**, 62, 155–161. [CrossRef]
- 16. Melnikov, V.; Zatsepin, A.; Kostianoy, A.G. Hydrophysical polygon on the Black Sea. *Trudy GOIN Proc. Russ. State Oceanogr. Inst.* **2011**, *213*, 264–278. (In Russian)
- 17. Evstigneev, V.; Naumova, V.; Evstigneev, V.P.; Evstigneev, M.P.; Ljubarec, E. Wind-Wave Climate Over the Coastal Zone of the Azov and the Black Seas; INTS: Sevastopol, Ukraine, 2017; ISBN 978-5-6040795-0-8.
- 18. Melnikov, V.A.; Moskalenko, L.V.; Kuzevanova, N. Wind cycles and climatic trends of the Black Sea. *Trudy GOIN Proc. Russ. State Oceanogr. Inst.* 2018, 219, 101–123. (In Russian)
- Saprykina, Y.; Kuznetsov, S.; Valchev, N. Multidecadal fluctuations of storminess of black sea due to teleconnection patterns on the base of modelling and field wave data. In *Proceedings of the Fourth International Conference in Ocean Engineering (ICOE2018)*; Lecture Notes in Civil Engineering; Springer: Berlin/Heidelberg, Germany, 2019; Volume 22, pp. 773–781.
- Badulin, S.I.; Vershinin, V.V.; Levchenko, D.G.; Zatsepin, A.G.; Ostrovskii, A.G.; Lobkovsky, L.I. A project of concrete stabilized spar buoy as a coastal environmental observation and maritime safety platform. *J. Ocean Eng. Mar. Energy* 2021, 7, 115–127. [CrossRef]
- Kos'yan, R.; Divinsky, B.; Pushkarev, O. Measurements of parameters of wave processes in the open sea near Gelendzhik. In *Eight* Workshop of NATO TU-WAVES/Black Sea; Middle East Technical University: Ankara, Turkey, 1998; pp. 5–6.
- Yılmaz, N.; Özhan, E. Characteristics of the frequency spectra of wind-waves in Eastern Black Sea. Ocean. Dyn. 2014, 64, 1419–1429. [CrossRef]
- 23. Coastal Dynamics. Available online: https://coastdyn.ru/toppage1.htm (accessed on 11 October 2022).
- Myslenkov, S.A.; Badulin, S.I.; Lopatukhin, L.; Arkhipkin, V.; Akpınar, A.; Bingölbali, B.; Soran, M.B. Quality assessment of wind wave spectra simulation in the Black Sea coastal zone. In Proceedings of the IX International Scientific and Practical Conference Marine Research and Education (MARESEDU-2020), Boston, MA, USA, 7–10 March 2020; pp. 258–261.
- Amarouche, K.; Akpınar, A.; Soran, M.B.; Myslenkov, S.; Majidi, A.G.; Kankal, M.; Arkhipkin, V. Spatial calibration of an unstructured SWAN model forced with CFSR and ERA5 winds for the Black and Azov Seas. *Appl. Ocean. Res.* 2021, 117, 102962. [CrossRef]
- Rybalko, A.; Myslenkov, S. Seasonal variability of wave spectra based on simulation and measurement data in the Gelendzhik and Utrish region. In Proceedings of the X International Scientific and Practical Conference Marine Research and Education (MARESEDU-2021), Moscow, Russia, 24–28 October 2021; Volume 1, pp. 121–124.
- Amarouche, K.; Akpınar, A.; Rybalko, A.; Myslenkov, S. Assessment of SWAN and WAVEWATCH-III models regarding the directional wave spectra estimates based on Eastern Black Sea measurements. *Ocean. Eng.* 2023, 272, 113944. [CrossRef]
- Baydakov, G.A.; Kandaurov, A.A.; Kuznetsova, A.M.; Sergeev, D.A.; Troitskaya, Y.I. Field Studies of Features of Wind Waves at Short Fetches. Bull. Russ. Acad. Sci. Phys. 2018, 82, 1431–1434. [CrossRef]
- Kuznetsova, A.M.; Dosaev, A.S.; Baydakov, G.A.; Sergeev, D.A.; Troitskaya, Y.I. Adaptation of the Parameterization of the Nonlinear Energy Transfer for Short Fetch Conditions in the WAVEWATCH III Wave Prediction Model. *Izv. Atmos. Ocean. Phys.* 2020, 56, 191–199. [CrossRef]
- Walsh, E.J.; Hancock, D.W., III; Hines, D.E.; Swift, R.N.; Scott, J.F. Directional wave spectra measured with the surface contour radar. J. Phys. Oceanogr. 1985, 15, 566–592. [CrossRef]

- 31. Mitsuyasu, H.; Nakamura, R.; Komori, T. Observations of the wind and waves in Hakata Bay. *Rep. Res. Inst. Appl. Mech. Kyushu Univ.* **1971**, *19*, 37–74.
- Mitsuyasu, H.; Tasai, H.; Suhara, F.; Mizuno, T.; Honda, S.O.T.; Rikiishi, K. Observation of power spectrum of ocean waves using a clover-leaf buoy. J. Phys. Oceanogr. 1982, 10, 286–296. [CrossRef]
- 33. Panahi, R.; Shafieefar, M. Development of a bi-modal directional wave spectrum. Ocean. Eng. 2015, 105, 104–111. [CrossRef]
- 34. Akbari, H.; Panahi, R.; Amani, L. A double-peaked spectrum for the northern parts of the Gulf of Oman: Revisiting extensive field measurement data by new calibration methods. *Ocean. Eng.* **2019**, *12*, 187–198. [CrossRef]
- 35. Akbari, H.; Panahi, R.; Amani, L. Improvement of double-peaked spectra: Revisiting the combination of the Gaussian and the JONSWAP models. *Ocean. Eng.* **2020**, *198*, 106965. [CrossRef]
- Adibzade, M.; Shafieefar, M.; Akbari, H.; Panahi, R. Multi-peaked directional wave spectra based on extensive field measurement data in the Gulf of Oman. *Ocean. Eng.* 2021, 230, 109057. [CrossRef]
- 37. Official Website of the Utrish Reserve. Available online: https://utrishgpz.ru/ (accessed on 12 December 2022). (In Russian)
- Hasselmann, K.; Barnett, T.P.; Bouws, E.; Carlson, H.; Cartwright, D.E.; Enke, K.; Ewing, J.A.; Gienapp, H.; Hasselmann, D.E.; Kruseman, P.; et al. Measurements of wind-wave growth and swell decay during the Joint North Sea Wave Project (JONSWAP). Dtsch. Hydrogh. Z. Suppl. 1973, 2, 2–95.
- Hasselmann, K.; Ross, D.B.; Müller, P.; Sell, W. A parametric wave prediction model. J. Phys. Oceanogr. 1976, 6, 200–228. [CrossRef]
- 40. Badulin, S.I.; Pushkarev, A.N.; Resio, D.; Zakharov, V.E. Self-similarity of wind-driven seas. *Nonlinear Proc. Geophys.* 2005, 12, 891–946. [CrossRef]
- Zakharov, V.E.; Badulin, S.I.; Hwang, P.A.; Caulliez, G. Universality of Sea Wave Growth and Its Physical Roots. J. Fluid Mech. 2015, 708, 503–535. [CrossRef]
- 42. Kitaigorodskii, S.A. Applications of the theory of similarity to the analysis of wind-generated wave motion as a stochastic process. *Bull. Acad. Sci. USSR Geophys. Ser. Engl. Transl.* **1962**, *N1*, 73–80.
- Björkqvist, J.V.; Pettersson, H.; Drennan, W.M.; Kahma, K.K. A New Inverse Phase Speed Spectrum of Nonlinear Gravity Wind Waves. J. Geophys. Res. Ocean. 2019, 124, 6097–6119. [CrossRef]
- 44. Zakharov, V.E.; Badulin, S.I.; Geogjaev, V.V.; Pushkarev, A.N. Weak-Turbulent Theory of Wind-Driven Sea. *Earth Space Sci.* 2019, 6, 540–556. [CrossRef]
- 45. Semenov, E.; Sokolikhina, N.; Sokolikhina, E. Meteorological and synoptic aspects of the formation and evolution of the Novorossiysk Bora. *Russ. Meteorol. Hydrol.* **2013**, *38*, 661–668. [CrossRef]
- 46. Kuharev, I.L. Relief. In Atlas of State Nature Reserve Utrish; Scientific Prossessings: Anapa, Russia, 2013; Volume 2, pp. 24–27.
- Tkachenko, Y.; Denisov, V. Climate. In Atlas of State Nature Reserve Utrish; Scientific Prossessings: Anapa, Russia, 2013; Volume 2, pp. 32–37.
- 48. Banner, M.L.; Jones, I.S.F.; Trinders, J.C. Wavenumber spectra of short gravity waves. J. Fluid Mech. 1989, 198, 321–344. [CrossRef]
- Veselov, V.; Pribylskaya, I.; Mirzeabasov, O. All-Russia Research Institute of Hydrometeorological Information— World Data Center (RIHMI-WDC), Roshydromet. 2023. Available online: http://aisori-m.meteo.ru/waisori/ (accessed on 30 September 2022).
- Saha, S.; Moorthi, S.; Wu, X.; Wang, J.; Nadiga, S.; Tripp, P.; Behringer, D.; Hou, Y.T.; Chuang, H.y.; Iredell, M.; et al. The NCEP climate forecast system version 2. J. Clim. 2014, 27, 2185–2208. [CrossRef]
- Tolman, H.; Abdolali, A.; Accensi, M.; Alves, J.H.; Ardhuin, F.; Babanin, A.; Barbariol, F.; Benetazzo, A.; Bidlot, J. User Manual and System Documentation of WAVEWATCH III (R) Version 6.07; Technical Report 333; NOAA/NWS/NCEP/MMAB: Washington, DC, USA, 2019.
- 52. Zieger, S.; Babanin, A.V.; Rogers, W.E.; Young, I.R. Observation-based source terms in the third-generation wave model WAVEWATCH. *Ocean. Model.* 2015, *96*, 2–25. [CrossRef]
- Hasselmann, S.; Hasselmann, K.; Allender, J.H.; Barnett, T.P. Computations and parametrizations of the nonlinear energy transfer in a gravity-wave spectrum. Part II. Parameterizations of the nonlinear energy transfer for application in wave models. *J. Phys. Oceanogr.* 1985, 15, 1378–1391. [CrossRef]
- 54. Zelenko, A.; Strukov, B.; Resnyansky, Y.; Martynov, S.L. A system of wind wave forecasting in the World ocean and seas of Russia. In *Zubov State Oceanographic Institute Proceedings*; SOI: Moscow, Russia, 2014; pp. 90–101.
- 55. Kirezci, C.; Ozyurt Tarakcioglu, G. Validation of Wavewatch III Model in Black Sea Using Different Re-Analysis Wind Data. In Proceedings of the AGU Fall Meeting Abstracts, San Francisco, CA, USA, 12–16 December 2016; Volume 2016, p. A43G-0336.
- 56. Myslenkov, S.; Zelenko, A.; Resnyanskii, Y.; Arkhipkin, V.; Silvestrova, K. Quality of the wind wave forecast in the Black Sea including storm wave analysis. *Sustainability* **2021**, *13*, 13099. [CrossRef]
- 57. Soran, M.B.; Amarouche, K.; Akpınar, A. Spatial calibration of WAVEWATCH III model against satellite observations using different input and dissipation parameterizations in the Black Sea. *Ocean. Eng.* **2022**, 257, 111627. [CrossRef]
- 58. Hasselmann, K. On the nonlinear energy transfer in a gravity wave spectrum. Part 1. General theory. *J. Fluid Mech.* **1962**, 12, 481–500. [CrossRef]
- 59. Janssen, P.A.E.M. The Interaction of Ocean Waves and Wind. Cambridge University Press: New York, NY, USA, 2004; 300p.
- 60. Komen, G.J.; Cavaleri, L.; Donelan, M.; Hasselmann, K.; Hasselmann, S.; Janssen, P.A.E.M. *Dynamics and Modelling of Ocean Waves*; Cambridge University Press: New York, NY, USA, 1995.

- 61. Donelan, M.A.; Hamilton, J.; Hui, W.H. Directional spectra of wind-generated waves. *Phil. Trans. R. Soc. Lond. A* 1985, 315, 509–562.
- 62. Young, I.R. Wind Generated Ocean Waves; Elsevier: Amsterdam, The Netherlands, 1999.
- 63. Zakharov, V.E.; Filonenko, N.N. Energy spectrum for stochastic oscillations of the surface of a fluid. *Soviet Phys. Dokl.* **1966**, 170, 1292–1295.
- 64. Zakharov, V.E.; Zaslavsky, M.M. Shape of spectrum of energy carrying components of a water surface in the weak-turbulence theory of wind waves. *Izv. Acad. Sci. USSR Atmos. Ocean. Phys.* **1983**, *19*, 207–212.
- 65. Pierson, W.J.; Moskowitz, L.A. A proposed spectral form for fully developed wind seas based on the similarity theory of S. A. Kitaigorodskii. *J. Geophys. Res.* **1964**, *69*, 5181–5190. [CrossRef]
- 66. Toba, Y. Local balance in the air-sea boundary processes. Part I. On the growth process of wind waves. *J. Oceanogr. Soc. Jpn.* **1972**, 28, 109–121. [CrossRef]
- 67. Pushkarev, A.N.; Resio, D.; Zakharov, V.E. Weak turbulent approach to the wind-generated gravity sea waves. *Phys. D Nonlinear Phenom.* **2003**, *184*, 29–63. [CrossRef]
- Badulin, S.I.; Babanin, A.V.; Resio, D.; Zakharov, V. Weakly turbulent laws of wind-wave growth. J. Fluid Mech. 2007, 591, 339–378.
   [CrossRef]
- 69. Gagnaire-Renou, E.; Benoit, M.; Badulin, S.I. On weakly turbulent scaling of wind sea in simulations of fetch-limited growth. *J. Fluid Mech.* **2011**, *669*, 178–213. [CrossRef]
- Badulin, S.I. Nonlinear Waves—2018; Collected Papers ABC of Wind-Driven Waves; Institute of Applied Physics, Russian Academy of Sciences: Nizhny Novgorod, Russia, 2019; pp. 121–141. (In Russian)
- 71. Phillips, O. The equilibrium range in the spectrum of wind-generated waves. J. Fluid Mech. 1958, 4, 426–434. [CrossRef]
- 72. Toba, Y. Local balance in the air-sea boundary processes: III. On the spectrum of wind waves. *J. Oceanogr. Soc. Jpn.* **1973**, 29, 209–220. [CrossRef]
- 73. Forristall, G.Z. Measurements of a saturated range in ocean wave spectra. J. Geophys. Res. 1981, 86, 8075–8084. [CrossRef]
- 74. Kahma, K.K. A study of the growth of the wave spectrum with fetch. J. Phys. Oceanogr. 1981, 11, 1503–1515. [CrossRef]
- 75. Battjes, J.A.; Zitman, T.J.; Holthuijsen, L.H. A reanalysis of the spectra observed in JONSWAP. J. Phys. Oceanogr. 1987, 17, 1288–1295. [CrossRef]
- 76. Phillips, O.M. Spectral and statistical properties of the equilibrium range in wind-generated gravity waves. *J. Fluid Mech.* **1985**, 156, 505–531. [CrossRef]
- 77. Zakharov, V.E.; Lvov, V.S.; Falkovich, G. Kolmogorov Spectra of Turbulence. Part I; Springer: Berlin/Heidelberg, Germany, 1992.
- 78. Zakharov, V.E. Statistical theory of gravity and capillary waves on the surface of a finite-depth fluid. *Eur. J. Mech. B Fluids* **1999**, *18*, 327–344. [CrossRef]
- 79. Zakharov, V.E. Energy balance in a wind-driven sea. Phys. Scr. 2010, T142, 014052. [CrossRef]
- 80. Zakharov, V.E.; Badulin, S.I. On Energy Balance in Wind-Driven Seas. Dokl. Earth Sci. 2011, 440, 1440–1444. [CrossRef]
- Kolmogorov, A.N. The local structure of turbulence in incompressible viscous fluid for very large Reynolds numbers. Proc. USSR Acad. Sci. Russ. 1941, 30, 299–303.
- Geogjaev, V.V.; Zakharov, V.E. Numerical and analytical calculations of the parameters of power-law spectra for deep water gravity waves. *JETP Lett.* 2017, 106, 184–187. [CrossRef]
- 83. Kats, A.V.; Kontorovich, V.M. Drift stationary solutions in the weak turbulence theory. *JETP Lett.* **1971**, *14*, 265–267.
- 84. Zakharov, V.E.; Zaslavsky, M.M. Dependence of wave parameters on the wind velocity, duration of its action and fetch in the weak-turbulence theory of water waves. *Izv. Acad. Sci. USSR. Atmos. Ocean. Phys.* **1983**, *19*, 300–306.
- 85. Badulin, S.I.; Geogdzhaev, V.V. Evaluation of wind wave growth parameters basing on spectral fluxes. *Radiophys. Quantum Electron.* **2019**, *61*, 545–552. [CrossRef]
- 86. Kahma, K.K.; Pettersson, H. Wave growth in a narrow fetch geometry. *Global Atmos. Ocean Syst.* 1994, 2, 253–263.
- Pettersson, H. Wave Growth in a Narrow Bay. Ph.D. Thesis, University of Helsinki, Helsinki, Finland, 2004; ISBN 951-53-2589-7/952-10-1767-8.
- 88. Young, I.R Directional spectra of hurricane wind waves. J. Geophys. Res. 2006, 111, C8. [CrossRef]
- Badulin, S.I.; Grigorieva, V.G. On discriminating swell and wind-driven seas in Voluntary Observing Ship data. J. Geophys. Res. 2012, 117, C11. [CrossRef]
- 90. Toba, Y. Stochastic form of the growth of wind waves in a single-parameter representation with physical implementations. *J. Phys. Oceanogr.* **1978**, *8*, 494–507. [CrossRef]
- 91. Kahma, K.K.; Calkoen, C.J. Reconciling discreapancies in the observed growth of wind-generated waves. *J. Phys. Oceanogr.* **1992**, 22, 1389–1405. [CrossRef]
- 92. Babanin, A.V.; Soloviev, Y.P. Field investigation of transformation of the wind wave frequency spectrum with fetch and the stage of development. *J. Phys. Oceanogr.* **1998**, *28*, 563–576. [CrossRef]
- Björkqvist1, J.V.; Alari, V. Real-time estimates of wind speed and direction from a small spherical wave buoy. In Proceedings of the 4th Workshop on Waves and Wave-Coupled Processes, Uppsala, Sweden, 14–16 February 2023.
- 94. Resio, D.T.; Long, C.E.; Vincent, C.L. Equilibrium-range constant in wind-generated wave spectra. J. Geophys. Res. 2004, 109, C1. [CrossRef]

- 95. Long, C.; Resio, D. Wind wave spectral observations in Currituck Sound, North Carolina. J. Geophys. Res. 2007, 112, C5. [CrossRef]
- 96. Golitsyn, G.S. The Energy Cycle of Wind Waves on the Sea Surface. Izv. Atmos. Ocean. Phys. 2010, 46, 10–18. [CrossRef]
- 97. Benilov, A.Y.; Kouznetsov, O.A.; Panin, G.N. On the analysis of wind wave-induced disturbances in the atmospheric turbulent surface layer. *Bound.-Layer Meteorol.* **1974**, *6*, 269–285. [CrossRef]
- 98. Kahma, K.K. On prediction of the fetch-limited wave spectrum in a steady wind. Finn. Mar. Res. 1986, 253, 52–78.
- 99. Babanin, A.V.; Soloviev, Y.P. Variability of directional spectra of wind-generated waves, studied by means of wave staff arrays. *Mar. Freshwater Res.* **1998**, *49*, 89–101. [CrossRef]

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